

# Compiler Construction

## Chapter 5 – Code Generation (2)

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## Code generation for

- 1 Expressions
- 2 (Sequence of) Statements
- 3 Conditionals
- 4 Loops
- 5 Arrays
- 6 Records
- 7 Pointer
- 8 Functions
- 9 Whole programs



Pointer computation means

- ① **Creation**, i.e. referencing locations by pointers to them
  - ② **Dereference**, i.e. accessing values of locations through pointers to them
- Application of the **address operator**  $\&$  yields a **pointer** to a variable, i.e. the **address**:

$$\text{code}_R \&e \rho = \text{code}_L e \rho$$

- Application of the **dereference operator**  $*e$  yields the **content** of the cell whose address is the r-value of  $e$

$$\text{code}_L *e \rho = \text{code}_R e \rho$$



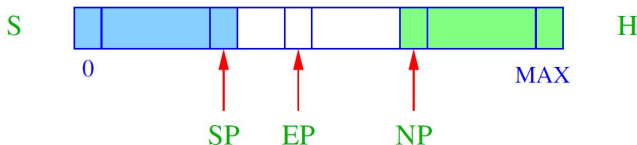
- Let  $\rho = \{i \mapsto 1, j \mapsto 2, pt \mapsto 3, a \mapsto 0, b \mapsto 7\}$
- Generate code for  $e \equiv ((pt \rightarrow b) \rightarrow a)$  in environment  $\rho$

## Types involved

```
struct t { int a[7]; struct t *b; };  
int i,j;  
struct t *pt;
```



- Pointers allow access to anonymous, **dynamically allocated** data
  - The lifetime of such data is **not LIFO**-based
- ⇒ We need a potentially arbitrarily large memory section **H**: the **heap**



- NP New Pointer**, points to lowest occupied memory cell
- EP Extreme Pointer**, points to the largest allowed value of the stack pointer within the current function frame



- Stack and heap **must not overlap**
- Overlap may occur whenever **SP** is increased
  - **Stack Overflow**
- Overlap may occur whenever **NP** is decreased
  - **Out Of Memory**
    - Can be captured by programmer, because malloc returns **NULL**
- **EP** simplifies overlap checks at function entry
- Checks at malloc still necessary



A call to `malloc` yields a pointer to a heap cell:

$$\text{code}_R \text{ malloc}(e) \rho = \text{code}_R e \rho_{\text{new}}$$

where `new` replaces the topmost cell containing `n` (the number of cells to be allocated) by the updated `NP` (moved `n` cells lower)

## Effect of `new`

```
if (NP - S[SP] <= EP)
    S[SP] = NULL;
else {
    NP = NP - S[SP];
    S[SP] = NP;
}
```



- Dynamically allocated storage needs to be **freed**
- Freed space may still be referenced by **dangling pointers**
- Fragmentation

⇒ **Garbage Collection**





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Function definition consists of

- name
- formal parameters
- return type
- body

$$\text{code}_R f \rho = \text{loadc } \_f$$

- Function names must get an address just like other names



- During runtime, **many instances** of the same function may be active
- Called but not returned
- Formal parameters and local variables (**function variables**) of different instances must be **distinguished**

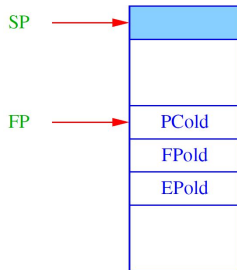


- Create a special section for each function call
- Manage these sections on the stack
- Each instance of a function gets its own private section on the stack

⇒ **Stack Frames**



- **Frame Pointer** *FP* points to the last **management** cell; all addresses relative to *FP*
- local variables: addresses +1, +2, ...
- formal parameters: addresses -3, -4, ... (**below** management cells)
- management cells: store **old register** values for function return





## Some Variables

```
void f(int v, int w) {  
    int a;  
    if (a > 0) {  
        int b;  
    } else {  
        int c;  
    }  
}
```

- Actual arguments are evaluated **right-to-left**
- For function  $\tau f(\tau_1 x_1, \dots, \tau_k x_k)$

$$x_1 \mapsto -2 - |\tau_1| \quad x_i \mapsto -2 - |\tau_1| - \dots - |\tau_i|$$

## Environment

$\nu$	$\rho(\nu)$
v	-3
w	-4
a	1
b	2
c	2



*f* Caller      *g* Callee

- |  |   |       |   |             |
|--|---|-------|---|-------------|
| 1. Determine actual parameters                     | } | mark  | } | in <i>f</i> |
| 2. Save <i>FP</i> , <i>EP</i>                      |   |       |   |             |
| 3. Determine start address of <i>g</i>             | } | call  |   |             |
| 4. Set new <i>FP</i>                               |   |       |   |             |
| 5. Save <i>PC</i> and<br>Jump to start of <i>g</i> | } | enter | } | in <i>g</i> |
| 6. Set new <i>EP</i>                               |   |       |   |             |
| 7. Allocate local variables                        |   |       |   |             |



*f* Caller      *g* Callee

- 0. Computation of return value
  - 1. Store return value
  - 2. Restore *FP*, *EP*, *SP*
  - 3. Jump back to code of *f*, i.e.  
Restore *PC*
  - 4. Cleanup stack
- } *return*
- } *slide*




$$\text{code}_R\ g(e_1, \dots, e_n)\ \rho \quad = \quad \text{code}_R\ e_{n-1}\ \rho$$

...

$\text{code}_R\ e_1\ \rho$   
mark  
loadc  $\rho(f)$   
call  
slide  $(s - 1)$

- **Call-by-value:** R-value of actual parameters
- $\rho(f)$  is the location, where the code for **f** starts in the instruction store



Consider the function definition

$$fd \equiv \tau f(specs)\{body\}$$

code  $fd \ \rho$  =

```
_f:  enter q      // set EP
      alloc k     // init local variables
      code  $body \ \rho_f$ 
      return      // leave function
```

$q$  =  $max+k$

$max$  = maximal length of local stack

where  $k$  = space for local variables

$\rho_f$  = address environment for  $f$   
based on  $\rho$ ,  $specs$ , and  $body$



- Access to local variables or formal parameters happen **relative to the current FP**.
- Need to modify computation of L-values
- Let  $\rho(x) = j$  then

$\text{code}_L \times \rho = \text{loadrc } j$
- **loadrc j** computes the sum of **FP** and **j**
  - $\text{SP}++;$
  - $\text{S}[\text{SP}] = \text{FP} + j;$



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- Before program execution
  - $SP = -1$
  - $FP = EP = 0$
  - $PC = 0$
  - $NP = MAX$
- Let  $p$  be the program consisting of function definitions  $F_1, \dots, F_n$ , one of which is called `main`
- The code for  $p$  consists of
  - Code for  $F_i$
  - Code for the `call` to `main`
  - The `halt` instruction



```
code  $p \emptyset$  =      enter 4  
                   alloc 1  
                   mark  
                   loadc _main  
                   call  
                   halt  
_f1:  code  $F_1 \emptyset$   
      ⋮  
_fn:  code  $F_n \emptyset$ 
```

- We assume, that `main` returns exactly one value
- This value lies on top of the stack after program execution