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I'm trying to project a line onto a point and it looks like I need to meet a plane with a point. I've already coded up point \wedge plane. I wonder what it looks like the other way around? My gut feeling is -ve of $r \wedge p$

$$\text{plane} \wedge \text{point} = p \wedge r$$

$$= (p \cdot e_1 + p \cdot e_2 + p \cdot e_3 + p \cdot e_0) \wedge (r \cdot e_{032} + r \cdot e_{013} + r \cdot e_{021} + r \cdot e_{123})$$

$$= (p \cdot e_1)(r \cdot e_{032}) e_{1032}$$

$$+ (p \cdot e_2)(r \cdot e_{013}) e_{2013}$$

$$+ (p \cdot e_3)(r \cdot e_{021}) e_{3021}$$

$$+ (p \cdot e_0)(r \cdot e_{123}) e_{0123}$$

remember
 $e_1 \wedge e_1 = 0$
and so on...

Wow, so it does end up being $-r \wedge p$

$p \wedge r =$ a dual quaternion with

$$dq \cdot w = dq \cdot e_{23} = dq \cdot e_{31} = dq \cdot e_{12} = 0$$

$$dq \cdot e_{01} = dq \cdot e_{02} = dq \cdot e_{03} = 0$$

$$dq \cdot e_{0123} = (p \cdot e_1)(r \cdot e_{032}) + (p \cdot e_2)(r \cdot e_{013}) + (p \cdot e_3)(r \cdot e_{021}) + (p \cdot e_0)(r \cdot e_{123})$$