

EKT-423: OPERATING SYSTEM TUTORIAL 01

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1. A DMA module is transferring characters to main memory from an external device transmitting at 9600 bits per second (bps). The processor can fetch instructions at the rate of 1 million instructions per second. By how much will the processor be slowed down due to the DMA activity?

Answer

Let us ignore data read/write operations and assume the processor only fetches instructions. Then the processor needs access to main memory once every microsecond.



Transferring characters main memory from an external device transmitting at 9600 bits per second (bps);

Hence, $1 \text{ bit} = 1/9600 \text{ s} = 1.04 \times 10^{-4} \text{ s} = 104 \text{ us}$

Fetch instruction type, 1 million instructions per second

Assume that,

1 Instruction = 1 bps

1 mps = 1 us per Instruction

9600 per second = 104 us per instruction

So, Processor Slowdown = $(1/104) \times 100\% = 0.9615\%$ (approx.) Ans...

2. A computer consists of a CPU and an I/O device D connected to main memory M via a shared bus with a data bus width of one word (16-bits). The CPU can execute a maximum of 10^6 instructions per second. An average instruction requires five processor cycles, three of which use the memory bus. A memory read or write operation uses one processor cycle. Suppose that the CPU is continuously executing “background” programs that require 95% of its instruction execution rate but not any I/O instructions. Assume that one processor cycle equals one bus cycle. Now suppose that very large blocks of data are to be transferred between M and D.

a. If programmed I/O is used and each one-word I/O transfer requires the CPU to execute two instructions, estimate the maximum I/O data transfer rate, in words per second, possible through D.

b. Estimate the same rate if DMA transfer is used.

Answer



a. The processor can only devote 5% (or, 5/100) of its time to I/O.

CPU can execute a maximum of 10^6 instructions per second

Thus the maximum I/O instruction execution rate is $10^6 \times 0.05 = 50,000$ instructions per second.

The I/O transfer rate is therefore = $50,000/2 = 25000$ words/second.

b. The number of machine cycles available for DMA control is

$$10^6 \times (0.05 \times 5 + 0.95 \times 2) = 2.15 \times 10^6$$

If we assume that the DMA module can use all of these cycles, and ignore any setup or status-checking time, then this value is the maximum I/O transfer rate.

3. Consider a memory system with the following parameters:

$$\begin{array}{ll} T_c = 100 \text{ ns} & C_c = 0.005 \text{ cents/bit} \\ T_m = 1200 \text{ ns} & C_m = 0.0002 \text{ cents/bit} \end{array}$$

a. What is the cost of 5 MByte of main memory?

b. What is the cost of 5 MByte of main memory using cache memory technology?

c. If the effective access time is 20% greater than the cache access time, what is the hit ratio H ?

$$1 \text{ Kbit} = 1000 \text{ bit}$$

$$1 \text{ MBytes} = 8000000 = 8 \times 10^6 \text{ bit}$$

$$1 \text{ GBytes} = 8000000000 = 8 \times 10^9 \text{ bit}$$

Answer

a. Cost of 5 MB of main memory

$$\text{Cost} = C_m \times 5 \text{ MB} = 0.0002 \times 5 \times 8 \times 10^6 \text{ ¢} = 8000 \text{ ¢} = \$80$$

b. Cost of 5 MB of main memory using cache

$$\text{Cost} = C_c \times 5 \text{ MB} = 0.005 \times 5 \times 8 \times 10^6 \text{ ¢} = 200000 \text{ ¢} = \$2000$$

c. From the Equation $T_s = H T_1 + (1 - H) (T_1 + T_2) = T_1 + T_2 - H T_2$

$$H = (T_1 + T_2 - T_s) / T_2$$

where

$$T_s = \text{average (system) access time} = 20\% T_1 = (20/100) 100 = 20 \text{ ns}$$

$$T_1 = \text{access time of M1 (e. g., cache, disk cache)} = 100 \text{ ns}$$

$$T_2 = \text{access time of M2 (e. g., main memory, disk)} = 1000 \text{ ns}$$

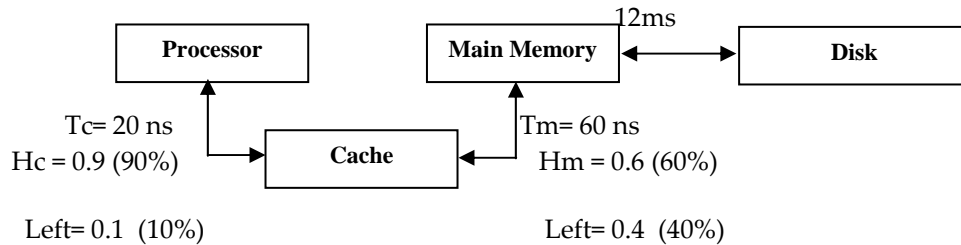
$$H = \text{hit ratio (fraction of time reference is found in M1)} = ?$$

$$H = (100 + 1000 - 20) / 1000 = 1080/1000 = 1.08$$

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4. A computer has a cache, main memory, and a disk used for virtual memory. If a referenced word is in the cache, 20 ns are required to access it. If it is in main memory but not in the cache, 60 ns are needed to load it into the cache (this includes the time to originally check the cache), and then the reference is started again. If the word is not in main memory, 12 ms are required to fetch the word from disk, followed by 60 ns to copy it to the cache, and then the reference is started again. The cache hit ratio is 0.9(90%) and the main-memory hit ratio is 0.6 (60%). What is the average time in ns required to access a referenced word on this system?

Answer:



There are three cases to consider:

| Location of referenced word | Probability | Total time for access in ns |
|----------------------------------|---------------------|--|
| In cache | 0.9 | 20 |
| Not in cache, but in main memory | $(0.1)(0.6) = 0.06$ | $60 + 20 = 80$ |
| Not in cache or main memory | $(0.1)(0.4) = 0.04$ | $12 \text{ ms} + 60 + 20 = 12,000,080$ |

So the average access time would be:

$$\text{Avg} = (0.9)(20) + (0.06)(80) + (0.04)(12000080) = 480026 \text{ ns}$$