

# Hamiltonian RG flow equation

H flow eqn.

$$\Delta H_{(j)} = \sum_{l=1}^{2n_j} \{c_{j,l}^\dagger T r_{j,l}(H_{(j)} c_{j,l}), \eta_{j,l}\}$$

ignored higher order correlated tangential scattering

Kondo coupling flow

no. of states on F  
(n(0))

$$\frac{\Delta J^{(j)}(\omega)}{\Delta \log \frac{\Lambda_j}{\Lambda_0}} \bigg|_{\substack{\text{no. of e states} \\ \text{on the shell}}} = \frac{n_j (J^{(j)})^2 \left[ \left( \omega - \frac{\hbar v_F \Lambda_j}{2} \right) \right]}{\left( \omega - \frac{\hbar v_F \Lambda_j}{2} \right)^2 - \frac{(J^{(j)})^2}{16}} \Rightarrow \frac{dK}{d \log \frac{\Lambda}{\Lambda_0}} = \frac{n(0) K^2}{1 - \frac{K^2}{16}}$$

continuum RG  
flow eqn.

$$K^{(j)} = \frac{J^{(j)}}{\omega - \frac{\hbar v_F}{2} \Lambda_j} \text{ (dimensionless coupling)}$$

condition:  $\omega > \frac{\hbar v_F}{2} \Lambda_0$