

Study on t -wise Coverage

RQ: Can 3-wise CA constructed by *ScalableCA* achieve high t -wise coverage ($4 \leq t \leq 6$)?

Empirical studies [1–6] indicate that a certain number of faults are triggered by the combinations of 4 to 6 options, so a test suite of high t -wise coverage ($4 \leq t \leq 6$) can detect more faults. In this RQ, we perform evaluations to study whether *ScalableCA*’s built 3-wise CA could obtain high t -wise coverage ($4 \leq t \leq 6$).

1 EXPERIMENTAL RESULTS

For testing highly configurable systems, in practice a certain number of faults are known to be caused by the combination of 4 to 6 options [1–6]. Hence, given a test suite, if it could obtain higher t -wise coverage ($4 \leq t \leq 6$), then more faults could be disclosed. In this subsection, we empirically analyze the t -wise coverage ($4 \leq t \leq 6$) achieved by 3-wise CAs and 2-wise CAs. According to the definition of t -wise coverage in Section 2.1 of the paper, calculating the exact t -wise coverage needs to obtain the number of all valid t -wise tuples for a given configurable system. However, due to the existence of huge numbers of valid t -wise tuples ($4 \leq t \leq 6$) for highly configurable systems, it is impractical to enumerate all of them, so calculating the exact t -wise coverage ($4 \leq t \leq 6$) is infeasible. To mitigate this issue, following a recent study on t -wise coverage [7], in our experiments we estimate the t -wise coverage as follows: given a test suite T (i.e., a 2-wise CA or a 3-wise CA in our experiments), for each $t \in \{4, 5, 6\}$, we first construct an estimation set E containing 10^7 uniformly sampled, valid t -wise tuples per instance, then the t -wise coverage of T is estimated as the number of those valid t -wise tuples, which belong to E and are meanwhile covered by T , divided by E ’s cardinality (i.e., $|E| = 10^7$).

Table 1 reports the average t -wise coverage ($4 \leq t \leq 6$) of the 3-wise CAs by *ScalableCA*, *SamplingCA* and *CAmpactor*, as well as the 2-wise CAs by *SamplingCA* and *CAmpactor*. Table 1 shows that 3-wise CA achieves much higher t -wise coverage ($4 \leq t \leq 6$) than 2-wise CA, indicating the superiority of 3-wise CIT over 2-wise CIT, and confirming the importance of developing effective approaches for generating 3-wise CA. Also, existing empirical studies on various real-world, highly configurable systems [1–4] present that in practice a test suite with high t -wise coverage ($4 \leq t \leq 6$) could detect the majority of faults. According to Sections 6.1 and 6.2 of the paper, our results show that *ScalableCA* can generate 3-wise CA to achieve similar high t -wise coverage ($4 \leq t \leq 6$) as our competitors do, but with significantly smaller size and much less running time. Additionally, as Section 7.2 of the paper, the 3-wise CAs generated by *ScalableCA* exhibit a higher fault detection rate compared to its competitors, indicating that adopting *ScalableCA* could bring much benefit in real-world applications.

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Table 1: Average t -wise coverage ($4 \leq t \leq 6$) of 3-wise CAs by *ScalableCA*, *SamplingCA* and *CAmpactor*, as well as 2-wise CAs by *SamplingCA* and *CAmpactor*. To save space, we use notation ‘cov.’ to denote ‘coverage’.

	4-wise cov.	5-wise cov.	6-wise cov.
<i>ScalableCA</i> ’s 3-wise CA	99.9%	98.9%	95.5%
<i>SamplingCA</i> ’s 3-wise CA	99.9%	99.5%	97.5%
<i>CAmpactor</i> ’s 3-wise CA	99.9%	99.3%	97.0%
<i>SamplingCA</i> ’s 2-wise CA	95.5%	86.6%	72.7%
<i>CAmpactor</i> ’s 2-wise CA	87.6%	71.8%	54.1%

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