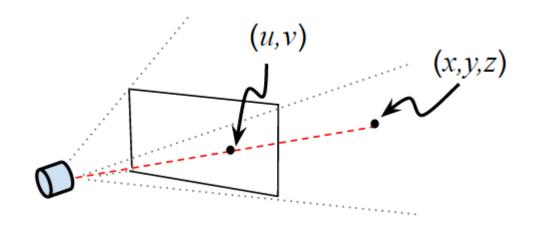
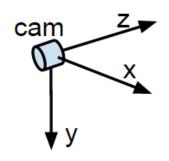
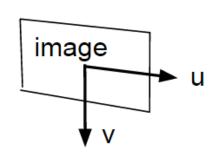
I. Ground Detection

II. RGB-Depth Image Alignment

Preliminaries



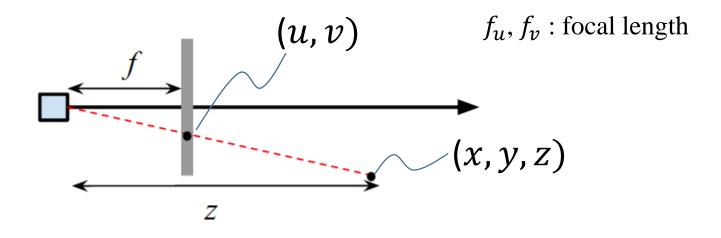




(3D) Camera coordinate frame

(2D) Image coordinate frame

Preliminaries



$$\frac{u}{f_u} = \frac{x}{z} \qquad \qquad \frac{v}{f_v} = \frac{y}{z}$$

Projection of a 3D point on the image plane

Preliminaries

• Plane model in *x-y-z* domain

$$a_0x + a_1y + a_2z + a_3 = 0$$

Projection
$$u = f_u \frac{x}{z}$$
 $v = f_v \frac{y}{z}$

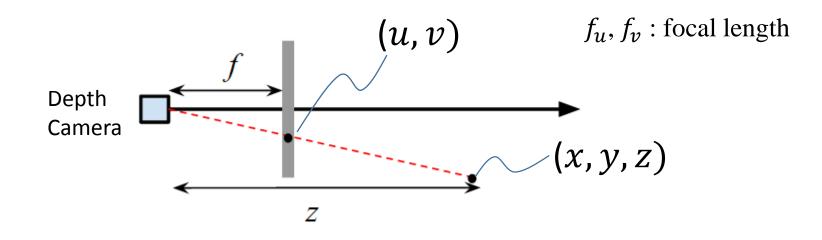
• Can use image (u-v) and inverse depth $(d:=z^{-1})$ domain $a_0'u + a_1'v + a_2' + a_3'd = 0$

I. Ground Detection

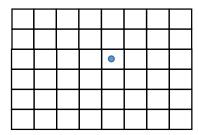
- 1) Aligned Camera
- 2) Rotated Camera

II. RGB-Depth Image Alignment

Understanding Depth Image

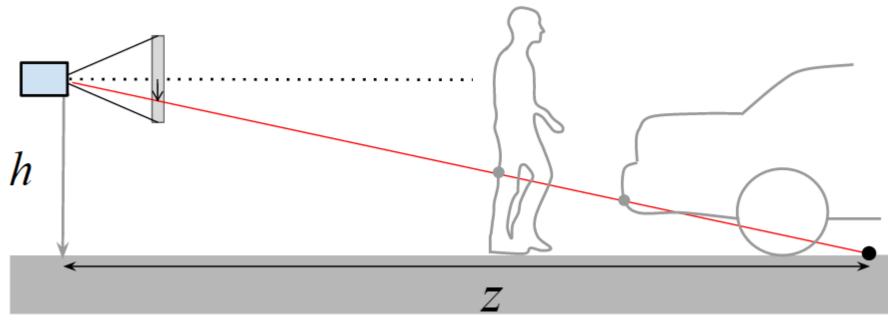


Depth Image



Pixel value at (u,v): z-value of the point in 3D

Ground Detection (1) Aligned Camera



Ground Plane model

$$y = h$$

Projection

$$\frac{v}{f_v} = \frac{y}{z}$$

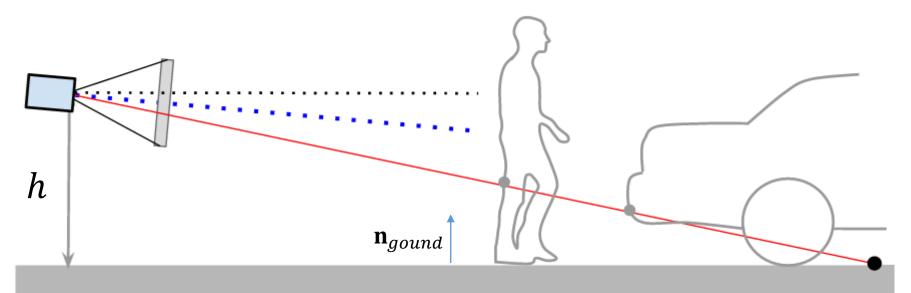
A ground point should satisfy this:

$$\left| \frac{v}{f_v} - \frac{h}{z} \right| < \varepsilon$$

^{*}h,f are constants!

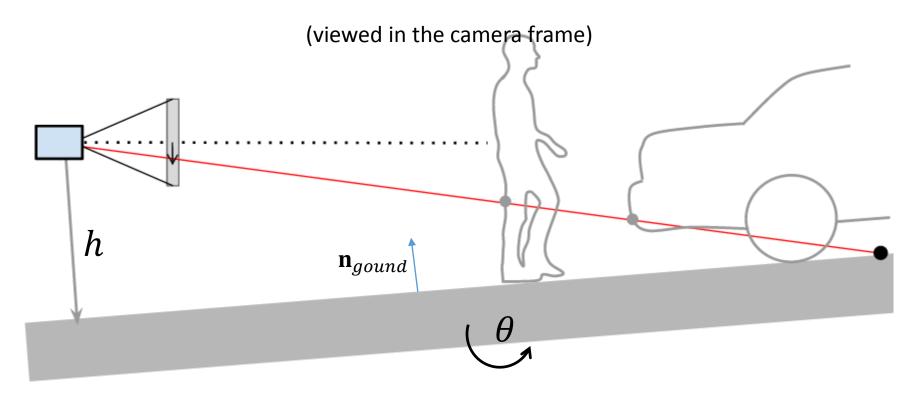
Ground Detection (2) Rotated Camera

(viewed in the global frame)



$$\mathbf{n}_{gound} = \begin{bmatrix} 0 \\ 1 \\ 0 \end{bmatrix}$$

Ground Detection (2) Rotated Camera



Ground Plane model

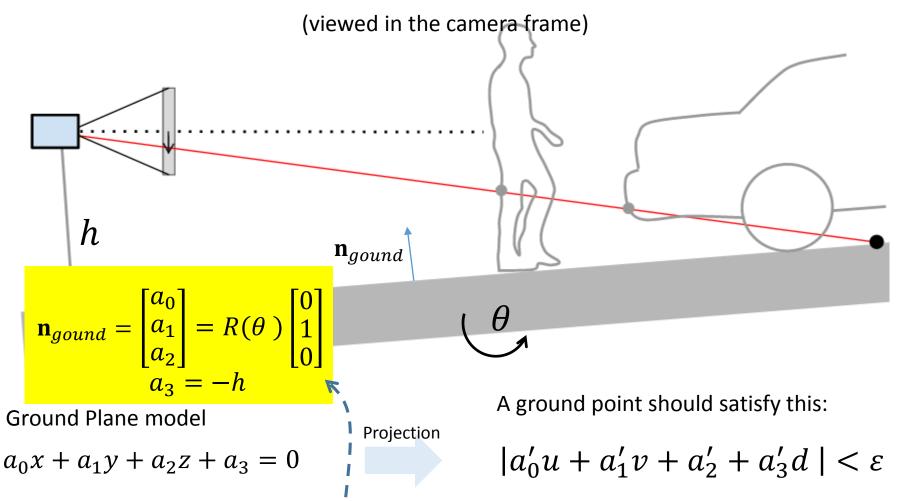
$$a_0 x + a_1 y + a_2 z + a_3 = 0$$

Projection

A ground point should satisfy this:

$$|a_0'u + a_1'v + a_2' + a_3'd| < \varepsilon$$

Ground Detection (2) Rotated Camera



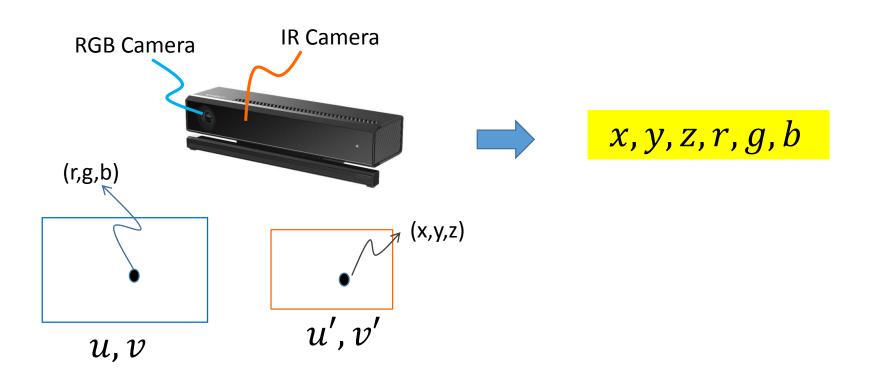
Coefficients are computed from this, where θ is the camera pose.

I. Ground Detection

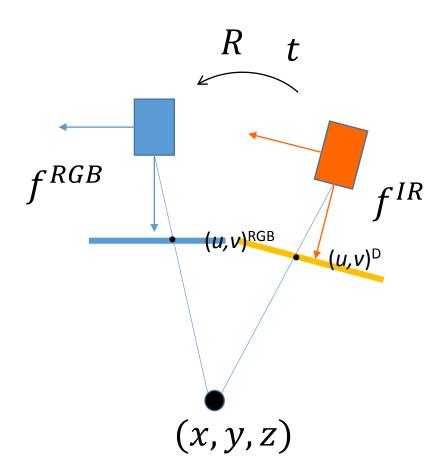
II. RGB-Depth Image Alignment

Aim: we want to obtain the tuple of 3d point and its color.

Issue: RGB images are obtained from the RGB camera, Depth images are from the IR camera. They are physically separated, and have different camera parameters.



Essential Problem: Given all camera parameters(R,t,f), find the corresponding points of a RGB and a depth image.



Recall this:
$$\frac{u}{f_u} = \frac{x}{z}$$

1) Compute the 3d coordinate X^{IR} in IR camera frame

$$x^{IR} = uz/f^{IR} \quad y^{IR} = vz/f^{IR} \qquad \qquad x^{IR} = [x^{IR} \quad y^{IR} \quad z^{IR}]$$

2) Transform into the RGB camera frame

$$X^{RGB} = RX^{IR} + t$$

3) Reproject them on to the image plane

$$u^{RGB} = f^{RGB} \frac{x^{RGB}}{z^{RGB}} \quad v^{RGB} = f^{RGB} \frac{x^{RGB}}{z^{RGB}}$$

4) Read (r,g,b) at $(u,v)^{RGB}$

$$\frac{u}{f_u} = \frac{x}{z}$$

1) Compute the 3d coordinate X^{IR} in IR camera frame

$$x^{IR} = uz/f^{IR}$$
 $y^{IR} = vz/f^{IR}$

$$X^{IR} = \begin{bmatrix} x^{IR} & y^{IR} & z^{IR} \end{bmatrix}$$

2) Transform into the RGB camera frame

$$X^{RGB} = RX^{IR} + t$$

3) Reproject them on to the image plane

$$u^{RGB} = f^{RGB} \frac{x^{RGB}}{z^{RGB}} \quad v^{RGB} = f^{RGB} \frac{x^{RGB}}{z^{RGB}}$$

4) Read (r,g,b) at $(u,v)^{RGB}$

This is the color of this point.