

**CSE316**  
**Assignment 4 Solutions**

**Chapter - 3**

**Problems: Q3-2, Q3-4, Q3-5, Q3-7, Q3-10, P3-3, P3-5, P3-9, P3-27, P3-29**

**Q3-2.**

- a. The *amplitude* of a signal measures the value of the signal at any point.
- b. The *frequency* of a signal measures how many times the signal repeats itself in a second.
- c. The *phase* of a signal represents the position of the signal with respect to time 0.

**Q3-4.** *Attenuation* and *noise* are two out of three causes of transmission impairment; distortion is the third one.

**Q3-5.** *Baseband transmission* means sending a digital or an analog signal without modulation using a low-pass channel. *Broadband transmission* means to modulate signal using a band-pass channel.

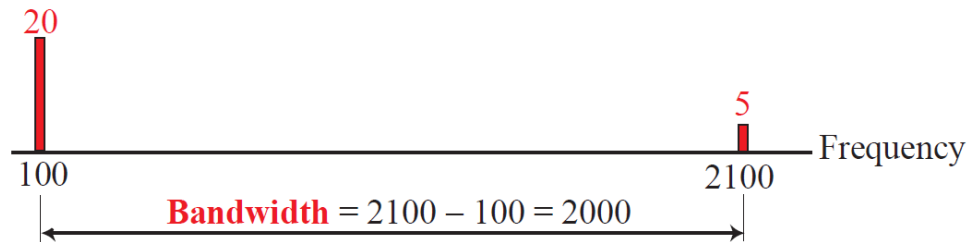
**Q3-7.** The *Nyquist theorem* defines the maximum bit rate of a noiseless channel.

**Q3-10.** A signal is *periodic* if its frequency domain plot is discrete; a signal is *nonperiodic* if its frequency domain plot is continuous.

**P3-3.**

- a. 90 degrees ( $\pi/2$  radians)
- b. 0 degrees (0 radians)
- c. 90 degrees ( $\pi/2$  radians) (Note that it is the same wave as in part a.)

**P3-5.** We know the bandwidth is 2000. The highest frequency must be  $100 + 2000 = 2100$  Hz. See below:



**P3-9.** There are 8 bits in 16 ns. Bit rate is  $8 / (16 \times 10^{-9}) = 0.5 \times 10^9 = 500$  Mbps

**P3-27.** We can approximately calculate the capacity as

a.  $C = B \times (\text{SNR}_{\text{dB}} / 3) = 20 \text{ KHz} \times (40 / 3) = 267 \text{ Kbps}$

b.  $C = B \times (\text{SNR}_{\text{dB}} / 3) = 200 \text{ KHz} \times (4 / 3) = 267 \text{ Kbps}$

c.  $C = B \times (\text{SNR}_{\text{dB}} / 3) = 1 \text{ MHz} \times (20 / 3) = 6.67 \text{ Mbps}$

**P3-29.** We can use the approximate formula

$$C = B \times (\text{SNR}_{\text{dB}} / 3) \text{ or } \text{SNR}_{\text{dB}} = (3 \times C) / B$$

We can say that the minimum of  $\text{SNR}_{\text{dB}}$  is

$$\text{SNR}_{\text{dB}} = 3 \times 100 \text{ Kbps} / 4 \text{ KHz} = 75$$

This means that the minimum

$$\text{SNR} = 10^{\text{SNR}_{\text{dB}}/10} = 10^{7.5} \approx 31,622,776$$