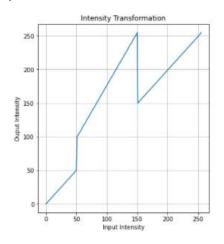
Assignment 01

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Q1)

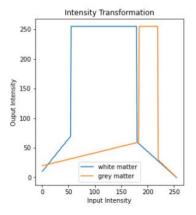


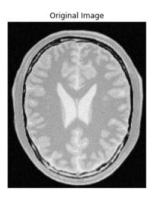




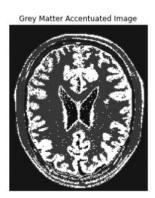
```
img = cv.imread("emma_gray.jpg", cv.IMREAD_GRAYSCALE)
assert img is not None
t1 = np.linspace(0,50,51)
t2 = np.linspace(100, 255, 100)
t3 = np.linspace(150,255,105)
t = np.concatenate((t1, t2, t3), axis=0).astype(np.uint8)
assert len(t) == 256
g = cv.LUT(img, t)
fig, ax = plt.subplots(1,3, figsize = (18,6))
ax[0].plot(t)
ax[0].set_title('Intensity Transformation')
ax[1].imshow(img, cmap= 'gray', vmin=0, vmax=255)
ax[1].set_title('Original Image')
ax[2].imshow(g, cmap= 'gray', vmin=0, vmax=255)
ax[2].set_title('Intensity Transformed Image')
plt.show()
```

As show in the Intensity Transformation, pixel with intensity range from 50 to 150 is mapped to a higher pixel intensity, while keeping the rest of the pixel intensities unchanged. As a result shown Intensity transformed Image each pixel in the *Original image* corresponding to the above range has a lighter in color.







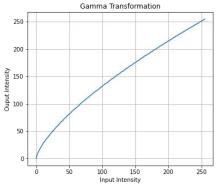


```
img = cv.imread("brain_proton_density_slice.png", cv.IMREAD_GRAYSCALE)
assert img is not None
t1 = np.linspace(10,70,55)
t2 = np.linspace(255, 255, 125)
t3 = np.linspace(60,0,76)
t4 = np.linspace(20,60,184)
t5 = np.linspace(255, 255, 36)
t6 = np.linspace(30,0,36)
t = np.concatenate((t1, t2, t3), axis=0).astype(np.uint8)
t_ = np.concatenate((t4, t5, t6), axis=0).astype(np.uint8)
assert len(t) == 256
g = cv.LUT(img, t)
g_ = cv.LUT(img, t_)
fig, ax = plt.subplots(1,4, figsize = (20,5))
ax[0].set_title('Intensity Transformation')
ax[1].imshow(img, cmap= 'gray', vmin=0, vmax=255)
ax[1].set_title('Original Image')
ax[2].imshow(g, cmap= 'gray', vmin=0, vmax=255)
ax[2].set_title('White Matter Accentuated image')
ax[3].imshow(g_, cmap= 'gray', vmin=0, vmax=255)
ax[3].set_title('Grey Matter Accentuated Image')
plt.show()
```

Accentuating White matter

Here the pixel intensities corresponding to white matter in the original image approximately falls in the range of 55 to 185. By Increasing the intensities of the pixels falling in the above mentioned range and giving a lowering intensity to pixels outside the range, We can accentuated the white matter by mapping the intensity transformation to the original image.

Like wise we can apply the suitable intensity transformation to accentuate the grey matter from the original Image.

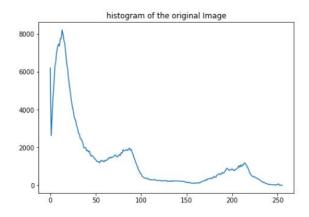


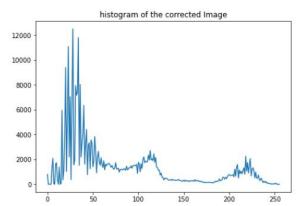




```
img = cv.imread("highlights_and_shadows.jpg", cv.IMREAD_COLOR)
assert img is not None
Lab = cv.cvtColor(img, cv.COLOR_BGR2Lab)
L,a,b = cv.split(Lab)
gamma = 0.7
t = np.array([(p/255)**gamma*255 for p in range(0,256)]).astype(np.uint8)
assert len(t) == 256
L_ = cv.LUT(L, t)
final_Lab = cv.merge((L_, a, b))
corrected_img = cv.cvtColor(final_Lab, cv.COLOR_Lab2BGR)
fig, ax = plt.subplots(1,3, figsize = (20,5))
ax[0].plot(t)
ax[0].grid()
ax[0].set_title('Gamma Transformation')
ax[1].imshow(cv.cvtColor(img, cv.COLOR_BGR2RGB))
ax[1].set_title('Original Image')
ax[2].imshow(cv.cvtColor(corrected_img, cv.COLOR_BGR2RGB))
ax[2].set_title('Gamma Transformed Image')
plt.show()
```

- As shown in the gamma transformation, the intensity of the pixels with intensities closer to zero has been slightly increased. As a result (Shown in gamma transformed Image) the darker regions of the image will become slightly brighter.
- By applying this transformation, the details in the darker regions of the original image are more visible.

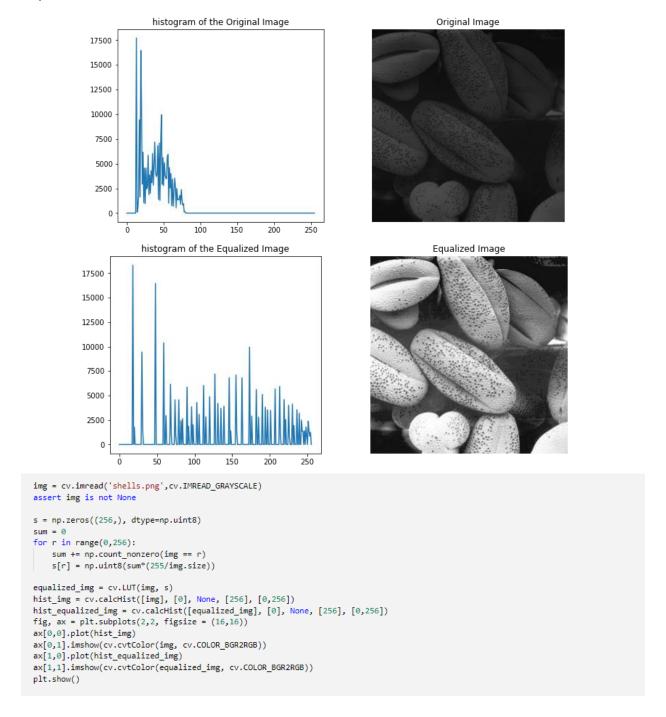




```
hist_img = cv.calcHist([img], [0], None, [256], [0,256])
hist_corrected_img = cv.calcHist([corrected_img], [0], None, [256], [0,256])

fig, ax = plt.subplots(1,2, figsize = (16,5))
ax[0].plot(hist_img)
ax[0].set_title('histogram of the original Image')
ax[1].plot(hist_corrected_img)
ax[1].set_title('histogram of the corrected Image')
plt.show()
```

- By comparing the two histograms we can see that histogram of the corrected Image approximately corresponds to the right shifted histogram of the original image.
- The pixel concentration of lower intensities are moved to higher intensities.



-In the histogram of the equalized image we can see that the no.of pixels are spreaded out over the range of 0 to 255 (full intensity range). Where as in the original image the concentration of pixels with lower intensities is greater (No pixels with intensities greater than 80). Hence it the original image is darker. The equalized image is brighter and the detail of the image is more visible.

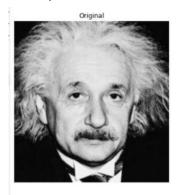
```
img = cv.imread('im01small.png', cv.IMREAD_GRAYSCALE)
                                                                                -The scaled Image of obtained from the nearest
img_large = cv.imread('im01.png', cv.IMREAD_GRAYSCALE)
scale = 4
                                                                                neighbor method is pixelated and can be seen
def imageScale(img,scale,scaling_method):
                                                                                clearly. Whereas in bilinear method the
   rows = int(scale*img.shape[0])
                                                                                pixelation is not present but is has a slight blur
   columns = int(scale*img.shape[1])
   zoomed_img = np.zeros((rows,columns),dtype=img.dtype)
                                                                                in the scaled image.
    if scaling_method == 'NN': # Nearest-neighbor
        for i in range(0,rows-1):
                                                                                -From the values of Normalized SSD we can say
           for j in range(0,columns-1):
                                                                                that bilinear Interpolation does a slightly better
               x = i/scale
               y = j/scale
                                                                                scaling compared to Nearest neighbor method.
               img_x_pos = round(x) if(x<=img.shape[0]-1) else int(x)
               img_y_pos = round(y) if(y <= img.shape[1]-1) else int(y)
              zoomed_img[i,j] = img[round(img_x_pos),round(img_y_pos)]
    if scaling_method == 'BI': # bilinear Interpolation
       for i in range(0,rows-1):
           for j in range(0,columns-1):
               x,y = i/scale,j/scale
               x_left = math.floor(x)
               x_right = math.ceil(x) if(x<=img.shape[0]-1) else math.floor(x)</pre>
               y_top = math.floor(y)
               y_bottom = math.ceil(y) if(y<=img.shape[1]-1) else math.floor(y)</pre>
               r_y = (y-y_{top})
               r_x = (x-x_{left})
               \label{eq:comed_img[i,j] = math.floor((img[x_left,y_top]*(1-r_y) + img[x_left,y_bottom]*(r_y))*(1-r_x)} \\
               + \; (img[x\_right,y\_top]*(1-r\_y) \; + \; img[x\_right,y\_bottom]*(r\_y))*(r\_x))
    return zoomed img
def SSD(original_img,zoomed_img):
   return np.square(original_img-zoomed_img).sum()/(original_img.shape[0]*original_img.shape[1])
zoomed_img_NN = imageScale(img,scale,"NN")
zoomed_img_BI = imageScale(img,scale,"BI")
print("Normalized SSD of nearest neighbour =", round(SSD(img_large,zoomed_img_NN),2))
print("Normalized SSD of bilinear interpolation =",round(SSD(img_large,zoomed_img_BI),2))
fig, ax = plt.subplots(1,2 , sharex = 'all' , sharey = 'all', figsize=(24,6))
ax[0].imshow(zoomed_img_NN,cmap= 'gray',vmin=0, vmax=255)
ax[0].set_title(' 4 x Zoomed image using Nearest neighbour')
ax[1].imshow(zoomed_img_BI,cmap= 'gray',vmin=0, vmax=255)
ax[1].set_title(' 4 x Zoomed image using bilineatr interpolation')
plt.show()
```

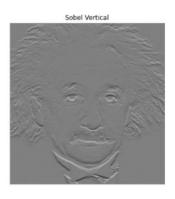
Normalized SSD of nearest neighbour = 40.09 Normalized SSD of bilinear interpolation = 39.32

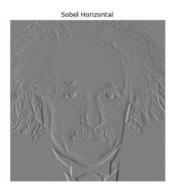




Q6) a









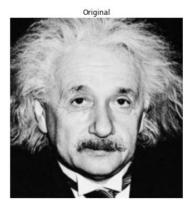
```
img = cv.imread(r'einstein.png', cv.IMREAD_GRAYSCALE).astype(np.float32)
assert img is not None
sobel_v = np.array([(-1,-2,-1),(0,0,0),(1,2,1)], dtype = np.float32)
img_x = cv.filter2D(img, -1, sobel_v)
sobel_h = np.array([(-1,0,1),(-2,0,2),(-1,0,1)], dtype = np.float32)
img_y = cv.filter2D(img, -1, sobel_h)
img_grad = np.sqrt(img_x**2+img_y**2)
sobel\_filtered\_img = np.zeros((img.shape[0],img.shape[1]), \ dtype=np.int16)
for i in range(1,img.shape[0-1]):
    for j in range(1,img.shape[1]-1):
         mat = img[i-1,j-1:j+2],img[i,j-1:j+2],img[i+1,j-1:j+2]
sobel_filtered_img[i,j] = np.multiply(mat,sobel_v).sum()
fig, ax = plt.subplots(1,4 , sharex = 'all' , sharey = 'all', figsize=(24,6))
ax[0].imshow(img,cmap= 'gray',vmin=0, vmax=255)
ax[0].set_title('Original')
ax[1].imshow(img_x,cmap= 'gray',vmin=-1020, vmax=1020)
ax[1].set_title('Sobel Vertical')
ax[2].imshow(img_y,cmap= 'gray',vmin=-1020, vmax=1020)
ax[2].set_title('Sobel Horizontal')
ax[3].imshow(img_grad,cmap= 'gray',vmin=-1020, vmax=1020)
ax[3].set_title('Image gradient')
```

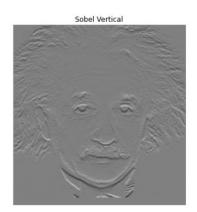
Q6) b

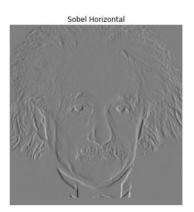
```
img = cv.imread(r'einstein.png', cv.IMREAD_GRAYSCALE).astype(np.float32)
assert img is not None
sobel_v = np.array([(-1,-2,-1),(0,0,0),(1,2,1)], dtype = np.float32)
sobel_h = np.array([(-1,0,1),(-2,0,2),(-1,0,1)], dtype = np.float32)
sobel\_v\_filtered\_img = np.zeros((img.shape[0],img.shape[1]), \ dtype=np.int16) \\ sobel\_h\_filtered\_img = np.zeros((img.shape[0],img.shape[1]), \ dtype=np.int16) \\
# Applying sobel operator using convolution
for i in range(1,img.shape[0-1]):
    for j in range(1,img.shape[1]-1):
         acc_sobel_v = 0
         acc_sobel_h = 0
         for m in range(sobel_v.shape[0]):
                   for n in range(sobel_v.shape[1]):
                          acc_sobel_v += sobel_v[m,n]*img[i+1-m,j+1-n]
         ac_sobel_h + sobel_h[m,n]*img[i+1-m,j+1-n]

sobel_v_filtered_img[i,j] = acc_sobel_h

sobel_h_filtered_img[i,j] = acc_sobel_h
fig, ax = plt.subplots(1,3 , sharex = 'all' , sharey = 'all', figsize=(18,6))
ax[0].imshow(img,cmap= 'gray',vmin=0, vmax=255)
ax[0].set_title('Original')
ax[1].imshow(sobel_v_filtered_img,cmap= 'gray',vmin=-1020, vmax=1020)
ax[1].set_title('Sobel Vertical')
ax[2].imshow( sobel_h_filtered_img,cmap= 'gray',vmin=-1020, vmax=1020)
ax[2].set_title('Sobel Horizontal')
```







Q6) c

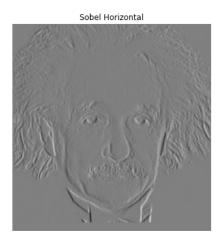
```
img = cv.imread(r'einstein.png', cv.IMREAD_GRAYSCALE).astype(np.float32)
assert img is not None

sobel_h1 = np.array([[1], [2], [1]], dtype = np.float32)
sobel_h2 = np.array([1, 0,-1], dtype = np.float32)

sobel_h_filtered_img = np.zeros((img.shape[0],img.shape[1]), dtype=np.int16)

for i in range(1,img.shape[0-1]):
    for j in range(1,img.shape[1]-1):
        mat = np.array([img[i-1,j-1:j+2],img[i,j-1:j+2],img[i+1,j-1:j+2]])
        sobel_h_filtered_img[i,j] = np.array(sobel_h1*sobel_h2*mat).sum()

fig, ax = plt.subplots(1,2 , sharex = 'all' , sharey = 'all', figsize=(12,6))
ax[0].imshow(img,cmap= 'gray',vmin=0, vmax=255)
ax[0].set_title('Original')
ax[1].imshow(sobel_h_filtered_img,cmap= 'gray',vmin=-1020, vmax=1020)
ax[1].set_title('Sobel Horizontal')
```



Q7)

```
img = cv.imread(r'daisy.jpg', cv.IMREAD_COLOR)
assert img is not None
mask = np.zeros(img.shape[:2],np.uint8)
bgModel = np.zeros((1,65), np.float64)
fgModel = np.zeros((1,65), np.float64)
rect= (40,150,520,400)
cv.grabCut(img,mask,rect,bgModel,fgModel,5, cv.GC_INIT_WITH_RECT)
mask2 = np.where((mask==2) | (mask==0),0,1).astype('uint8')
mask3 = np.where((mask!=2) & (mask!=0),0,1).astype('uint8')
fg_img = img*mask2[:,:,np.newaxis]
bg_img = img*mask3[:,:,np.newaxis]
fig, ax = plt.subplots(1,3 , sharex = 'all' , sharey = 'all', figsize=(15,8))
ax[0].imshow(mask2)
ax[0].set_title('Final segmentation mask')
ax[1].imshow(cv.cvtColor(fg_img, cv.COLOR_RGB2BGR))
ax[1].set_title('foreground Image')
ax[2].imshow(cv.cvtColor(bg_img, cv.COLOR_RGB2BGR))
ax[2].set_title('Background Image')
```









```
img = cv.imread(r'daisy.jpg', cv.IMREAD_COLOR)
assert img is not None
                                                                                               Original Image
                                                                                                                                   foreground Image
mask = np.zeros(img.shape[:2],np.uint8)
bgModel = np.zeros((1,65), np.float64)
fgModel = np.zeros((1,65), np.float64)
rect= (40,150,520,400)
cv.grabCut(img,mask,rect,bgModel,fgModel,5, cv.GC_INIT_WITH_RECT)
mask2 = np.where((mask==2) | (mask==0),0,1).astype('uint8')
mask3 = np.where((mask!=2) & (mask!=0),0,1).astype('uint8')
fg_img = img*mask2[:,:,np.newaxis]
bg_img = img*mask3[:,:,np.newaxis]
sigma = 6
bg_img = cv.GaussianBlur(bg_img, (9,9),sigma)
enhanced_img = fg_img + bg_img
fig, ax = plt.subplots(1,2 , sharex = 'all' , sharey = 'all', figsize=(10,8))
\texttt{ax[0].imshow(cv.cvtColor(img, cv.COLOR\_RGB2BGR))}
ax[0].set_title('Original Image')
ax[1].imshow(cv.cvtColor(enhanced_img, cv.COLOR_RGB2BGR))
ax[1].set title('Enchanced Image')
```

Why the edge is dark?

-When the gaussian blur is applied to the background image ,the intensity of the pixel locations corresponding to the edge of the foreground will be darker because in the background image the foreground region is not present and is darker. Therefore ,the edge pixels of the image when combined with the foreground image will be darker.

_