Credit Card Fraud Detection and Energy Efficiency Analysis

By Seneca Anderson

I. Introduction

The purpose of this paper is to describe the process and results of applying machine learning to two analysis problems: credit card fraud detection and energy efficiency in buildings. Various types of data pre-processing and machine learning algorithms were applied to these problems, and their performance was evaluated using various relevant metrics..

The credit card fraud detection problem was a classification problem. Out of the three classifiers and seven sampling methods, two combinations—the random forest classifier with random oversampling and the random forest classifier with SMOTE—had the best balance of precision, recall, and accuracy. Which one is superior depends on one's priorities.

The energy analysis problem was a regression problem. Five regression models were applied; each was trained and evaluated twice, once with unscaled data and once with scaled data. Overall, a polynomial regressor with no scaling performed best, with a mean squared error of 1.0826 and an explained variance score of 0.9884.

II. Credit Card Fraud Detection

Summary

The purpose of the credit card fraud detection problem was to build a classifier

that could accurately detect instances of credit card fraud. Due to the large number of samples and the severe class imbalance of the dataset, over- and under-sampling methods were used in order to improve performance. Different sampling methods were combined with three different classifiers—a logistic regressor, a neural network, and a random forest classifier—to determine which combination led to the best results. Due to the inverse relationship between precision and recall, determining the best classifier depends on whether it is better to catch more instances of fraud while also flagging more non-fraud instances, or to miss instances of fraud while reducing the number of accidental accusations. The conclusions of this report are made on the assumption that recall should be prioritized over precision, while still retaining a reasonable balance.

Program Structure

The program was organized in a way that reduced duplicate code and prevented output from being influenced by differences in how sampling methods and models were executed.

First, general data-preprocessing was performed; the results applied to every sampling method and classifier.

Each classifier was run via a function that set up the classifier, trained it, and returned evaluation metrics, such as precision and recall. This ensured that the

only difference between each execution of the model was the sampling method used.

The sampling methods were also run via a single function; it accepted the classifier's run_model function and a (potentially empty) list of samplers to run, then returned lists of the evaluation metrics returned by the run_model function. This ensured that each sampling method was applied in exactly the same way, avoiding the influence of other variables.

Additionally, all evaluation metrics were generated and printed by the same functions

Data Pre-Processing

The same data pre-processing methods applied to all the classifiers and sampling methods. After finding some preliminary information about the dataset (ensuring there were no null values and checking the severity of the class imbalance), the dataset was divided into X and y sets. Scikit-learn's train test split function was used to divide these sets into train and test data, with 33% going to the test set. Afterwards, the sklearn StandardScaler was used to transform both the X train and X test data sets. This step was essential; without it, the neural network achieved an approximately 99.83% accuracy simply by ruling every instance as "not fraud".

Sampling Methods

Multiple sampling methods were tested to see how each affected the results. First, each classifier was run without sampling to get baseline metrics. Then the same classifier was run again with four oversampling methods from imbalance-learn: Random Over Sampling, SMOTE, ADASYN, and Border Line SMOTE. This process was repeated with two undersampling methods: Random Under Sampling and Near Miss.

Originally, several other over- and under-sampling methods were applied. However, due to the severity of the class imbalance, methods that used clustering failed to complete and had to be eliminated.

Classification Methods

Three classification methods were used. Where relevant, the random_state was set to 42 in order to ensure that results could be replicated.

The first model was a simple logistic regression classifier. Its evaluation metrics were accuracy, precision, recall, f1, confusion matrix, and ROC curve.

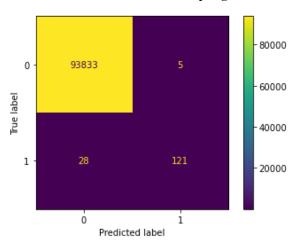
The second model was a keras Sequential neural network with four Dense layers. All the layers used a uniform distribution to initialize the weights and a tanh activation function, except for the last, which used a sigmoid function. The number of neurons in each layer, from first to last, was as follows: 60, 30, 10, 1. The optimizer used was Adam, the loss function was binary cross entropy loss, the number of epochs was twenty, and the batch size was ten. Its evaluation metrics were accuracy, precision, recall, f1, and confusion matrix. Due to incompatibility between keras and a function required to generate the ROC curve, no ROC curve was generated.

The third model was a sklearn's random forest classifier. Its evaluation metrics were accuracy, precision, recall, f1, confusion matrix, and ROC curve.

Results

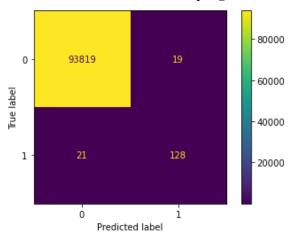
The random forest classifier combined with random oversampling had the highest f1 score (0.8800) and precision (0.9603). It achieved the highest accuracy, 0.9996, which was also achieved by several other models. The high precision shows that this model is the best if one's priority is to reduce the number of accidental accusations of fraud. However, its recall was only 0.8121, lower than the recalls achieved by fifteen other models, indicating that it is not the best model for catching as many instances of fraud as possible.

Confusion Matrix for Random Forest Classifier with Random Oversampling



The random forest classifier with SMOTE oversampling achieved the highest recall with a reasonable precision. Its recall was 0.8591, its precision 0.8707, its f1 score 0.8649, and its overall accuracy 0.9996. This constitutes an 0.0480 increase in recall and an 0.0904 loss of precision.

Confusion Matrix for Random Forest Classifier with SMOTE Oversampling



Higher recalls were achieved by models with much lower precision. In particular, models with over 0.9 recall had abysmal precision scores, less than 0.1.

Which of these models is considered superior depends on one's priorities. If the goal is to find a good balance between high precision and high recall, using the random forest classifier with either random or SMOTE oversampling is best.

Logistic Regression

Sampler	Accuracy	Precision	Recall	F1
None	0.9993	0.8716	0.6376	0.7364
Random Over	0.9729	0.0509	0.9128	0.0964
SMOTE	0.9721	0.0499	0.9195	0.0947
ADASYN	0.9054	0.0156	0.9463	0.0307
Border Line SMOTE	0.9910	0.1340	0.8591	0.2319
Random Under	0.9585	0.0342	0.9262	0.0660
Near Miss	0.5852	0.0035	0.9128	0.0069

Neural Network Classifier

Sampler	Accuracy	Precision	Recall	F1
None	0.9994	0.8039	0.8255	0.8146
Random Over	0.9992	0.7151	0.8255	0.7664
SMOTE	0.9985	0.5079	0.8658	0.6402
ADASYN	0.9989	0.6316	0.8054	0.7080
Border Line SMOTE	0.9993	0.7755	0.7651	0.7703
Random Under	0.9411	0.0244	0.9262	0.0475
Near Miss	0.5532	0.0033	0.9195	0.0065

Random Forest Classifier

Sampler	Accuracy	Precision	Recall	F1
None	0.9996	0.9370	0.7987	0.8623
Random Over	0.9996	0.9603	0.8121	0.8800
SMOTE	0.9996	0.8707	0.8591	0.8649
ADASYN	0.9995	0.8552	0.8322	0.8435
Border Line SMOTE	0.9996	0.9302	0.8054	0.8633
Random Under	0.9676	0.0437	0.9329	0.0836
Near Miss	0.0607	0.0017	0.9866	0.0033

III. Energy Efficiency Analysis

Summary

The purpose of the energy efficiency analysis was to build a regressor that could predict the heating and cooling load requirements of a building based on a variety of factors. Five different regressors

were trained and evaluated. This process was performed twice each—once with the original data and once with scaled data. The regressors were evaluated using the mean squared error (MSE) and explained variance score (EVS). The model with the lowest MSE and highest EVS was a polynomial regressor of degree four run on unscaled data.

Data Pre-Processing

The same general pre-processing steps were applied to the data for all the regressors. First, general attributes of the data, including whether there were any null values, were investigated. Once it was determined that there were no null values, the data was split into X and y. Then it was divided into train and test sets, with 33% of the data used for testing. Scaled versions of X_train and X_test were created using sklearn's StandardScaler.

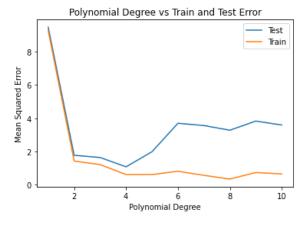
Regression Methods

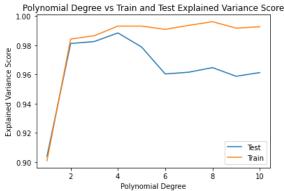
Five regressors were trained: linear, polynomial, SVM, decision tree, and random forest. Each was trained and evaluated on both scaled and unscaled data. To prevent code differences from affecting the output for scaled and unscaled data, each regressor was built, trained, and evaluated via a function, which was called twice.

Results

The most accurate model was a polynomial regressor with degree four trained on unscaled data. Linear and polynomial regressors with a degree lower degree than

four had a higher MSE and lower EVS. With degrees five and higher, the training error and EVS continued to improve while the testing error and EVS worsened, indicating overfitting.





When run on scaled data, the linear and polynomial regressors had bizarre MSE and EVS values, indicating that scaling was not an effective pre-processing method for these regressors.

The second-best model was the random forest regressor, and the third-best was the decision tree. Both had marginally better performance on unscaled data than on scaled data.

The SVM regressor performed the worst out of all the regressors for both scaled and unscaled data. Additionally, running it on unscaled data lead to warnings about failing to converge, indicating a

potential source of the extremely high MSE (33.4386) The SVM was the only regressor that performed better on scaled data than on unscaled, with an MSE of 10.8701 and a higher EVS.

	Without Scaling		With Scaling	
Model	MSE	EVS	MSE	EVS
Polynomial (Degree 4)	1.0826	0.9884	1.1630	0.9876
SVM	33.4386	0.8251	10.8701	0.8948
Decision Tree	2.8324	0.9696	2.8792	0.9690
Random Forest	1.7338	0.9814	1.7540	0.9812

IV. Conclusion

In this project, machine learning models were developed and trained for two datasets. The first program, in which classification models were applied to a credit card fraud detection problem, evaluated four classifiers and seven sampling options to determine the optimal combination. The best combinations were a random forest classifier with random oversampling and a random forest classifier with SMOTE oversampling; which should be used on one's priorities regarding precision vs. recall. The second problem, in which regressors were used to predict the heating and cooling loads of buildings, involved evaluating five regressors and the effects of scaling on accuracy. The best model was a polynomial regressor with degree four trained on unscaled data.

Credit Card Fraud Detection (Classification)

X = credit.drop(['Class'], 1).to_numpy()

```
In [1]:
         import pandas as pd
         import numpy as np
         from sklearn.model_selection import train_test_split
         import matplotlib.pyplot as plt
         from imblearn.over_sampling import RandomOverSampler, SMOTE, ADASYN, BorderlineSMOTE
         from imblearn.under_sampling import RandomUnderSampler, NearMiss
In [2]:
         from sklearn.model_selection import cross_val_predict
         from sklearn.preprocessing import StandardScaler
         from sklearn.linear_model import LogisticRegression
         from sklearn.metrics import precision_score, recall_score, f1_score, accuracy_score
         from sklearn.metrics import precision_recall_curve, roc_curve, confusion_matrix, ConfusionMatrixDisplay
In [3]:
          credit = pd.read_csv('creditcard.csv')
          credit.head()
                       V1
                                 V2
                                          V3
                                                    V4
                                                             V5
                                                                                V7
                                                                                          V8
                                                                                                                V21
                                                                                                                         V22
                                                                                                                                   V23
                                                                                                                                             V24
Out[3]:
            Time
                                                                       V6
                                                                                                    V9 ...
             0.0 -1.359807 -0.072781 2.536347
                                               1.378155 -0.338321
                                                                  0.462388
                                                                            0.239599
                                                                                     0.098698
                                                                                               0.363787 ... -0.018307
                                                                                                                     0.277838
                                                                                                                              -0.110474
                                                                                                                                         0.066928
             0.0 1.191857
                            0.266151 0.166480
                                               0.448154
                                                        0.060018
                                                                 -0.082361
                                                                           -0.078803
                                                                                     0.085102
                                                                                              -0.255425 ... -0.225775
                                                                                                                     -0.638672
                                                                                                                               0.101288
                                                                                                                                        -0.339846
                                                                                                                                        -0.689281 -0.
             1.0 -1.358354 -1.340163 1.773209
                                               0.379780
                                                       -0.503198
                                                                  1.800499
                                                                            0.791461
                                                                                     0.247676
                                                                                             -1.514654 ...
                                                                                                            0.247998
                                                                                                                               0.909412
                                                                                                                     0.771679
             1.0 -0.966272 -0.185226 1.792993
                                              -0.863291
                                                        -0.010309
                                                                  1.247203
                                                                            0.237609
                                                                                     0.377436
                                                                                             -1.387024 ... -0.108300
                                                                                                                     0.005274
                                                                                                                              -0.190321 -1.175575
                                              0.403034 -0.407193
                                                                  0.095921
                                                                            0.592941 -0.270533
                                                                                                                     0.798278 -0.137458
                            0.877737 1.548718
                                                                                               0.817739 ... -0.009431
                                                                                                                                         0.141267 -0.
        5 rows × 31 columns
In [4]:
          credit.isna().sum()
         Time
                   0
Out[4]:
                   0
         V2
                   0
         V3
                   0
         V4
         V5
         V6
         V7
         V8
         V9
         V10
         V11
         V12
         V13
         V15
         V16
         V17
         V18
         V19
         V20
         V21
         V22
         V23
         V24
         V25
         V26
         V27
         V28
         Amount
         Class
         dtype: int64
In [5]:
         credit['Class'].value_counts()
              284315
Out[5]:
                 492
         Name: Class, dtype: int64
In [6]:
         X = credit.drop(['Class'], 1).to_numpy()
         y = credit['Class'].to_numpy()
         X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.33, random_state=42)
         C:\Users\Seneca\AppData\Local\Temp/ipykernel_18096/4172792951.py:1: FutureWarning: In a future version of pandas all arguments of
         DataFrame.drop except for the argument 'labels' will be keyword-only
```

```
X_train_s = scaler.fit_transform(X_train)
         X_test_s = scaler.fit_transform(X_test)
In [8]:
         def run_sampler_batch(run_model, samplers = [], incROC = False):
             metrics = []
             conf_disps = []
             rocs = []
             # make sure there are samplers to run
             if(len(samplers) > 0):
                 for sampler, name in samplers:
                     # get samples
                     X_train_re, y_train_re = sampler.fit_resample(X_train_s, y_train)
                     # run model
                     if(incROC):
                         mets, conf_disp, roc = run_model(X_train_re, y_train_re, name)
                         rocs.append(roc)
                     else:
                         mets, conf_disp = run_model(X_train_re, y_train_re, name)
                     # store performance stats in lists
                     metrics.append(mets)
                     conf_disps.append(conf_disp)
             else: # run model with original scaled training data
                 if(incROC):
                     mets, conf_disp, roc = run_model(X_train_s, y_train, "No Sampling Method")
                     rocs.append(roc)
                 else:
                     mets, conf_disp = run_model(X_train_s, y_train, "No Sampling Method")
                 # store performance stats in lists
                 metrics.append(mets)
                 conf_disps.append(conf_disp)
             # return performance stats
             if(incROC):
                 return metrics, conf_disps, rocs
             return metrics, conf_disps
In [9]:
         def print_metrics(metrics):
             for item in metrics:
                 print("********************************")
                 print(item["name"])
                 print("Accuracy Score: ", item["accuracy"])
                 print("Precision: ", item["precision"])
                 print("Recall: ", item["recall"])
                 print("F1: ", item["f1"])
                 print()
         def plot_conf_disps(conf_disps):
             for item in conf_disps:
                 print(item["name"])
                 item["disp"].plot()
                 plt.show()
         def plot_rocs(rocs):
             for item in rocs:
                 plt.plot(item["fpr"], item["tpr"])
                 plt.title(item["name"])
                 plt.xlabel("False Positive Rate")
                 plt.ylabel("True Positive Rate (Recall)")
                 plt.show()
```

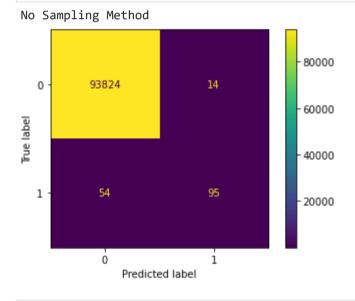
Logistic Regression

scaler = StandardScaler()

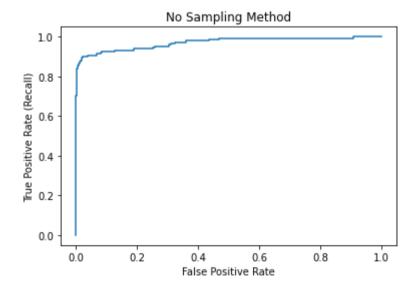
In [7]:

Logistic regression without accounting for class imbalances

In [13]: plot_conf_disps(conf_disps)



In [14]: plot_rocs(rocs)



Logistic Regression with Oversampling

RUNNING LOGISTIC REGRESSION CLASSIFIER ON DATA: RandomOverSampler RUNNING LOGISTIC REGRESSION CLASSIFIER ON DATA: SMOTE

In [17]:

print_metrics(metrics)

RandomOverSampler

Accuracy Score: 0.9728792279783375 Precision: 0.05089820359281437 Recall: 0.912751677852349

F1: 0.09641970932293513

Accuracy Score: 0.9721344441252514 Precision: 0.049927113702623906 Recall: 0.9194630872483222 F1: 0.0947113722779122

ADASYN

Accuracy Score: 0.9053805313500803 Precision: 0.015621537779747396 Recall: 0.9463087248322147

F1: 0.030735694822888286

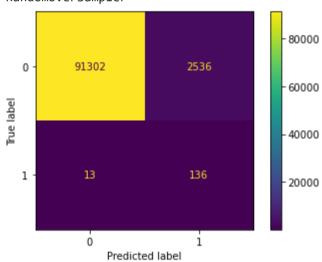
BorderLineSMOTE

Accuracy Score: 0.9909774756083288 Precision: 0.13403141361256546 Recall: 0.8590604026845637 F1: 0.23188405797101452

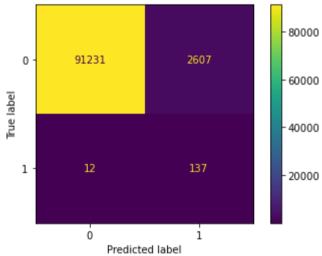
In [18]:

plot_conf_disps(conf_disps)

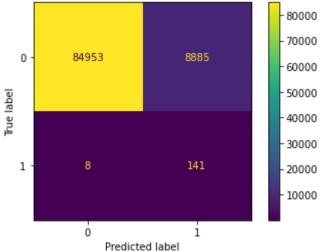




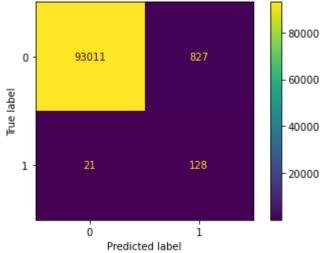
SMOTE



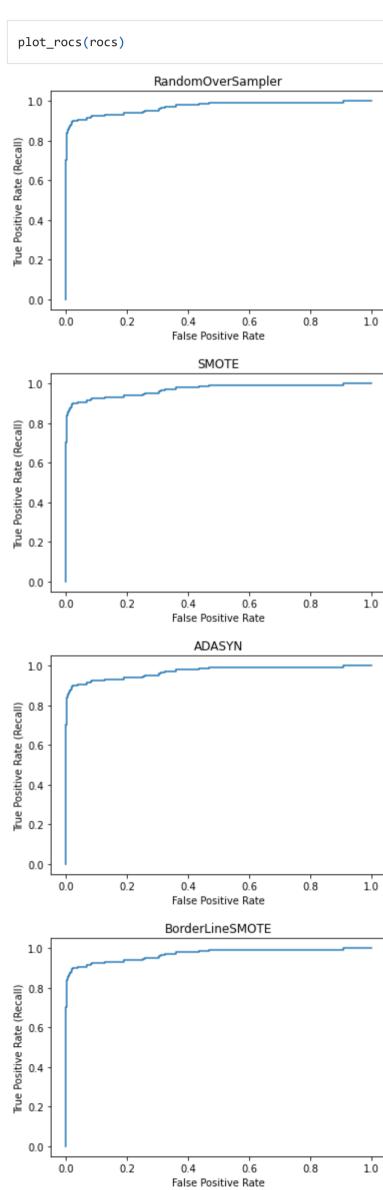
ADASYN



 ${\tt BorderLineSMOTE}$







Logistic Regression with Undersampling

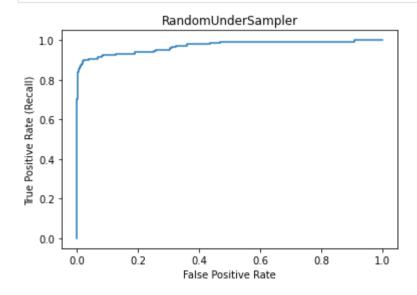
```
under_samplers = [[RandomUnderSampler(random_state=42), "RandomUnderSampler"],
In [20]:
                          [NearMiss(), "NearMiss"]
In [21]:
         metrics, conf_disps, rocs = run_sampler_batch(run_model=run_log_reg, samplers=under_samplers, incROC=True)
         RUNNING LOGISTIC REGRESSION CLASSIFIER ON DATA: RandomUnderSampler
         RUNNING LOGISTIC REGRESSION CLASSIFIER ON DATA: NearMiss
In [22]:
         print_metrics(metrics)
         ************
         RandomUnderSampler
         Accuracy Score: 0.9584517007671274
         Precision: 0.03422619047619048
         Recall: 0.9261744966442953
         F1: 0.06601291557043769
         ***********
         NearMiss
         Accuracy Score: 0.585197952908381
         Precision: 0.0034774604311028153
         Recall: 0.912751677852349
         F1: 0.006928524122471852
In [23]:
         plot_conf_disps(conf_disps)
         RandomUnderSampler
                                               80000
                                               70000
                  9e+04
                                 3894
           0
                                              60000
         True label
                                              50000
                                              40000
                                              30000
                                 138
           1 -
                                              20000
                                              10000
```

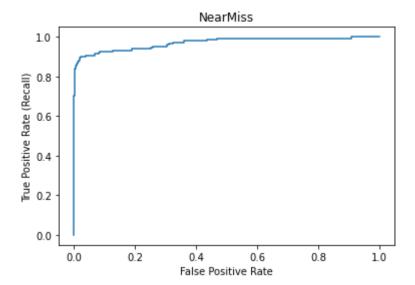
NearMiss

- 50000 - 40000 - 30000 - 20000 - 1 - 13 136 - 10000 - Predicted label

Predicted label

In [24]: plot_rocs(rocs)





Neural Network

```
In [25]:
          import keras
          from keras.models import Sequential
          from keras.layers import Dense
In [26]:
          np.shape(X_train_s[0])
          (30,)
Out[26]:
In [27]:
          def run_nn(X_tr_nn, y_tr_nn, name):
              print("RUNNING NEURAL NETWORK ON DATA: ", name)
              classifier = Sequential()
              classifier.add(keras.layers.Dense(units=60, kernel_initializer='uniform', activation='tanh', input_dim=30))
              classifier.add(keras.layers.Dense(units=30, kernel_initializer='uniform', activation='tanh'))
              classifier.add(keras.layers.Dense(units=10, kernel_initializer='uniform', activation='tanh'))
              classifier.add(keras.layers.Dense(units=1, kernel_initializer='uniform', activation='sigmoid'))
              classifier.compile(optimizer='adam', loss='binary_crossentropy', metrics=['accuracy'])
              history = classifier.fit(X_tr_nn, y_tr_nn, epochs=20, batch_size=10)
              y_pred = classifier.predict(X_test_s)
              y_pred = np.where(y_pred > 0.5, 1, 0)
              # get metrics to be printed later
              metrics_nn = {"name": name,
                          "accuracy": accuracy_score(y_test, y_pred),
                          "precision": precision_score(y_test, y_pred, zero_division=False),
                          "recall": recall_score(y_test, y_pred),
                          "f1": f1_score(y_test, y_pred),
              # generate confusion matrix visualizations
              conf_matrix = confusion_matrix(y_test, y_pred)
              conf_disp_nn = {"name": name,
                            "disp": ConfusionMatrixDisplay(conf_matrix)
              return metrics_nn, conf_disp_nn
```

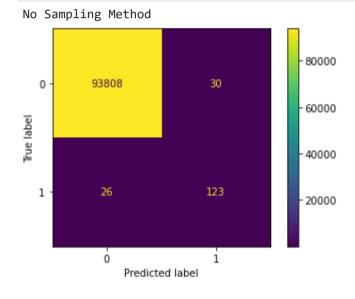
Neural Network without accounting for class imbalance

```
In [28]:
 metrics, conf_disps = run_sampler_batch(run_nn)
 RUNNING NEURAL NETWORK ON DATA: No Sampling Method
 Epoch 2/20
 Epoch 3/20
 Epoch 4/20
 Epoch 5/20
 Epoch 6/20
 Epoch 7/20
 Epoch 8/20
 Epoch 9/20
 Epoch 10/20
 Epoch 11/20
```

```
Epoch 12/20
   Epoch 13/20
    Epoch 14/20
   19082/19082 [:
              =========== ] - 21s 1ms/step - loss: 0.0023 - accuracy: 0.9995
    Epoch 15/20
   19082/19082 [=====
             Epoch 16/20
             19082/19082 [=====
   Epoch 17/20
   19082/19082 [=
               Epoch 18/20
   19082/19082 [===
               Epoch 19/20
   19082/19082 [=
               Epoch 20/20
             19082/19082 [======
In [29]:
    print_metrics(metrics)
    ***********
    No Sampling Method
   Accuracy Score: 0.9994041729175311
   Precision: 0.803921568627451
    Recall: 0.825503355704698
    F1: 0.8145695364238411
```

In [30]: nlo

```
plot_conf_disps(conf_disps)
```



Neural Network with Oversampling

In [32]: | metrics, conf_disps = run_sampler_batch(run_nn, over_samplers)

```
RUNNING NEURAL NETWORK ON DATA: RandomOverSampler
Epoch 1/20
Epoch 2/20
38096/38096 [=
   Epoch 3/20
Epoch 4/20
Epoch 5/20
Epoch 6/20
Epoch 7/20
Epoch 8/20
Epoch 9/20
Epoch 10/20
Epoch 11/20
Epoch 12/20
Epoch 13/20
Epoch 14/20
```

```
Epoch 15/20
Epoch 16/20
Epoch 17/20
Epoch 18/20
Epoch 19/20
Epoch 20/20
RUNNING NEURAL NETWORK ON DATA: SMOTE
Epoch 1/20
Epoch 2/20
Epoch 3/20
Epoch 4/20
Epoch 5/20
Epoch 6/20
Epoch 7/20
Epoch 8/20
Epoch 9/20
Epoch 10/20
Epoch 11/20
Epoch 12/20
Epoch 13/20
Epoch 14/20
Epoch 15/20
Epoch 16/20
Epoch 17/20
Epoch 18/20
Epoch 19/20
Epoch 20/20
RUNNING NEURAL NETWORK ON DATA: ADASYN
Epoch 1/20
Epoch 2/20
Epoch 3/20
Epoch 4/20
Epoch 5/20
Epoch 6/20
Epoch 7/20
38096/38096 [================== - - 40s 1ms/step - loss: 0.0030 - accuracy: 0.9994
Epoch 8/20
Epoch 9/20
Epoch 10/20
Epoch 11/20
Epoch 12/20
Epoch 13/20
Epoch 14/20
Epoch 15/20
Epoch 16/20
Epoch 17/20
Epoch 18/20
Epoch 19/20
```

```
Epoch 20/20
RUNNING NEURAL NETWORK ON DATA: BorderLineSMOTE
Epoch 2/20
Epoch 3/20
Epoch 4/20
Epoch 5/20
Epoch 6/20
Epoch 7/20
Epoch 8/20
Epoch 9/20
Epoch 10/20
Epoch 11/20
Epoch 12/20
Epoch 13/20
Epoch 14/20
Epoch 15/20
Epoch 16/20
Epoch 17/20
Epoch 18/20
Epoch 19/20
Epoch 20/20
print_metrics(metrics)
```

In [33]:

RandomOverSampler

Accuracy Score: 0.9992020173002649 Precision: 0.7151162790697675 Recall: 0.825503355704698 F1: 0.7663551401869161

SMOTE

Accuracy Score: 0.9984572334471788 Precision: 0.5078740157480315 Recall: 0.8657718120805369 F1: 0.6401985111662531

ADASYN

Accuracy Score: 0.9989466628363497 Precision: 0.631578947368421 Recall: 0.8053691275167785 F1: 0.7079646017699115

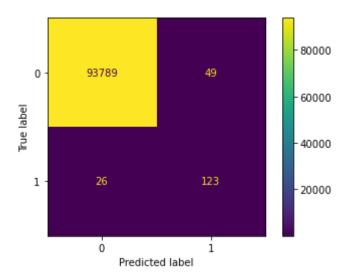
BorderLineSMOTE

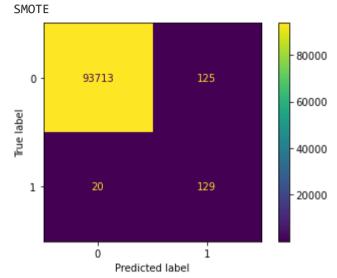
Accuracy Score: 0.9992764956855735 Precision: 0.7755102040816326 Recall: 0.7651006711409396 F1: 0.7702702702702703

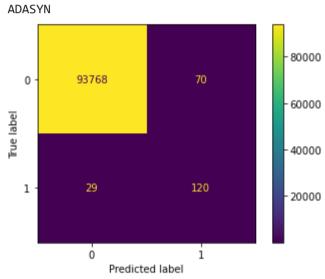
In [34]:

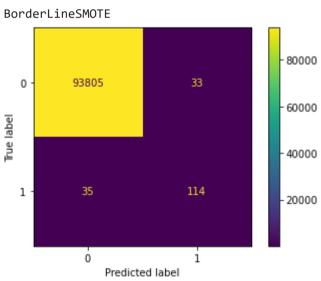
plot_conf_disps(conf_disps)

RandomOverSampler









Neural Network with Undersampling

Epoch 4/20

Epoch 5/20

Epoch 6/20

```
Epoch 7/20
Epoch 8/20
Epoch 9/20
Epoch 10/20
Epoch 11/20
Epoch 12/20
Epoch 13/20
Epoch 14/20
Epoch 15/20
Epoch 16/20
Epoch 17/20
Epoch 18/20
Epoch 19/20
Epoch 20/20
RUNNING NEURAL NETWORK ON DATA: NearMiss
Epoch 1/20
Epoch 2/20
Epoch 3/20
Epoch 4/20
Epoch 5/20
Epoch 6/20
Epoch 7/20
Epoch 8/20
Epoch 9/20
Epoch 10/20
Epoch 11/20
Epoch 12/20
Epoch 13/20
Epoch 14/20
Epoch 15/20
Epoch 16/20
Epoch 17/20
Epoch 18/20
Epoch 19/20
Epoch 20/20
print metrics(metrics)
```

In [37]:

RandomUnderSampler

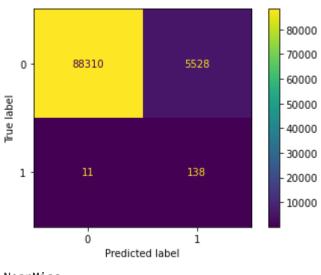
Accuracy Score: 0.9410663176822327 Precision: 0.02435580656547829 Recall: 0.9261744966442953 F1: 0.047463456577815984

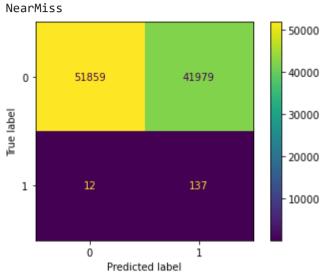
NearMiss

Accuracy Score: 0.5532254460723292 Precision: 0.003252920505271156 Recall: 0.9194630872483222 F1: 0.006482905477345322

In [38]:

plot conf disps(conf disps)





Random Forest Classifier

```
In [39]:
          from sklearn.ensemble import RandomForestClassifier
In [40]:
          def run_rfc(X_tr_nn, y_tr_nn, name):
              print("RUNNING RANDOM FOREST CLASSIFIER ON DATA: ", name)
              rfc = RandomForestClassifier(random_state=42)
              rfc.fit(X_tr_nn, y_tr_nn)
              y_pred = rfc.predict(X_test_s)
              \# y_{pred} = np.where(y_{pred} > 0.5, 1, 0)
              # get metrics to be printed later
              metrics_rf = {"name": name,
                         "accuracy": accuracy_score(y_test, y_pred),
                         "precision": precision_score(y_test, y_pred, zero_division=False),
                         "recall": recall_score(y_test, y_pred),
                         "f1": f1_score(y_test, y_pred),
              # generate confusion matrix visualizations
              conf_matrix = confusion_matrix(y_test, y_pred)
              conf disp rf = {"name": name,
                           "disp": ConfusionMatrixDisplay(conf_matrix)
              # get false and true positive rates to graph later
              y_scores = cross_val_predict(rfc, X_test_s, y_test, cv=3)
              fpr, tpr, thresholds_roc = roc_curve(y_test, y_scores)
              roc_rf = {"name": name,
                     "fpr": fpr,
                      "tpr": tpr
                    }
              return metrics_rf, conf_disp_rf, roc_rf
```

In [41]: metrics, conf_disps, rocs = run_sampler_batch(run_model=run_rfc, incROC=True)

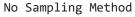
RUNNING RANDOM FOREST CLASSIFIER ON DATA: No Sampling Method

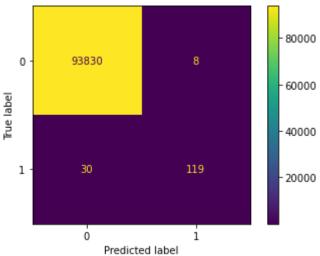
In [42]: print_metrics(metrics)

No Sampling Method

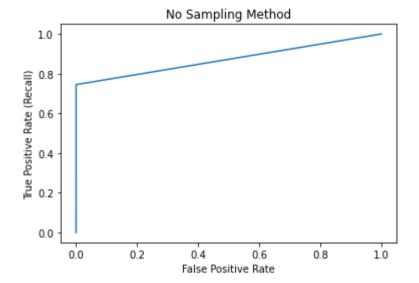
Accuracy Score: 0.9995956887654676 Precision: 0.937007874015748 Recall: 0.7986577181208053 F1: 0.8623188405797101

```
plot_conf_disps(conf_disps)
```





```
In [44]: plot_rocs(rocs)
```



Random Forest Classifier with Oversampling

In [47]: print_metrics(metrics)

RandomOverSampler
Accuracy Score: 0.9996488876121166

Precision: 0.9603174603174603

Recall: 0.8120805369127517

F1: 0.8800000000000001

SMOTE

Accuracy Score: 0.999574409226808 Precision: 0.8707482993197279 Recall: 0.8590604026845637 F1: 0.8648648648648649

ADASYN

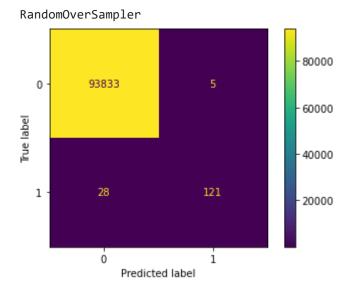
Accuracy Score: 0.9995105706108292 Precision: 0.8551724137931035 Recall: 0.8322147651006712 F1: 0.8435374149659864

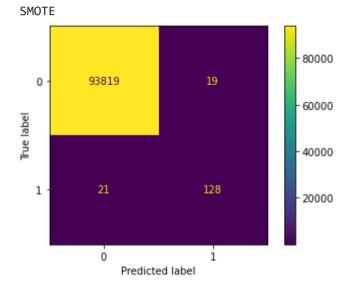
BorderLineSMOTE

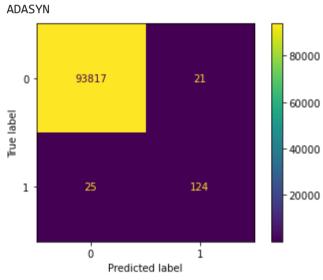
Accuracy Score: 0.9995956887654676 Precision: 0.9302325581395349 Recall: 0.8053691275167785 F1: 0.8633093525179855

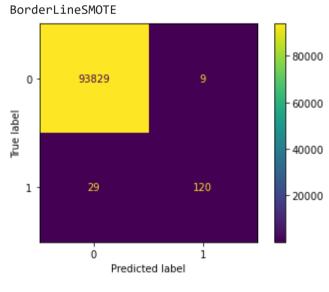
In [48]:

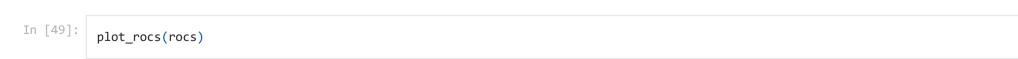
plot_conf_disps(conf_disps)

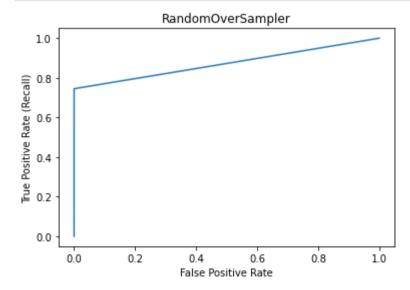


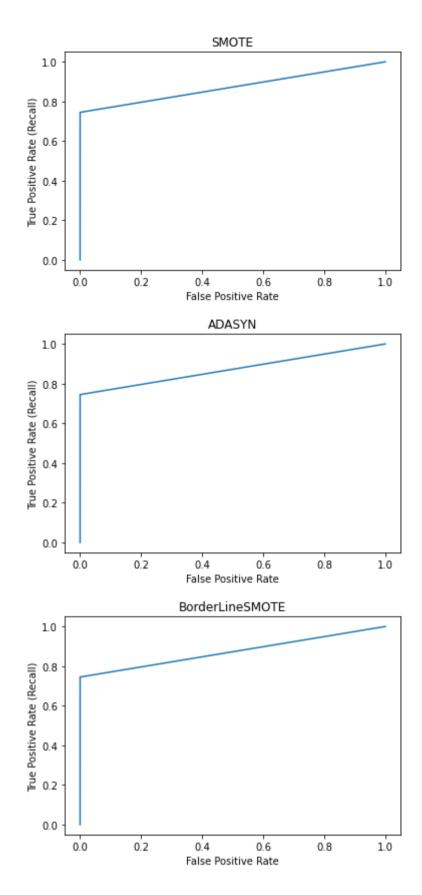








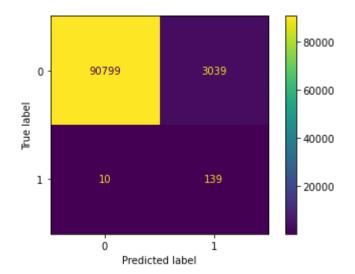




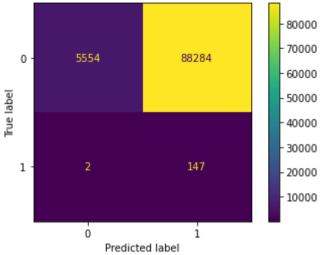
Random Forest Classifier with Undersampling

RandomUnderSampler

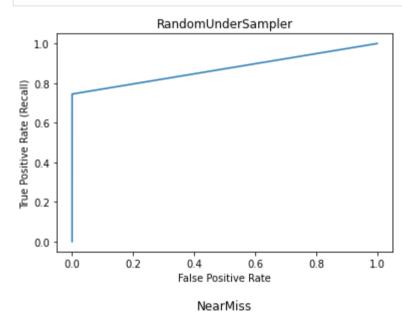
```
In [50]:
         under_samplers = [[RandomUnderSampler(random_state=42), "RandomUnderSampler"],
                         [NearMiss(), "NearMiss"]
In [51]:
         metrics, conf_disps, rocs = run_sampler_batch(run_model=run_rfc, samplers=under_samplers, incROC=True)
        RUNNING RANDOM FOREST CLASSIFIER ON DATA: RandomUnderSampler
        RUNNING RANDOM FOREST CLASSIFIER ON DATA: NearMiss
In [52]:
         print_metrics(metrics)
        ***********
        RandomUnderSampler
        Accuracy Score: 0.967559343313437
        Precision: 0.04373820012586532
        Recall: 0.9328859060402684
        F1: 0.08355876164712954
        ***********
        NearMiss
        Accuracy Score: 0.0606573249491951
        Precision: 0.0016623129897886488
        Recall: 0.9865771812080537
        F1: 0.0033190336419056223
In [53]:
         plot_conf_disps(conf_disps)
```

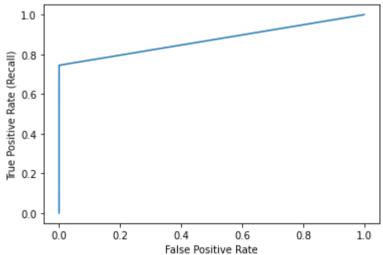


NearMiss



In [54]: plot_rocs(rocs)





Energy Efficiency (Regression)

```
In [1]:
          import pandas as pd
In [2]:
          energy = pd.read_excel("ENB2012_data.xlsx")
          energy.head()
Out[2]:
             X1
                   X2
                         X3
                                X4 X5 X6 X7 X8
                                                            Y2
                                                      Y1
         0 0.98 514.5 294.0 110.25 7.0
                                                 0 15.55 21.33
                                         2 0.0
         1 0.98 514.5 294.0 110.25 7.0
                                         3 0.0
                                                 0 15.55 21.33
         2 0.98 514.5 294.0 110.25 7.0
                                         4 0.0
                                                 0 15.55 21.33
         3 0.98 514.5 294.0 110.25 7.0
                                         5 0.0
                                                 0 15.55 21.33
                                                 0 20.84 28.28
         4 0.90 563.5 318.5 122.50 7.0
                                         2 0.0
In [3]:
          energy.describe()
Out[3]:
                      X1
                                 X2
                                            X3
                                                       X4
                                                                 X5
                                                                           X6
                                                                                      X7
                                                                                                X8
                                                                                                           Y1
                                                                                                                      Y2
         count 768.000000 768.000000 768.000000 768.000000 768.000000 768.000000 768.000000 768.000000 768.000000 768.000000
                 0.764167 671.708333 318.500000 176.604167
                                                                                                     22.307195
         mean
                                                             5.25000
                                                                       3.500000
                                                                                  0.234375
                                                                                            2.81250
                                                                                                                24.587760
                           88.086116
                                                                                                                 9.513306
                 0.105777
                                      43.626481
                                                 45.165950
                                                             1.75114
                                                                      1.118763
                                                                                  0.133221
                                                                                            1.55096
                                                                                                     10.090204
           std
                 0.620000 514.500000 245.000000 110.250000
                                                             3.50000
                                                                      2.000000
                                                                                  0.000000
                                                                                            0.00000
                                                                                                      6.010000
                                                                                                                10.900000
           min
                                                                      2.750000
                                                                                                     12.992500
                                                                                                                15.620000
          25%
                 0.682500 606.375000 294.000000 140.875000
                                                             3.50000
                                                                                  0.100000
                                                                                            1.75000
                                                                       3.500000
                                                                                  0.250000
                                                                                                     18.950000
          50%
                 0.750000 673.750000 318.500000 183.750000
                                                             5.25000
                                                                                            3.00000
                                                                                                                22.080000
                 0.830000 741.125000 343.000000 220.500000
                                                                       4.250000
                                                                                                     31.667500
          75%
                                                             7.00000
                                                                                  0.400000
                                                                                            4.00000
                                                                                                                33.132500
                                                                                                     43.100000
                 0.980000 808.500000 416.500000 220.500000
                                                             7.00000
                                                                      5.000000
                                                                                  0.400000
                                                                                            5.00000
                                                                                                                48.030000
          max
In [4]:
          for col in energy.columns:
              print(col)
              print("*****************************
              print(energy[col].value_counts())
              print()
         X1
         *******
         0.98
                 64
         0.90
                 64
         0.86
                 64
         0.82
                 64
         0.79
                 64
         0.76
                 64
         0.74
                 64
         0.71
                 64
         0.69
                 64
         0.66
                 64
         0.64
                 64
         0.62
                 64
         Name: X1, dtype: int64
         X2
         514.5
                  64
         563.5
                  64
         588.0
                  64
         612.5
         637.0
         661.5
         686.0
         710.5
                 64
         735.0
                 64
         759.5
                 64
         784.0
                 64
         808.5 64
         Name: X2, dtype: int64
         *******
         294.0
                 192
         318.5
                  192
         343.0
                  128
         416.5
                   64
         245.0
                   64
         269.5
                   64
         367.5
                   64
         Name: X3, dtype: int64
```

```
Χ4
      ******
      220.50 384
      147.00 192
      122.50 128
            64
      110.25
      Name: X4, dtype: int64
      *******
      7.0 384
      3.5 384
      Name: X5, dtype: int64
      X6
      ******
      2 192
      3 192
      4 192
      5 192
      Name: X6, dtype: int64
      X7
      *******
      0.10 240
      0.25 240
      0.40 240
      0.00 48
      Name: X7, dtype: int64
      X8
      *******
        144
      1
         144
      2
      3
         144
      4
         144
      5
         144
      0
         48
      Name: X8, dtype: int64
      Y1
      *******
      15.16 6
      13.00 5
      15.23 4
      28.15 4
      14.60 4
      33.21 1
      36.77 1
      36.71 1
      37.03 1
      16.64 1
      Name: Y1, Length: 587, dtype: int64
      Y2
      *******
      21.33 4
      29.79 4
      14.27 4
      17.20 4
      14.28 4
      14.65
            1
      14.54
      14.39
            1
      14.46
            1
      17.11
            1
      Name: Y2, Length: 636, dtype: int64
In [5]:
       energy.isna().sum()
      Х1
Out[5]:
      Х3
           0
      Χ4
           0
      X5
      Х6
      Χ7
      X8
      Υ1
      Y2
      dtype: int64
In [6]:
       from sklearn.model_selection import train_test_split
       from sklearn.preprocessing import StandardScaler
```

In [7]:

X = energy.drop(['Y1', 'Y2'], 1).to_numpy()

```
y = energy.drop(['X1', 'X2', 'X3', 'X4', 'X5', 'X6', 'X7', 'X8'], 1).to_numpy()

X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.33, random_state=42)

scaler = StandardScaler()
scaler.fit(X)
X_train_s = scaler.transform(X_train)
X_test_s = scaler.transform(X_test)
```

```
C:\Users\Seneca\AppData\Local\Temp/ipykernel_6068/2382515809.py:1: FutureWarning: In a future version of pandas all arguments of D
ataFrame.drop except for the argument 'labels' will be keyword-only
  X = energy.drop(['Y1', 'Y2'], 1).to_numpy()
C:\Users\Seneca\AppData\Local\Temp/ipykernel_6068/2382515809.py:2: FutureWarning: In a future version of pandas all arguments of D
ataFrame.drop except for the argument 'labels' will be keyword-only
  y = energy.drop(['X1', 'X2', 'X3', 'X4', 'X5', 'X6', 'X7', 'X8'], 1).to_numpy()
```

Linear & Polynomial Regression

```
from sklearn.linear_model import LinearRegression
from sklearn.metrics import mean_squared_error, explained_variance_score
from sklearn.preprocessing import PolynomialFeatures
import matplotlib.pyplot as plt
```

Find best polynomial degree

```
In [30]:
          def run_polynomial_reg(X_tr, X_te):
              test_error = []
              test_var = []
              train_error = []
              train_var = []
              degrees = list(range(1, 11))
              # linear regression
              print("Degree: 1")
              lin_reg = LinearRegression()
              lin_reg = lin_reg.fit(X_tr, y_train)
              y_pred = lin_reg.predict(X_te)
              test_error.append(mean_squared_error(y_test, y_pred))
              test_var.append(explained_variance_score(y_test, y_pred))
              print("Test MSE: ", mean_squared_error(y_test, y_pred))
              print("Test Explained Variance: ", explained_variance_score(y_test, y_pred))
              y_pred = lin_reg.predict(X_tr)
              train_error.append(mean_squared_error(y_train, y_pred))
              train_var.append(explained_variance_score(y_train, y_pred))
              # polynomial regression
              for k in range (2, 11):
                  print("Degree: ", k)
                  pol = PolynomialFeatures(k)
                  X_train_pol = pol.fit_transform(X_tr)
                  X_test_pol = pol.fit_transform(X_te)
                  # Train
                  lin_reg = LinearRegression()
                  lin_reg = lin_reg.fit(X_train_pol, y_train)
                  # Test error
                  y_pred = lin_reg.predict(X_test_pol)
                  test_error.append(mean_squared_error(y_test, y_pred))
                  test_var.append(explained_variance_score(y_test, y_pred))
                  print("Test MSE: ", mean_squared_error(y_test, y_pred))
                  print("Test Explained Variance: ", explained_variance_score(y_test, y_pred))
                  # Train error
                  y_pred = lin_reg.predict(X_train_pol)
                  train_error.append(mean_squared_error(y_train, y_pred))
                  train_var.append(explained_variance_score(y_train, y_pred))
              # make error plot
              plt.plot(degrees, test_error, label="Test")
              plt.plot(degrees, train error, label="Train")
              plt.title("Polynomial Degree vs Train and Test Error")
              plt.xlabel("Polynomial Degree")
              plt.ylabel("Mean Squared Error")
              plt.legend()
              plt.show()
              # make explained variance plot
              plt.plot(degrees, test_var, label="Test")
              plt.plot(degrees, train_var, label="Train")
              plt.title("Polynomial Degree vs Train and Test Explained Variance Score")
              plt.xlabel("Polynomial Degree")
              plt.ylabel("Explained Variance Score")
              plt.legend()
              plt.show()
```

```
In [31]:
```

```
run_polynomial_reg(X_train, X_test)
```

Degree: 1

Test MSE: 9.473928887107558

Test Explained Variance: 0.9039367329631596

Degree: 2

Test MSE: 1.776666517087284

Test Explained Variance: 0.9812194450573242

Degree: 3

Test MSE: 1.6434598349914515

Test Explained Variance: 0.982552314074946

Degree: 4

Test MSE: 1.082644402129154

Test Explained Variance: 0.9884413310144932

Degree: 5

Test MSE: 1.9903321686464723

Test Explained Variance: 0.9788519320756142

Degree: 6

Test MSE: 3.7020169584381586

Test Explained Variance: 0.9603563709879839

Degree: 7

Test MSE: 3.5652840333426123

Test Explained Variance: 0.9615661401947476

Degree: 8

Test MSE: 3.283734404865018

Test Explained Variance: 0.9647114917427451

Degree: 9

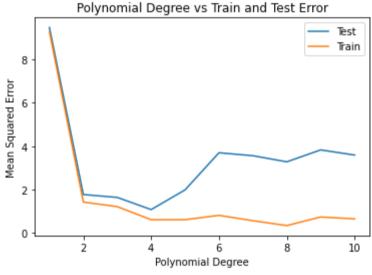
Test MSE: 3.8333183965856357

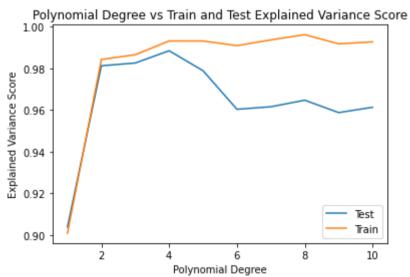
Test Explained Variance: 0.9587680677234443

Degree: 10

Test MSE: 3.5961897774523846

Test Explained Variance: 0.9613200920313656





Linear and Polynomial Regression With Scaling

In [32]:

run_polynomial_reg(X_train_s, X_test_s)

Degree: 1

Test MSE: 9.494604383689417

Test Explained Variance: 0.903859607073465

Degree: 2

Test MSE: 1.7803196001673411

Test Explained Variance: 0.9811703714264455

Degree: 3

Test MSE: 1.8048407585068111

Test Explained Variance: 0.9807061614823389

Degree: 4

Test MSE: 1.163010164847321

Test Explained Variance: 0.9876269648293268

Degree: 5

Test MSE: 83188428505.0631

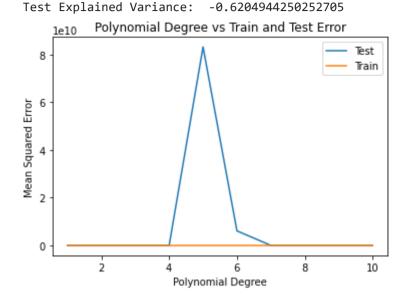
Test Explained Variance: -884615746.5392985

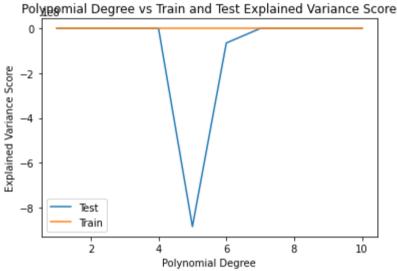
Degree: 6

Test MSE: 6074869586.2866335

Test Explained Variance: -64765644.66045452

Degree: 7
Test MSE: 519.0339146365108
Test Explained Variance: -4.535582710096245
Degree: 8
Test MSE: 291.23574444429005
Test Explained Variance: -2.1219878788028774
Degree: 9
Test MSE: 73.56289493848388
Test Explained Variance: 0.21533847054273098
Degree: 10
Test MSE: 151.6375396264335





Support Vector Machine

```
In [12]: from sklearn.svm import LinearSVR
from sklearn.multioutput import MultiOutputRegressor

In [13]: def run_svm(X_tr, X_te):
    svr = LinearSVR()
    multi_svr = MultiOutputRegressor(svr)
    multi_svr.fit(X_tr, y_train)
    y_pred = multi_svr.predict(X_te)
    print("Mean Squared Error: ", mean_squared_error(y_test, y_pred))
    print("Explained Variance Score: ", explained_variance_score(y_test, y_pred))
```

SVM Without Scaling

C:\Users\Seneca\anaconda3\lib\site-packages\sklearn\svm_base.py:985: ConvergenceWarning: Liblinear failed to converge, increase t
he number of iterations.
 warnings.warn("Liblinear failed to converge, increase "

warnings.warn(Libiinear failed to converge, increase

SVM With Scaling

```
In [15]: run_svm(X_train_s, X_test_s)
```

Mean Squared Error: 10.870072827441948 Explained Variance Score: 0.8948133892000907

Decision Tree

In [22]:

from sklearn.tree import DecisionTreeRegressor

```
def run_dec_tree(X_tr, X_te):
    tree = DecisionTreeRegressor(random_state=42)
    tree.fit(X_tr, y_train)
    y_pred = tree.predict(X_te)
    print("Mean Squared Error: ", mean_squared_error(y_test, y_pred))
    print("Explained Variance Score: ", explained_variance_score(y_test, y_pred))
```

Decision Tree Without Scaling

Decision Tree With Scaling

```
In [24]: run_dec_tree(X_train, X_test)

Mean Squared Error: 2.8324252677165345
```

Explained Variance Score: 0.9696445644623223

```
In [25]: run_dec_tree(X_train_s, X_test_s)
```

Mean Squared Error: 2.879196094488188 Explained Variance Score: 0.9690379388604704

Random Forest Regression

```
In [26]:
    from sklearn.ensemble import RandomForestRegressor

In [27]:

def run_rand_forest(X_tr, X_te):
        rfr = RandomForestRegressor(random_state=42)
        rfr.fit(X_tr, y_train)
        y_pred = rfr.predict(X_te)
        print("Mean Squared Error: ", mean_squared_error(y_test, y_pred))
        print("Explained Variance Score: ", explained_variance_score(y_test, y_pred))
```

Random Forest Regression Without Scaling

```
In [28]: run_rand_forest(X_train, X_test)
```

Mean Squared Error: 1.7338181172637772 Explained Variance Score: 0.981435199815003

Random Forest Regression With Scaling

```
In [29]: run_rand_forest(X_train_s, X_test_s)
```

Mean Squared Error: 1.7540353284251966 Explained Variance Score: 0.9811876497266685