

Question	# of Points Possible	# of Points Obtained	Grader
# 1	22		
# 2	30		
# 3	26		
# 4	22		
Total	100		

Include your MATLAB work along with your answers in `exam02_prob.m`. Do not change the name of the given files or functions. When complete, select all files and zip them into a folder named “exam2\_UFID.zip” where UFID is your eight digit UFID number and N is the homework assignment. Ensure the files are zipped directly. Do not put them in a folder then zip that folder. Submit the resulting zipped folder to canvas.

**Before starting the exam, read and sign the following agreement.** By signing this agreement, I agree to solve the problems of this exam while adhering to the policies and guidelines of the University of Florida and EEL 4750 / EEE 5502 and without additional external help. The guidelines include, but are not limited to,

- The University of Florida honor pledge: “On my honor, I have neither given nor received unauthorized aid in doing this assignment.”
- No collaboration is allowed
- No cheating is allowed

\_\_\_\_\_  
Student

\_\_\_\_\_  
Date

### General Instructions

Provided is a template script `exam02.m` with useful functions. For each question, there is an associated obfuscated MATLAB function (files with a `.p` extension):

```
output = exam02_q#(UFID)
```

where the input UFID should be your UFID as a **string**. *Make sure this is correct.*

### Tips for the Take-Home Exam

- To grade your solution, your script will be run individually and checked.
- Make sure the script runs from beginning to end without an error (otherwise, we get nothing).
- Make sure your workspace is clear before running the code.
- Your answers should be in the workspace when the script ends (this is when we extract your answers). Do not clear variables mid-way thru the script.
- For string answers, give the *exact* string shown in the options.
- Make sure your answers are in the *correct units*

**Question #1:** For this question, the function

```
[Ta, wb, Hb, Lb, hc, wc] = exam02_q1(UFID);
```

outputs filter parameters. Answer the following questions.

- (7 pts) Design the a and b filter coefficients for filter that approximates (using sampling period  $T_a$ ) the derivative operation  $H(s) = s$ .
- (7 pts) The function generates a frequency magnitude response  $H_b$  with cooresponding angular frequencies  $w_b$ . Design the impulse response for an FIR filter that approximates this plot. The filter should be of length  $L_b$  and linear phase.
- (8 pts) The vector  $h_c$  represents filter coefficients of a low pass filter. Transform the filter into a bandpass filter around normalized (DTFT) center angular frequency  $w_c$ .

**Question #2:** For this question, the function

```
[n2, x2, x2mod, fs2, fs2new] = exam02_q2(UFID);
```

provides an audio signal  $x$  (or  $x[n]$ ) with respective time axes  $n_x$  and sampling rate  $f_s$ .

- (4 pts) Compute the discrete Fourier transform (DFT) of  $x_2$  with time indices  $n_2$ <sup>1</sup>.
- (4 pts) Compute the indices  $k$  corresponding to the DFT.
- (4 pts) Determine the corresponding DTFT frequencies  $\omega_k$  [in radians/s].
- (4 pts) Determine the corresponding CTFT frequencies  $f_k$  [in Hz] with sampling rate  $f_{s2}$ .
- (4 pts) The variable  $x_{2mod}$  is an upsampled or downsampled version of  $x_2$ . Identify which operation occurs.
- (4 pts) Identify the corresponding upsampling or downsampling factor from part (a).
- (6 pts) Resample the signal  $x$  to have new sampling rate  $f_{snew}$ . Ensure no aliasing occurs. If filtering the data, try not to overly distort the signal.

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<sup>1</sup>Note: They are standard time indices.

**Question #3:** For this question, the function

```
[x3, s3, fs3] = exam02_q3(UFID);
```

outputs the mock received RADAR-like signal  $x_3$ , the corresponding transmitted signal  $s_3$ , and its associated sampling rate  $fs_3$ . In theory, RADAR is relatively simple. We transmit a radio signal into the air and listen/receive reflections from aircrafts. A simple single antenna RADAR system is interested in two quantities: (1) the aircraft's range (i.e., distance from the RADAR) and (2) the aircraft's speed. The range corresponds to the time it takes for a signal to travel to the aircraft and back. The speed corresponds to a shift in frequency due to the Doppler effect.

- (a) (5 pts) Identify the length of  $x_3$ , in seconds.
- (b) (7 pts) Identify  $N$ , the number of reflections (i.e., aircrafts) discovered in  $x_3$ .
- (c) (7 pts) For each of the  $N$  reflections, determine its shift in time (in seconds). This would correspond to the aircraft distance.<sup>2</sup>
- (d) (7 pts) For each of the  $N$  reflections, determine its shift in frequency (in Hz). This would correspond to the aircraft speed.

**Question #4:** For this question, the function

```
[M, G, V, fs4] = exam02_q4(UFID);
```

Consider the standard filter bank with  $M$  branches, each with a downsampling rate of  $M$ . The variable  $G$  is a matrix of FIR analysis filters that satisfy the orthogonal filter bank conditions (each column is a single impulse response). The value of  $V$  represents the output of the analysis bank.

- (a) (8 pts) Build a synthesis bank and reconstruct the original data (has sampling rate of  $fs_4$ ).
- (b) (5 pts) The values of  $V$  contains some noise. Reconstruct the original data without noise<sup>3</sup>.
- (c) (5 pts) The values of  $V$  are slowed down by 2 times. Reconstruct the original data without the speed increase (keep the noise).
- (d) (4 pts) Reconstruct the original data without the speed increase and noise reduction.

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<sup>2</sup>Reminder: You do not need an automated algorithm to solve – answer can be found from plotting

<sup>3</sup>Note: I have rigged this to be much easier than would be normal