

$$\begin{array}{r}
 \begin{array}{l} 0001 \\ + 1001 \end{array} \quad \begin{array}{l} (+1) \\ (-1) \end{array} \\
 \hline
 1010 \quad (-2) \\
 \text{~~~~~}
 \end{array}$$

signed-magnitude

$$\begin{array}{r}
 \begin{array}{l} 0001 \\ + 1111 \end{array} \quad \begin{array}{l} (+1) \\ (-1) \end{array} \\
 \hline
 10000 \quad (0) \\
 \times
 \end{array}$$

2's comp.

$$\begin{array}{rcl}
 0001 \quad (+1) & \rightarrow & 001 \quad (1) \\
 1001 \quad (-1) & \rightarrow & \begin{array}{r} 001 \quad (1) \\ \hline 0000 \quad (0) \end{array}
 \end{array}$$

$$\begin{array}{r}
 4 = 1 \\
 + 0100 \\
 + 1111
 \end{array}$$

$$1 \Rightarrow 0001$$

2'sc
→

$$\begin{array}{r}
 + 1110 \\
 \hline
 1111
 \end{array}$$

$$\begin{array}{r}
 + 0100 \\
 + 1111 \\
 \hline
 1001 \quad (+3) \\
 \times
 \end{array}$$

AND

OR

XOR



Booth's.

MD 010 (2)
MR 011 (3)

if 10 \rightarrow PD = PD - MD

2's COMP \rightarrow MD

$$\begin{array}{r} 101 \\ 110 \\ \hline \end{array}$$

PD 000
MD 010
MR 011
CR 011
MX 0

PD =
$$\begin{array}{r} 000 \\ 110 \\ \hline 110 \end{array}$$

PD 110
MD 010
MR 011
CR 011
MX 0



PD 111
MD 010
MR 001
CR 010
MX 1

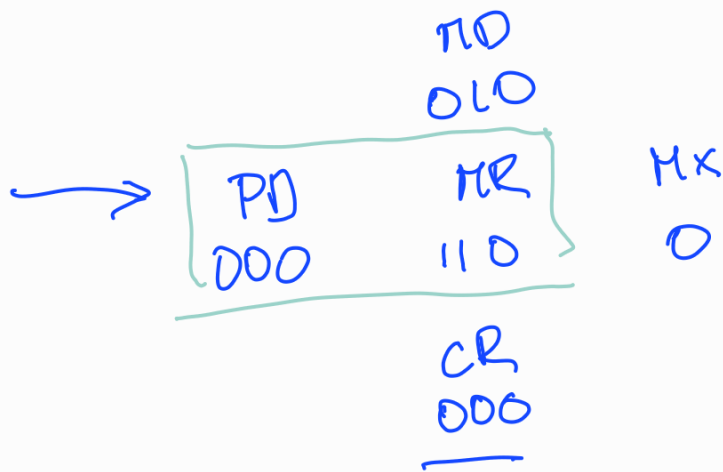
PD = PD + MD

$$\begin{array}{r} 010 \\ 111 \\ \hline 001 \end{array}$$

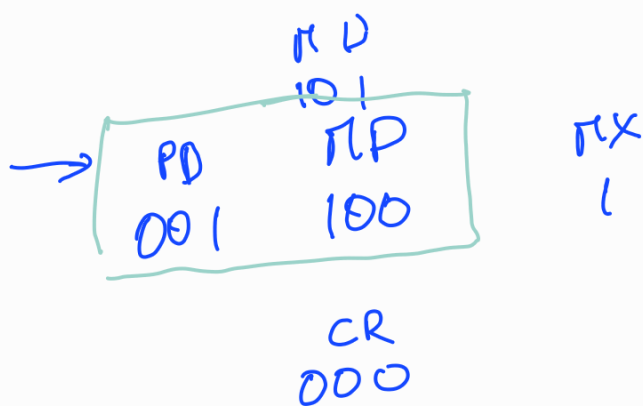
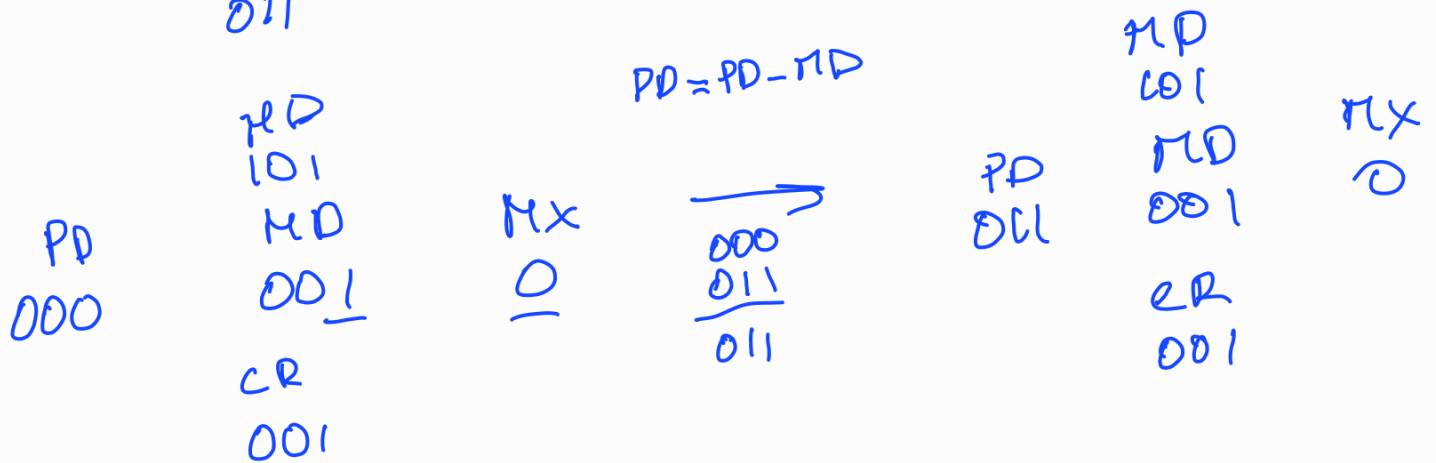
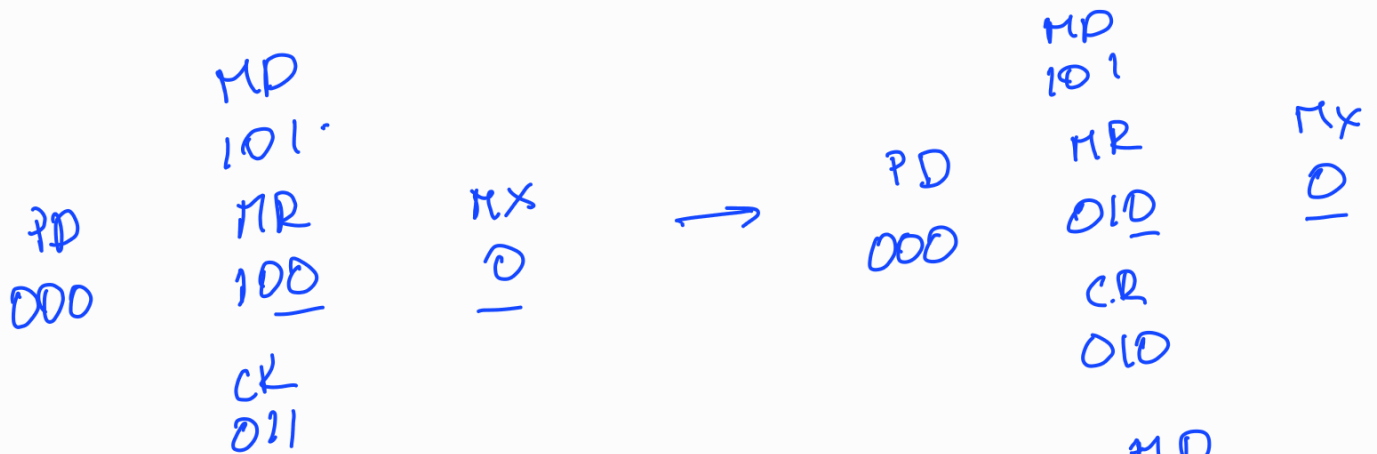
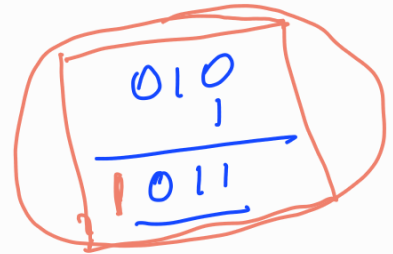
PD 111
MD 010
MR 100
CR 001
MX 1



PD 001
MD 010
MR 100
CR 001
MX 1



\Rightarrow result
 000110 \rightarrow 6
 $2 \times 3 = 6.$



$\xrightarrow{\text{result}}$
 $\xrightarrow{2's\ comp}$

001100 \rightarrow 12
 001100 \rightarrow -4

$\begin{array}{r} 0011 \\ \hline 0100 \end{array}$

2 bits

00
01
10
11

3 bits

000
001
010
011 X
100 X
101
110
111

101
1
110

0101 5
0100 4

0101 $\xrightarrow{2'sC}$ 1011

PD
0000
MR
0100
CR
0100

MX
0

→

PD
0000
MR
0010
CR
0011
MX
0

PD
0000
MR
0001
CR
0010

MX
0

PD-MD
→

PD
1011
MR
0001
CR
0010
MX
0

PD
1101
MR
1000
CR
0001

MX
1

PD+MD
→

PD
0010
MR
1000
CR
0001
MX
1

→

PD	MR
0001	0100
CR	
0000	

MX
0

result
⇒

00010100₂

¹⁰ ⇒ 20₁₀

4x5 = 20 w.