#### **Table of Contents**

```
222222
% CODE CHALLENGE 1 -
% The purpose of this challenge is to estimate atmospheric pressure in
% Boulder CO using a pressure model and measurements, and compare the
% through error analysis and statistics.
% To complete the challenge, execute the following steps:
% 1) Load the given dataset
% 2) Extract altitude and pressure data
% 3) Determine standard deviation, variance, mean, and
   standard error of the mean of the pressure data
% 4) Using information given about the instrument, find uncertainty
associated
   with altitude measurements
% 5) Use the model to predict pressure measurements at each altitude
   data set, along with propagated uncertainty
% 6) Compare results, discuss, and print answers to the command
window.
% Bonus) Repeat for larger measurement uncertainty in altitude
% NOTE: DO NOT change any variable names already present in the code.
% Upload your team's script to Canvas to complete the challenge.
% NAME YOUR FILE AS Challengel_Sec{section number}_Group{group}
breakout # \ .m
% ***Section numbers are 1 or 2***
% EX File Name: Challengel Sec1 Group15.m
응
응
% 1) Autumn Martinez
% 2) Thomas O'Connor
% 3) Siyang Liu
% 4)
% 5)
```

## 1) Load data from given file

# 2) Extract just the altitude and station pressure data columns to meaningfully named variables

```
% Create a table which imports the data directly from the csv file for
% usability
boulderData = readtable("PressureInBoulder.csv")
% extract altitude and pressure data into individual arrays
AltitudeData = boulderData.Altitude_m_;
PressureData = boulderData.StationPressure kPa ;
Warning: The DATETIME data was created using format 'MM/dd/uuuu HH:mm'
but also
matched 'dd/MM/uuuu HH:mm'.
To avoid ambiguity, supply a datetime format using SETVAROPTS, e.g.
  opts = setvaropts(opts,varname,'InputFormat','MM/dd/uuuu HH:mm');
Warning: Column headers from the file were modified to make them valid
identifiers before creating variable names for the table. The original
headers are saved in the VariableDescriptions property.
Set 'PreserveVariableNames' to true to use the original column headers
as table
variable names.
boulderData =
  26×4 table
                       StationPressure_kPa_
         Date
                                             Altitude m
SeaLevelPressure_hPa_mBar_
   09/12/2019 10:01 84.302
                                               1616.8
    851.5
                             84.302
   09/12/2019 10:01
                                               1616.6
   09/12/2019 10:01
                             84.301
                                               1616.7
   09/12/2019 10:01 84.301
                                               1616.7
```

851.49

09/12/201	9 10:01	84.301	1616.6
851.49			
09/12/201	9 10:01	84.301	1616.6
851.49	0 10 01	84.301	1616.0
09/12/2015 851.49	9 10:01	84.301	1616.8
09/12/2019	9 10:01	84.301	1616.6
851.49			
09/12/201	9 10:01	84.303	1616.6
851.51			
09/12/201	9 10:01	84.303	1616.7
851.51			
09/12/201	9 10:01	84.303	1616.9
851.51			
09/12/201	9 10:01	84.303	1616.6
851.51			
09/12/201	9 10:01	84.303	1616.8
851.51	0 10.01	84.303	1616 6
09/12/2019 851.51	9 10:01	84.303	1616.6
09/12/201	9 10:01	84.303	1616.6
851.51			
09/12/201	9 10:01	84.303	1616.7
851.51			
09/12/201	9 10:01	84.303	1616.6
851.51			
09/12/201	9 10:01	84.303	1616.6
851.51			
09/12/201	9 10:01	84.303	1616.5
851.51			
09/12/201	9 10:01	84.303	1616.6
851.51			
09/12/2015	9 10:01	84.303	1616.6
851.51 09/12/201	0 10.01	84.303	1616.7
851.51	9 10.01	04.303	1010.7
09/12/201	9 10:01	84.303	1616.8
851.5	20.01	31.303	1010.0
09/12/201	9 10:01	84.303	1616.8
851.5			
09/12/201	9 10:01	84.303	1616.8
851.5			
09/12/201	9 10:01	84.298	1616.6
851.46			

# 3) Determine Statistics and Error

the standard deviation, variance, mean, and standard error of the mean (sem) of the pressure data

% calculate each of the statistics using standard matlab functions
StdevPressure = std(PressureData)

```
VarPressure = var(PressureData)
MeanPressure = mean(PressureData)
% standard error of the mean is standard deviation of the dataset
divided
% by the square root of the number of values in the dataset
Sem_Pressure = StdevPressure / sqrt(length(PressureData))

StdevPressure =
    0.0012

VarPressure =
    1.4020e-06

MeanPressure =
    84.3025

Sem_Pressure =
    2.3221e-04
```

## 4) Uncertainty

The altitude measurements were taken using an instrument that displayed altitude to the nearest tenth of a meter.

```
\$ What is the associated absolute uncertainty with these measurements?
```

AltitudeUncertainty = 0.1; % [m]

#### 5) Pressure Predictions

Using the altitude measurements and uncertainty, predict pressure with t First, propagate uncertainty BY HAND before calculating uncertainty for Then check: is it different for each calculation?

```
P_est = P_s * exp(-k*AltitudeData) % (vector of pressure estimates for
each) (atmosphere pressure
% estimate)
% general method
P_sig = sqrt((exp(-k.*AltitudeData).*P_s_uncertainty).^2+(-
k.*P_s*exp(-k.*AltitudeData)*AltitudeUncertainty).^2) % (uncertainty
using general rule)
% p_est and p_sig vary slightly
P est =
   83.7647
   83.7667
   83.7662
   83.7657
   83.7667
   83.7667
   83.7647
   83.7667
   83.7667
   83.7662
   83.7637
   83.7667
   83.7652
   83.7667
   83.7667
   83.7657
   83.7667
   83.7667
   83.7672
   83.7667
   83.7667
   83.7662
   83.7642
   83.7647
   83.7647
   83.7667
P_sig =
    0.3295
    0.3295
    0.3295
    0.3295
    0.3295
    0.3295
    0.3295
    0.3295
    0.3295
```

0.3295

0.3295 0.3295 0.3295 0.3295 0.3295 0.3295 0.3295 0.3295 0.3295 0.3295 0.3295 0.3295 0.3295 0.3295 0.3295 0.3295

# 6) Print Results

Display the predicted pressure from the model with it's associated uncer the average pressure with the it's standard error of the mean from the d

P_est	P_sig
83.765	0.32946
83.767	0.32947
83.766	0.32947
83.766	0.32946
83.767	0.32947
83.767	0.32947
83.765	0.32946
83.767	0.32947
83.767	0.32947
83.766	0.32947
83.764	0.32946
83.767	0.32947
83.765	0.32946

```
83.767
             0.32947
   83.767
             0.32947
   83.766
             0.32946
   83.767
            0.32947
   83.767
             0.32947
   83.767
             0.32947
   83.767
            0.32947
   83.767
            0.32947
             0.32947
   83.766
             0.32946
   83.764
            0.32946
   83.765
             0.32946
   83.765
   83.767
             0.32947
84.3025 \pm 0.00023221
                        kPa
```

#### **Bonus**

```
Repeat steps 4-6, but assume the altitude measurements were taken on a
lower precision instrument that only displayed altitude to nearest 10
meters
How does this change the results and comparison ?
% new altitude uncertainty
altitude_uncertainty_new = 10
                               % [m]
% changing the uncertainty in p_sig
p_sig_new = sqrt((exp(-k.*AltitudeData).*P_s_uncertainty).^2+(-
k.*P_s*exp(-k.*AltitudeData)*altitude_uncertainty_new).^2) %
 (uncertainty using general rule)
results = table(P_est,p_sig_new);
kPa'];
disp(results);
disp(P_data);
percent_change = mean((p_sig_new - P_sig)./P_sig .* 100)
% An increase in the error of the altitude measurement by a factor of
100
% increases the error of pressure measurement by ~4.6 percent
altitude_uncertainty_new =
   10
p_sig_new =
   0.3445
   0.3445
   0.3445
   0.3445
```

```
0.3445
0.3445
0.3445
0.3445
0.3445
0.3445
0.3444
0.3445
0.3445
0.3445
0.3445
0.3445
0.3445
0.3445
0.3445
0.3445
0.3445
0.3445
0.3444
0.3445
0.3445
0.3445
P est
         p_sig_new
```

r_esc	<i>p_s1g_ne</i>
83.765	0.34445
83.767	0.34446
83.766	0.34446
83.766	0.34445
83.767	0.34446
83.767	0.34446
83.765	0.34445
83.767	0.34446
83.767	0.34446
83.766	0.34446
83.764	0.34445
83.767	0.34446
83.765	0.34445
83.767	0.34446
83.767	0.34446
83.766	0.34445
83.767	0.34446
83.767	0.34446
83.767	0.34446
83.767	0.34446
83.767	0.34446
83.766	0.34446
83.764	0.34445
83.765	0.34445
83.765	0.34445
83.767	0.34446

84.3025 ± 0.00023221 kPa

percent\_change =

4.5503

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