

Compiler Construction

Chapter 3 – Symbol Tables

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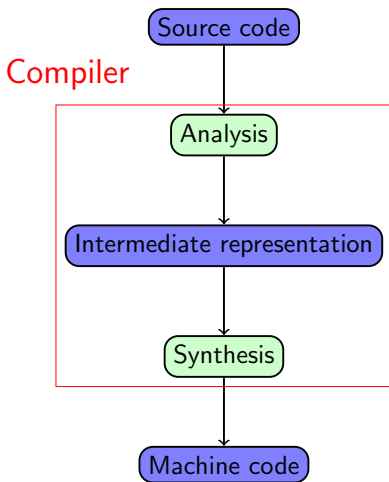
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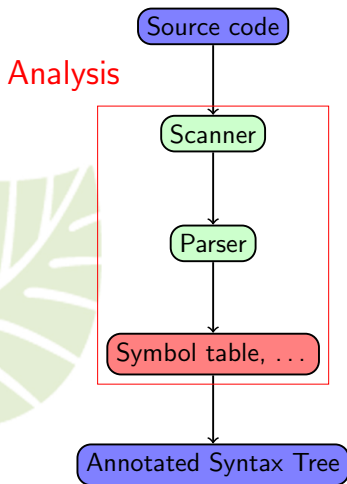
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- Overview
- From names to numbers: symbol tables
- Declaration \leftrightarrow checking
- Beware!





Lexical analysis → Token stream

Syntactical analysis → Syntax tree

Semantical analysis



Consider the following snippet of C code

```
void foo(int a) {  
    a++;  
    if (a) {  
        int a;  
        a++;  
    }  
}
```

- Within the **if** statement, the definition of parameter **a** is **shadowed** by the local definition
- For code generation, for every **use** of an identifier, we need to know its **definition**
- **lexical scoping**: the definition of a name is **valid** within the defining **block**; it is **visible** only if it is not shadowed within its defining block



For each **use** of a name, find the matching **declaration**!

- ① Replace names by **unique numbers**
 - Comparing numbers is faster
 - Save memory
- ② Find the matching **declaration** for each occurrence of a name
 - Need to allocate memory at run-time for each declaration of a name
 - In languages without explicit declarations, an implicit declaration is generated at the first occurrence



Idea

Input Sequence of strings

Output

- ① Sequence of numbers
- ② Table mapping numbers to strings



Input

science is what you know						
philosophy	is	what	you	do	not	know

Output

0	1	2	3	4	5	1	2	3	6	7	4
---	---	---	---	---	---	---	---	---	---	---	---

0	science
1	is
2	what
3	you
4	know
5	philosophy
6	do
7	not



- Partial map $S : \text{String} \rightarrow \text{int}$
- Keep a counter `int count=0;` for the number of distinct words found

Pseudocode

```
int getIndex(String w) {  
    if (S(w) undefined)  
        S = S + [ w -> count ];  
    return count++;  
else return S(w);  
}
```



Assume n pairs of names and unique numbers

- List of pairs

insert $\mathcal{O}(1)$

find $\mathcal{O}(n)$

- Balanced trees

insert $\mathcal{O}(\log(n))$

find $\mathcal{O}(\log(n))$

- Hashtables

insert $\mathcal{O}(1)$ (on average)

find $\mathcal{O}(1)$ (on average)



- Check that only declared names are used
- Traverse the syntax tree such that
 - Definitions are visited **before** uses
 - Currently visible definition is most recently visited
- For each name, manage a **stack** of valid definitions
- **Push declarations** onto the stack when met
- **Pop** declarations, when the scope is left
- When a name is **used** during traversal, look up the declaration on top of the stack
 - found** **create reference** from the point of use to the declaration
 - not found** **error**



Nested Scopes

```
int a, b;  
b = 5;  
if (b>3) {  
    int a, c;  
    a = 3;  
    c = a+1;  
    b = c;  
} else {  
    int c;  
    c = a+1;  
    b=c;  
}  
b = a+b;
```

Mapping of names to numbers

0	a
1	b
2	c



- Programming languages such as C **disallow redeclaration** of the same name within the same block
- Assign unique numbers to each block
- For each declaration, store the **enclosing block number**
- If there is another declaration of the same name with identical block numbers: **error**

Protip: Instead of unique numbers, **references to blocks** may be used.



In order to allow for **recursive data structures** programming languages allow **forward declarations**

Crazy Lists

```
struct list0 {  
    int info;  
    struct list1* next;  
}
```

```
struct list1 {  
    int info;  
    struct list10 next;  
}
```



- The name of **recursive functions** must be entered into the table before traversing the function body
- This holds for **all** function names in the case of **mutually recursive** functions



- Languages may distinguish a number of identifiers
 - variables
 - type names
 - function names
 - class names
- Overloading
- C typedef parsing problem (avoided here)