

Semantic Analysis

4.1-4.3, 1.6.2

Syntax vs semantics

- Programming languages have two sides
 - Syntax: the form of a valid program
 - Semantics: the meaning of a program
 - From a designer's view
 - Semantics allows to enforce rules (e.g., type consistency)
 - Semantics provides information for generating equivalent programs (say in lower level of languages) to the original ones

Syntax

- Usually the syntax of a language might not be fully described by context free grammar
 - No context free grammar can define the syntactical requirement that “the call to a subroutine must have the same number of parameters as the definition of the subroutine.”
 - Some syntactical requirement like “every function must have one return” is too complex to be expressed as context free grammar.
- However, these can be checked easily in semantic analysis

Semantic analysis

- Static analysis (done at the compile time)
 - Enforces rules (semantic rules) that can not be captured by context free grammars, e.g.,
 - Every identifier has to be declared before use
 - Subroutine calls use the correct number of parameters
- Dynamic analysis (done at the runtime by the code produced by compiler)
 - Array subscript should be within the bounds of the array
 - Variables are never used unless they have been given a value

- Intermediate code generation
 - From a program in language X, generate a program in intermediate language Y

More on semantic rules

- Languages vary on their semantic rules
 - C allows operands of many types to appear in an expression while Ada does not
 - C requires no run time (dynamic) check while Java check as many as possible

Dynamic check/analysis

- Example

Int a[100];

For (i=1; i < n; i++) a[2*n]=a[2*n-1];

– No run time check in C

– Run time check in Java

- Add in run time check code:

- Java allows programmer provide run time check!
 - E.g., `assert denominator != 0;`
- Some languages (e.g., Euclid and Eiffel) offer constructs to express properties of *invariants*, *preconditions*, *postconditions*. Code will be produced to check these properties at run time.

Static analysis

- Compile-time algorithms that predict run time behavior are known as *static analysis*.
- A static analysis is *precise* if it allows the compiler to determine whether a given program will always follow the (semantic) rules.

Annotated parse tree

- Both semantic analysis and intermediate code generation can be based on *annotation*, or *decoration* of a parse tree. Annotations are known as *attributes*.
- *Attribute grammars* provide a formal framework for the decoration of a parse tree.

Attribute grammars

- Attributes
 - Each symbol has one or more attributes
 - The value(s) of the attributes of the start symbol S is the meaning of the token string derived from S .

- Rules

- Productions in CFG are extended with attributes and the expression of their relations.
- Define how the attributes of the symbols in a production are related. They are of the form
$$X.att := semanticfunction(X1.attr, ..., Xn.attr)$$
- When more than one symbols are used in the same production, we distinguish them by adding subscripts

Example

- An attribute grammar for arithmetic expressions

$E \rightarrow E + T \quad E1.val = E2.val + T.val$

$E \rightarrow E - T \quad E1.val = E2.val - T.val$

$E \rightarrow T \quad E.val = T.val$

$T \rightarrow T * F \quad T1.val = T2.val * F.val$

$T \rightarrow T / F \quad T1.val = T2.val / F.val$

$T \rightarrow F \quad T.val = F.val$

$F \rightarrow - F \quad F1.val = - F2.val$

$F \rightarrow (E) \quad F.val = E.val$

$F \rightarrow \text{const} \quad F.val = \text{const.val}$

Parse tree and attributes evaluation

- Given an attribute grammar, and a user input program in this grammar, we are
 - not only able to construct a parse tree of the program,
 - but also able to label (find) the value (semantics or meaning) of the input program, i.e., evaluating attributes
 - The process of evaluating the attributes is called *annotation* or *decoration* of the parse tree.

Example: simple

- Example with first three rules in the previous slide and rule

$$E \rightarrow E + T \quad E1.val = E2.val + T.val$$
$$E \rightarrow E - T \quad E1.val = E2.val - T.val$$
$$E \rightarrow T \quad E.val = T.val$$
$$T \rightarrow \text{const} \quad T.val = \text{const.val}$$

- Parse tree of $5 + 5 - 5$
- Attributes evaluation: value of each component of the expression $5+5-5$ in the parse tree

Example: full

- Consider the full attribute grammar in the earlier slide, and expression $(1+3)*2$
 - What's its parse tree?
 - What are the values of the attributes of the symbols in the parse tree?

Types of attributes

- Synthesized attributes
 - An attribute is *synthesized* if its value is calculated **only** for productions where the corresponding symbol is on the left side of the production
 - An AG is *S-attributed* if all attributes are synthesized.
 - Example: the previous example
- Inherited attributes

Inherited attributes

- An attribute is *inherited* if its value is calculated for some production where the corresponding symbol is on the **right** side of the production.

Inherited attributes – example

- Given a CFG grammar

$\langle \text{expr} \rangle \rightarrow \text{const } \langle \text{expr_tail} \rangle$

$\langle \text{expr_tail} \rangle \rightarrow - \text{const } \langle \text{expr_tail} \rangle \mid \varepsilon$

- write an attribute grammar such that we can know the value of an expression

- What attributes we need?
 - $\langle \text{expr} \rangle$: we want to know the value of the whole expression, so we introduce attribute `val` for $\langle \text{expr} \rangle$.
 - $\langle \text{expr_tail} \rangle$ (decomposition approach can be used here!)
 - » `st`: the value of the expression before $\langle \text{expr_tail} \rangle$
 - » `value`: the value of the whole expression.
- How the attributes are related

Example (continued)

- Attribute grammar

$\langle \text{expr} \rangle \rightarrow \text{const } \langle \text{expr_tail} \rangle$

$\langle \text{expr_tail} \rangle.\text{st} := \text{const.val}$

$\langle \text{expr} \rangle.\text{val} := \langle \text{expr_tail} \rangle.\text{val}$

$\langle \text{expr_tail} \rangle \rightarrow - \text{const } \langle \text{expr_tail} \rangle$

$\langle \text{expr_tail} \rangle_2.\text{st} := \langle \text{expr_tail} \rangle_1.\text{st} - \text{const.val}$

$\langle \text{expr_tail} \rangle_1.\text{val} := \langle \text{expr_tail} \rangle_2.\text{val}$

$\langle \text{expr_tail} \rangle \rightarrow \varepsilon$

$\langle \text{expr_tail} \rangle.\text{val} := \langle \text{expr_tail} \rangle.\text{st}$

- Decoration of parse tree – parse tree of an expression and the evaluation of the attributes of symbols.

Algorithms to decorate a parse tree

- Problem: given an attribute grammar and a program, we will decorate a parse tree (i.e., produce a parse tree and evaluate the attributes of the symbols in the tree)
 - Oblivious algo (skip)
 - Dynamic algo (skip)
 - Static algo:

Static algorithm

- An AG is an *S-attributed grammar* if all its attributes are synthesized
- For S-attributed grammar, apply postorder tree traversal algo to the parse tree
- *L-attributed grammar* (see definition in the end of 2nd paragraph of P192)
- For L-attributed grammar, left to right depth first tree traverse algorithm is sufficient

Summary

- Context free grammar specifies a language
- Attribute grammar (AG)
 - Associate each symbol with some *attributes*
 - AG consists of productions (on symbols) and rules (on attributes)
- The examples of constructing decoration tree are here:
<https://photos.app.goo.gl/nXkQwV97MLsPgkKKA>

- AG for semantic analysis
 - Produce a parse tree using productions of AG
 - Using rules to evaluate the attributes of symbols on the tree
 - Using the values of the attributes to check whether semantic rules are satisfied.
- AG for generating intermediate code
 - The value of the attribute *syntax tree* of the start symbol can be a base of intermediate code.

Appendix

More on attribute grammars

- Build a syntax tree from an input program
 - CFG
 - $E \rightarrow E + T \mid E - T \mid T$
(i.e., three rules: $E \rightarrow E+T$ $E \rightarrow E-T$ $T \rightarrow T$)
 - $T \rightarrow T * F \mid F$
 - $F \rightarrow (E) \mid \text{const}$
 - *Syntax tree*: example of $(1+3)*2$
 - For E, we would like to have an attribute whose value is a syntax tree of E. In fact, for every symbol F, we introduce such an attribute whose value is a syntax tree of F.

– Attribute grammar

- $E \rightarrow E + T$ $E1.synt := \text{binTree}('+', E2.synt, T.synt)$
- $E \rightarrow E - T$ $E1.synt := \text{binTree}('-', E2.synt, T.synt)$
- $E \rightarrow T$ $E.synt := T.synt$
- $T \rightarrow T * F$ $T1.synt := \text{binTree}('*', T2.synt, F.synt)$
- $T \rightarrow F$ $T1.synt := F.synt$
- $F \rightarrow (E)$ $F.synt := E.synt$
- $F \rightarrow \text{const}$ $F.synt := \text{leafnode}(\text{const.val})$

– Example of $(1+3)*2$