

Learning Algorithms for Active Learning

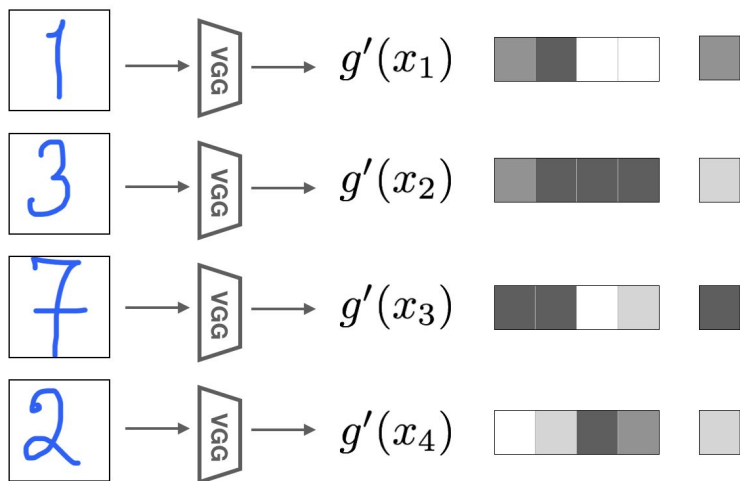
Learning Algorithms for Active Learning

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Plan

- Background
 - Matching Networks
 - Active Learning
- Model
- Applications: Omniglot and MovieLens
- Critique and discussion

Background: Matching Networks (Vinyals et al. 2016)



D_i^{tr}



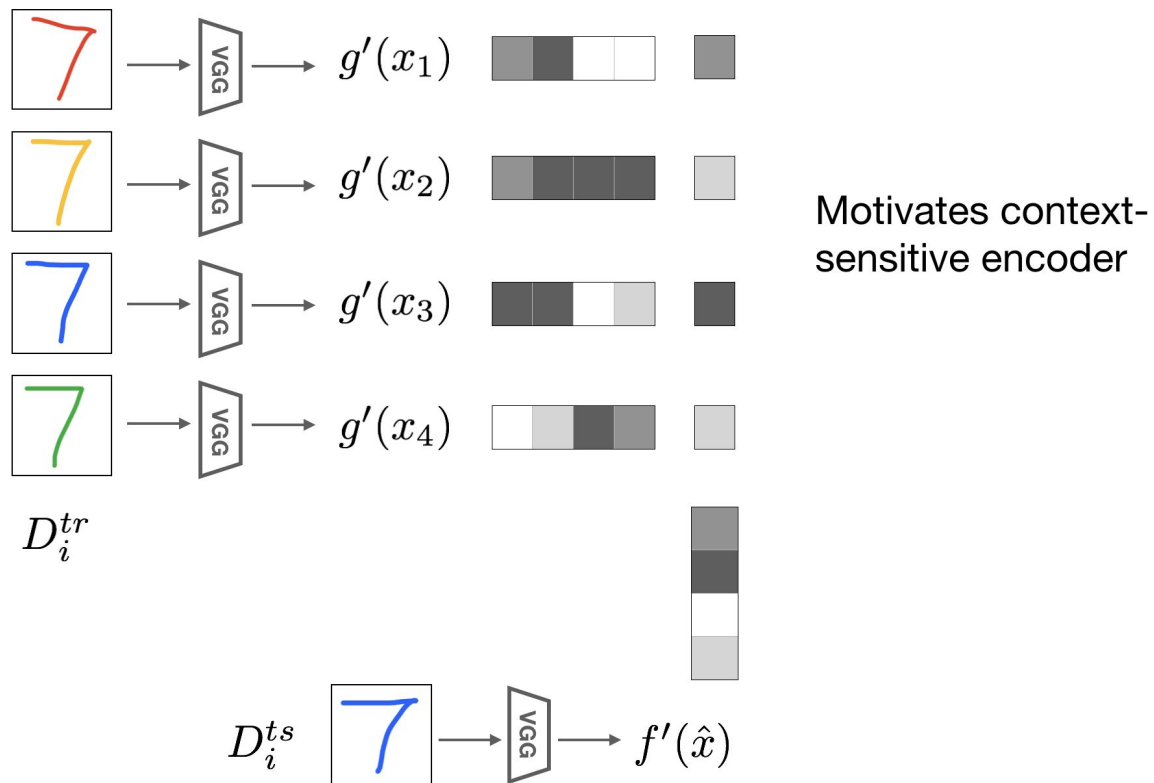
D_i^{ts}

$$\hat{y} = \sum_{i=1}^k a(f'(\hat{x}), g'(x_i)) y_i$$

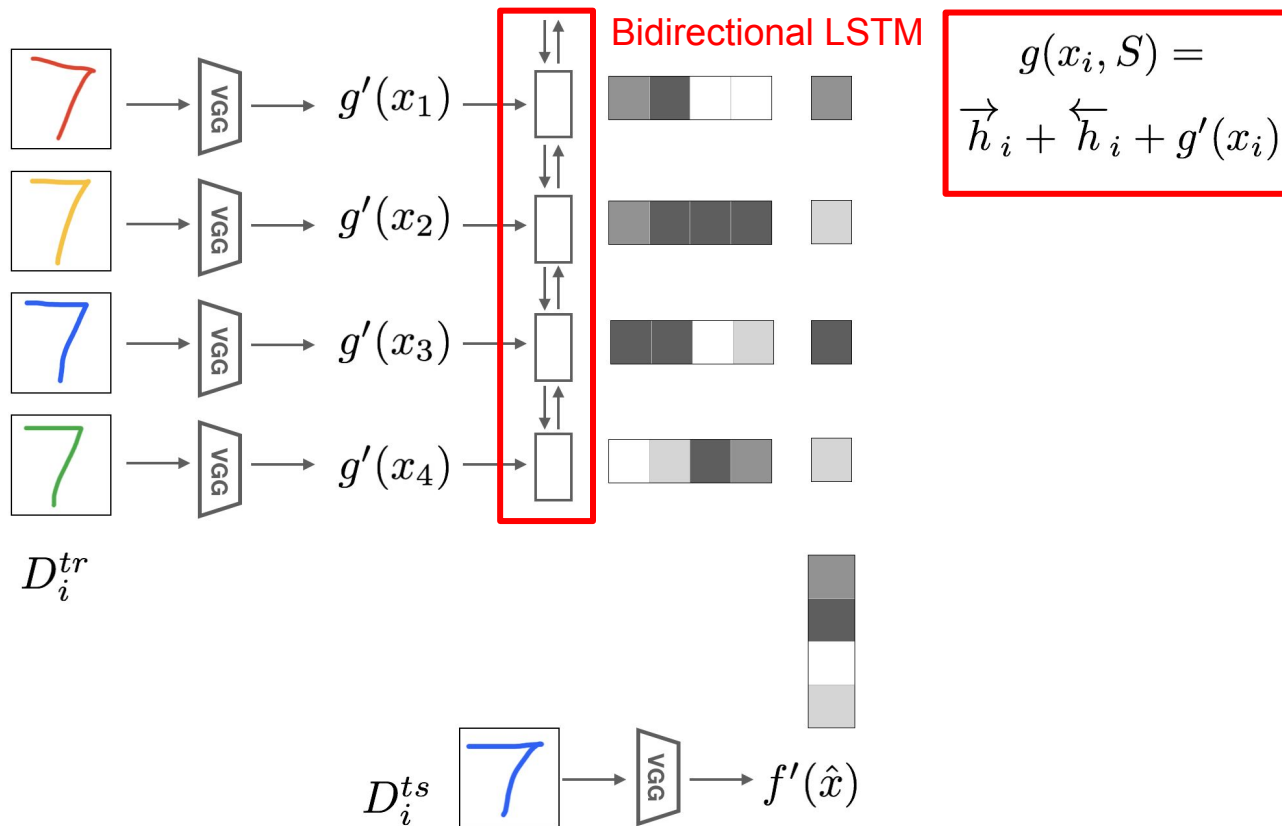
Diagram illustrating the Matching Network's output calculation. The equation is shown with red arrows pointing to its components:

- $a(f'(\hat{x}), g'(x_i))$: cosine distance (e.g.)
- $f'(\hat{x})$: embedding of probe item
- $g'(x_i)$: embedding of example
- y_i : label of example

Background: Matching Networks



Background: Matching Networks



Background: Matching Networks

Desiderata for \hat{x} encoding:

- Depend on embeddings of examples, $g(S)$
- Be able to selectively ignore some examples (e.g. outliers)
- Build invariance to the order of the examples

————→ $\text{attLSTM}(f'(\hat{x}), g(S), K)$

$$\hat{h}_k, c_k = \text{LSTM}(f'(\hat{x}), [h_{k-1}, r_{k-1}], c_{k-1}) \quad (3)$$

$$h_k = \hat{h}_k + f'(\hat{x}) \quad (4)$$

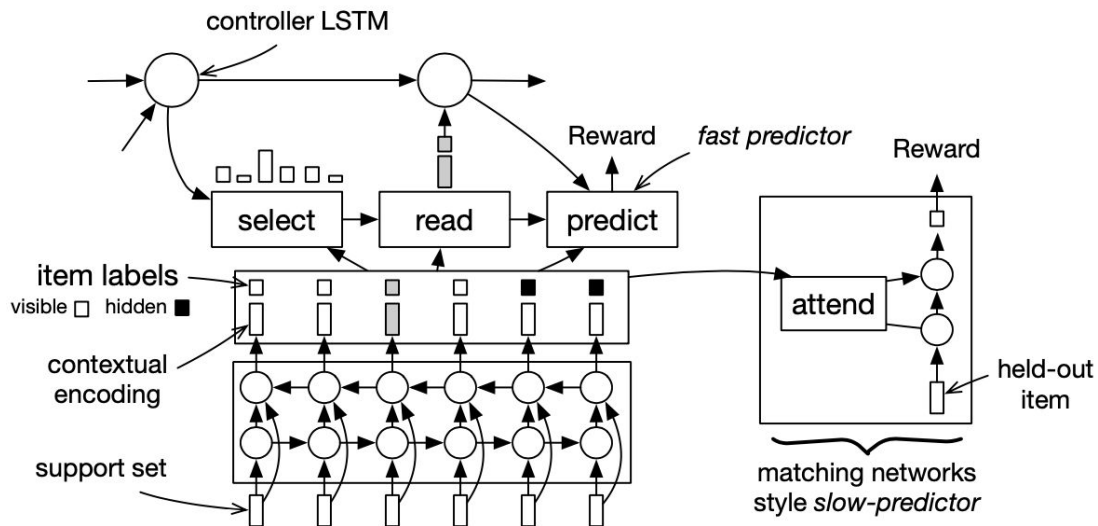
$$r_{k-1} = \sum_{i=1}^{|S|} a(h_{k-1}, g(x_i)) g(x_i) \quad (5)$$

$$a(h_{k-1}, g(x_i)) = \text{softmax}(h_{k-1}^T g(x_i)) \quad (6)$$

Background: Active Learning

- Most real-world settings: many unlabeled examples, few labeled ones
- *Active Learning*: Model requests labels; tries to maximize both task performance and data efficiency
 - E.g. task involving medical imaging: radiologist can label scans by hand, but it's costly
- Instead of using heuristics to select items for which to request labels, Bachman et al. use meta learning to learn an active learning strategy for a given task

Proposed Model: “Active MN”



Algorithm 1 End-to-end active learning loop (for Eq. 3)

- 1: # encode items in S with context-sensitive encoder
 - 2: # and encode items in E with context-free encoder
 - 3: $S = \{(x, y)\}$, $S_0^u = \{(x, \cdot)\}$, $S_0^k = \emptyset$, $E = \{(\hat{x}, \hat{y})\}$
 - 4: **for** $t = 1 \dots T$ **do**
 - 5: # select next instance
 - 6: $i \leftarrow \text{SELECT}(S_{t-1}^u, S_{t-1}^k, h_{t-1})$
 - 7: # read labeled instance and update controller
 - 8: $(x_i, y_i) \leftarrow \text{READ}(S, i)$
 - 9: $h_t \leftarrow \text{UPDATE}(h_{t-1}, x_i, y_i)$
 - 10: # update known / unknown set
 - 11: $S_t^k \leftarrow S_{t-1}^k \cup \{(x_i, y_i)\}$
 - 12: $S_t^u \leftarrow S_{t-1}^u \setminus \{(x_i, \cdot)\}$
 - 13: # perform fast prediction (save loss for training)
 - 14: $L_t^S \leftarrow \text{FAST-PRED}(S, S_t^u, S_t^k, h_t)$
 - 15: **end for**
 - 16: # perform slow prediction (save loss for training)
 - 17: $L_T^E \leftarrow \text{SLOW-PRED}(E, S_T^u, S_T^k, h_T)$
-

Individual Modules

Context Free and Sensitive Encodings

- Gain context by using a bi-directional LSTM over independent encodings

Selection

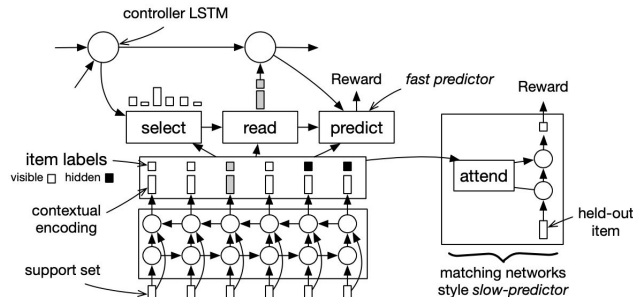
- At each step t , places a distribution P_t^u over all unlabeled items in S_t^u
- P_t^u computed using a gated, linear combination of features that measure controller-item and item-item similarity

Reading

- Concatenates embedding and label for item selected, then applies linear transformation

Controller

- Input: r_t from reading module, and applies LSTM update: $h_t = \text{LSTM}(h_{t-1}, r_t)$



Prediction Rewards

Prediction Reward: $R(E, S_t, h_t) \equiv \sum_{(\hat{x}, \hat{y}) \in E} \log p(\hat{y} | \hat{x}, h_t, S_t)$

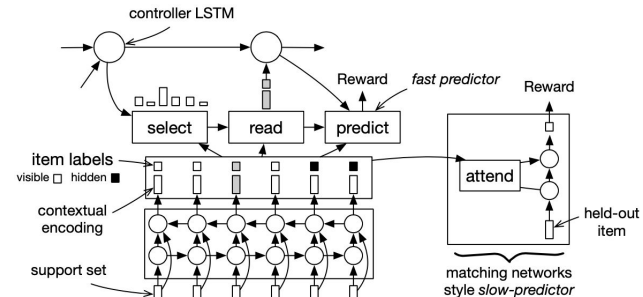
Objective: $\underset{\theta}{\text{maximize}} \mathbb{E}_{(S, E) \sim \mathcal{D}} \left[\mathbb{E}_{\pi(S, T)} \left[\sum_{t=1}^T R(E, S_t, h_t) \right] \right] \longrightarrow \mathbb{E}_{(S, E) \sim \mathcal{D}} \left[\mathbb{E}_{\pi(S, T)} \left[\sum_{t=1}^T \tilde{R}(S_t^u, S_t, h_t) + R(E, S_T, h_T) \right] \right]$

Fast Prediction

- Attention-based prediction for each unlabeled item using cosine sim. to labeled items
 - Sharpened by a non-negative matching score between x_i^u and the control state
- Similarities between context-sensitive embeddings don't change with $t \rightarrow$ can be precomputed

Slow Prediction

- Modified Matching Network prediction
 - Takes into account distinction between labeled and unlabeled items
 - Conditions on active learning control state



Full Algorithm

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 - 8: $(x_i, y_i) \leftarrow \text{READ}(S, i)$
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-

Tasks

Goal: maximize some combination of task performance and data efficiency

Test model on:

- Omniglot
 - 1623 characters from 50 different alphabets
- MovieLens (bootstrapping a recommender system)
 - 20M ratings on 27K movies by 138K users

Experimental Evaluation: Omniglot Baseline Models

1. **Matching Net (random)**
 - a. Choose samples randomly
2. **Matching Net (balanced)**
 - a. Ensure class balance
3. **Minimum-Maximum Cosine Similarity**
 - a. Choose items that are different

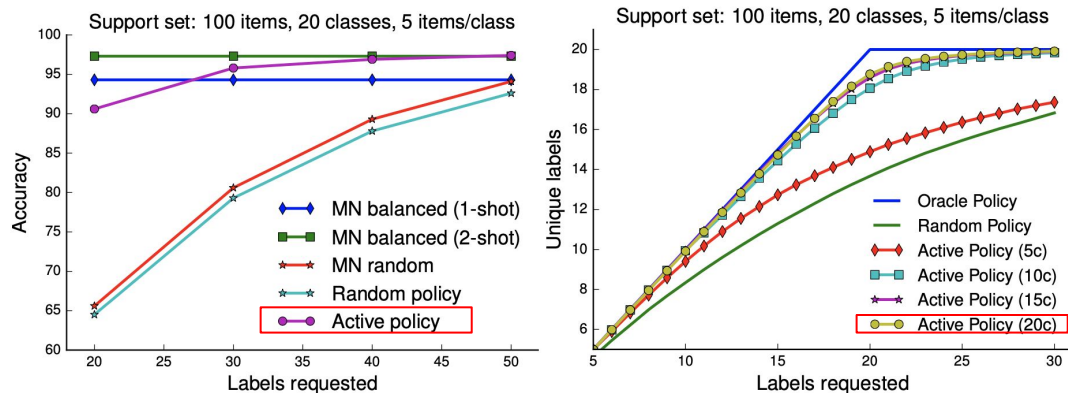
Experimental Evaluation: Omniglot Performance

Table 1. Results for our active learner and baselines for the N -way, K -shot classification settings.

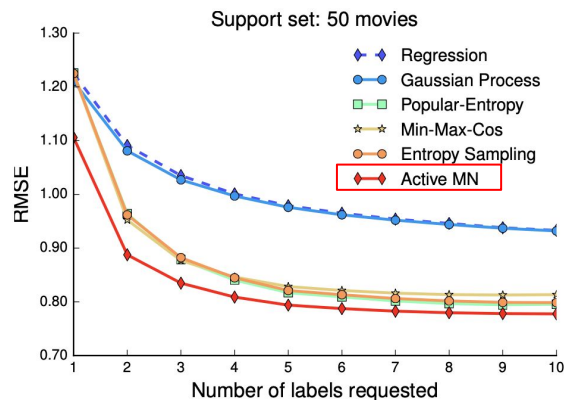
Model	5-way			10-way		
	1-shot	2-shot	3-shot	1-shot	2-shot	3-shot
Matching Net (random)	69.8% \pm 0.10	93.1% \pm 0.07	98.5% \pm 0.04	67.3% \pm 0.10	91.2% \pm 0.06	97.6% \pm 0.06
Matching Net (balanced)	97.9% \pm 0.07	98.9% \pm 0.07	99.2% \pm 0.06	96.5% \pm 0.04	98.3% \pm 0.03	98.7% \pm 0.05
Active MN	97.4% \pm 0.11	99.0% \pm 0.08	99.3% \pm 0.03	94.3% \pm 0.24	98.0% \pm 0.07	98.5% \pm 0.06
Min-Max-Cos	97.4% \pm 0.11	99.3% \pm 0.02	99.4% \pm 0.04	93.5% \pm 0.11	98.4% \pm 0.02	98.8% \pm 0.03

Experimental Evaluation: Data Efficiency

Omniglot
Performance



MovieLens
Performance



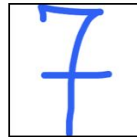
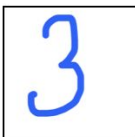
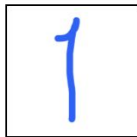
Conclusion

Introduced model that learns active learning algorithms end-to-end.

- Approaches optimistic performance estimate on Omniglot
- Outperforms baselines on MovieLens

Critique/Discussion Points

examples



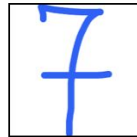
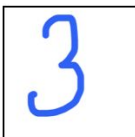
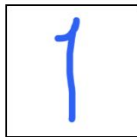
probe



- Controller doesn't condition its label requests on the probe item

Critique/Discussion Points

examples



probe



- Controller doesn't condition its label requests on the probe item
- In Matching Networks, the embeddings of the examples don't depend on the probe item

Critique/Discussion Points

- Active learning is useful in settings where data is expensive to label, but meta-learned active learning requires lots of labeled data for training, even if this labeled data is spread across tasks. Can you think of domains where this is / is not a realistic scenario?

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- Active learning is useful in settings where data is expensive to label, but meta-learned active learning requires lots of labeled data for training, even if this labeled data is spread across tasks. Can you think of domains where this is / is not a realistic scenario?
- In their ablation studies, they observed that taking out the context-sensitive encoder had no significant effect. Are there are applications where you think this encoder could be essential?
- In this work, they didn't experiment with NLP tasks. Are there any NLP tasks you think this approach could help with?