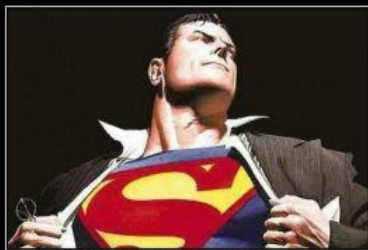


~~Chaos~~
Random





LAWFUL GOOD

Many see him as a naive boy scout whipped by his own selflessness. They will not, cannot, see him for what he is, a hero.



NEUTRAL GOOD

A good tonic, altruism. Nothing helps one put problems in perspective like allegiance to a higher cause.



CHAOTIC GOOD

No rest. No mercy. No matter what.



LAWFUL NEUTRAL

I am the state.



TRUE NEUTRAL

I don't expect you to understand. It's how we should exist. How we were meant to exist.



CHAOTIC NEUTRAL

I'm not gonna split hairs and I'm not gonna fight my teammates. I mean, unless it involves Terry's clothes coming off and mud or chocolate pudding or something like that.



LAWFUL EVIL

Slaves would be tyrants, were the chance theirs.



NEUTRAL EVIL

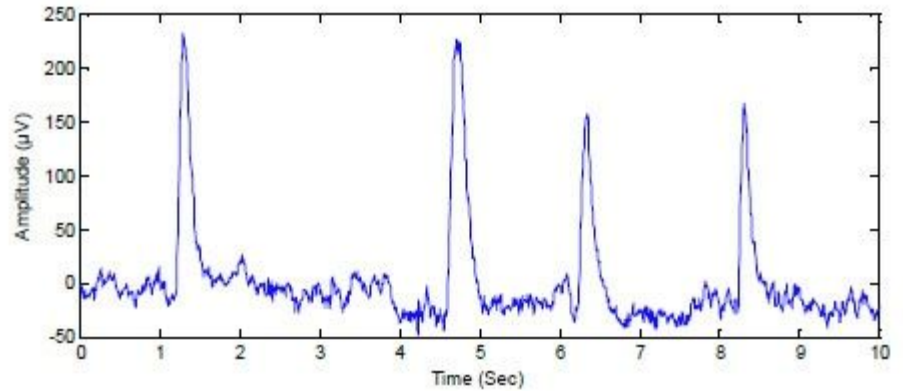
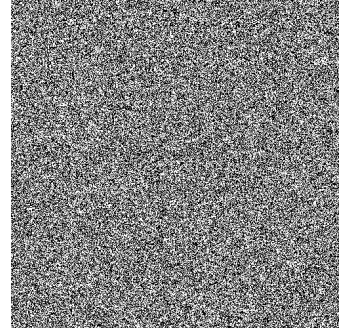
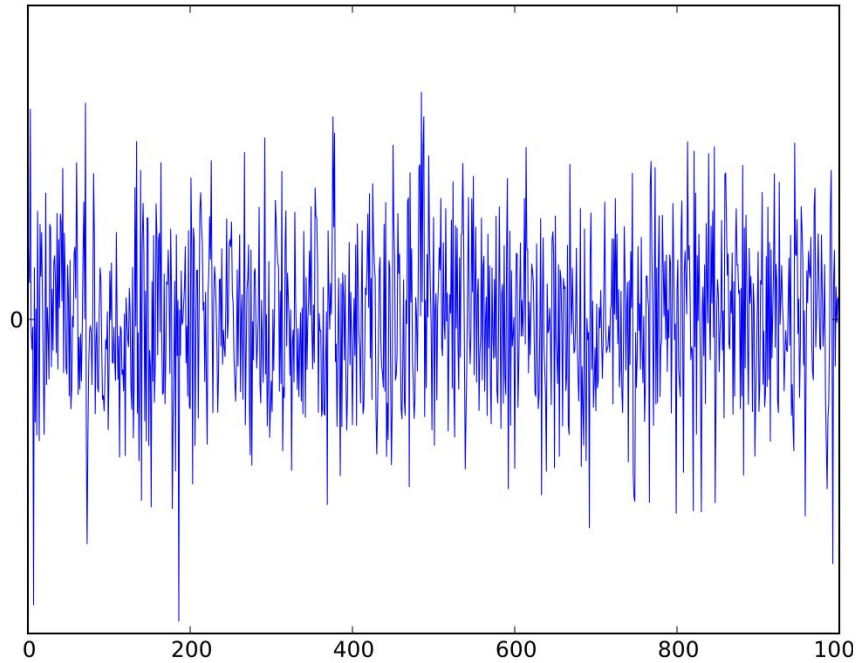
Do you really think fate turned us into gods so we could refuse these gifts?



CHAOTIC EVIL

All it takes is one bad day to reduce the sanest man alive to lunacy. That's how far the world is from where I am. Just one bad day.

Random examples



Random

Not very interesting, because ... wait for the next slide)

```
import random
```

```
random.randint(0, 10)
```

1

Random in np

Better cause can produce large random arrays

```
import numpy as np
```

```
# Uniformly distributed  
# At least 1 argument - ceiling  
np.random.randint(5)
```

From to

```
np.random.randint(-5, 5)
```

-4

Several values

```
np.random.randint(-5, 6, 10)
```

```
array([ 0,  3,  5,  5,  4, -2, -4,  2,  2,  5])
```

Uniformly distributed floats

```
np.random.random()
```

0.943104668696257

Different distributions

Normal

```
np.random.randn(2, 3)
```

```
array([[ -0.30303934,  0.39839465, -0.48802327],  
       [ 0.79074641,  2.01141451,  0.92467618]])
```

Have 2 distribution parameters

```
np.random.beta(1, 2, (2, 3))
```

```
array([[0.04100369, 0.45135484, 0.61265842],  
       [0.89379879, 0.67421185, 0.80170757]])
```

Again 2 parameters

```
np.random.binomial(10, 0.3)
```

4

1 parameter

```
np.random.pareto(3)
```

0.7120484442254971

Normal distribution with arbitrary mean and variance, which are defaulted to 0 and 1

```
np.random.normal(3, 0.1, 3)
```

```
array([3.07348849, 2.88520331, 3.16730714])
```


df parameter

```
np.random.chisquare(5)
```

3.391598378778647

lambda parameter

```
np.random.poisson(3)
```

5

Another parameter

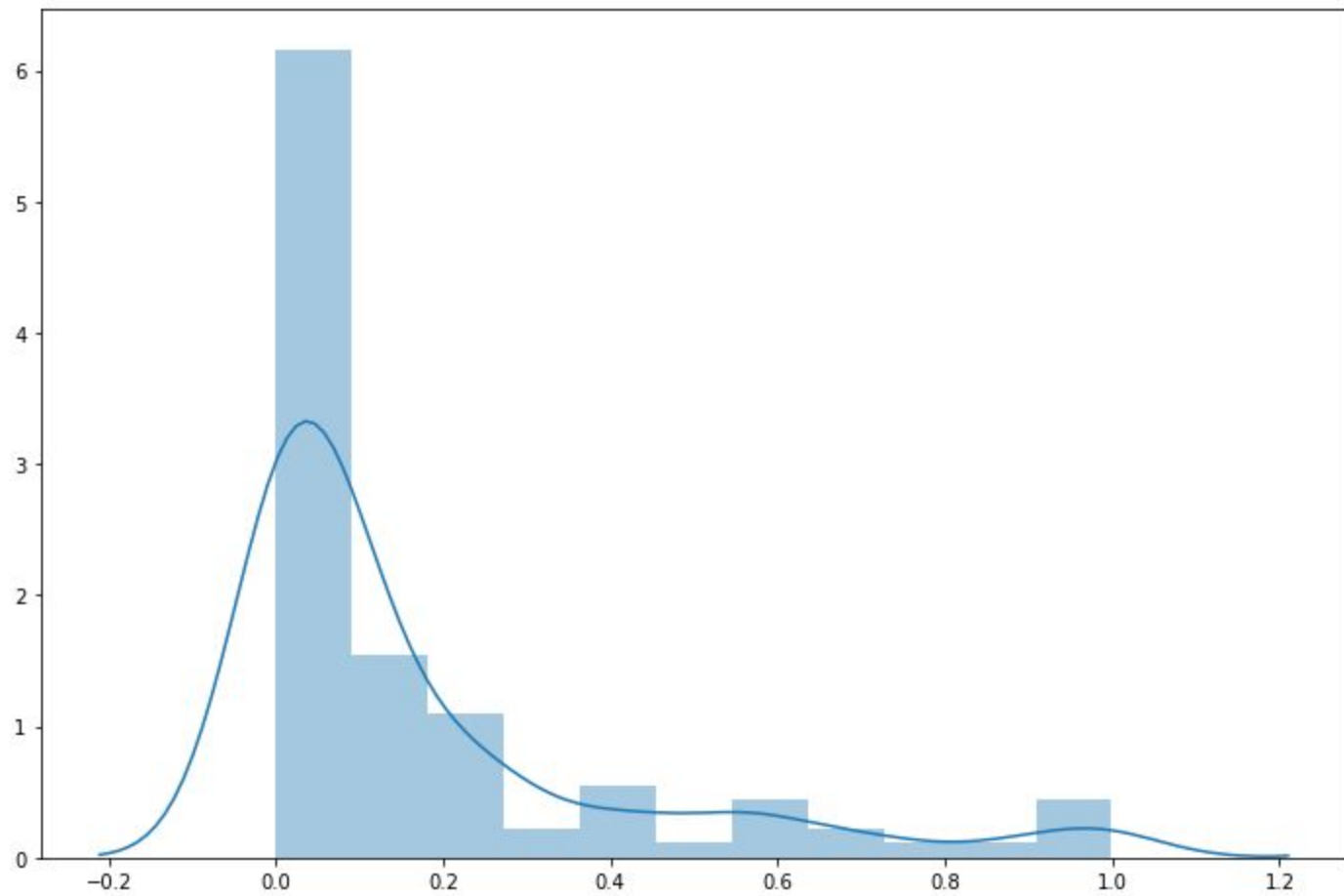
```
np.random.power(3)
```

0.5101895579233388

Distribution illustration

```
import matplotlib.pyplot as plt  
import seaborn as sns
```

```
plt.figure(figsize=(12, 8))  
sns.distplot(np.random.power(0.3, 100))
```



Collections functions

Really handy when you need them

```
numbers = [0, 1, 2, 4, 5, 6, 8, 10, 11]
```

```
# Change the order of the elements  
np.random.shuffle(numbers)
```

```
numbers
```

```
[2, 0, 5, 6, 8, 11, 10, 1, 4]
```

numbers

```
[2, 0, 5, 6, 8, 11, 10, 1, 4]
```

```
# Don't change original array, return copy  
np.random.permutation(numbers)
```

```
array([10,  8, 11,  0,  5,  4,  6,  2,  1])
```

numbers

```
[2, 0, 5, 6, 8, 11, 10, 1, 4]
```

```
# Sample from the collection  
np.random.choice(numbers)
```

6

```
# Many elements  
np.random.choice(numbers, 5)
```

```
array([ 6,  5,  6,  8, 11])
```

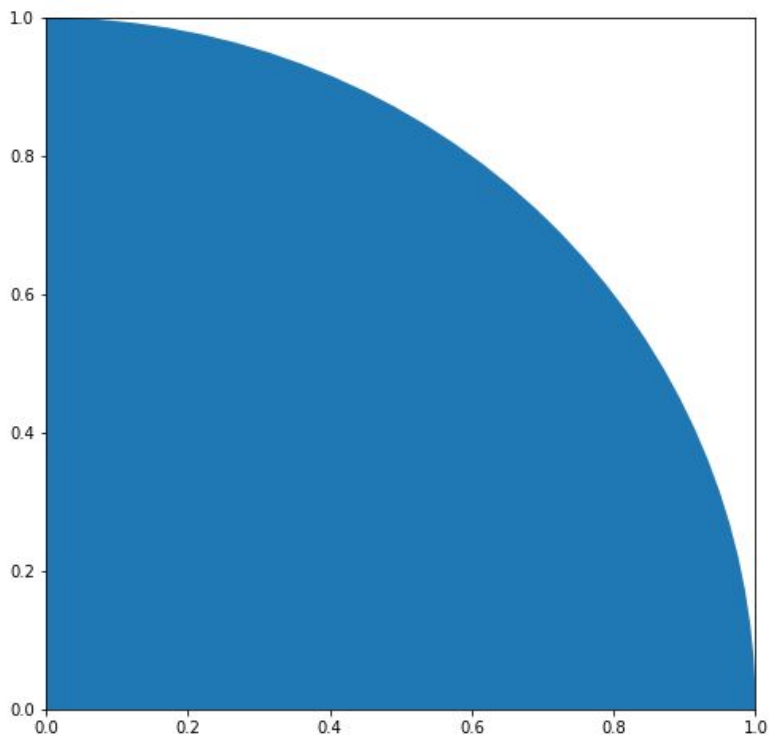
```
# Use each element once  
np.random.choice(numbers, 5, replace=False)
```

```
array([ 2,  0, 10,  1,  8])
```

Use custom probability of rolling for each element

```
np.random.choice(numbers,  
                  5,  
                  replace=False,  
                  p=[0.1316098 , 0.07381153,  
                     0.03022185, 0.19347025, 0.14968923,  
                     0.12112077, 0.17881221,  
                     0.10049474, 0.02076963])  
  
array([10,  8,  1,  5,  4])
```

Random simulation at the π calculation service

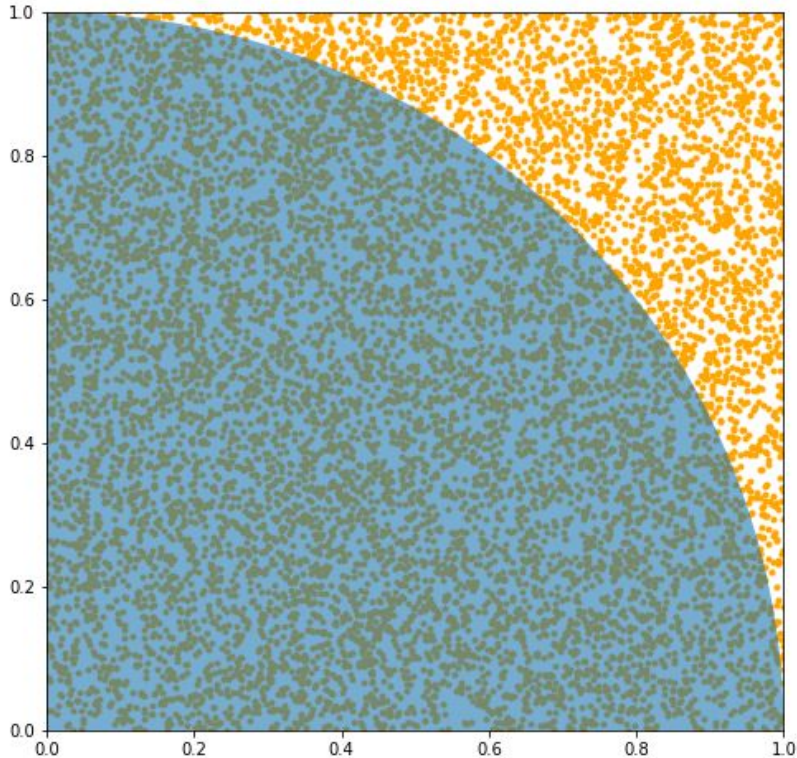


$$S = \frac{\pi \cdot r^2}{4}$$

$$\pi = \frac{4 \cdot S}{r^2}$$

$$S = \frac{\text{points_in_circle}}{\text{all_points}}$$

Calculations



$$r = 1$$

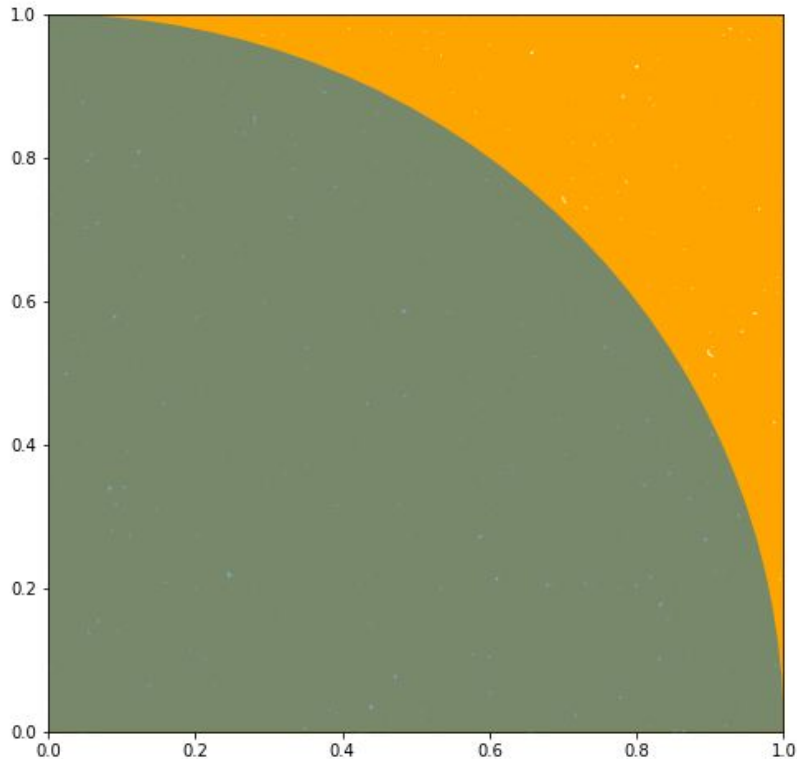
number of all points = 10000

number of points inside circle = 7840

$$S = 0.784$$

$$\pi = \frac{4 \cdot 0.784}{1^2}$$
$$\pi = 3.136$$

Higher accuracy



$$r = 1$$

number of all points = 100000

number of points inside circle = 78532

$$S = 0.78532$$

$$\pi = \frac{4 \cdot 0.78532}{1^2}$$
$$\pi = 3.14128$$