

Effect of Home Cornhusker Games on Public Safety

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Section 1: Getting Started

Introduction:

Lincoln, Nebraska is the home of the Cornhuskers and every fall, Husker football is a huge draw to the city of Lincoln. When there are home football games, Memorial Stadium, which has a seating capacity of 85,458 and has sold out the last 375 games, essentially becomes the third largest city in Nebraska.

In a city of just under 300,000 people, I would like to see what impact, if any, this huge influx of people has on public safety, including crime and traffic incidents.

Research questions:

1. Does crime increase on Husker game weekends compared to non-game weekends?
2. Do traffic incidents increase on game weekends compared to non-game weekends?

If yes to 1 or 2:

- Which day of the week has the largest change from baseline?
- Does game time have an impact (morning or evening game)?
- Is there a difference in before-game vs after-game?
- Does the opposing team have an impact?
- Is there an opposite effect on away-game weeks when many people travel to watch the game?

Approach:

I plan to look at several years of crime and traffic data (at least 2017-2019) as well as Husker football game date and time information to generate crime and traffic incident baselines for non-Husker home game weeks and compare the baselines to Husker home game weeks to evaluate for any effect.

How this approach addresses the problem:

This approach will be exploratory in nature, in an effort to determine whether there is a corresponding increase in crime and traffic incidences alongside the increase in individuals to the city.

Data:

All datasets were obtained through the Open Data and Performance Management page for the City of Lincoln.

Files:

- LPD_2013_2020_Arrests_and_Citations_De_Coded.csv
- LPD_2017_2020_Incident_Reports.csv
- LPD_Traffic_Crashes_2013_2020.csv

Traffic Stops may also be considered, though those .csv files are compiled by individual year.

All data was created by the Lincoln Police Department and compiled via the LPD Records Management System. The Incident Report data has 25 variables and 116,263 observations. When loading this dataset, there were 50 parsing failures, so I will have to investigate and see if I can solve the issue, or just exclude those data points if I can't. The Traffic Crashes data has 18 variables and 24,500 observations, and the Arrests and Citations data has 366,000 observations of 18 variables.

The meaning of many of the variables is unclear, but I will primarily be looking at total incidences and the dates and times on which they occurred. I will need to find or generate my own dataset with the dates and times of the Cornhusker football games, whether they were home or away, and who they played. I will also need to convert to a common date time format between files in order to perform the analysis.

Required packages:

The following packages will be needed

- readr
- ggplot2
- lubridate
- dplyr
- hmisc
- car

Plots and table needs:

A chart of incidents over time (perhaps by week) could be useful to illustrate whether there are spikes on game weeks. If there is an increase in incidents on game weeks, bar charts showing the average increase by opposing team, day of the week, pre- or post-game, or any other correlations that reveal themselves during analysis.

Questions for future steps:

I will need a refresher on converting dates to a common format as well as a way to compare the date ranges between datasets.

One thing that I would like to learn more about is creating my own functions. Perhaps I will get a chance to do that within the scope of this project.

Section 2: Cleaning Data and Exploratory Data Analysis

```

# Load game data
Huskers_2019 <- read_csv("data/Huskers_2019.csv")
Huskers_2018 <- read_csv("data/Huskers_2018.csv")
Huskers_2017 <- read_csv("data/Huskers_2017.csv")
Huskers_2016 <- read_csv("data/Huskers_2016.csv")
Huskers_2015 <- read_csv("data/Huskers_2015.csv")
Huskers_2014 <- read_csv("data/Huskers_2014.csv")
Huskers_2013 <- read_csv("data/Huskers_2013.csv")

# Combine data
Husker_games <- rbind(Huskers_2013, Huskers_2014, Huskers_2015, Huskers_2016,
                      Huskers_2017, Huskers_2018, Huskers_2019)

# Remove ranking from school names
Husker_games$School <- gsub("[[:digit:]]", "", Husker_games$School)
Husker_games$School <- gsub("[[:punct:]]+[[:punct:]] ", "", Husker_games$School)
Husker_games$Opponent <- gsub("[[:digit:]]", "", Husker_games$Opponent)
Husker_games$Opponent <- gsub("[[:punct:]]+[[:punct:]] ", "",
                             Husker_games$Opponent)

# Rename unnamed columns
names(Husker_games)[6] <- "Location"
names(Husker_games)[9] <- "Win"

# Convert W/L and NA/@ to 1/0
Husker_games$Location[is.na(Husker_games$Location)] <- "Home"
Husker_games$Location[Husker_games$Location=="@"] <- "Away"

# Remove extra columns
Husker_games <- Husker_games[c("Date", "Time", "Day", "School", "Location",
                              "Opponent", "Win")]

# Convert dates
Husker_games$Date <- mdy(Husker_games$Date)
Husker_games$Day <- wday(Husker_games$Date, label = TRUE)

# Keep only months: Sept, Oct, Nov
Husker_games <- Husker_games[month(Husker_games$Date) >= 9 &
                             month(Husker_games$Date) <= 11, ]

# Convert character variables to factors
Husker_games$Day <- as.factor(Husker_games$Day)
Husker_games$Location <- as.factor(Husker_games$Location)
Husker_games$Opponent <- as.factor(Husker_games$Opponent)
Husker_games$Win <- as.factor(Husker_games$Win)

# Add Year and Week columns & Rearrange Columns
Husker_games$Year <- year(Husker_games$Date)
Husker_games$Week <- isoweek(Husker_games$Date)
Husker_games <- Husker_games[c("Date", "Time", "Year", "Week", "Day",
                              "Location", "School", "Opponent", "Win")]

# Cleanup

```

```
rm(Huskers_2013, Huskers_2014, Huskers_2015, Huskers_2016, Huskers_2017,
   Huskers_2018, Huskers_2019)
```

Arrests and Citations

```
arr_cit_13 <- read_csv("data/LPD_arrests_and_citations_2013.csv")
arr_cit_14 <- read_csv("data/LPD_arrests_and_citations_2014.csv")
arr_cit_15 <- read_csv("data/LPD_arrests_and_citations_2015.csv")
arr_cit_16 <- read_csv("data/LPD_arrests_and_citations_2016.csv")
arr_cit_17 <- read_csv("data/LPD_arrests_and_citations_2017.csv")
arr_cit_18 <- read_csv("data/LPD_arrests_and_citations_2018.csv")
arr_cit_19 <- read_csv("data/LPD_arrests_and_citations_2019.csv")
```

Incident Reports

```
incidents_2017_2020 <- read_csv("data/LPD_2017_2020_Incident_Reports.csv")
incidents_2016 <- read_csv("data/LPD_Incident_Reports_2016.csv")
incidents_2015 <- read_csv("data/LPD_Incident_Reports_2015.csv")
incidents_2014 <- read_csv("data/LPD_Incident_Reports_2014.csv")
incidents_2013 <- read_csv("data/LPD_Incident_Reports_2013.csv")
```

Traffic Crashes

```
Trf_Crash_13 <- read_csv("data/Traffic_Crashes_2013.csv")
Trf_Crash_14 <- read_csv("data/Traffic_Crashes_2014.csv")
Trf_Crash_15 <- read_csv("data/Traffic_Crashes_2015.csv")
Trf_Crash_16 <- read_csv("data/Traffic_Crashes_2016.csv")
Trf_Crash_17 <- read_csv("data/Traffic_Crashes_2017.csv")
Trf_Crash_18 <- read_csv("data/Traffic_Crashes_2018.csv")
Trf_Crash_19 <- read_csv("data/Traffic_Crashes_2019.csv")
```

Traffic Stops

```
Trf_Stop_13 <- read_csv("data/LPD_traffic_stops_2013.csv")
Trf_Stop_14 <- read_csv("data/LPD_traffic_stops_2014.csv")
Trf_Stop_15 <- read_csv("data/LPD_traffic_stops_2015.csv")
Trf_Stop_16 <- read_csv("data/LPD_traffic_stops_2016.csv")
Trf_Stop_17 <- read_csv("data/LPD_traffic_stops_2017.csv")
Trf_Stop_18 <- read_csv("data/LPD_traffic_stops_2018.csv")
Trf_Stop_19 <- read_csv("data/LPD_traffic_stops_2019.csv")
```

ARRESTS AND CITATIONS

Remove / rename columns and merge

```
names(arr_cit_18)[15] <- "FID"
a_c.13_18 <- rbind(arr_cit_13, arr_cit_14, arr_cit_15, arr_cit_16, arr_cit_17,
                  arr_cit_18)
a_c.13_18 <- a_c.13_18[c("CHARGED", "VDAT", "VTIM")]
arr_cit_19 <- arr_cit_19[c("CHARGED", "VDAT", "VTIM")]
a_c.13_19 <- rbind(a_c.13_18, arr_cit_19)
names(a_c.13_19)[1:3] <- c("Charge", "Date", "Time")
# Parse dates & times
a_c.13_19$Date <- parse_date(a_c.13_19$Date, "%Y/%m/%d %H:%M:%S+00")
a_c.13_19$Time <- str_pad(a_c.13_19$Time, 4, pad = "0")
a_c.13_19$Time <- parse_time(a_c.13_19$Time, "%H%M")
# Remove all but Sep, Oct, Nov
a_c.13_19 <- a_c.13_19[month(a_c.13_19$Date) >= 9 & month(a_c.13_19$Date) <= 11, ]
# Remove dates before 2013 or after 2019
```

```

a_c.13_19 <- a_c.13_19[year(a_c.13_19$Date) >= 2013 & year(a_c.13_19$Date) <= 2019, ]
# Remove NAs
a_c.13_19 <- na.omit(a_c.13_19)
# Day of week column
a_c.13_19$Day <- wday(a_c.13_19$Date, label = TRUE)

## INCIDENT REPORTS
# 2017-2020 data set:
# Remove / Rename columns
inc.17_20 <- incidents_2017_2020[c("CALL_TYPE", "From_Date", "From_Time")]
names(inc.17_20)[1:3] <- c("Type", "Date", "Time")
# Parse dates
inc.17_20$Date <- ymd(inc.17_20$Date)
# 2015 & 2016 data sets:
inc.15_16 <- rbind(incidents_2015, incidents_2016)
# Remove / Rename columns
inc.15_16 <- inc.15_16[c("CALL_TYPE", "DATE_FROM", "TIME_FROM")]
names(inc.15_16)[1:3] <- c("Type", "Date", "Time")
# Parse dates
inc.15_16$Date <- parse_date(inc.15_16$Date, "%Y/%m/%d %H:%M:%S+00")
# 2013 & 2014 data sets:
inc.13_14 <- rbind(incidents_2013, incidents_2014)
# Remove / Rename columns
inc.13_14 <- inc.13_14[c("CALL_TYPE", "DATE_FROM", "TIME_FROM")]
names(inc.13_14)[1:3] <- c("Type", "Date", "Time")
# Parse dates
inc.13_14$Date <- mdy(inc.13_14$Date)
# Combine data sets (2013-2020):
inc.13_20 <- rbind(inc.13_14, inc.15_16, inc.17_20)
# Parse times
inc.13_20$Time <- str_pad(inc.13_20$Time, 4, pad = "0")
inc.13_20$Time <- parse_time(inc.13_20$Time, "%H%M")
# Remove all but Sep, Oct, Nov
inc.13_20 <- inc.13_20[month(inc.13_20$Date) >= 9 & month(inc.13_20$Date) <= 11, ]
# Remove dates before 2013 or after 2019
inc.13_19 <- inc.13_20[year(inc.13_20$Date) >= 2013 & year(inc.13_20$Date) <= 2019, ]
# Remove NAs
inc.13_19 <- na.omit(inc.13_19)
# Add Day of week column
inc.13_19$Day <- wday(inc.13_19$Date, label = TRUE)

## TRAFFIC CRASHES
# Rename columns and merge
names(Trf_Crash_18)[16] <- "FID"
names(Trf_Crash_19)[16] <- "FID"
t_c.13_18 <- rbind(Trf_Crash_13, Trf_Crash_14, Trf_Crash_15, Trf_Crash_16,
                  Trf_Crash_17, Trf_Crash_18)
# Format dates and merge
t_c.13_18$DOA <- parse_date(t_c.13_18$DOA, "%Y/%m/%d %H:%M:%S+00")
Trf_Crash_19$DOA <- as.POSIXct(Trf_Crash_19$DOA/1000, origin = "1970-01-01")
Trf_Crash_19$DOA <- as.character(Trf_Crash_19$DOA)
Trf_Crash_19$DOA <- parse_date(Trf_Crash_19$DOA, "%Y-%m-%d %H:%M:%S")
t_c.13_19 <- rbind(t_c.13_18, Trf_Crash_19)

```

```

# Remove / Rename columns
t_c.13_19 <- t_c.13_19[c("TYPE", "ACTION", "PED", "BIKE", "MC", "MOPED", "TRAIN",
                        "TRUCK", "BUS", "DOA", "TOA")]
names(t_c.13_19)[1:11] <- c("Type", "Action", "Pedestrian", "Bike", "Motorcycle",
                          "Moped", "Train", "Truck", "Bus", "Date", "Time")

# Remove all but Sep, Oct, Nov
t_c.13_19 <- t_c.13_19[month(t_c.13_19$Date) >= 9 & month(t_c.13_19$Date) <= 11, ]
# Remove dates before 2013 or after 2019
t_c.13_19 <- t_c.13_19[year(t_c.13_19$Date) >= 2013 & year(t_c.13_19$Date) <= 2019, ]
# Parse times
t_c.13_19$Time <- str_pad(t_c.13_19$Time, 4, pad = "0")
t_c.13_19$Time <- parse_time(t_c.13_19$Time, "%H%M")
# Remove NAs
t_c.13_19 <- na.omit(t_c.13_19)
# Add Day of week column
t_c.13_19$Day <- wday(t_c.13_19$Date, label = TRUE)

## TRAFFIC STOPS
# Rename columns and merge
names(Trf_Stop_14)[4] <- "SEX"
names(Trf_Stop_18)[8] <- "FID"
t_s.13.16 <- rbind(Trf_Stop_13, Trf_Stop_16)
t_s.14_15 <- rbind(Trf_Stop_14, Trf_Stop_15)
t_s.17_19 <- rbind(Trf_Stop_17, Trf_Stop_18, Trf_Stop_19)
# Parse times and merge
t_s.13.16$TIME <- parse_time(t_s.13.16$TIME)
t_s.14_15$TIME <- parse_time(t_s.14_15$TIME, "%Y/%M/%D %H:%M:%S+00")
t_s.17_19$TIME <- gsub(":XX", "", t_s.17_19$TIME)
t_s.17_19$TIME <- parse_time(t_s.17_19$TIME, "%H:%M")
t_s.13_19 <- rbind(t_s.13.16, t_s.14_15, t_s.17_19)
# Remove / Rename columns
t_s.13_19 <- t_s.13_19[c("REASON", "DATE", "TIME")]
names(t_s.13_19)[1:3] <- c("Reason", "Date", "Time")
# Parse dates
t_s.13_19$Date <- parse_date(t_s.13_19$Date, "%Y/%m/%d %H:%M:%S+00")
# Remove all but Sep, Oct, Nov
t_s.13_19 <- t_s.13_19[month(t_s.13_19$Date) >= 9 & month(t_s.13_19$Date) <= 11, ]
# Remove dates before 2013 or after 2019
t_s.13_19 <- t_s.13_19[year(t_s.13_19$Date) >= 2013 & year(t_s.13_19$Date) <= 2019, ]
# Remove NAs
t_s.13_19 <- na.omit(t_s.13_19)
# Add Day of week column
t_s.13_19$Day <- wday(t_s.13_19$Date, label = TRUE)

## CLEANUP
rm(arr_cit_13, arr_cit_14, arr_cit_15, arr_cit_16, arr_cit_17, arr_cit_18, arr_cit_19)
rm(a_c.13_18)
rm(incidents_2017_2020, incidents_2016, incidents_2015, incidents_2014, incidents_2013)
rm(inc.17_20, inc.15_16, inc.13_14, inc.13_20)
rm(Trf_Crash_13, Trf_Crash_14, Trf_Crash_15, Trf_Crash_16, Trf_Crash_17,
    Trf_Crash_18, Trf_Crash_19)
rm(t_c.13_18)

```

```
rm(Trf_Stop_13, Trf_Stop_14, Trf_Stop_15, Trf_Stop_16, Trf_Stop_17, Trf_Stop_18,
    Trf_Stop_19)
rm(t_s.13.16, t_s.14_15, t_s.17_19)
```

```
# Add Yr-Week columns to data sets
Husker_games$Yr_Wk <- paste(year(Husker_games$Date), isoweek(Husker_games$Date),
                             sep = "-")
a_c.13_19$Yr_Wk <- paste(year(a_c.13_19$Date), isoweek(a_c.13_19$Date), sep = "-")
inc.13_19$Yr_Wk <- paste(year(inc.13_19$Date), isoweek(inc.13_19$Date), sep = "-")
t_c.13_19$Yr_Wk <- paste(year(t_c.13_19$Date), isoweek(t_c.13_19$Date), sep = "-")
t_s.13_19$Yr_Wk <- paste(year(t_s.13_19$Date), isoweek(t_s.13_19$Date), sep = "-")
# Add total occurrences for Public Safety Incidents by week to Husker data
a_c.occure <- table(unlist(a_c.13_19$Yr_Wk))
Husker_games$A_C <- a_c.occure[Husker_games$Yr_Wk]
Inc.occure <- table(unlist(inc.13_19$Yr_Wk))
Husker_games$Inc <- Inc.occure[Husker_games$Yr_Wk]
t_c.occure <- table(unlist(t_c.13_19$Yr_Wk))
Husker_games$T_C <- t_c.occure[Husker_games$Yr_Wk]
t_s.occure <- table(unlist(t_s.13_19$Yr_Wk))
Husker_games$T_S <- t_s.occure[Husker_games$Yr_Wk]
# Convert new columns to numeric
Husker_games$A_C <- as.numeric(Husker_games$A_C)
Husker_games$Inc <- as.numeric(Husker_games$Inc)
Husker_games$T_C <- as.numeric(Husker_games$T_C)
Husker_games$T_S <- as.numeric(Husker_games$T_S)
# Add column for Total Incidents
Husker_games$Tot_Inc <- rowSums(Husker_games[c("A_C", "Inc", "T_C", "T_S")])
# Cleanup
rm(a_c.occure, Inc.occure, t_c.occure, t_s.occure)
```

"Game Data"

```
## [1] "Game Data"
```

```
head(Husker_games)
```

```
## # A tibble: 6 x 15
##   Date      Time    Year Week Day  Location School Opponent Win  Yr_Wk  A_C
##   <date>   <time> <dbl> <dbl> <ord> <fct>   <chr>   <fct>   <fct> <chr> <dbl>
## 1 2013-09-07 18:00  2013   36 Sat   Home    Nebra~ Souther~ W    2013~ 1404
## 2 2013-09-14 12:00  2013   37 Sat   Home    Nebra~ UCLA     L    2013~ 1415
## 3 2013-09-21 15:30  2013   38 Sat   Home    Nebra~ South D~ W    2013~ 1290
## 4 2013-10-05 12:00  2013   40 Sat   Home    Nebra~ Illinois W    2013~ 1306
## 5 2013-10-12 12:00  2013   41 Sat   Away    Nebra~ Purdue  W    2013~ 1216
## 6 2013-10-26 12:00  2013   43 Sat   Away    Nebra~ Minneso~ L    2013~ 1122
## # ... with 4 more variables: Inc <dbl>, T_C <dbl>, T_S <dbl>, Tot_Inc <dbl>
```

"Arrests and Citations"

```
## [1] "Arrests and Citations"
```

```
head(a_c.13_19)
```

```
## # A tibble: 6 x 5
##   Charge                                Date      Time  Day  Yr_Wk
##   <chr>                                <date>    <time> <ord> <chr>
## 1 DUI-2ND >.15                        2013-09-01 00:47  Sun  2013-35
## 2 NEGLIGENT DRIVING                   2013-09-01 00:47  Sun  2013-35
## 3 DISTURBING THE PEACE                 2013-09-01 02:44  Sun  2013-35
## 4 POSS MARIJ,1 OZ/LESS OR SYNTHETIC MARIJ-1ST 2013-09-01 02:44  Sun  2013-35
## 5 POSS MARIJ,1 OZ/LESS OR SYNTHETIC MARIJ-1ST 2013-09-01 02:50  Sun  2013-35
## 6 ARRESTED ON COUNTY BENCH WARRANT      2013-09-01 08:18  Sun  2013-35
```

```
"Incident Reports"
```

```
## [1] "Incident Reports"
```

```
head(inc.13_19)
```

```
## # A tibble: 6 x 5
##   Type      Date      Time  Day  Yr_Wk
##   <chr>    <date>    <time> <ord> <chr>
## 1 SEX OFF  2013-11-01 00:01  Fri  2013-44
## 2 SEX OFF  2013-11-01 00:01  Fri  2013-44
## 3 SUSP ITEM 2013-09-11 08:00  Wed  2013-37
## 4 STALKING  2013-11-12 07:00  Tue  2013-46
## 5 SELL NARCO 2013-09-19 20:35  Thu  2013-38
## 6 SUSP ITEM 2013-10-07 12:00  Mon  2013-41
```

```
"Traffic Crashes"
```

```
## [1] "Traffic Crashes"
```

```
head(t_c.13_19)
```

```
## # A tibble: 6 x 13
##   Type  Action      Pedestrian Bike  Motorcycle Moped Train Truck Bus  Date
##   <chr> <chr>    <chr>      <chr> <chr>      <chr> <chr> <chr> <chr> <date>
## 1 INJURY REAR END    NO        NO    YES        NO    NO    NO    NO    2013-11-16
## 2 INJURY DRIVEWAY    NO        NO    YES        NO    NO    YES   NO    2013-11-29
## 3 INJURY OTHER       NO        YES   YES        NO    NO    NO    NO    2013-10-10
## 4 INJURY RIGHT ANGLE NO        YES   NO        NO    NO    NO    NO    2013-09-02
## 5 INJURY OTHER       YES       NO    YES        NO    NO    NO    NO    2013-10-01
## 6 INJURY DRIVEWAY    NO        YES   NO        NO    NO    NO    NO    2013-09-02
## # ... with 3 more variables: Time <time>, Day <ord>, Yr_Wk <chr>
```

```
"Traffic Stops"
```

```
## [1] "Traffic Stops"
```



```
head(t_s.13_19)
```

```
## # A tibble: 6 x 5
##   Reason Date       Time   Day   Yr_Wk
##   <dbl> <date>      <time> <ord> <chr>
## 1     1 2013-09-02 03:07  Mon   2013-36
## 2     1 2013-09-01 02:30  Sun   2013-35
## 3     2 2013-09-01 02:36  Sun   2013-35
## 4     1 2013-09-02 03:50  Mon   2013-36
## 5     1 2013-09-02 18:25  Mon   2013-36
## 6     1 2013-09-03 08:11  Tue   2013-36
```

Section 3: Final Project

NOTE: Variables for the Public Safety data are defined as follows:

- **A_C**: Arrests and Citations
- **Inc**: Incident Reports completed
- **T_C**: Traffic Crashes reported
- **T_S**: Traffic (and Pedestrian) Stop records

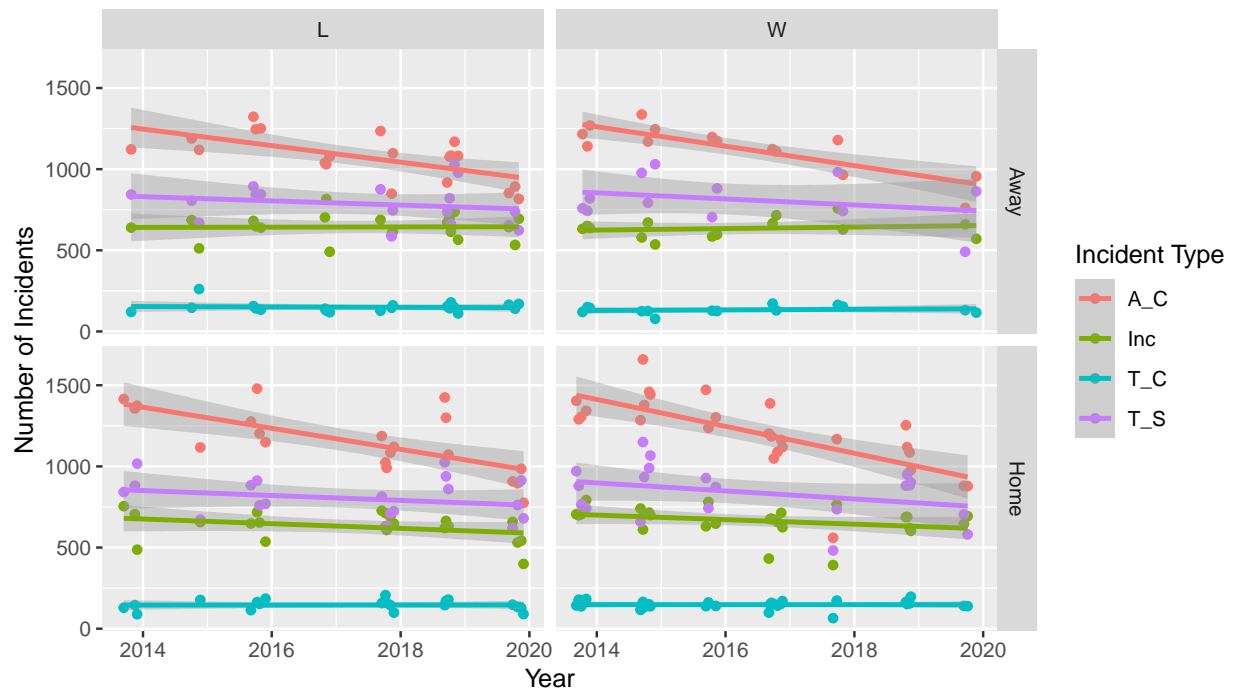
```
# Melt Police data columns to long format
H_G.long <- melt(Husker_games, id = c("Date", "Year", "Week", "Day", "Time", "School",
                                     "Location", "Opponent", "Win", "Yr_Wk", "Tot_Inc"),
               measured = c("A_C", "Inc", "T_C", "T_S"))
# Code Win and Location variables to 0s and 1s
H_G.coded <- Husker_games
H_G.coded$Location <- as.numeric(as.factor(H_G.coded$Location))-1
H_G.coded$Win <- as.numeric(as.factor(H_G.coded$Win))-1
```

Once the data was cleaned, I still needed to work with some of it in different ways. To that end, I created a couple additional data frames. In one, *H_G.long*, I took the Public Safety totals that I had added to my Husker Games data set from each category and “melted” them into just two columns, represented by “variable” and “value”. This helped in creating charts that included all four categories instead of working with them individually.

The other data set, *H_G.coded*, I created from the Husker Games dataset by converting some of the character variables, such as Location (Home/Away) and Win (W/L) to binary 1’s and 0’s so that I could run correlation with them. Once set up, I started playing around with different ways to visualize and explore the data:

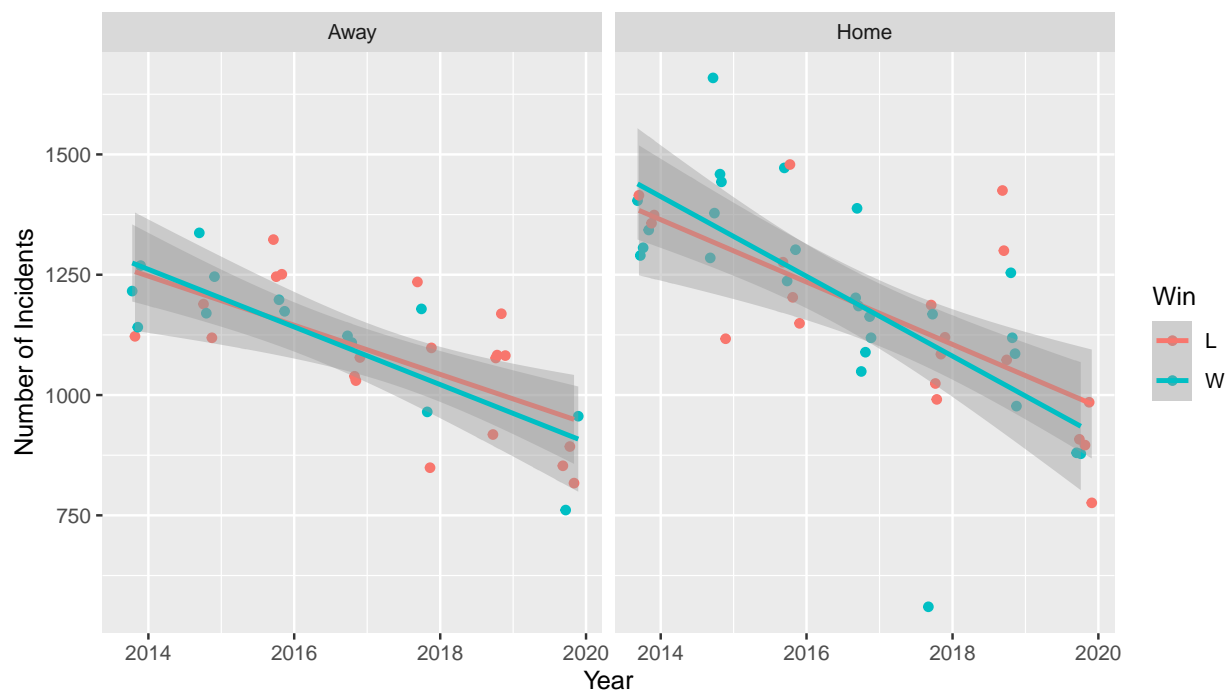
```
# SCATTERPLOT: Shows change over time for variables, faceted by W/L & Home/Away; shows all steady or de
ggplot(H_G.long, aes(x = Date, y = value, color = variable)) + geom_point() +
  geom_smooth(method = lm) + facet_grid(Location ~ Win) +
  labs(title = "Public Safety Incidents Over Time", x = "Year",
       y = "Number of Incidents", color = "Incident Type")
```

Public Safety Incidents Over Time

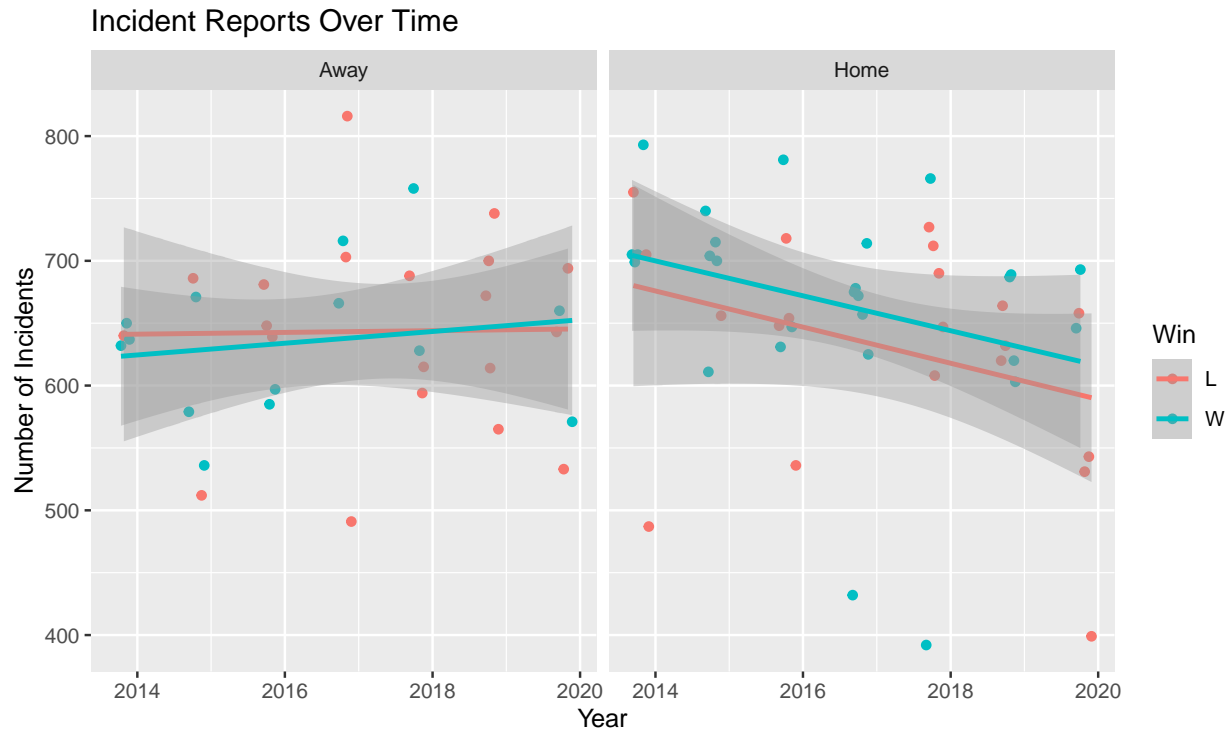


```
# SCATTERPLOT: Compares Win/Loss over time for each variable, faceted by Home/Away; for the most part W
ggplot(Husker_games, aes(x = Date, y = A_C, color = Win)) + geom_point() +
  geom_smooth(method = lm) + facet_wrap(~ Location) +
  labs(title = "Arrests and Citations Over Time", x = "Year",
        y = "Number of Incidents")
```

Arrests and Citations Over Time



```
ggplot(Husker_games, aes(x = Date, y = Inc, color = Win)) + geom_point() +
  geom_smooth(method = lm) + facet_wrap(~ Location) +
  labs(title = "Incident Reports Over Time", x = "Year",
        y = "Number of Incidents")
```



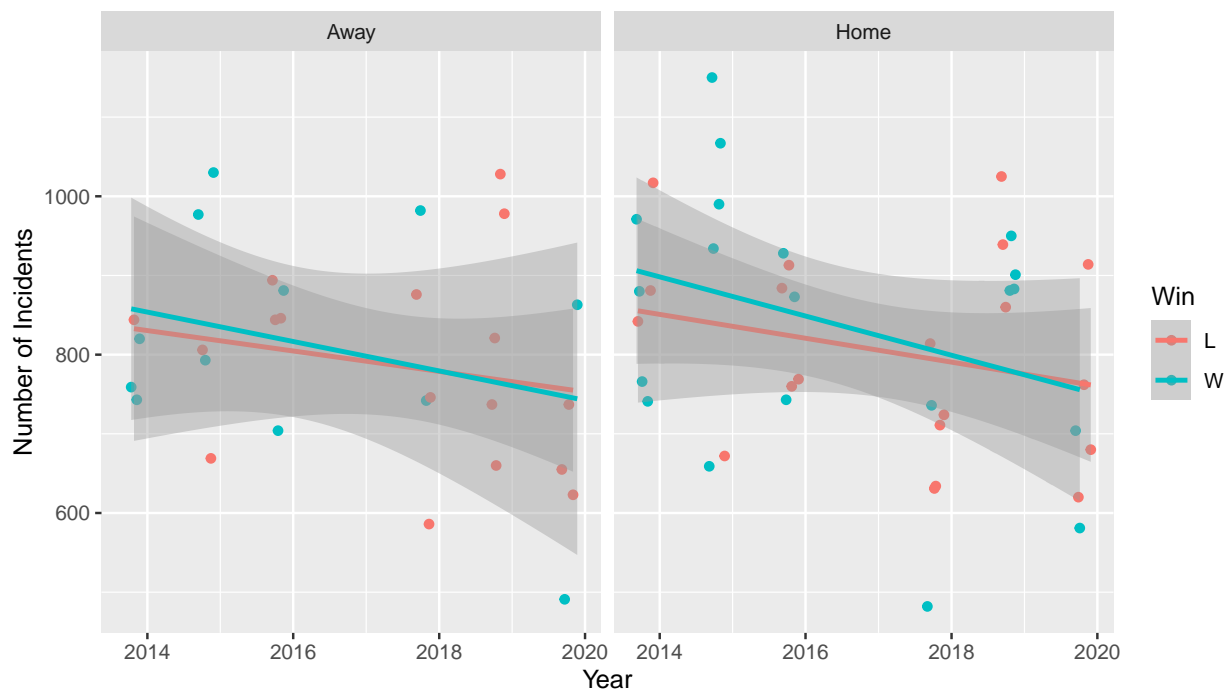
```
ggplot(Husker_games, aes(x = Date, y = T_C, color = Win)) + geom_point() +
  geom_smooth(method = lm) + facet_wrap(~ Location) +
  labs(title = "Traffic Crashes Over Time", x = "Year",
        y = "Number of Incidents")
```

Traffic Crashes Over Time



```
ggplot(Husker_games, aes(x = Date, y = T_S, color = Win)) + geom_point() +
  geom_smooth(method = lm) + facet_wrap(~ Location) +
  labs(title = "Traffic Stops Over Time", x = "Year",
        y = "Number of Incidents")
```

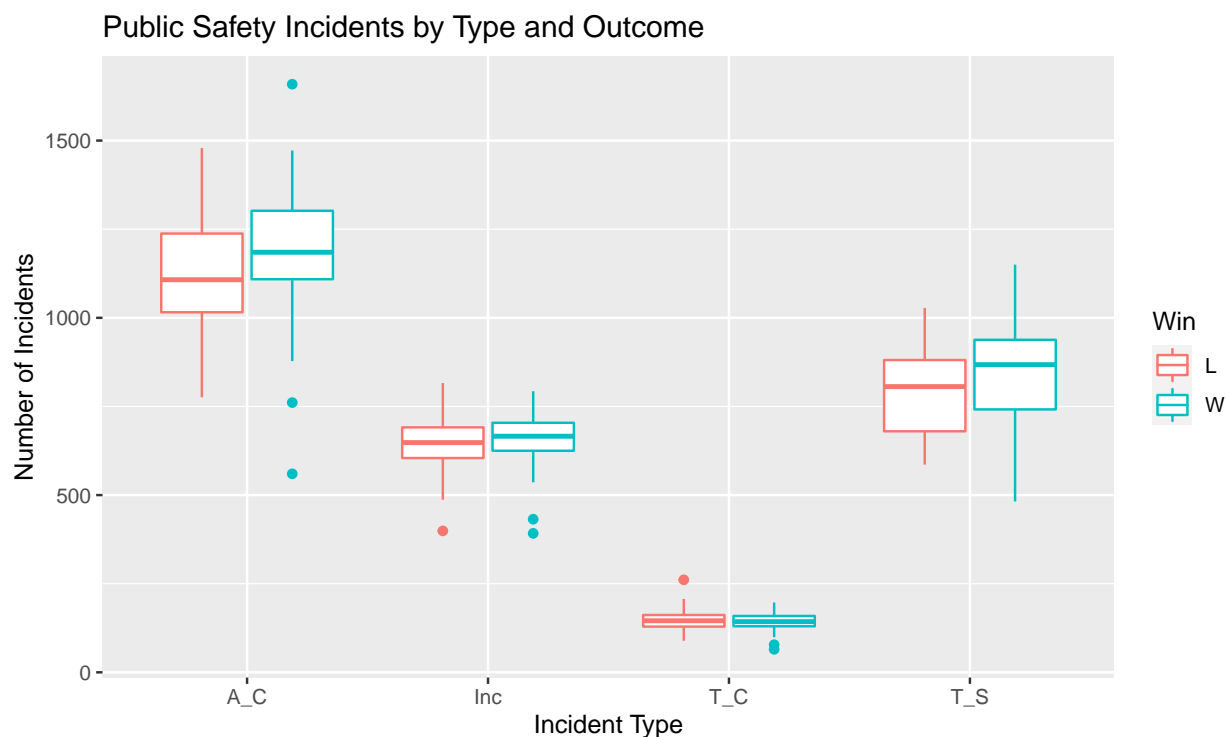
Traffic Stops Over Time



The first chart, with all four variables shows that for both Wins and Losses, Home and Away games, that Public Safety incidents are either generally remaining steady or decreasing over time, which is good news!

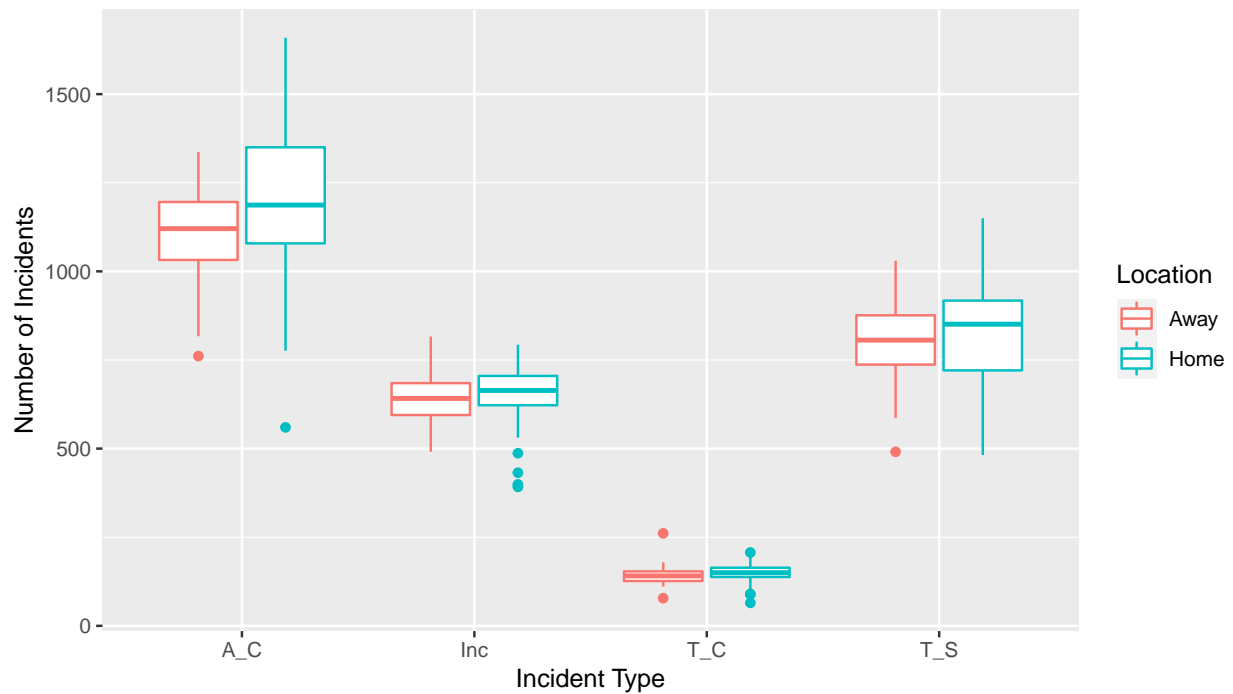
The remaining four charts compare Win and Loss data by date, faceted by Location. With the exception of “Incidents” at home games, all of the Win and Loss lines are either crossing or converging, indicating that whether the Huskers win or lose might not have much of an impact on Public Safety.

```
# BOXPLOTS: for all variables, colored by Win or Location
ggplot(H_G.long, aes(variable, value, color = Win)) + geom_boxplot() +
  labs(title = "Public Safety Incidents by Type and Outcome",
        x = "Incident Type", y = "Number of Incidents")
```



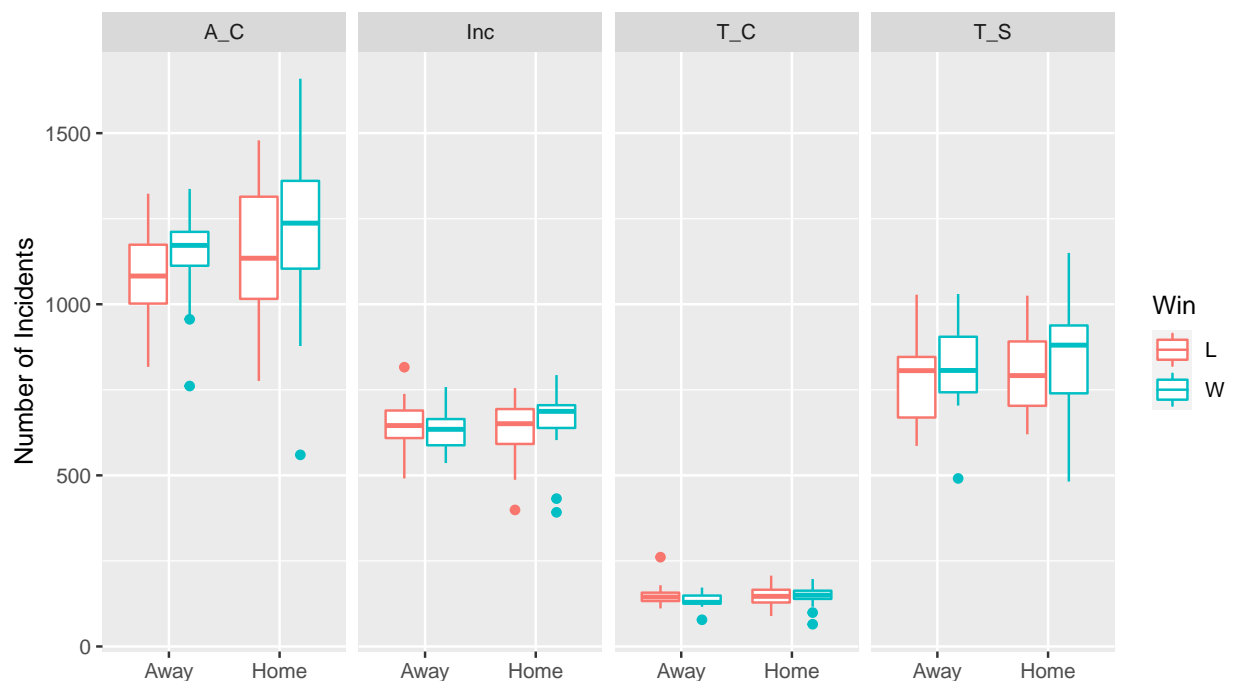
```
ggplot(H_G.long, aes(variable, value, color = Location)) + geom_boxplot() +
  labs(title = "Public Safety Incidents by Type and Location",
        x = "Incident Type", y = "Number of Incidents")
```

Public Safety Incidents by Type and Location

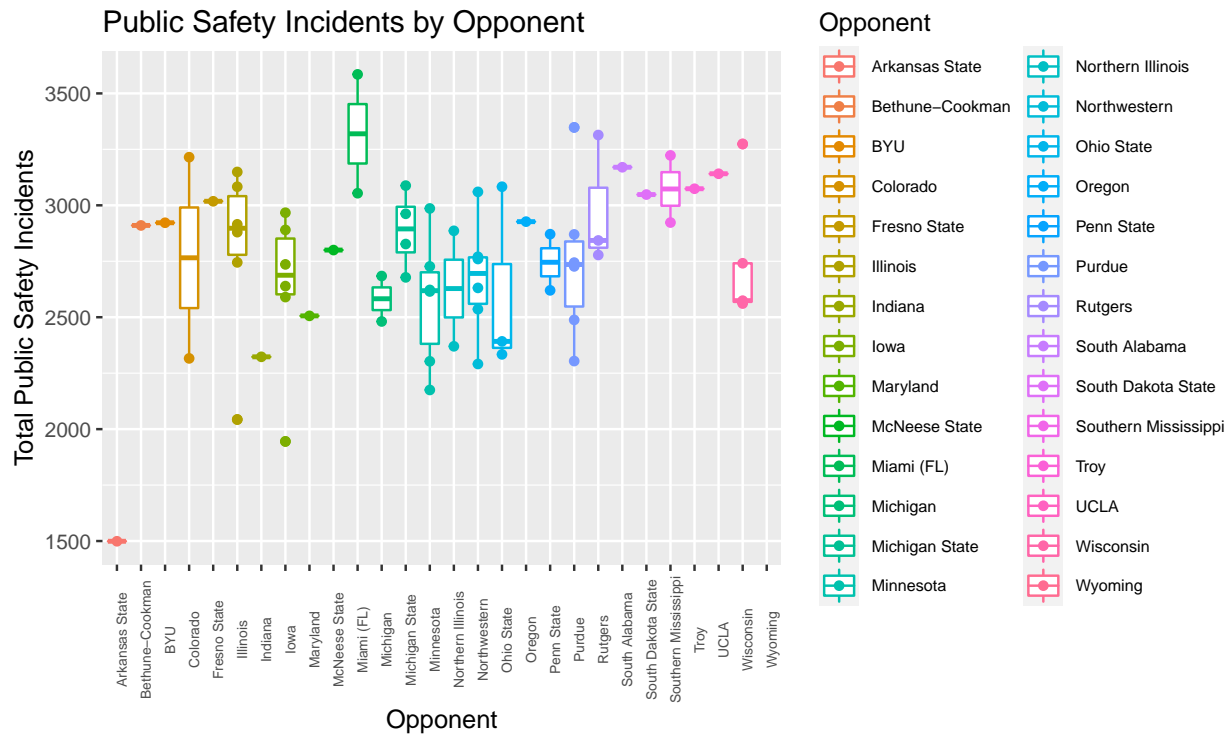


```
# BOXPLOT: for each location, colored by Win, faceted by variable (may not need previous two)
ggplot(H_G.long, aes(x = Location, color = Win)) +
  geom_boxplot(aes(y = value)) + facet_grid(~ variable) +
  labs(title = "Public Safety Incidents by Type, Location, and Outcome",
       x = element_blank(), y = "Number of Incidents")
```

Public Safety Incidents by Type, Location, and Outcome



```
# BOXPLOTS: Colored by Opponent, with points
ggplot(Husker_games, aes(Opponent, Tot_Inc, color = Opponent)) +
  geom_boxplot() + geom_point() +
  theme(axis.text.x = element_text(angle = 90, size = 6),
        legend.text = element_text(size = 7)) +
  labs(title = "Public Safety Incidents by Opponent", x = "Opponent",
        y = "Total Public Safety Incidents")
```



```
# BOXPLOT: shows Total Incidents, Home and Away, colored by Opponent, with points
ggplot(Husker_games, aes(Opponent, Tot_Inc, color = Opponent)) +
  geom_boxplot() + geom_point(aes(shape = Win)) +
  theme(axis.text.x = element_text(angle = 90, size = 6),
        legend.text = element_text(size = 7)) + facet_wrap(~ Location) +
  labs(title = "Public Safety Incidents by Opponent and Location",
        x = "Opponent", y = "Total Public Safety Incidents")
```



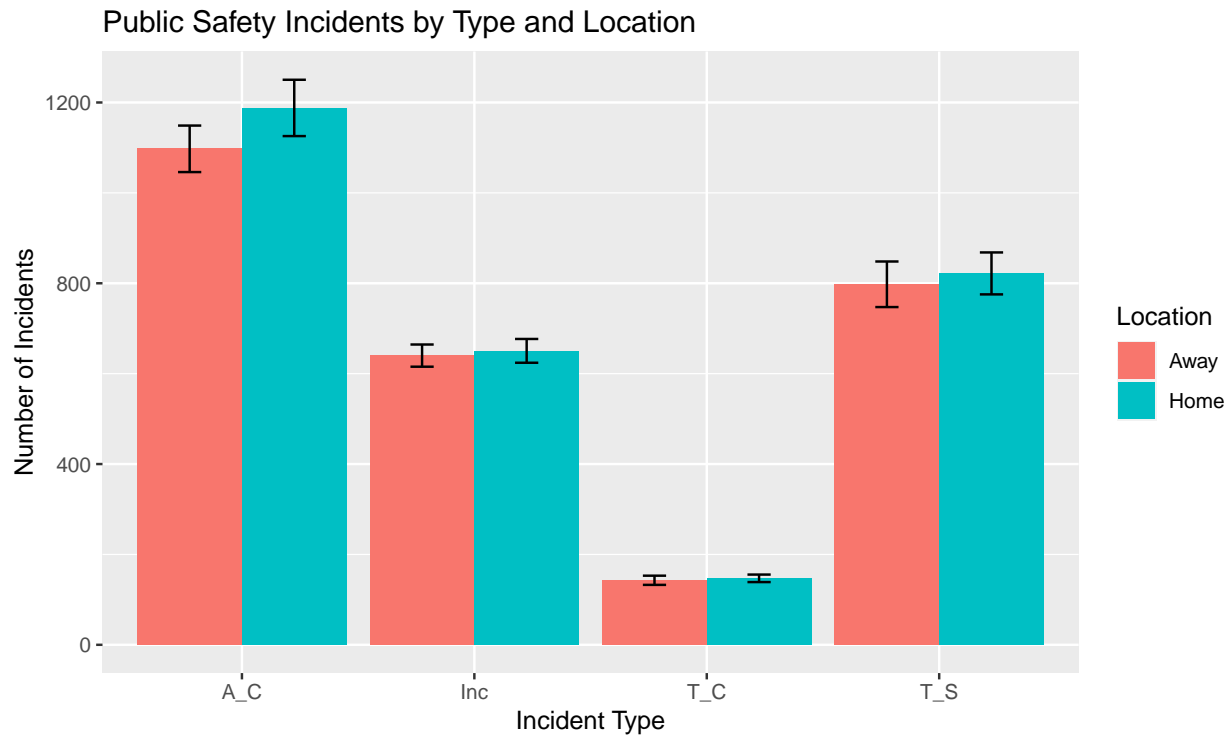
Looking at the boxplots, you can see that for most of the Public Safety variables it doesn't appear to make much difference whether it is a Home or Away game, or whether it is a Win or a Loss. The exception to this appears to be Arrests and Citations, which is slightly higher for both Wins and for Home games.

Looking at the different Opponents, it appears that Miami is the clear leader when it comes to total number of Public Safety Incidents. This seems to largely be accounted for in the single data point for Away games, where it lies as a lone point above all of the others. The one Home game against Miami isn't the highest, but does look to be in the top three. There are only two data points, but perhaps this could be something to explore further.

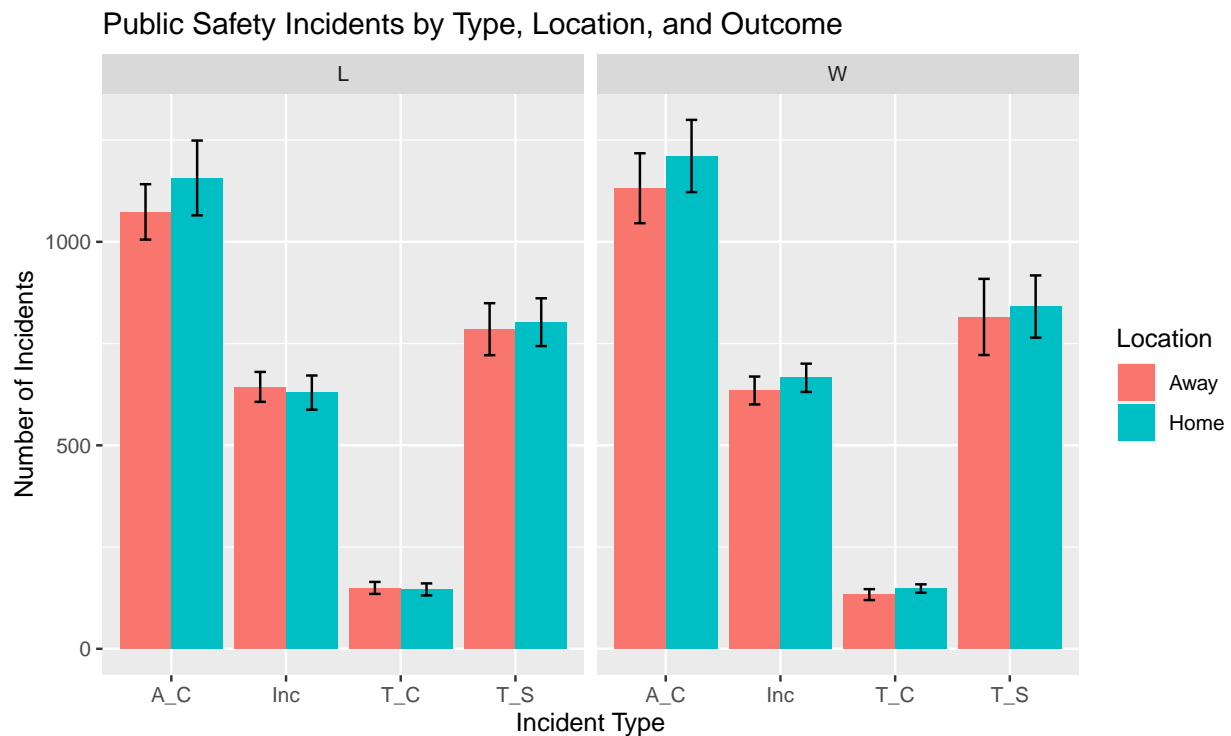
```
# BAR CHART: Comparing variables by w/L & Home/Away; not much difference in Home/Away when losing
ggplot(H_G.long, aes(variable, value, fill = variable)) +
  geom_bar(stat = "identity") + facet_grid(Location ~ Win) +
  labs(title = "Public Safety Incidents by Variable, Location, and Outcome",
       x = element_blank(), y = "Number of Incidents", fill = "Incident Type")
```



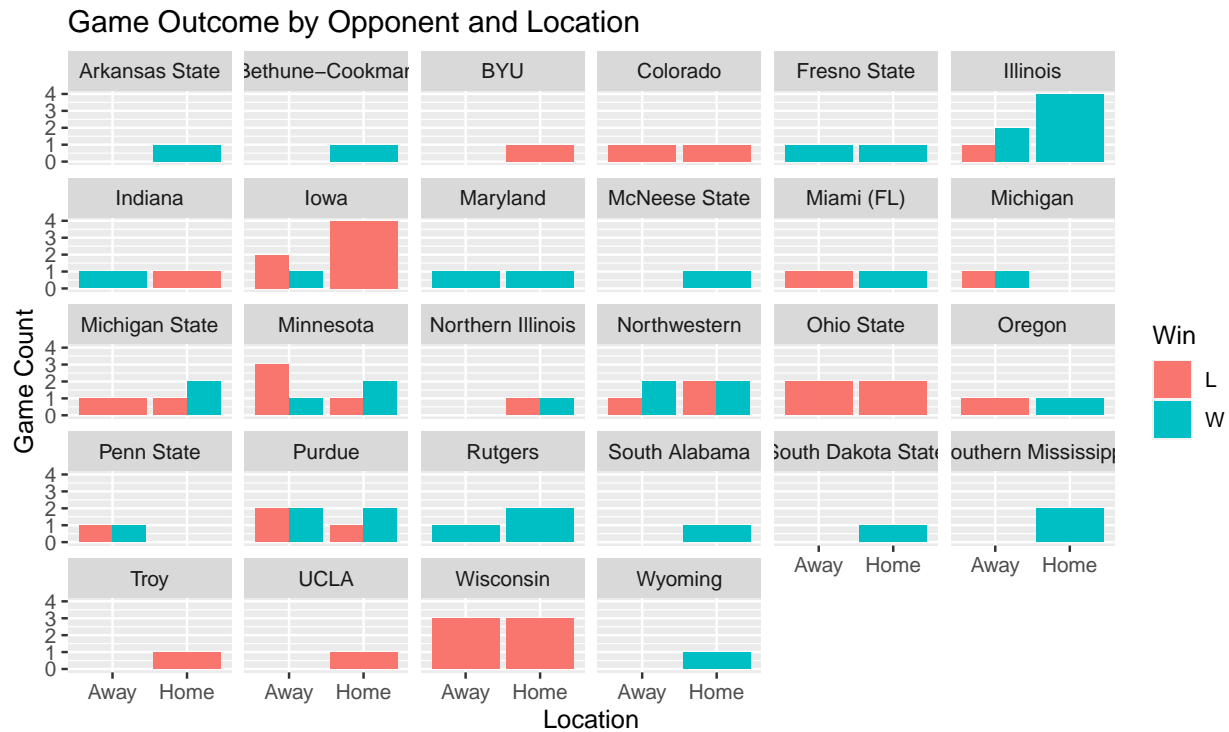

```
# BAR CHARTS:
ggplot(H_G.long, aes(variable, value, fill = Location)) +
  stat_summary(fun = mean, geom = "bar", position = "dodge") +
  stat_summary(fun.data = mean_cl_normal, geom = "errorbar",
    position = position_dodge(width = 0.90), width = 0.2) +
  labs(title = "Public Safety Incidents by Type and Location",
    x = "Incident Type", y = "Number of Incidents")
```



```
ggplot(H_G.long, aes(variable, value, fill = Location)) +
  stat_summary(fun = mean, geom = "bar", position = "dodge") +
  stat_summary(fun.data = mean_cl_normal, geom = "errorbar",
    position = position_dodge(width = 0.90), width = 0.2) + facet_wrap(~ Win) +
  labs(title = "Public Safety Incidents by Type, Location, and Outcome", x = "Incident Type", y = "Number of Incidents")
```

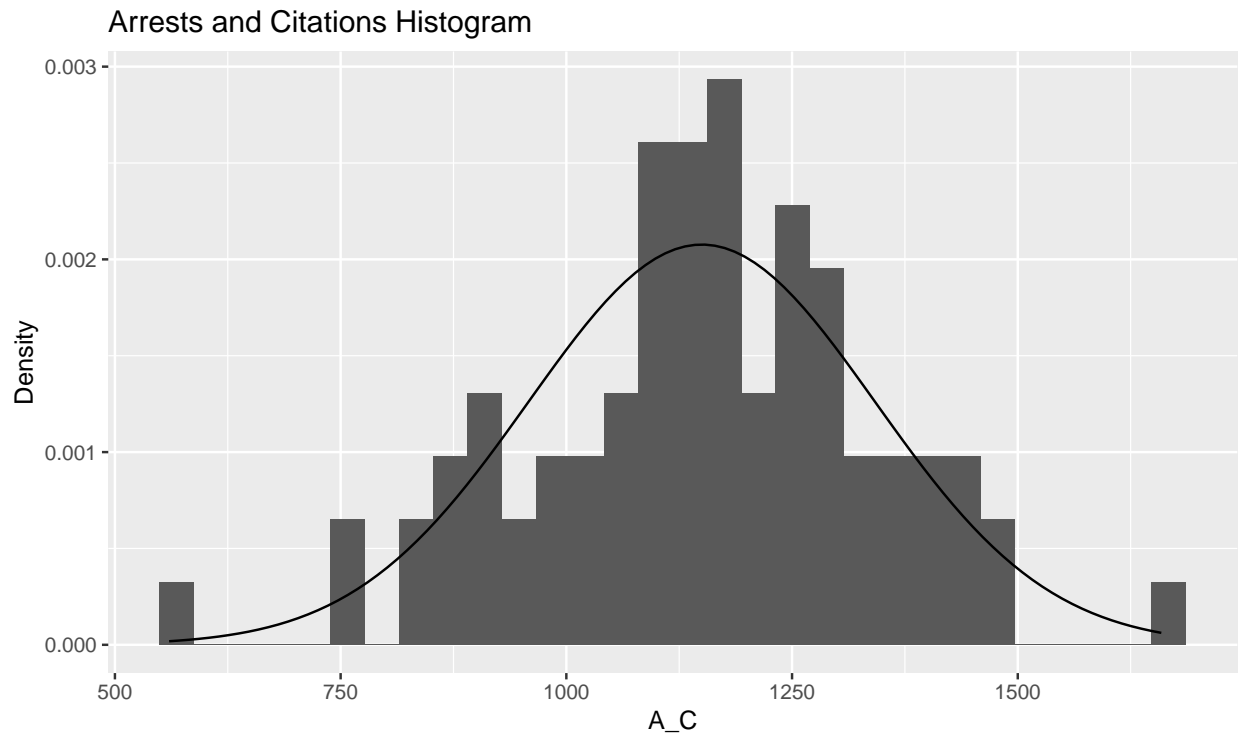


```
# BAR CHARTS: just for fun, W/L by Location faceted by Opponent
ggplot(Husker_games, aes(Location, fill = Win)) +
  geom_histogram(position = "dodge", stat = "count") + facet_wrap(~ Opponent) +
  labs(title = "Game Outcome by Opponent and Location",
       x = "Location", y = "Game Count")
```

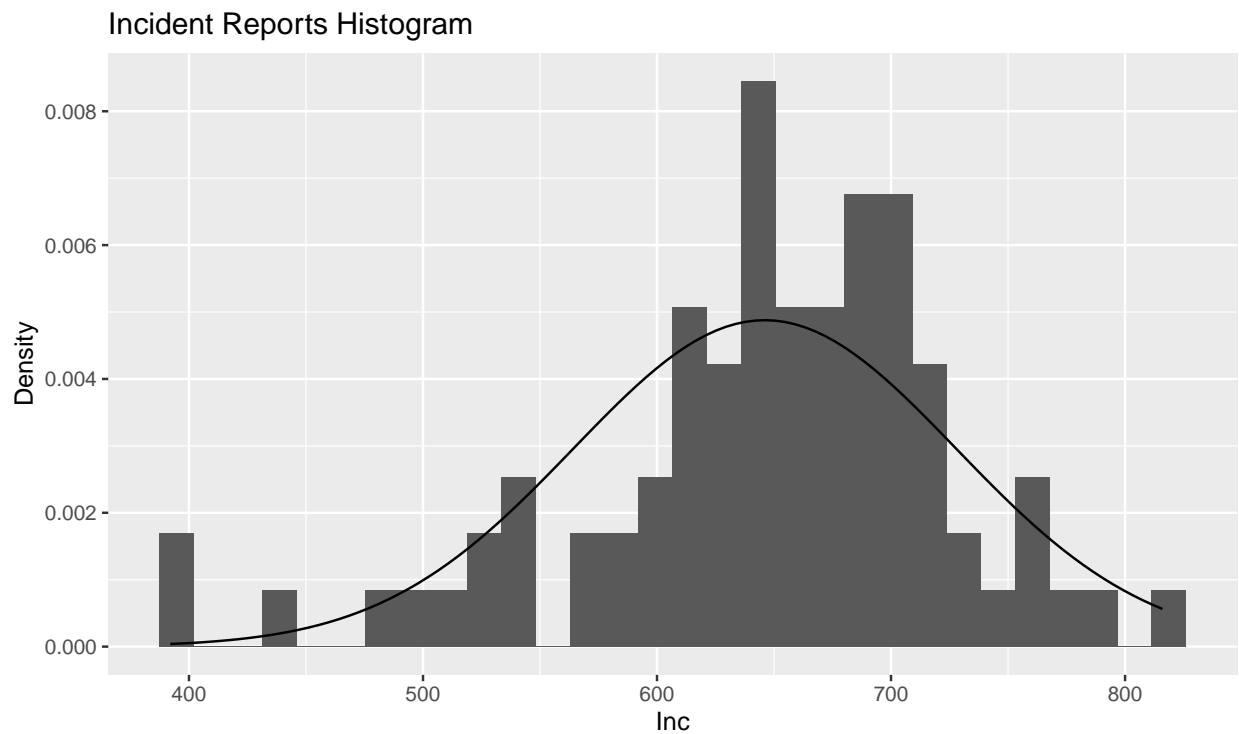


These bar charts provide another way to compare number of Public Safety incidents by type and both Location and Outcome. I have added some error bars and again Arrests and Citations seems to be determined by Location more than the other variables. The last bar chart is just for fun, showing how the Huskers fared against their Opponents in both Home and Away conditions.

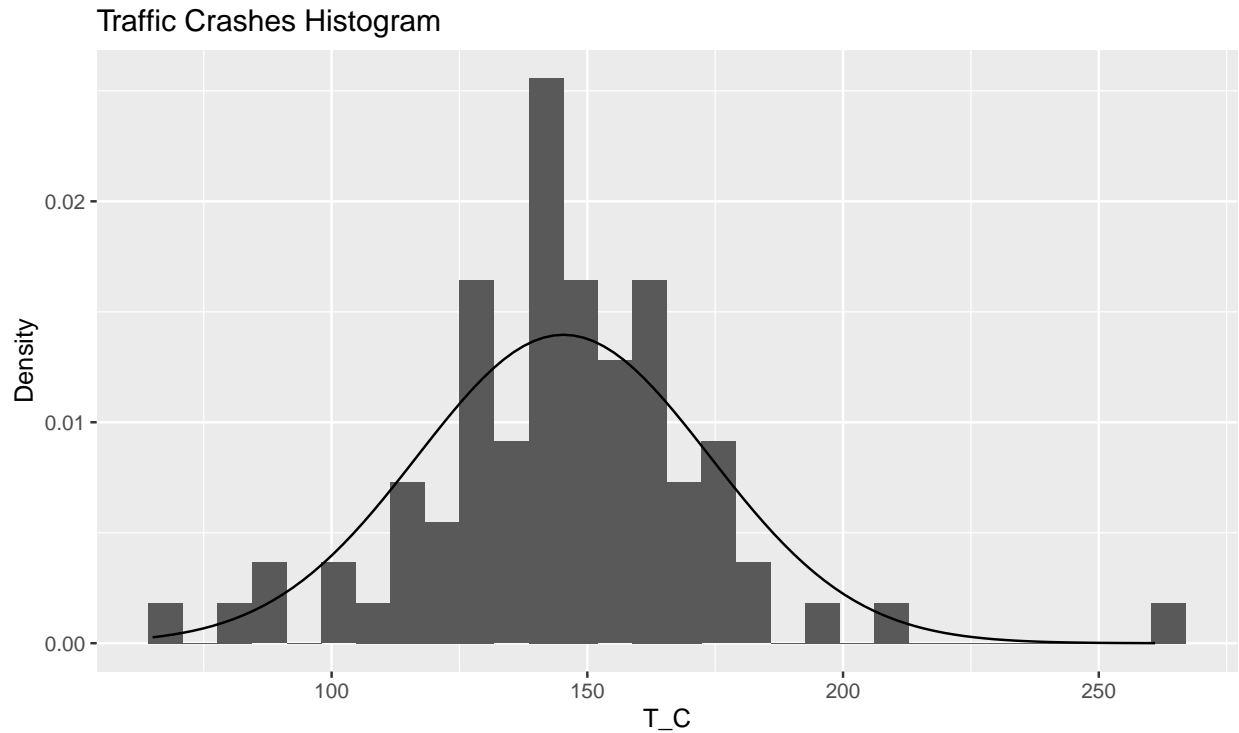
```
# HISTOGRAMS: for each variable, with normality curve
ggplot(Husker_games, aes(A_C)) + geom_histogram(aes(y = ..density..)) +
  stat_function(fun = dnorm, args = list(mean = mean(Husker_games$A_C),
                                         sd(Husker_games$A_C))) +
  labs(title = "Arrests and Citations Histogram", y = "Density")
```



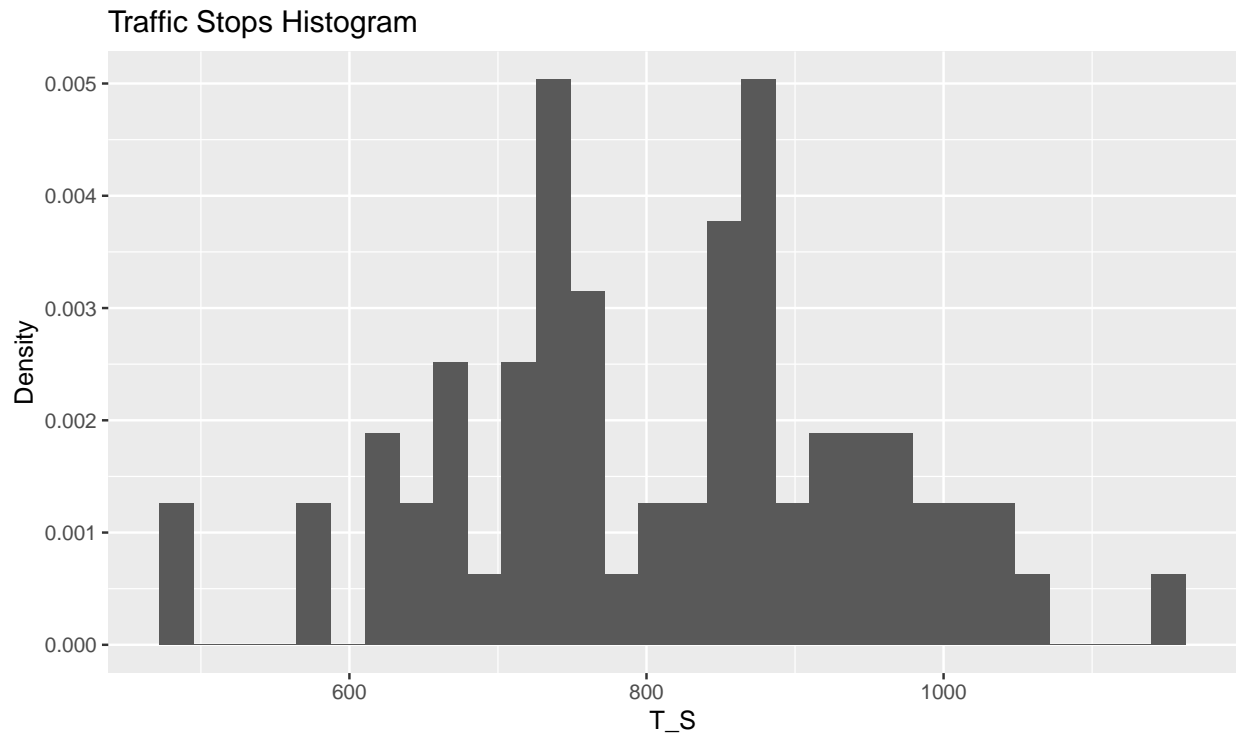
```
ggplot(Husker_games, aes(Inc)) + geom_histogram(aes(y = ..density..)) +  
  stat_function(fun = dnorm, args = list(mean = mean(Husker_games$Inc),  
                                         sd(Husker_games$Inc))) +  
  labs(title = "Incident Reports Histogram", y = "Density")
```



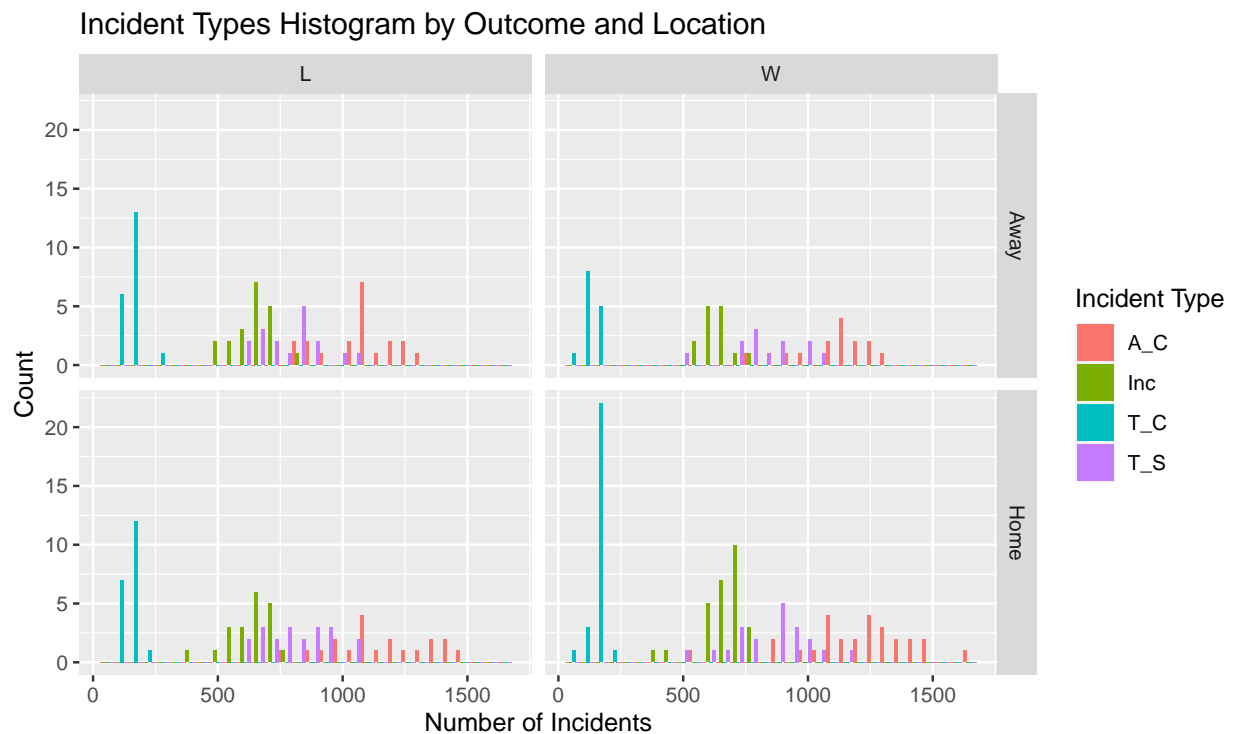
```
ggplot(Husker_games, aes(T_C)) + geom_histogram(aes(y = ..density..)) +
  stat_function(fun = dnorm, args = list(mean = mean(Husker_games$T_C),
    sd(Husker_games$T_C))) +
  labs(title = "Traffic Crashes Histogram", y = "Density")
```



```
ggplot(Husker_games, aes(T_S)) + geom_histogram(aes(y = ..density..)) +
  stat_function(fun = dnorm, args = list(mean = mean(Husker_games$T_S),
    sd(Husker_games$T_S))) +
  labs(title = "Traffic Stops Histogram", y = "Density")
```



```
# HISTOGRAMS: colored by variables, faceted by W/L & Home/Away
ggplot(H_G.long, aes(value, fill = variable)) +
  geom_histogram(position = "dodge") + facet_grid(Location ~ Win) +
  labs(title = "Incident Types Histogram by Outcome and Location",
       x = "Number of Incidents", y = "Count", fill = "Incident Type")
```



Overall, the distributions of each Public Safety Incident Type appear fairly normal, which they should, considering each sample set is over 10,000 observations, however the Incident Reports Histogram does look slightly skewed and the Traffic Stops Histogram looks like it might be bimodal. The last histogram shows that the histograms for each Incident Type look pretty similar regardless of Location or Outcome.

```
## Check for normal distribution
shapiro.test(Husker_games$A_C) # 0.8052
```

```
##
## Shapiro-Wilk normality test
##
## data:  Husker_games$A_C
## W = 0.99026, p-value = 0.8052
```

```
shapiro.test(Husker_games$Inc) # 0.001708 <- not normal
```

```
##
## Shapiro-Wilk normality test
##
## data:  Husker_games$Inc
## W = 0.94519, p-value = 0.001708
```

```
shapiro.test(Husker_games$T_C) # 0.005984 <- not normal
```

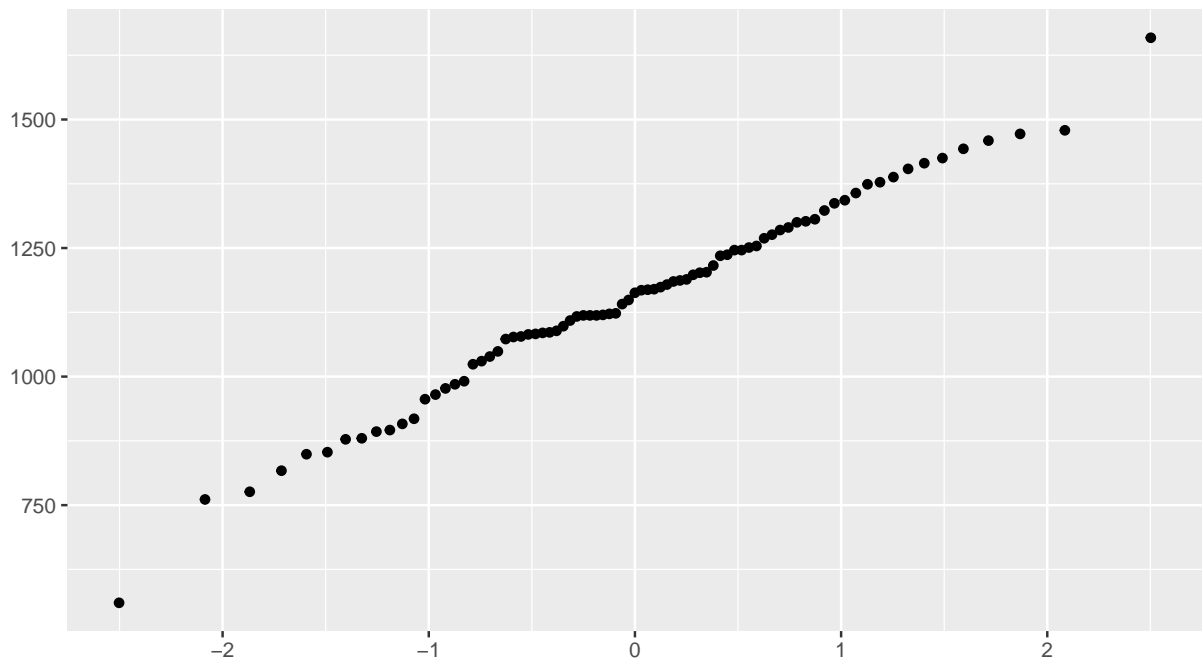
```
##
## Shapiro-Wilk normality test
##
## data:  Husker_games$T_C
## W = 0.95463, p-value = 0.005984
```

```
shapiro.test(Husker_games$T_S) # 0.8249
```

```
##
## Shapiro-Wilk normality test
##
## data:  Husker_games$T_S
## W = 0.9908, p-value = 0.8965
```

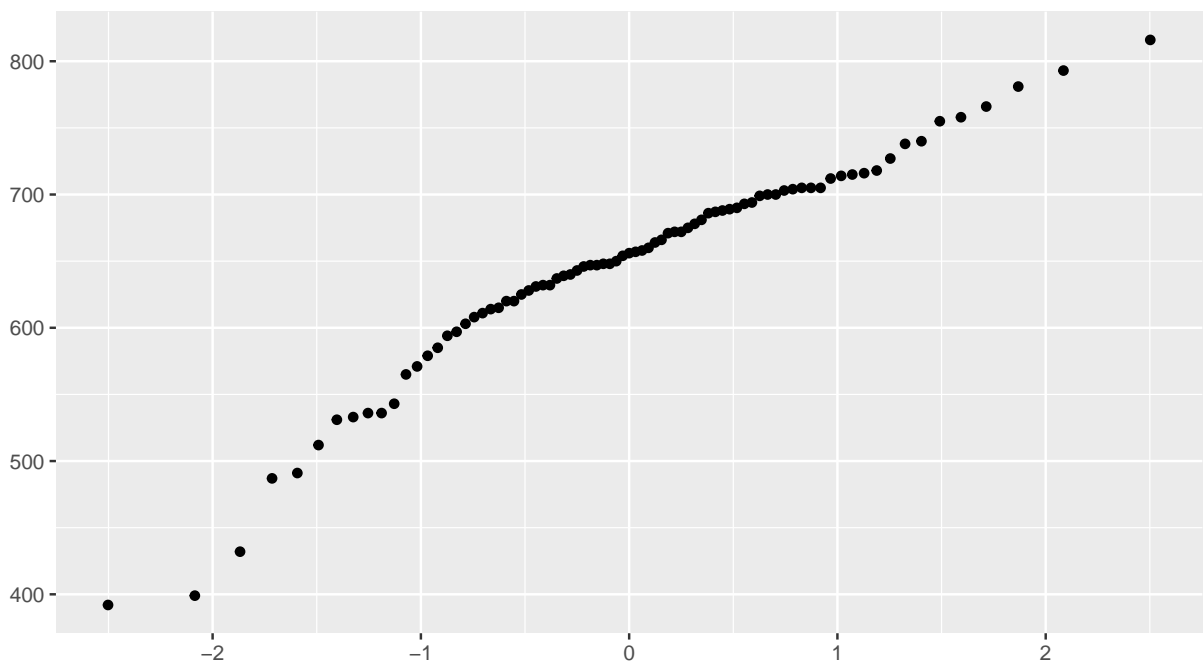
```
# Check for normalcy w/ qq plot
qqplot(sample = Husker_games$A_C) + labs(title = "Q-Q Plot: Arrests and Citations")
```

Q-Q Plot: Arrests and Citations



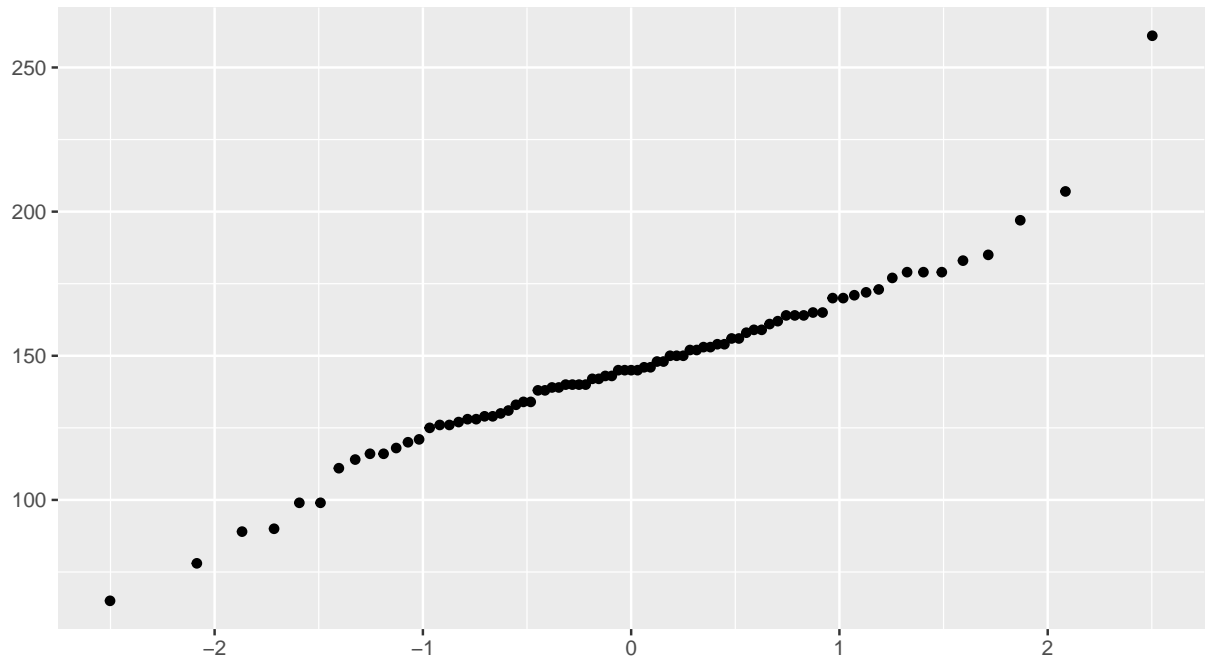
```
qplot(sample = Husker_games$Inc) + labs(title = "Q-Q Plot: Incident Reports")
```

Q-Q Plot: Incident Reports



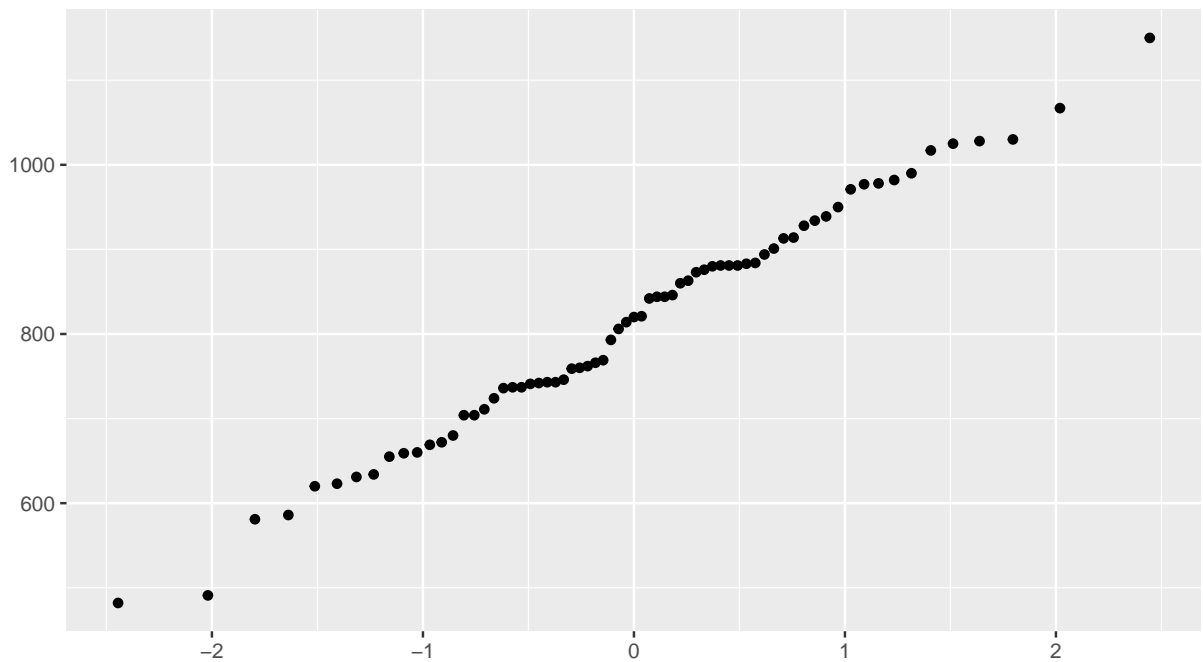
```
qplot(sample = Husker_games$T_C) + labs(title = "Q-Q Plot: Traffic Crashes")
```


Q-Q Plot: Traffic Crashes



```
qqplot(sample = Husker_games$T_S) + labs(title = "Q-Q Plot: Traffic Stops")
```

Q-Q Plot: Traffic Stops



The Shapiro-Wilk normality tests show that the Arrests and Citations and the Traffic Stops Public Safety Incident Types have a fairly normal distribution, while the Incident Reports and the Traffic Crashes have a distribution that is not normally distributed. This is also reflected by the Q-Q plots for each.

```
# Check (point biserial) correlations  
cor.test(H_G.coded$A_C, H_G.coded$Location) # p 0.03558
```

```
##  
## Pearson's product-moment correlation  
##  
## data: H_G.coded$A_C and H_G.coded$Location  
## t = 2.1383, df = 79, p-value = 0.03558  
## alternative hypothesis: true correlation is not equal to 0  
## 95 percent confidence interval:  
## 0.01639473 0.43028032  
## sample estimates:  
## cor  
## 0.2339068
```

```
cor.test(H_G.coded$Inc, H_G.coded$Location) # p 0.5723
```

```
##  
## Pearson's product-moment correlation  
##  
## data: H_G.coded$Inc and H_G.coded$Location  
## t = 0.56702, df = 79, p-value = 0.5723  
## alternative hypothesis: true correlation is not equal to 0  
## 95 percent confidence interval:  
## -0.1568651 0.2781477  
## sample estimates:  
## cor  
## 0.06366492
```

```
cor.test(H_G.coded$T_C, H_G.coded$Location) # p 0.5048
```

```
##  
## Pearson's product-moment correlation  
##  
## data: H_G.coded$T_C and H_G.coded$Location  
## t = 0.66996, df = 79, p-value = 0.5048  
## alternative hypothesis: true correlation is not equal to 0  
## 95 percent confidence interval:  
## -0.1455757 0.2887730  
## sample estimates:  
## cor  
## 0.07516284
```

```
cor.test(H_G.coded$T_S, H_G.coded$Location) # p 0.4838
```

```
##  
## Pearson's product-moment correlation  
##  
## data: H_G.coded$T_S and H_G.coded$Location  
## t = 0.70411, df = 67, p-value = 0.4838  
## alternative hypothesis: true correlation is not equal to 0
```

```
## 95 percent confidence interval:
## -0.1541024 0.3159755
## sample estimates:
## cor
## 0.08570422
```

```
cor.test(H_G.coded$Tot_Inc, H_G.coded$Location) # p 0.09613
```

```
##
## Pearson's product-moment correlation
##
## data: H_G.coded$Tot_Inc and H_G.coded$Location
## t = 1.5888, df = 67, p-value = 0.1168
## alternative hypothesis: true correlation is not equal to 0
## 95 percent confidence interval:
## -0.0483130 0.4087913
## sample estimates:
## cor
## 0.1905465
```

```
cor.test(H_G.coded$A_C, H_G.coded$Win) # p 0.1085
```

```
##
## Pearson's product-moment correlation
##
## data: H_G.coded$A_C and H_G.coded$Win
## t = 1.6234, df = 79, p-value = 0.1085
## alternative hypothesis: true correlation is not equal to 0
## 95 percent confidence interval:
## -0.04025974 0.38299341
## sample estimates:
## cor
## 0.1796691
```

```
cor.test(H_G.coded$Inc, H_G.coded$Win) # p 0.3060
```

```
##
## Pearson's product-moment correlation
##
## data: H_G.coded$Inc and H_G.coded$Win
## t = 1.0303, df = 79, p-value = 0.306
## alternative hypothesis: true correlation is not equal to 0
## 95 percent confidence interval:
## -0.1058626 0.3253185
## sample estimates:
## cor
## 0.1151485
```

```
cor.test(H_G.coded$T_C, H_G.coded$Win) # p 0.4557
```

```
##
```

```
## Pearson's product-moment correlation
##
## data: H_G.coded$T_C and H_G.coded$Win
## t = -0.74969, df = 79, p-value = 0.4557
## alternative hypothesis: true correlation is not equal to 0
## 95 percent confidence interval:
## -0.2969479 0.1368121
## sample estimates:
## cor
## -0.08404806
```

```
cor.test(H_G.coded$T_S, H_G.coded$Win) # p 0.2604
```

```
##
## Pearson's product-moment correlation
##
## data: H_G.coded$T_S and H_G.coded$Win
## t = 1.0932, df = 67, p-value = 0.2782
## alternative hypothesis: true correlation is not equal to 0
## 95 percent confidence interval:
## -0.1076699 0.3578526
## sample estimates:
## cor
## 0.1323844
```

```
cor.test(H_G.coded$Tot_Inc, H_G.coded$Win) # p 0.1227
```

```
##
## Pearson's product-moment correlation
##
## data: H_G.coded$Tot_Inc and H_G.coded$Win
## t = 1.4355, df = 67, p-value = 0.1558
## alternative hypothesis: true correlation is not equal to 0
## 95 percent confidence interval:
## -0.0666701 0.3933361
## sample estimates:
## cor
## 0.1727363
```

```
cor(H_G.coded[c("Location", "Win", "A_C", "Inc", "T_C", "T_S", "Tot_Inc")])
```

```
##      Location      Win      A_C      Inc      T_C T_S Tot_Inc
## Location 1.00000000 0.16060647 0.23390680 0.06366492 0.07516284 NA      NA
## Win      0.16060647 1.00000000 0.17966908 0.11514848 -0.08404806 NA      NA
## A_C      0.23390680 0.17966908 1.00000000 0.34380817 0.08629274 NA      NA
## Inc      0.06366492 0.11514848 0.34380817 1.00000000 0.35446651 NA      NA
## T_C      0.07516284 -0.08404806 0.08629274 0.35446651 1.00000000 NA      NA
## T_S      NA      NA      NA      NA      NA      NA      1      NA
## Tot_Inc  NA      NA      NA      NA      NA      NA      NA      1
```

```
cor(H_G.coded[c("Location", "Win", "A_C", "Inc", "T_C", "T_S", "Tot_Inc")])^2 * 100
```

```
##           Location           Win           A_C           Inc           T_C T_S
## Location 100.0000000    2.5794438    5.4712391    0.4053222    0.5649453  NA
## Win      2.5794438 100.0000000    3.2280977    1.3259173    0.7064077  NA
## A_C      5.4712391    3.2280977 100.0000000   11.8204055    0.7446437  NA
## Inc      0.4053222    1.3259173 11.8204055 100.0000000   12.5646509  NA
## T_C      0.5649453    0.7064077    0.7446437 12.5646509 100.0000000  NA
## T_S      NA           NA           NA           NA           NA 100
## Tot_Inc  NA           NA           NA           NA           NA  NA
##           Tot_Inc
## Location      NA
## Win            NA
## A_C            NA
## Inc            NA
## T_C            NA
## T_S            NA
## Tot_Inc       100
```

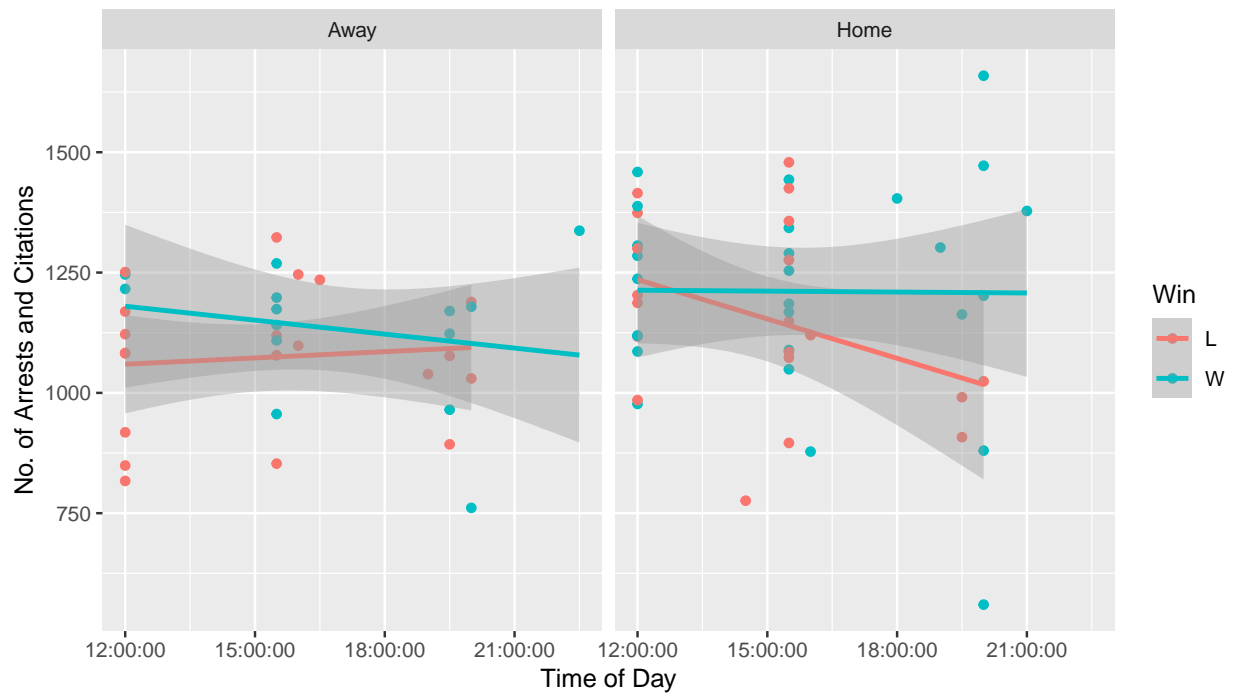
Checking correlations between each Public Safety Incident Type with both Location and game Outcome, I found that Arrests and Citations was the only Incident Type that had a significant correlation and that was with Location. Arrests and Citations with game Outcome and Total number of Incidents with both Location and Outcome all had a significance around 0.1, but I suspect the correlation of Total Incidents is largely an artifact of the Arrests and Citations data set, which accounts for around 40% of the total data.

Looking at the R-squared values, we see that the some of the Public Safety Incident Types correlate pretty well with each other. Ignoring Total Incidents for a moment, we see that Arrests and Citations correlates really quite well with Traffic Stops, sharing 53% of variability. Traffic Stops and Incident Reports are the next highest, with 13%. However, we are more interested in how these Incident Types correlate with game Location (Home or Away) and game Outcome (Win or Lose) and unfortunately, while Arrests and Citations comes in at the highest for both, it only accounts for 5.5% and 3.2% of variability with Location and Outcome respectively and as we saw, only the correlation with Location is significant.

Interestingly, Location and Outcome share 2.6% of their variability, so it appears there may be some truth to Home team advantage.

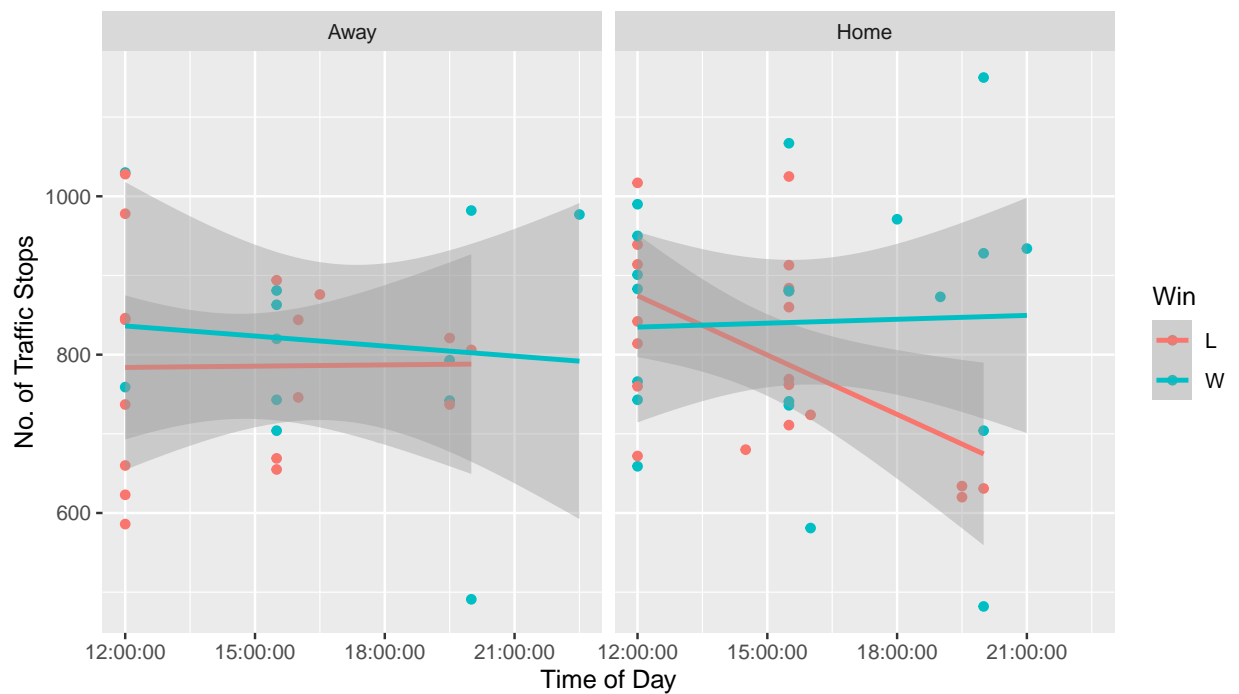
```
# SCATTERPLOTS: time of day vs A_C & T_S (two normal variables), Colored by Win, Faceted by Location
ggplot(Husker_games, aes(Time, A_C, color = Win)) + geom_point() +
  geom_smooth(method = lm) + facet_wrap(~ Location) +
  labs(title = "Arrests and Citations by Game Time, Location and Outcome",
       x = "Time of Day", y = "No. of Arrests and Citations")
```

Arrests and Citations by Game Time, Location and Outcome



```
ggplot(Husker_games, aes(Time, T_S, color = Win)) + geom_point() +
  geom_smooth(method = lm) + facet_wrap(~ Location) +
  labs(title = "Traffic Stops by Game Time, Location and Outcome",
       x = "Time of Day", y = "No. of Traffic Stops")
```

Traffic Stops by Game Time, Location and Outcome



Looking at the two variables that had normal distribution curves, I did notice something interesting and that's that, while the number of incidents for Away games remain fairly constant regardless of game time and also for Home games, if the Huskers Win, but if the Huskers lose, the number of Incidents starts higher in the morning and drops dramatically throughout the day for later games. I suspect it may have something to do with people being tired and ready to go home after later games when the Huskers lose, compared to being in a celebratory mood and staying out if they win.

```
H_G.lm <- lm(A_C ~ Opponent + Location, data = H_G.coded)
summary(H_G.lm)
```

```
##
## Call:
## lm(formula = A_C ~ Opponent + Location, data = H_G.coded)
##
## Residuals:
```

	Min	1Q	Median	3Q	Max
	-373.30	-89.02	0.00	104.19	321.81

```
##
## Coefficients:
```

	Estimate	Std. Error	t value	Pr(> t)
(Intercept)	486.63	180.44	2.697	0.009413 **
OpponentBethune-Cookman	559.00	247.33	2.260	0.028026 *
OpponentBYU	716.00	247.33	2.895	0.005532 **
OpponentColorado	615.69	215.34	2.859	0.006100 **
OpponentFresno State	746.19	215.34	3.465	0.001070 **
OpponentIllinois	615.02	187.93	3.273	0.001897 **
OpponentIndiana	479.19	215.34	2.225	0.030427 *
OpponentIowa	589.30	187.93	3.136	0.002819 **
OpponentMaryland	514.19	215.34	2.388	0.020619 *
OpponentMcNeese State	725.00	247.33	2.931	0.005006 **
OpponentMiami (FL)	967.69	215.34	4.494	3.93e-05 ***
OpponentMichigan	542.87	218.75	2.482	0.016346 *
OpponentMichigan State	664.59	195.84	3.393	0.001327 **
OpponentMinnesota	567.07	188.68	3.005	0.004075 **
OpponentNorthern Illinois	473.50	214.19	2.211	0.031484 *
OpponentNorthwestern	597.87	187.93	3.181	0.002473 **
OpponentOhio State	501.19	196.79	2.547	0.013869 *
OpponentOregon	686.69	215.34	3.189	0.002420 **
OpponentPenn State	696.87	218.75	3.186	0.002442 **
OpponentPurdue	603.93	188.68	3.201	0.002338 **
OpponentRutgers	731.46	202.48	3.612	0.000683 ***
OpponentSouth Alabama	912.00	247.33	3.687	0.000542 ***
OpponentSouth Dakota State	730.00	247.33	2.952	0.004734 **
OpponentSouthern Mississippi	760.50	214.19	3.551	0.000826 ***
OpponentTroy	740.00	247.33	2.992	0.004231 **
OpponentUCLA	855.00	247.33	3.457	0.001097 **
OpponentWisconsin	597.19	190.20	3.140	0.002787 **
OpponentWyoming	828.00	247.33	3.348	0.001520 **
Location	73.37	44.44	1.651	0.104746

```
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
##
## Residual standard error: 174.9 on 52 degrees of freedom
## Multiple R-squared:  0.4612, Adjusted R-squared:  0.1711
```

```
## F-statistic: 1.59 on 28 and 52 DF, p-value: 0.07361
```

```
round(tapply(H_G.coded$A_C, H_G.coded[c("Opponent", "Location")], mean, na.rm = TRUE), 2)
```

##	Location		
## Opponent	0	1	
## Arkansas State	NA	560.00	
## Bethune-Cookman	NA	1119.00	
## BYU	NA	1276.00	
## Colorado	853.00	1425.00	
## Fresno State	1337.00	1202.00	
## Illinois	1062.00	1204.75	
## Indiana	1109.00	896.00	
## Iowa	1135.33	1104.75	
## Maryland	956.00	1119.00	
## McNeese State	NA	1285.00	
## Miami (FL)	1323.00	1659.00	
## Michigan	1029.50	NA	
## Michigan State	1189.00	1212.00	
## Minnesota	1015.50	1178.00	
## Northern Illinois	NA	1033.50	
## Northwestern	1125.33	1127.25	
## Ohio State	1099.50	949.50	
## Oregon	1235.00	1185.00	
## Penn State	1183.50	NA	
## Purdue	1062.25	1201.67	
## Rutgers	1174.00	1313.50	
## South Alabama	NA	1472.00	
## South Dakota State	NA	1290.00	
## Southern Mississippi	NA	1320.50	
## Troy	NA	1300.00	
## UCLA	NA	1415.00	
## Wisconsin	1078.33	1162.67	
## Wyoming	NA	1388.00	

Doing some modeling based on Opponents and Location may help to give an indication as to what to expect for different types of incidents. Here I have just used the Arrests and Citations data, but more in-depth analysis could be done for each Opposing team and each Incident Type.

My goal with this project was to determine what effect, if any, the influx of people with a Home Cornhusker football game would have on the overall crime rate in Lincoln and while I found there is a slight increase in Arrests and Citations, overall I found relatively little effect. All the same, the data could be useful (perhaps more so by including additional years of data) in predicting increases in Police coverage, especially when particular Opponents are accounted for.

The most uplifting thing I found was that crime appears to continue on a downward trend year-to-year and I hope that this trend continues for the foreseeable future. Also, Go Big Red!