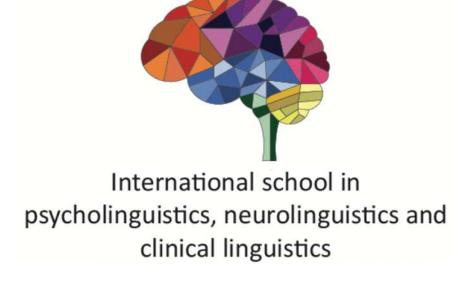
#### **INTRO**



Dr. Seçkin Arslan









### Statistics with R

This tutorial will take you to a journey around

- ► R studio,
- regression,
- and how to analyse "response times data" with mixed effects regression in R





#### Statistics with R



[Home]

Download

CRAN

R Project

#### What is R?

#### Introduction to R

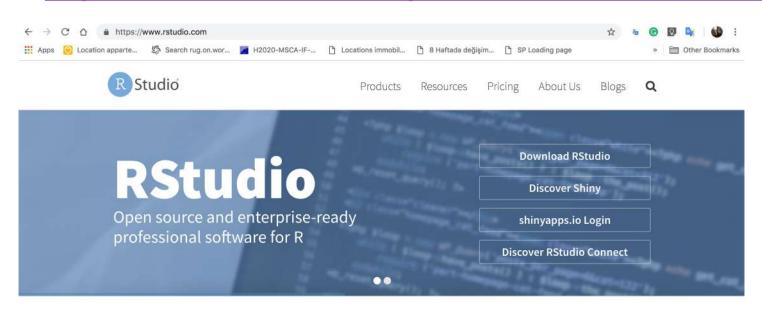
R is a language and environment for statistical computing and graphics. It is a GNU project which is similar to the S language and environment which was developed at Bell Laboratories (formerly AT&T, now Lucent Technologies) by John Chambers and colleagues. R can be considered as a different implementation of S. There are some important differences, but much code written for S runs unaltered under R.

ics and



R and RStudio (download here)

https://www.rstudio.com/products/rstudio/download/#download

















► Follow from Rstudio Cloud (Recommended)

https://rstudio.cloud/



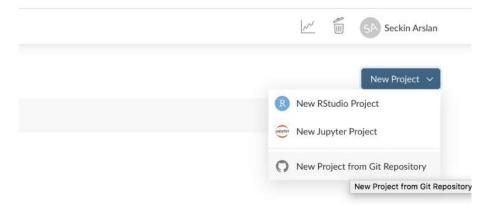


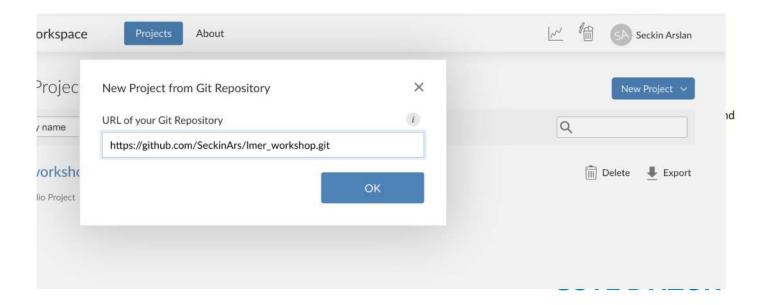


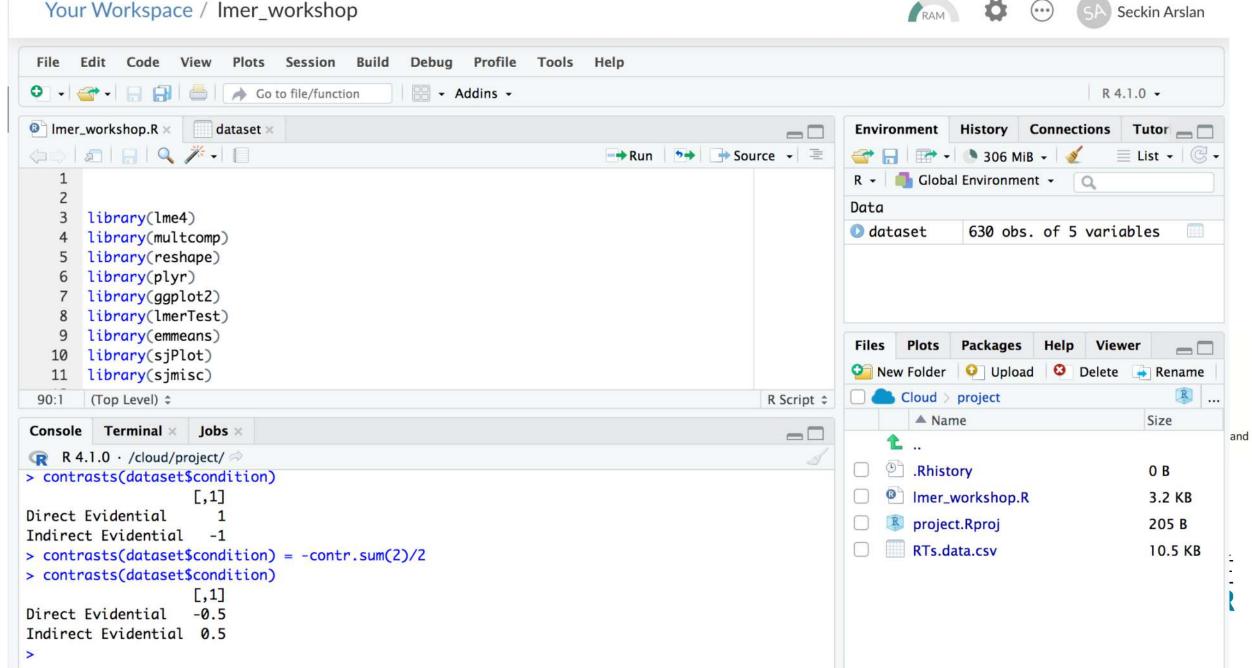
Follow from Rstudio Cloud (Recommended)

https://rstudio.cloud/

https://github.com/SeckinArs/Imer\_workshop.git



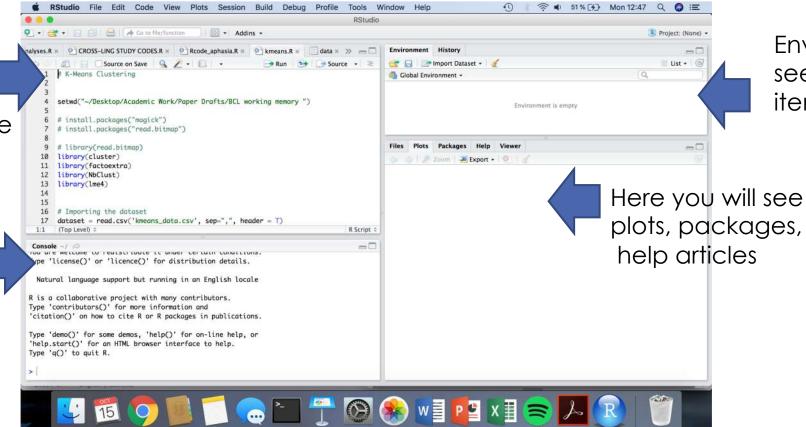




► Introduction to R and RStudio

The editor:
where you write
/ manipulate code

Console: this is where you see outputs from statistical models



Environment: you can see variables, datasets, items created



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# mixed-effects regression pckg

install.packages("Ime4")

#call from library

library(lme4)





#### DATA PREPROCESSING



Dr. Seçkin Arslan









### Pre-processing: power

Before you begin analysing, consider doing power analysis (PA)

PA with cross-random effects
 (https://jakewestfall.shinyapps.io/crossedpower/)





Westfall, J., Kenny, D. A., & Judd, C. M. (2014). Journal of Experimental Psychology: General, 143 (5), 2020-2045.

See recommendations from Figner etal.: http://decision-lab.org/wp-content/uploads/2020/07/SOP\_Mixed\_Models\_D2P2\_v1\_0\_0.pdf

### Pre-processing: power

What is p-value?

"p < .05" null-hypothesis is true less than 5% of chance, so we reject null-hypothesis with more than 95% confidence.

What is p-value hacking?

Misreporting or selective reporting of your results especially because when tests did not yield significant p-values.

#### **AVOID THIS!!**

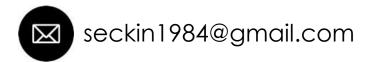




### PREPARING VARIABLES & CONTRAST CODING



Dr. Seçkin Arslan



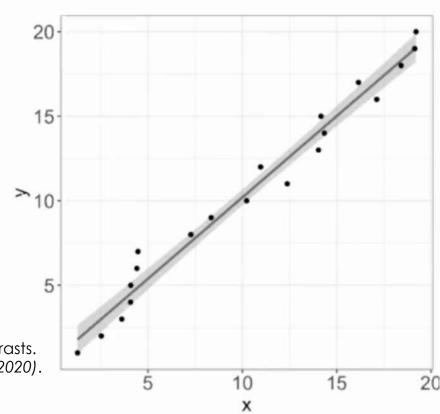






#### What is a contrast?

In regression, we predict a dependent variable (y) by an predicting variable (x) > 10.



Brehm, L., & Alday, P. M. (2020). A decade of mixed models: It's past time to set your contrasts. In the 26th Architectures and Mechanisms for Language Processing Conference (AMLap 2020).

A very good talk at AMLAP 2020:

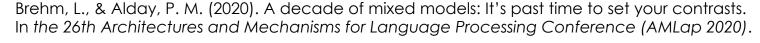
https://mediaup.uni-potsdam.de/Play/Chapter/223

Blog post by Dale Barr: https://talklab.psy.gla.ac.uk/tvw/catpred/

26.10.21

#### What is a contrast?

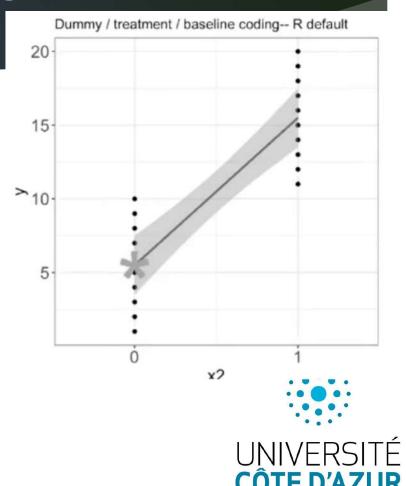
In categorical variables, levels in (x) are contrasts, which allow you to effects of different treatments



A very good talk at AMLAP 2020:

https://mediaup.uni-potsdam.de/Play/Chapter/223

Blog post by Dale Barr: https://talklab.psy.gla.ac.uk/tvw/catpred/

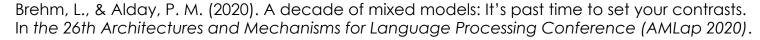


26.10.21

#### What is a contrast?

1) dummy (treatment) coding -->

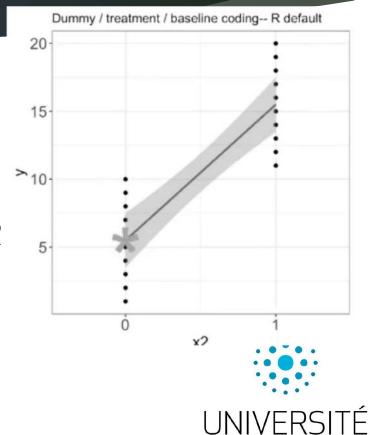
Categorical vars are taken as dummy by default in R - model intercept when x = 0.



A very good talk at AMLAP 2020:

https://mediaup.uni-potsdam.de/Play/Chapter/223

Blog post by Dale Barr: https://talklab.psy.gla.ac.uk/tvw/catpred/

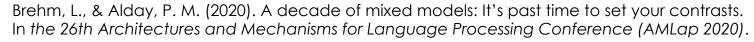


#### What is a contrast?

2) sum (to zero) coding -->

When values of contrasts change, estimates change

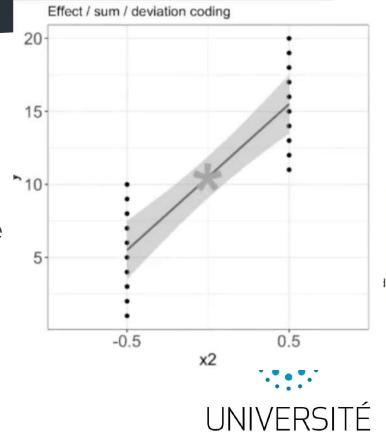
- model intercept is x = 0 (which is now mean)



A very good talk at AMLAP 2020:

https://mediaup.uni-potsdam.de/Play/Chapter/223

Blog post by Dale Barr: https://talklab.psy.gla.ac.uk/tvw/catpred/



26.10.21

#### How to do sum-coding?

#### R-code:

contrasts(DataFrame\$Variable) = contr.sum(2)

#If you have 2 levels to this variable # this will change 1/0 coding to -0.5/0.5 coding.









### Pre-processing: scaling or standardizing

#### Continuous independent variables

- if you have multiple continuous variables on different scales, consider scaling...
- Multicollinearity can be a problem
- Numeric values on different scales

Participant 🐣	age 🖣	Group	Gender	score.MMSE	digit.span.FWD
1	21	young	М	29	8
2	20	young	F	30	6
3	23	young	М	29	6
4	21	young	F	30	7
5	25	young	М	29	5
6	21	young	F	30	7
7	20	young	F	30	7
8	23	young	F	29	8
9	20	young	М	29	7
10	21	young	F	27	6
11	20	young	F	29	6
12	21	young	F	29	6



## Pre-processing: scaling or standardizing

### Continuous independent variables

how to scale in R

DF\$Var <- scale(DF\$Var)

#This rescales the variable

#by subtracting mean from each

#observation

Participant ^	age 🌼	Group <sup>‡</sup>	Gender •	score.MMS	digit.span.FWD		
1	21	young	М	29	1.8516402		
2	20	young	F	30	0.0000000		
3	23	young	М	29	0.0000000		
4	21	young	F	30	0.9258201		
5	25	young	М	29	-0.9258201		
6	21	young	F	30	0.9258201		
7	20	young	F	30	0.9258201		
8	23	young	F	29	1.8516402		
9	20	young	М	29	0.9258201		
10	21	young	F	27	0.0000000		
11	20	young	F	29	0.0000000		
12	21	young	F	29	0.0000000		



## Pre-processing: scaling or standardizing

#### Continuous independent variables

how to scale in R

DF\$Var <- scale(DF\$Var)

Participant **	age	Group	Gender	score.MMSE	digit.span.FWD		
1	21	young	M	0.09046821	1.8516402		
2	20	young	F	0.75993295	0.0000000		
3	23	young	М	0.09046821	0.0000000		
4	21	young	F	0.75993295	0.9258201		
5	25	young	М	0.09046821	-0.9258201		
6	21	young	F	0.75993295	0.9258201		
7	20	young	F	0.75993295	0.9258201		
8	23	young	F	0.09046821	1.8516402		
9	20	young	M	0.09046821	0.9258201		
10	21	young	F	-1.24846128	0.0000000		
11	20	young	F	0.09046821	0.0000000		
12	21	young	F	0.09046821	0.0000000		

Both continuous independent vars are now on the same scale



LINEAR (MIXED EFFECTS) REGRESSION



Dr. Seçkin Arslan









### Regression

- Relationship between dependent variable and one or more predicting variable
- In regression, you can measure how an independent variable predicts dependent variable



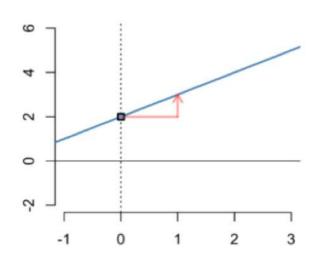


### Regression

#### Linear regression

 Examines linear relationship between a dependent variable and independent variable(s)

#### Regression line



$$y_i = \beta_1 x_i + \beta_0 + \varepsilon_i$$

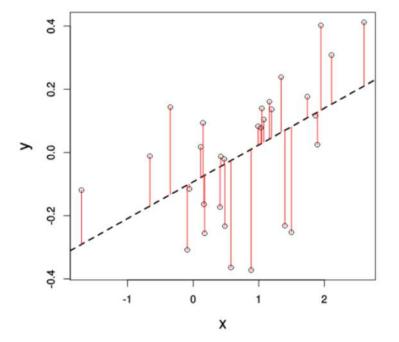
Which means... the dependent variable (y) independent variable (x), Intercept ( $\beta_0$ ), Coefficient ( $\beta_1$ ) and error ( $\epsilon_i$ )





## Regression

Residuals show distance / differences between the data points predicted by the regression model and the actual data points







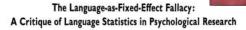
26.10.21

- Language-as-fixed-effect?
- Fixed-effect factor: has repeatable few levels
- Random-effect factor: has many possible levels



- Are experimental subjects fixed or random?
- Are linguistic stimulus materials fixed or random?

JOURNAL OF VERBAL LEARNING AND VERBAL BEHAVIOR 12, 335-359 (1973)



HERBERT H. CLARK

Stanford University

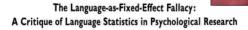
Current investigators of words, sentences, and other language materials almost never provide statistical evidence that their findings generalize beyond the specific sample of language materials they have chosen. Nevertheless, these same investigators do not hesitate to conclude that their findings are true for language in general. In so doing, it is argued, they are committing the language-as-fixed-effect fallacy, which can lead to serious error. The problem is illustrated for one well-known series of studies in semantic memory. With the appropriate statistics these studies are shown to provide no reliable evidence for most of the main conclusions drawn from them. A review of other experiments in semantic memory shows that many of them are likewise suspect. It is demonstrated how this fallacy can be avoided by doing the right statistics, selecting the appropriate design, and sampling by systematic procedures, or, alternatively, by proceeding according to the so-called method

In 1964, Edmund B. Coleman published replicated if a different sample of language an important methodological paper called materials were used (p. 219)." Coleman then "Generalizing to a Language Population" described available statistical procedures that in which he criticized some of the procedures would assure generality across language



- Language-as-fixed-effect?
- Clark (1973) suggested to use by-subject (F<sub>1</sub>) and by-item  $(F_2)$  analysis, so that the analysis can account for variability across subject and items.
- So apparently your subjects and also your items are random factors!

JOURNAL OF VERBAL LEARNING AND VERBAL BEHAVIOR 12, 335-359 (1973)



HERBERT H. CLARK

Stanford University

Current investigators of words, sentences, and other language materials almost never provide statistical evidence that their findings generalize beyond the specific sample of language materials they have chosen. Nevertheless, these same investigators do not hesitate to conclude that their findings are true for language in general. In so doing, it is argued, they are committing the language-as-fixed-effect fallacy, which can lead to serious error. The problem is illustrated for one well-known series of studies in semantic memory. With the appropriate statistics these studies are shown to provide no reliable evidence for most of the main conclusions drawn from them. A review of other experiments in semantic memory shows that many of them are likewise suspect. It is demonstrated how this fallacy can be avoided by doing the right statistics, selecting the appropriate design, and sampling by systematic procedures, or, alternatively, by proceeding according to the so-called method

In 1964, Edmund B. Coleman published replicated if a different sample of language an important methodological paper called materials were used (p. 219)." Coleman then "Generalizing to a Language Population" described available statistical procedures that in which he criticized some of the procedures would assure generality across language



▶ What do I mean by F1 vs. F2 ANOVA?

By-subject analysis (average over items)

1	2	3	4	5	6
Subjects	ltem1	Item2	Item3	Item4	Item5
1					
2					
3					
4					
5					
6					

By-item analysis (average over subjects)

1	2	3	4	5	6	7
Items	Subject1	Subject2	Subject3	Subject4	Subject5	Subject6
1						
2						
3						
4						
5						
		_				



But what if you get sig. by subjects CÔTE D and not by-items?

Why should you use mixed-effects regression?

[HTML] Mixed-effects modeling with crossed random effects for subjects and items

RH Baayen, DJ Davidson, DM Bates - Journal of memory and language, 2008 - Elsevier This paper provides an introduction to mixed-effects models for the analysis of repeated measurement data with subjects and items as crossed random effects. A worked-out example of how to use recent software for mixed-effects modeling is provided. Simulation studies illustrate the advantages offered by mixed-effects analyses compared to traditional analyses based on quasi-F tests, by-subjects analyses, combined by-subjects and by-items analyses, and random regression. Applications and possibilities across a range of domains ...

☆ 💯 Cited by 6908 Related articles All 26 versions

[HTML] sciencedirect.com



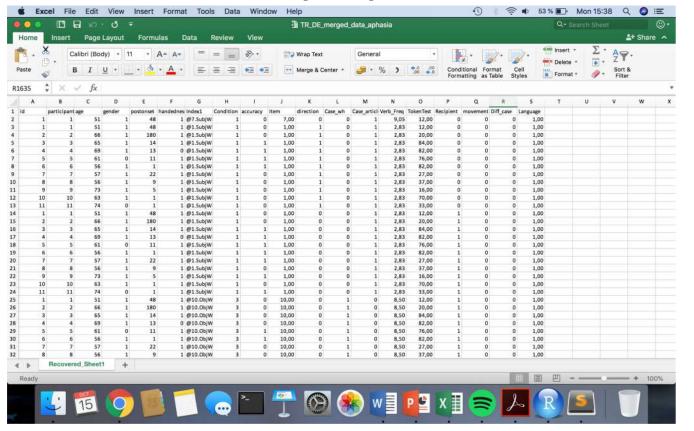


- ▶ Why should you use mixed-effects regression?
  - ▶ Doing regression is much easier than doing  $F_1/F_2$  tests.
  - Robust to missing data (no interpolation required)
  - ▶ There is no balancing needed.
  - You do not (always) need many post-hoc tests (multiple testing corrections were problematic)
  - Mixed-effects models allow for including random intercepts and slopes.





▶ How to import your data into R



Oftentimes, we have data in excel files, you can easily go

File > save as

And then choose .csv as the file extension (comma separated values) ycholinguistics, neurolinguistics and

p.s. I prefer .csv but you are at liberty to use other formats



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### This lecture

#### Linear mixed-effects regression model (Imer)

We will learn how to use linear regression to analyse Reaction times (RTs) data

The most essential part of this model is random factors





### This lecture

#### What are random-effect factors

Random-effects are the potential sources of variability (subject & items here), because RTs can vary across subjects and items



Some subjects react slower (or faster) than others, and some items may be reacted to slower/faster than others



### Random intercepts and slopes

- What are random-effect factors
- Random intercept for subject = model's estimated RTs (B) varies per subject
- Random intercept for items = model's estimated RTs varies per item
- Random slope for age per item = effect of subjects' age may be different on some item than others

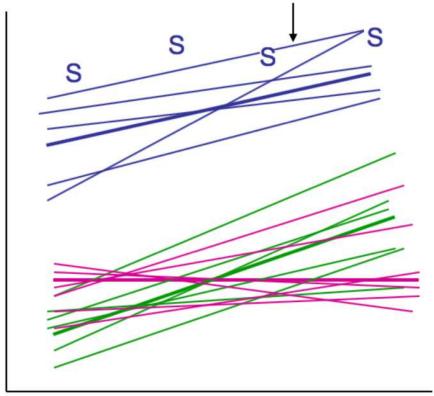




### Random intercepts and slopes

#### Random intercepts

Your model will make estimates per subject and per item when these are included as random intercepts (i.e. random baselines)





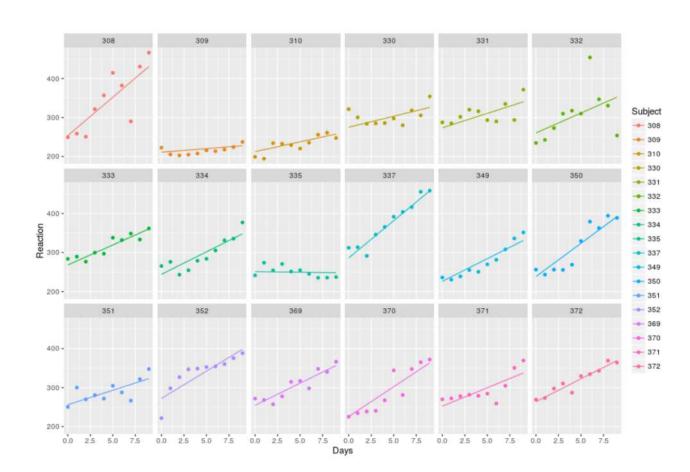




#### Random slope

Linear regression assumes all individuals come from a sample with a same slope (B).

We can let slopes vary depending on a **covariate** factor.

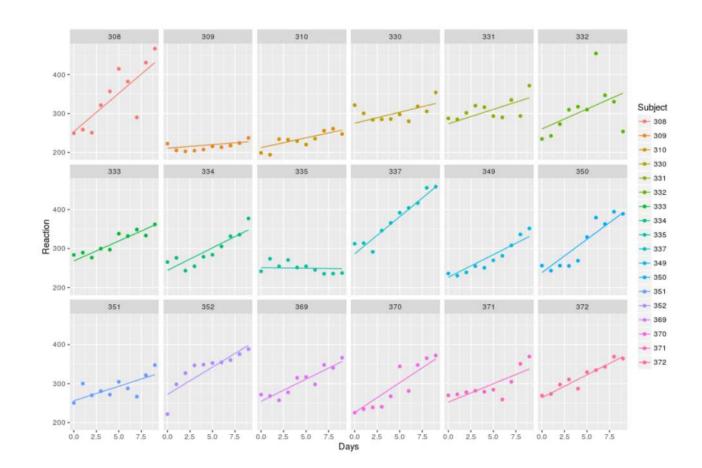




#### Random slope

For instance, days without sleep can impact different individuals to different levels in their reaction

So, "days" variable affects responses per subject (and to different levels)



#### Mixed-effect regression

- Lmer assumes:
- Relationship between dependent and independent variable is linear
- No strong multicollinearity
- Variance in residuals is homoscedastic (homogeneous)
- Residuals are normally distributed





#### Mixed-effect regression

- Check distribution of residuals with a simple hist() histogram or a similar tool.
- ▶ If they are very abnormal, transform the data or use generalized linear mixed effects regression GLMER (w will see in next sessions)





2.5. STEPS FOR LMER USING R (APPLIED)



Dr. Seçkin Arslan









Case study for today

Dataset is in the shared folder (session 1)

This is a sentence processing experiment that I did in my PhD

It is about "evidentiality" and involved a simple reaction times experiment

Press a button when there is a violation in the sentence (similar to **go/no-go task**)

Bilingualiam: Language and Cognition: page 1 of 16 © Cambridge University Press 2015 doi:10.1017/S136672891500084X

Processing grammatical evidentiality and time reference in Turkish heritage and monolingual speakers\* SECKIN ARSLAN

International Doctorate for Experimental Approaches to Language and Brain (IDEALAB), University of Groningen, The Netherlands;

University of Potsdam, Germany;

University of Newcastle, UK;

University of Trento, Italy;

Macquarie University, Sydney, Australia; Center for Language and Cognition (CLCG), Department of

Linguistics, University of Groningen, The Netherlands

DÖRTE DE KOK

Department of Linguistics, University of Tübingen, Germany ROELIEN BASTIAANSE

Center for Language and Cognition (CLCG), Department of Linguistics, University of Groningen, The Netherlands.

(Received: July 29, 2014; final revision received: November 9, 2015; accepted: November 9, 2015)

In the current study, we examined how adult heritage and monolingual speakers of Turkish process evidentiality (the linguistic expression of information source) through finite verb inflections and time reference, expressed on non-finite participles. A sentence-verification task was used to measure participants' sensitivity to evidentiality and time-reference violations in Turkish. Our findings showed that the heritage speakers were less accurate and slower than the monolinguals in responding to both evidentiality and time-reference violations. Also, the heritage speakers made more errors and had longer RTs when responding to evidentiality violations as compared to time-reference violations. The monolinguals had longer RTs (and more accurate responses) to time reference than to evidentiality violations. This study shows that evidentiality is susceptible to incomplete acquisition in Turkish heritage speakers. It is suggested that the requirement for simultaneous processing at different linguistic levels makes the evidentiality markers vulnerable.

Keywords: evidentiality, time reference, heritage language speaker, Turkish-Dutch bilingualism



Ready?

Now, then, we will follow these 11 steps





1) Set working directory & Load data

```
setwd("~/Desktop/Academic Work/UCA teaching/Course week 4")
```

```
dataset = read.csv('RTs.data.csv', sep=",", header = T)
```



Be sure to adapt the directory according to where you saved the data files.



2) View the data

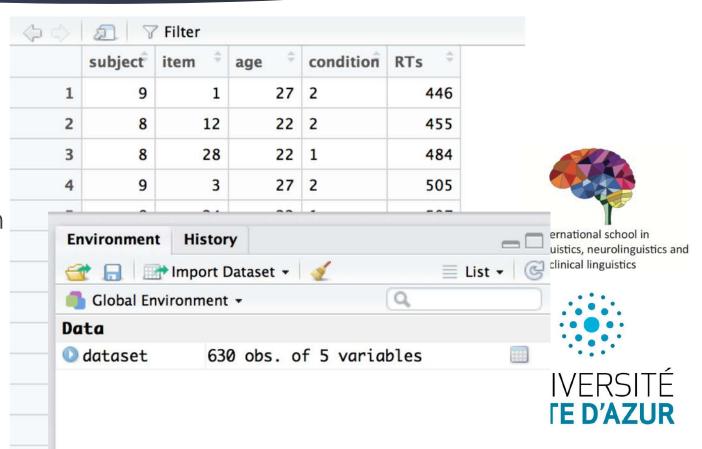
**subject**: number of participants

item: number of items

age: age of participants

condition: experimental manipulation

RTs: reaction times (in milliseconds)



>

```
3) Inspect data
                              Console ~/Desktop/Academic Work/UCA teaching/Course week 4/
                             > head(dataset)
                               subject item age condition RTs
                                         1 27
                                                       2 446
# head(dataset)
                                                       2 455
# summary(dataset) 3
                                                       1 484
                                                       2 505
                                        24 22
                                                       1 507
                                            27
                                                       1 509
                             > summary(dataset)
                                                                                                                           and
                                 subject
                                                  item
                                                                              condition
                                                                                                RTs
                                                                 age
                              Min. : 1.00
                                             Min.
                                                    : 1.00
                                                            Min.
                                                                   :18.00
                                                                            Min.
                                                                                   :1.000
                                                                                           Min. : 446.0
                              1st Qu.: 7.00
                                             1st Qu.: 9.00
                                                            1st Qu.:24.00
                                                                            1st Qu.:1.000
                                                                                           1st Qu.: 877.2
                              Median :12.00
                                             Median :16.00
                                                            Median :27.00
                                                                            Median :1.000
                                                                                           Median :1268.0
                                    :13.12
                                                  :15.83
                                                                   :27.97
                                             Mean
                                                            Mean
                                                                            Mean
                                                                                  :1.495
                                                                                           Mean
                                                                                                :1667.8
                              Mean
                              3rd Qu.:20.00
                                             3rd Qu.:23.00
                                                                            3rd Qu.:2.000
                                                            3rd Qu.:28.00
                                                                                           3rd Qu.:2183.8
                                     :26.00
                                                    :30.00
                                                                   :48.00
                                                                                   :2.000
                                                                                                  :5516.0
                              Max.
                                             Max.
                                                            Max.
                                                                            Max.
                                                                                           Max.
```

4) Conditions

Conditions are currently coded as numeric values

- (1) = Direct evidential
- (2) = Indirect evidential

It is better if we convert them into factors





4) Conditions -- This code will convert numeric values into levels of a factor

dataset\$condition <- factor(dataset\$condition,

Indirect Evidential

levels = c(1,2),

labels = c("Direct Evidential", "Indirect Evidential"))

<b>4</b> 4	1					
	subject	item ‡	age 💠	condition	RTs <sup>‡</sup>	
1	9	1	27	Indirect Evidential	446	
2	8	12	22	Indirect Evidential	455	
3	8	28	22	Direct Evidential	484	
4	9	3	27	Indirect Evidential	505	
5	8	24	22	Direct Evidential	507	
6	9	29	27	Direct Evidential	509	
7	8	14	22	Direct Evidential	519	
_	_		1000000			



4) Conditions -- This code will convert numeric values into levels of a factor

dataset\$condition <- factor(dataset\$condition,

levels = c(1,2),

labels = c("Direct Evidential", "Indirect Evidential"))

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uistics and
1

A					
	subject	item <sup>‡</sup>	age ‡	condition	RTs
1	9	1	27	Indirect Evidential	446
2	8	12	22	Indirect Evidential	455
3	8	28	22	Direct Evidential	484
4	9	3	27	Indirect Evidential	505
5	8	24	22	Direct Evidential	507
6	9	29	27	Direct Evidential	509
7	8	14	22	Direct Evidential	519
8	9	15	27	Indirect Evidential	553



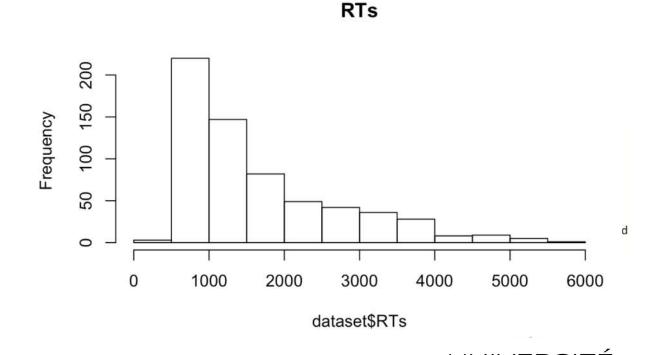
5) Visualise your data

# a quick visualisation

hist(dataset\$RTs, main="RTs")

It is almost always the case that human RTs data are never normally distributed;

We will come to this later!



6) Fit your first linear mixed-effects regression model (*Imer*)

Imer (dep.var ~ indep.var + (1 | random intercept) + (1 |
random intercept), data = dataset))





6) Fit your first **Imer** 

```
# fit your first lmer
model1 <- lmer(RTs ~ condition + (1 |subject) + (1|item), data=dataset)
summary(model1)</pre>
```





#### 7) Interpreting fixed and random effects

Intercept **or baseline** = 1684.7 ms estimated RTs based on default (= Direct evidential) Fixed effect of condition: the estimated RTs for the indirect evidential are 160.4 ms longer on average

```
Fixed effects:
```

```
Estimate Std. Error df t value Pr(>|t|)

(Intercept) 1684.79 172.87 26.60 9.746 2.92e-10 ***

conditionIndirect Evidential 160.43 58.71 576.10 2.732 0.00648 **

---

Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
```

Correlation of Fixed Effects: (Intr)

cndtnIndrcE -0.169

p<0.05 or t> ~+/- 2 indicate significance.



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clinical linguistics

7) Interpreting fixed and random effects the intercept is the estimated value of the DV, if IV is default (or 0).

Our IV (condition) is a categorical variable (direct vs indirect)

#### Default = Direct evidential

```
Fixed effects:
```

```
Estimate Std. Error df t value Pr(>|t|)

(Intercept) 1684.79 172.87 26.60 9.746 2.92e-10 ***

conditionIndirect Evidential 160.43 58.71 576.10 2.732 0.00648 **

---

Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1

Correlation of Fixed Effects:

(Intr)

cndtnIndrcE -0.169
```





7) Interpreting random and fixed effects

```
> model1 <- lmer(RTs ~ condition + (1 | subject) + (1|item), data=dataset)
> summary(model1)
Linear mixed model fit by REML. t-tests use Satterthwaite's method ['lmerModLmerTest']
Formula: RTs ~ condition + (1 | subject) + (1 | item)
```

Data: dataset

#### Random effects:

```
Groups Name Variance Std.Dev.
item (Intercept) 28120 167.7
subject (Intercept) 678408 823.7
Residual 539836 734.7
```

Random effects provide sources of variability as random factors in your model

RTs can vary across subjects and items randomly!!

Random effects are interpreted in similar way as fixed effects



7) Interpreting random and fixed effects

# ranef(model1)

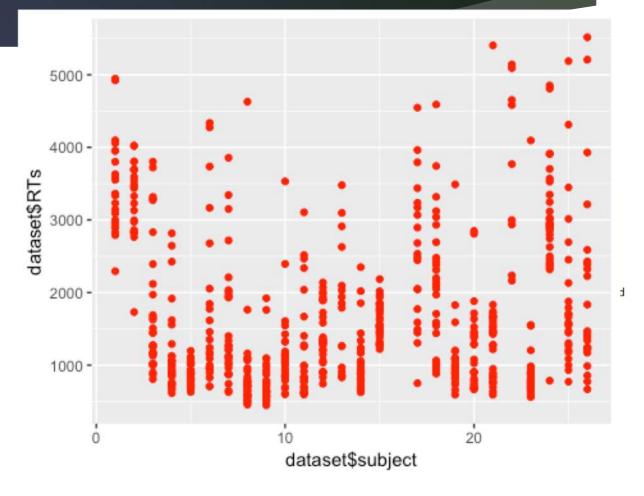
Will tell you how much each random effect deviates from the average estimated RTs

Subject 10 has an estimated RTs of 588 ms shorter than the model1's average estimation, but Subject 2 is 1482 ms longer!

						_	
	¢c.	\$subject		\$item			
	<b>\$50</b>	1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1		(]	Interc	ept)	
	_	(Intercept)	1		3.890	2098	
	1	1654.422406	2	35	54.518	9523	
A	2	1482.595330	3		7.198		
	3	7.606509	4	10	58.391		
	4	-563.414393		251110		ATTACABLE TABLES	
	5	-854.564550	5		75.354	and the same of th	
	6	-23.056498	6	-	75.466	No. of Concession, Name of Street, or other Publisher, Name of Street, Name of Street, or other Publisher, Name of Street, Name of	
	7	-228.146745	7		38.369	6174	
	8	-836.146449	8	(	57.373	5019	
	9	-935.458037	9	10	8.855	1542	
	1000		10	) 7	76.407	5424	
	10	-588.180945	11		30.374	5443	
		-471.087435	12	17	73.220	1174	
	12	-348.936568	13		26.336		
	13	126.735388	14		20.598		
	14	-665.048671	-				
	15	-151.024033	15	,	77.381	2217	

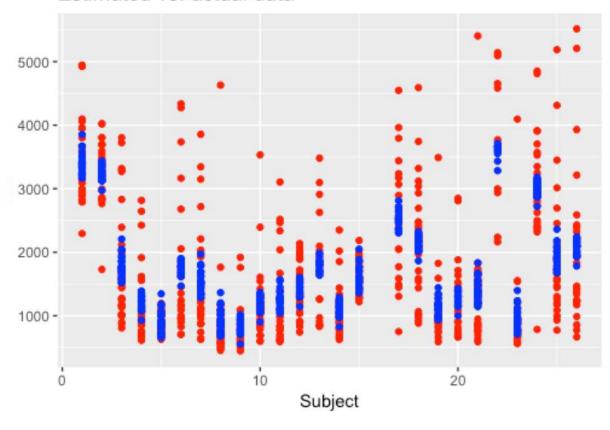
8) Visualize actual data vs. estimated data

This is our actual data == >



8) Visualize actual data vs. estimated data

#### Estimated vs. actual data



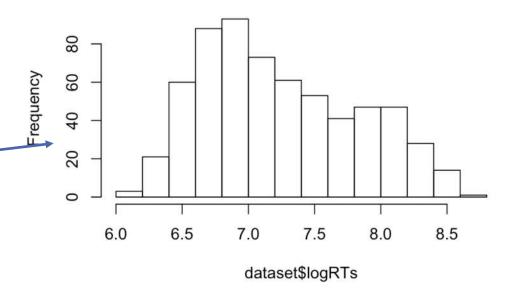
9) Normalize RTs data while running Imer

```
# normalizing RTs data while running lmer
```

dataset\$logRTs = log(dataset\$RTs)
hist(dataset\$logRTs)

Log transformed values have a distribution that is closer to normal distribution.

#### Histogram of dataset\$logRTs



9) Normalize RTs data while running Imer

```
model2 <- lmer(log(RTs) ~ condition + (1 | subject) + (1 | item), data=dataset)
summary(model2) 4</pre>
```

Log transform your data when you need a normal-like distribution





10) Add random slopes in addition to random intercepts!

```
# adding random slopes
```

```
model3 <- lmer (RTs ~ condition + (1 + condition|subject) + (1|item), data=dataset)
summary(model3)</pre>
```





Adding "condition" as a random slope per subject = each subject may respond differently to each condition

10) Add random slopes in addition to random intercepts!

```
# adding random slopes
model3 <- lmer (RTs ~ condition + (1 + condition|subject) + (1|item), data=da
summary(model4)</pre>
```

Age as random slope per item =
Participants' age can affect
responses to some items differently
than others

```
model4 <- lmer (RTs ~ condition + (1 + condition | subject) + (1 + age | item), data=dataset)
summary(model4)</pre>
```



11) Compare your models to determine the best model

# anova(model1, model2)

To see if your model is better than the others!





12) Interpreting interaction and post-hoc tests <a href="mailto:emmeans with single predicting variables">emmeans with single predicting variables</a>

model3 <- Imer (RTs ~ condition + (1 | subject) + (1 + age | item), data=dataset)

emmeans (model3, "condition")
pairs (emmeans (model3, "condition"))





12) Interpreting interaction and post-hoc tests **emmeans with crossed factors / multiple predicting variabls** 

model4 <- Imer (log(RTs)  $\sim$  age \* condition + (1 | subject) + (1 | item), data=dataset)

emmeans(model4, "condition", by = "age")
pairs(emmeans(model4, "condition", by = "age"))

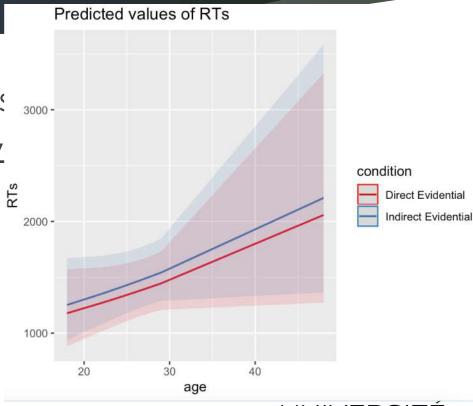




12) Interpreting interaction and post-hoc tes 3000 emmeans with crossed factors / multiple predicting v

Plot interaction:

plot\_model(model4, type = "pred",
terms = c("age", "condition"))





#### Final notes # 1

If you are having non-convergence issues (probably due to including random slopes), try **optimization by quadratic approximation (bobyqa)**:



model5 <- Imer (log(RTs)  $\sim$  age \* condition + (1 | subject) + (1 | item),

control = ImerControl(optimizer='bobyqa'),
data=dataset)



#### Final notes # 2

By default "Imer" fits with REML (= **Re**stricted **M**aximum **L**ikelihood)

psycholinguistics, neurolinguistics and

You can choose to fit your model with "Maximum Likelihood" setting # REML = FALSE # in your code

#### Final notes #3

Use contrast coding when this is possible

contrasts(dataset\$condition) = contr.sum(2)
contrasts(dataset\$condition)

[,1]

Direct Evidential

Indirect Evidential -1







Replying to @fernandaedi

We spend an extraordinary amount of time setting up models, simplifying models, and hoping for each one to converge. And waiting for days for a model to finish running. Like many labs, we now use dedicated machines for running statistical analyses.

5:18 PM · Dec 20, 2020 · Twitter Web App

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Fernanda Ferreira

Replying to @fernandaedi

Our papers are held up for weeks due to that one model that won't converge as we try, simplify, run, wait, repeat, over and over. Many are experiments with a 2x2 within-S design that you used to be able to analyze with an HP calculator. Students' work is delayed getting out.

5:18 PM · Dec 20, 2020 · Twitter Web App



Replying to @fernandaedi

We're now running 2x2 experiments with 100s of subjects because our complex models require that large an N to test for possible effects we're not the slightest bit interested in. These Ss have to be paid for or recruited as "volunteers".



