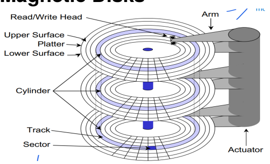
CS3223
AY22/23 Sem 2
github.com/SeekSaveServe

L1 - Data Storage

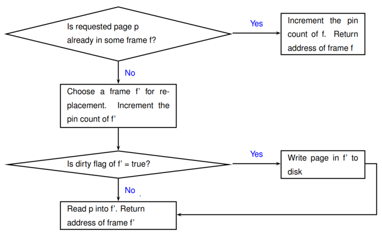
Magnetic Disks



- **Disk Access Time** Seek time + Rotational Latency + Transfer time
- **Response time** Queueing delay + Disk access time
- **Rotational Delay** $\frac{1}{2}\frac{60s}{RPM}$
- **Transfer Time** sectors on the same track * $\frac{TimePerRevolution}{SectorsPerTrack}$

Buffer Manager

- **Buffer pool** Main memory allocated for DBMS
- **pin count** is incremented upon pinning
- **dirty bit** is updated when the page is unpinned (if modified)
- Replacement is only possbile if pin count == 0

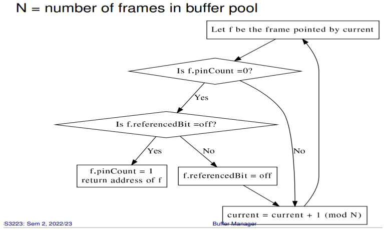


Replacement Policies LRU Policy

- Maintains a queue of pointers to frames with pin count = 0

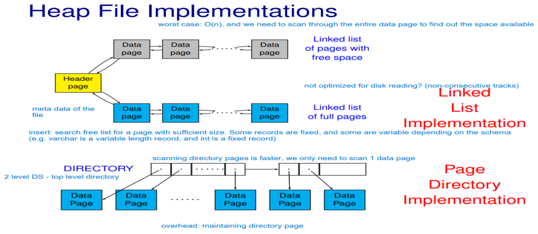
Clock Replacement Policy

N = number of frames in buffer pool



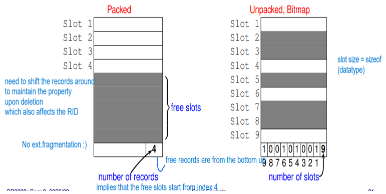
- Simplifies LRU with a second chance round robin system
- Each frame has a reference bit that is turned on when pin count reaches 0
- Repalces a page when referenced bit if off and pin count is 0

File Organisation



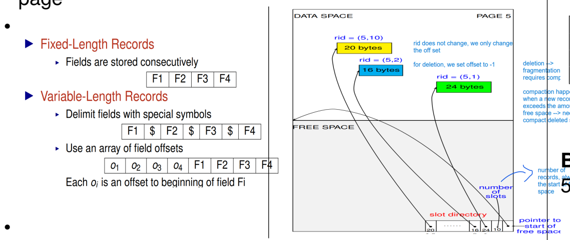
Page Formats: Fixed Length Records

- **Packed Organisation** Store records in contiguous slots
- **Unpacked Organisation** Uses a bit array to maintain free slots



Page Formats: Slotted Page (variable length record)

- Store records in slots of *(record offset, record length)*
- Record Offset: Offset of the record from the start of the page
-



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L2 And L3 - Indexing

- A search key is a sequence of k attributes. If k ¿ 1, composite key
- A search key is an unique index if it is a candidate key
- An index is stored as a file

Format of data entries

- Format 1: k* is an actual data record with search value k
- Format 2: k* is the form (k, rid)
- Format 3: k* is the form (k, rid-list*)
- Note: Different formats affects the number of data entries stored in a page

Clustered Vs Unclustered

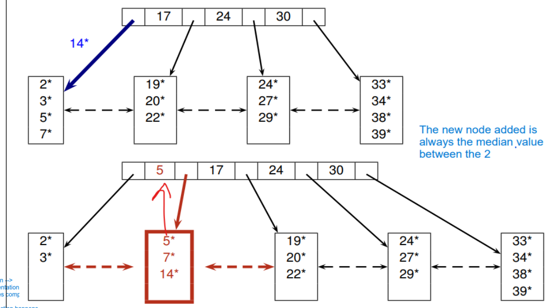
- Clustered: Order of data entries is the same as the oreder of data records. Can only be built on ordered field (e.g. primary key)
- Unclustered: Order of data entries does not correspond to the order of data records
- The implication is that we can read an entire clustered page with 1 I/O
- B+ Tree: Format 1 is clustered, Format 2 and 3 can be clustered if data records are sorted on the search key
- Hash: Only format 1 is clustered since hashing do not store data entries in search key order

Tree Based Index - B+ Tree

- Leaf nodes are doubly linked and store Data Entries
- Internal nodes sotre index entries (p0, k, p1 ... pk, k, pk+1)
- Internal nodes contains m entries, m $\in$ [d, 2d] $\rightarrow$ space utilisation $\geq$ 50%
- Root contains m entries, m $\in$ [1, 2d]

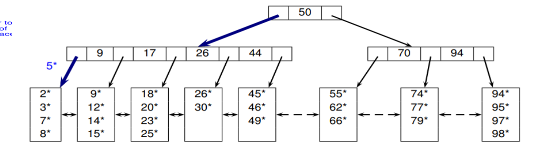
B+ Tree - Split Overflow Nodes

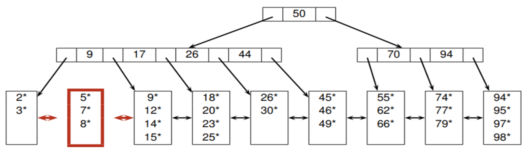
- Distribute d+1 entries to the new leaf node
- Create new entry index using smallest key in the new node (middle key)
- Insert new entry into parent node of overflowed node



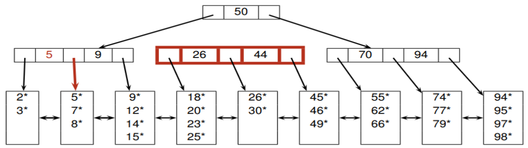
B+ Tree - Overflow Propagation

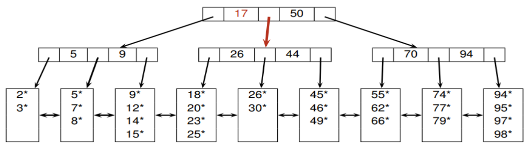
5 is pushed up





17 is pushed up

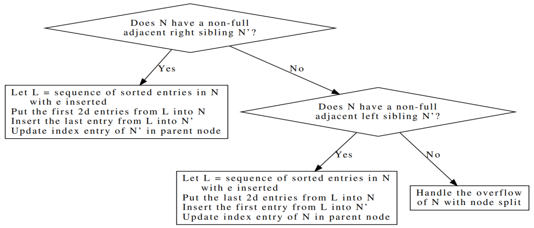




Excess middle node is pushed updated to parent node

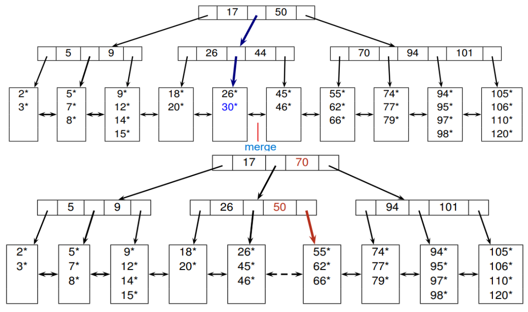
B+ Tree - Redistribution of data entries

Two nodes are siblings if they have the same parent node



B+ Tree - Underflow

- Underflow occurs when a node has less than d entries
- Underflow is resolved by redistributing entries between siblings
- An underflow node is merged if each of its adjacent siblings have exactly d entries



B+ Tree - Bulk Loading

- Initiazing a B+ tree by insertion is expensive (need to traverse tree n times)
- 1. Sort all data entries by search key
- 2. Initialise B+ tree with an empty root page
- 3. Load data entries into leaf pages
- 4. In asc order, insert the index entry of each leaf page into the rightmost parent node

Hash Based Index

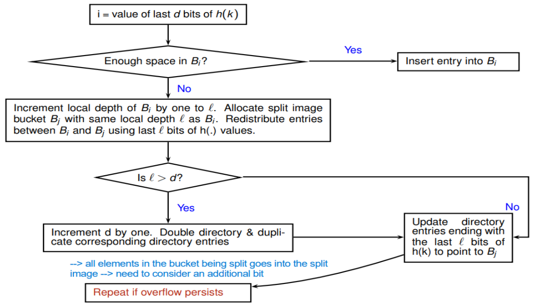
- Does not support range search, only equality queries

Static Hashing

- N buckets, each bucket has 1 primary page and $\geq$ 0 overflow pages
- To maintain performance, we need to routinely construct bigger hash tables and redistribute data entries

Dynamic Hashing - Extendible Hashing

- No overflow pages! A bucket can be thought of as a page
- At most 2 Disk I/Os for equality search (at most 1 if directory and bucket fits in memory)
- Instead of maintaining data entries, we maintain pointers to data entries in buckets
- Instead of maintaining buckets, maintain a directory of pointers to buckets
- The directory has 2^d buckets, where d is the global depth –¿ large overhead if hashing is uniform
- Each director entry diffets by a unique d-bit adddress
- Two directories are corresponding iff their addresses differ only in the dth bit
- All entries with the same local depth (l) have the same last l bits in h(k)



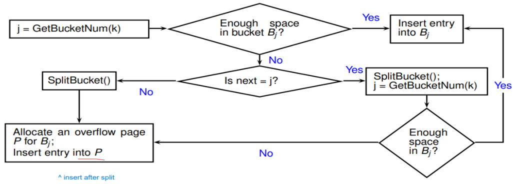
Extendible Hashing - Split, Double

- Split and doubling is checked every time a bucket is full
- Doubling only happens if local depth = global depth
- The split image has the same depth as the split bucket
- Other than the split image of the split bucket, split image of other buckets points to the same corresponding bucket
- Each bucket is pointed by $2^(d-l)$ directories

Extendible Hashing - Deletion

- B_i is deallocated
- l decrement by 1
- Directory Entries that point to B_i points to its corresponding bucket

Dynamic Hashing - Linear Hashing



^ insert after split

- **GetBucketNum(k)** returns bucket # where entry with search key k is located

$$GetBucketNum(k) = \begin{cases} h_{level}(k) & \text{if } h_{level}(k) \geq next, \\ h_{level+1}(k) & \text{otherwise.} \end{cases}$$

search key in unsplit

search key in split

- **SplitBucket()** splits bucket B_{next}
  1. Redistribute the entries in B_{next} into $B_{next+N_{level}}$ using $h_{level+1}()$
  2. next = next + 1
  3. if ($next = N_{level}$) then { level = level + 1; next = 0 }

- One I/O for equality search (more per number of overflow pages in bucket)
- Performs worse than extendible hashing if distribution is skewed
- Does not require a directory
- Higher average space utilisation, but longer overflow chains
- Has a family of hash functions, with each having a range twice of its predecessor
- N_0: initial number of buckets
- $N_i = 2^i N_0$: number of buckets at start of round i
- $next$: the next bucket to be split, this is incremented every time split happnes
- $h_{i+1} = h(k) mod N_{i+1}$: hash function for round i, if the bucket $>$ next (already split)
- $h_i = h(k) mod N_i$: hash function for round i+1, if the bucket $>$ next
- Split Citeria: By default, split when a bucket overflows

Linear Hashing - Deletion

- Essentially the inverse of insertion
- If the last bucket is empty $\rightarrow$ delete it, $next$–
- If $next$ is 0, set it to $M/2-1$, and we can decrement level by 1 (half of buckets have been deleted if $next$ is 0)

- Merging with corresponding bucket is optional

L4: Query Evaluation - Sort, Select

Sorting - External Merge Sort

Projection, join, bulk loading etc all require sorting

- Uses B number of buffer pages
- Pass 0: Creation of sorted runs
  - Read in and sort B pages at a time
  - Number of sorted runs created = $\lceil N/B \rceil$
  - Size of each sorted run = B pages (except possibly for last run)
- Pass i, $i \geq 1$: Merging of sorted runs
  - Use $B-1$ buffer pages for input & one buffer page for output
  - Performs (B-1)-way merge
- Analysis:
  - N_0 = number of sorted runs created in pass 0 = $\lceil N/B \rceil$
  - Total number of passes = $\lceil \log_{B-1}(N_0) \rceil + 1$
  - Total number of I/O = $2N(\lceil \log_{B-1}(N_0) \rceil + 1)$
    - Each pass reads N pages & writes N pages

\# of merges needed

first pass

N because we only write back N pages

External Merge Sort - Bocked I/O

- Read and write in blocks of **b** buffer pages (replace b with 1 for unoptimised)
- $\lfloor \frac{B-b}{b} \rfloor$ blocks for input, 1 block for output
- Can merge at most $\lfloor \frac{B-b}{b} \rfloor$ sorted runs in each merge pass
- $F = \lfloor \frac{B}{b} \rfloor - 1$ runs can be merged at each pass
- Num passes = $\log_F N_0$

B+ tree sort

- B+ Tree is sorted by key
- Format 1 (clustered): Sequential Scan
- Format 2/3:Retrieve data using RID for each data entry
- Unclustered implies more I/Os

Access Path refers to the different ways to retrieve tuples from a relation. It is either a **file scan** or a **index plus matching selection condition**. The more **selective** the access paths, the fewer pages are read from the disk.

- Table scan: scan all data pages
- Index scan: scan all index pages
- Table intersection: combine results from multiple index scans (union, intersec). Find RIDs of each predicate and get the intersection

Query: Selection Covering Index

- I is a covering index of $query_Q$ if I contains all attributes of Q
- No RID lookup is needed, Index-only plan
- If data is unclustered, unsorted, no index -¿ best way is to collect all entries and sort by RID before doing I/O

CNF Predicate

- Find RIDs of each predicate and get the intersection
- Conjuncts are in the form (R.A op c V R.a op R.b)
- CNF are conjuncts (or terms) connected by $\wedge$

Matching Predicates - B+ Tree

- Non-disjunctive CNF (no $\vee$)
- At most one non-equality comparison operator which must be on the **last attribute in the CNF**
- $(k_1 = c_1) \wedge (k_2 = c_2) \wedge ...k_i op c_i | I = (k_1, k_2 ... k_n)$
- The order of k matters, and there cannot be missing K_i in the middle of the CNF
- Having inequality operator before equality operator makes the query to be less selective

Matching Predicates - Hasing

- No inequality operators $(k_1 = c_1) \wedge ...k_i = c_n | I = (k_1, k_2 ... k_n)$
- Unlike B+ tree, **all predicates must match**

I=(age, weight, height), p=($age \geq 20 \wedge age \geq 18 weight = 50 \wedge height = 150 \wedge level = 3$)

Primary Conjuncts : The subset of conjuncts in p that I matches

Primary Conjuncts: $age \geq 20 \wedge age \geq 18$

Covered Conjuncts : The subset of conjuncts in p that I covers (conjuncts that appear in I). Primary conjunct $\subseteq$ covered conjunct

Covered Conjuncts: $age \geq 20 \wedge age \geq 18 \wedge height = 150$

Cost Notation

Notation	Meaning
r	relational algebra expression
$\|\|r\|\|$	number of tuples in output of r — data records
$\|r\|$	number of pages in output of r
b_d	number of data records that can fit on a page
b_i	number of data entries that can fit on a page
F	average fanout of B$^+$-tree index (i.e., number of pointers to child nodes)
h	height of B$^+$-tree index (i.e., number of levels of internal nodes)
	$h = \lceil \log_F(\lceil \frac{\|\|R\|\|}{b_i} \rceil) \rceil$ if format-2 index on table R
B	number of available buffer pages

$[d+1, 2d+1]$

Cost of B+-tree index evaluation of p

Let p'=primary conjuncts of p — p_c=covered conjuncts of p

1. Navigate internal nodes to locate the first leaf page

$$Cost_{internal} = \begin{cases} \lceil log_F(\lceil \frac{||R||}{b_d} \rceil) \rceil | Format1 \\ \lceil log_F(\lceil \frac{||R||}{b_i} \rceil) \rceil | Otherwise \end{cases}$$

1.1 This is traversing the height of B+ tree

2. Scan leaf pages to access all qualifying data entries

$$Cost_{leaf} = \begin{cases} \lceil \frac{||\sigma_{p'}(R)||}{b_d} \rceil | Format1 \\ \lceil \frac{||\sigma_{p'}(R)||}{b_i} \rceil | Otherwise \end{cases}$$

2.1 This is the cost of reading qualifying conjuncts

2.2 Using p_c would be wrong since covering conjuncts may be non-matching which results in more reads from the leaves

3 Retrieve qualified data records using RID lookups. 0 if I is covering OR format 1 index. $||\sigma_{p_c}(R)||$ otherwise

Cost of RID lookups could be reduced by first sorting the RIDs

$$\lceil \frac{||\sigma_{p_c}(R)||}{b_d} \rceil \leq Cost_{rid} \leq \min\{||\sigma_{p_c}(R)||, |R|\}$$

sequenced I/O

assuming clustered/congiguous

unclustered

ceiling because we have to read the additional page for the remainder RIDs

Cost of Hash index evaluation of p

- Format 1: cost to retrieve **data entries** is at least $\lceil \frac{||\sigma_{p'}(R)||}{b_d} \rceil$
- Format 2: cost to retrieve **data entries** is at least $\lceil \frac{||\sigma_{p'}(R)||}{b_i} \rceil$
- Format 2: Cost to retrieve **data records** is 0 if it is a covering index (all information in data entry) OR $||\sigma_{p'}(R)||$ otherwise

L5:Query Evaluation - Projection and Join

- $\pi^*(R)$ refers to projection without removing duplicates
- $\pi(R)$ involves 1.Removing unwanted attributes 2. Removing duplicates
- Sorting is better if we have many duplicates or if hte distribution is nonuniform(overflow more likely for hashing paritions)
- Sorting allows results to be sorted
- If $B > \sqrt{|\pi^*_L(R)|}$, then both sorting and hashing has similar I/O costs ($\lceil \frac{\lceil R \rceil}{B} \rceil \rightarrow |R| + 2 * |\pi^*_L(R)|$)

Approach 1: project based on sorting

- **Naive**: Extract attributes L from records $\rightarrow \pi^*_L(R) \rightarrow$ Sort attributes $\rightarrow$ Remove duplicates
- Cost: Cost to scan records ($|R|$) + Cost to output to temporary result ($|\pi^*_L(R)|$) $\rightarrow$ cost to sort records ($2|\pi^*_L(R)| \log_m(N_0) + 1$) $\rightarrow$ Cost to scan data records $|\pi^*_L(R)|$
- **Optimisation**: Create Sorted runs with attributes L only (Pass 0) $\rightarrow$ Merge sorted runs and remove duplicates $\rightarrow \pi_L(R)$

Approach 2: project based on hashing

- Build a main-memory hash table to detect and remove duplicates. Insert to the hashtable if then entry is not already in it.
- 1. Partition R into $R_1, R_2 ... R_{B-1}$, hash on $\pi_L(t)$ for $t \in R \leftarrow (\pi^*_L(R_i)$ does not intersect $\pi^*_L(R_j), i! = j)$

1.1 Use 1 buffer for input and (B-1) for output

1.2 Read R 1 page at a time, and hash tuples into B-1 partitions

1.3 Flush output buffer to disk when full

- 2. Eliminate duplicates in each partition $\pi^*_L(R_i)$
- $\pi_L(R) = \cup_i^{B-1}(\pi_L(R_i))$

2.1 For each partition, Initialise an in-memory hash table and insert each tuple into B_j if $t \notin B_j$

Parition overflow: Hash table $\pi^*_L(R_i)$ is larger than available memory buffers.
Solution: Recursively apply hash-based partitioning to overflowed partitions.
Analysis: Effective (no overflow) when B $> \frac{|\pi^*_L(R)|}{B-1} * f \approx \sqrt{f * \pi^*_L(R)|}$
If no partition overflow: (partition)$|R| + \pi^*_L(R)|$ + (duplicate elimination)$|\pi^*_L(R)|$
Index based projection: Do index scan if the wanted attribtues $\subseteq$ search key
Join $R \bowtie_\theta S$, where R is the outer relation and S is the inner relation

- **Tuple-based**
  - Cost: $|R| + ||R|| * |S|$
  - for each tuple r in R
  - for each tuple s in S
  - if (r matches s) then output (r, s)4 to result
- **Page-based**
  - Load P_R and P_S to main memory
  - Cost: $|R| + |R| * |S|$
  - for each page P_R in R
  - for each page P_S in S
  - for each tuple $r \in P_R$
  - for each tuple $s \in P_S$
  - if (r matches s) then output (r, s)4 to result
- **Block nested-loop**
  - Allocate 1 page for S, 1 for output, B-2 for R $|R| \leq |S|$
  - Cost: $|R| + (\lceil \frac{|R|}{B-2} \rceil * |S|)$
  - $|R| \leq |S|$
  - while Scanning R
  - read next (B-2) pages of R to buffer
  - for P_S in S
  - read P_S into Buffer
  - for $r \in buffer \wedge s \in P_S$
  - if (r matches s) then output (r, s)4 to result
  - Without materialisation: $\lceil \frac{|R|}{B-2} \rceil * |T|$
- **Index Nested Loop Join**
  - There is an index on the join attributes of S
  - Uniform distribution: r joins $\lceil \frac{||S||}{||\pi_{B_j}(S)||} \rceil$ tuples in S
  - format 1 B+Tree:$|R| + ||R|| * J$
  - J = $\log_F(\lceil \frac{||S||}{b_d} \rceil)$ (tree traversal)+$\lceil \frac{||S||}{b_d ||\pi_{B_j}(S)||} \rceil$ (search leaf nodes)
  - for $r \in R$
  - use r to probe S's index to find matching tuples
- **Sort-Merge Join**
  - Sort R and S on join attributes and merge
  - Cost: $2|\pi^*_L(R)|(\log_{B-1}(\sqrt{\frac{|R|}{B}}) + 1)$ + $2|\pi^*_L(S)|(\log_{B-1}(\frac{|S|}{B}) + 1)$ + $|\pi^*_L(R)| + |\pi^*_L(S)|$
  - merging cost is $|R|$ + $||R|| * |S|$ if each tuple of R requires a full scan of S
  - Optimisation: $B \geq N(R, i) + N(S, i) + 1 \geq \sqrt{|R| + |S|}$
  - We can choose which relation to partition again if this is not met
  - Cost: cost of getting R, S + k(write out ($|R| + |S|$)) + m(merge ($|R| + |S|$))
  - If sorted on join column: $|R| + |S|$
- **Grace Hash Join**
  - Partition into $B - 1$ partitions
  - If no partition overflow ($B > \sqrt{f * |S|}$):
  - k(Cost to partition R, S) + Cost of probe phase
  - Partition cost = cost of getting R + cost to write partitions($|R|$)
  - Probe cost = $|R| + |S|$

L6: Query Optimisation

1. Search space: Queries considered

- **Search Place** Queries being considered
- **Linear** if at least one operand for each join is a base relation, bushy otherwise
- **Left-deep** if every right join operand is a base relation
- **Right-deep** if every left join operand is a base relation

2. Plan enumeration - for joins between 2 tables

Input: A SPJ query q on relations $R_1, R_2, \cdots, R_n$
Output: An optimal query plan for q

```
for i = 1 to n do
    optPlan({R_i}) = best access plan for R_i
for i = 2 to n do
    for each S ⊆ {R_1, ··· , R_n}, |S| = i do
        bestPlan = dummy plan with cost(bestPlan) = ∞
        for each S_j, S_k, |S_j| ∈ [1, i), S = S_j ∪ S_k do
            p = best way to join optPlan(S_j) and optPlan(S_k)
            if (cost(p) ≤ cost(bestplan)) then
                bestPlan = p
        optPlan(S) = bestPlan
return optPlan({R_1, ··· , R_n})
```

- Decide on the plan for the 2 operands
- Decide on the plan to join: Block nested loop, sort merge join, grace hash join

3. Cost Model

- **Uniformity:** uniform distribution of all values
- **Independence:** Independent distribution of values in different attributes
- **Inclusion:** for $R \bowtie S, if ||\pi_A(R)|| \leq ||\pi_B(S)||$ then $\pi_A(R) \subseteq \pi_B(S)$

Plans-no join, 1 table

- **Table scan** Scan the entire table. Cost: $|R|$
- **Index scan** Scan the index. Cost: 2 + |leaf pages satisfying the predicate| + ||entries satisfying predicate|| (unclustered)
- **Index intersection with** I_a I_b Cost to partition predicate1(R) + Cost to partition predicate2(R) + cost to intersect partitions 1,2 + cost to RID lookup
- cost to partition: Scan index for matching pages + cost to write partitions from matching entries

Histogram

- **Equiwidth** Each bucket has equal number of values
- Estimate: $\frac{1}{|bucket|}$ * $||bucket||$
- **Equidepth** Each bucket has equal number of tuples
- Sub-ranges can overlap, tuples of the same value can be in 2 adjacent buckets
- $\frac{1}{|bucke_A|}$ * $||bucket_A||$ + $\frac{1}{|bucke_B|}$ * $||bucket_B||$ + ...
- **MCV** Separately track the top-k MCV and exclude them from the bucket

Size of query

- **Join** $||R|| * ||S|| * \frac{1}{max(||\pi_b(R)||, ||\pi_b(S)||)}$
- **Select - OR** $(1 - (p(\ a = x) * p(\ b = y)) * ||R||)$
- **Select - AND** $p(a = x) * p(b = y) * ||R||$

L7: Transaction Management

View Equivalent

- If T_i reads A from T_j in S, then T_i must also read A from T_j in S'
- For each data object A, Xact (if any) that performs final write on A in S must also perform final write on A in S'

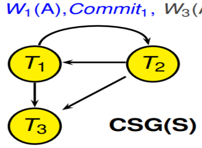
Conflicting actions - WW, WR

- **Dirty Read** T2 read uncommitted write from T1
- **Unrepeatable Read** T2 updates an object that T1 has previously read and T2 commits while T1 is still in progress $\rightarrow$ T1 can get a different value from read
- **Lost Update** T2 overwrites the value of an object that has been modified by T1 while T1 is still in progress
- View serializable prevents These
- **Blind write** $R_1(X), W_2(Y), W_1(X)$ Blind write: $W_2(Y)$
- **Conflict Serializable** Conflict equivalent to serial schedule, view serializable and not blind write
- **Non Conflict Serializable** find conflicting action pairs(R1(x) W1(x)), (R2(x) W1(x))

Conflict Serializability Graph

- V contains a node for each committed Xact in S
- E contains (T_i, T_j) if an action precedes and conflicts with one of T_j's actions

R_1(A), W_2(A), $Commit_2$, W_1(A), $Commit_1$, W_3(A), $Commit_3$



CSG(S)

Schedules

- **Cascading aborts** T_i read from $T_j \rightarrow T_j$ aborts $\rightarrow T_i$ aborts
- **Recoverable** $\forall T \in S$ T2 must commit after T1 if T2 reads from T1
- **Cascadeless** Whenever T_i reads from T_j in S, Commit must precede this action
- Theorem 4: Cascadeless $\rightarrow$ Recoverable (not iff)
- **Strict** to use before-images, $\forall W_i(O) \in S$, O is not read or written by another Xact until Ti either aborts or commits
- Theorem 5: Strict $\rightarrow$ Cascadless (not iff)

2PL

- To read an object O, a Xact must hold a S-lock or X-lock on O
- To write to an object O, a Xact must hold a X-lock on O
- Once a Xact releases a lock, the Xact can't request any more locks
- Theorem 1: 2PL is conflict serializable

Strict 2PL

- To read an object O, a Xact must hold a S-lock or X-lock on O
- To write to an object O, a Xact must hold a X-lock on O
- A Xact must hold on to locks until Xact commits or aborts
- Theorem 2: Strict 2PL is strict and conflict serializable
- Strict 2PL prevents cascading rollback and deadlock and ensures recoverability

Detect deadlocks

- Waits-for graph (WFG) $\rightarrow$ Deadlock is detected if WFG has a cycle
- Breaks a deadlock by aborting a Xact in cycle

Deadlock Prevention

- Each Xact is assigned a timestamp when it starts
- Assume older (smaller time stamp) Xacts have higher priority than younger Xacts
  - Suppose T_i requests for a lock that conflicts with a lock held by T_j
  - Two possible deadlock prevention policies:
    - Wait-die policy: lower-priority Xacts never wait for higher-priority Xacts
    - Wound-wait policy: higher-priority Xacts never wait for lower-priority Xacts

Prevention Policy	T_i has higher priority	T_i has lower priority
Wait-die	T_i waits for T_j	T_i aborts
Wound-wait	T_j aborts	T_i waits for T_j

L8: MVCC

Multi Version Serializable Schedle (MVSS)

- **multiversion view equivalent** if S and S' have the same set of read-from relationships
- i.e. Ri (xj) occurs in S iff Ri (xj) occurs in S'
- **Monoversion Schedule** each read action returns the most recently created object version
- **MVSS** if there exists a serial Monoversion schedule that is multiversion view equivalent to S
- Note that a MVSS is not necessarily conflict serializable schedule if it is not a valid monoversion schedule
- E.g. W1(x1), R2(x0), R2(y0), W1(y1), C1, C2 is MVSS with (T2, T1) but contains conflicting actions W1(x1) and R2(X0)

Snapshot Isolation (SI)

- Each Xact has a snapshot of the database at the start of the Xact and sees only versions from that snapshot and **its own writes**
- **FUW** T needs to acquire X-lock on O (if not - wait), and if O has been updated by a concurrent T' then T aborts
- **FCW** (no locks) before commiting T checks if O has been updated, abort if it has been updated
- **Write-skew anomaly**, not MVSS: $R_1(X_0), R_2(X_0), R_1(Y_1), R_2(Y_2), W_1(X_1), Commit1, W_2(Y_2), Commit2$
- **Read-only anomaly**,not MVSS: $R_1(b), R_2(a), W_1(b), C_1, R_2(b), W_2(a), R_3(a), R_3(b), C_3$

Transaction Dependencies

- **WW** from T1 to T2: T1 commits some version of X and T2 writes the immediate successor
- **WR** from T1 to T2: T1 commits some version of X which is read by T2
- **RW** from T1 to T2: T1 reads some version of X and T2 commits the immediate successor
- **DSG** V = xacts, E = Dependencies, use –> for concurrent transactions and $\rightarrow$ for non-concurrent

L10-Recovery

Policies

- **Steal:** Allows dirty pages to be written to disk before commit
- **Force:** Requires all dirty pages to be written to disk when commit
- No-steal: no undo, Force: no redo. Pgsql uses steal and no-force

Restart: analysis, redo, undo

- Analysis: identifies dirtied pool pages and active Xacts at time of crush
- Redo: redo actions to restore db to pre-crush
- Undo: undo actions of Xacts that did not commit

Analysis: Xact table

1. When the first log record is created, create a new entry T with status U
2. Update lastLSN for T to be r's LSN
3. Remove T if end log is seen

Analysis: Dirty Page Table

1. New dirtied page will be added to the DPT with recLSN=r.LSN
2. Remove entry when it is flushed to disk

LOG

	prevLSN	XactID	type	pageID	length	offset	before image	after image
10	-	T_1	update	P500	3	21	ABC	DEF
20	-	T_2	update	P600	3	41	HIJ	KLM
30	20	T_2	update	P500	3	20	GDE	QRS
40	10	T_1	update	P505	3	21	TUV	WXY

DIRTY PAGE TABLE

pageID	recLSN
P500	10
P600	20
P505	40

XACT TABLE

XactID	lastLSN	status
T_1	40	U
T_2	30	U

Redo Phase

1. Redo LSN = min(LSNs), then fetch page LSN,
2. if r.LSN $>$ pageLSN and Page is in DPT, redo
3. Update pageLSN to r.LSN

Undo Phase

1. Start from largest LSN from L
2. if update, create CLR with undoNextLSN=r's prevLSN, update-L-TT(r.prevLSN)
3. if CLR, update-L-TT(r.undoNextLSN)
4. update-L-TT(lsn): add lsn to L if its not null, else add end log record for T and remove it from TT