```
def f(t, y, k1, k2, k3):
   E, S, ES, P = y
   dE dt = -k1*E*S + k2*ES+k3*ES
   dS dt = -k1*E*S + k2*ES
   dES dt = k1*E*S - k2*ES - k3*ES
   dP dt = k3*ES
   return np.array([dE_dt, dS_dt, dES_dt, dP_dt])
def runge kutta 4(t0, y0, t max, h, k1, k2, k3):
   t = t0
   y = y0
   while t < t max:
       k1 = h*f(t, y, k1, k2, k3)
       k2 = h*f(t + h/2, y + k1/2, k1, k2, k3)
       k3 = h*f(t + h/2, y + k2/2, k1, k2, k3)
       k4 = h*f(t + h, y + k3, k1, k2, k3)
       y = y + (k1 + 2*k2 + 2*k3 + k4)/6
       t = t + h
   return y
# Set the initial conditions
E0 = 1e-6
S0 = 10e-6
ES0 = 0
P0 = 0
y0 = np.array([E0, S0, ES0, P0])
# Set the time step and maximum time
h = 0.01 \# min
t max = 10 # min
# Set the rate constants
k1 = 100/1e-6
k2 = 600
k3 = 150
# Solve the equations using the Runge-Kutta method
y = runge kutta 4(0, y0, t max, h, k1, k2, k3)
# Print the final concentrations
print("E = ", y[0], "\mu M")
```

 $print("S = ", y[1], "\mu M")$ 

import numpy as np

```
\begin{aligned} & print("ES = ", y[2], "\mu M") \\ & print("P = ", y[3], "\mu M") \end{aligned}
```