

access point

look into the driver of this AP Wifi network infrastructure mode

refresh AP and client

1. install software

compile & cross-compile (在linux電腦上編譯它)

generate your code for the computer

自己做一個router

openWrt

check how to use

會做這個之後

install tool-chain on your computer for that end device CPU

2. reflash your device (everything on the board)

3. test the device

understand your device in 2 weeks!

project experiment

Computer Networks

Chapter 2: Physical Layer

1. obtain the header of the wifi packet

print out to a file sys (to a file) and load the file to computer

use a terminal(serial cable) print out directly to your computer

2. switch the channel for your device

Prof. Xudong Wang

write a bit code

locate the code Wireless task Networking and Artificial Intelligence Lab

change the code

cross compile and reflash

test

UM-SJTU Joint Institute

Shanghai Jiao Tong University

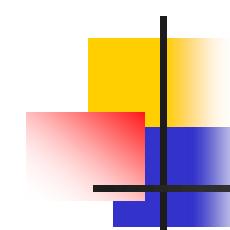
Shanghai, China

write a report

wireless and networking area kernel programming/driver development apple intel doing this

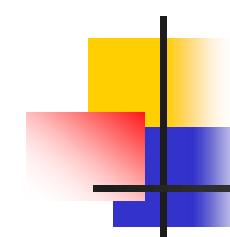
5/23/2023 tb nokia arkistem have a job! because not many people in EE or CS do it

robot control, similar process, drones



Outline

- General Architecture of Physical Layer
- Signal Representation
- Digitization of Analog Signals
 - Sampling
 - Quantization
- Digital Signal Transmission and Reception
 - Channel
 - Modulation
 - Forward Error Control
 - Multiplexing
- Transmission Medium



General Architecture

- *See class notes*



Bits, Number, and Information

- Bit: number with value 0 or 1
 - n bits: digital representation for $0, 1, \dots, 2^n$
 - Byte or Octet, $n = 8$
 - Computer word, $n = 16, 32$, or 64
- n bits allows enumeration of 2^n possibilities
 - n -bit field in a header
 - n -bit representation of a voice sample
 - Message consisting of n bits
- *The number of bits required to represent a message is a measure of its information content*
 - More bits → More content

Signal Representation: Fourier Analysis

- A periodic signal with period T can be represented as sum of sinusoids using Fourier Series:

$$x(t) = a_0 + a_1 \cos(2\pi f_0 t + \phi_1) + a_2 \cos(2\pi 2f_0 t + \phi_2) + \dots + a_k \cos(2\pi kf_0 t + \phi_k) + \dots$$

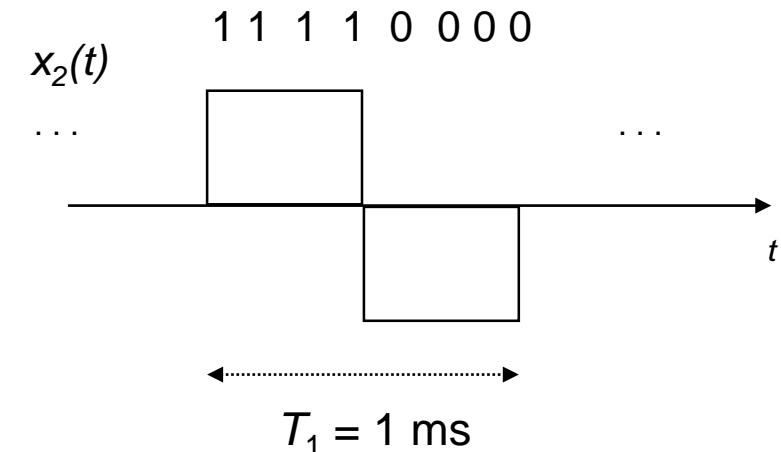
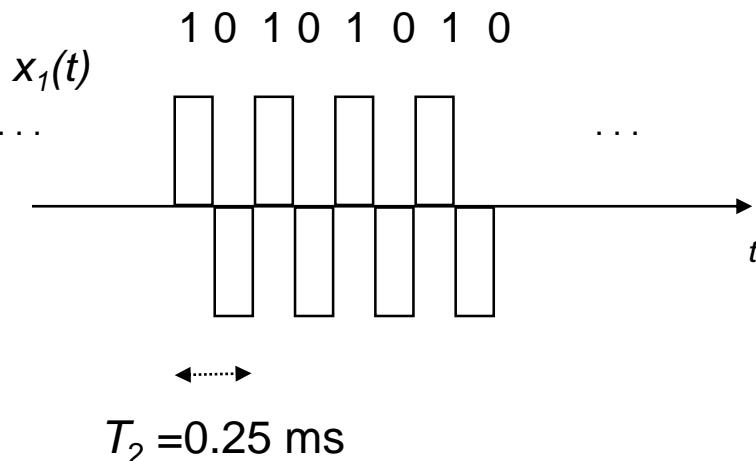
“DC”
long-term
average

fundamental
frequency $f_0 = 1/T$
first harmonic

k th harmonic

- $|a_k|$ determines amount of power in k th harmonic
- Amplitude spectrum $|a_0|, |a_1|, |a_2|, \dots$

Example Fourier Series



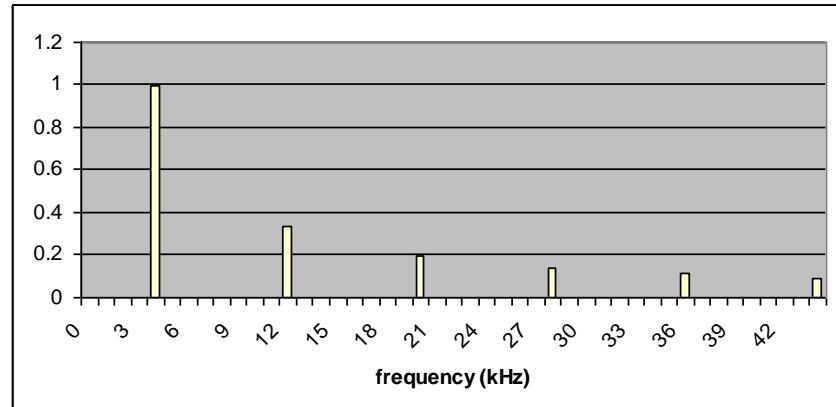
$$\begin{aligned}x_1(t) = & 0 + \frac{4}{\pi} \cos(2\pi 4000t) \\& + \frac{4}{3\pi} \cos(2\pi 3(4000)t) \\& + \frac{4}{5\pi} \cos(2\pi 5(4000)t) + \dots\end{aligned}$$

$$\begin{aligned}x_2(t) = & 0 + \frac{4}{\pi} \cos(2\pi 1000t) \\& + \frac{4}{3\pi} \cos(2\pi 3(1000)t) \\& + \frac{4}{5\pi} \cos(2\pi 5(1000)t) + \dots\end{aligned}$$

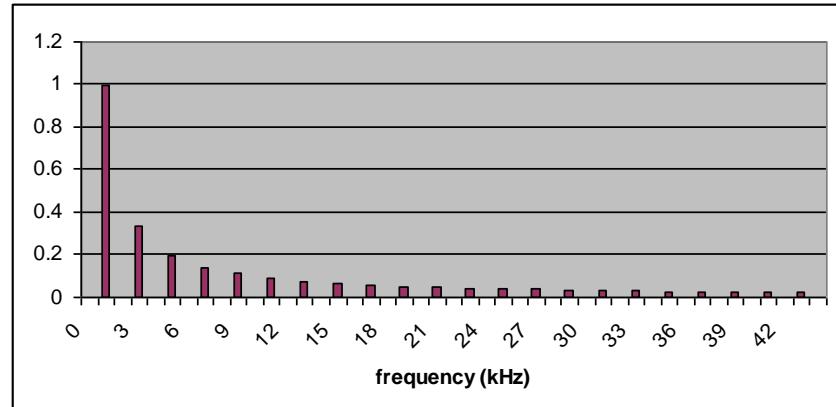
Spectrum

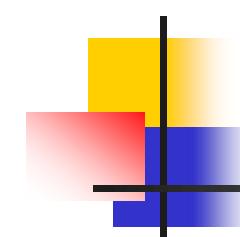
- Spectrum of a signal: magnitude of amplitudes as a function of frequency
- $x_1(t)$ varies faster in time & has more high frequency content than $x_2(t)$
- Bandwidth W_s is defined as range of frequencies where a signal has non-negligible power, e.g. range of band that contains 99% of total signal power

Spectrum of $x_1(t)$



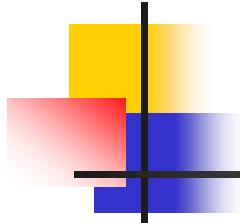
Spectrum of $x_2(t)$





Non-Periodic Signals

- Fourier Transform



impt concepts
digitization
channel coding
capacity
modulation

Digitization of Analog Signals

Transmission Impairments



Communication Channel

- Pair of copper wires
- Coaxial cable
- Radio
- Light in optical fiber
- Light in air
- Infrared

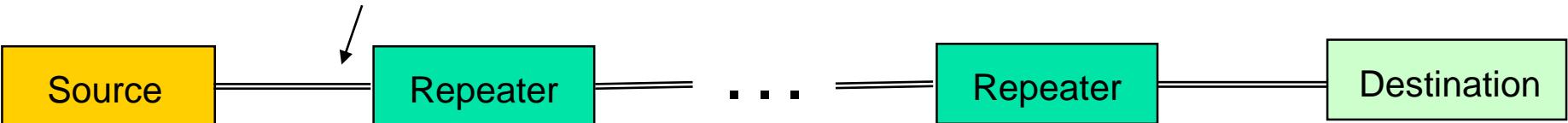
Transmission Impairments

- Signal attenuation
- Signal distortion
- Spurious noise
- Interference from other signals

Analog Long-Distance Communications

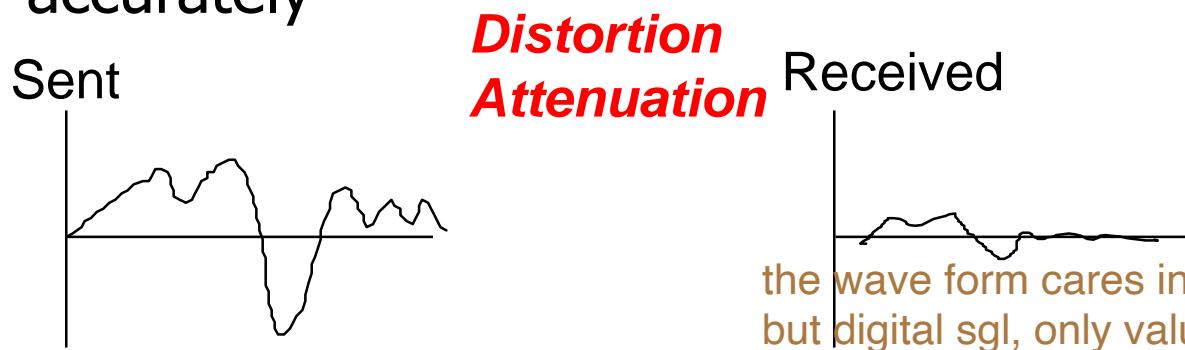
- Each repeater attempts to restore analog signal to its original form
- Restoration is imperfect
 - Distortion is not completely eliminated
 - Noise & interference is only partially removed
- Signal quality decreases with # of repeaters
- Communications is distance-limited
- Still used in analog cable TV systems
- Analogy: Copy a song using a cassette recorder

Transmission segment



Analog vs. Digital Transmission

Analog transmission: all details must be reproduced accurately



the wave form cares in the analog sgl
but digital sgl, only values care
所以我們現在都是digital everywhere

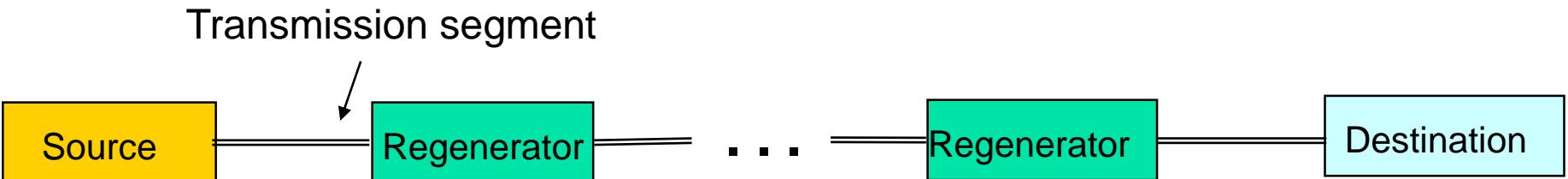
Digital transmission: only discrete levels need to be reproduced



Simple Receiver:
Was original pulse
positive or
negative?

Digital Long-Distance Communications

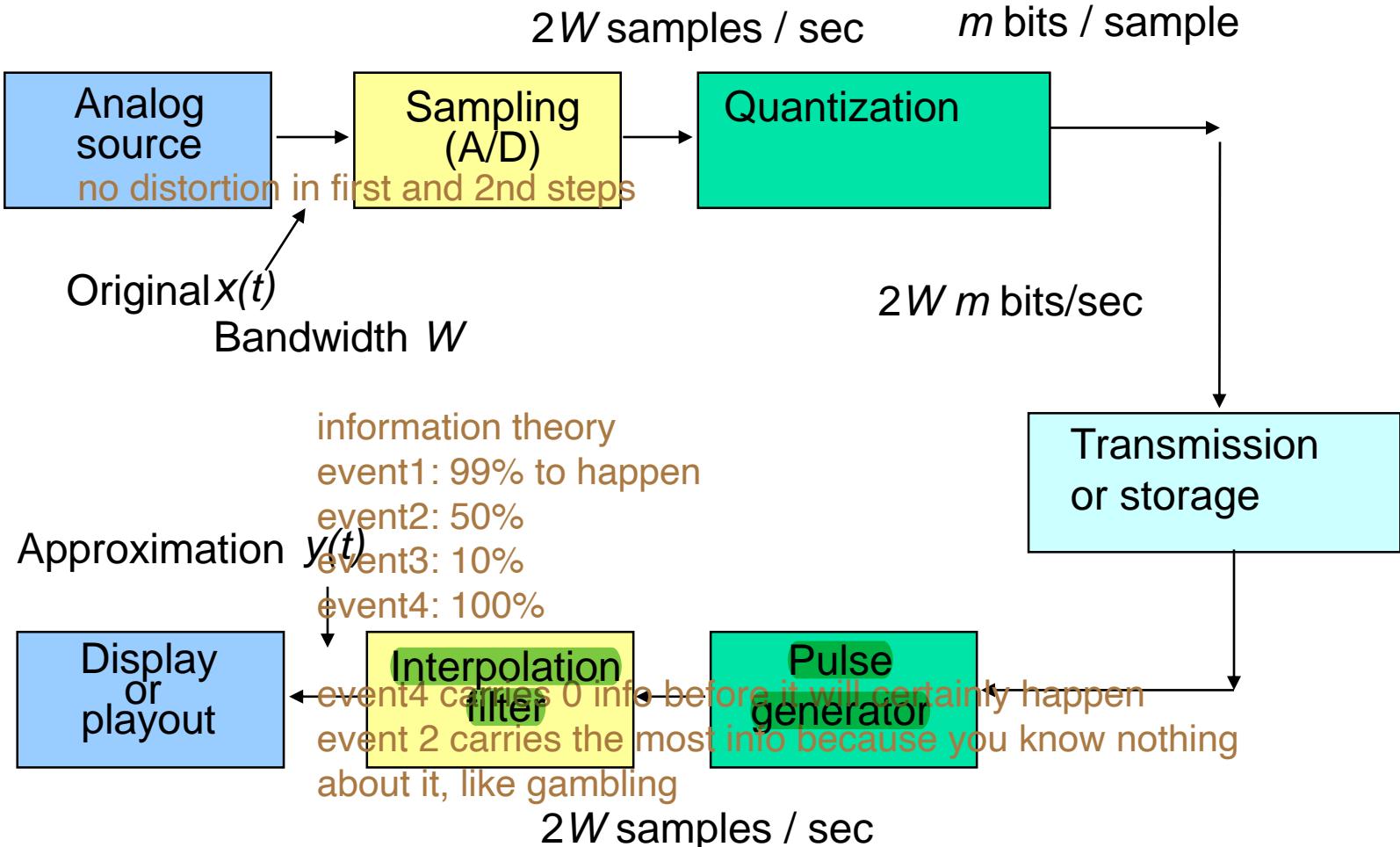
- Regenerator recovers original data sequence and retransmits on next segment
- Can design so error probability is very small
- Then each regeneration is like the first time!
- Analogy: copy an MP3 file
- Communications is possible over very long distances
- Digital systems vs. analog systems
 - Less power, longer distances, lower system cost
 - Monitoring, multiplexing, coding, encryption, protocols...



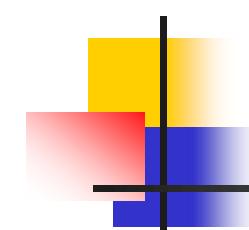
System Architecture of Analog Signal Digitization and Transmission

nyquist: perfect reconstruction of sampling
then sampling won't cause info loss

before quantization,
inf possibility
after quantization,
we have finite possibility



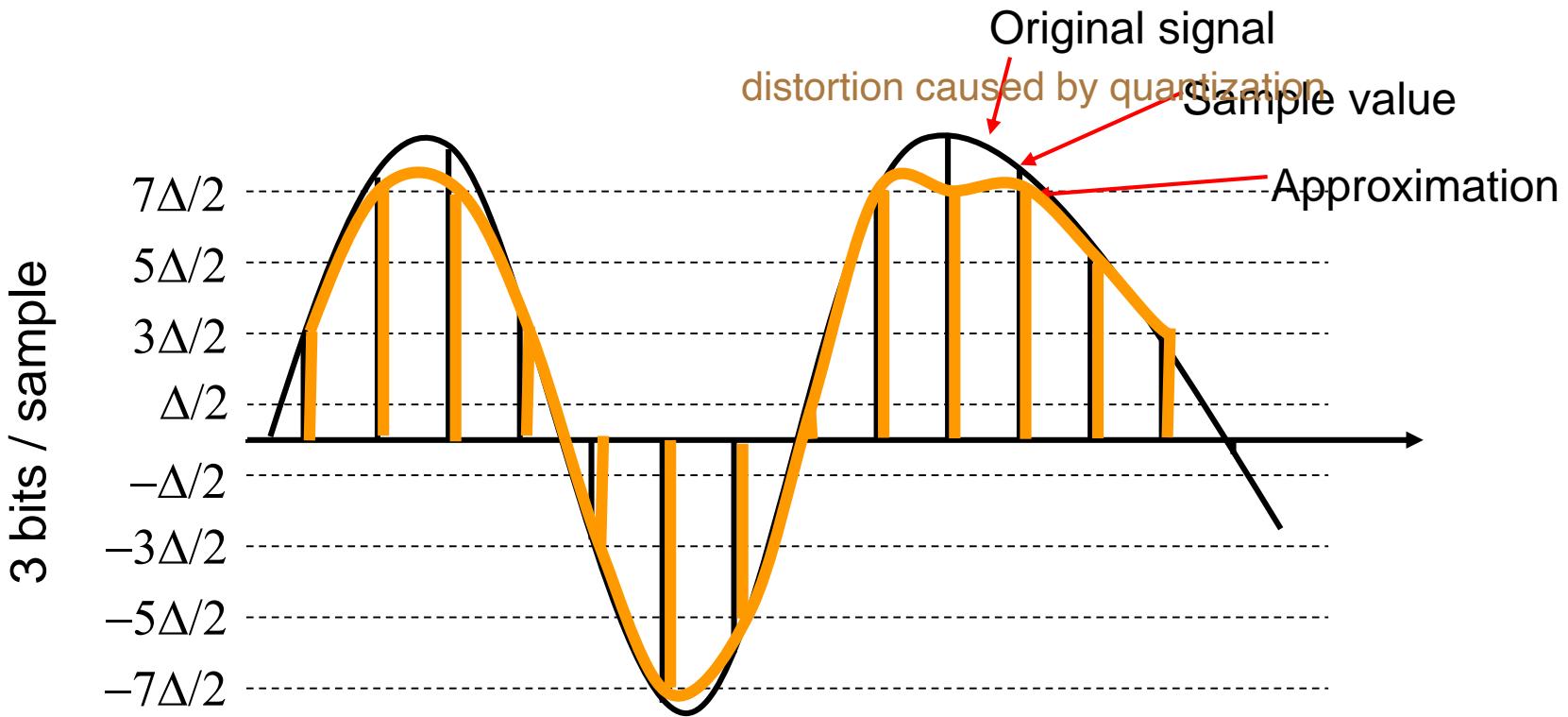
if i look at an event, the probability of the event happens in a uniform dtb, then most info



Digitization of Analog Signals

1. Sampling: obtain samples of $x(t)$ at uniformly spaced time intervals
2. Quantization: map each sample into an approximation value of finite precision
 - Pulse Code Modulation: telephone speech
 - CD audio
3. Compression: to lower bit rate further, apply additional compression method
 - Differential coding: cellular telephone speech
 - Subband coding: MP3 audio
 - Other coding schemes

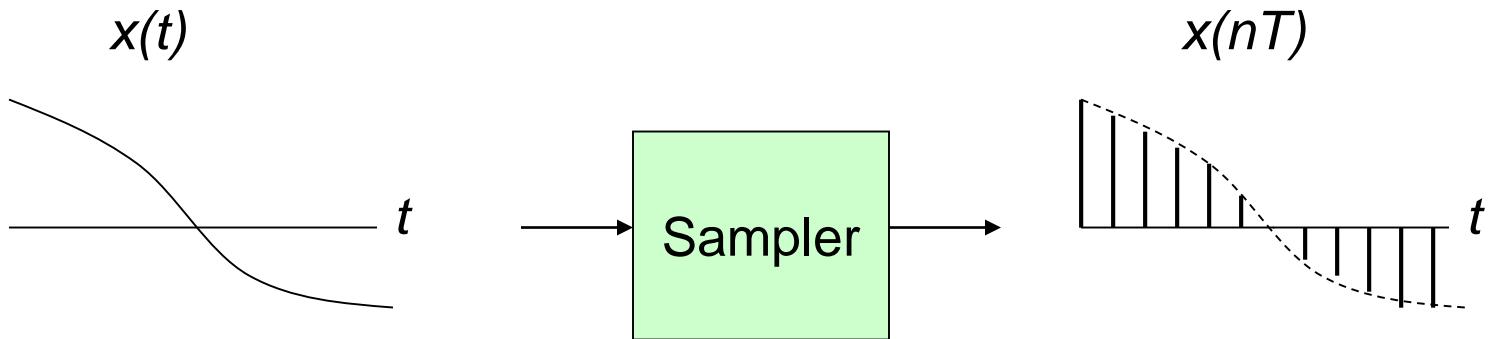
Sampling of Analog Signal



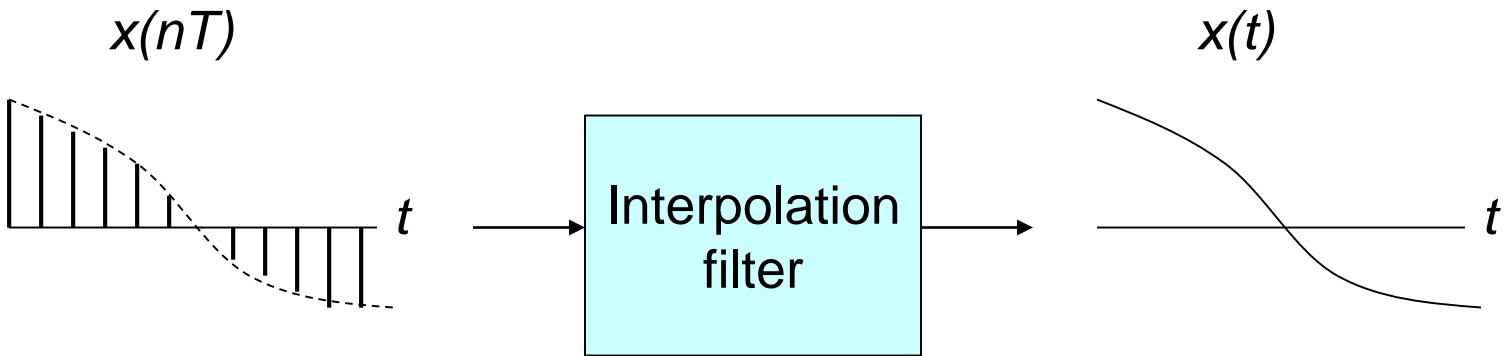
Sampling Theorem

Nyquist: Perfect reconstruction if sampling rate $1/T > 2W_s$

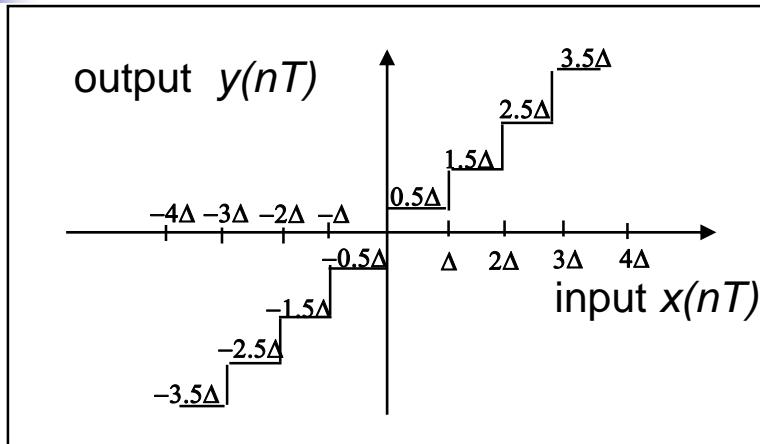
(a)



(b)



Quantization of Analog Samples

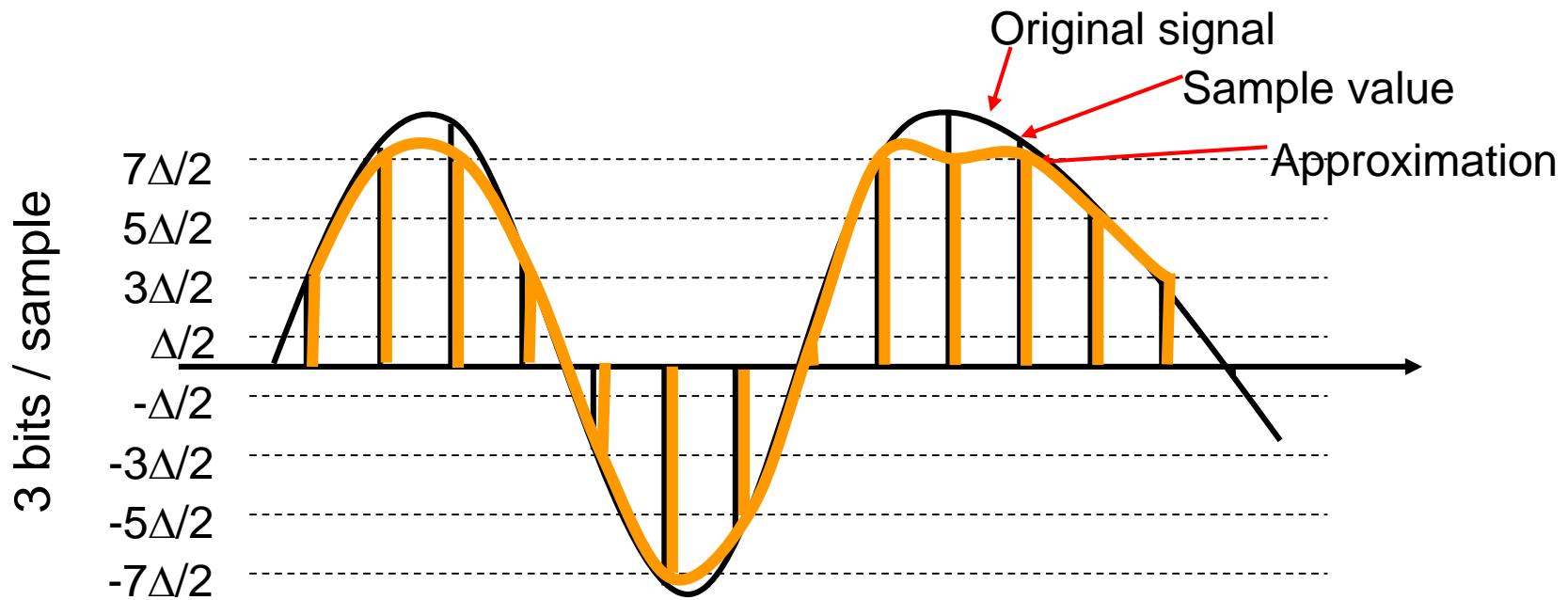


Quantizer maps input into closest of 2^m representation values

m 是 bit number

Quantization error:
“noise” = $x(nT) - y(nT)$

delta = total energy range/m



Quantizer Performance (1)

reasonable number of ADC:

eg 10 bits for phone

sol1 increase power (so...cancer, battery consumption)
 $M = 2^m$ levels, Dynamic range(-V, V) $\Delta = 2V/M$

sol2. increase bit 1bit->6dB

should increase ADC more bits for a country

(in military) data link is most impt in military nowadays

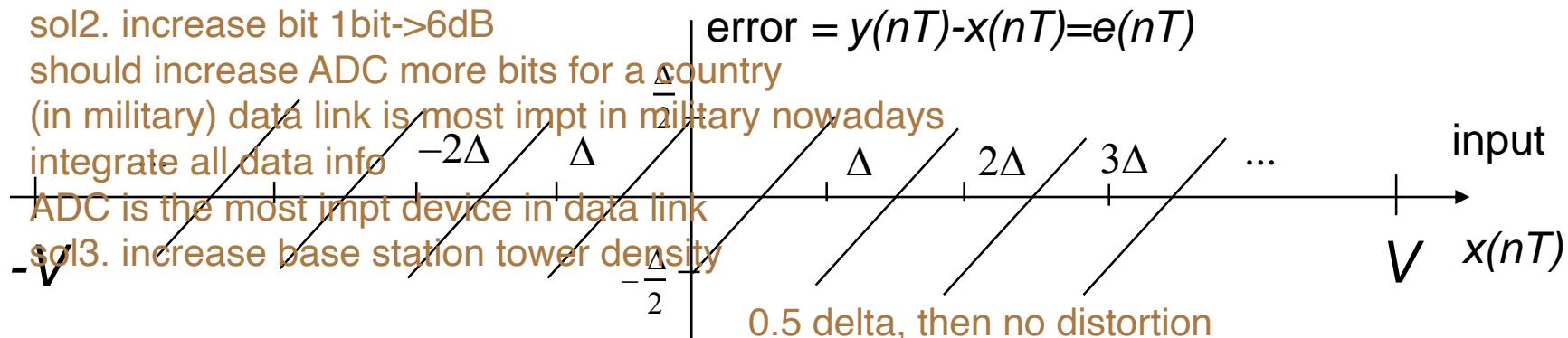
integrate all data info

ADC is the most impt device in data link

sol3. increase base station tower density

$$\text{error} = y(nT) - x(nT) = e(nT)$$

0.5 delta, then no distortion



If the number of levels M is large, then the error is approximately uniformly distributed between $(-\Delta/2, \Delta/2)$

Average Noise Power = Mean Square Error:

$$\sigma_e^2 = \int_{-\frac{\Delta}{2}}^{\frac{\Delta}{2}} x^2 \frac{1}{\Delta} dx = \frac{\Delta^2}{12}$$

Quantizer Performance (2)

■ Figure of Merit:

Signal-to-Noise Ratio = Avg signal power /
Avg noise power noise is from quantization process

Let σ_x^2 be the signal power, then

$$SNR = \frac{\sigma_x^2}{\Delta^2/12} = \frac{12\sigma_x^2}{4V^2/M^2} = 3 \left(\frac{\sigma_x}{V}\right)^2 M^2 = 3 \left(\frac{\sigma_x}{V}\right)^2 2^{2m}$$

The ratio $V/\sigma_x \approx 4$

The SNR is usually stated in decibels:

$$SNR \text{ db} = 10 \log_{10} \frac{\sigma_x^2}{\sigma_e^2} = 6m + 10 \log_{10} 3\sigma_x^2/V^2$$

1 bit improvement, huge performance improvement
10 bits for your phone, rarely see 20bits cuz expensive

$$\text{SNR db} = 6m - 7.27 \text{ dB} \quad \text{for } V/\sigma_x = 4.$$

Example: Telephone Speech

$W = 4\text{KHz}$, so Nyquist sampling theorem

$\Rightarrow 2W = 8000 \text{ samples/second}$

Suppose error requirement = 1% error

$$\text{SNR} = 10 \log(1/.01)^2 = 40 \text{ dB}$$

Assume $V/\sigma_x = 4$, then

$$40 \text{ dB} = 6m - 7 \quad \text{一般 cellphone } 8 \sim 12 \text{ bits}$$

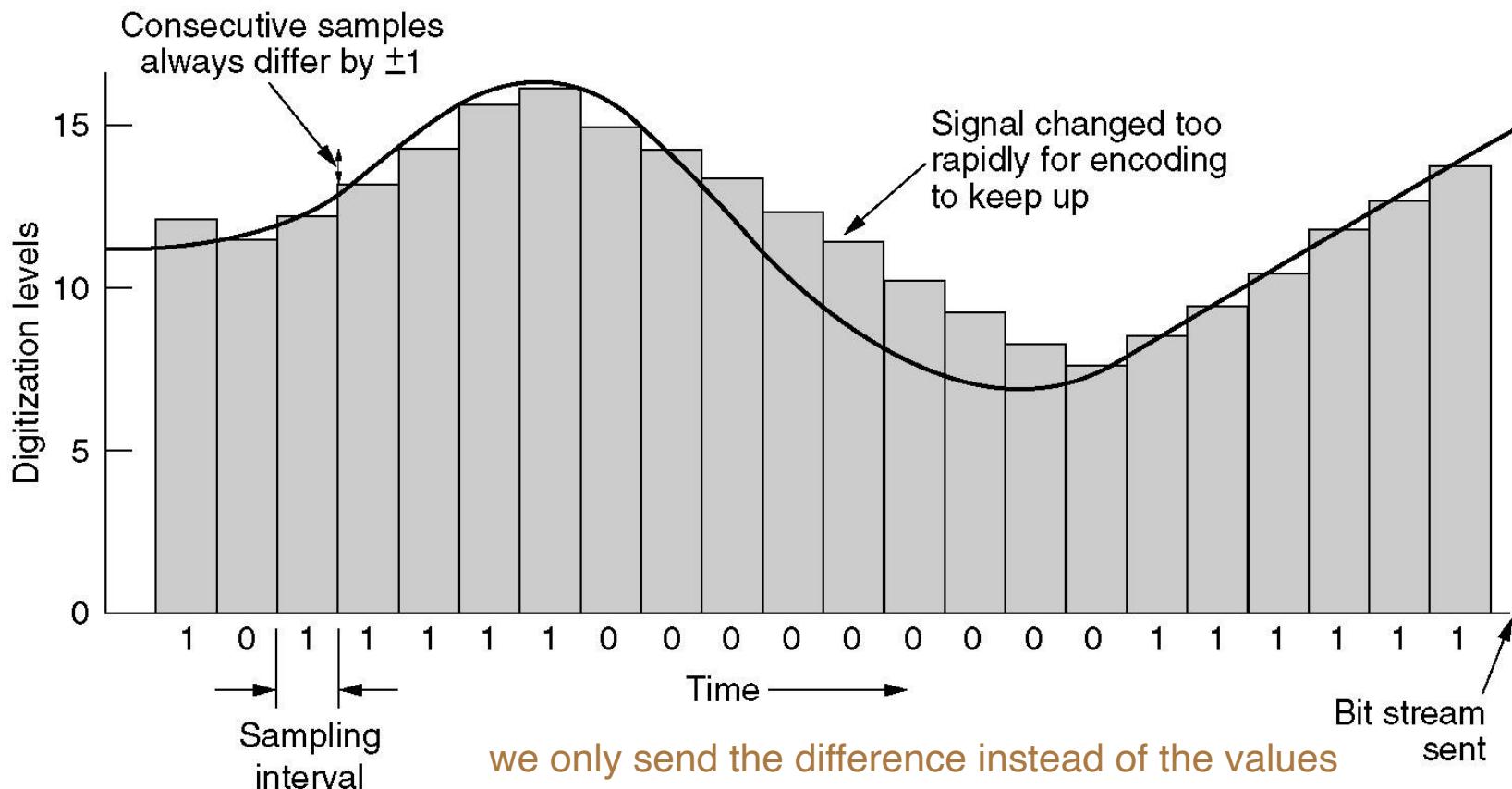
$$\Rightarrow m = 8 \text{ bits/sample}$$

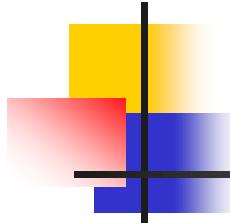
PCM ("Pulse Code Modulation") Telephone Speech:

Bit rate= $8000 \times 8 \text{ bits/sec} = 64 \text{ kbps}$

we want data modulation to compress data rate

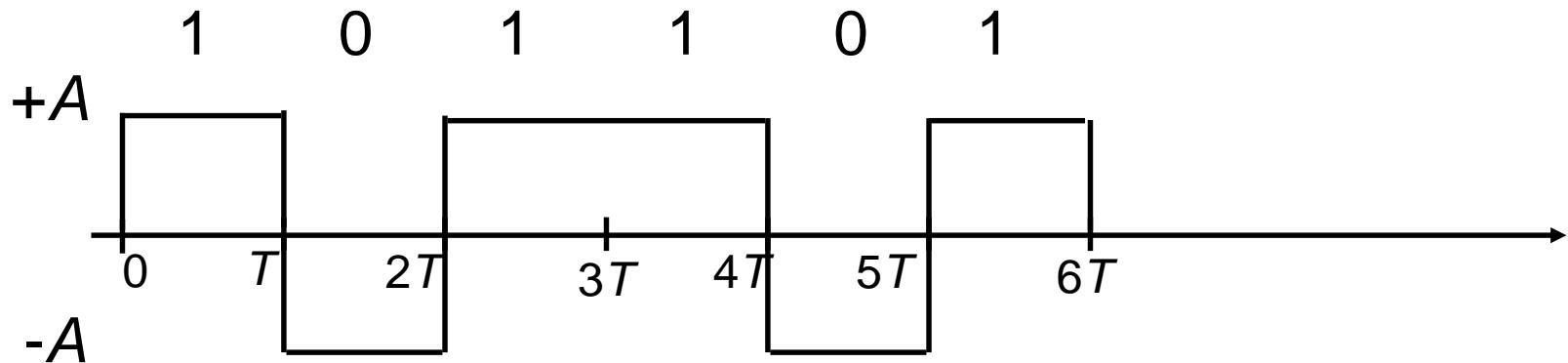
Differential PCM and Delta Modulation





Digital Signal Transmission and Reception

Digital Binary Signal



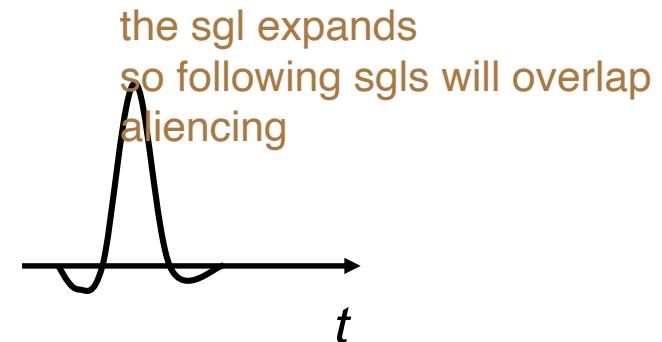
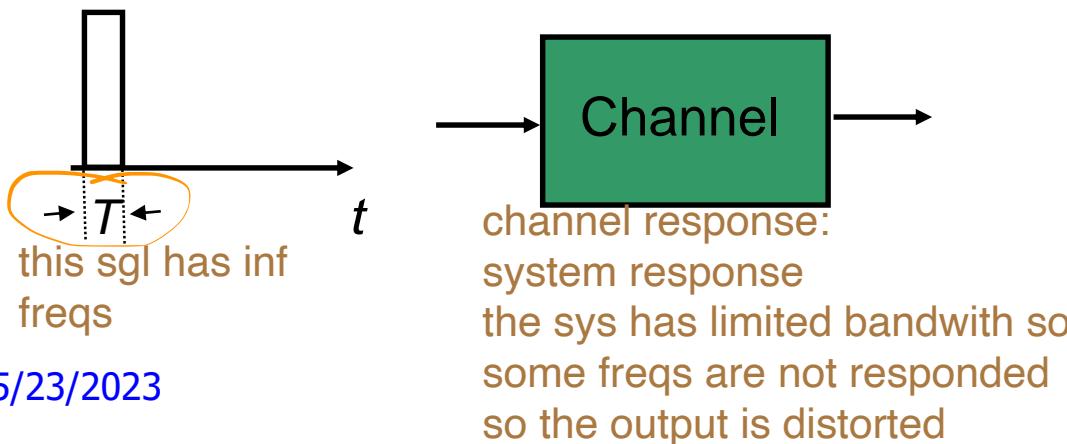
Bit rate = 1 bit / T seconds

For a given communications medium:

- How do we increase transmission rate?
- How do we achieve reliable communications?
- Are there any limits to rate and reliability?

Pulse Transmission Rate

- Maximize pulse rate through a channel, that is, make T as small as possible
- If input is a narrow pulse, then typical output is a spread-out pulse with ringing
- Question: How frequently can these pulses be transmitted without interfering with each other?
- Answer: $2 \times W_c$ pulses/second, **why???**
where W_c is the bandwidth of the channel



Multilevel Pulse Transmission

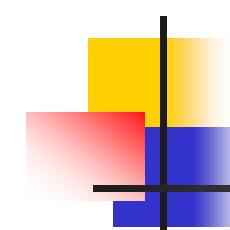
- Assume channel of bandwidth W_c and transmit $2 W_c$ pulses/sec (without interference)
- If pulses amplitudes are either $-A$ or $+A$, then each pulse conveys 1 bit, so
Bit Rate = 1 bit/pulse $\times 2 W_c$ pulses/sec = $2 W_c$ bps
- If amplitudes are from $\{-A, -A/3, +A/3, +A\}$, then bit rate is $2 \times 2 W_c$ bps
- By going to $M = 2^m$ amplitude levels, we achieve

Bit Rate = m bits/pulse $\times 2 W_c$ pulses/sec = $2mW_c$ bps

only 2 parameters SNR and bandwidth

but m cannot be increased without limitation

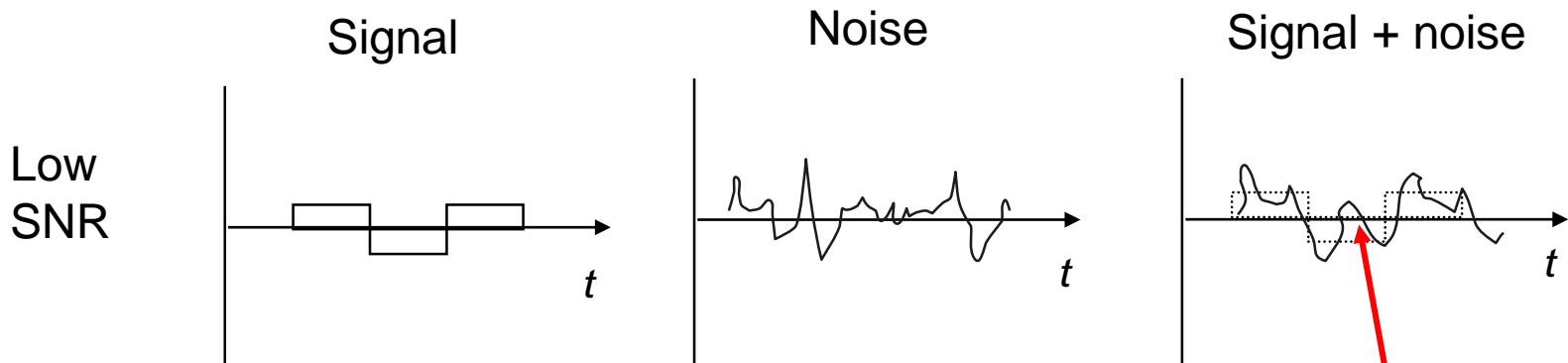
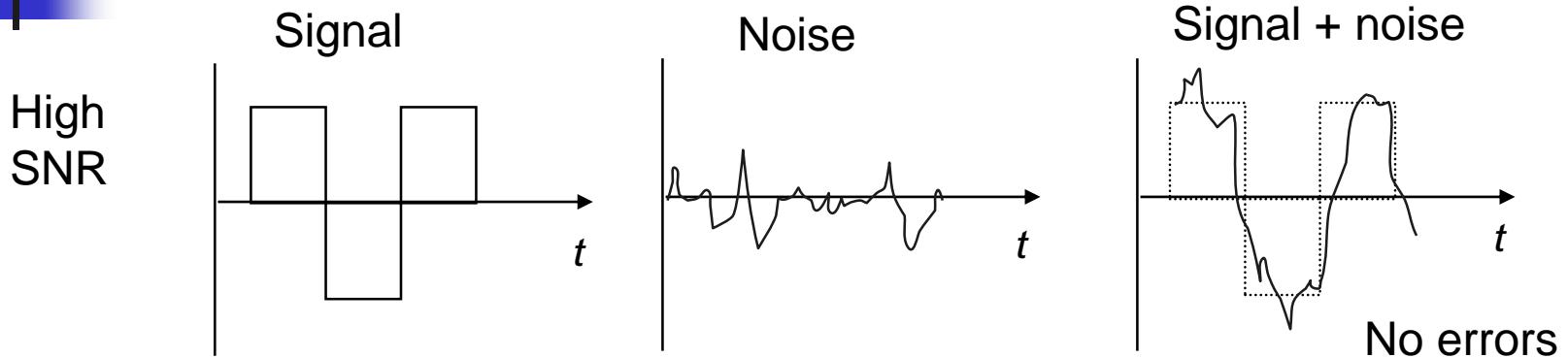
In the absence of noise, the bit rate can be increased without limit by increasing m



Noise & Reliable Communications

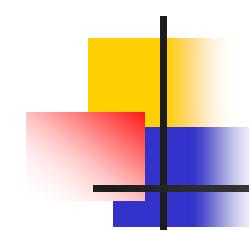
- All physical systems have noise
 - Electrons always vibrate at non-zero temperature
 - Motion of electrons induces noise
- Presence of noise limits accuracy of measurement of received signal amplitude
- Errors occur if signal separation is comparable to noise level
- Bit Error Rate (BER) increases with decreasing signal-to-noise ratio
- Noise places a limit on how many amplitude levels can be used in pulse transmission

Signal-to-Noise Ratio (SNR) Example



$$\text{SNR} = \frac{\text{Average signal power}}{\text{Average noise power}}$$

$$\text{SNR (dB)} = 10 \log_{10} \text{SNR}$$

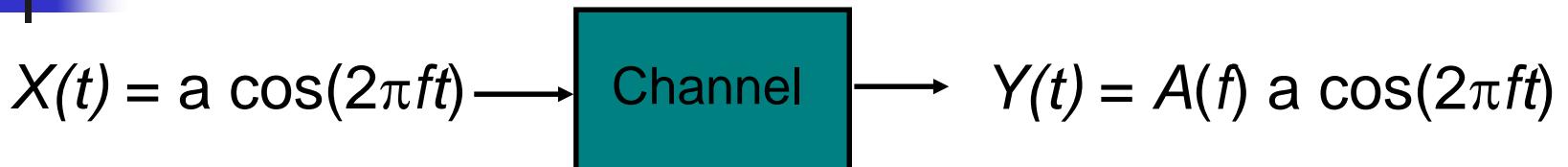


Channel Capacity: Shannon Theory

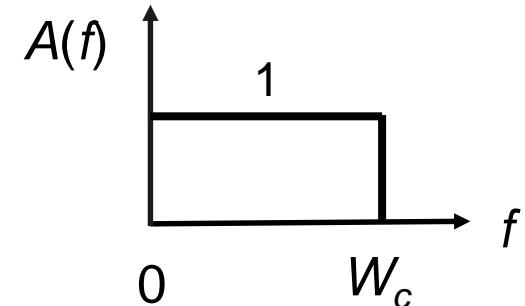
$$C = W_c \log_2 (1 + SNR) \text{ bps}$$

- Arbitrarily reliable communications is possible if the transmission rate $R < C$.
- If $R > C$, then arbitrarily reliable communications is not possible.
capacity is limited by 2 parameters
- “Arbitrarily reliable” means the BER can be made arbitrarily small through sufficiently complex coding.
- C can be used as a measure of how close a system design is to the best achievable performance.
- Bandwidth W_c & SNR determine C
if physics does not have break through, we cannot break shannon upper bound

Channel Bandwidth



- If input is sinusoid of frequency f , then
 - output is a sinusoid of the same frequency f
 - Output is attenuated by an amount $A(f)$ that depends on f
 - $A(f) \approx 1$, then input signal passes readily
 - $A(f) \approx 0$, then input signal is blocked
- Bandwidth W_c is range of frequencies passed by channel

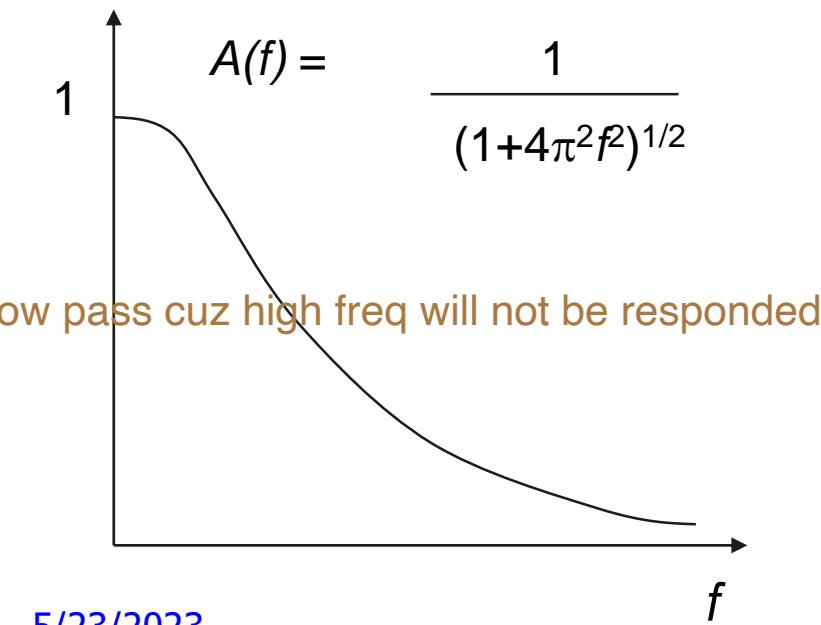


Ideal low-pass channel

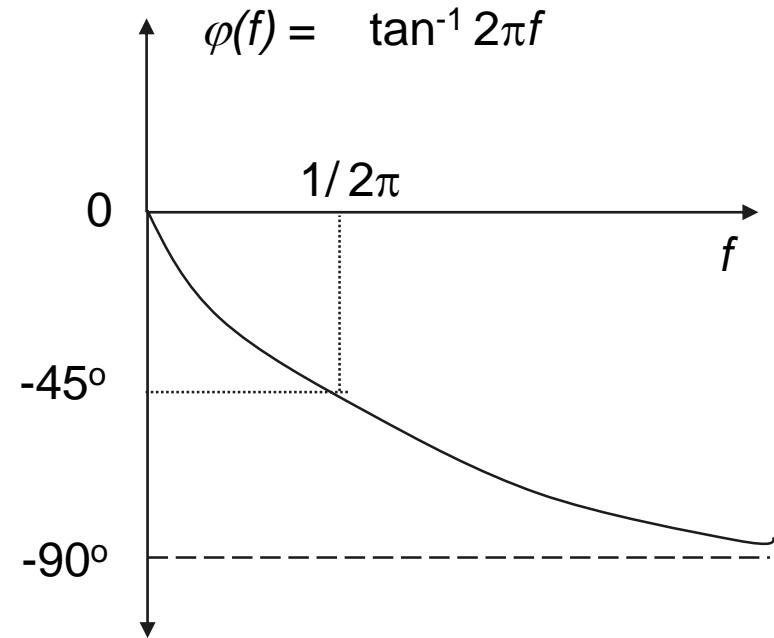
Example: Low-Pass Filter Channel

- Simplest non-ideal circuit that provides low-pass filtering
 - Inputs at different frequencies are attenuated by different amounts
 - Inputs at different frequencies are delayed by different amounts

Amplitude Response

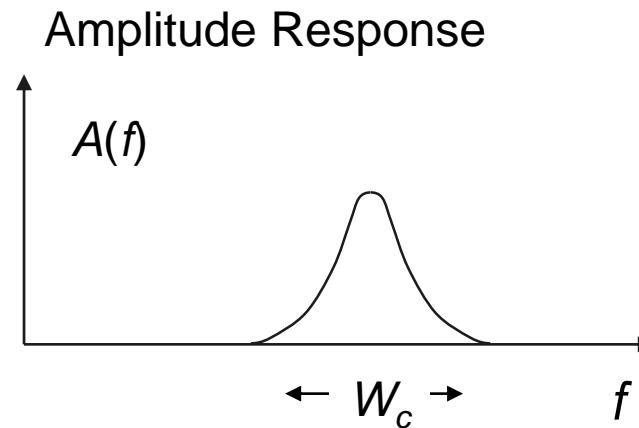


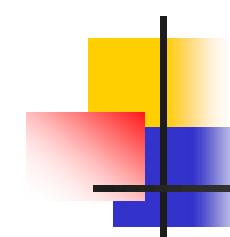
Phase Response



Example: Band-Pass Filter Channel

- Some channels pass signals within a band that excludes low frequencies
 - Telephone modems, radio systems, ...
- *Channel bandwidth* is the width of the frequency band that passes non-negligible signal power

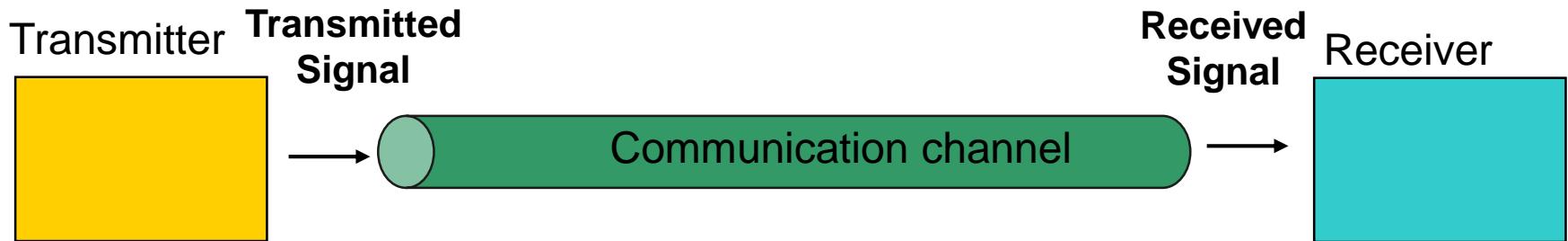




How good is a channel?

- Performance: What is the maximum reliable transmission rate?
 - Rate: Bit rate, R bps
 - Reliability: Bit error rate, $\text{BER} = 10^{-k}$
- Cost: What is the cost of alternatives at a given level of performance?
 - Wired vs. wireless?
 - Electronic vs. optical?
 - Standard A vs. standard B?

Channel Characteristics



Signal Bandwidth

- In order to transfer data faster, a signal has to vary more quickly.

Channel Bandwidth

- A channel or medium has an inherent limit on how fast the signals it passes can vary
- *Limits how tightly input pulses can be packed*

Transmission Impairments

- Signal attenuation
- Signal distortion (due to channel)
- Spurious noise
- Interference from other signals
- *Limits accuracy of measurements on received signal*

How to Increase Communication Rate?

extremely important rule in communication engineering

The maximum reliable transmission rate over an ideal channel with bandwidth W Hz, with Gaussian distributed noise, and with SNR S/N is

$$C = W \log_2 (1 + S/N) \text{ bits per second}$$

the only equation..

- Given a channel bandwidth, what methods can be used for improving communication rate?

W和SNR都定了

但還是用modulation

提升了C嗎

其實是沒有的，

因為shannon假設了最佳modulation

and channel coding

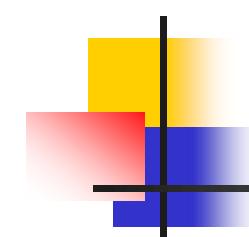
所以是無論什麼方式的upper limit

■ Modulation: a way of converting bits into baseband waveforms with different signal levels. Given a SNR, modulation improves bits per pulse

■ Channel coding: improves SNR for higher-rate modulation

■ DSP: e.g., channel equalizer; improves SNR digital signal processor

■ Power amplifier; improves SNR



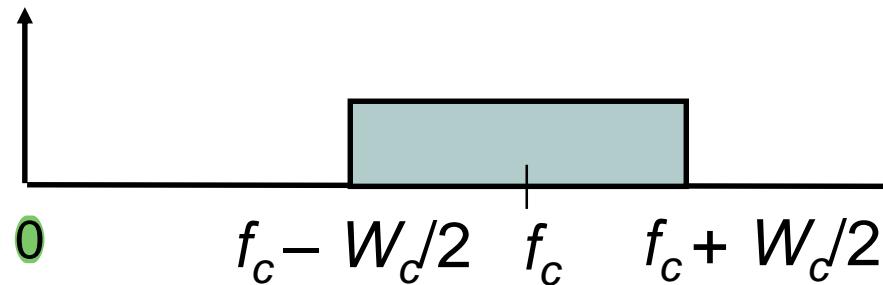
Modulation: General Procedure

- Convert bits into symbols
- DAC digital to analog converter
- The baseband signal modulates a sinusoid wave (carrier)

modulation decreases the length of antenna

Modulation (on a bandpass channel)

按頻率分流？



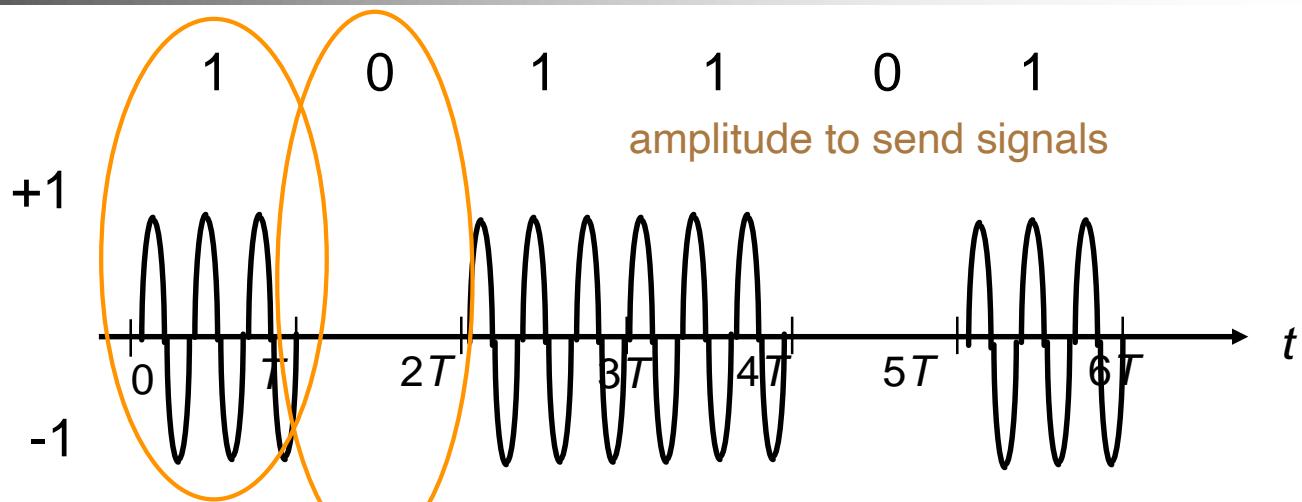
- Bandpass channels pass a range of frequencies around some center frequency f_c
 - Radio channels, telephone & DSL modems
- Digital modulators embed information into waveform with frequencies passed by bandpass channel
- Sinusoid of frequency f_c is centered in middle of bandpass channel
- Modulators embed information into a sinusoid

Digital Subscriber line
數位用戶線路是通過銅線或者本地電話網提供數位連接的一種技術

Amplitude Modulation and Frequency Modulation

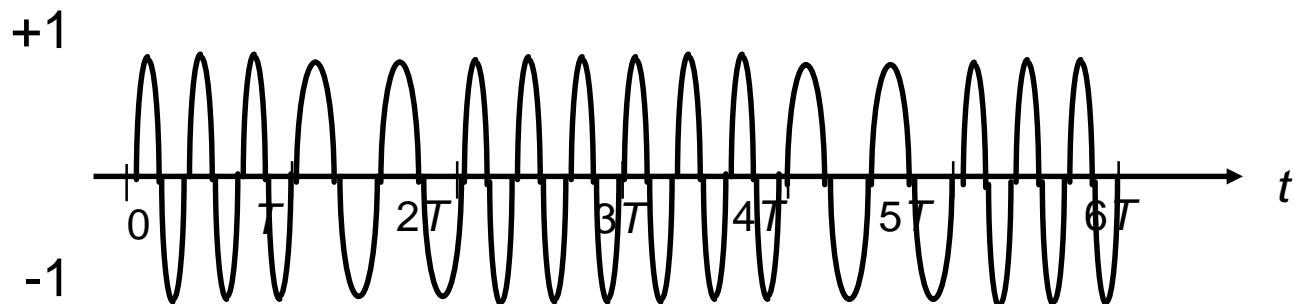
Information

Amplitude Shift Keying



Map bits into amplitude of sinusoid: “1” send sinusoid; “0” no sinusoid
Demodulator looks for signal vs. no signal

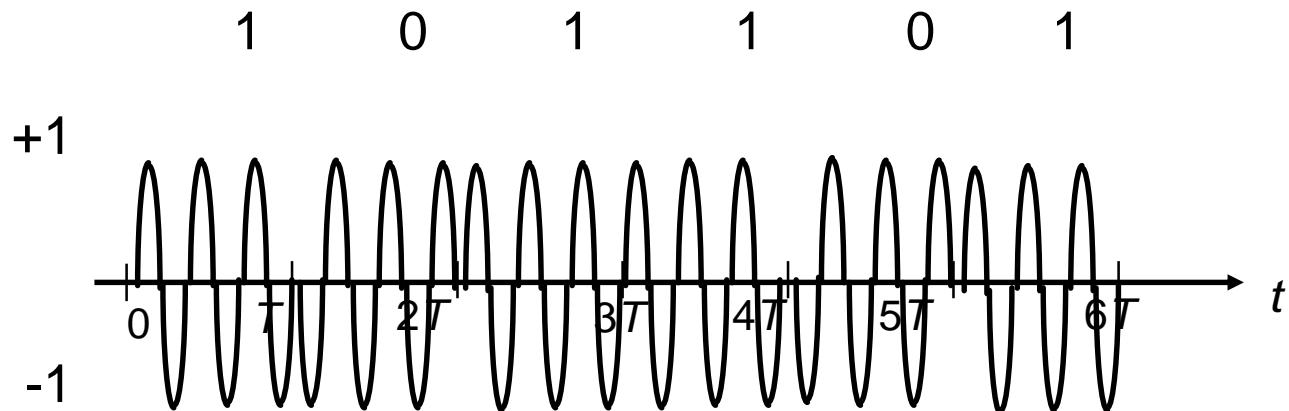
Frequency Shift Keying



Map bits into frequency: “1” send frequency $f_c + \delta$; “0” send frequency $f_c - \delta$
Demodulator looks for power around $f_c + \delta$ or $f_c - \delta$

Phase Modulation

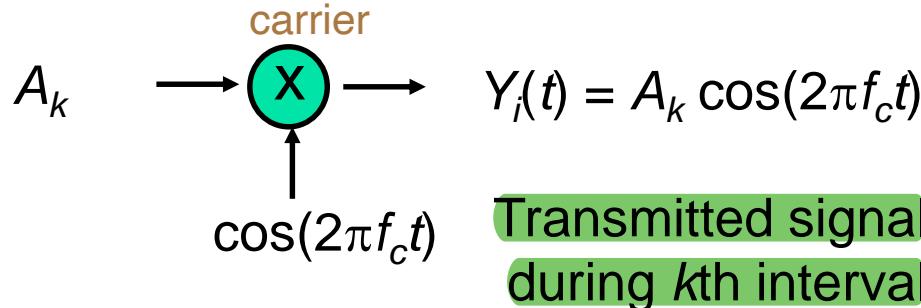
Information



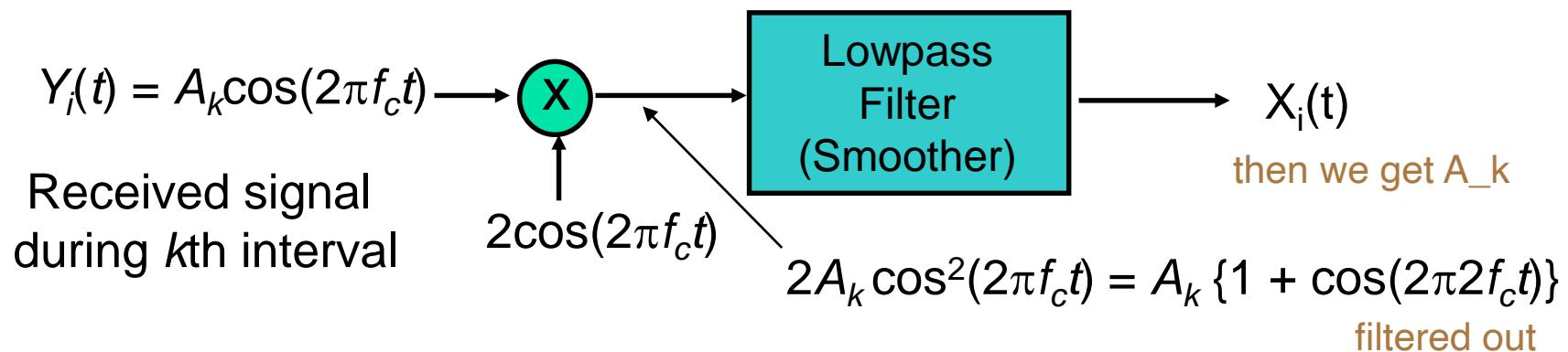
- Map bits into phase of sinusoid:
 - "1" send $A \cos(2\pi ft)$, i.e. phase is 0
 - "0" send $A \cos(2\pi ft + \pi)$, i.e. phase is π
- Equivalent to multiplying $\cos(2\pi ft)$ by +A or -A
 - "1" send $A \cos(2\pi ft)$, i.e. multiply by 1
 - "0" send $A \cos(2\pi ft + \pi) = - A \cos(2\pi ft)$, i.e. multiply by -1

Modulator & Demodulator

Modulate $\cos(2\pi f_c t)$ by multiplying by A_k for T seconds:



Demodulate (recover A_k) by multiplying by $2\cos(2\pi f_c t)$ for T seconds and lowpass filtering (smoothing):



Signaling rate and Transmission Bandwidth

Fact from modulation theory:

If

Baseband signal $x(t)$
with bandwidth B Hz

$x(t)$ is bits
0 or 1

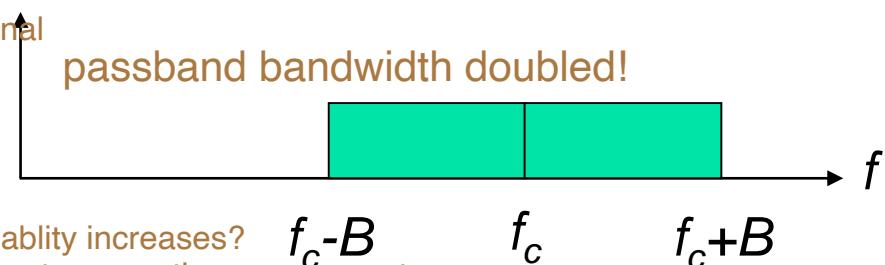


then

Modulated signal
 $x(t)\cos(2\pi f_c t)$ has
bandwidth $2B$ Hz

the modulated signal
is sinusoid
waves(symbols)

so easier to detect?
so transmission reliability increases?
i don't think the above two questions are correct

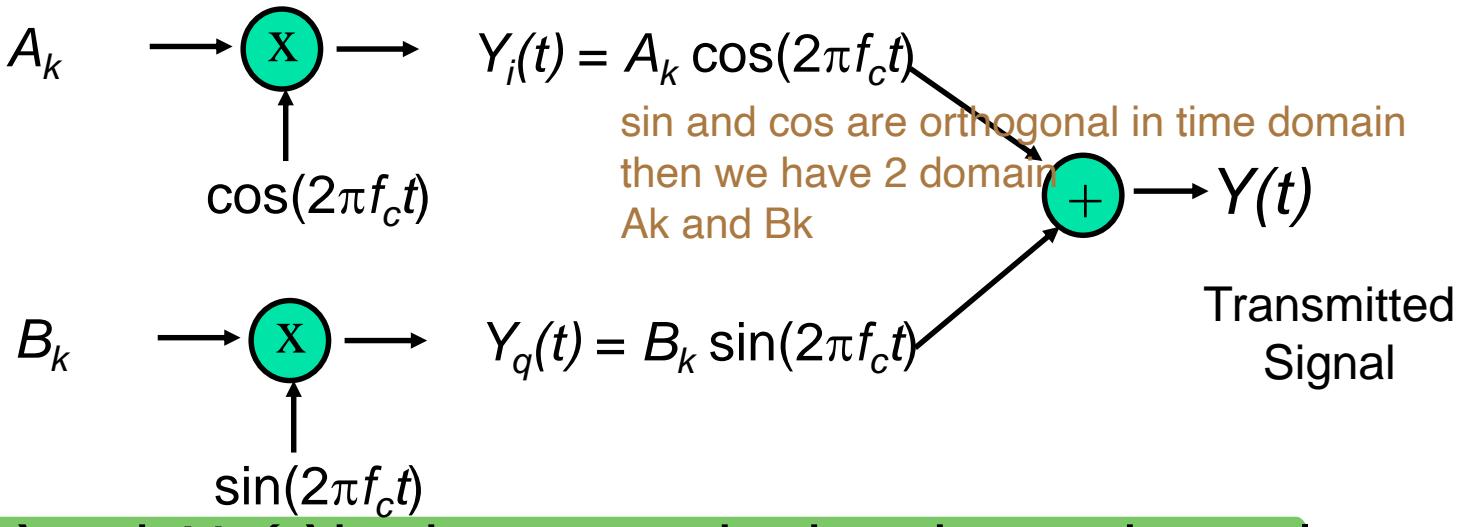


- If bandpass channel has bandwidth W_c Hz,
 - Then baseband channel has $W_c/2$ Hz available, so
 - modulation system supports $W_c/2 \times 2 = W_c$ pulses/second
 - That is, W_c pulses/second per W_c Hz = 1 pulse/Hz
 - Recall baseband transmission system supports 2 pulses/Hz

required W_c doubles!

Quadrature Amplitude Modulation (QAM)

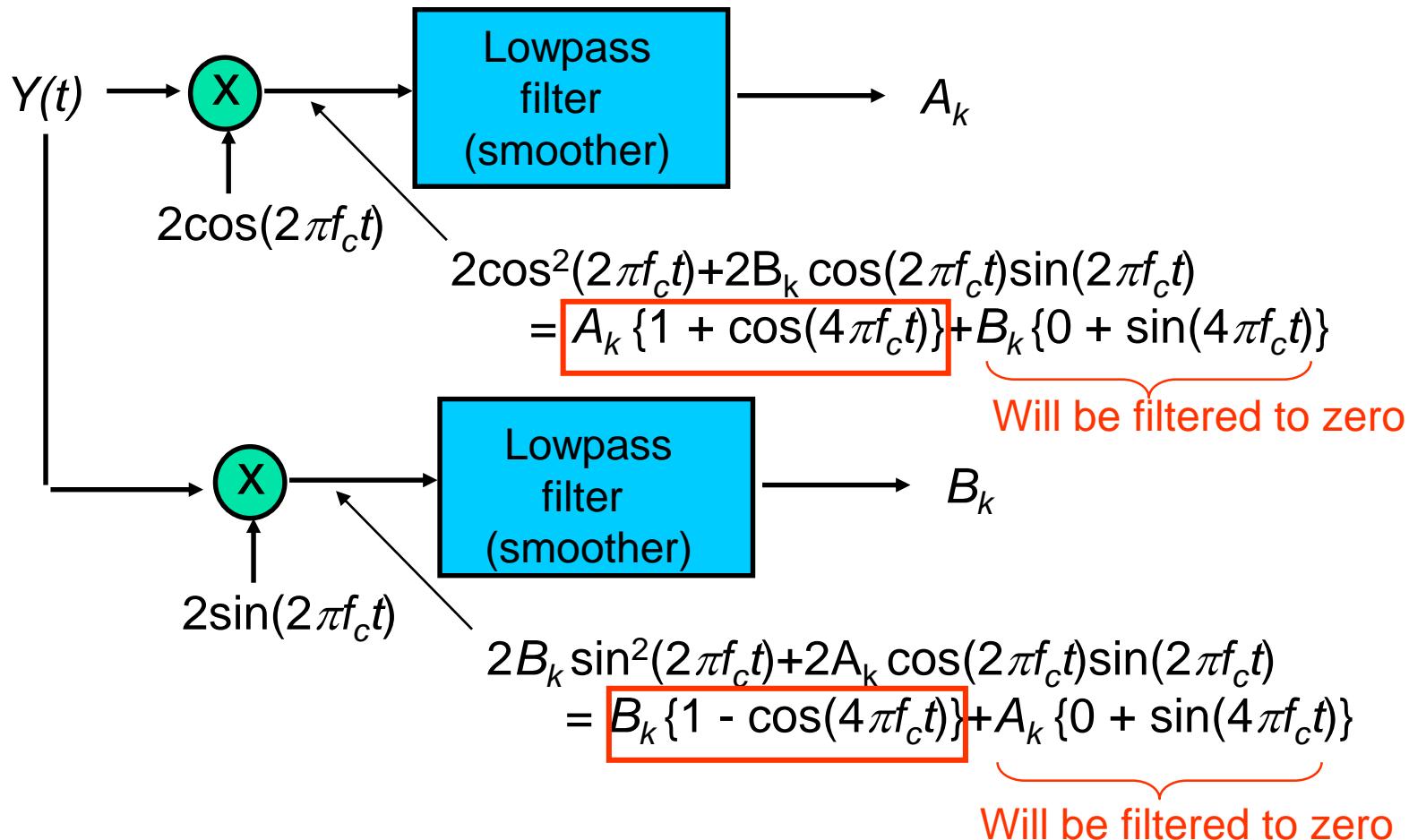
- QAM uses two-dimensional signaling
 - A_k modulates in-phase $\cos(2\pi f_c t)$
 - B_k modulates quadrature phase $\cos(2\pi f_c t + \pi/4) = \sin(2\pi f_c t)$
 - Transmit sum of inphase & quadrature phase components



- $Y_i(t)$ and $Y_q(t)$ both occupy the bandpass channel
- QAM sends 2 pulses/Hz

QAM Demodulation

lose some power in demodulation



Signal Constellations

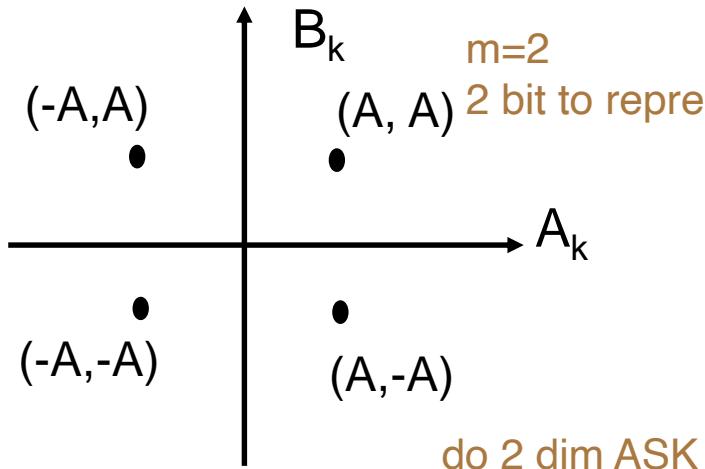
the transmission power has upper limit

so A always fixed

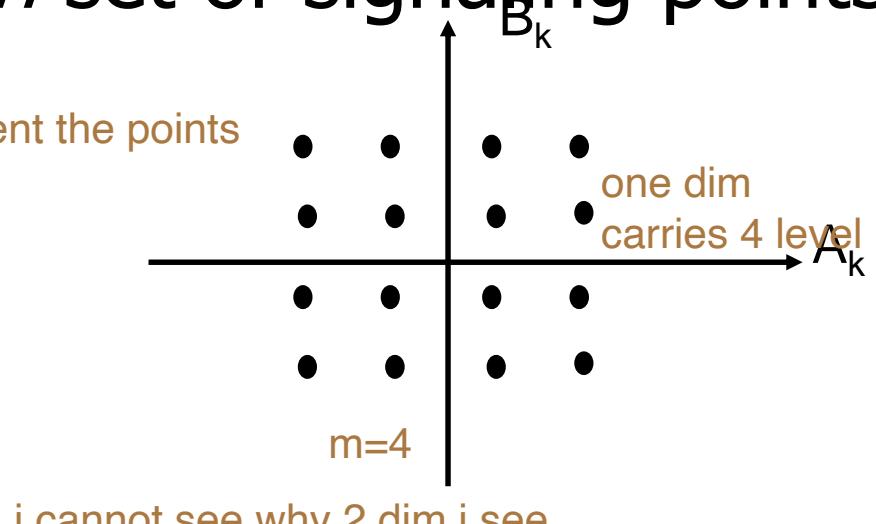
then to increase data rate, we can only increase density

but with increased density, if noise, hard to tell which data point to match

- Each pair (A_k, B_k) defines a point in the plane
 - so density increase, higher error rate, so less reliable communication
 - so m is not impt, but SNR cares
- *Signal constellation* set of signaling points



4 possible points per T sec.
2 bits / pulse



16 possible points per T sec.
4 bits / pulse

Telephone Modem Standards

modem can perform both modulation and demodulation

Telephone Channel for modulation purposes has

$$W_c = 2400 \text{ Hz} \rightarrow 2400 \text{ pulses per second}$$

Modem Standard V.32bis

why not 4800 pulses

- Trellis modulation maps m bits into one of 2^{m+1} constellation points
- 14,400 bps Trellis 128 2400x6
- 9600 bps Trellis 32 2400x4
- 4800 bps QAM 4 2400x2

Modem Standard V.34 adjusts pulse rate to channel

- 2400-33600 bps Trellis 960 2400-3429 pulses/sec

why we want to do modulation

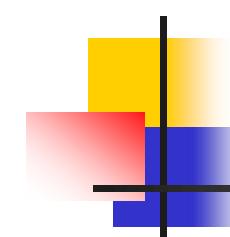
impt concepts

sampling quantization

modulation

channel capacity

error control

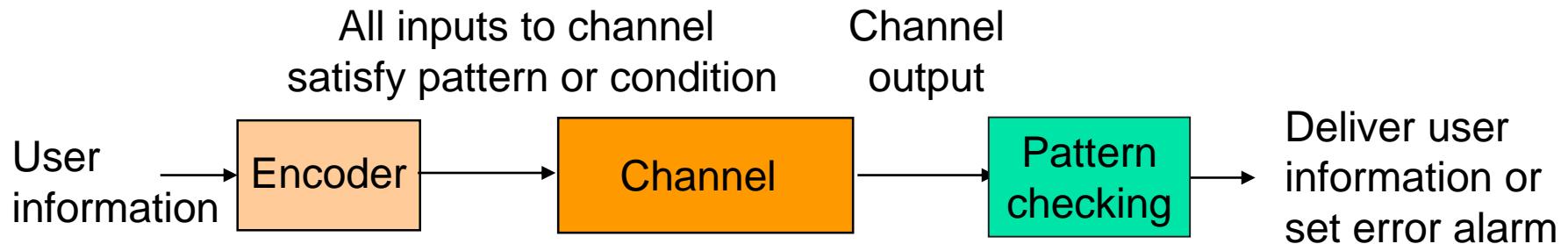


Error Control

- Digital transmission systems introduce errors
- Applications require certain reliability level
 - Data applications require error-free transfer
 - Voice & video applications tolerate some errors
- Error control used when transmission system does *not* meet application requirement
- Error control ensures a data stream is transmitted to a certain level of accuracy despite errors
- Two basic approaches:
 - Error ***detection*** & retransmission (ARQ)
 - Forward error ***correction*** (FEC)

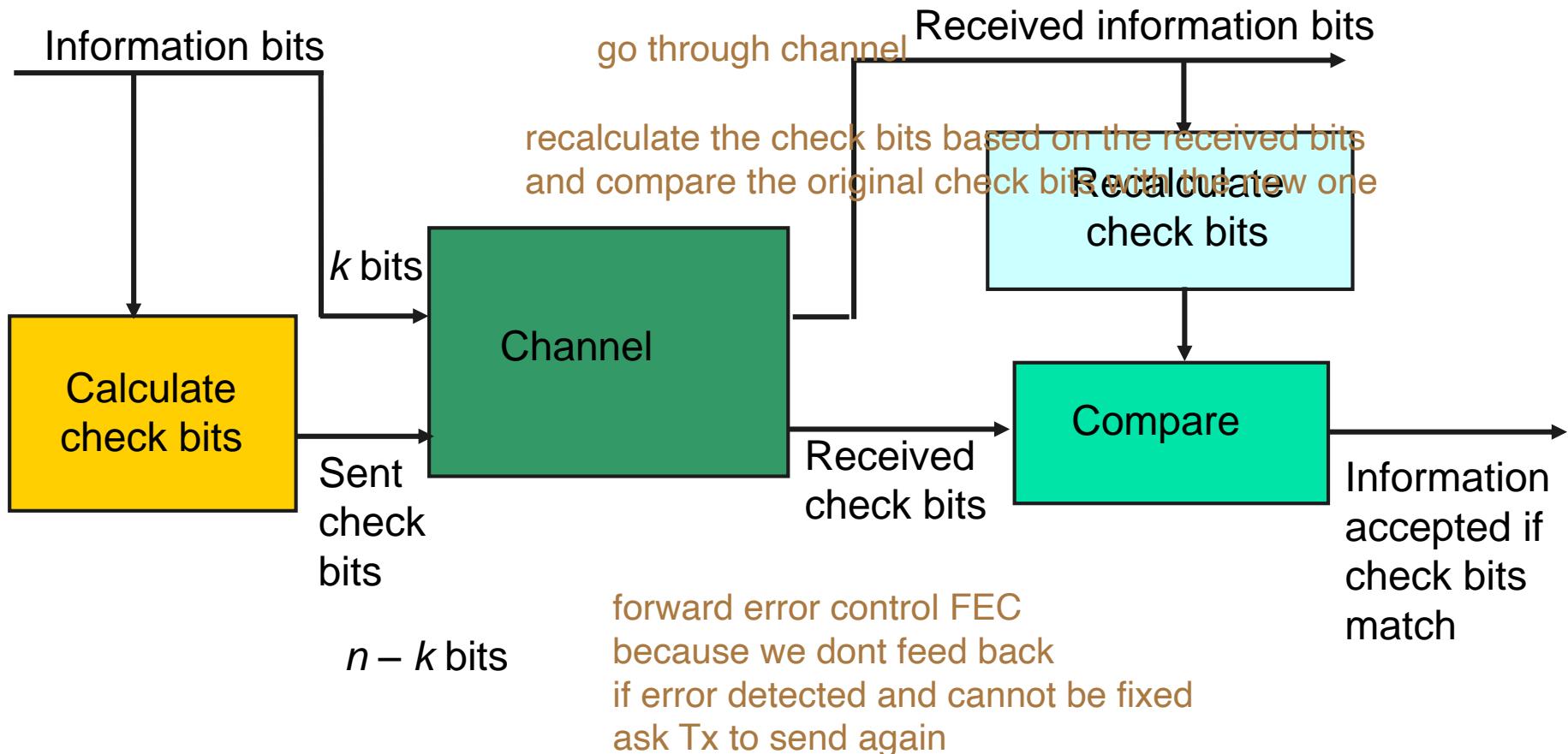
Key Concept

- All transmitted data blocks ("codewords") satisfy a pattern
- If received block doesn't satisfy pattern, it is in error
- Redundancy: Only a subset of all possible blocks can be codewords
- Blindspot: when channel transforms a codeword into another codeword



Checkbits & Error Detection

channel coding from bits, coded into check bits
010101... I check bits



Single Parity Check

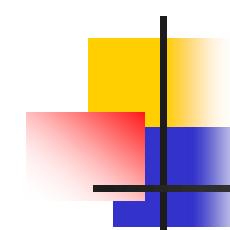
- Append an overall parity check to k information bits

Info Bits: $b_1, b_2, b_3, \dots, b_k$

Check Bit: $b_{k+1} = b_1 + b_2 + b_3 + \dots + b_k \text{ modulo } 2$

Codeword: $(b_1, b_2, b_3, \dots, b_k, b_{k+1})$

- All codewords have even # of 1s
- Receiver checks to see if # of 1s is even
 - All error patterns that change an odd # of bits are detectable
 - even number of error bits cannot be detected
 - just add one bit, but 50% of errors can be detected
 - All even-numbered patterns are undetectable
- Parity bit used in ASCII code

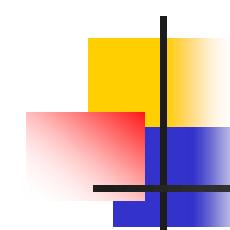


Example of Single Parity Code

- Information (7 bits): (0, 1, 0, 1, 1, 0, 0)
- Parity Bit: $b_8 = 0 + 1 + 0 + 1 + 1 + 0 + 0 = 1$
- Codeword (8 bits): (0, 1, 0, 1, 1, 0, 0, 1)

- If single error in bit 3 : (0, 1, 1, 1, 1, 0, 0, 1)
 - # of 1's =5, odd
 - Error detected

- If errors in bits 3 and 5: (0, 1, 1, 1, 0, 0, 0, 1)
 - # of 1's =4, even
 - Error not detected



How good is the single parity check code?

- *Redundancy*: Single parity check code adds 1 redundant bit per k information bits:
overhead = $1/(k + 1)$
- *Coverage*: all error patterns with odd # of errors can be detected
 - An error pattern is a binary $(k + 1)$ -tuple with 1s where errors occur and 0's elsewhere
 - Of 2^{k+1} binary $(k + 1)$ -tuples, $\frac{1}{2}$ are odd, so 50% of error patterns can be detected
- Is it possible to detect more errors if we add more check bits?
- Yes, with the right codes

Two-Dimensional Parity Check

- More parity bits to improve coverage
- Arrange information as columns
- Add single parity bit to each column
- Add a final “parity” column increase the overhead
but increase detecting probability as well
- Used in early error control systems

1	0	0	1	0	0
0	1	0	0	0	1
1	0	0	1	0	0
1	1	0	1	1	0
<hr/>					
1	0	0	1	1	1

Last column consists
of check bits for each
row

Bottom row consists of
check bit for each column

Error-detecting capability

1	0	0	1	0	0
0	0	0	0	0	1
1	0	0	1	0	0
1	1	0	1	1	0
1	0	0	1	1	1

One error

↑
interleaving
bursted errors

1	0	0	1	0	0
0	0	0	0	0	1
1	0	0	1	0	0
1	0	0	1	1	0
1	0	0	1	1	1

Two errors

↑
横豎都加了所以2 errors detectable

1, 2, or 3 errors
can always be
detected; Not all
patterns ≥ 4
errors can be
detected

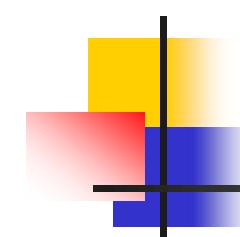
1	0	0	1	0	0
0	0	0	1	0	1
1	0	0	1	0	0
1	0	0	1	1	0
1	0	0	1	1	1

Three
errors

↑
Arrows indicate failed check bits

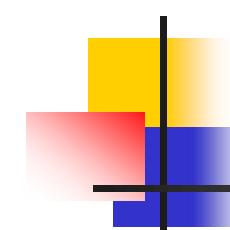
1	0	0	1	0	0
0	0	0	1	0	1
1	0	0	1	0	0
1	0	0	0	1	0
1	0	0	1	1	1

Four errors
(undetectable)



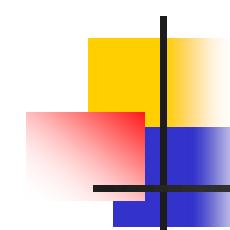
Other Error Detection Codes

- Many applications require very low error rate
- Need codes that detect the vast majority of errors
- Single parity check codes do not detect enough errors
- Two-dimensional codes require too many check bits
- The following error detecting codes used in practice:
 - Internet Check Sums
 - CRC Polynomial Codes



Internet Checksum

- Several Internet protocols (e.g. IP, TCP, UDP) use check bits to detect errors in the *IP header* (or in the header and data for TCP/UDP)
- A checksum is calculated for header contents and included in a special field.
- Checksum recalculated at every router, so algorithm selected for ease of implementation in software
- Let header consist of L , 16-bit words,
 $\mathbf{b}_0, \mathbf{b}_1, \mathbf{b}_2, \dots, \mathbf{b}_{L-1}$
- The algorithm appends a 16-bit checksum \mathbf{b}_L



Checksum Calculation

The checksum b_L is calculated as follows:

- Treating each 16-bit word as an integer, find

$$x = b_0 + b_1 + b_2 + \dots + b_{L-1} \text{ modulo } 2^{16}-1$$

- The checksum is then given by:

$$b_L = -x \text{ modulo } 2^{16}-1 \quad \text{take 2's complement of } x$$

Thus, the headers must satisfy the following ***pattern***:

$$0 = b_0 + b_1 + b_2 + \dots + b_{L-1} + b_L \text{ modulo } 2^{16}-1$$

- The checksum calculation is carried out in software using one's complement arithmetic

word parity check

Internet Checksum Example

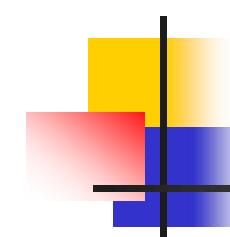
protecting TCP and UDP header

Use Modulo Arithmetic

- Assume 4-bit words
- Use mod $2^4 - 1$ arithmetic
- $b_0 = 1100 = 12$
- $b_1 = 1010 = 10$
- $b_0 + b_1 = 12 + 10 = 7 \text{ mod } 15$
- $b_2 = -7 = 8 \text{ mod } 15$
- Therefore
- $b_2 = 1000$

Use Binary Arithmetic

- Note $16 = 1 \text{ mod } 15$
- So: $10000 = 0001 \text{ mod } 15$
- leading bit wraps around
- $b_0 + b_1 = 1100 + 1010$
■ $= 10110$
- $= 10000 + 0110$
- $= 0001 + 0110$
- $= 0111$
- $= 7$
- Take 1s complement
- $b_2 = -0111 = 1000$



Error Correction

- Error correction not only detects errors but also corrects
 - Error detection only schemes need ARQ to correct error
 - Error correction code can directly detect and correct codes → Forward error correction (FEC)
- Examples
 - Hamming codes
 - Convolutional codes
 - Turbo codes
 - LDPC (low-density parity check codes)

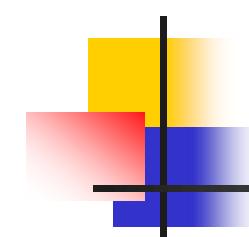
Hamming Codes

- Class of *error-correcting* codes
- Capable of correcting all *single-error* patterns
- For each $m \geq 2$, there is a Hamming code of length $n = 2^m - 1$ with $n - k = m$ parity check bits

Redundancy

n is $2^m - 1$, check bit m then it is hamming code

m	$n = 2^m - 1$	$k = n - m$	m/n
3	7	4	3/7
4	15	11	4/15
5	31	26	5/31
6	63	57	6/63



$m = 3$ Hamming Code

- Information bits are b_1, b_2, b_3, b_4
- Equations for parity checks b_5, b_6, b_7

$$b_5 = b_1 + b_3 + b_4$$

$$b_6 = b_1 + b_2 + b_4 \quad \text{just one way of arrangement}$$

$$b_7 = + b_2 + b_3 + b_4$$

just one way to generate hamming code
7 bits in all 3 for check bits

- There are $2^4 = 16$ codewords
- $(0,0,0,0,0,0,0)$ is a codeword

Hamming (7,4) code

Information				Codeword							Weight
b_1	b_2	b_3	b_4	b_1	b_2	b_3	b_4	b_5	b_6	b_7	$w(\underline{b})$
0	0	0	0	0	0	0	0	0	0	0	0
0	0	0	1	0	0	0	1	1	1	1	4
0	0	1	0	0	0	1	0	1	0	1	3
0	0	1	1	0	0	1	1	0	1	0	3
0	1	0	0	0	1	0	0	0	1	1	3
0	1	0	1	0	1	0	1	1	0	0	3
0	1	1	0	0	1	1	0	1	1	0	4
0	1	1	1	0	1	1	1	0	0	1	4
1	0	0	0	1	0	0	0	1	1	0	3
1	0	0	1	1	0	0	1	0	0	1	3
1	0	1	0	1	0	1	0	0	1	1	4
1	0	1	1	1	0	1	1	1	0	0	4
1	1	0	0	1	1	0	0	1	0	1	4
1	1	0	1	1	1	0	1	0	1	0	4
1	1	1	0	1	1	1	0	0	0	0	3
1	1	1	1	1	1	1	1	1	1	1	7

Parity Check Equations

- Rearrange parity check equations:

$$0 = b_5 + b_5 = b_1 + b_3 + b_4 + b_5$$

$$0 = b_6 + b_6 = b_1 + b_2 + b_4 + b_6$$

$$0 = b_7 + b_7 = b_2 + b_3 + b_4 + b_7$$

- In matrix form:

$$\begin{bmatrix} 0 \\ 0 \\ 0 \end{bmatrix} = \begin{bmatrix} 1 & 0 & 1 & 1 & 1 & 0 & 0 \\ 1 & 1 & 0 & 1 & 0 & 1 & 0 \\ 0 & 1 & 1 & 1 & 0 & 0 & 1 \end{bmatrix} \begin{bmatrix} b_1 \\ b_2 \\ b_3 \\ b_4 \\ b_5 \\ b_6 \\ b_7 \end{bmatrix} = \mathbf{H} \underline{b^t} = \underline{0}$$

the column contains all combinations of 3 except 000
then it is hamming code

parity check matrix

- All codewords must satisfy these equations
- Note: each nonzero 3-tuple appears once as a column in **check matrix H**

Error Detection with Hamming Code

$$\underline{s} = \mathbf{H} \underline{e}$$

where \underline{e} is the error vector:

For a single error (b3):

$$\underline{s} = \begin{bmatrix} 1 & 0 & 1 & 1 & 1 & 0 & 0 \\ 1 & 1 & 0 & 1 & 0 & 1 & 0 \\ 0 & 1 & 1 & 1 & 0 & 0 & 1 \end{bmatrix} \quad \underline{e} = \begin{bmatrix} 0 \\ 0 \\ 1 \\ 0 \\ 0 \\ 0 \\ 0 \end{bmatrix} = \begin{bmatrix} 1 \\ 0 \\ 1 \end{bmatrix}$$

then this 1 means b3 is error
Single error detected and can be corrected.

For double errors (b3, b5):

$$\underline{s} = \begin{bmatrix} 1 & 0 & 1 & 1 & 1 & 0 & 0 \\ 1 & 1 & 0 & 1 & 0 & 1 & 0 \\ 0 & 1 & 1 & 1 & 0 & 0 & 1 \end{bmatrix} \quad \underline{e} = \begin{bmatrix} 0 \\ 1 \\ 0 \\ 0 \\ 1 \\ 0 \\ 0 \end{bmatrix} = \begin{bmatrix} 0 \\ 1 \\ 1 \\ 1 \\ 0 \\ 0 \end{bmatrix} + \begin{bmatrix} 1 \\ 0 \\ 0 \\ 0 \\ 0 \\ 1 \end{bmatrix} = \begin{bmatrix} 1 \\ 1 \\ 1 \\ 1 \\ 0 \\ 1 \end{bmatrix}$$

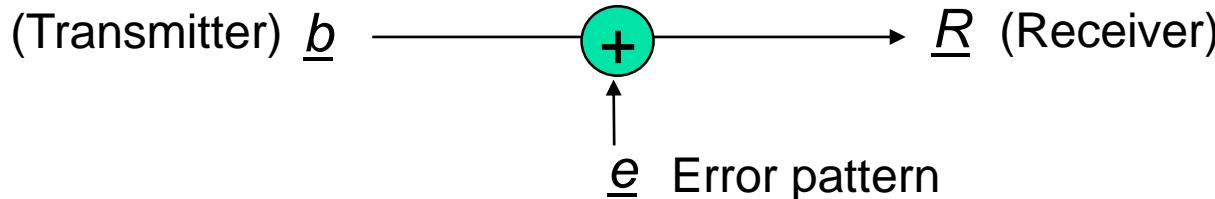
Error syndrome is shown in H
even if we have many errors after interleaving, i have separate single errors so can be detected and corrected
Double error detected

For triple errors (b3, b5, b7):

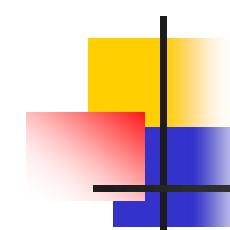
$$\underline{s} = \begin{bmatrix} 1 & 0 & 1 & 1 & 1 & 0 & 0 \\ 1 & 1 & 0 & 1 & 0 & 1 & 0 \\ 0 & 1 & 1 & 1 & 0 & 0 & 1 \end{bmatrix} \quad \underline{e} = \begin{bmatrix} 1 \\ 1 \\ 1 \\ 0 \\ 0 \\ 0 \\ 0 \end{bmatrix} = \begin{bmatrix} 1 \\ 1 \\ 0 \\ 0 \\ 1 \\ 1 \\ 0 \end{bmatrix} + \begin{bmatrix} 0 \\ 1 \\ 1 \\ 1 \\ 0 \\ 0 \\ 1 \end{bmatrix} + \begin{bmatrix} 1 \\ 0 \\ 1 \\ 1 \\ 0 \\ 1 \\ 0 \end{bmatrix} = \underline{0}$$

Triple error not detected

Error-correction using Hamming Codes

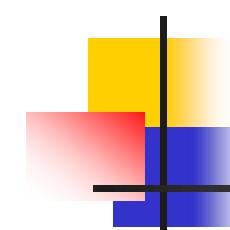


- The receiver first calculates the syndrome:
$$\underline{s} = \mathbf{H}\underline{R} = \mathbf{H}(\underline{b} + \underline{e}) = \mathbf{H}\underline{b} + \mathbf{H}\underline{e} = \mathbf{H}\underline{e}$$
- If $\underline{s} = \underline{0}$, then the receiver accepts \underline{R} as the transmitted codeword
- If \underline{s} is nonzero, then an error is detected
 - Hamming decoder *assumes* a single error has occurred
 - Each single-bit error pattern has a unique syndrome
 - The receiver matches the syndrome to a single-bit error pattern and corrects the appropriate bit
- Minimum distance of Hamming codes
dont need to understand



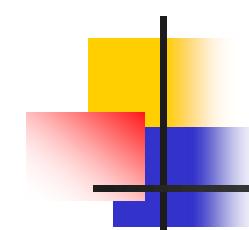
General Hamming Codes

- For $m \geq 2$, the Hamming code is obtained through the check matrix H :
 - Each nonzero m -tuple appears once as a column of H
 - The resulting code corrects all single errors
- For each value of m , there is a polynomial code with $g(x)$ of degree m that is equivalent to a Hamming code and corrects all single errors
 - For $m = 3$, $g(x) = x^3 + x + 1$



Polynomial Codes

- Polynomials instead of vectors for codewords
- Polynomial arithmetic instead of check sums
- Implemented using shift-register circuits
- Also called *cyclic redundancy check (CRC)* codes
- Most data communications standards use polynomial codes for error detection
 - we add headers
- Polynomial codes also basis for powerful error-correction methods



Binary Polynomial Arithmetic

- Binary vectors map to polynomials

$$(i_{k-1}, i_{k-2}, \dots, i_2, i_1, i_0) \rightarrow i_{k-1}x^{k-1} + i_{k-2}x^{k-2} + \dots + i_2x^2 + i_1x + i_0$$

Addition:

$$\begin{aligned}(x^7 + x^6 + 1) + (x^6 + x^5) &= x^7 + x^6 + x^6 + x^5 + 1 \\&= x^7 + (1+1)x^6 + x^5 + 1 \\&= x^7 + x^5 + 1 \quad \text{since } 1+1=0 \bmod 2\end{aligned}$$

Multiplication:

$$\begin{aligned}(x+1)(x^2 + x + 1) &= x(x^2 + x + 1) + 1(x^2 + x + 1) \\&= x^3 + x^2 + x + (x^2 + x + 1) \\&= x^3 + 1\end{aligned}$$

Binary Polynomial Division

■ Division with Decimal Numbers

$$\begin{array}{r} 34 \\ \hline 35) 1222 \\ 105 \\ \hline 172 \\ 140 \\ \hline 32 \end{array}$$

dividend = quotient x divisor + remainder
 $1222 = 34 \times 35 + 32$

■ Polynomial Division

al

$$\begin{array}{r}
 x^3 + x^2 + x \\
 \hline
 x^3 + x + 1) x^6 + x^5 \\
 \quad x^6 + \quad x^4 + x^3 \\
 \hline
 \quad x^5 + x^4 + x^3 \\
 \quad x^5 + \quad x^3 + x^2 \\
 \hline
 \quad x^4 + \quad x^2 \\
 \quad x^4 + \quad x^2 + x \\
 \hline
 \quad \quad \quad x = r(x) \text{ remainder}
 \end{array}$$

divisor

$r(x)$ is less than divisor

dividend

Note: Degree of $r(x)$ is less than degree of divisor

Polynomial Coding

- Code has binary *generating polynomial* of degree $n-k$ $g(x) = x^{n-k} + g_{n-k-1}x^{n-k-1} + \dots + g_2x^2 + g_1x + 1$
- k *information bits* define polynomial of degree $k-1$
 $i(x) = i_{k-1}x^{k-1} + i_{k-2}x^{k-2} + \dots + i_2x^2 + i_1x + i_0$
- Find *remainder polynomial* of at most degree $n-k-1$

$$\begin{array}{r} q(x) \\ \hline g(x)) \overline{x^{n-k} i(x)} \\ \quad \quad \quad r(x) \end{array} \qquad \text{just raise info bits to } n-k$$
$$x^{n-k}i(x) = q(x)g(x) + r(x)$$

- Define the *codeword polynomial* of degree $n-1$

$$\underbrace{b(x)}_{n \text{ bits}} = \underbrace{x^{n-k}i(x)}_{\text{information bits}} + \underbrace{r(x)}_{\text{remainder}}$$

k bits $n-k$ bits

Polynomial example: $k = 4, n-k = 3$

Generator polynomial: $g(x) = x^3 + x + 1$
mid term

Information: $(1,1,0,0)$ $i(x) = x^3 + x^2$

Encoding: $x^3 i(x) = x^6 + x^5$

$$\begin{array}{r} x^3 + x^2 + x \\ \hline x^3 + x + 1) x^6 + x^5 \\ x^6 + \quad x^4 + x^3 \\ \hline x^5 + x^4 + x^3 \end{array}$$

$x^3 =$, so
since hamming code,
 $n=2^3-1$
if not hamming code,
 n can be other numbers

$$\begin{array}{r} x^5 + x^4 + x^3 \\ x^5 + \quad x^3 + x^2 \\ \hline \end{array}$$

$$\begin{array}{r} x^4 + \quad x^2 \\ x^4 + \quad x^2 + x \\ \hline \end{array}$$

long division, multiplication can all
be done by digital circuits

$$\begin{array}{r} x \\ \hline \end{array}$$

$$\begin{array}{r} 1110 \\ 1011) 1100000 \\ 1011 \\ \hline 1110 \\ 1011 \\ \hline \end{array}$$

$$\begin{array}{r} 1010 \\ 1011 \\ \hline \end{array}$$

$$\begin{array}{r} 010 \\ \hline \end{array}$$

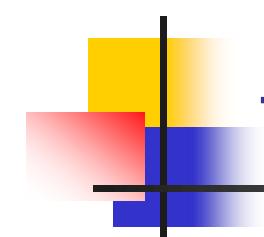
Transmitted codeword:

$$b(x) = x^6 + x^5 + x$$

$$\underline{b} = (1,1,0,0,0,1,0)$$

5/23/2023 \Rightarrow

1100還是一樣，因為raise 之後就相當於left shift



The *Pattern* in Polynomial Coding (Decoding)

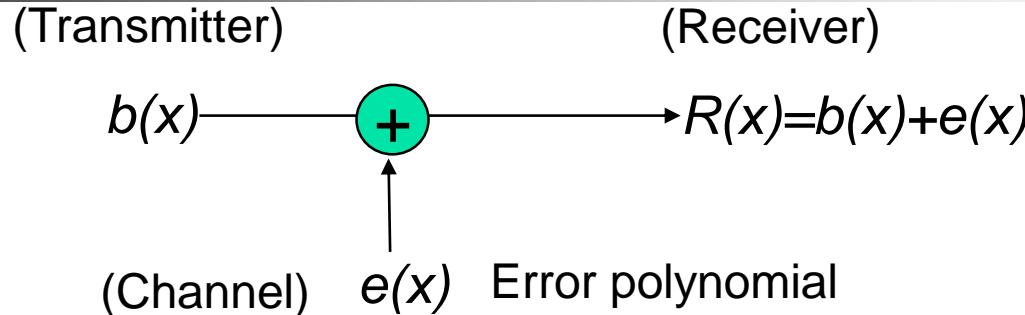
- All codewords satisfy the following **pattern**:

$$b(x) = x^{n-k}i(x) + r(x) = q(x)g(x) + r(x) + r(x) = q(x)g(x)$$

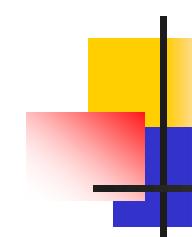
put the remainder backwards

- All codewords are a multiple of $g(x)$! property to decode!
- Receiver should divide received n-tuple by $g(x)$ and check if remainder is zero
- If remainder is nonzero, then received n-tuple is not a codeword

Undetectable error patterns



- $e(x)$ has 1s in error locations & 0s elsewhere
- Receiver divides the received polynomial $R(x)$ by $g(x)$
Text
- Blindspot: If $e(x)$ is a multiple of $g(x)$, that is, $e(x)$ is a nonzero codeword, then
$$R(x) = b(x) + e(x) = q(x)g(x) + q'(x)g(x)$$
- *The set of undetectable error polynomials is the set of nonzero code polynomials*
- *Choose the generator polynomial so that selected error patterns can be detected.*



Designing good polynomial codes (1)

- Select generator polynomial so that likely error patterns are not multiples of $g(x)$
- *Detecting Single Errors*
 - $e(x) = x^i$ for error in one location
 - If $g(x)$ has more than 1 term, it cannot divide x^i
- *Detecting Double Errors*
 - $e(x) = x^i + x^j = x^i(x^{j-i}+1)$ where $j>i$
 - If $g(x)$ has more than 1 term, it cannot divide x^i
 - If $g(x)$ is a *primitive* polynomial, it cannot divide x^m+1 for all $m<2^{n-k}-1$ (Need to keep codeword length n less than $2^{n-k}-1$)
 - Primitive polynomials can be found by consulting coding theory books just check the standard table!

Designing good polynomial codes (2)

not required to know how to generate $g(x)$

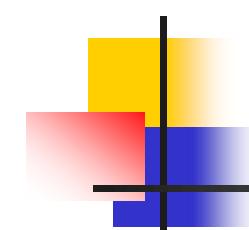
■ *Detecting Odd Numbers of Errors*

- Suppose all codeword polynomials have an even # of 1s, then all odd numbers of errors can be detected
- As well, $b(x)$ evaluated at $x = 1$ is zero because $b(x)$ has an even number of 1s
- This implies $x + 1$ must be a factor of all $b(x)$
- Pick $g(x) = (x + 1) p(x)$ where $p(x)$ is primitive

$g(x)$ should be primitive and satisfies this equation

■ *Bursty Errors*

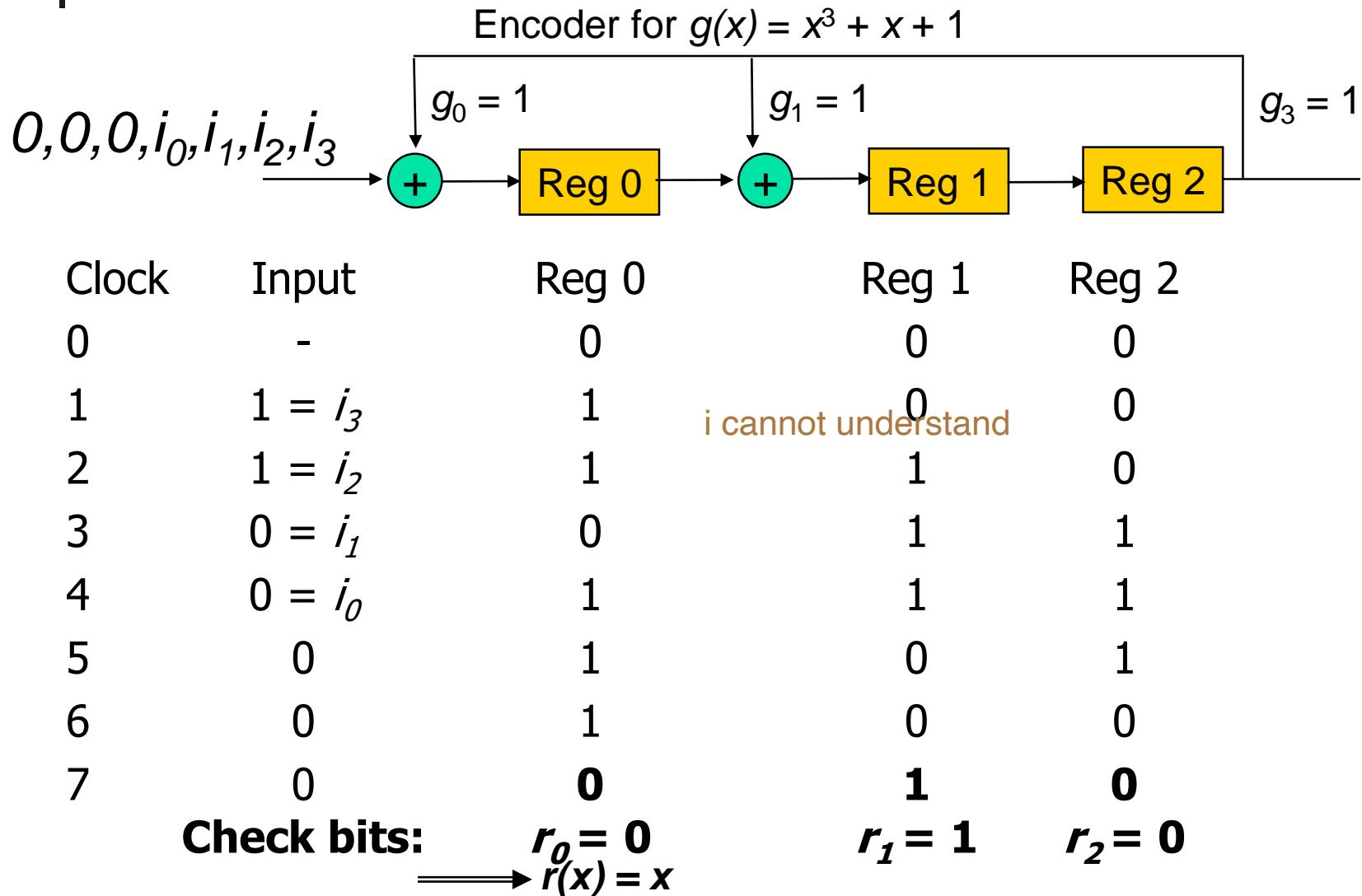
- All bursts of length $n-k$ or less can be detected



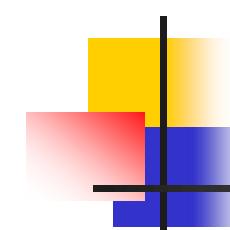
Shift-Register Implementation of Polynomial Codes

1. Accept information bits $i_{k-1}, i_{k-2}, \dots, i_2, i_1, i_0$
2. Append $n - k$ zeros to information bits
3. Feed sequence to shift-register circuit that performs polynomial division
4. After n shifts, the shift register contains the remainder

Division Circuit



this circuit help us to find the $r(x)$



Standard Generator Polynomials

CRC = cyclic redundancy check

- **CRC-8:**

$$= x^8 + x^2 + x + 1 \quad \text{ATM}$$

- **CRC-16:**

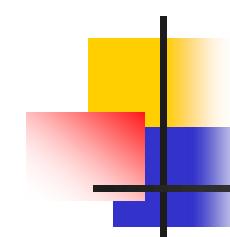
$$\begin{aligned} &= x^{16} + x^{15} + x^2 + 1 \\ &= (x + 1)(x^{15} + x + 1) \quad \text{Bisync} \end{aligned}$$

- **CCITT-16:**

$$= x^{16} + x^{12} + x^5 + 1 \quad \text{HDLC, XMODEM, V.41}$$

- **CCITT-32:**

$$= x^{32} + x^{26} + x^{23} + x^{22} + x^{16} + x^{12} + x^{11} + x^{10} + x^8 + x^7 + x^5 + x^4 + x^2 + x + 1 \quad \text{IEEE 802, DoD, V.42}$$



Multiplexing

- Goal

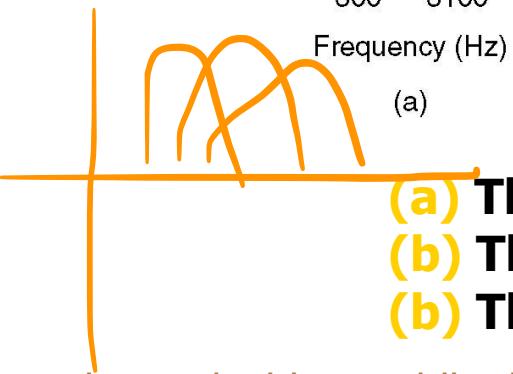
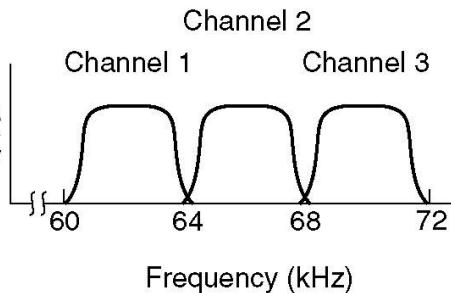
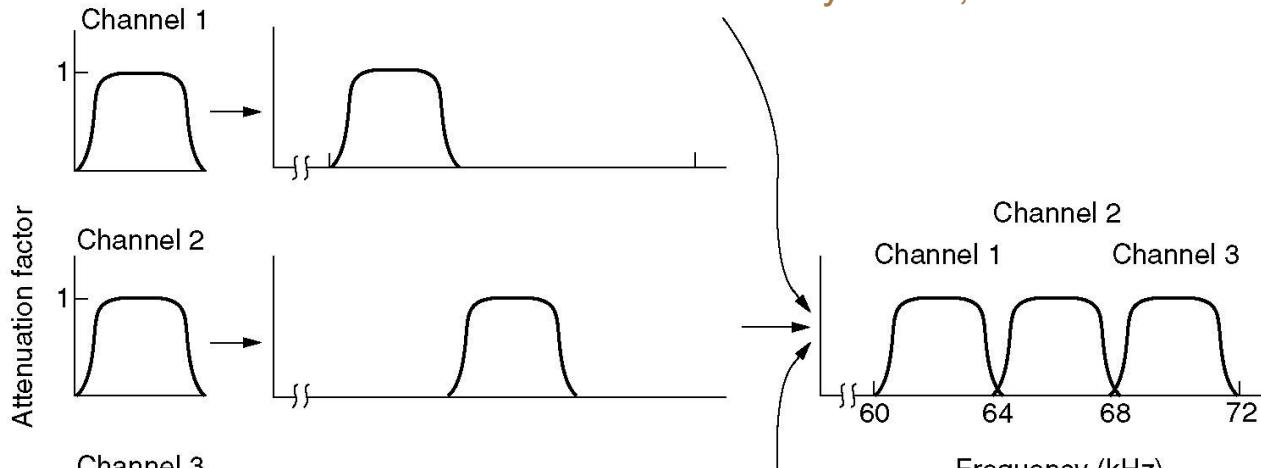
- Improve efficiency by filling the pipe
(transmission medium)

- Approaches

- Frequency division
 - Time division
 - Code division
 - Wavelength division

Frequency Division Multiplexing

OFDM is used everywhere,



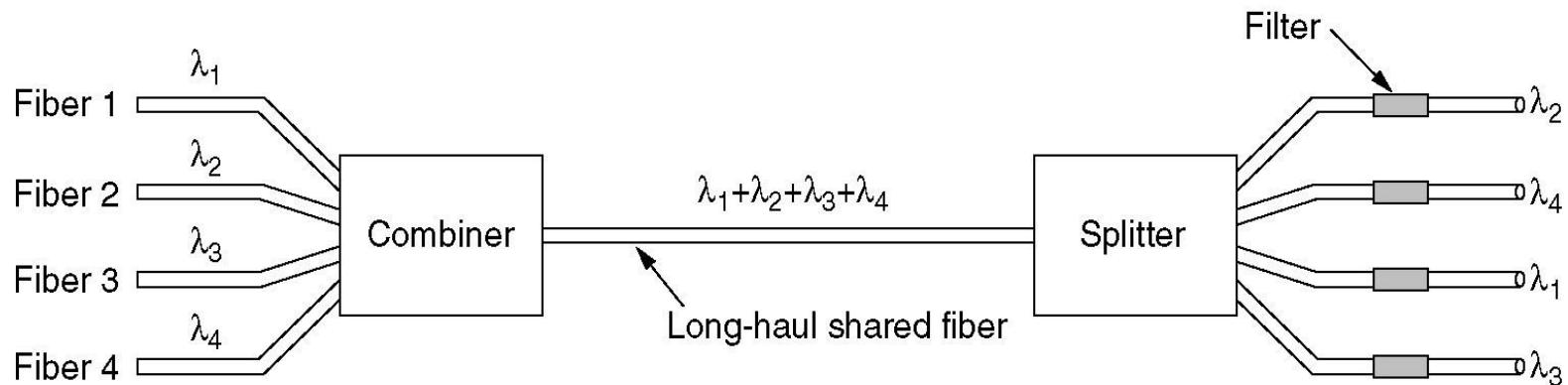
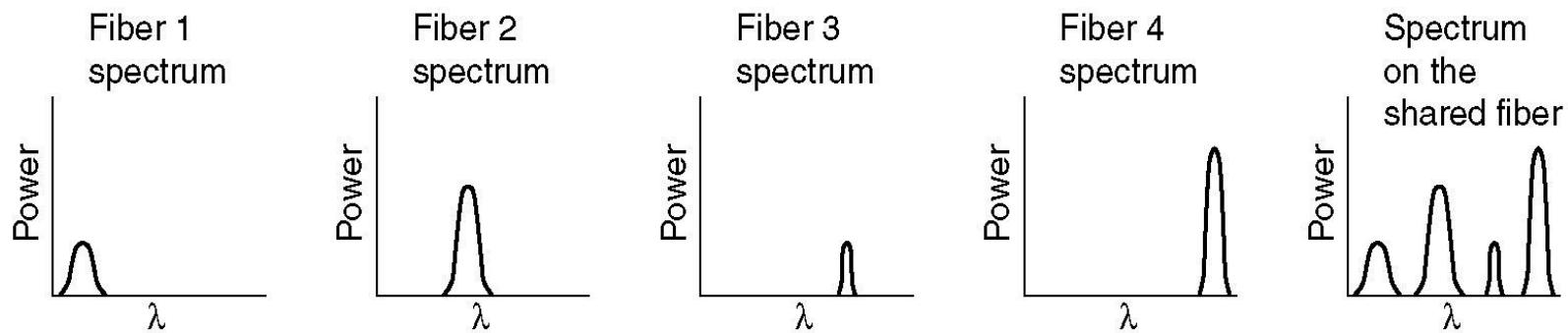
cannot be separated in
the freq domain
but they are orthogonal
in the time dimension.

that's a waste of bandwidth
cuz buffer should be left in case
of overlapping

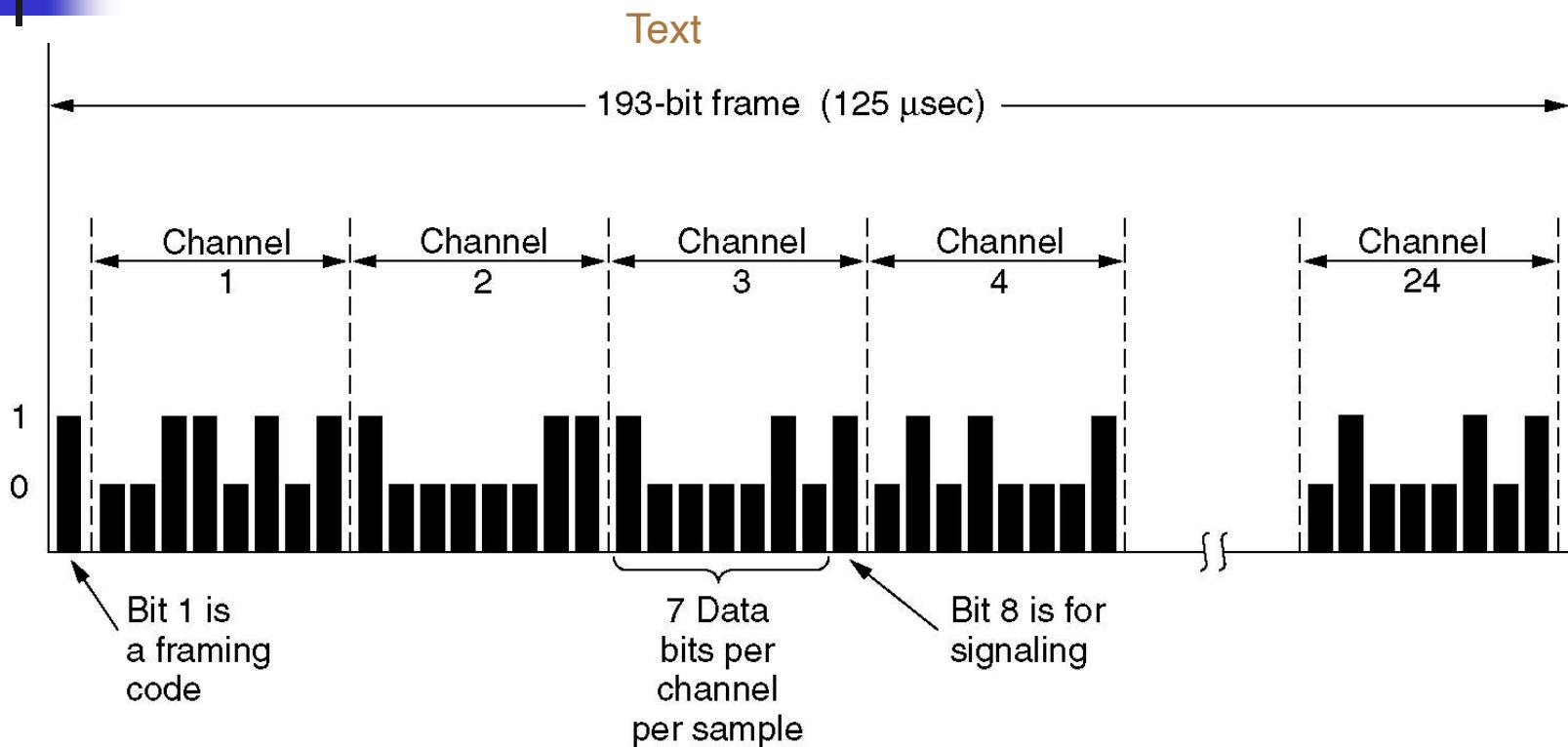
wifi bandwidth is free unlicensed
but cell phone bandwidth is not
if you want to make a radio and
send, it's illegal

instead, china mobile do OFDM orthogonal freq division multiplexing

Wavelength Division Multiplexing

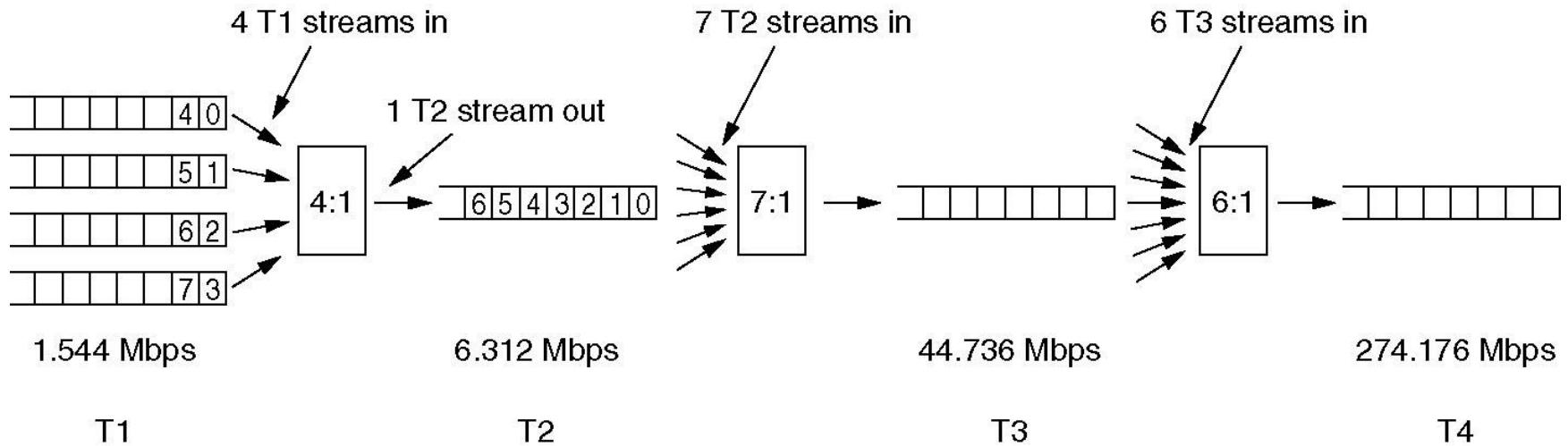


Time Division Multiplexing (1)



The T1 carrier (1.544 Mbps).

Time Division Multiplexing (2)



hierachical sharing

Multiplexing T1 streams into higher carriers.

啥

Code Division Multiplexing

- (a) Binary chip sequences for four stations
- (b) Bipolar chip sequences
- (c) Six examples of transmissions
- (d) Recovery of station C's signal

lost

A: 0 0 0 1 1 0 1 1
B: 0 0 1 0 1 1 1 0
C: 0 1 0 1 1 1 0 0
D: 0 1 0 0 0 0 1 0

(a)

A: (-1 -1 -1 +1 +1 -1 +1 +1)
B: (-1 -1 +1 -1 +1 +1 +1 -1)
C: (-1 +1 -1 +1 +1 +1 -1 -1)
D: (-1 +1 -1 -1 -1 -1 +1 -1)

(b)

Six examples:

C bar is the complement of C

-- 1 - **C**

- 1 1 - **B + C**

1 0 -- **A + B**

1 0 1 - **A + B + C**

1 1 1 1 **A + B + C + D**

1 1 0 1 **A + B + C + D**

$S_1 = (-1 +1 -1 +1 +1 +1 -1 -1)$

$S_2 = (-2 0 0 0 +2 +2 0 -2)$

$S_3 = (0 0 -2 +2 0 -2 0 +2)$

$S_4 = (-1 +1 -3 +3 +1 -1 -1 +1)$

$S_5 = (-4 0 -2 0 +2 0 +2 -2)$

$S_6 = (-2 -2 0 -2 0 -2 +4 0)$

so 4 users can send simultaneously

dot product

$$S_1 \bullet C = (1 +1 +1 +1 +1 +1 +1 +1)/8 = 1$$

$$S_2 \bullet C = (2 +0 +0 +0 +2 +2 +0 +2)/8 = 1$$

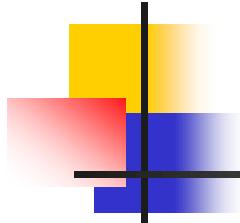
$$S_3 \bullet C = (0 +0 +2 +2 +0 -2 +0 -2)/8 = 0 \text{ no info sent}$$

$$S_4 \bullet C = (1 +1 +3 +3 +1 -1 +1 -1)/8 = 1$$

$$S_5 \bullet C = (4 +0 +2 +0 +2 +0 -2 +2)/8 = 1$$

$$S_6 \bullet C = (2 -2 +0 -2 +0 -2 -4 +0)/8 = -1 \text{ C is 0}$$

(d)



Transmission Media

Wired or Wireless Media

for wired communication,
slower than wireless
cuz impedance in wire
so satellite..

Wired Media

- Signal energy contained & guided within medium
- Spectrum can be re-used in separate media (wires or cables), more scalable
- Extremely high bandwidth
- Complex infrastructure: ducts, conduits, poles, right-of-way

in ocean wireless communication not possible

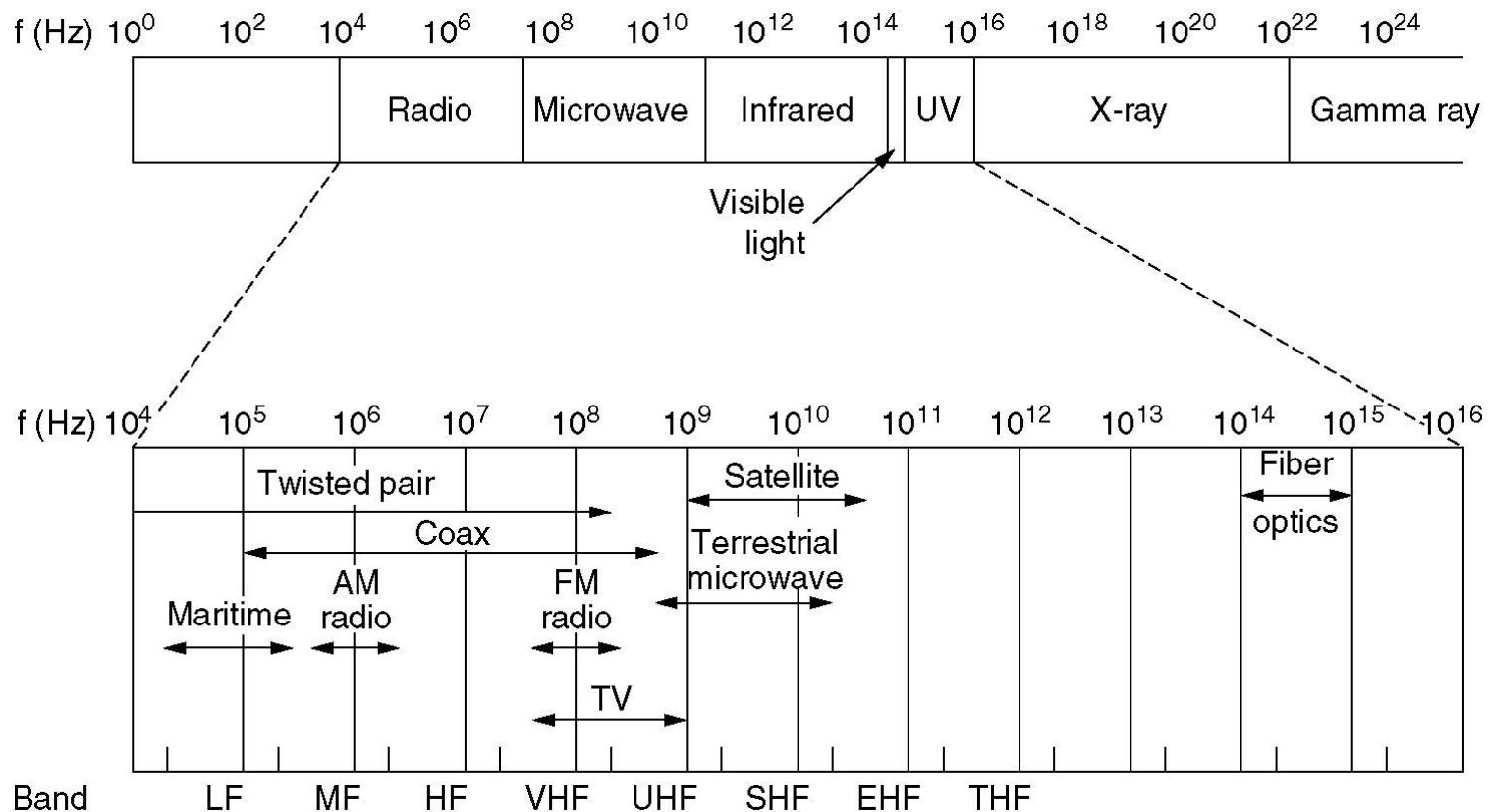
cuz enery will be absorbed by the water
accustic communication, sona

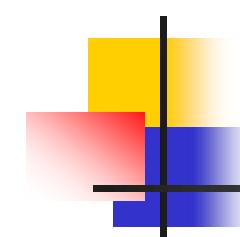
laser communication to the carrier on the surface of the sea
the surface send to the satellite

Wireless Media

- Signal energy propagates in space, limited directionality
- Interference, so spectrum regulated
- Limited bandwidth
- Simple infrastructure: antennas & transmitters
- No physical connection between network & user
- Users can move

The Electromagnetic Spectrum

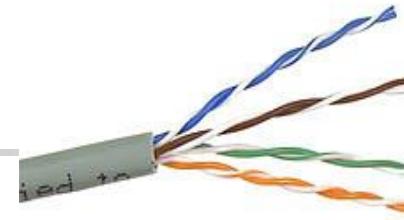




Guided Transmission Data

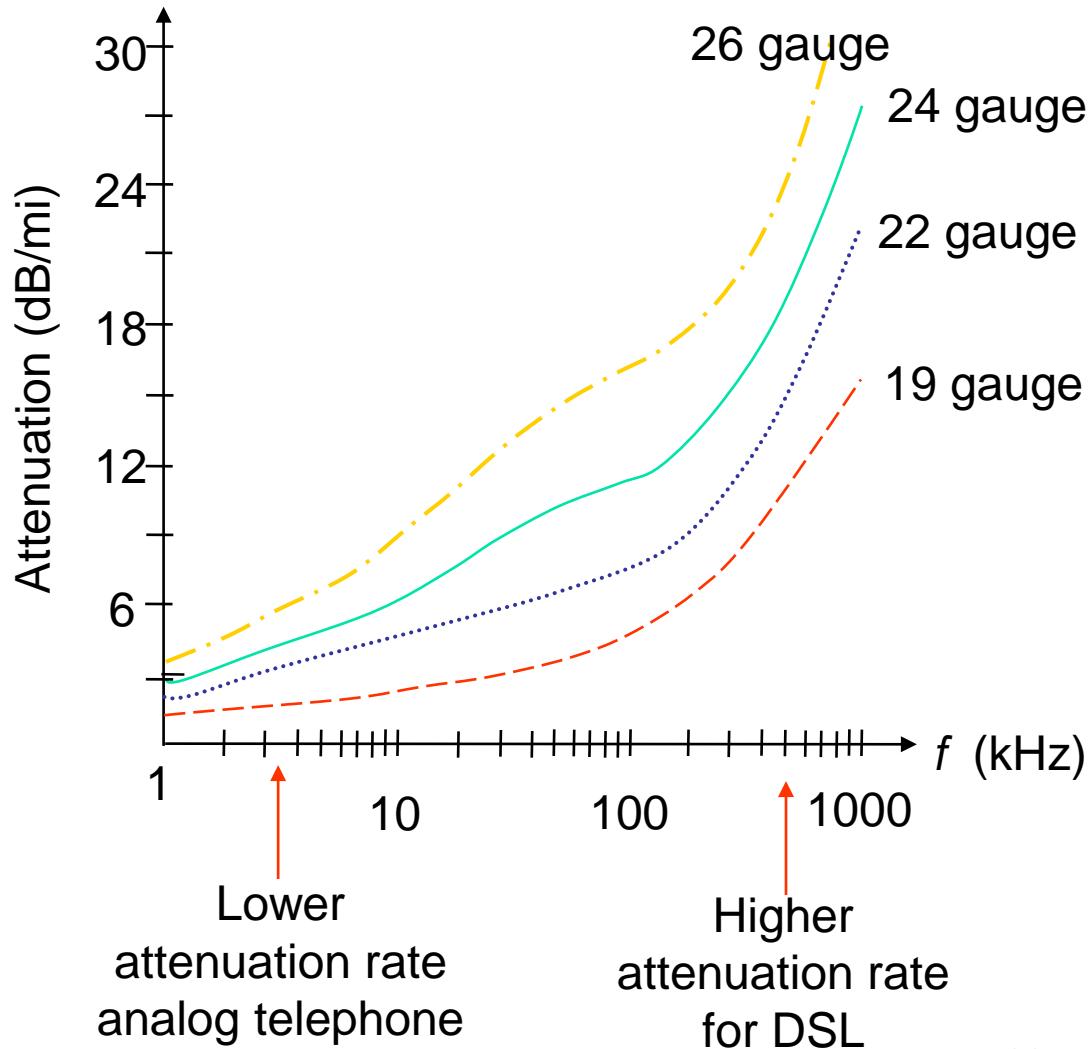
- Magnetic Media
- Twisted Pair
- Coaxial Cable
- Fiber Optics

Twisted Pair



Twisted pair avoid noise

- Two insulated copper wires arranged in a regular spiral pattern to minimize interference
- Various thicknesses, e.g. 0.016 inch (24 gauge)
- Low cost
- Telephone subscriber loop from customer to CO
- Old trunk plant connecting telephone COs
- Intra-building telephone from wiring closet to desktop
- In old installations, loading coils added to improve quality in 3 kHz band, but more attenuation at higher frequencies



Twisted Pair Bit Rates

Standard	Data Rate	Distance
T-1	1.544 Mbps	18,000 feet, 5.5 km
DS2	6.312 Mbps	12,000 feet, 3.7 km
1/4 STS-1	12.960 Mbps	4500 feet, 1.4 km
1/2 STS-1	25.920 Mbps	3000 feet, 0.9 km
STS-1	51.840 Mbps	1000 feet, 300 m

- Twisted pairs can provide high bit rates at short distances
- Asymmetric Digital Subscriber Loop (ADSL)
 - High-speed Internet Access
 - Lower 3 kHz for voice
 - Upper band for data
- Much higher rates possible at shorter distances
 - Strategy for telephone companies is to bring fiber close to home & then twisted pair
 - Higher-speed access + video

Cat3, Cat5, and UTP

- Category 3 unshielded twisted pair (UTP): ordinary telephone wires
- Category 5 UTP: tighter twisting to improve signal quality
- Shielded twisted pair (STP): to minimize interference; costly
- 10BASE-T Ethernet
 - 10 Mbps, Baseband, Twisted pair
 - Two Cat3 pairs
 - Manchester coding, 100 meters
- 100BASE-T4 *Fast* Ethernet
 - 100 Mbps, Baseband, Twisted pair
 - Four Cat3 pairs
 - Three pairs for one direction at-a-time
 - 100/3 Mbps per pair;
 - 3B6T line code, 100 meters
- Cat5 & STP provide other options

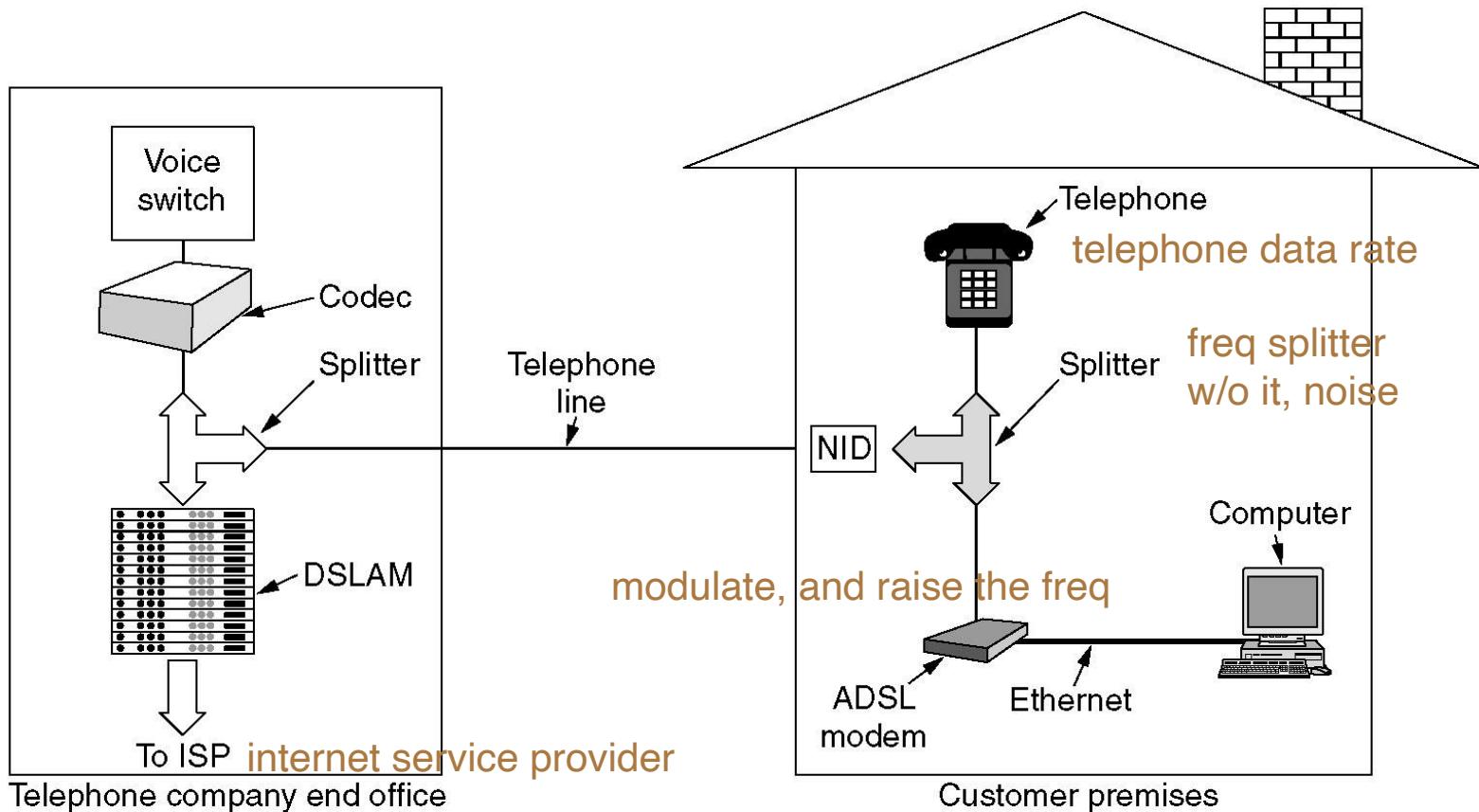


(a)

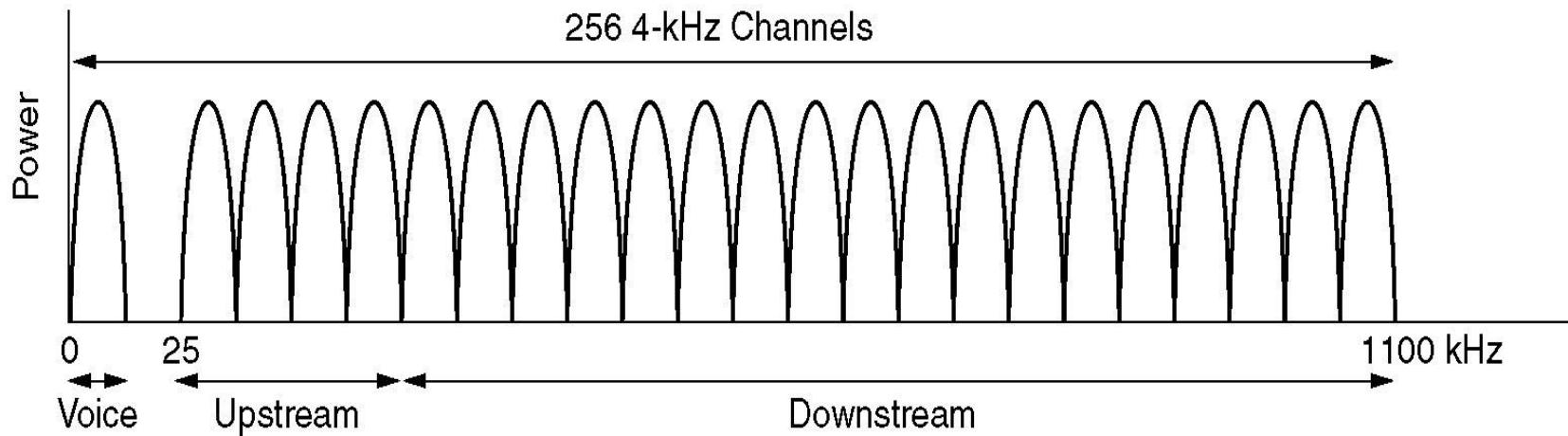


(b)

Digital Subscriber Line (1)

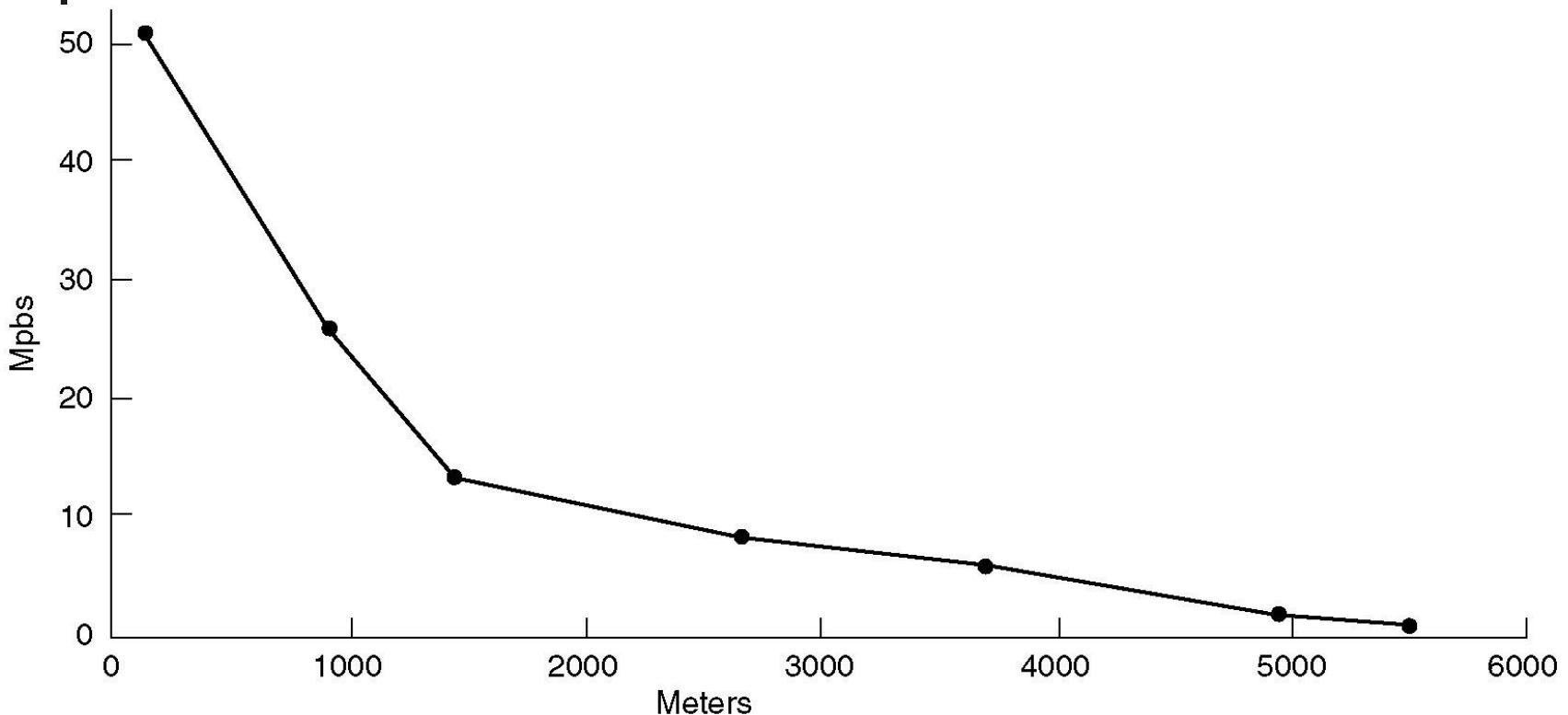


DSL (2)



Operation of ADSL using discrete multitone modulation.

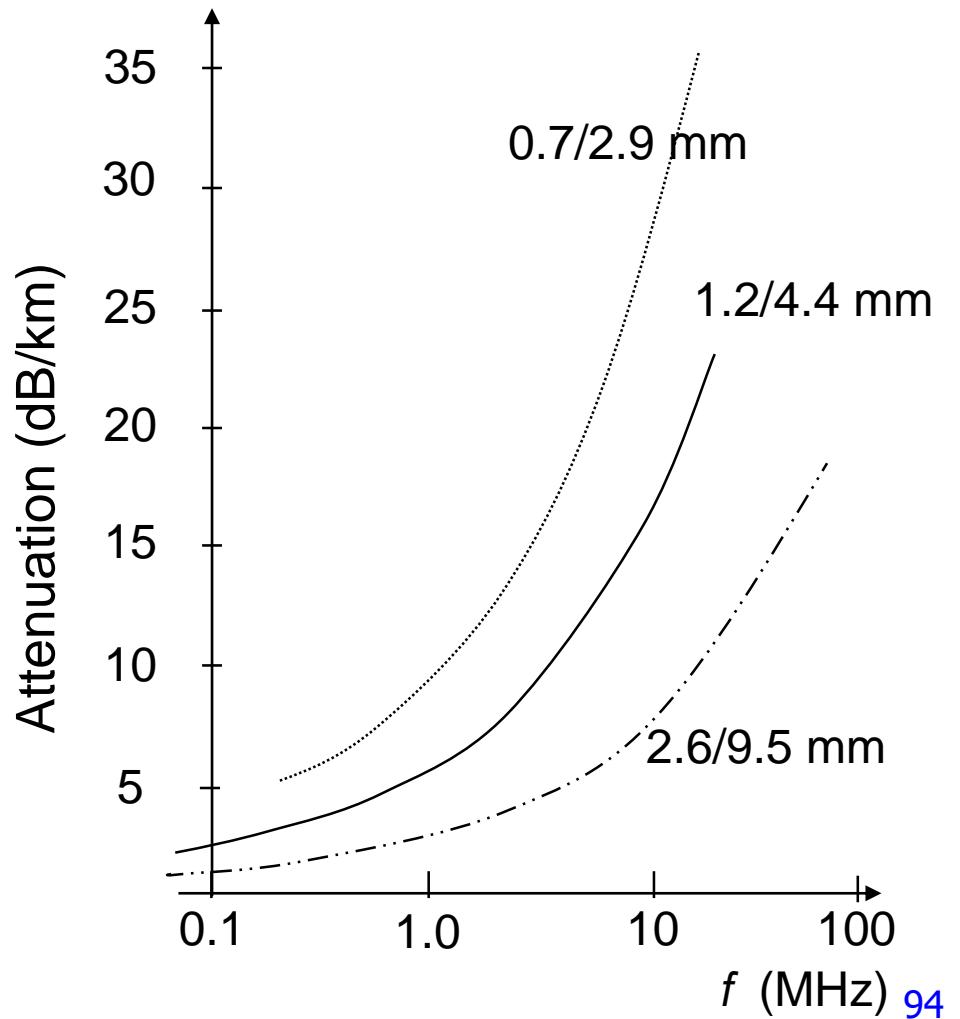
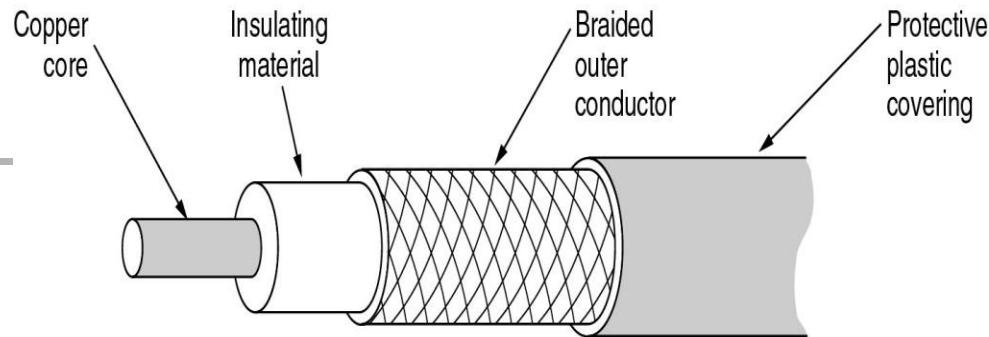
DSL (3)



Bandwidth versus distanced over category 3 UTP for DSL.

Coaxial Cable TV

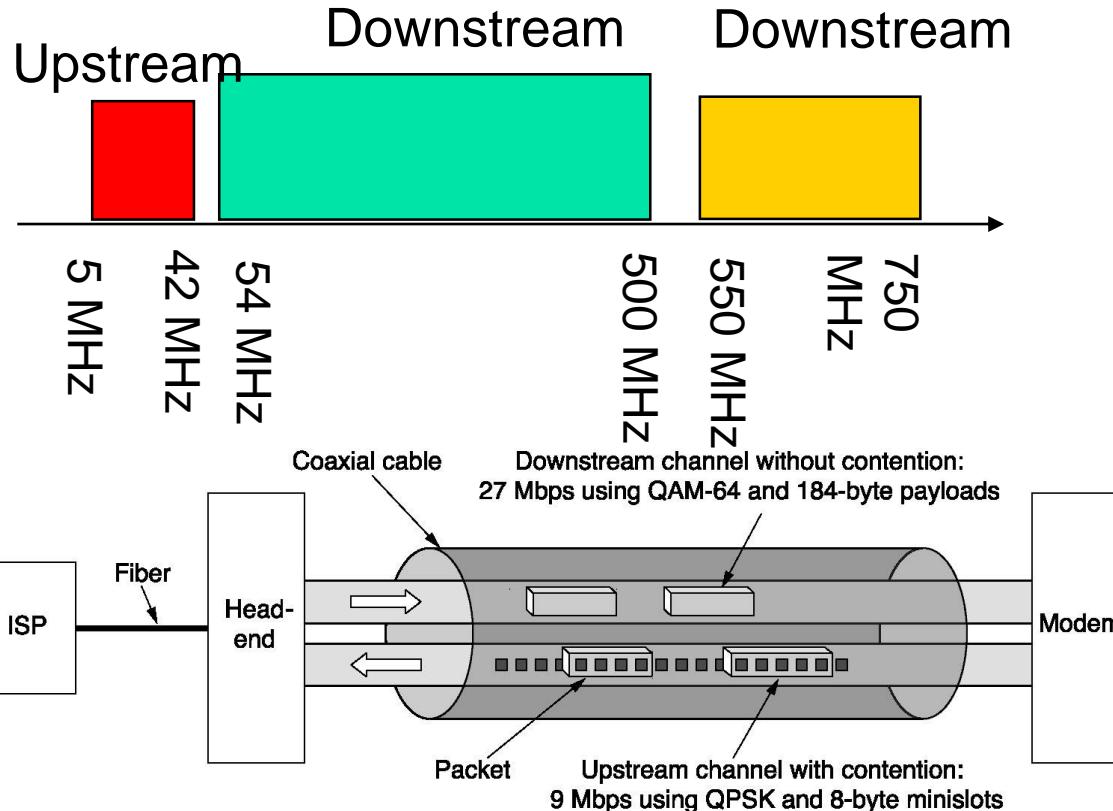
- Cylindrical braided outer conductor surrounds insulated inner wire conductor
- High interference immunity
- Higher bandwidth than twisted pair
- Hundreds of MHz
- Cable TV distribution
- Long distance telephone transmission
- Original Ethernet LAN medium



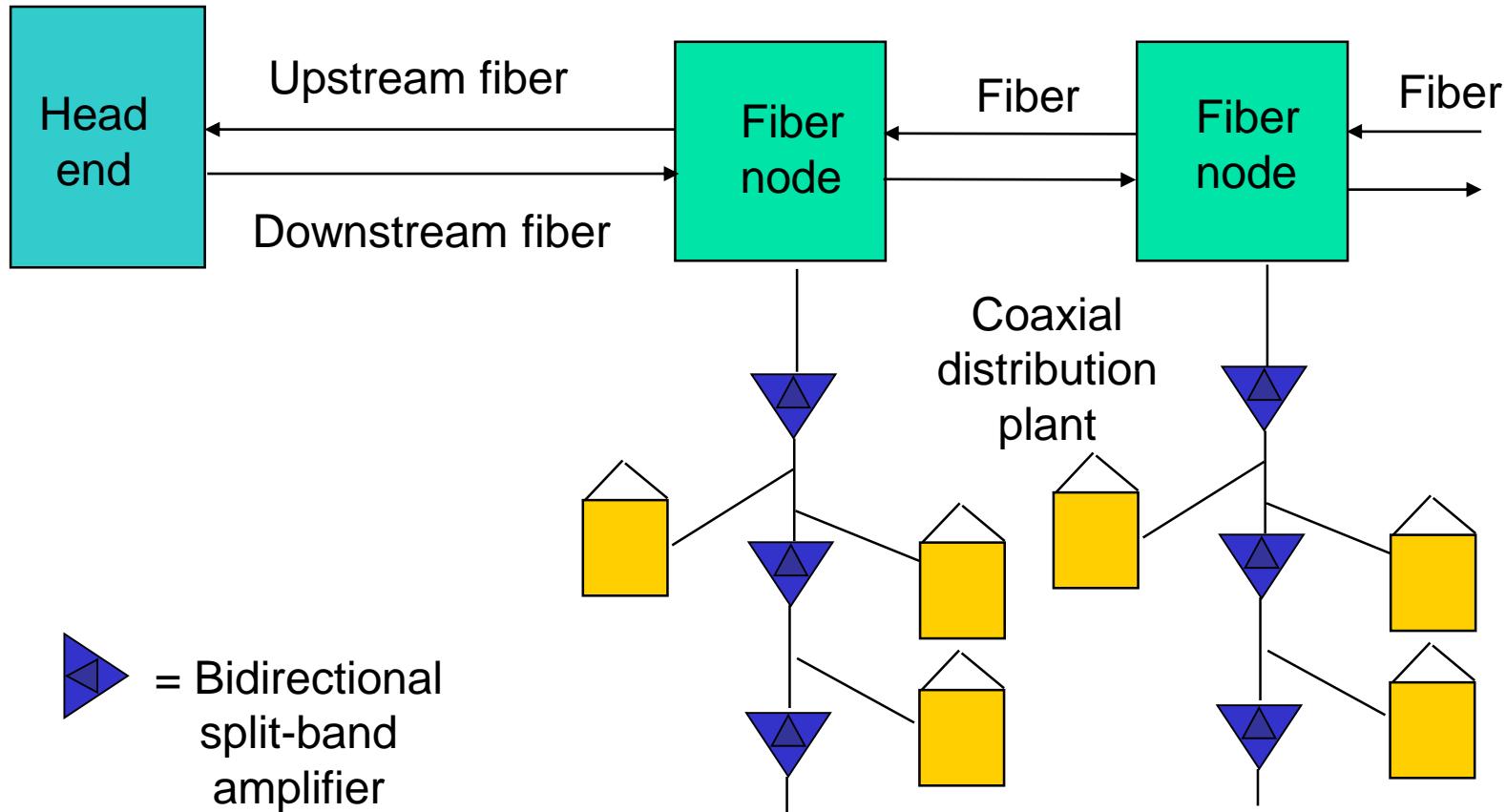
Cable Modem & TV Spectrum

can be used to carry internet

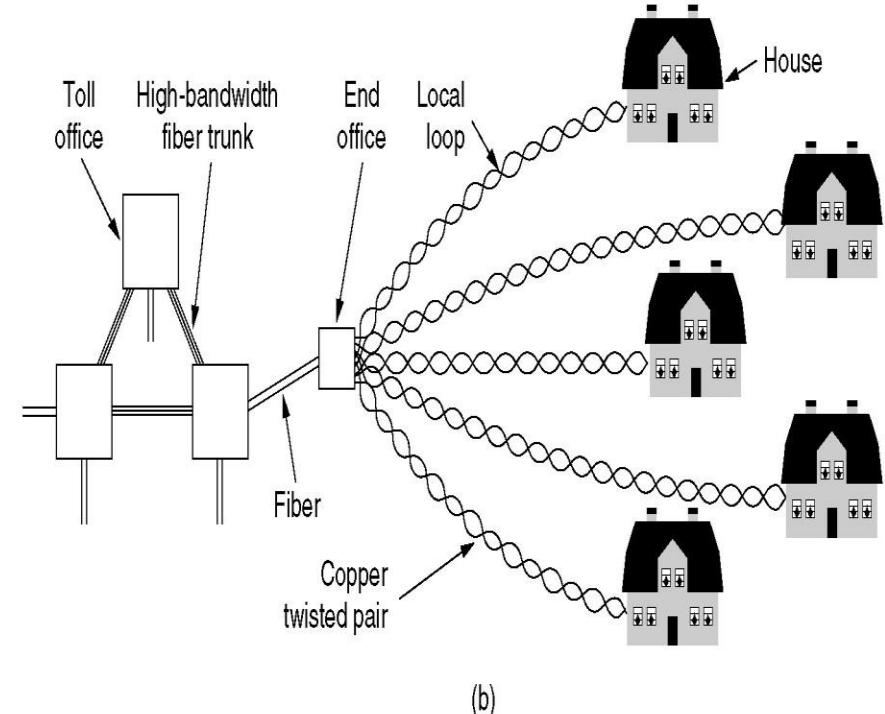
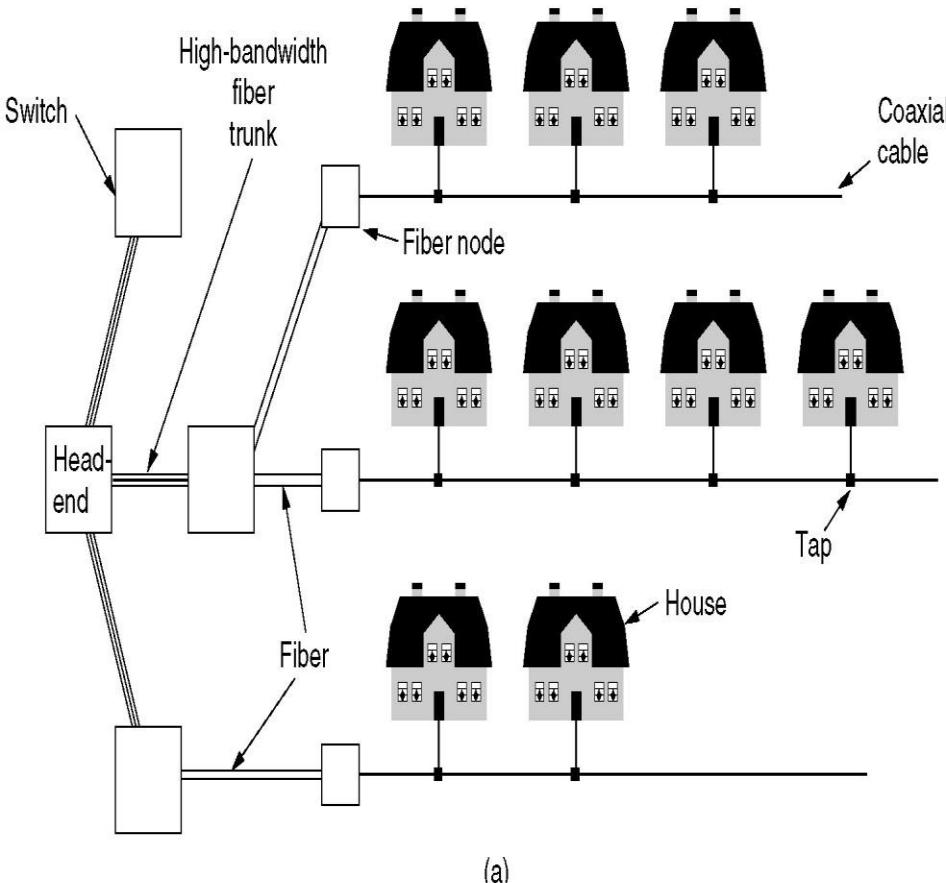
- Cable TV network originally unidirectional
- Cable plant needs upgrade to bidirectional
- 1 analog TV channel is 6 MHz, can support very high data rates
- Cable Modem: *shared* upstream & downstream
 - 5-42 MHz upstream into network; 2 MHz channels; 500 kbps to 4 Mbps
 - >550 MHz downstream from network; 6 MHz channels; 36 Mbps



Cable Network Topology



Internet over Cable

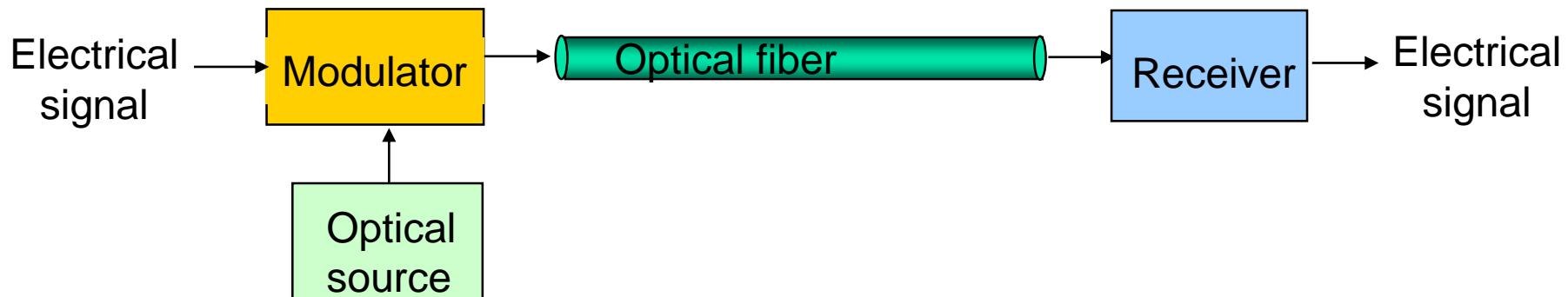


(a)

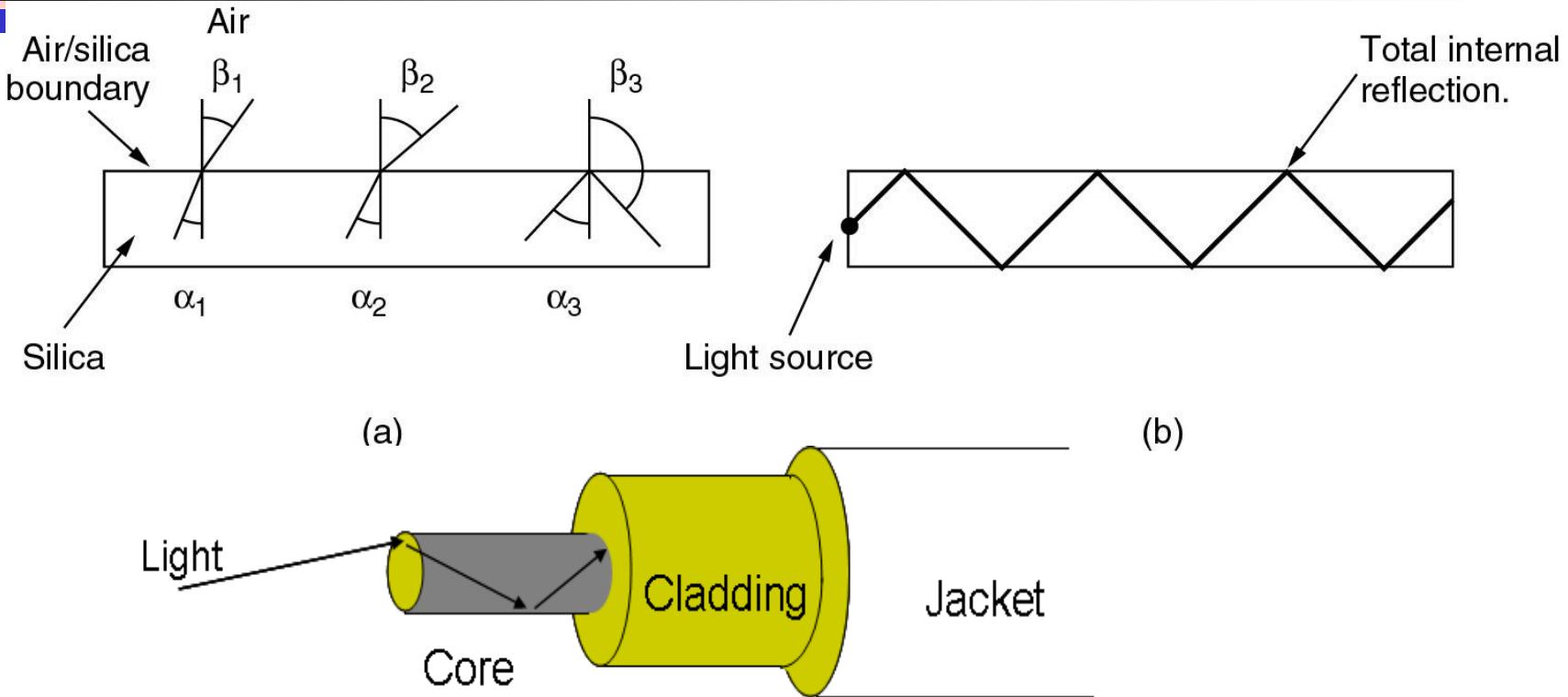
(b)

Optical Fiber

- Light sources (lasers, LEDs) generate pulses of light that are transmitted on optical fiber
 - Very long distances (>1000 km)
 - Very high speeds (>40 Gbps/wavelength)
 - Nearly error-free (BER of 10^{-15})
- Profound influence on network architecture
 - Dominates long distance transmission
 - Distance less of a cost factor in communications
 - Plentiful bandwidth for new services



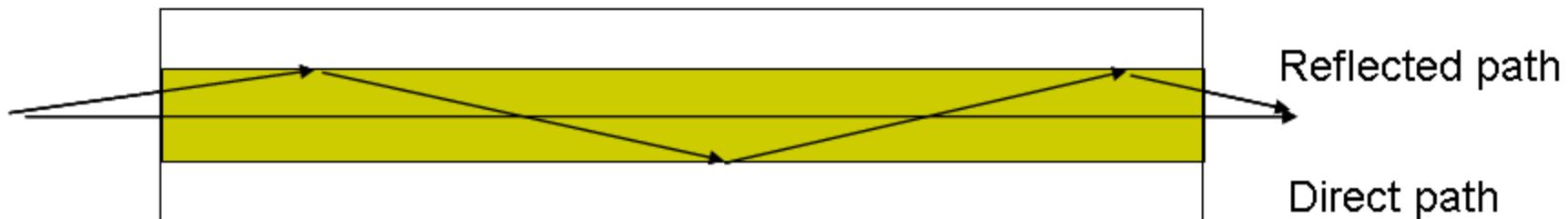
Transmission in Optical Fiber



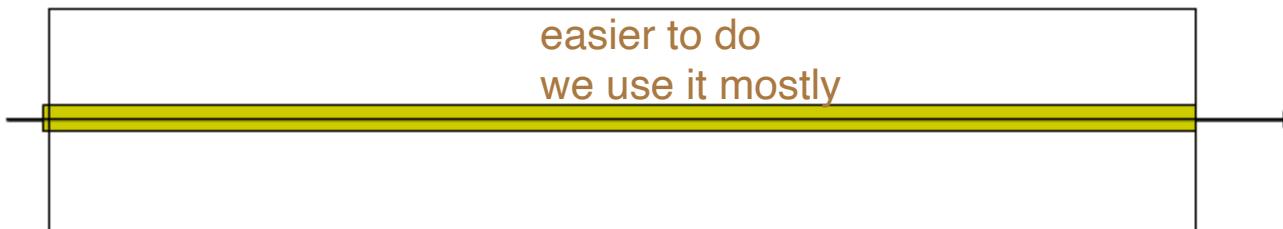
- Very fine glass cylindrical core surrounded by concentric layer of glass (cladding)
- Core has higher index of refraction than cladding
- Light rays incident at less than critical angle θ_c is completely reflected back into the core

Multimode & Single-mode Fiber

Multimode fiber: multiple rays follow different paths

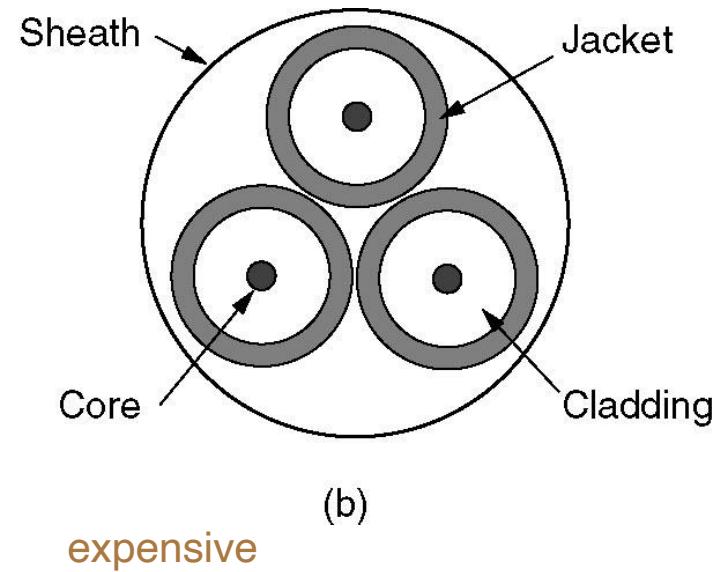
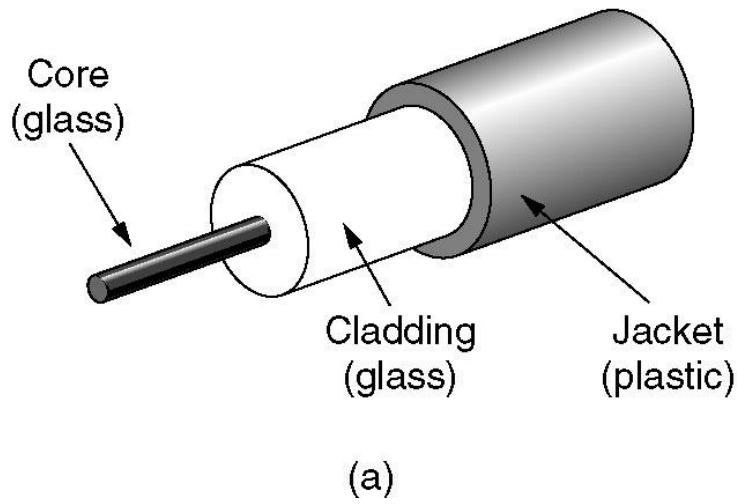


Single-mode fiber: only direct path propagates in fiber



- Multimode: Thicker core, shorter reach
 - Rays on different paths interfere causing dispersion & limiting bit rate
- Single mode: Very thin core supports only one mode (path)
 - More expensive lasers, but achieves very high speeds

Fiber Cables

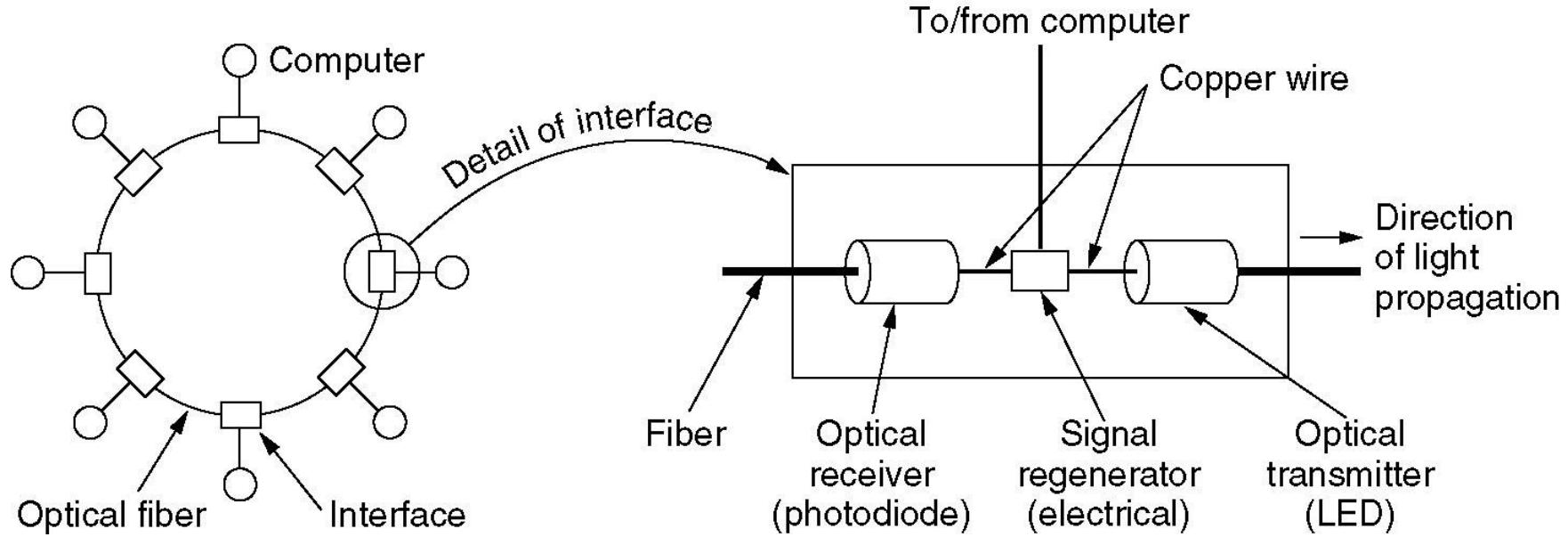


- (a) Side view of a single fiber.
- (b) End view of a sheath with three fibers.

Fiber Cables (2)

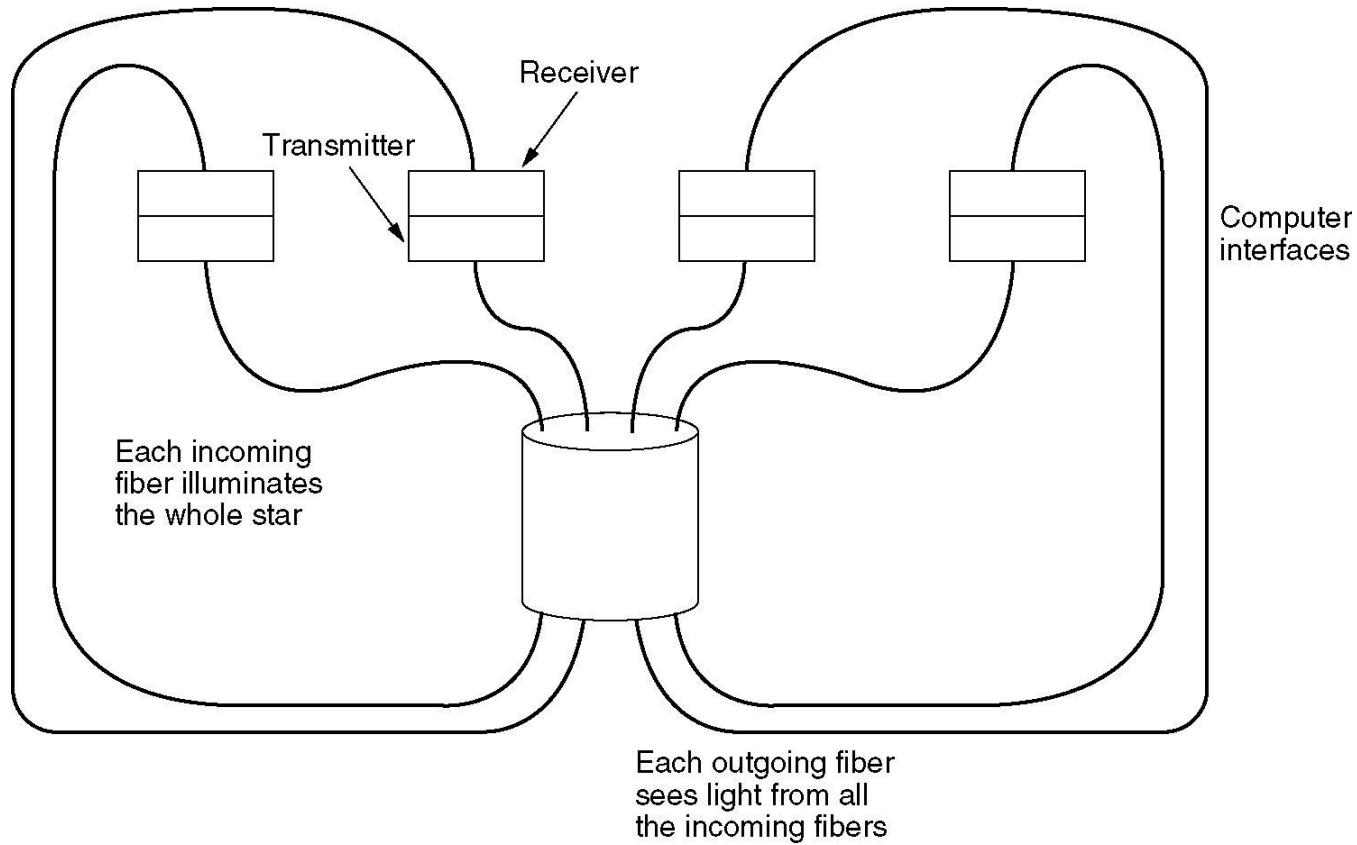
Item	LED	Semiconductor laser
Data rate	Low	High
Fiber type	Multimode	Multimode or single mode
Distance	Short	Long
Lifetime	Long life	Short life
Temperature sensitivity	Minor	Substantial
Cost	Low cost	Expensive

Fiber Optic Networks (1)

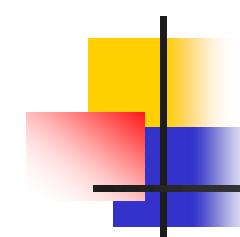


A fiber optic ring with active repeaters.

Fiber Optic Networks (2)



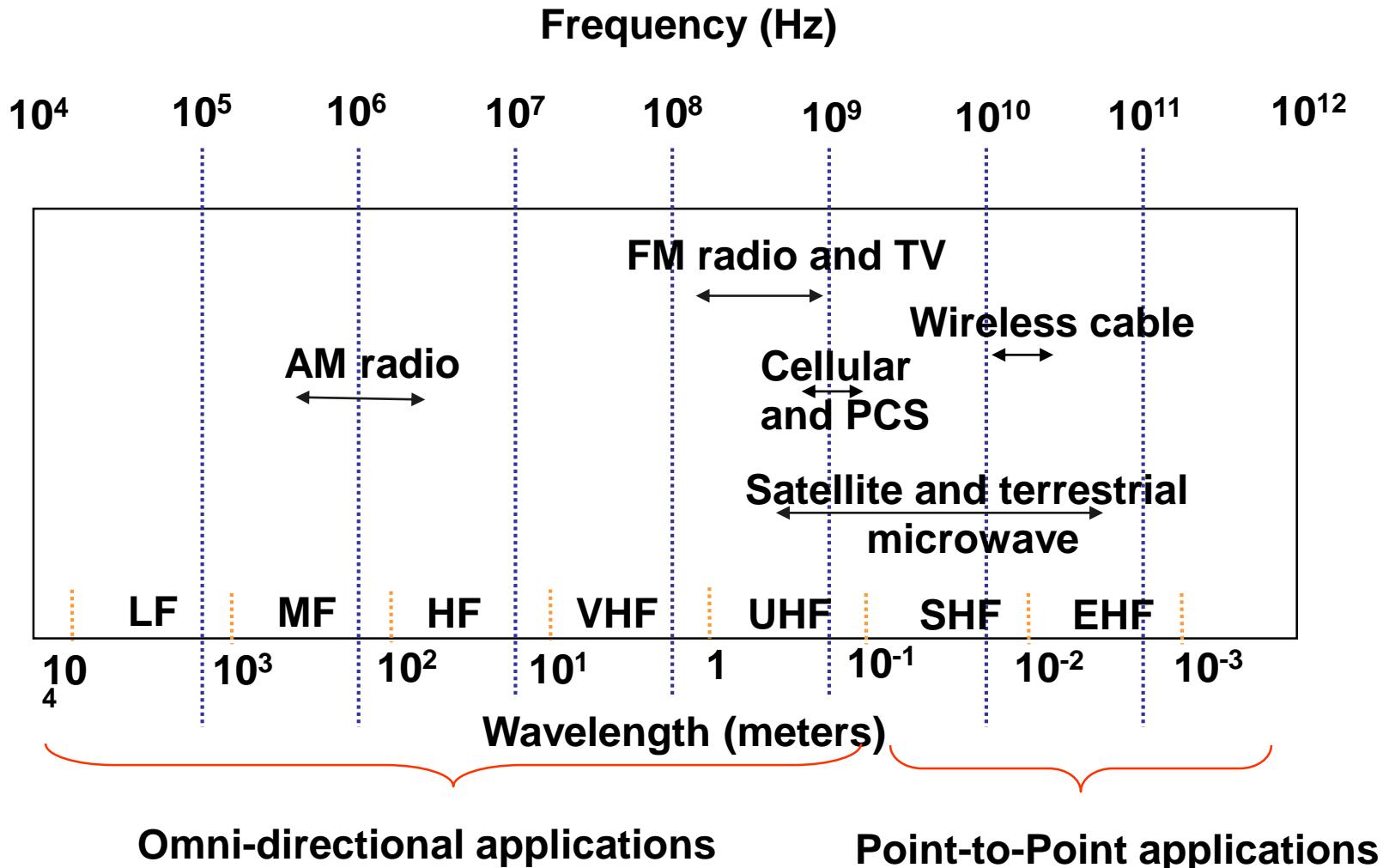
A passive star connection in a fiber optics network.



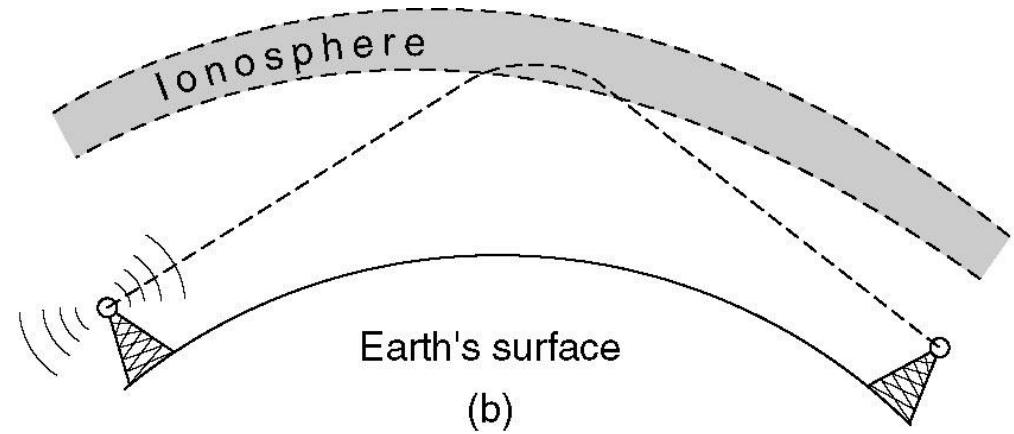
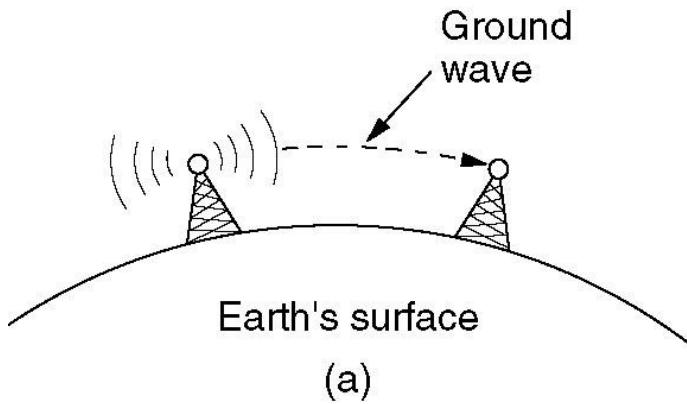
Wireless Transmission

- Radio Transmission
- Microwave Transmission
- Infrared and Millimeter Waves
- Lightwave Transmission

Radio Spectrum



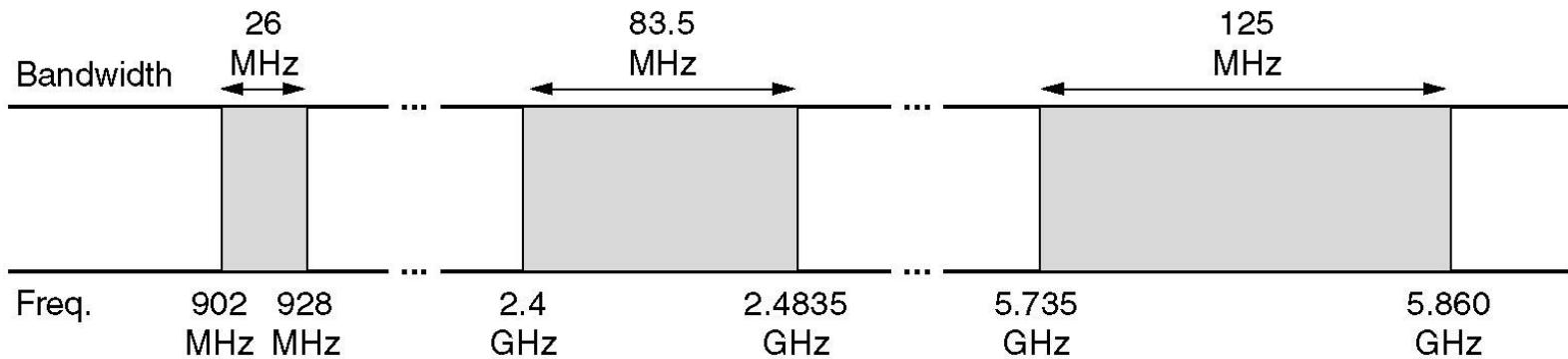
Radio Transmission



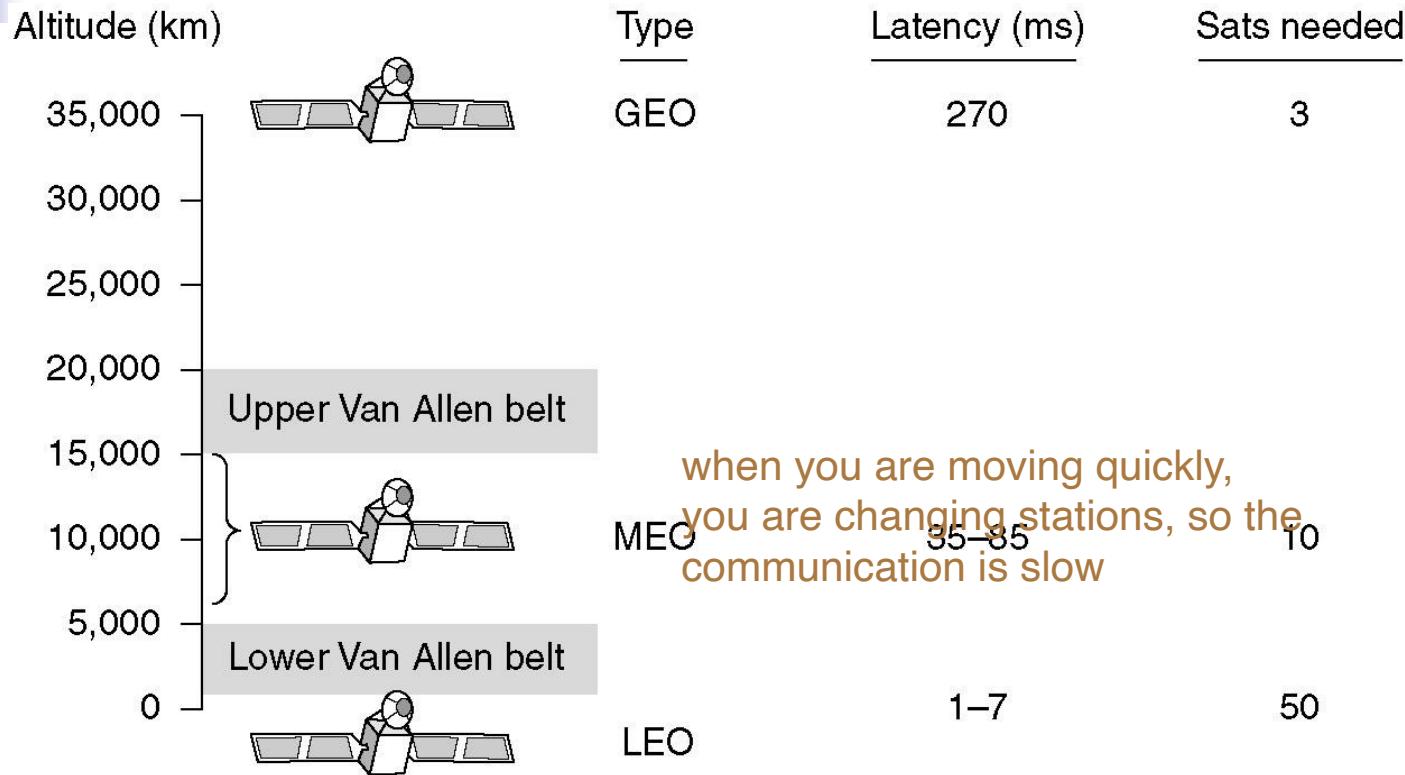
- (a) In the VLF, LF, and MF bands, radio waves follow the curvature of the earth.
- (b) In the HF band, they bounce off the ionosphere.

Politics of the Electromagnetic Spectrum

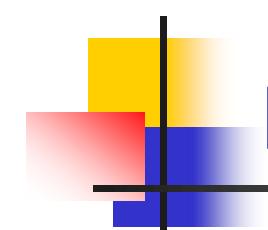
The ISM bands in the United States.



Communication Satellites



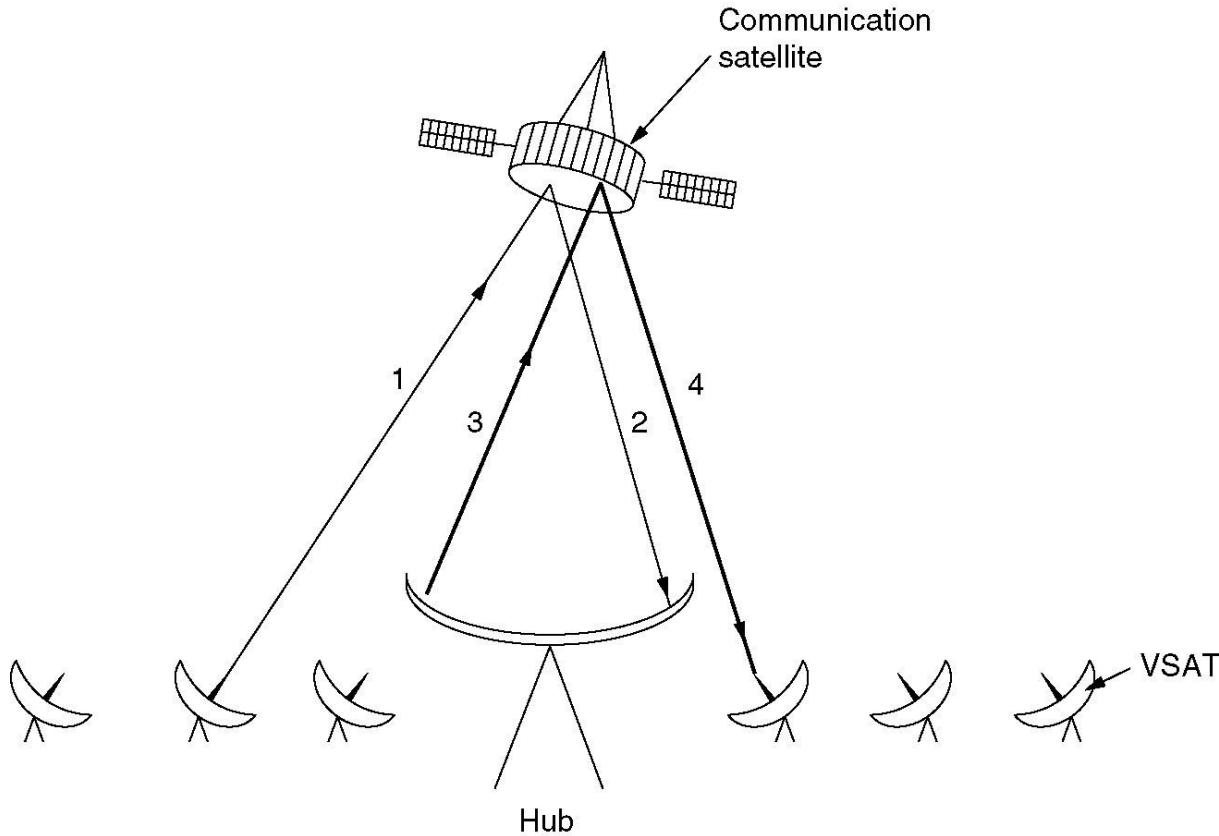
Communication satellites and some of their properties, including altitude above the earth, round-trip delay time and number of satellites needed for global coverage.

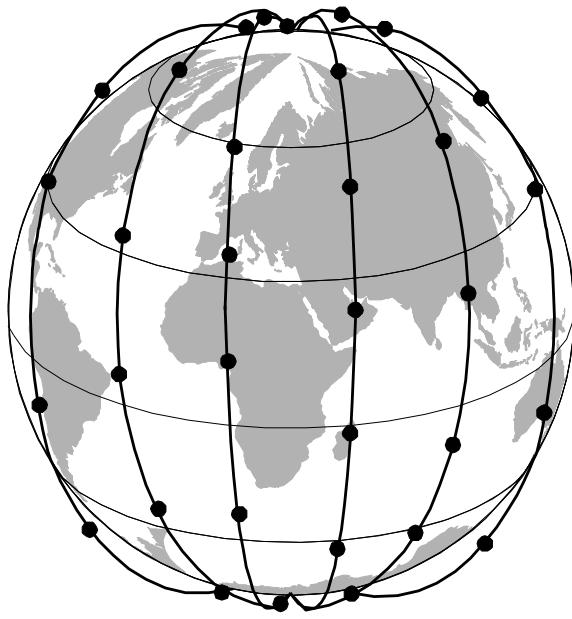


Principal Satellite Bands

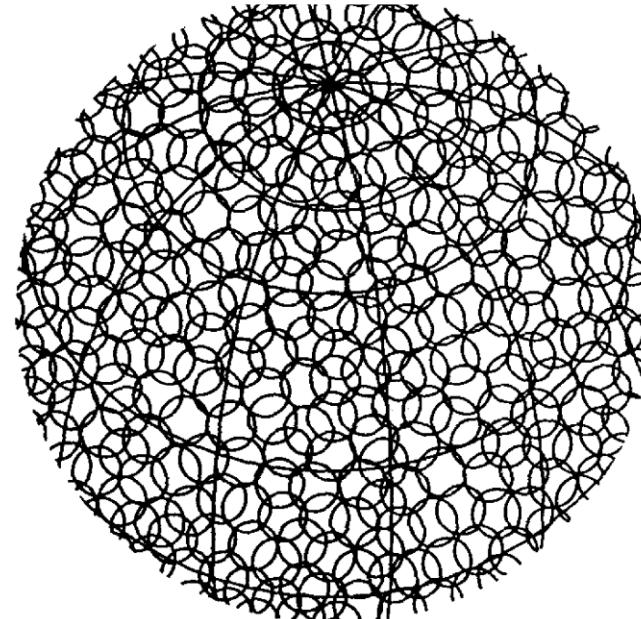
Band	Downlink	Uplink	Bandwidth	Problems
L	1.5 GHz	1.6 GHz	15 MHz	Low bandwidth; crowded
S	1.9 GHz	2.2 GHz	70 MHz	Low bandwidth; crowded
C	4.0 GHz	6.0 GHz	500 MHz	Terrestrial interference
Ku	11 GHz	14 GHz	500 MHz	Rain
Ka	20 GHz	30 GHz	3500 MHz	Rain, equipment cost

Satellite Hub





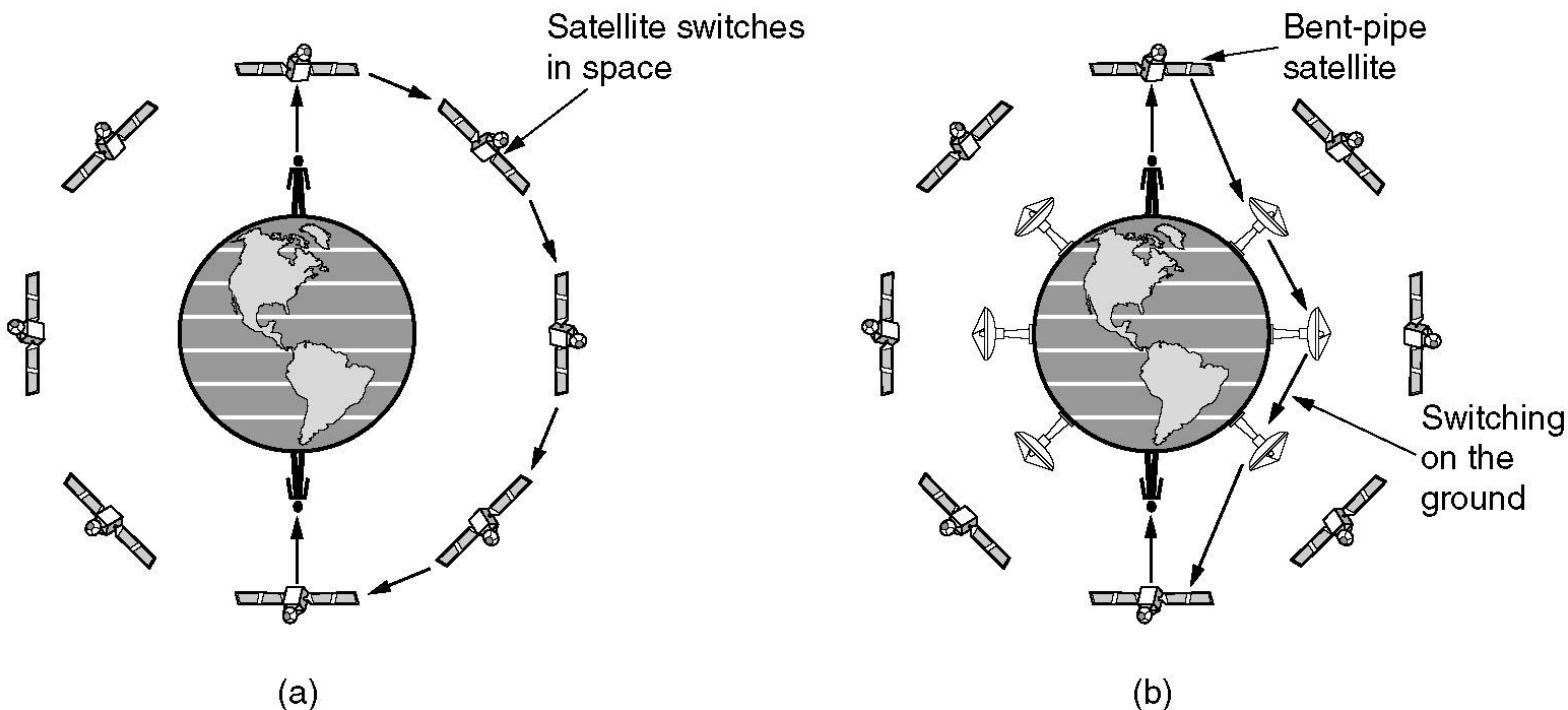
(a)



(b)

- (a) The Iridium satellites from six necklaces around the earth.
- (b) 1628 moving cells cover the earth.

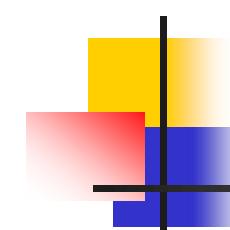
Globalstar



(a)

(b)

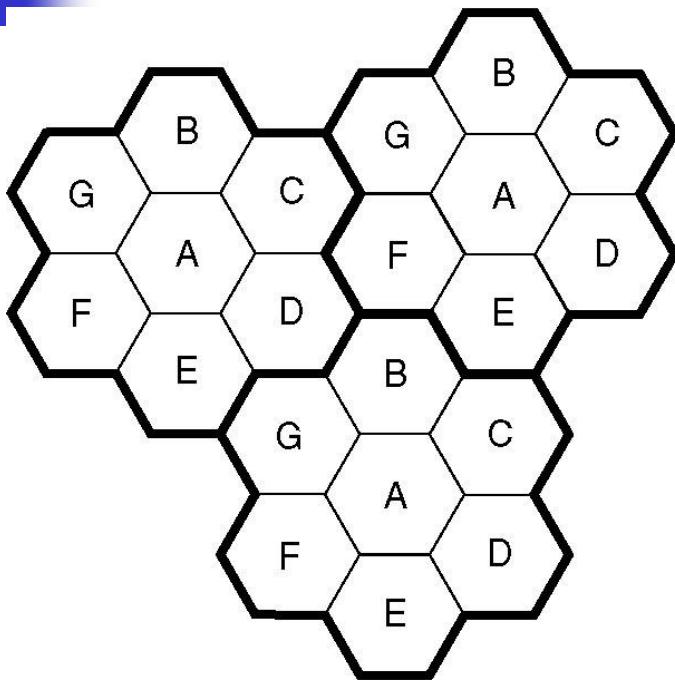
- (a) Relaying in space.
- (b) Relaying on the ground.



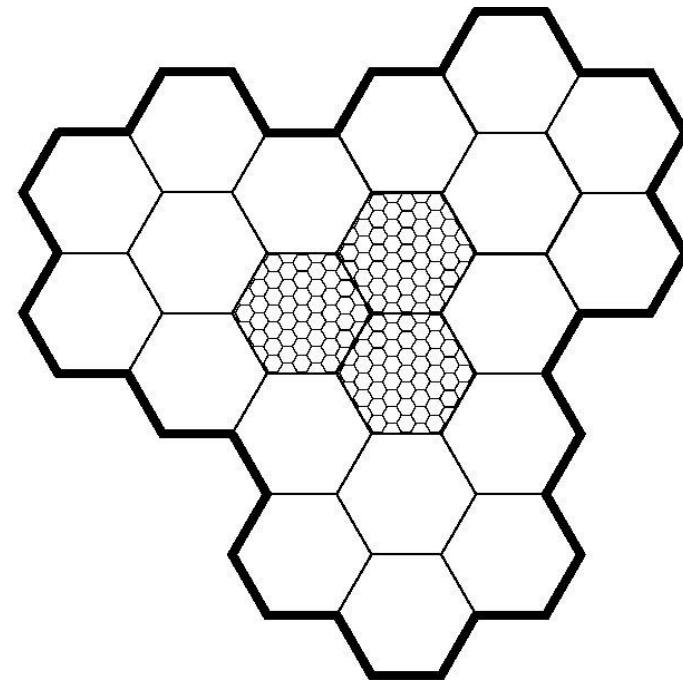
The Mobile Telephone System

- First-Generation Mobile Phones:
Analog Voice
- Second-Generation Mobile Phones:
Digital Voice
- Third-Generation Mobile Phones:
Digital Voice and Data
- Fourth-Generation

Advanced Mobile Phone System

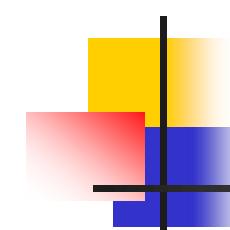


(a)



(b)

- (a) Frequencies are not reused in adjacent cells.
- (b) To add more users, smaller cells can be used.

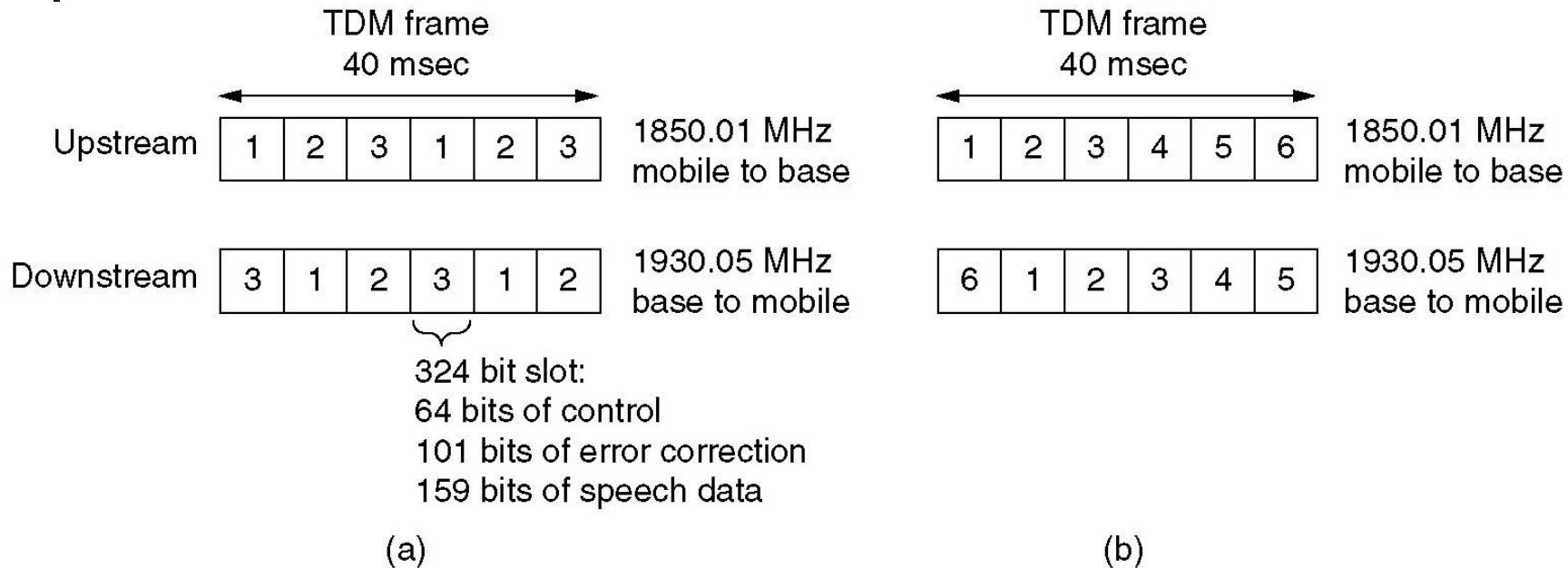


Channel Categories

The 832 channels are divided into four categories:

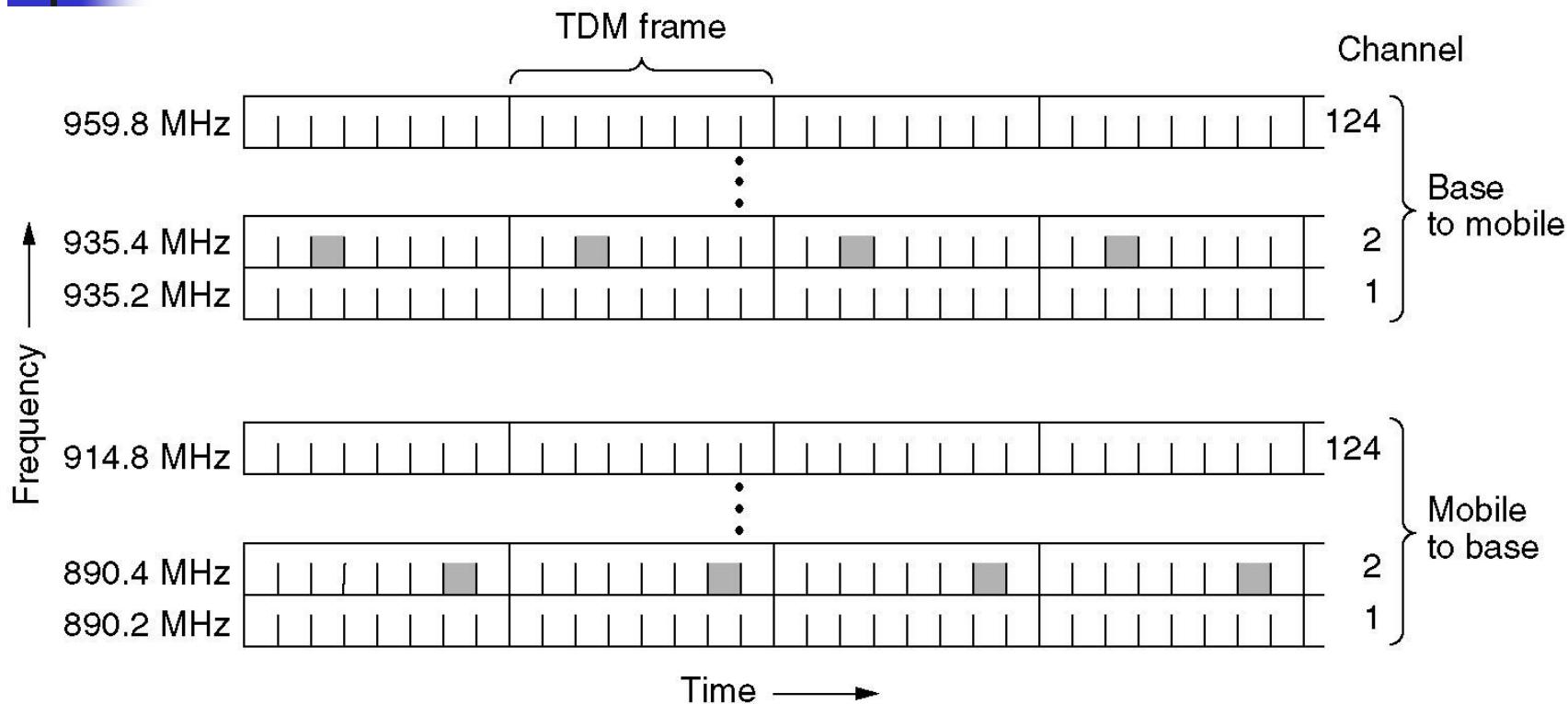
- Control (base to mobile) to manage the system
- Paging (base to mobile) to alert users to calls for them
- Access (bidirectional) for call setup and channel assignment
- Data (bidirectional) for voice, fax, or data

Digital Advanced Mobile Phone System



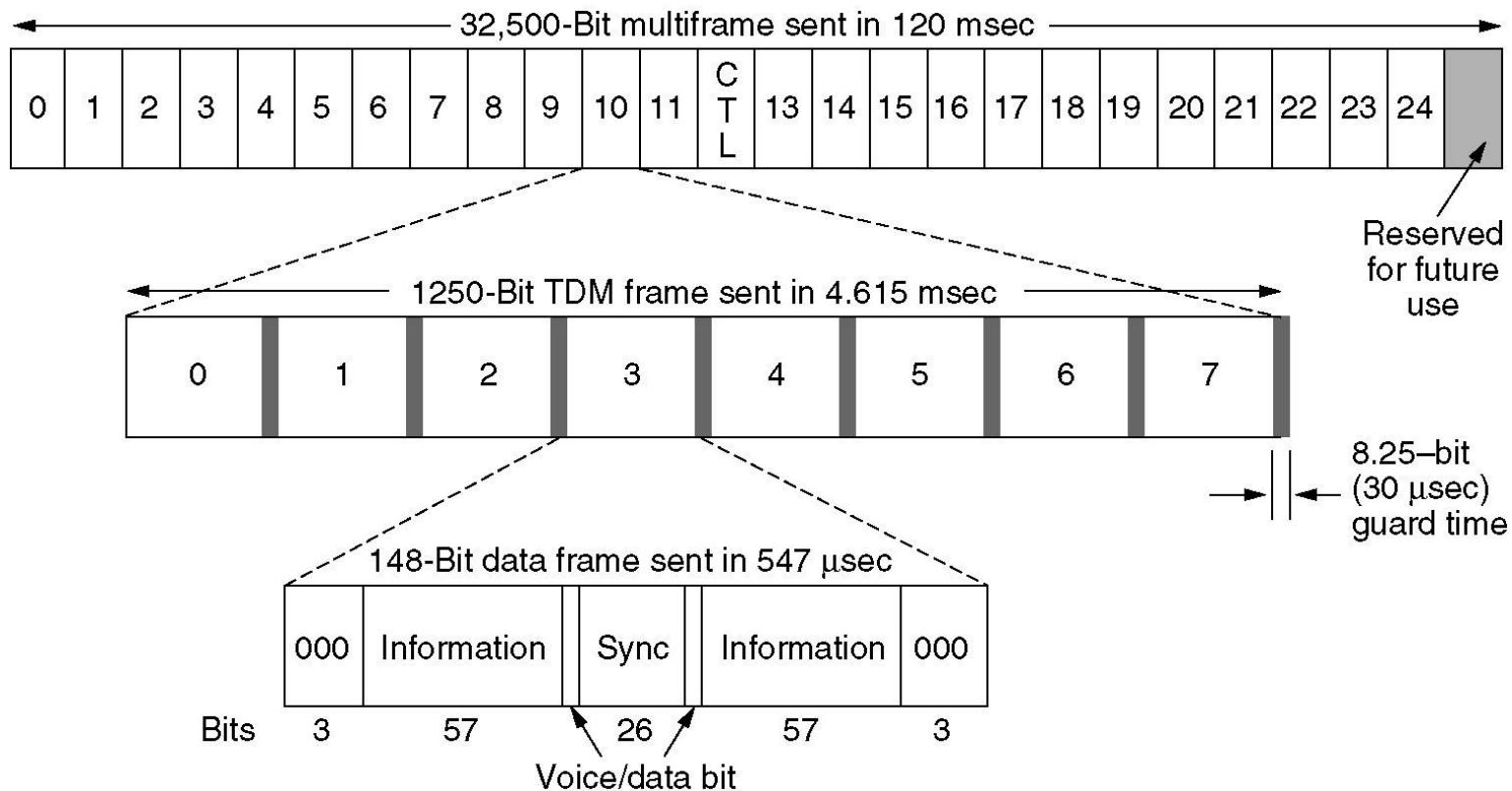
- (a) A D-AMPS channel with three users.
- (b) A D-AMPS channel with six users.

Global System for Mobile Communications (GSM)



GSM uses 124 frequency channels, each of which uses an eight-slot TDM system

GSM



A portion of the GSM framing structure.

CDMA

A: 0 0 0 1 1 0 1 1
B: 0 0 1 0 1 1 1 0
C: 0 1 0 1 1 1 0 0
D: 0 1 0 0 0 0 1 0

(a)

A: (-1 -1 -1 +1 +1 -1 +1 +1)
B: (-1 -1 +1 -1 +1 +1 +1 -1)
C: (-1 +1 -1 +1 +1 +1 -1 -1)
D: (-1 +1 -1 -1 -1 -1 +1 -1)

(b)

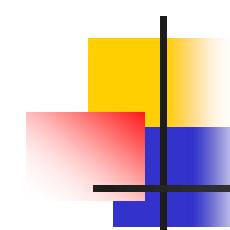
Six examples:

--- 1 --	C	$S_1 = (-1 +1 -1 +1 +1 +1 -1 -1)$
- 1 1 --	B + <u>C</u>	$S_2 = (-2 0 0 0 +2 +2 0 -2)$
1 0 -- -	A + <u>B</u>	$S_3 = (0 0 -2 +2 0 -2 0 +2)$
1 0 1 - -	A + B + C	$S_4 = (-1 +1 -3 +3 +1 -1 -1 +1)$
1 1 1 1 -	A + B + C + D	$S_5 = (-4 0 -2 0 +2 0 +2 -2)$
1 1 0 1 -	A + B + <u>C</u> + D	$S_6 = (-2 -2 0 -2 0 -2 +4 0)$

(c)

$$\begin{aligned}S_1 \bullet C &= (1 +1 +1 +1 +1 +1 +1 +1)/8 = 1 \\S_2 \bullet C &= (2 +0 +0 +0 +2 +2 +0 +2)/8 = 1 \\S_3 \bullet C &= (0 +0 +2 +2 +0 -2 +0 -2)/8 = 0 \\S_4 \bullet C &= (1 +1 +3 +3 +1 -1 +1 -1)/8 = 1 \\S_5 \bullet C &= (4 +0 +2 +0 +2 +0 -2 +2)/8 = 1 \\S_6 \bullet C &= (2 -2 +0 -2 +0 -2 -4 +0)/8 = -1\end{aligned}$$

(d)

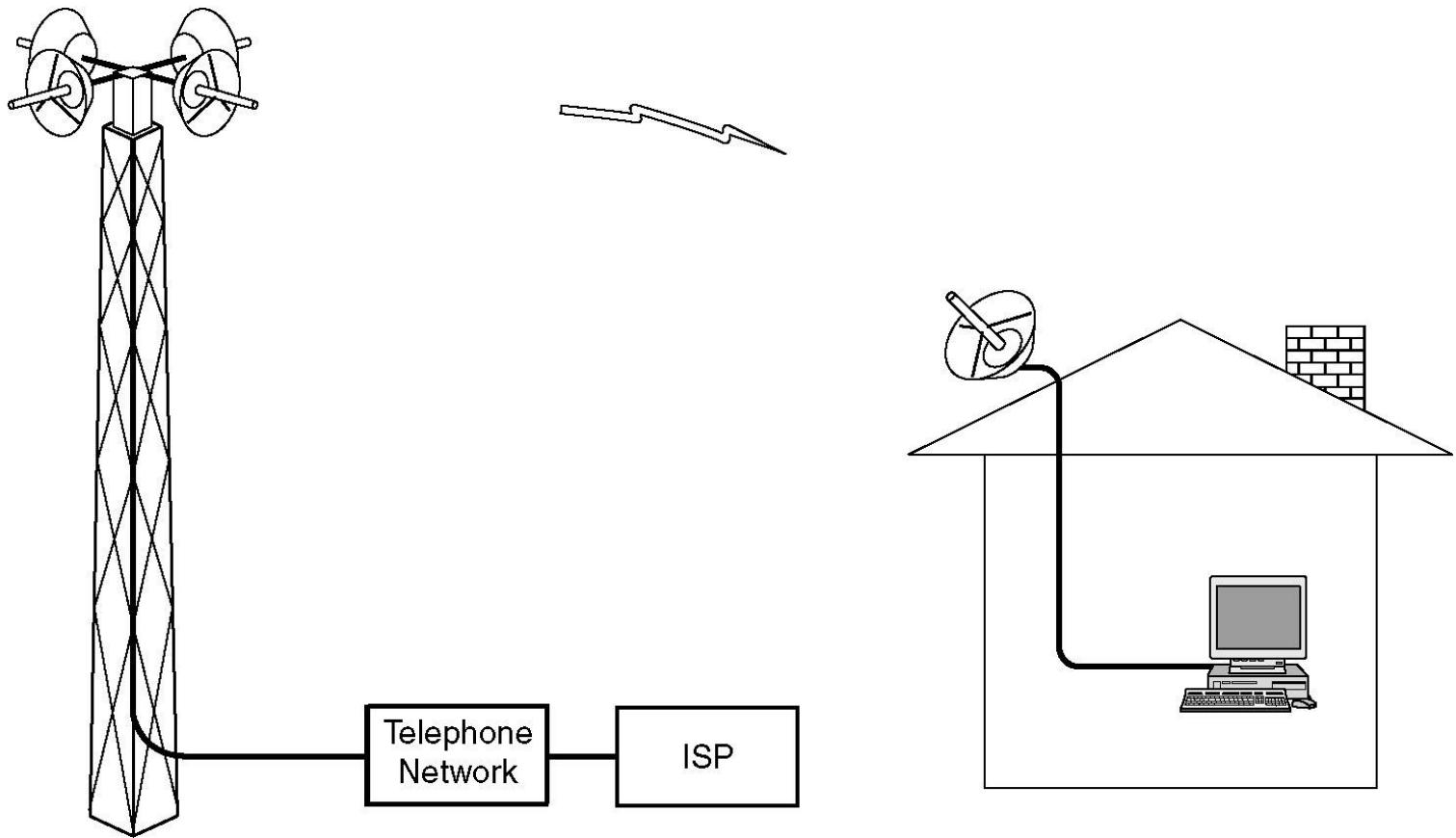


Third-Generation Mobile Phones: Digital Voice and Data

Basic services an IMT-2000 network should provide

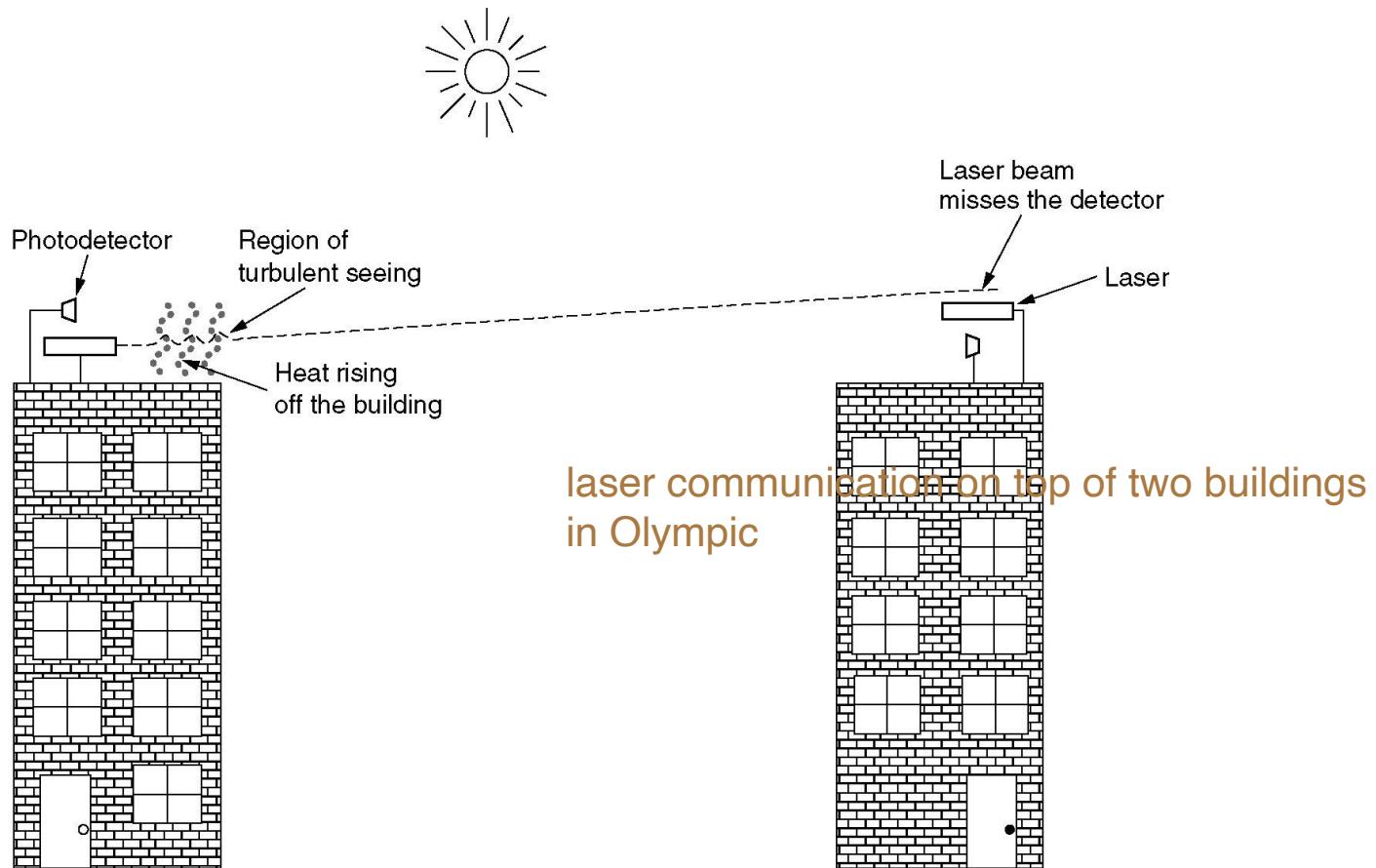
- High-quality voice transmission
- Messaging (replace e-mail, fax, SMS, chat, etc.)
- Multimedia (music, videos, films, TV, etc.)
- Internet access (web surfing, w/multimedia.)

Wireless Local Loops



Architecture of an LMDS system.

Lightwave Transmission



Convection currents can interfere with laser communication systems.
A bidirectional system with two lasers is pictured here.