# MIT WORLD PEACE UNIVERSITY

# Maths First Year B. Tech, Trimester 3 Academic Year 2021-22

# POLAR CURVE TRACING

#### Notes

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# Physics Formulas

# Contents

	Tracing of Rose Curves 1.1 Rules	2
2	Numericals	2
3	Reduction Formula	9

#### 1 Tracing of Rose Curves

#### 1.1 Rules

- 1. Symmetry same as polar curve tracing.
- 2. Pole Again same as polar.
- 3. Tangents at pole Again same as polar.
- 4. The curve  $r = a \sin n\theta$  or  $r = a \cos n\theta$  consists:
  - (a) n equal loops if n is odd
  - (b) 2n equal loops if n is even
- 5. For drawing the loops, divide each quadrant into n equal parts.  $r = a \sin n\theta$  or  $r = a \cos n\theta$ 
  - (a) For sin first loop is drawn along  $\theta = \frac{\pi/2}{n}$  For cos first loop is drawn along  $\theta = 0$
  - (b) If n is even draw loops in two sectors consecutively from  $\theta = 0$  to  $\theta = 2\pi$
  - (c) If n is odd, draw loops in the two sectors alternatively keepign two sectors between loops vacant.
- 6. Angle between radius vector and tangents. use the Formula  $\tan \phi = \frac{r}{\frac{dr}{d\theta}}$  and find  $\phi$ Also find points where phi = 0 or  $\infty$
- 7. Prepare the table of values of r and  $\theta$ 
  - (a)  $\sin n\theta$ ,

for 
$$n\theta = 0, \pi, 2\pi, 4\pi \dots$$
  
 $\implies \theta = 0, \frac{\pi}{n}, \frac{2\pi}{n}, \frac{3\pi}{n}$ 

(b)  $\cos n\theta$ 

for 
$$n\theta = \frac{-\pi}{2}, \frac{\pi}{2}, \frac{3\pi}{2}, \frac{5\pi}{2} \dots$$
  
 $\theta = \frac{-\pi}{2n}, \frac{\pi}{2n}, \frac{3\pi}{2n}, \frac{5\pi}{2n}$ 

#### 2 Numericals

- Q1. Trace the curve  $r = a \sin 3\theta$ 
  - 1. If r is replaced by -r, and  $\theta$  is replaced by  $-\theta \implies$  the curve is symmetric about the perpendicular line passing through the pole that is  $\theta = \frac{\pi}{2}$
  - 2. For r = 0 and  $\theta = 0$ , the curve passes through the pole.

### 3 Reduction Formula

We willuse reduction formula to find the integration of examples like these.

$$\int dx$$