

Excercise 1:

Contents

- question
- Part A
- Part B_a
- Part B_b
- Result:

question



Exercises: Hands-on #1



A) Simulate two LIF neurons:

$$\tau \frac{dr_1}{dt} = -r_1 + I_1$$

$$\tau \frac{dr_2}{dt} = -r_2 + I_2$$

a) Simulate the equation for $T = 100$, when the external input has a constant value of $I_1 = 1$, $I_2 = 2$, and time constant $\tau = 10$ ms. Choose an appropriate time resolution, dt , for simulations.

b) Plot the activity of both neurons in **one plot**.

B) Now assume that the two neurons are also coupled together, in a recurrent manner. In order to simulate that, we need to solve the following equations:

$$\tau \frac{dr_1}{dt} = -r_1 + \alpha r_2 + I_1$$

$$\tau \frac{dr_2}{dt} = -r_2 + \beta r_1 + I_2$$

α and β are coupling strength.

a) Simulate the equation for $T = 100$, $I_1 = 1$, $I_2 = 2$, and the recurrent coupling is: $\alpha = 0.5$, $\beta = 0.5$

b) Plot the activity of both neurons in one plot and compare it with the activity without recurrent.

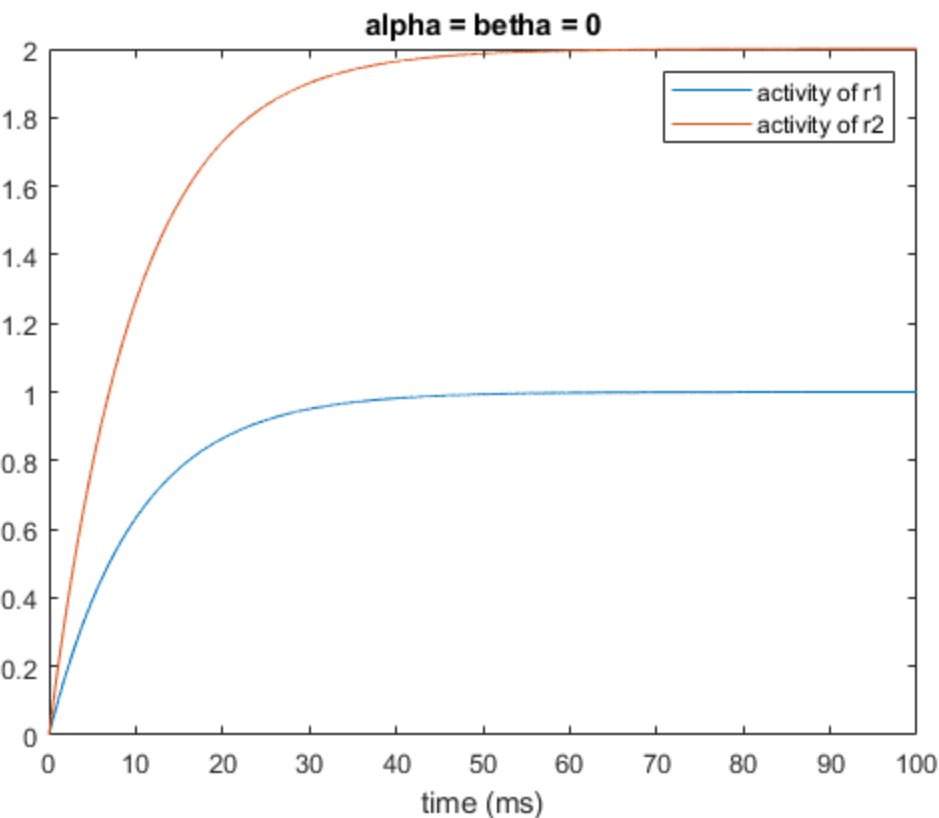
Try these values: $\alpha = 0.5$, $\beta = 1$; $\alpha = 1$, $\beta = 1$; $\alpha = 0.5$, $\beta = -0.5$; $\alpha = 1$, $\beta = -1$; $\alpha = 5$, $\beta = -5$

Part A

```
clc
close all
clear

Taw = 10; %in ms
I1 = 1;   I2 = 2;
T = 100; %total simulation time
dt = 0.01; %time step

alpha = 0;    betha = 0;
[r1, r2 , t] = neuron_act(alpha, betha, Taw, I1, I2, T, dt);
figure
plot(t,r1),    hold on,    plot(t,r2),    xlabel('time (ms)'),    title('alpha = betha = 0')
legend('activity of r1', 'activity of r2')
```



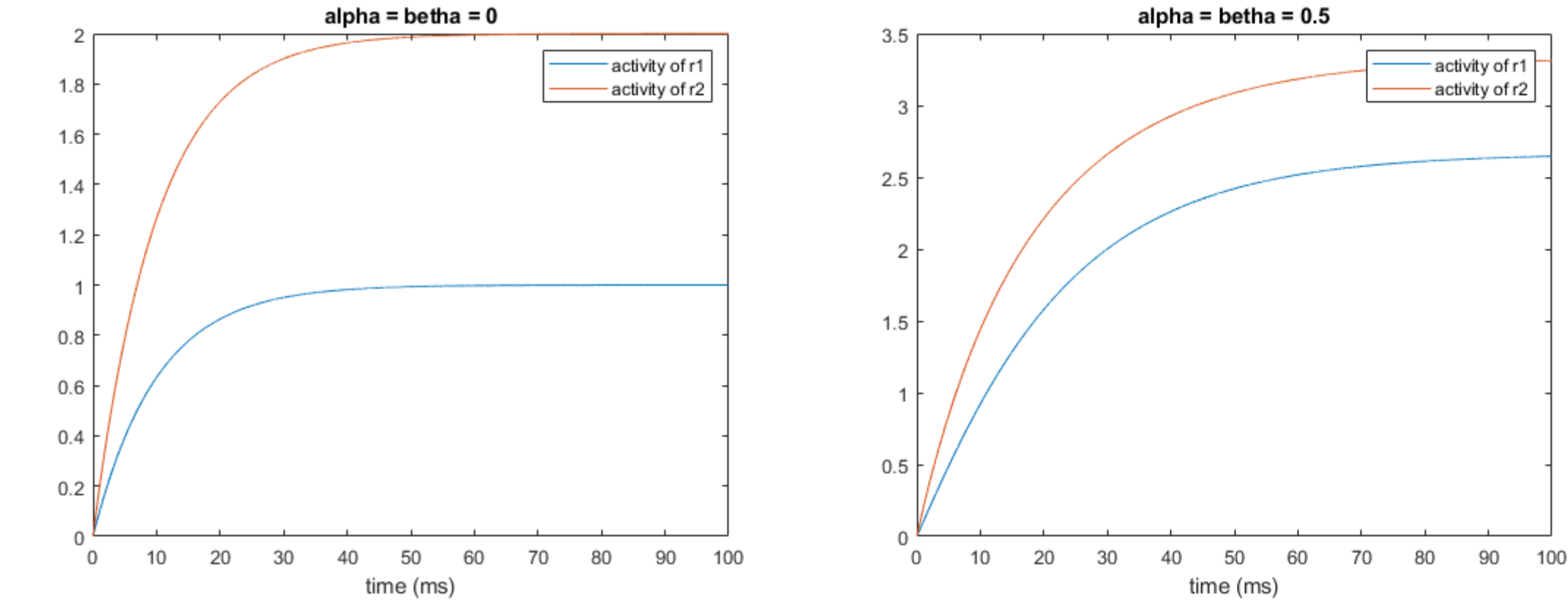
here, the 2 neurons are independant(recurrent term equals to zero)

so every neuron reaches its steady state value (I1 & I2)

Part B_a

```
alpha = 0.5;    betha = 0.5;
[r1, r2 , t] = neuron_act(alpha, betha, Taw, I1, I2, T, dt);
```

```
figure
plot(t,r1),      hold on,      plot(t,r2),      xlabel('time (ms)'),      title('alpha = betha = 0.5')
legend('activity of r1', 'activity of r2')
```



Part B_b

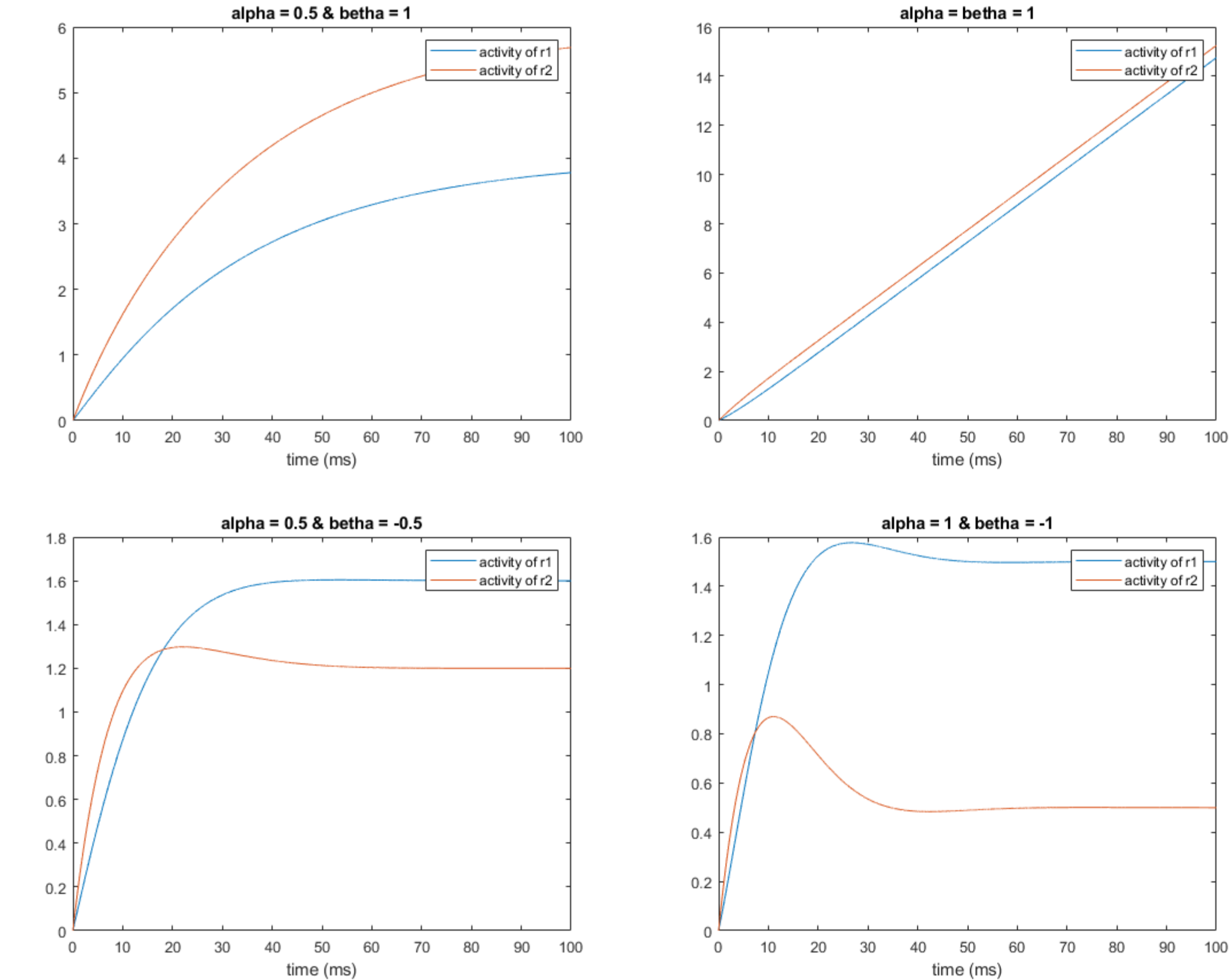
```
alpha = 0.5;      betha = 1;
[r1, r2 , t] = neuron_act(alpha, betha, Taw, I1, I2, T, dt);
figure
plot(t,r1),      hold on,      plot(t,r2),      xlabel('time (ms)'),      title('alpha = 0.5 & betha = 1')
legend('activity of r1', 'activity of r2')

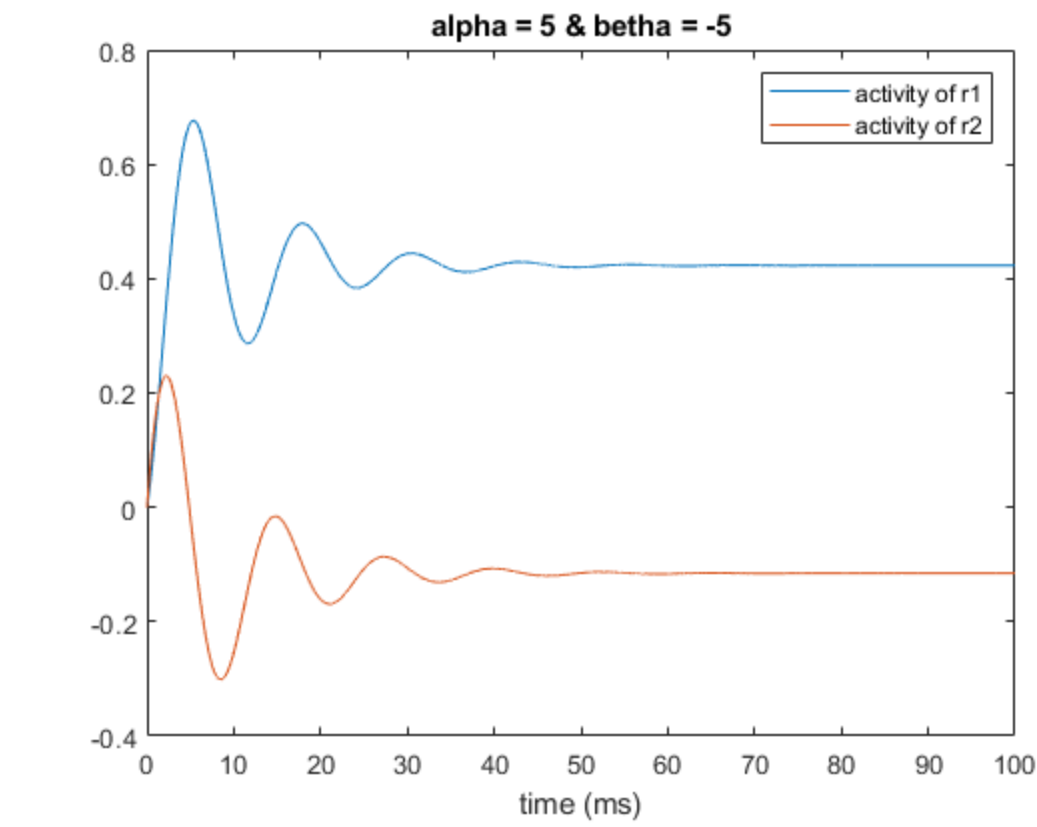
alpha = 1;      betha = 1;
[r1, r2 , t] = neuron_act(alpha, betha, Taw, I1, I2, T, dt);
figure
plot(t,r1),      hold on,      plot(t,r2),      xlabel('time (ms)'),      title('alpha = betha = 1')
legend('activity of r1', 'activity of r2')

alpha = 0.5;      betha = -0.5;
[r1, r2 , t] = neuron_act(alpha, betha, Taw, I1, I2, T, dt);
figure
plot(t,r1),      hold on,      plot(t,r2),      xlabel('time (ms)'),      title('alpha = 0.5 & betha = -0.5')
legend('activity of r1', 'activity of r2')

alpha = 1;      betha = -1;
[r1, r2 , t] = neuron_act(alpha, betha, Taw, I1, I2, T, dt);
figure
plot(t,r1),      hold on,      plot(t,r2),      xlabel('time (ms)'),      title('alpha = 1 & betha = -1')
legend('activity of r1', 'activity of r2')

alpha = 5;      betha = -5;
[r1, r2 , t] = neuron_act(alpha, betha, Taw, I1, I2, T, dt);
figure
plot(t,r1),      hold on,      plot(t,r2),      xlabel('time (ms)'),      title('alpha = 5 & betha = -5')
legend('activity of r1', 'activity of r2')
```





Result:

```
disp('')
```

When recurrent is present, different behaviors can be seen: ocilation, divergance, increasing linearly and stability.

Behavior is varient due to different eigenvalues (lambda1 & llambda2)These values are determined by alpha and betha

Lamda1_2 = alpha +/- betha

```
function [r1, r2, time] = neuron_act(alpha, betha, Taw, I1, I2, Simulation_time, time_step)
    total_data_points = Simulation_time / time_step;

    time = (0:total_data_points)*time_step;

    r1 = zeros(1, total_data_points);
    r2 = zeros(1, total_data_points);

    for i = 1:total_data_points
        r1(i+1) = r1(i) + (time_step/Taw) * (-r1(i) + alpha*r2(i) + I1);
        r2(i+1) = r2(i) + (time_step/Taw) * (-r2(i) + betha*r1(i) + I2);
    end
end
```