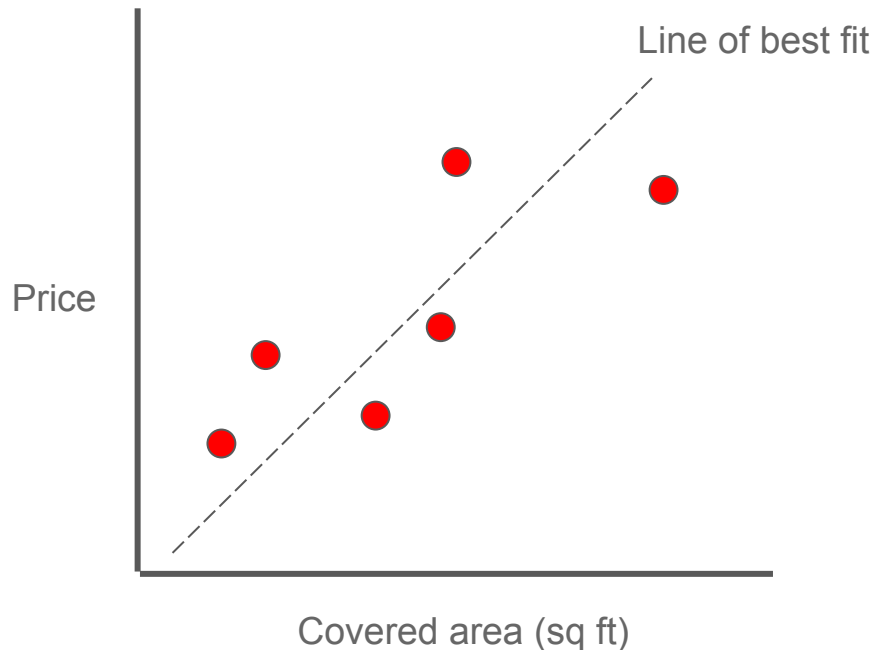


# Logistic Regression

# Linear Regression

Predict square\_foot vs home prices

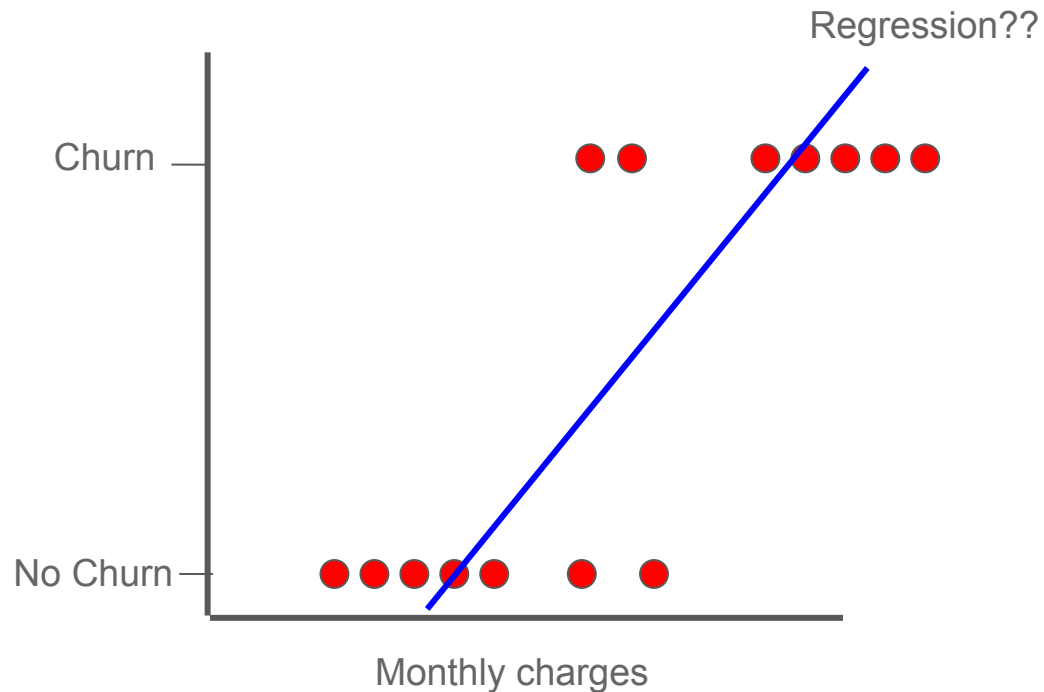


1. Is there relationship between covered area and home price?
2. How strong is the relationship ( $R^2$  value)
3. Is the relationship significant (p-value)
4. Predict home price for a given covered area

Regression equation:  $\text{Price} = \beta_0 + \beta_1 * \text{area}$

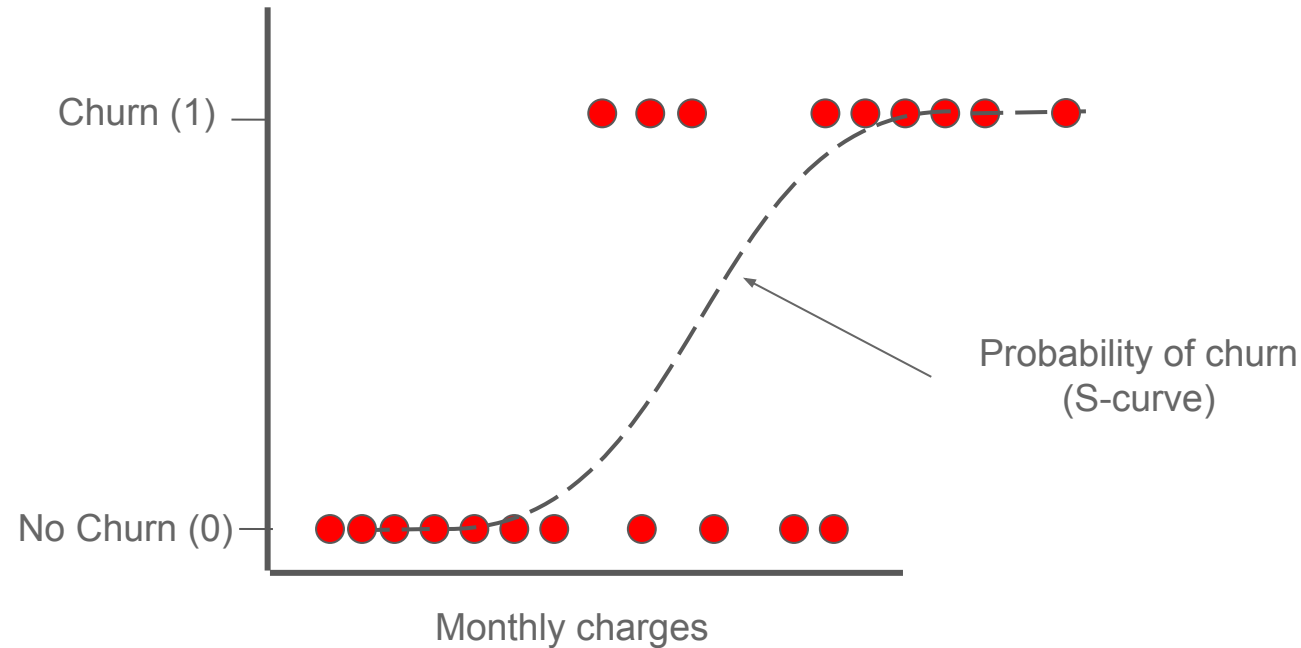
# Logistic Regression

Outcome is binary



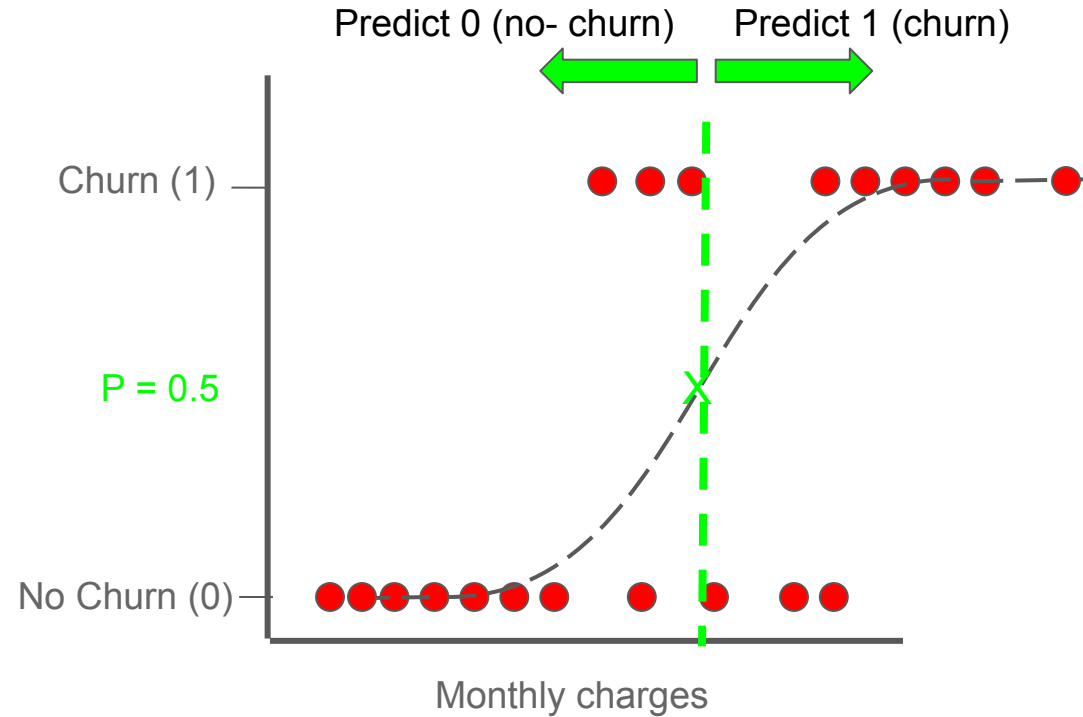
# Logistic Regression

Outcome is binary



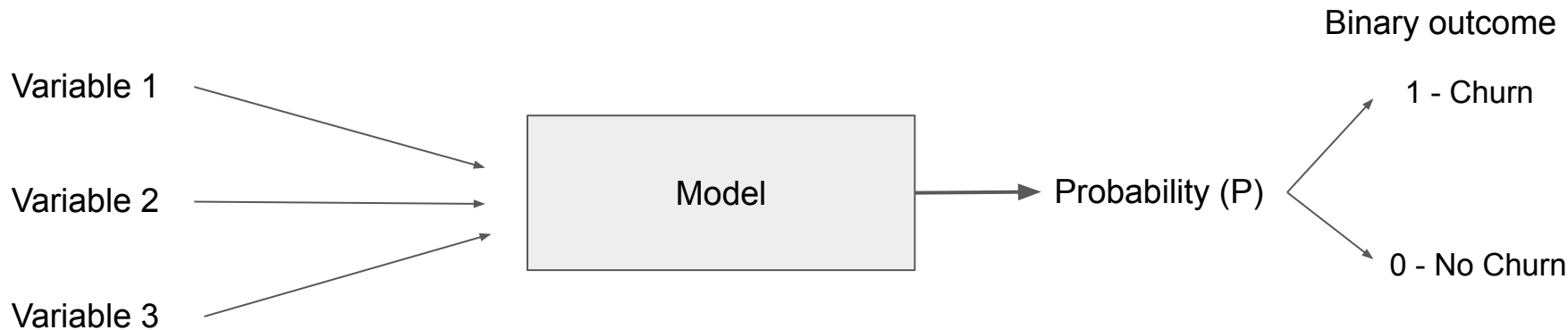
$$p = \frac{1}{1 + e^{-(b_0 + b_1 x)}}$$

# Logistic Regression

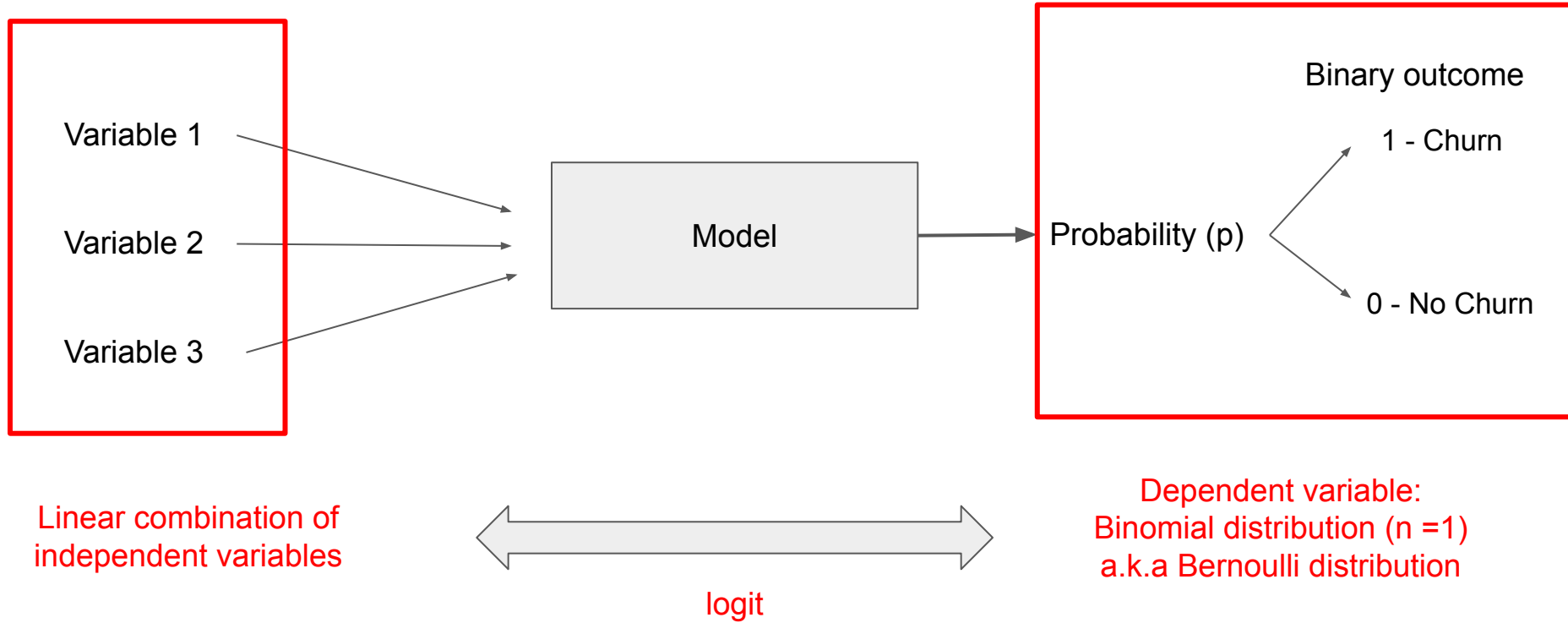


# Logistic Regression

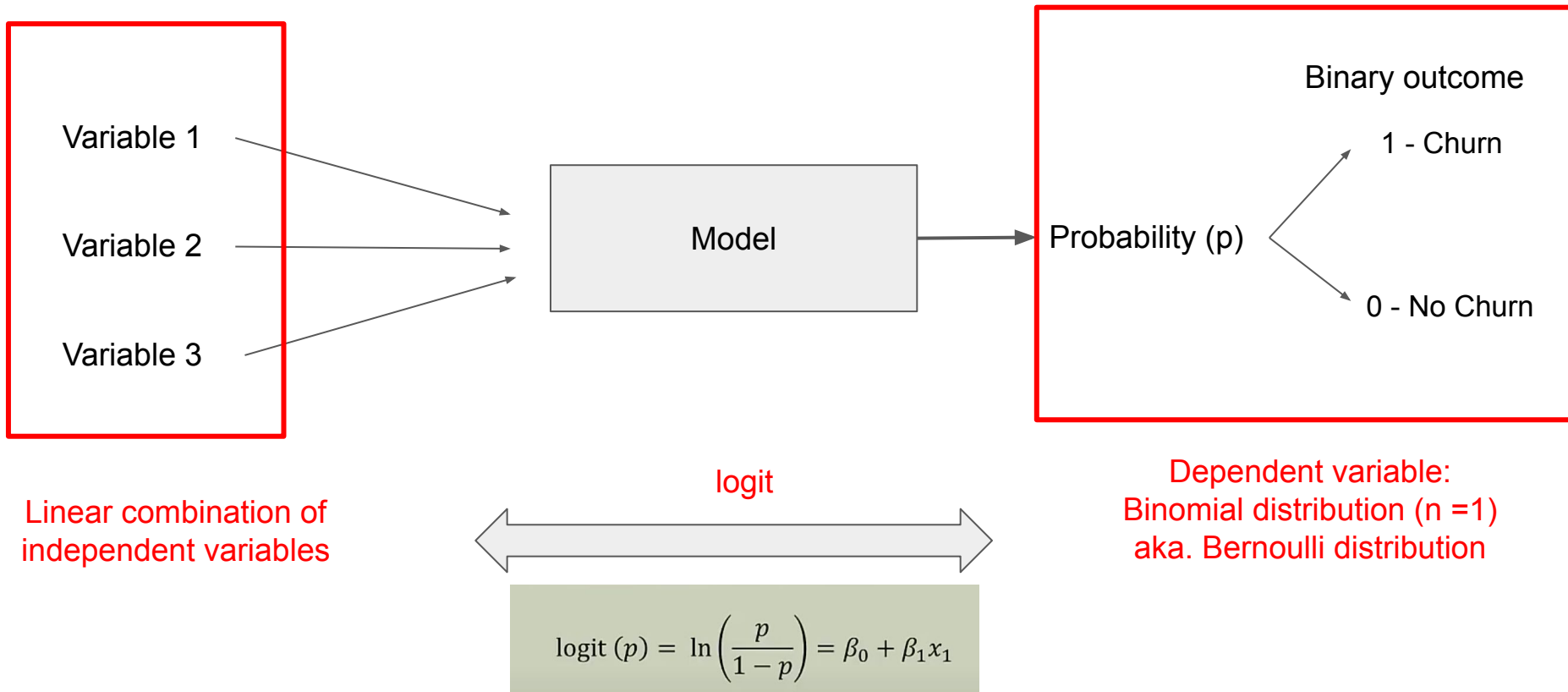
- Model a probability of certain event happening based on linear combination of independent variables



# Logistic Regression

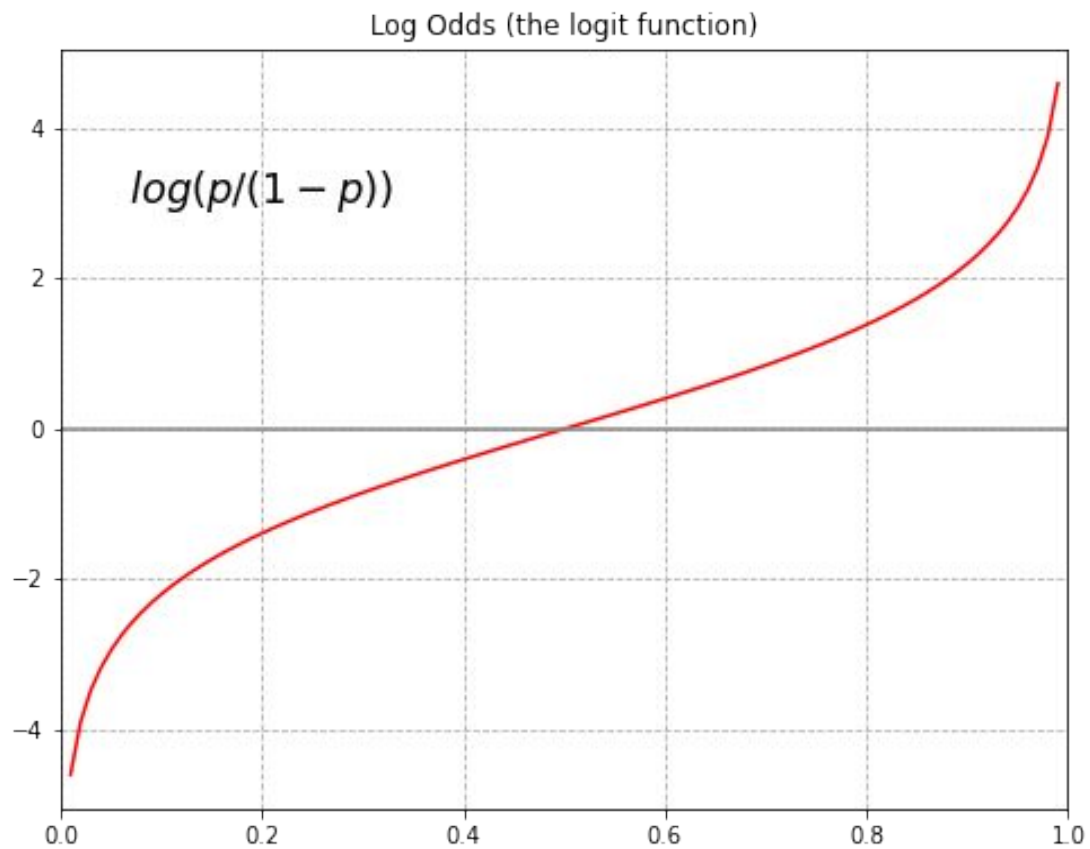


# Logistic Regression



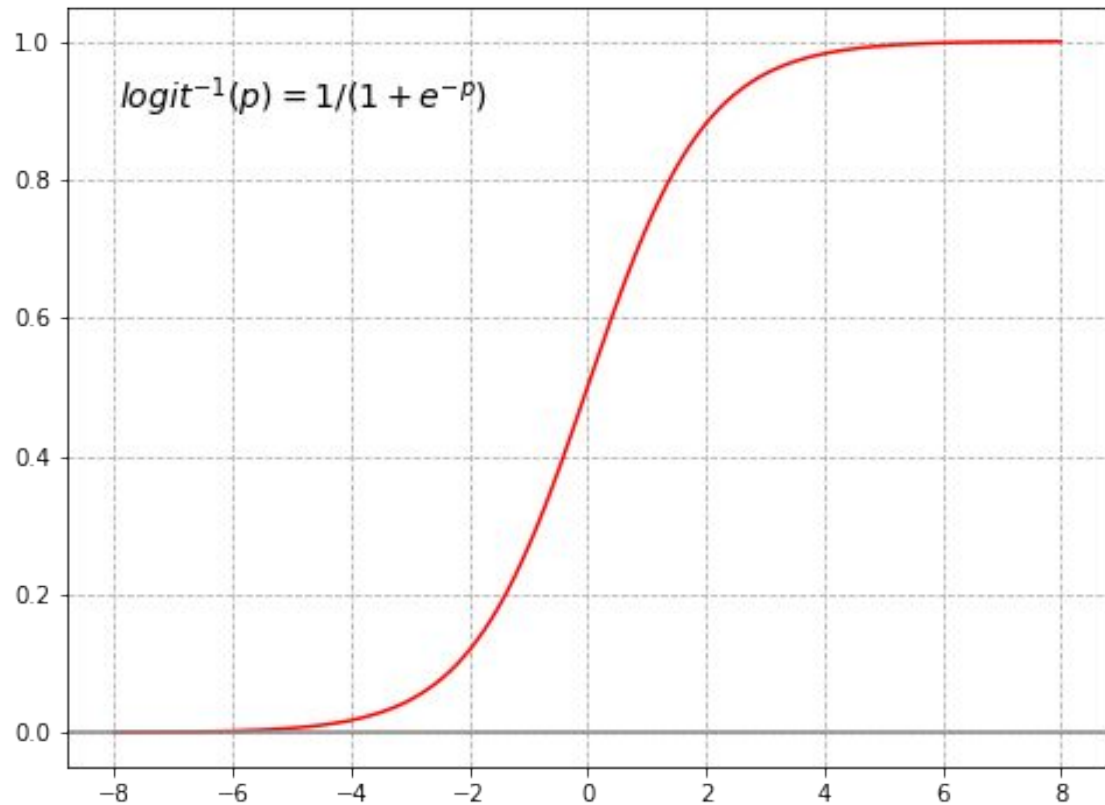


# Logit



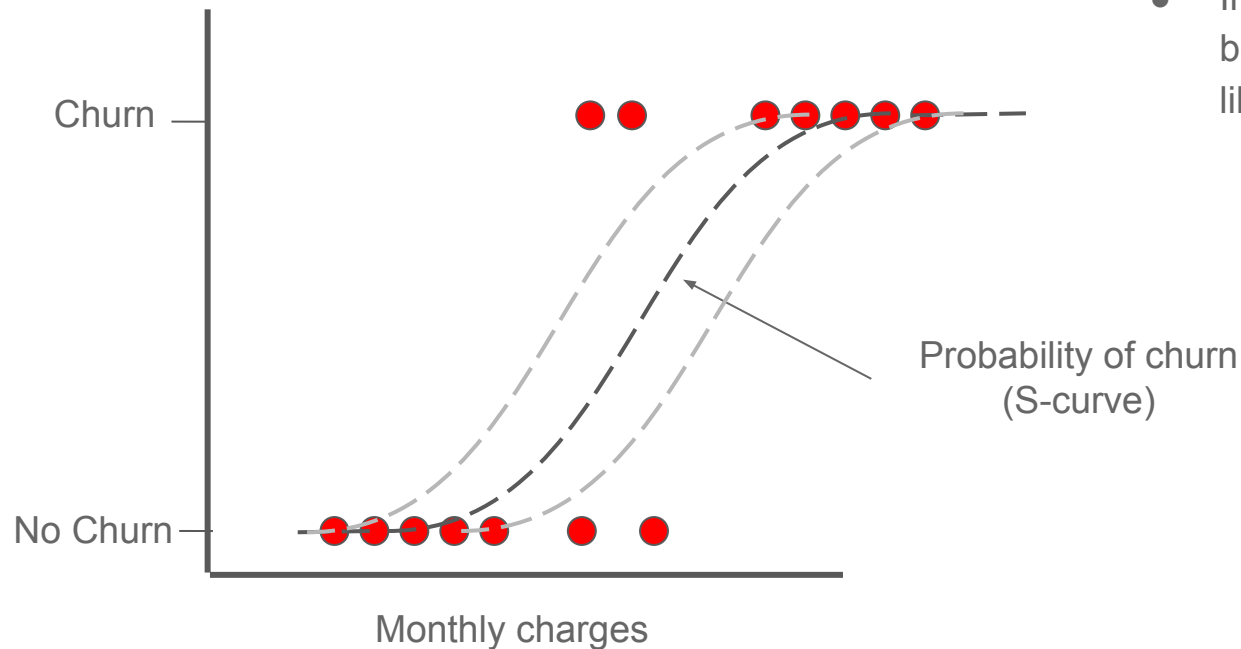
# Inverse logit function (Sigmoid function)

Inverse logit gives the probability (on y-axis)



# Logistic Regression

Outcome is binary



- In regression we find the line of best fit using 'least squares' method
- In logistic regression we find the best curve using MLE (maximum likelihood estimation)

$$p = \frac{1}{1 + e^{-(b_0 + b_1 x)}}$$

# Extra: Logit function

Logit = maps the linear combination of independent variables to the bernoulli's probability distribution in domain 0 to 1.

$$\text{Logit} = \log_e(\text{odds}) = \log_e(p/(1-p))$$

$$\text{odds} = P(\text{occurring}) / P(\text{not occurring}) = p / (1-p)$$

Toss a fair coin

$$\text{odds} = 0.5 / (1-0.5) = 1 \quad \text{i.e. Odd of landing tails vs heads is 1:1 for fair coin}$$