

T.Y. CSF V Sem

ARTIFICIAL INTELLIGENCE & MACHINE LEARNING

TECHNIQUES

ASSIGNMENT - 1

Breadth First Search & Depth First Search

Aim: Write a program to implement BFS & DFS

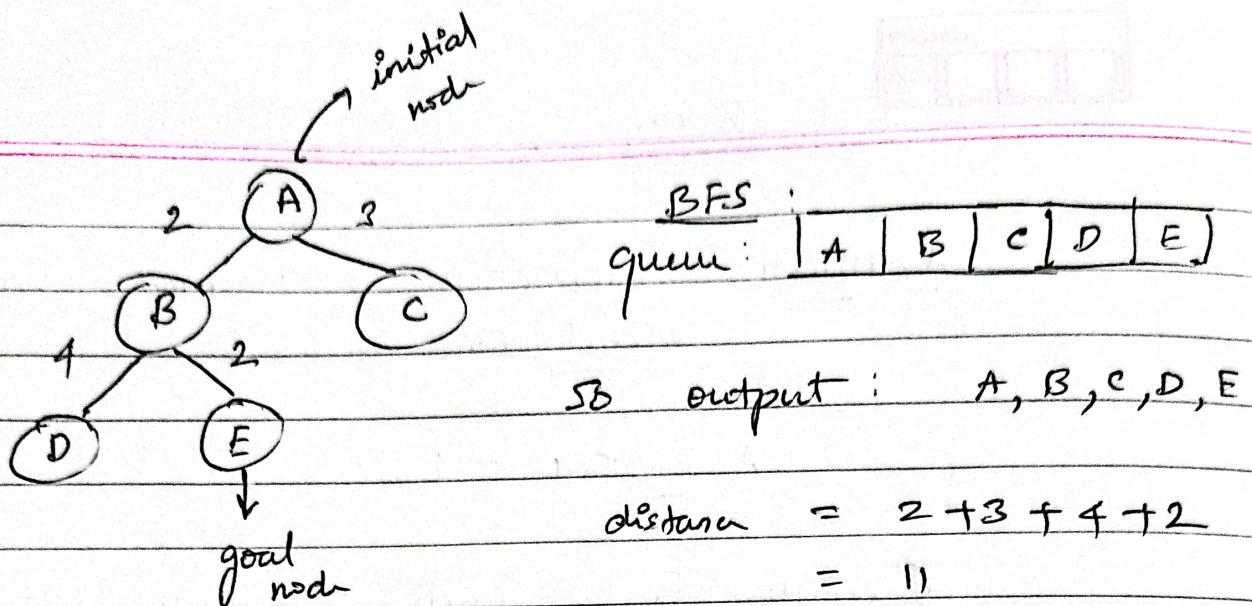
OBJECTIVE: To study BFS and DFS. To understand their working.

Theory: ① Breadth First Search

Def: It is a graph traversal algorithm that explores all the vertices of a graph level by level, starting from a chosen start vertex.

→ It starts from the source vertex, explores its neighbours, then moves to their unvisited neighbours and so on, until all reachable vertices are visited.

→ It uses a queue to keep track of vertices to visit. The source is enqueued, it is visited and its neighbours are enqueued, to be processed later.



→ Time complexity: $O(V+E)$

Space complexity: $O(V)$

→ Applications:

1. shortest path: BFS can find the shortest path between 2 nodes in an unweighted graph.
2. Network traversal: Used in network routing algorithms to explore neighbouring routers.
3. Web crawlers: Used by search engines to index web pages by following links.
4. Puzzle solving: Can be applied to solve puzzles like 8-sliding tile puzzles.

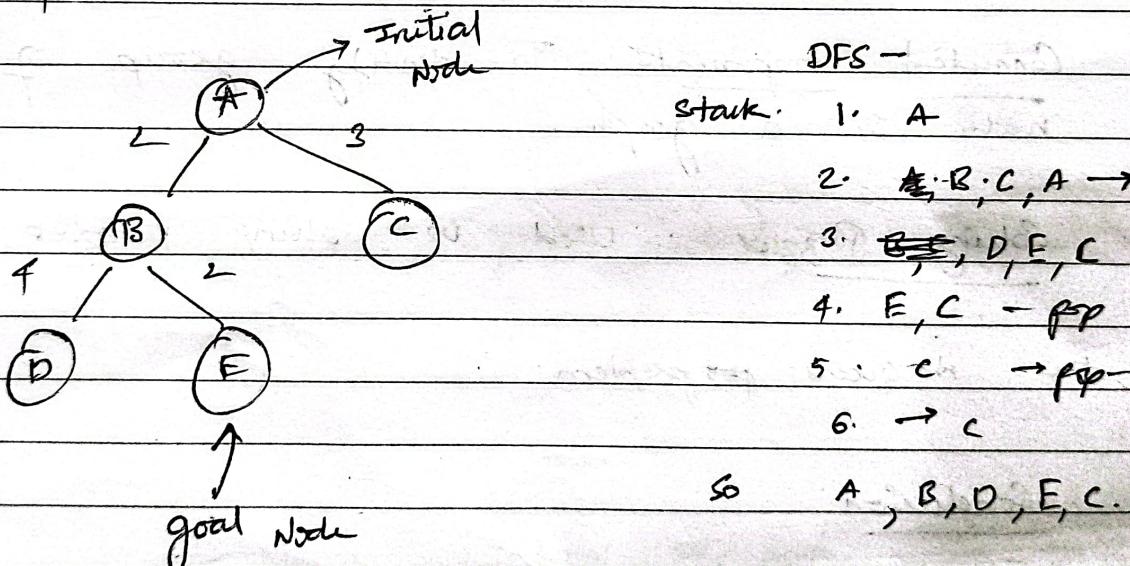
Q2

Depth First Search

Def: DFS is a graph traversal algorithm that explores as far as possible along each branch before backtracking. It traverses a path from its starting vertex to the deepest level before backtracking to explore other paths.

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→ It starts at the source vertex, explores as deep as possible until it reaches a dead-end, and backtracks after that.



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Space & Time complexity:

1. Time : $O(V+E)$

2. Space : $O(V)$

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(*) DFS uses stack. An element is inserted, then when it's popped, its children are inserted. All elements are popped, until none remains.

(*) Applications

1. Path Finding: Used to find paths between nodes, like in maze solving.
2. Topological Sorting: Arranges items based on dependencies, like scheduling tasks.
3. Connected Components: To identify group of connected nodes in a graph.
4. Solving Puzzles: Used in solving puzzles like the N-Queens problem.

(*) Conclusion:

→ DFS and BFS are understood in detail, and executed successfully.

(*) Algorithms:

next page.

AIMLT - Assignment 2

BFS — pseudo code.

→ procedure BFS (graph, start)
init queue
enqueue start
start → visited = true

while queue not empty:

 current = dequeue from queue
 process current node.

 for each neighbor of current:

 if neighbor not visited,
 mark neighbor as visited
 enqueue neighbor to queue

→ procedure DFS : (graph, node)

 mark node as visited

 process node

 for each neighbours of node ;

 if neighbour not in visited :
 DFS (graph, neighbour)

FAQs

- ★ Is BFS & DFS complete? Are they optimal?
- Both BFS and DFS are complete algorithms, meaning they will always find a solution if one exists in the graph.
 - BFS is optimal for finding shortest path in unweighted graph. DFS may not guarantee an optimal solution, due to its deep exploration before backtracking.

- ★ Why are queues preferred over other structures for BFS?

- Queues are preferred for implementing BFS as BFS requires visiting all neighbours of a vertex before moving on to their neighbours. Queues follow FIFO. This ensures level by level visits.

- ★ Why not queue for DFS? Why stack?

- While DFS uses a stack in recursive manner. Stack is used to explore deeply before backtracking. It aligns with stack's LIFO behaviour.

- ★ Why can't we use DFS for shortest path possible?

- DFS doesn't guarantee finding shortest path as it explores the path deeply. It may encounter long paths, before finding shortest one, leading to sub-optimal solution.