

# CS 2002D PROGRAM DESIGN

## Garbage Collection #1

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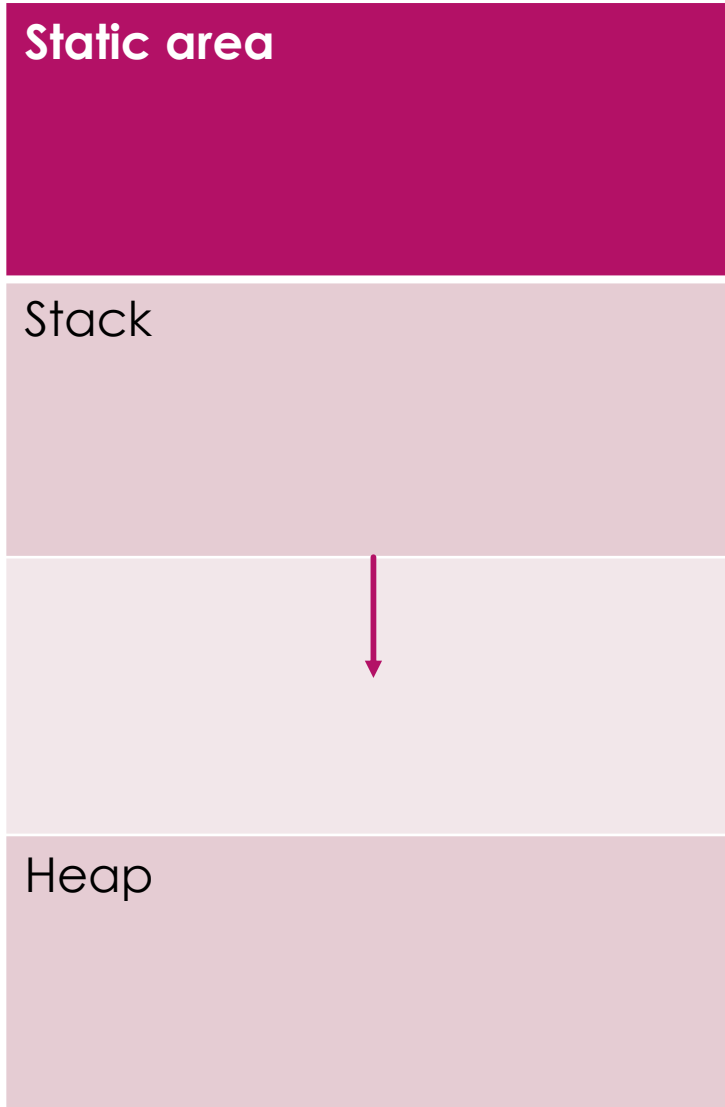
Courtesy : Dr. SALEENA N

# Overview

- ▶ **Runtime management of dynamic memory**
  - ▶ Tricky and error-prone
  - ▶ C, C++ - assumed to be either by the programmer or by the system
  - ▶ JAVA – Only the system can be responsible
  - ▶ Automation of runtime memory management

# Run time memory

- ▶ In languages like C, C++ and JAVA memory at run time can be viewed as having three parts
  - ▶ The **static** area
  - ▶ The run-time **stack**
  - ▶ The **heap**



# The Heap

- ▶ Dynamic allocation and deallocation of storage blocks of different sizes
  - ▶ *new* and *delete* calls (malloc, free)
  - ▶ Heap can eventually become fragmented

# The Heap

- ▶ **Heap Overflow**

- ▶ A call to new occurs and the heap does not contain a contiguous block of unused words of the required size

# Garbage Collection

- ▶ **Garbage Collection** algorithms to manage heap memory
  - ▶ To utilise the available space efficiently

# Garbage

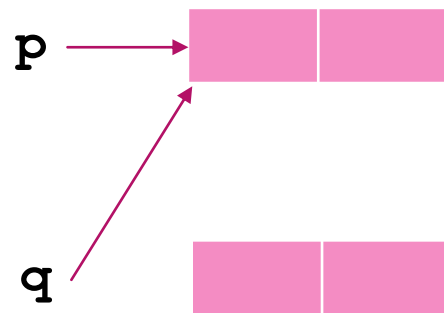
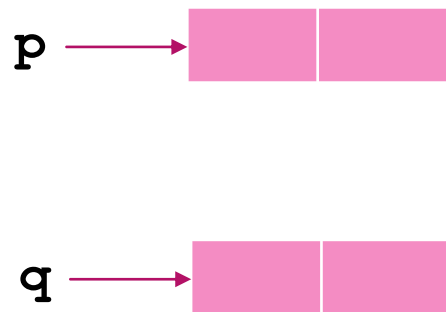
## ▶ Garbage

- ▶ Any block of heap memory that cannot be accessed by the program
- ▶ No pointer accessible to the program to reference the block



# Memory Leak

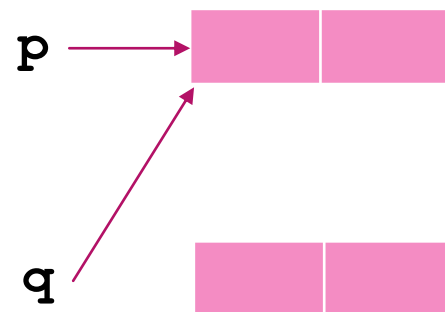
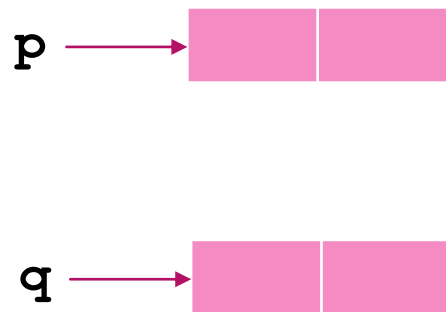
```
p = new node();  
q = new node();  
q = p;    //creates a memory leak
```



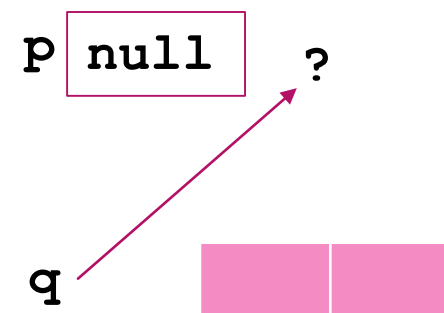
Allocated area, but not  
accessible, garbage (orphan)

# Dangling Reference

```
p = new node();  
q = new node();  
q = p;  
delete (p); // where does q point to?
```



Allocated area,  
but not  
accessible,  
garbage



Dangling  
Reference

# Garbage

- ▶ **Garbage**

- ▶ Inactive objects in heap
- ▶ Blocks that are allocated earlier but no longer needed

# Garbage Collection (GC)

- ▶ Reclaim blocks that are garbage, so that these blocks can be reused
- ▶ Started with functional languages like Lisp
  - ▶ List Processing, John McCarthy, AI
- ▶ Automatic Garbage Collection - JAVA, Lisp
- ▶ Programmer's responsibility – C, C++
  - ▶ Explicitly free blocks
  - ▶ Supporting tools

# Garbage Collection

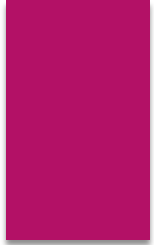
- ▶ **Three major strategies**
  - ▶ Reference Counting
  - ▶ Mark-sweep
  - ▶ Copy collection

# Reference Counting

- ▶ Assumes -initial heap is a continuous chain of nodes, *free\_list*
- ▶ Each node keeps a count of the number of pointers referencing that node – Reference Count (RC)
- ▶ RC is initially set to 0
- ▶ RC incremented when the node is allocated (removed from *free\_list*)
- ▶ RC updated whenever *new* or *delete* is called



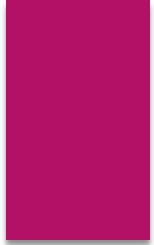
Reference  
count (RC)



free\_list



Reference  
count (RC)



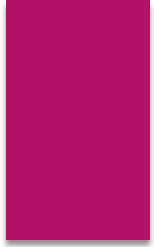
free\_list



p

q





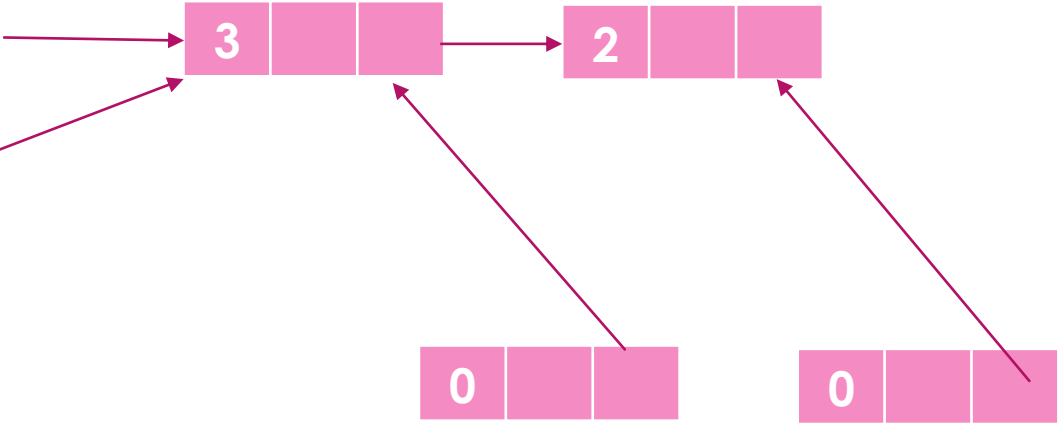
Reference  
count (RC)

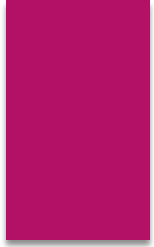
free\_list



p

q





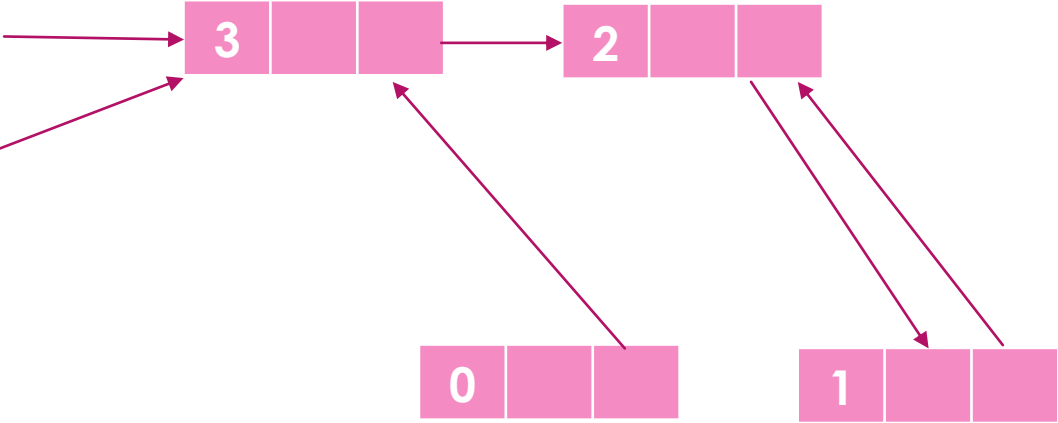
Reference  
count (RC)

free\_list



p

q



# Reference Counting

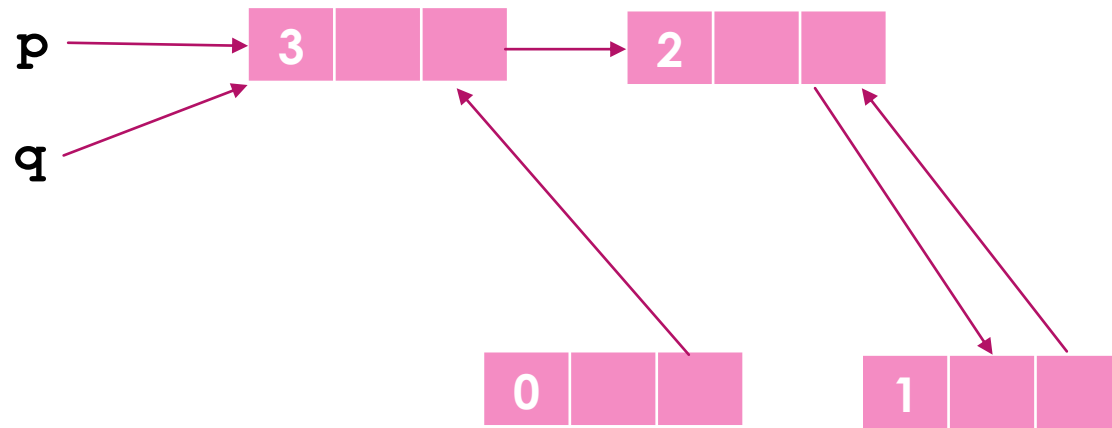
- ▶ *new* – allocates a node from *free\_list* and sets its RC to 1
- ▶ *delete* – RC set to 0 and node returned to *free\_list*

# Reference Counting

- ▶ For pointer assignment  $q=p$
- ▶ RC of  $p$  increased by 1
- ▶ RC of node earlier pointed to by  $q$ , say node  $x$ , is decreased by 1
- ▶ if RC of node  $x$  becomes 0, return  $x$  to *free\_list* ?

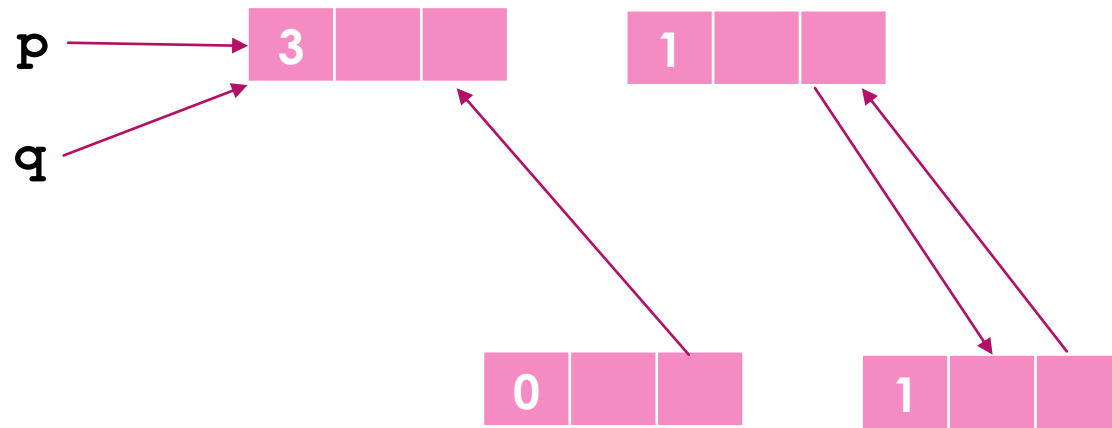
# Reference Counting

- ▶ For pointer assignment  $q = p$ 
  - ▶ RC of  $p$  is increased by 1
  - ▶ RC of node earlier pointed to by  $q$ , say node  $x$ , is decreased by 1
  - ▶ if RC of node  $x$  becomes 0, RC of each descendent of  $x$  is decreased by 1 and  $x$  is returned to *free\_list*, and this step is repeated for each descendent of  $x$
  - ▶ The pointer  $q$  is assigned the value of  $p$



`p.next = null ?`





Two isolated nodes with RC =1 pointing to each other  
Algorithm fails to return these to *free\_list*

# Reference Counting

- ▶ Invoked dynamically - whenever a pointer assignment or other heap action is triggered by the program
- ▶ Overhead associated with GC is distributed over the run-time life of the program
- ▶ Fails to detect inaccessible circular chains
- ▶ Storage overhead for keeping RC
- ▶ Performance overhead

# Garbage Collection

- ▶ Three major strategies
  - ▶ Reference Counting ✓
  - ▶ Mark-sweep
  - ▶ Copy collection

# Mark-Sweep

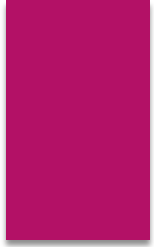
- ▶ Called into action only when the heap is full
- ▶ Allocation, deallocation, pointer assignments can be without GC overhead
- ▶ Once invoked GC is time-consuming

# Mark-Sweep

- ▶ Invoked when a new node is requested and the heap is full
- ▶ Makes two passes on the heap
  - ▶ Mark pass – every reachable heap block is marked
  - ▶ Sweep pass – returns all unmarked nodes to the free list

# Mark bit

- ▶ A mark bit attached to each heap node
  - ▶ initialized to 0
  - ▶ set to 1 if node is reachable



*free\_list* null

# Mark pass

- ▶ Every reachable heap block is marked
- ▶ Reachable?
  - ▶ Reachable by following a chain of pointers originating in the run-time stack
    - ▶ Local variables in the activation record





*free\_list* null

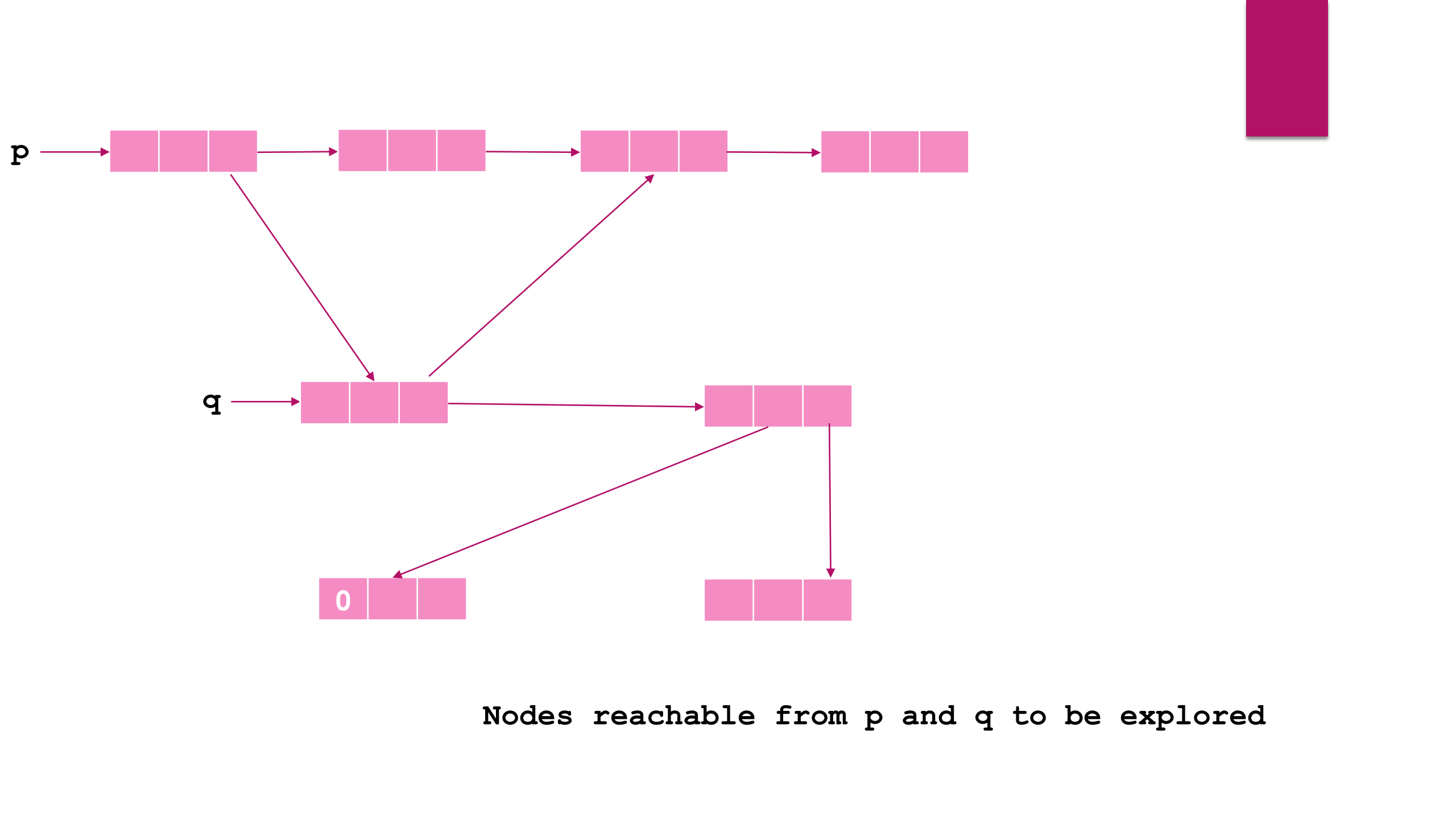
Heap after Pass I



Heap after Pass II

# Mark and Sweep

- ▶ Cells with more than one pointer field
  - ▶ Tree node with left and right child links
- ▶ Reachable nodes
  - ▶ Reachable through any of the links



# Mark and Sweep

- ▶ **Depth First Search (DFS)**
  - ▶ Recursive – space overhead
  - ▶ Non recursive algorithms preferred
- ▶ **From which node to start DFS?**
- ▶ **Graph Search Algorithms**

# Garbage Collection

- ▶ **Three major strategies**
  - ▶ Reference Counting ✓
  - ▶ Mark-sweep ✓
  - ▶ Copy collection

# Copy Collection

- ▶ Called only when the heap is full
- ▶ Makes only one pass in the heap

# Copy Collection

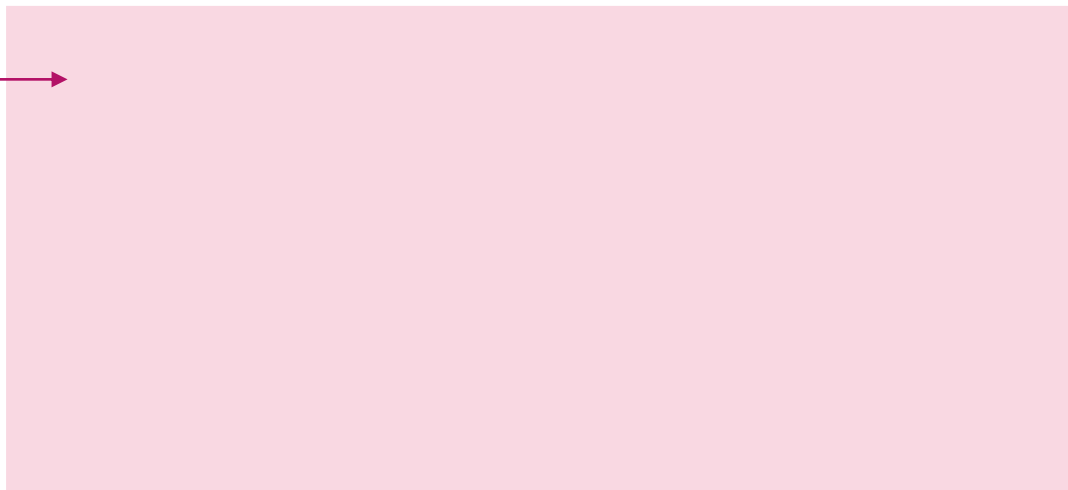
- ▶ Heap divided into two identical blocks
  - ▶ From-space
  - ▶ To\_space
- ▶ No extra mark field
- ▶ No free\_list



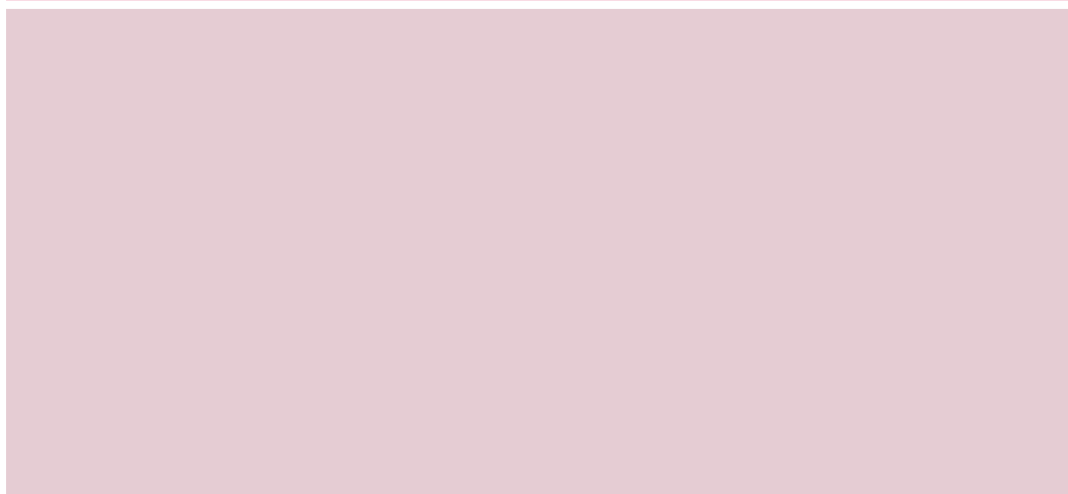
# Copy Collection

- ▶ Initially heap is divided into two identical blocks
  - ▶ *from-space*
  - ▶ *to\_space*
- ▶ All active nodes in *from\_space*
- ▶ *to\_space* is unused
- ▶ A pointer *free* points to the end of the allocated area in the *from\_space*

**free**



**from\_space**

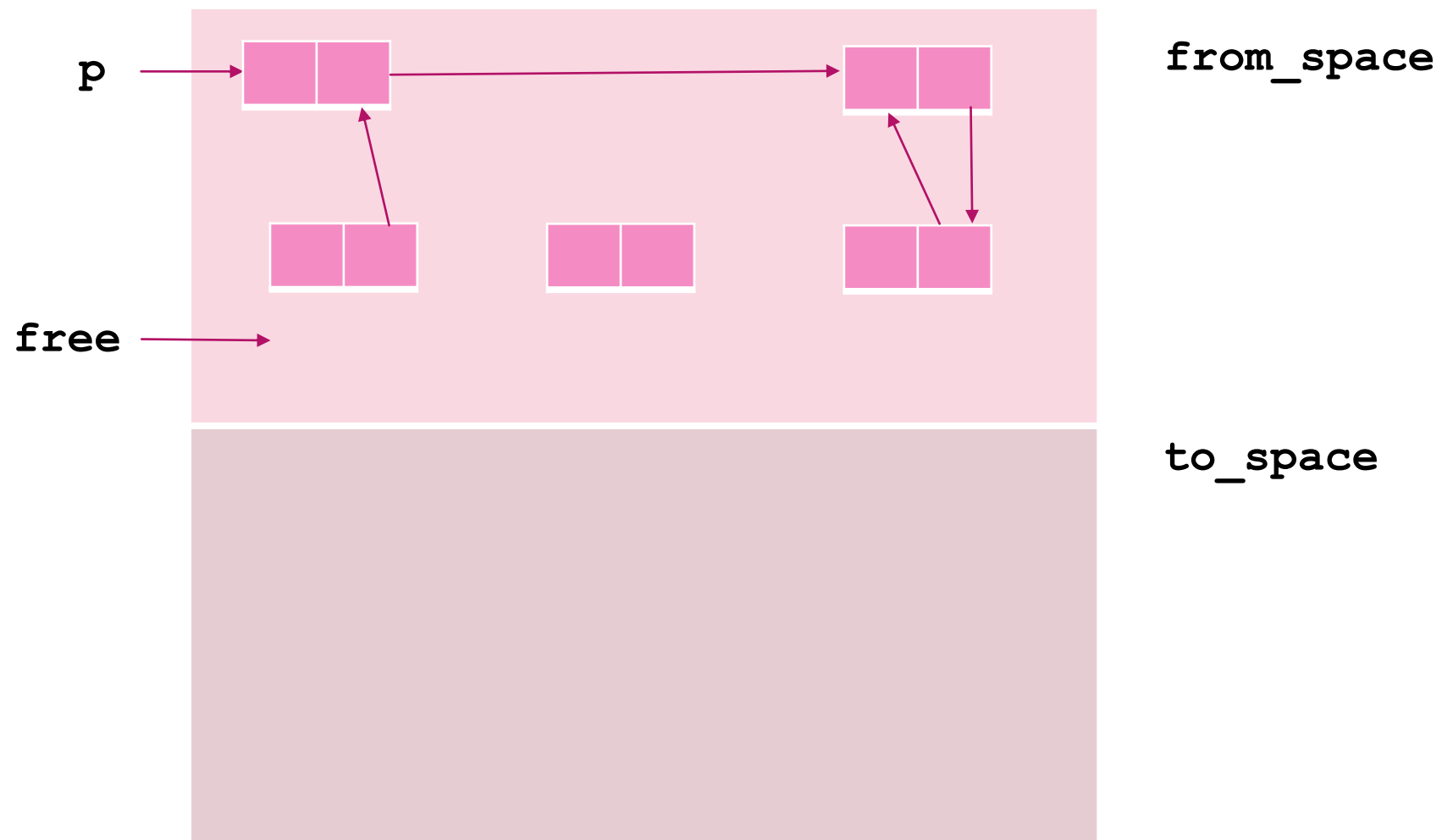


**to\_space**



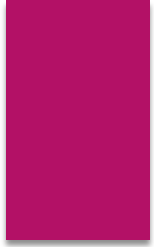
# Copy Collection

- ▶ **Allocating new node**
  - ▶ Next available block referenced by free is allocated
  - ▶ Free is updated



# Copy Collection

- ▶ No free memory available for allocating new node
  - ▶ Invoke copy collection
    - ▶ Allocated blocks copied to the *to\_space*
    - ▶ Roles of *to\_space* and *from\_space* are reversed
    - ▶ Eliminates all inaccessible nodes in *from\_space* and tightly repacks the active nodes in *to\_space*



from\_space

to\_space

p  
free



# Copy Collection

- ▶ Faster
- ▶ No extra bit for reference count or marking
- ▶ No *free\_list* to be maintained

# Conclusion

- ▶ Other more complex GC algorithms
  - ▶ Generational GC – heap divided into generations
- ▶ Hybrid approaches – selecting between mark and sweep and copy collection depending on certain parameters
- ▶ Run GC as a low priority process (thread)- executes whenever demand on processing time is low
  - ▶ Reduces GC calls during peak processing time
- ▶ Explicit calls to GC as in Java



# Memory Management

# Managing heap memory

- ▶ **Allocation**
  - ▶ **Algorithms**
    - ▶ First-fit, Best-fit, Buddy System
- ▶ **Compaction**

# Memory

- Static Area
- Stack Area
- Heap Area

# Heap

- ▶ Blocks of memory can be allocated and deallocated dynamically (during program execution)
- ▶ Allocation as a block of the required size (or greater) from the available memory space
- ▶ Memory Management Algorithms
  - ▶ Allocation, deallocation, compaction

# Free list

- ▶ List of heap blocks that are currently not in use (free)
- ▶ Initially the entire heap is free
  - ▶ a single element in the list
- ▶ Allocation algorithm searches the list for a block of appropriate size
  - ▶ Principal Concerns – Speed and Space
    - ▶ Space concerns related with fragmentation

# Heap Memory Management

- ▶ Initially single chunk of free memory
- ▶ Eventually divided into
  - ▶ Allocated blocks
  - ▶ Free blocks
- ▶ Free blocks – linked together as free list
  - ▶ Whenever a block becomes free it can be added to the front of the free list
  - ▶ Fragments in the free list

# Fragmentation

## ▶ Internal Fragmentation

- ▶ Allocates a block that is larger than requested – extra space within the block unused
  - ▶ Block of size 500 allocated for a request of size 400 – 100 Bytes unused

## ▶ External Fragmentation

- ▶ Free space is scattered into multiple blocks but not a single one is large enough to satisfy a request
  - ▶ Free blocks of size 32, 64, 32, 16 available – request for 128 can not be satisfied

# Allocation - Algorithms

- ▶ First-fit : Find the **first** block that is large enough to satisfy the request
  - ▶ For a request of size  $d$  allocate the **first** available block whose size is  $\geq d$
  - ▶ 1000, 2000, 600, 526, 800, 64
  - ▶ Request for 400 – block of size 1000 allocated being the first block
  - ▶ Internal Fragmentation



# Allocation - Algorithms

- ▶ **Best-fit : Find the smallest block that is large enough to satisfy the request**
  - ▶ search the entire free list to find the best fitting block whose size  $\geq d$
  - ▶ To reduce fragmentation
  - ▶ Slower than first-fit
  - ▶ Free list : 1000, 2000, 600, 526, 800, 64
  - ▶ Request for 400 – block of size 526 allocated

# To minimise Internal Fragmentation

- ▶ If the block to be allocated is sufficiently large
  - ▶ divide the block into two before allocation
  - ▶ If the left over portion is large return to free list
  - ▶ otherwise (if size is below some minimum threshold) keep it in the allocated block

# Compaction of empty blocks

- ▶ Whenever a block becomes free check the possibility of combining with an adjacent block
- ▶ Block beginning at  $p$  of size  $s$  is returned
  - ▶ Look for a block beginning at  $p+s$  (block to the right)
  - ▶ If right adjacent block is empty, both can be combined
    - ▶ Remove the right adjacent block from the linked list
      - ▶ Efficient algorithms?
  - ▶ Finding left adjacent free block is more complicated
  - ▶ Alternatively, Initiate Merge only when there is a request that can not be satisfied

# Multiple free lists

- ▶ Cost of allocation with a single free list
  - ▶ Linear in the number of free blocks
- ▶ Reduce search time by maintaining separate free lists for blocks of different sizes (standard size)
  - ▶ Eg : A list for blocks of size 32, another for blocks of size 64 etc..
- ▶ Request for size  $d$  rounded up to the nearest standard size
  - ▶ Search and allocate from the appropriate list
- ▶ Heap is divided into *pools* – one for each standard size

# Dividing the heap

- ▶ Heap is divided into *pools* – one for each standard size
- ▶ Division may be static or dynamic
- ▶ **Buddy System** – a common mechanism for dynamic pool adjustment

# Buddy System

- ▶ Blocks come only in certain sizes
- ▶ Say  $s_1 < s_2 < s_3 < \dots < s_k$  are all the sizes
- ▶ Common choices for size
  - ▶ 1, 2, 4, 8, .... (block sizes are powers of 2)
    - ▶ Exponential buddy system ( $s_{i+1} = 2 * s_i$ )
  - ▶ 1, 2, 3, 5, 8, 13....
    - ▶ Fibonacci buddy system ( $s_{i+1} = s_i + s_{i-1}$ )

# Buddy System

- ▶ All empty blocks of size  $s_i$  are linked in a list
- ▶ Array of headers to each list
- ▶ A block of size  $d$  required
- ▶ Choose the smallest permitted sized block
  - ▶ block of size  $s_i$  such that  $s_i \geq d$  but  $s_{i-1} < d$

# Exponential Buddy System

- ▶ Each block of size  $s_{i+1}$  may be viewed as consisting of two blocks of size  $s_i$
- ▶ A block of size 64 may be viewed as consisting of two **buddies** of size 32 each



# Exponential Buddy System

- ▶ A block of size 28 is requested
- ▶ Search for a block of size 32 (next  $2^k$  size) and allot if available
- ▶ If not, search for block of size 64
- ▶ if available, split into two blocks of size 32
  - ▶ Creates two buddies
  - ▶ Allocate one, add the buddy to the free list for 32
- ▶ If not, look for a block of size 128
- ▶ .....

# Exponential Buddy System

- ▶ A block of size  $2^k$  is not available
- ▶ Search for a block of size  $2^{k+1}$
- ▶ if available, split into two blocks of size  $2^k$  each
  - ▶ Creates two buddies
  - ▶ Allocate one, add the buddy to the free list for  $2^k$

# Buddy System

- ▶ If no free block of size  $s_i$  exists
  - ▶ Find a block of size  $s_{i+1}$  and split into two
  - ▶ One of size  $s_i$  and the other of size  $s_{i+1} - s_i$
  - ▶ Buddy system constraints that  $s_{i+1} - s_i$  must be some  $s_j$  for  $j \leq i$

# Exponential Buddy System –returning blocks

- ▶ A block of size 32 is freed
- ▶ If its buddy is also free, combine together into a single block of size 64
- ▶ Can repeat with the resulting block of size 64, if its buddy is also free

# Conclusion

- ▶ **Heap Memory Management**
  - **Maintaining the free list**
    - Appropriate data structures
  - **Allocation, freeing, compaction**
    - Algorithms
  - **Time, Space trade-off**

# Reference

1. A V Aho, J E Hopcroft, J D Ullman *Data Structures and Algorithms*, Pearson Education Asia, 2000
2. M L Scott *Programming Language Pragmatics*, Second Edition, Elsevier, 2006
3. A B Tucker, R E Noonan *Programming Languages-Principles and paradigms*, Tata Mc GrawHill , 2007

# External Sorting

# External Sorting

- ▶ Sort data residing in secondary memory
- ▶ Huge amount of data
  - ▶ Primary Memory of limited capacity
    - ▶ can not hold all the records simultaneously
- ▶ Merge Sort Algorithm



# Secondary Storage

- ▶ Assume the list to be sorted resides on a disk
- ▶ Block – unit of data that is read from or written to a disk at one time

# External Merge Sort

- ▶ Most popular method
- ▶ Two distinct phases
  - Phase 1: Sorting small segments separately
  - Phase 2: Merging the sorted segments

# External Merge Sort

- ▶ Phase 1: Sorting small segments separately
  - ▶ Segments of the list are sorted using internal sorting
  - ▶ Sorted segments, known as **runs** are written to external storage
- ▶ Phase 2: Merging the runs
  - ▶ The entire runs need not be present in main memory
  - ▶ Keep only the leading records of the runs needed for merge

# External Merge Sort - Example

- ▶ A list of 4500 records to be sorted
- ▶ Main memory can hold only 750 records at a time
- ▶ Divide into 6 segments
- ▶ Sort each segment separately using internal sorting
  - ▶ Generates 6 runs, each run written to disk

# External Merge Sort - Example

4500 records to be sorted

Run 1 : 1-750

Run 2 : 751-1500

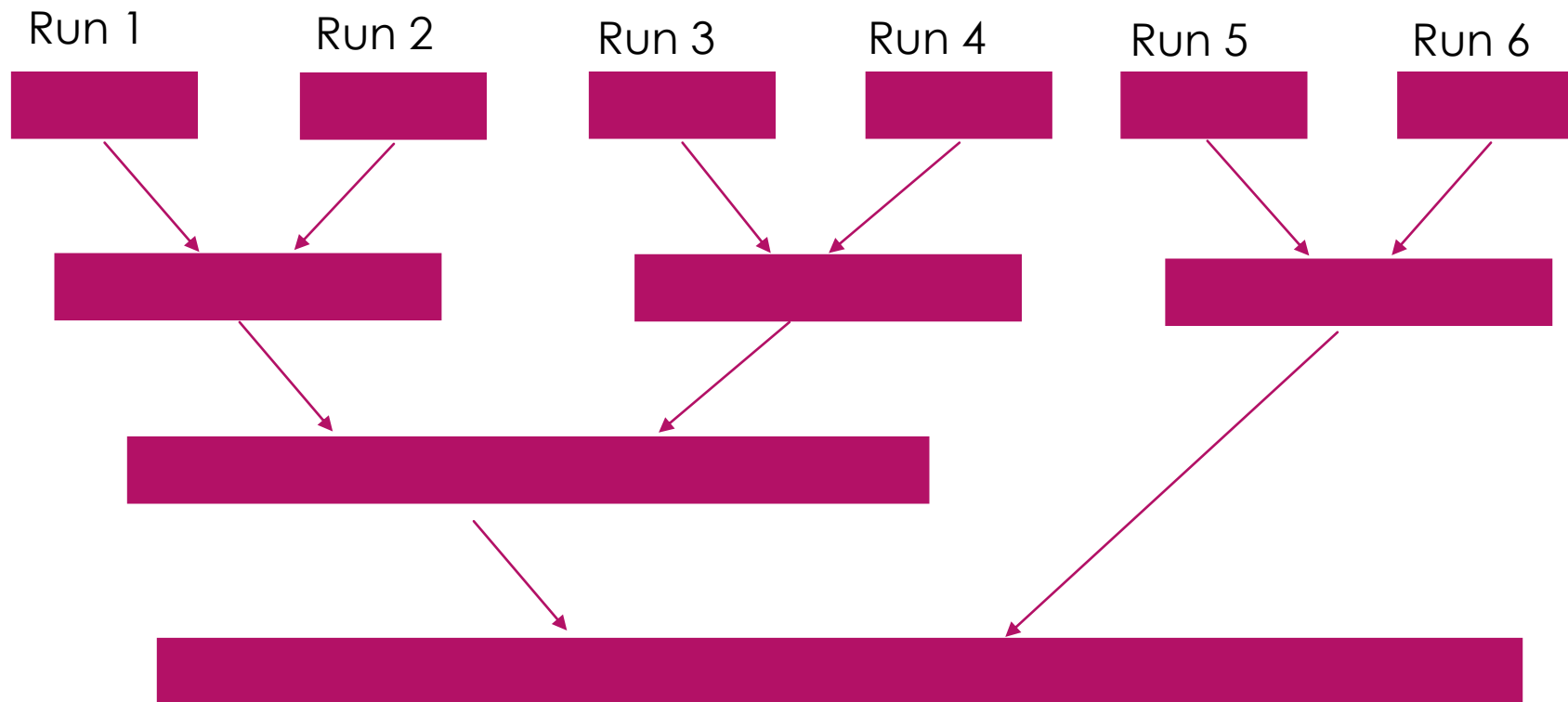
Run 3: 1501 - 2250

Run 4: 2251- 3000

Run 5: 3001 - 3750

Run 6: 3751-4500

# Merging of runs



# Size of a run?

- ▶ Based on block size, length of list, primary memory capacity
- ▶ Assuming block size is 250 records (enough to hold 250 records)
- ▶ Each run composed of 3 blocks

# Merging the runs

- ▶ Merge two runs of size 750 records each
  - ▶ Primary memory can hold only maximum 750 records at a time ?
- ▶ Merging does not require all records together
- ▶ Only the leading records of the two runs brought to main memory



# Merging the runs

- ▶ Use 3 blocks of internal memory
    - ▶ Each can hold 250 records
  - ▶ 2 blocks as input buffers, third as output buffer
  - ▶ One block from each run brought to input buffer
  - ▶ Merged records written to output buffer
- 
- ▶ When output buffer is full?
  - ▶ When an input buffer is empty ?

# Merging the runs

- ▶ One block from each run brought to input buffer (maximum  $250 + 250$ )
- ▶ Merged records written to output buffer (maximum size 250)
- ▶ When output buffer is full ?
  - ▶ write to disk
- ▶ Whenever an input buffer is empty ?
  - ▶ refill with another block from the same run

# External Sort – Time Complexity

- ▶ Time to access disk blocks
  - ▶ Seek Time
  - ▶ Latency Time
- ▶ Time to read/write one block from/to disk
- ▶ Time to internally sort segments
- ▶ Time to Merge

# External Sort – Improvements

- ▶ **Parallelising I/O and internal merging**
  - ▶ Two disks – one for input and the other for output
  - ▶ Proper buffer handling

# External Sort – Improvements

- ▶ 2-way merge with initial  $m$  runs
  - ▶ How many passes ?
- ▶ Higher order merge (k-way merge  $k > 2$ )
  - ▶ Reduce the number of passes required for merging
  - ▶ More buffers required
  - ▶ How many passes for a  $k$ -way merge on  $m$  runs ?
  - ▶ Number of key comparisons in each step?

# Reference

1. A V Aho, J E Hopcroft, J D Ullman *Data Structures and Algorithms*, Pearson Education Asia, 2000
2. E Horowitz, S Sahni, D Mehta *Fundamentals of Data Structures in C++*, Second Edition, Universities Press, 2008