

### Worksheet Six

*"Now that is what I call thinking", said Majikthise, "Why do we never think of things like that?", "Dunno", said Vroomfondel in an awed whisper, "I think our brains must be too highly trained".*

Douglas Adams, The Hitch Hikers Guide to the Galaxy 1979

#### Unit Learning Outcomes Addressed by this worksheet: 1 & 2

For all of the exercises below, clearly state the assertions which will be valid for each control structure used. You can write your algorithms in a notebook or make electronic copies which should be placed, along with your Java code, in your P06 directory.

#### Exercise One.

Modify your pseudo code algorithm to the grade calculation problem so that your algorithm loops when inputting the final mark and the number of assessments until it has valid input. The simplest way to achieve this is to introduce two sub modules (one for input of the final mark and the other for input of the number of assessments. Note that you will also have to remove some of your IF-THEN statements.

#### Exercise Two.

Copy your Java implementation of the grade calculation algorithm from worksheet five and modify it so that it matches your algorithm from exercise two.

#### Exercise Three.

To calculate  $e^x$  Java provides the method `Math.exp( double x)`.  $e^x$  can also be calculated using the series below:

$$e^x = \frac{x^0}{0!} + \frac{x^1}{1!} + \frac{x^2}{2!} + \frac{x^3}{3!} + \frac{x^4}{4!} + \frac{x^5}{5!} + \frac{x^6}{6!} + \frac{x^7}{7!} + \frac{x^8}{8!} + \frac{x^9}{9!} + \dots$$

Design a pseudo code algorithm for a sub module called `eToTheX()`. The sub module has two IMPORT parameters. The first is an integer value which specifies the number of terms and the second is a real value which contains the value of  $x$ . When calculating factorials, use the example in the lecture notes to guide you. There is a problem if you use integers to do the factorial calculation. What is the problem? What is the simplest fix for the problem?

#### Exercise Four.

Design a main algorithm which will:

- Input a value for  $x$ .
- Repeatedly call your `eToTheX` sub module with the number of terms varying from 5 to 100.
- Output the result of the `eToTheX` call and next to that output the value of `Math.exp()`

The purpose of this main algorithm is to demonstrate that your `eToTheX` submodules functioning correctly. By outputting the value calculated by your method and comparing it to the actual value that you got from `Math.exp()` you can show how accurate or inaccurate your value is. As your main cycles from 5 terms to 100 terms your `eToTheX` submodule should become more and more accurate. The pseudo code for this should be added to the pseudo code that you generated for your `eToTheX` submodule to form one complete algorithm.

#### Exercise Five.

Translate your pseudo code main and `eToTheX` sub module into Java.

#### Exercise Six.

Modify your algorithm by designing a new `eToTheX` sub module which IMPORTs a tolerance instead of the number of terms. The new algorithm stops calculating new terms when the last term calculated is less than the tolerance value.

**Exercise Seven.**

Modify your main sub module so that after testing the first eToTheX submodule it performs similar tests on the new one. The tolerance should vary from 0.1 to 0.000001. This means you cannot use a FOR loop to do this, you must use a different loop. Think carefully. Again the idea is that as your tolerance decreases, your second eToTheX submodule should become more and more accurate.

**Exercise Eight.**

Finally translate the resulting pseudo code into Java.