


## Tutorial 4: ARIMA

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Finally, a model where you can use SAS EG. Creating ARIMA is going to be a piece of cake for you!

### Before you start: Create a new process flow

This tutorial assumes that you have already created a project. You need to open it. For this tutorial we will create a new Process Flow, which will let us separate tutorials from each other and keep our project more organized (described in tutorial 2).

**Click on the icon that looks like a sheet of paper → Process Flow → Right click on the icon Process Flow once you see in the pane on the left  Process Flow → Call it tutorial4.**

When you work with the materials for Tutorial3, make sure you left click on that Process Flow so that all the new datasets you open and create, get opened under that tutorial.

**For this tutorial we are going to use QUERY\_FOR\_BIKESHARINGDAILY**, that we created in tutorial 1.

### Running a libname statement!

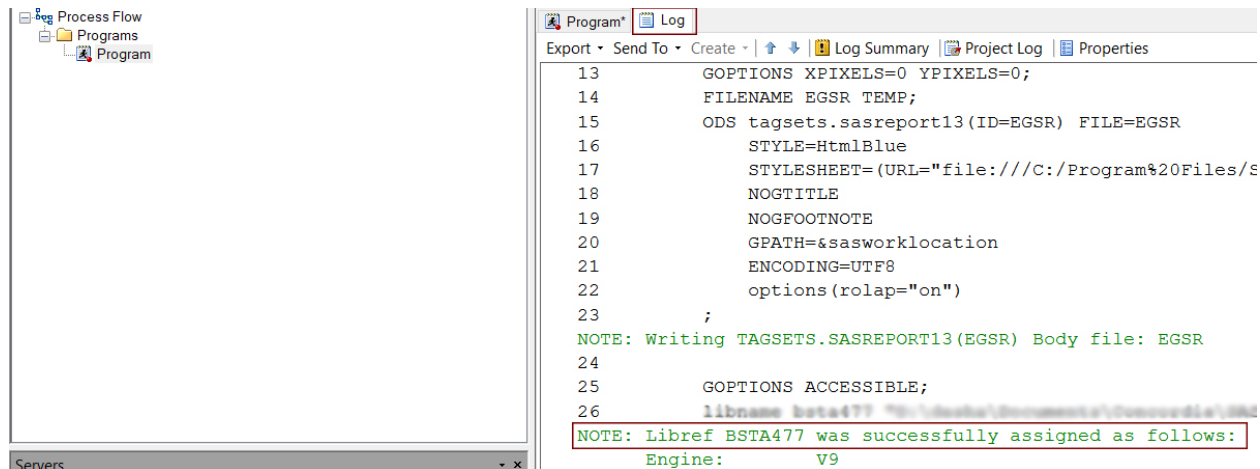
If you work from your own computer and you have assigned a permanent libname statement, you don't have to do anything.

If you are working from the school's computer, then just open a new project and run a libname statement in a SAS program. Make sure that you are in the TUTORIAL4 Process Workflow.

Click on the icon that looks like a sheet of paper → Choose program → Type the libname statement (as shown below)

```
libname bsta477 "C:\bsta477";
```

Remember to always check the log. It will show whether the library has been successfully assigned or not!



## Autocorrelation and Partial Correlation Plots

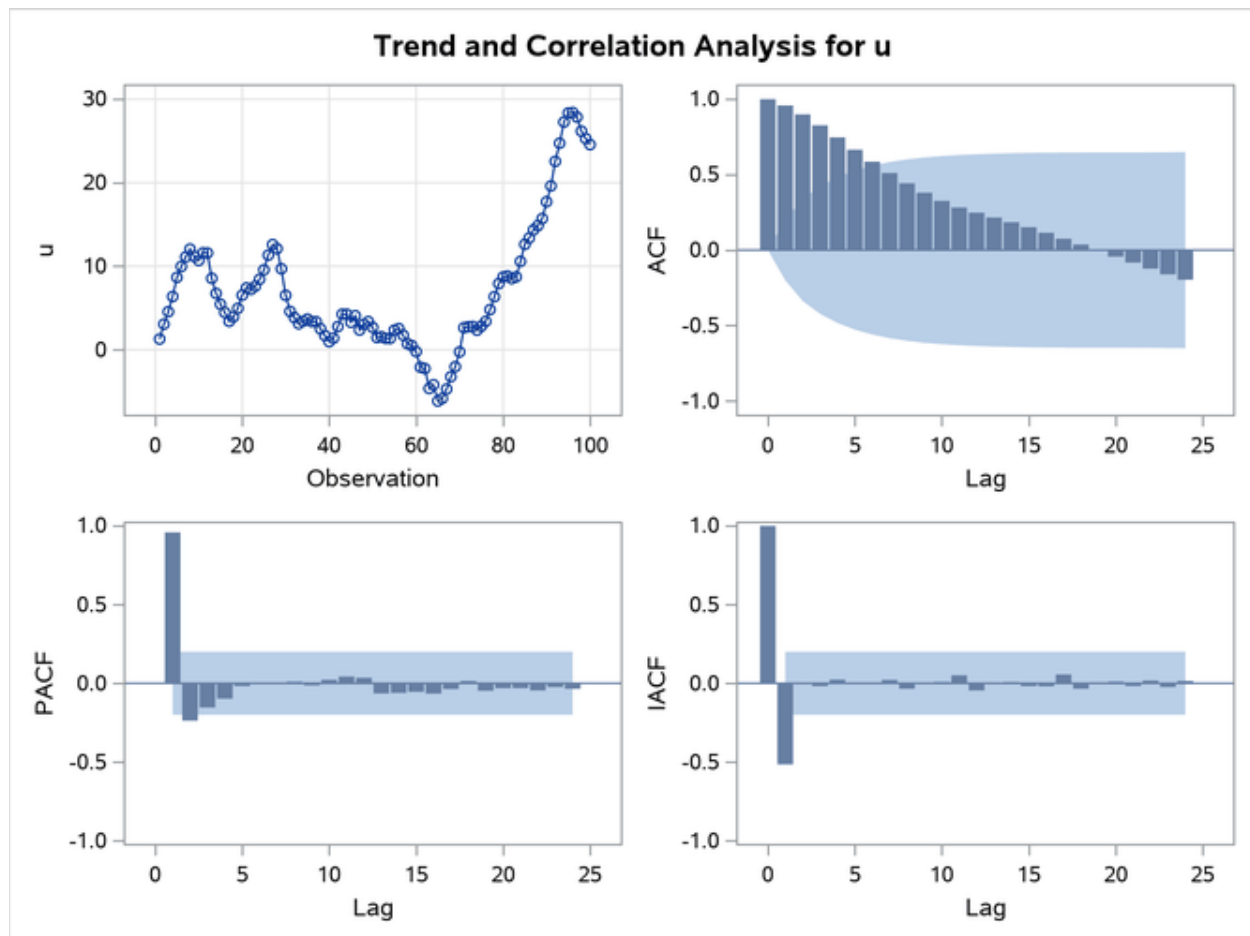
When applying ARIMA we should make sure that our data is stationary and we should also investigate what order of processes we should apply. Shall we use MA, AR or just difference the data?

**A. Look at the autocorrelation (ACF) and partial (PACF) autocorrelation plots to estimate what order autocorrelations and what processes we have in the data.**

**Time series graph.** You can visually examine the time series plot and assess whether there seems to be a trend and seasonality. In the case of the output presented here, we may see that the trend is present since the time series data points depart from the mean and don't randomly fluctuate around it. We cannot say much about seasonality, though, since it may be masked by the trend or, perhaps, we would need to zoom in and investigate a short period of time to see the data closer and estimate the presence of seasonality.

**ACF and PACF plots.** Other clues to look for would be ACF and PACF plots – Autocorrelation and Partial autocorrelation plots. How do we know if we are dealing with strong or moderate autocorrelations? By looking at the confidence interval of 95%, which is represented by the blue ribbon surrounding the mean of 0. All spikes within that blue ribbon would correspond to low or insignificant autocorrelation. The spikes that go over it correspond to moderate or strong autocorrelations. The higher the spikes, the stronger the level of autocorrelations.

When you do a preliminary analysis of your data, SAS will produce this output:



**ACF.** By looking at the autocorrelation plot we can assess whether there is a trend. A good indicator of a trend is a few autocorrelation coefficient spikes in row that go over the blue ribbon. We would expect strong autocorrelations at time lags of 0 and 1, because when there is no lag (lag0), the data point (say, January 2018) perfectly correlates with itself (with January 2018, which is represented by lag0). At lag1 we would still expect some autocorrelations present since February sales are related to January sales. However, if there is no trend present in the data, we would expect a sudden drop in autocorrelation coefficients for lag2, lag3 and so on. In this case we can see strong autocorrelations up to lag5. So, there is a trend present in the data, which we have already visually identified when we were examined the time series plot.

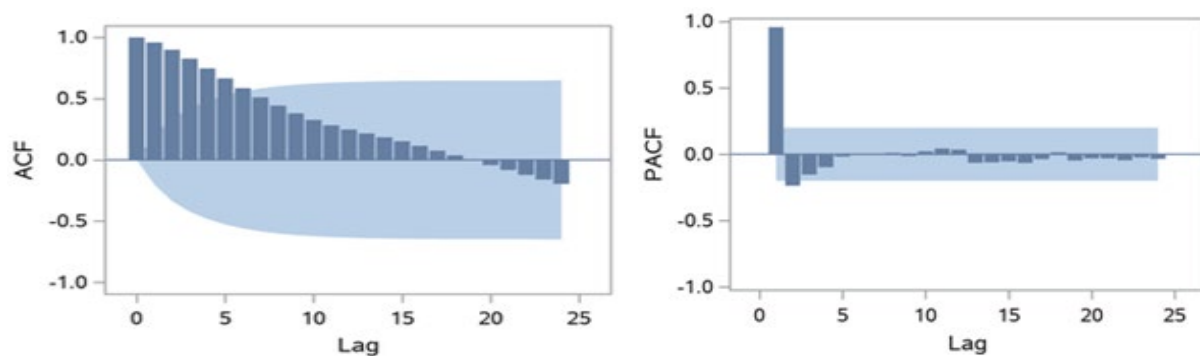
**PACF:** Sometimes the trend can mask seasonality, and but we can still look at the PACF (partial autocorrelation plot). We should investigate it for spikes exceeding the confidence interval level. We should be looking for the highest spike in a range of spikes. Once identified, that spike may indicate a seasonality interval, i.e. 6 months or 2 months etc. In this case it doesn't seem that there is any seasonality in the data present. But! It can also be masked by the trend. To continue the examination, we

should have a look at this plot again after we difference the data, say, a lag1 for starters. The plot may look different then.

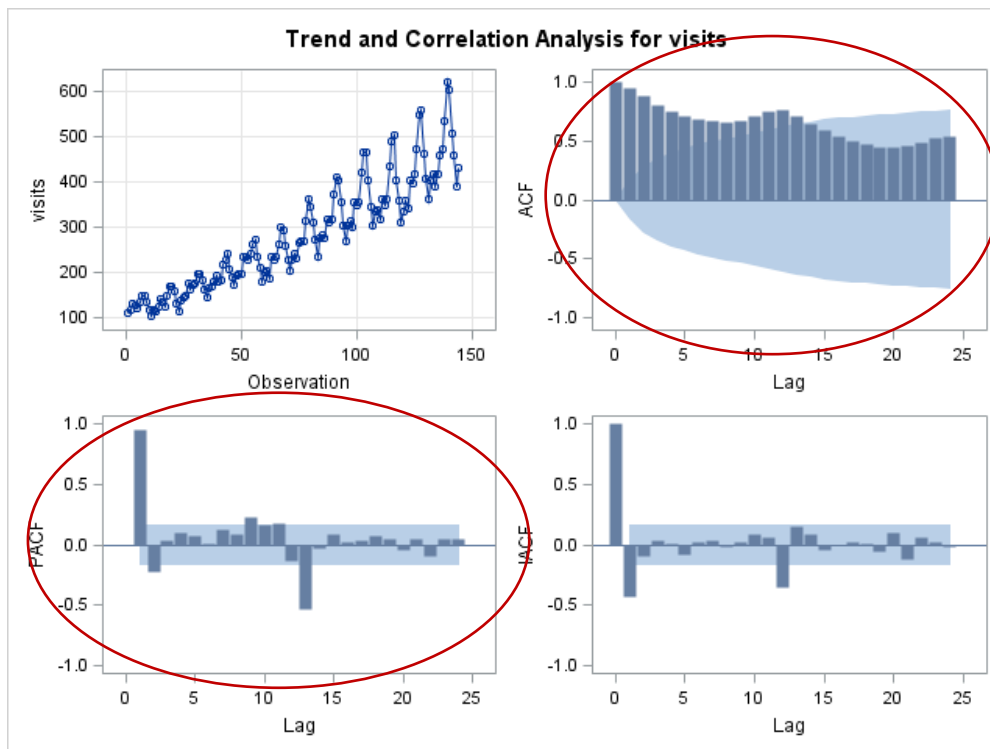
### What else are ACF and PACF plots good for?

They are good for assessing which processes you are dealing with and at which order: AR or MA and is it AR(1) or MA(2) etc.? A way to find it out is to look at the ACF and PACF plots.

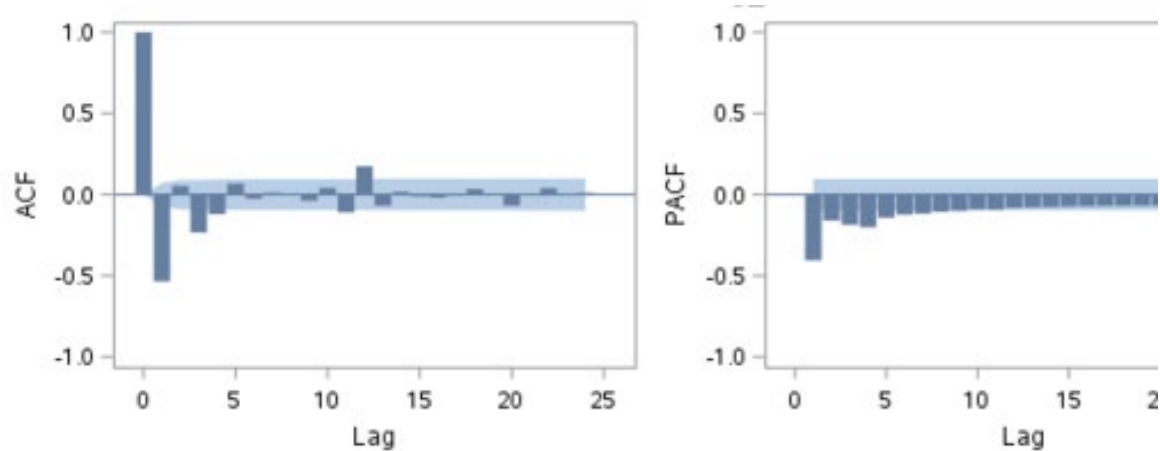
**AR process.** The plots presented below are typical for AR processes: Autocorrelations gradually fall to zero at the ACF (autocorrelation plot) and there are a few spikes at the Partial autocorrelation plot (PACF).



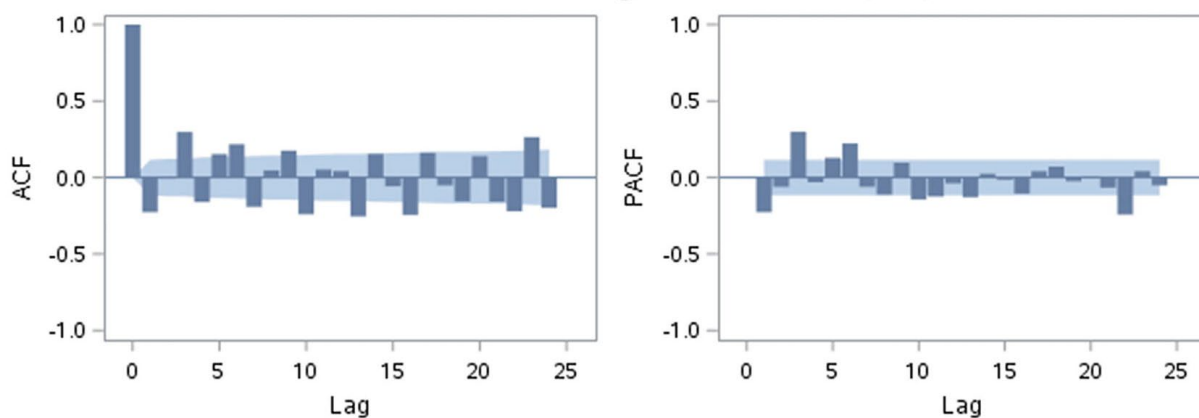
Or another example



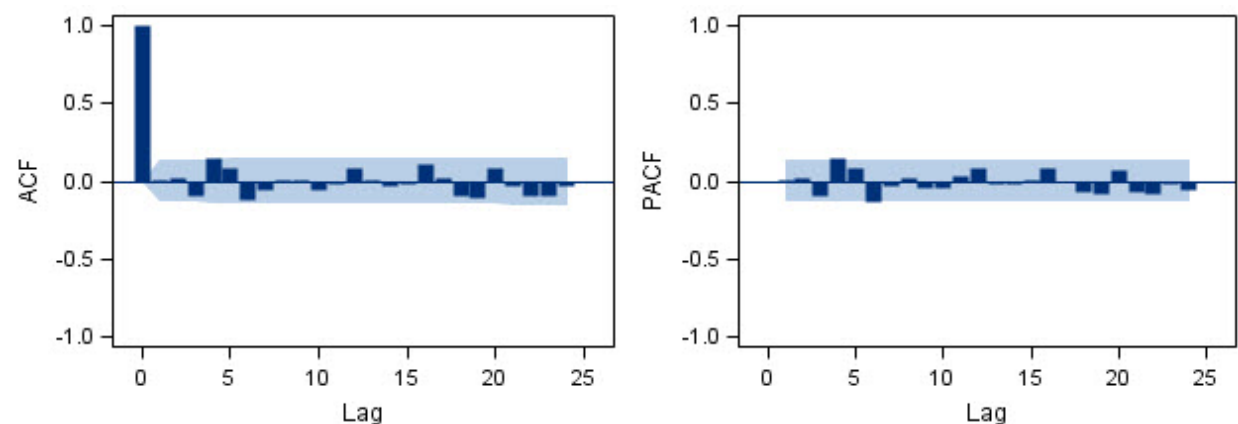
**MA process.** The plots behavior will be an inverse of what is observed for the AR processes: there are a few spikes at the Autocorrelation plot (ACF) and autocorrelations gradually fall to zero at the Partial autocorrelation plot (PACF).



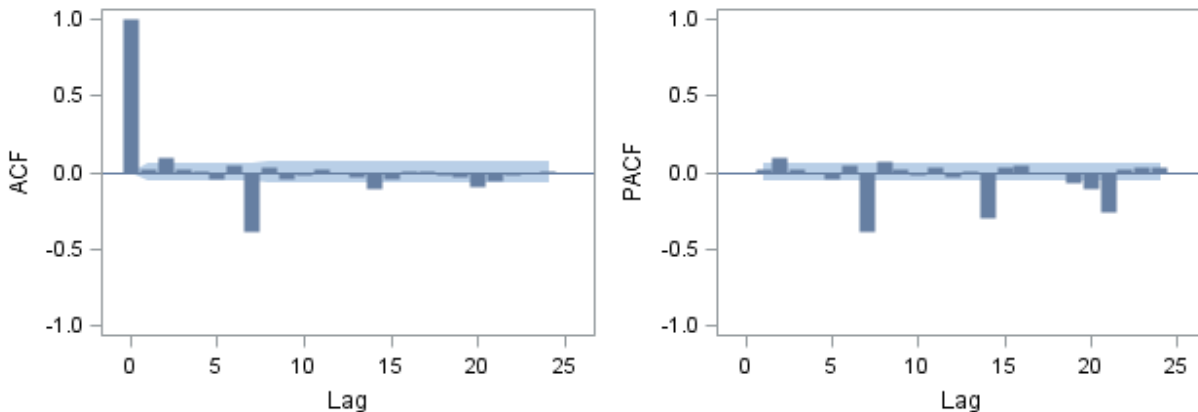
**Both processes are present:**



**An example of stationary data:**



### An example of seasonality in the data:



### How good is your model?

After you have done your forecasting, you should estimate the goodness of fit of your model and look at the residual autocorrelation and partial autocorrelation plots. They should help you identify whether your model is going to be robust and reliable. No autocorrelations or partial autocorrelations should be present.

Also, check the Ljung-Box statistics (White Noise in SAS) to see whether any strong correlations are present.

### Prepare your time series data for analysis

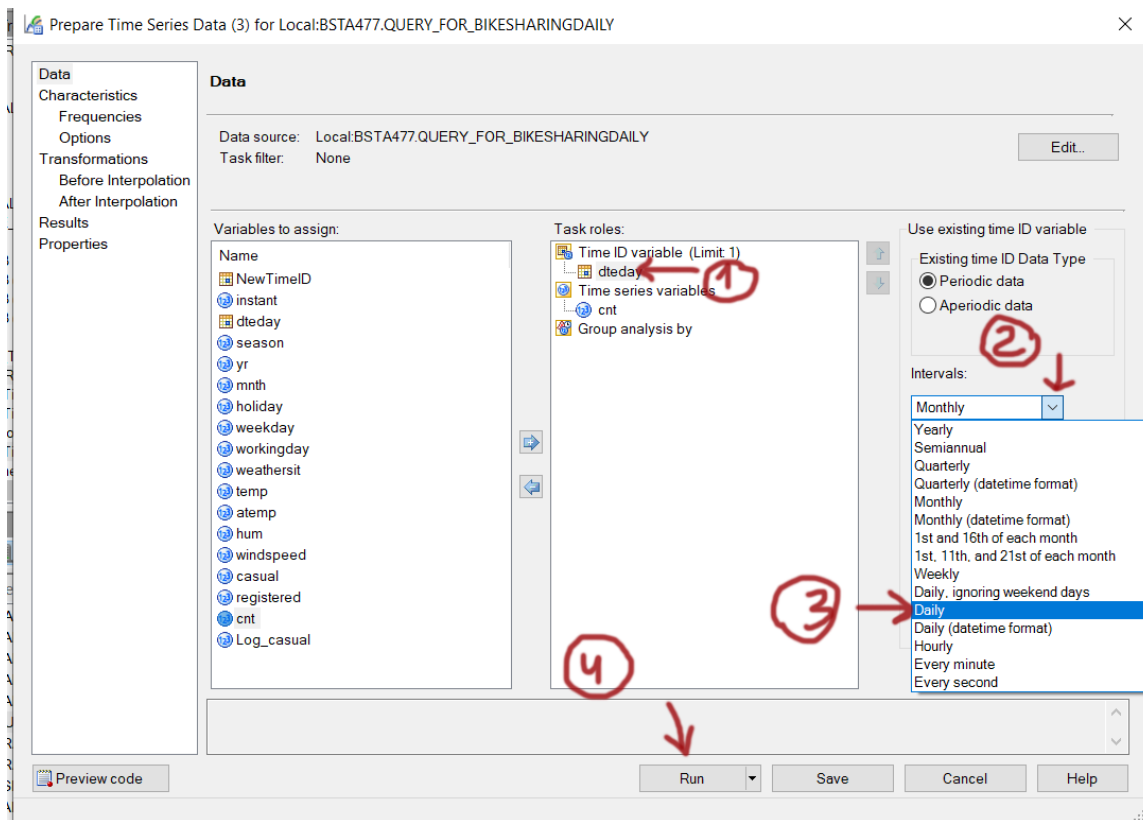
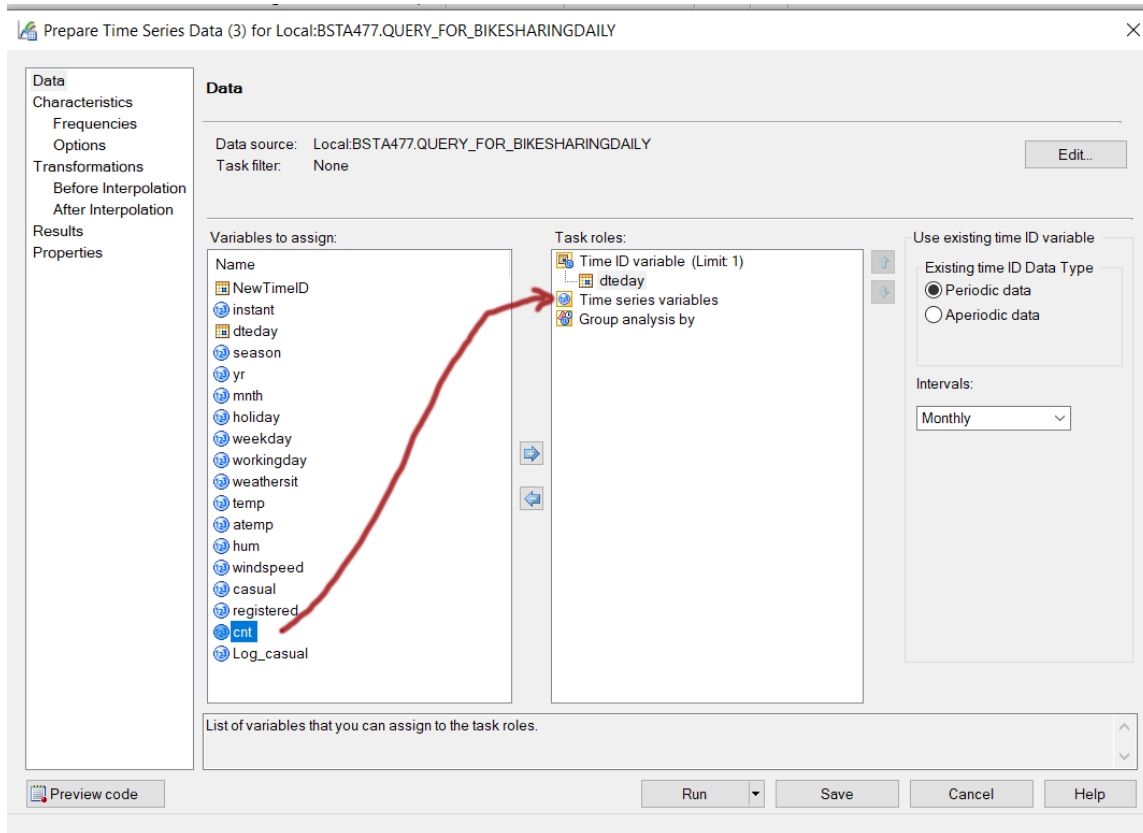
**Open the dataset → Analyze → Time series → Prepare Time Series Data → Drag cnt to the Time series variables → Click on the Time ID variable → Click on the arrow to the right under Intervals → Select Daily → Click Run to create a temporary dataset, which we are going to be using for the further analysis.**

P.S. If you want to save it **permanently!!!**, before you click run, go to Results → Browse → Find the library you assigned before → Give it your name → Save.

	weekday	workingday	weathersit	temp	cnt
1	6	0	1	0.278333	
1	0	0	1	0.245833	
1	1	1	1	0.313333	
1	2	1	2	0.291667	
1	3	1	1	0.296667	
1	4	1	1	0.28087	
1	5	1	1	0.298333	
1	6	0	2	0.298333	
1					0.3475
1					0.4525
1	12	0			0.75833
1	12	0			0.88333

## BSTA477 – Fall, 2019: Tutorial 4

Dariia Dziuba



We are going to be using this dataset for further analysis!

## ARIMA: Step 1 – examine your data

We are going to work with the dataset that we have just prepared for analysis in the previous step. It should be open. If not, you can easily locate it in the work library:

The screenshot shows the SAS Enterprise Guide interface. The Project Tree on the left lists various datasets, including 'TUTORIAL2\_SAS\_PROGRAM' and 'TUTORIAL3'. The Servers pane on the bottom left shows the 'Local' server with libraries like 'MAPS', 'MAPSGFK', 'MAPSSAS', 'SASHELP', 'SASUSER', 'WORK', and 'PRODSAVAIL'. The 'WORK' library is highlighted, and the dataset 'TSDTIMESERIESOUTDATA\_0001' is selected. The main window displays a table of data with columns 'dteday' and 'cnt'.

	dteday	cnt
691	2012-11-21	5146
692	2012-11-22	2425
693	2012-11-23	3910
694	2012-11-24	2277
695	2012-11-25	2424
696	2012-11-26	5087
697	2012-11-27	3959
698	2012-11-28	5260
699	2012-11-29	5323
700	2012-11-30	5668
701	2012-12-01	5191
702	2012-12-02	4649
703	2012-12-03	6234
704	2012-12-04	6606
705	2012-12-05	5729
706	2012-12-06	5375
707	2012-12-07	5008
708	2012-12-08	5582
709	2012-12-09	3228
710	2012-12-10	5170
711	2012-12-11	5501
712	2012-12-12	5319
713	2012-12-13	5532
714	2012-12-14	5611
715	2012-12-15	5047
716	2012-12-16	3786
717	2012-12-17	4585
718	2012-12-18	5557
719	2012-12-19	5267
720	2012-12-20	4128
721	2012-12-21	3623
722	2012-12-22	1749
723	2012-12-23	1787
724	2012-12-24	920
725	2012-12-25	1013
726	2012-12-26	441
727	2012-12-27	2114
728	2012-12-28	3095
729	2012-12-29	1341
730	2012-12-30	1796
731	2012-12-31	2729

Open the dataset → Analyze → Time series → ARIMA Modelling and Forecasting  
 → Data: Drag cnt to the right, under Time Series variable → Stage1: Identification  
 → Plots and results → if you want to: Save acutoccorelations and cross  
 covariances. It will give you a table with exact autocorrelations → Run → Study  
 the autocorrelation and partial autocorrelation plots to decide if differencing is  
 needed, whether there are AR or/and MA processes are present as well as what  
 order.



ARIMA Modeling and Forecasting ▾

Input Data Code Log Results

Filter and Sort Query Builder Where Data Describe Graph Analyze Export Send To

instant	dteday	season	yr	weekday	workingday	weathersit	temp
694	2012-11-24	4	1	6	0	1	0.278
695	2012-11-25	4	1	0	0	1	0.245
696	2012-11-26	4	1	1	1	1	0.313
697	2012-11-27	4	1	2	1	2	0.291
698	2012-11-28	4	1	3	1	1	0.296
699	2012-11-29	4	1	4	1	1	0.28
700	2012-11-30	4	1	5	1	1	0.298
701	2012-12-01	4	1	6	0	2	0.298
702	2012-12-02	4	1				
703	2012-12-03	4	1				
704	2012-12-04	4	1				
705	2012-12-05	4	1	12	0		
706	2012-12-06	4	1	12	0		
707	2012-12-07	4	1	12	0		
708	2012-12-08	4	1	12	0		
709	2012-12-09	4	1	12	0		
710	2012-12-10	4	1	12	0		
711	2012-12-11	4	1	12	0		
712	2012-12-12	4	1	12	0		
713	2012-12-13	4	1				

ANOVA  
Regression  
Multivariate  
Survival Analysis  
Capability  
Control Charts  
Pareto Chart...  
Time Series  
Data Mining

Prepare Time Series Data...  
Basic Forecasting...  
ARIMA Modeling and Forecasting...  
Regression Analysis with Autoregressive Errors...  
Regression Analysis of Panel Data...  
Create Time Series Data...  
Forecast Studio Create Project...  
Forecast Studio Open Project...  
Forecast Studio Override Project...

ARIMA Modeling and Forecasting (2) for Local:WORK.TSDTIMESERIESOUTDATA\_0001

Data

Stage 1: Identification  
Differencing  
Stationarity tests  
Plots and results  
Stage 2: Estimation  
Enable estimation steps  
Model definition  
Model options  
Results  
Stage 3: Forecasting  
Enable forecasting steps  
Options  
Plots and results  
Titles  
Properties

Data

Data source: Local:WORK.TSDTIMESERIESOUTDATA\_0001  
Task filter: None

Variables to assign:

Name
NewTimeID
dteday
cnt

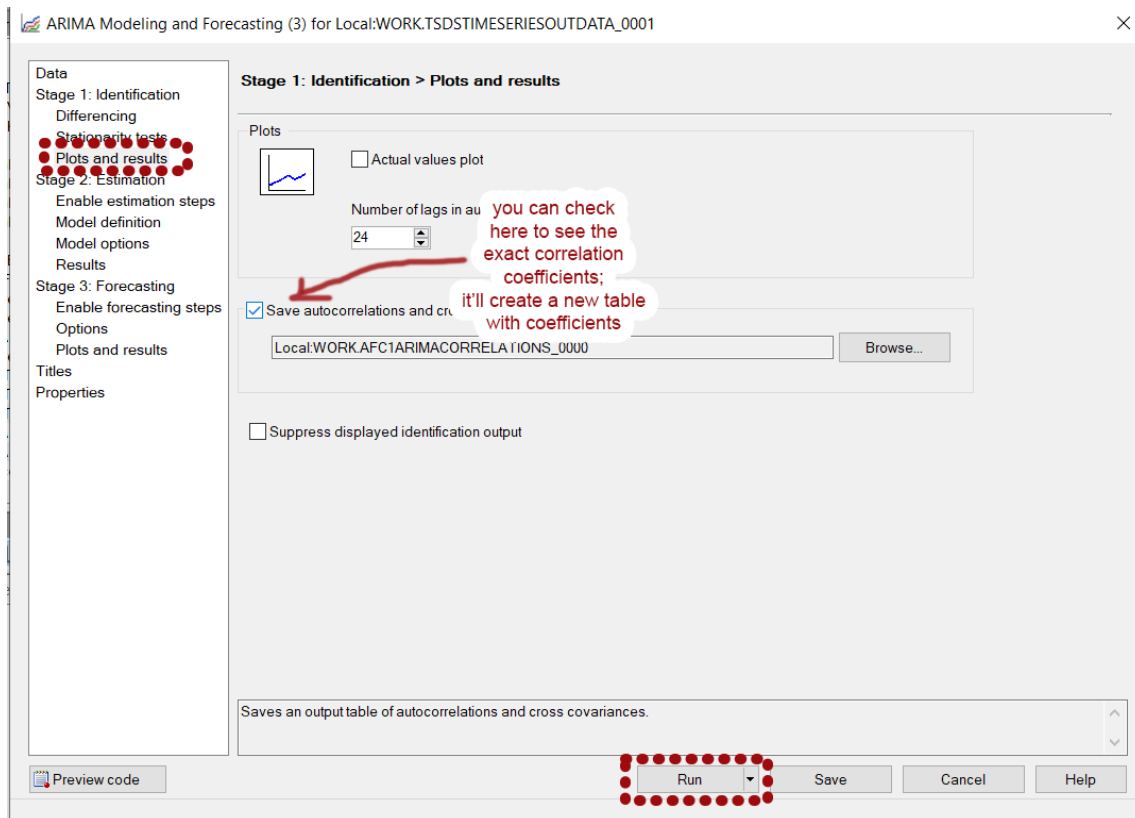
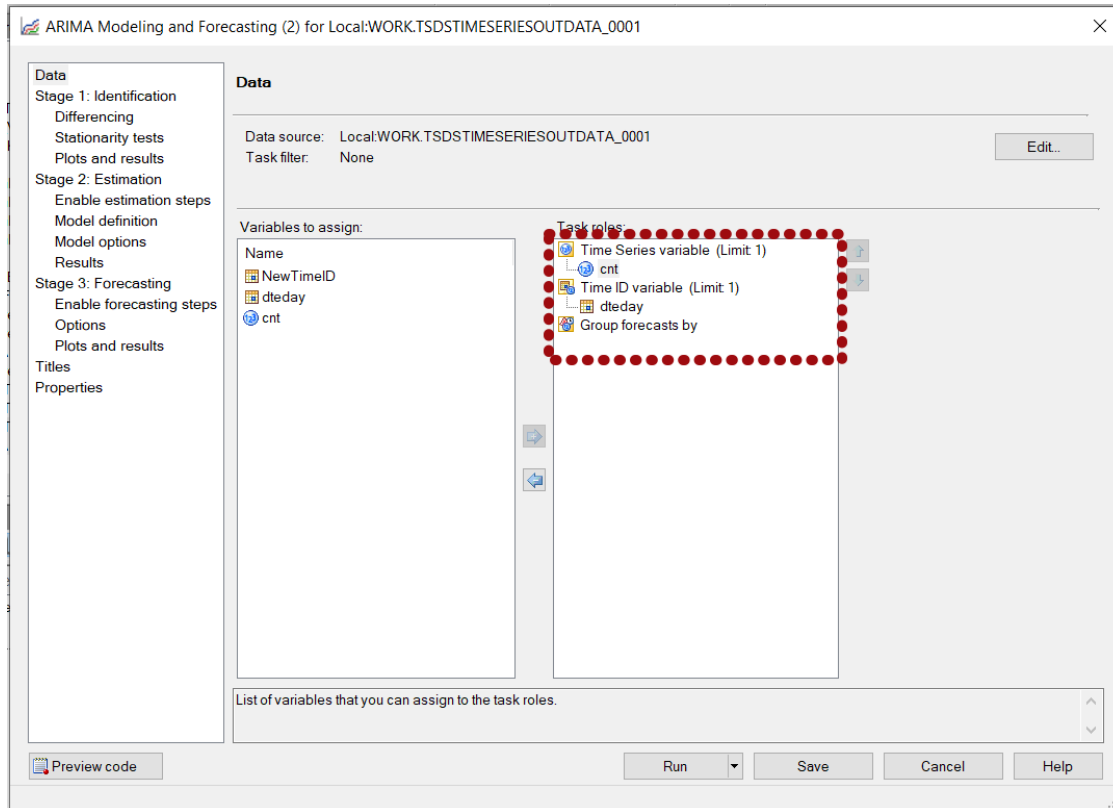
Task roles:

Time Series variable (Limit 1)
<variable required>
Time ID variable (Limit 1)
dteday
Group forecasts by

List of variables that you can assign to the task roles.

Preview code Run Save Cancel Help

The "Time Series variable" role must have a variable assigned to it.



## ARIMA Modeling and Forecasting

### Results

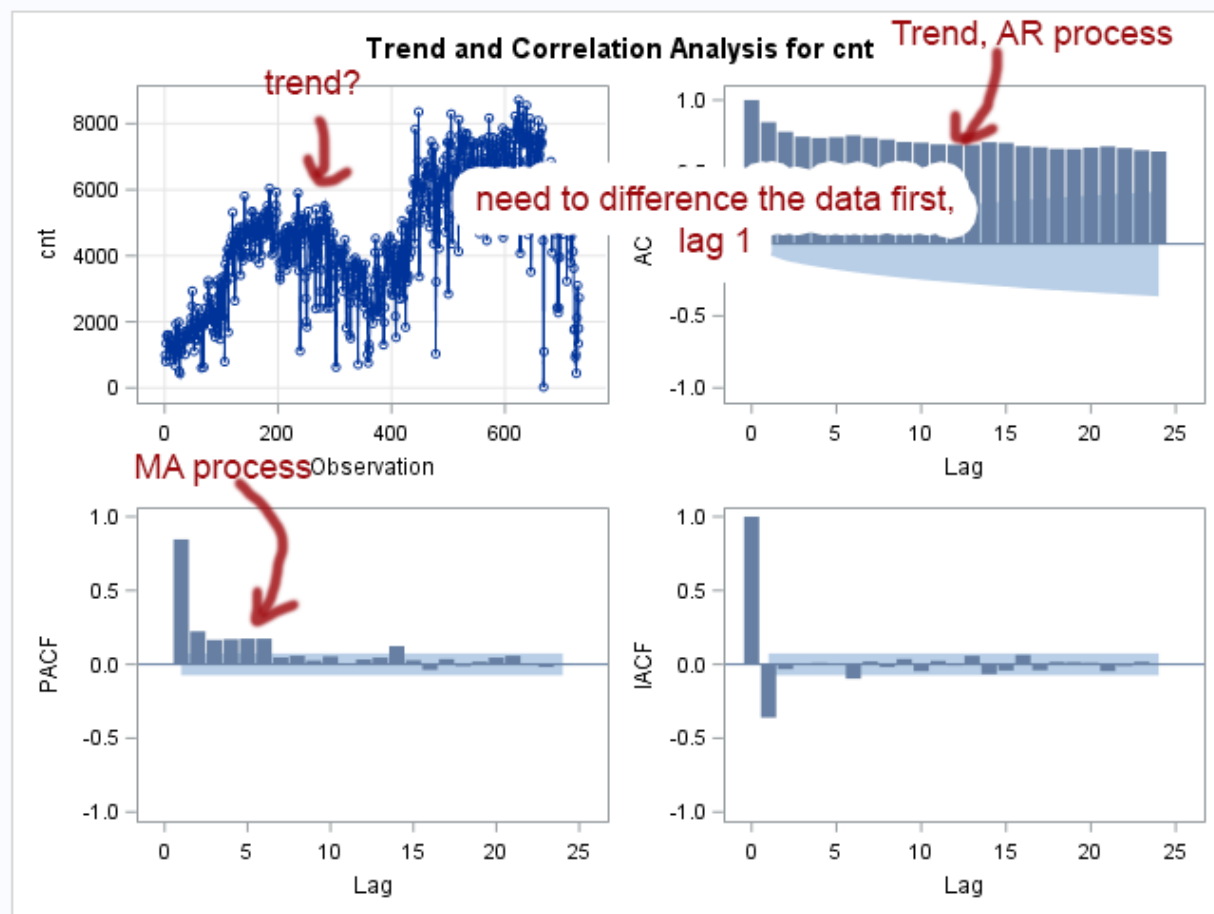
#### The ARIMA Procedure

**Ljung-Box** →

Name of Variable = cnt	
Mean of Working Series	4504.349
Standard Deviation	1935.886
Number of Observations	731

the autocorrelation coefficients, at  $\alpha=0.05$  statistically significant

Autocorrelation Check for White Noise									
To Lag	Chi-Square	DF	Pr > ChiSq	1	2	3	4	5	6
6	2608.34	6	<.0001	0.846	0.779	0.746	0.737	0.742	0.755
12	4855.42	12	<.0001	0.739	0.726	0.709	0.704	0.692	0.689
18	6966.52	18	<.0001	0.689	0.707	0.702	0.680	0.673	0.661
24	8948.32	24	<.0001	0.659	0.670	0.678	0.667	0.651	0.642



ARIMA Modeling and Forecasting (3) ▾

Input Data Code Log Output Data Results

Refresh Modify Task Export Send To Create Publish Properties

click here

Modify Task (Ctrl-Enter)

**ARIMA Modeling and Forecasting Results**

The ARIMA Procedure

Name of Variable = cnt
Mean of Working Series 4504.349

ARIMA Modeling and Forecasting (3) for Local:WORK.TSDSTIMESERIESOUTDATA\_0001

Data

- Stage 1: Identification
  - Differencing
  - Stationarity tests
  - Plots and results
- Stage 2: Estimation
  - Enable estimation steps
  - Model definition
  - Model options
  - Results
- Stage 3: Forecasting
  - Enable forecasting steps
  - Options
  - Plots and results
- Titles
- Properties

**Stage 1: Identification > Differencing**

☒ Difference the response series

Differencing lags:

1

Examples: 1 1,1 1,12

we're gonna difference the data at lag 1

P.S. → for seasonal ARIMA, you may enter into the field 1,12 if you have monthly data points

but consider it an iterative process, so start with 1, then if you observe further correlations add another lag

Runs the task with the options that you have selected.

Preview code Run Save Cancel Help

## Results

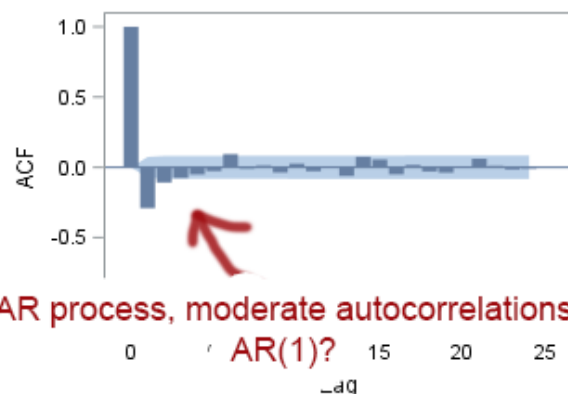
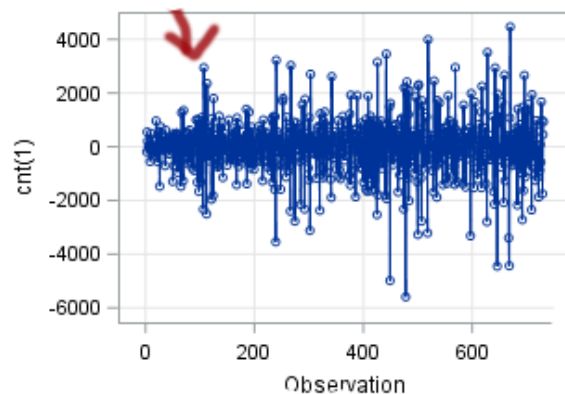
## The ARIMA Procedure

Name of Variable = cnt	
Period(s) of Differencing	
Mean of Working Series	
Standard Deviation	1064.525
Number of Observations	730
Observation(s) eliminated by differencing	1

one datapoint removed  
because we used lag1  
to perform differencing

Autocorrelation Check for White Noise									
To Lag	Chi-Square	DF	Pr > ChiSq	Autocorrelations					
6	83.90	6	<.0001	-0.291	-0.109	-0.076	-0.051	-0.027	0.094
12	86.22	12	<.0001	-0.010	0.013	-0.037	0.026	-0.028	-0.004
18	98.28	18	<.0001	-0.062	0.075	0.055	-0.050	0.017	-0.030
24	102.56	24	<.0001	-0.039	0.005	0.061	0.011	-0.015	-0.010

trend is more or less removed Correlation Analysis for cnt(1)

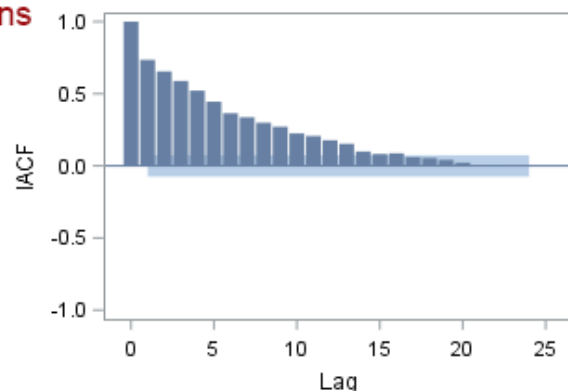
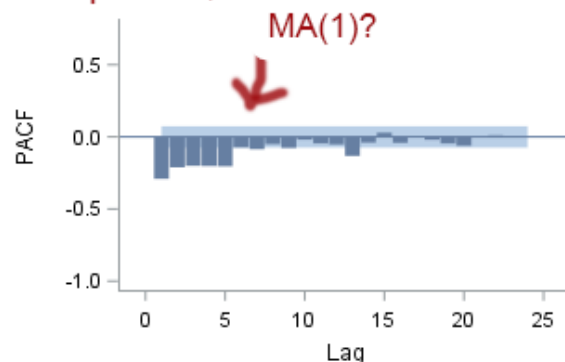


AR process, moderate autocorrelations

AR(1)?

MA process, moderate autocorrelations

MA(1)?



## ARIMA: Step 2 – Build your Model

### A. Create a Training Dataset

Discussed in Tutorial3: Filter and Sort, condition: dteday; less then 12/01/2012

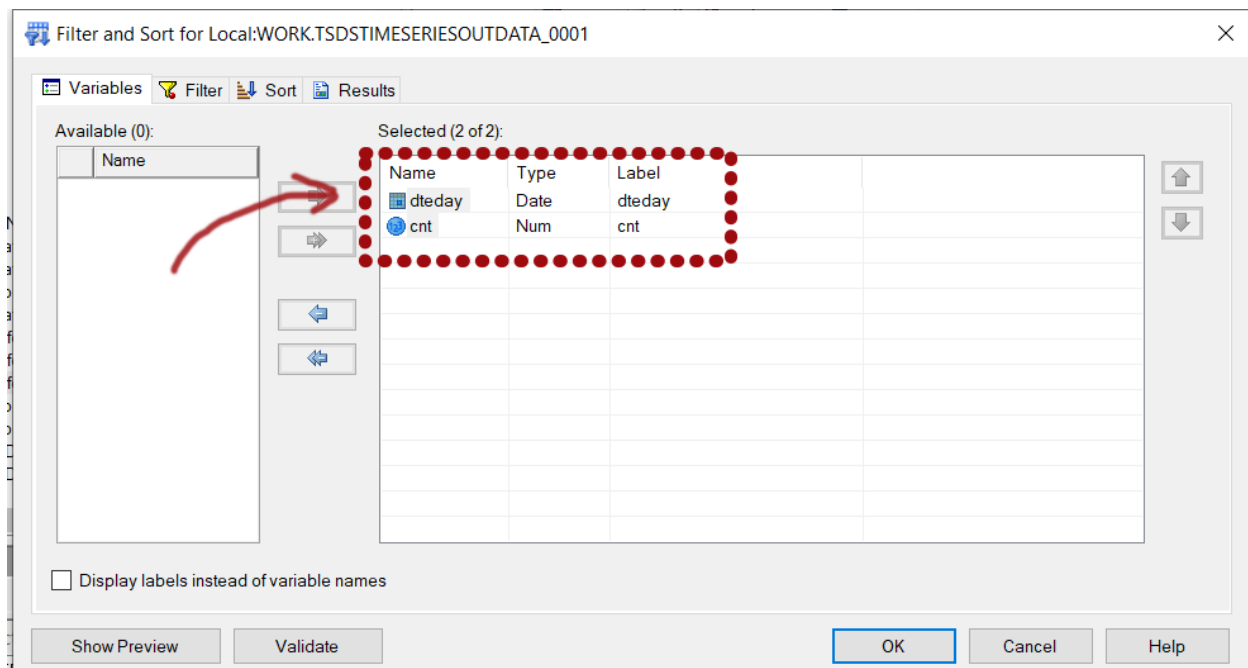
Open the dataset → Filter and Sort → Variables: Drag the variables you will need for the forecast to the right (date and the variable you want to forecast) → Filter: Set the filtering values (dteday; less then; December 1, 2012) → Results: Permanently save the dataset: Replace the WORK library with the one you ran at the beginning of the session – BSTA477 → OK

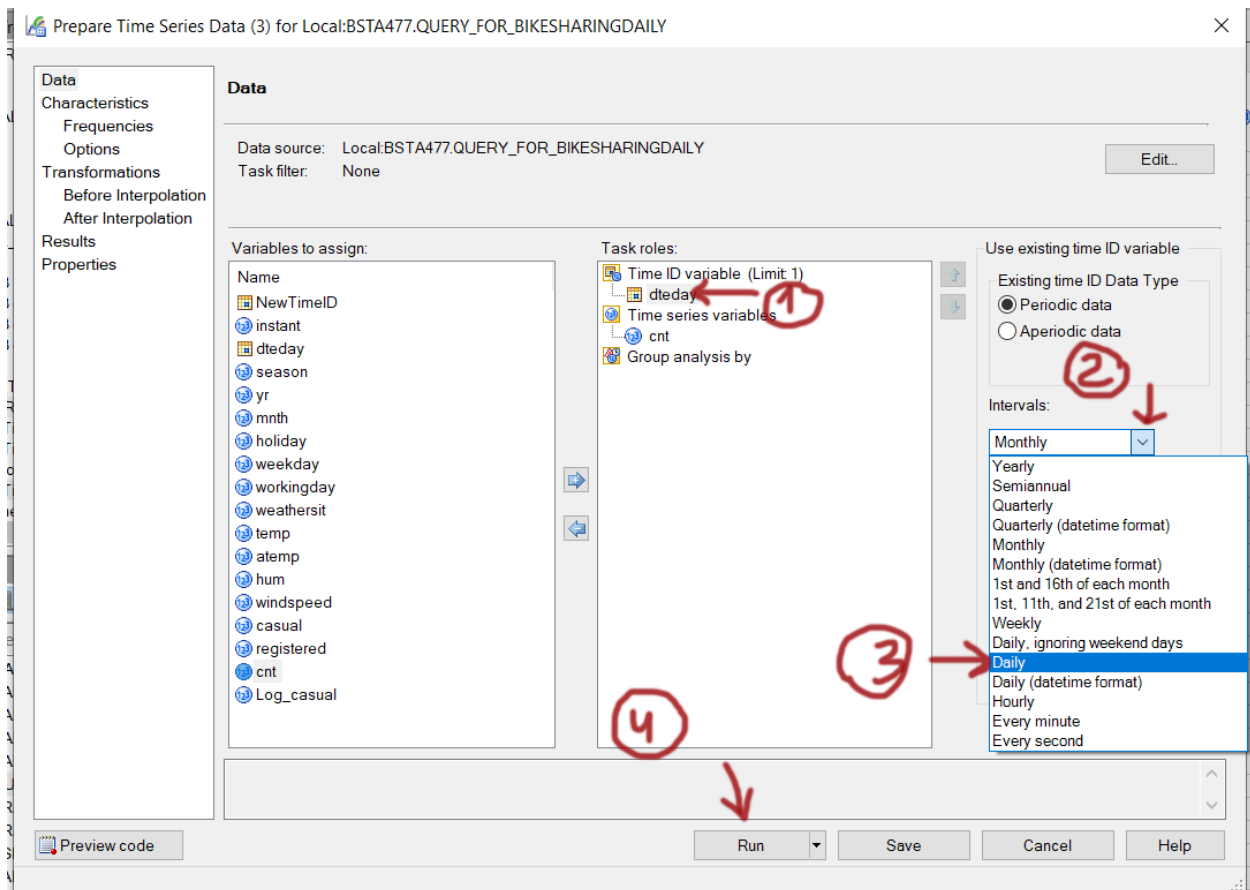
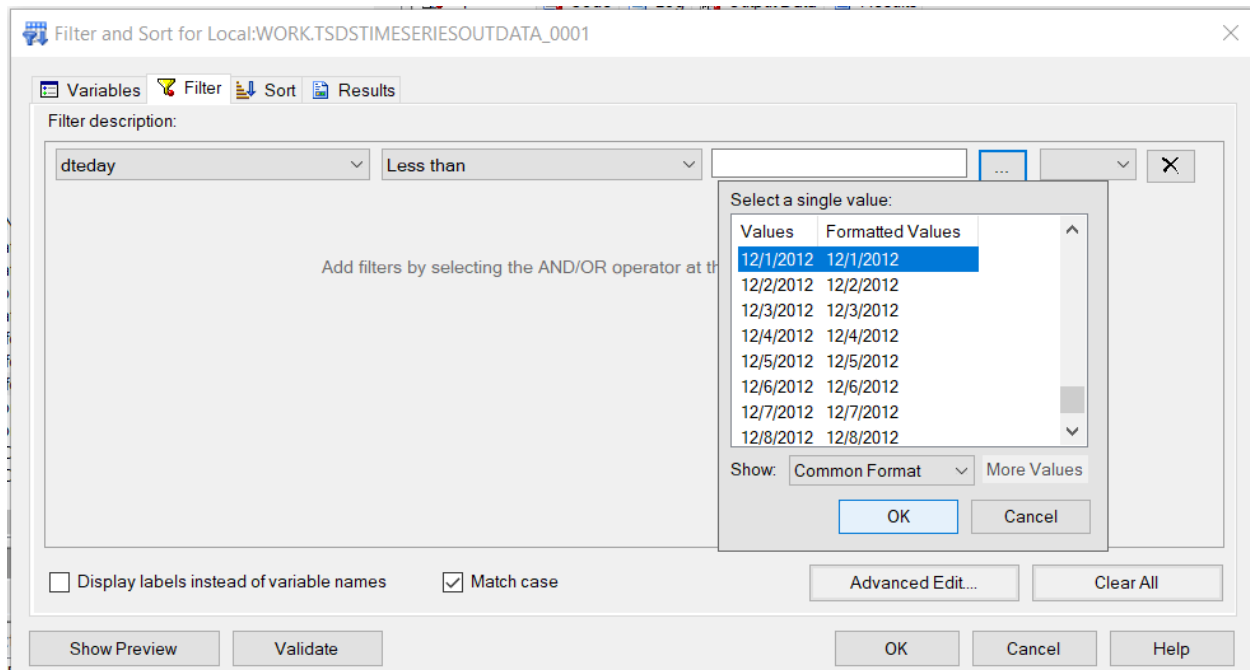
Filter and Sort ▾

Input Data Code Log Output Data

Filter and Sort Query Builder Where Data ▾

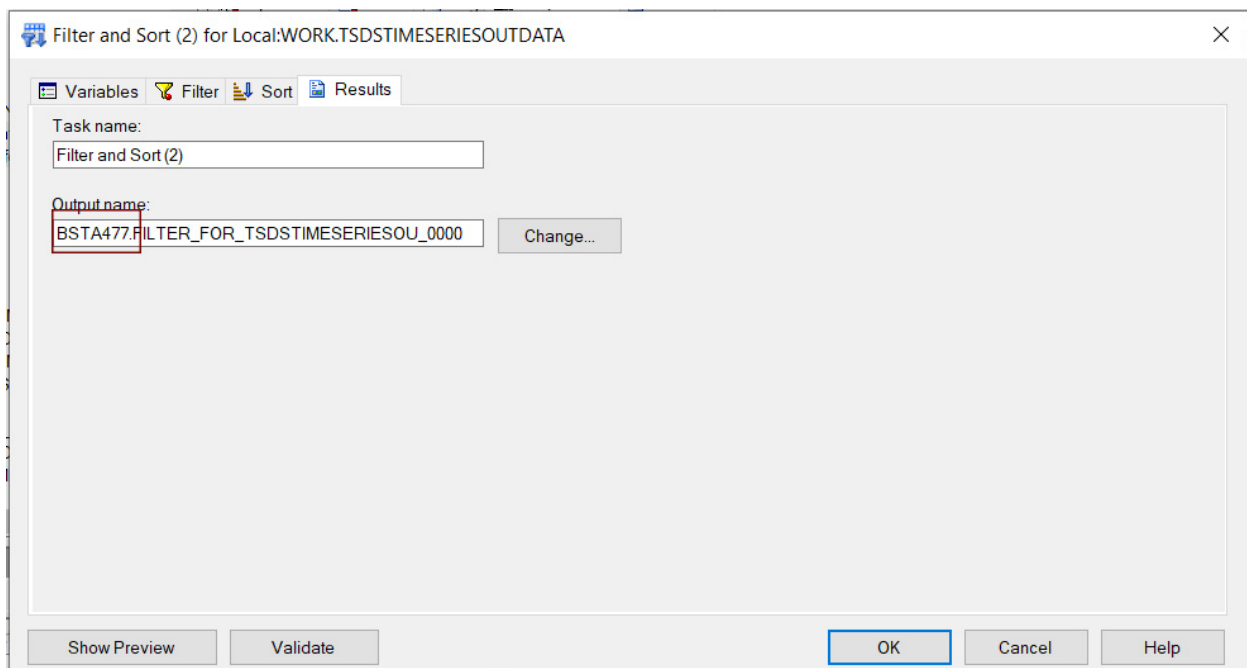
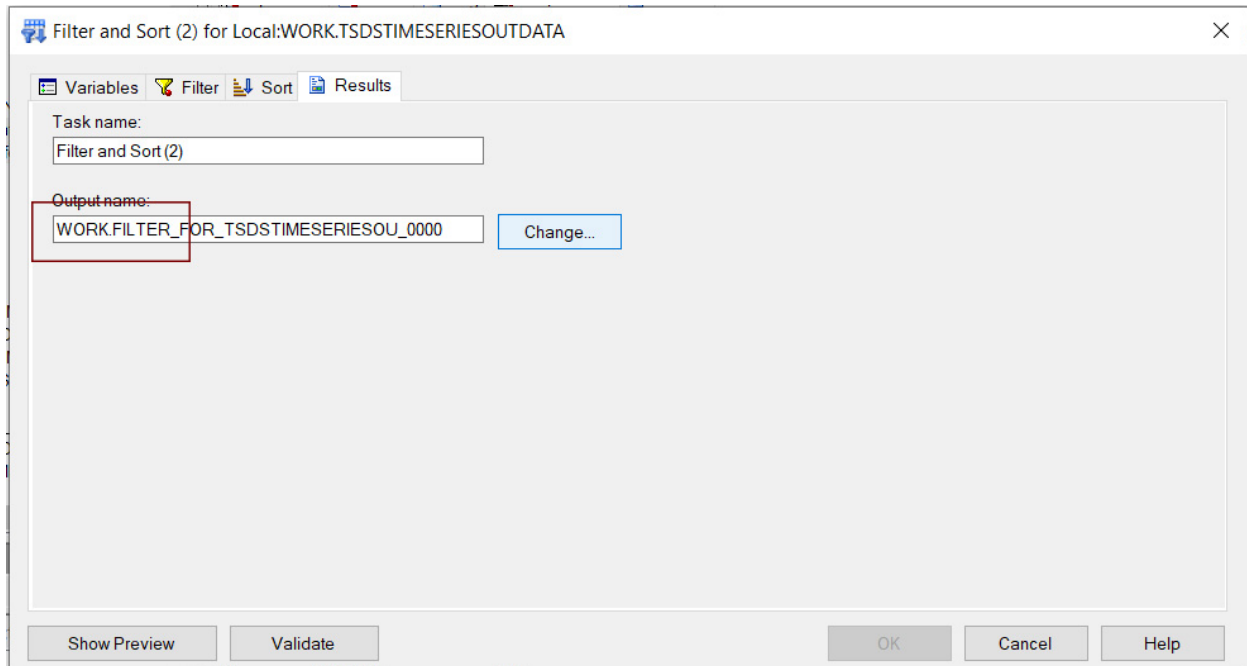
	dteday	cnt
1	2011-01-01	985
2	2011-01-02	801
3	2011-01-03	1349
4	2011-01-04	1562
5	2011-01-05	1600





**CREATES A TEMPORARY DATASET!**

To create a permanent dataset, before you hit “RUN”, go to Results and change the library name for bsta477 or click on change, find your library and give your dataset a name and store it there.





## B. Difference the data, estimate AR and MA orders

We are going to use the newly created **TRAIN dataset** with accumulated values of total member and non-member rides on a daily basis. As we can see from the table above, we now only have 700 points of data.

**Difference the data.**

**Repeat Step 1 on the Train Dataset.**

We have discussed already that we would need to difference the data due to the presence of the trend: Open the file you want to use for forecasting → **Analyze** → **Time Series** → **ARIMA Modelling and Forecasting** → **Data: Drag the cnt to the right to the Time Series Variable** → **Stage 1: Identification** → **Differencing** → **Difference the response series** → **Leave at default** → **Run**

ARIMA Modeling and Forecasting (4)

Input Data | Code | Log | Results

Filter and Sort | Query Builder | Where | Data | Describe | Graph | Analyze | Export | Send To

	dteday	cnt
1	2011-01-01	985
2	2011-01-02	801
3	2011-01-03	1349
4	2011-01-04	1562
5	2011-01-05	1600
6	2011-01-06	1606
7	2011-01-07	1510
8	2011-01-08	959
9	2011-01-09	822
10	2011-01-10	1321
11	2011-01-11	1263
12	2011-01-12	1162
13	2011-01-13	1406
14	2011-01-14	1421
15	2011-01-15	1248
16	2011-01-16	1204
17	2011-01-17	1000
18	2011-01-18	683
19	2011-01-19	1650
20	2011-01-20	1927

Analyze

- ANOVA
- Regression
- Multivariate
- Survival Analysis
- Capability
- Control Charts
- Pareto Chart...
- Time Series**
  - Prepare Time Series Data...
  - Basic Forecasting...
  - ARIMA Modeling and Forecasting...**
  - Regression Analysis with Autoregressive Errors...
  - Regression Analysis of Panel Data...
  - Create Time Series Data...
  - Forecast Studio Create Project...
  - Forecast Studio Open Project...
  - Forecast Studio Override Project...
- Data Mining

ARIMA Modeling and Forecasting (4) for Local:WORK.FILTER\_FOR\_TSDTIMESERIESOUTDATA

**Data**

Stage 1: Identification  
 Differencing  
 Stationarity tests  
 Plots and results

Stage 2: Estimation  
 Enable estimation steps  
 Model definition  
 Model options  
 Results

Stage 3: Forecasting  
 Enable forecasting steps  
 Options  
 Plots and results

Titles  
 Properties

Data source: Local:WORK.FILTER\_FOR\_TSDTIMESERIESOUTDATA  
 Task filter: None

Variables to assign:

Name
NewTimeID
dteday
cnt

Task roles:

Time Series variable (Limit 1)
<variable required>
Time ID variable (Limit 1)
dteday
Group forecasts by

The selection pane enables you to choose different sets of options for the task.

Preview code Run Save Cancel Help

The "Time Series variable" role must have a variable assigned to it.

ARIMA Modeling and Forecasting (4) for Local:WORK.FILTER\_FOR\_TSDTIMESERIESOUTDATA

**Stage 1: Identification > Differencing**

☒ Difference the response series

Differencing lags:

1

Examples: 1 1.1 1.12

Enables you to perform differencing on the response series. When you select this check box, first differences are performed by default. To change the degree of differencing, type the new values in the Differencing lags box.

Preview code Run Save Cancel Help

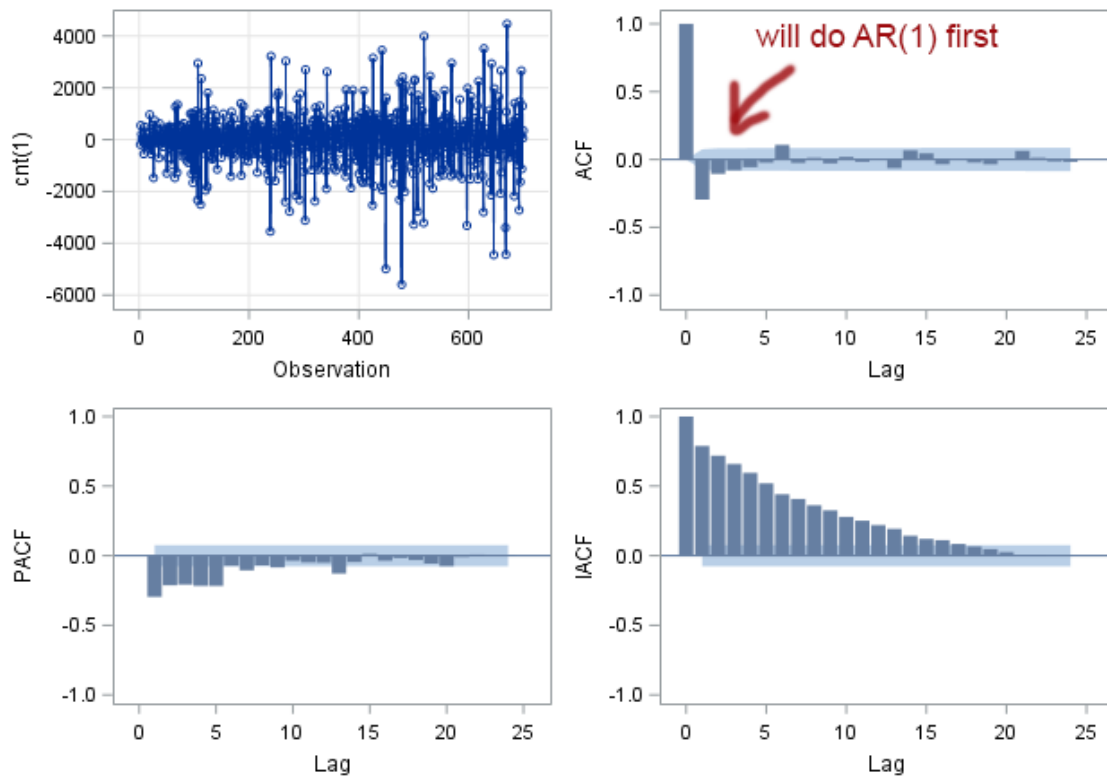
## Results

### The ARIMA Procedure

Name of Variable = cnt	
Period(s) of Differencing	1
Mean of Working Series	6.699571
Standard Deviation	1066.822
Number of Observations	699
Observation(s) eliminated by differencing	1

Autocorrelation Check for White Noise									
To Lag	Chi-Square	DF	Pr > ChiSq	Autocorrelations					
6	84.85	6	<.0001	-0.296	-0.107	-0.080	-0.057	-0.024	0.108
12	86.49	12	<.0001	-0.026	0.012	-0.029	0.018	-0.017	0.002
18	95.37	18	<.0001	-0.064	0.067	0.045	-0.035	0.000	-0.023
24	99.73	24	<.0001	-0.036	0.007	0.064	0.013	-0.014	-0.018

### Trend and Correlation Analysis for cnt(1)



## Estimate AR or/and MA parameters.

We are going to estimate AR parameters here:

With the results open, click: **Modify task** → **Stage 2: Estimation** → **Enable estimation steps** → **Check: Perform estimation steps** → **Model definition: We're going to start with AR(1): under Factors for AR model enter 1** → **Click Add** → **Model Options: Check Drop mean term from model (should be done only when you difference the data)** → **Run** → **Explore the results**

ARIMA Modeling and Forecasting (4) ▾

Input Data | Code | Log | Results

Refresh | **Modify Task** | Export ▾ | Send To ▾ | Create ▾ | Publish | Properties

**Results**  
The ARIMA Procedure

Name of Variable = cnt	
Period(s) of Differencing	1
Mean of Working Series	6.699571
Standard Deviation	1066.822

ARIMA Modeling and Forecasting (4) for Local:WORK.FILTER\_FOR\_TSDSTIMESERIESOUTDATA

Data

- Stage 1: Identification
  - Differencing
  - Stationarity tests
  - Plots and results
- Stage 2: Estimation**
  - Enable estimation steps**
  - Model definition
  - Model options
  - Results
- Stage 3: Forecasting
  - Enable forecasting steps
  - Options
  - Plots and results
- Titles
- Properties

**Stage 2: Estimation > Enable estimation steps**

☒ Perform estimation steps

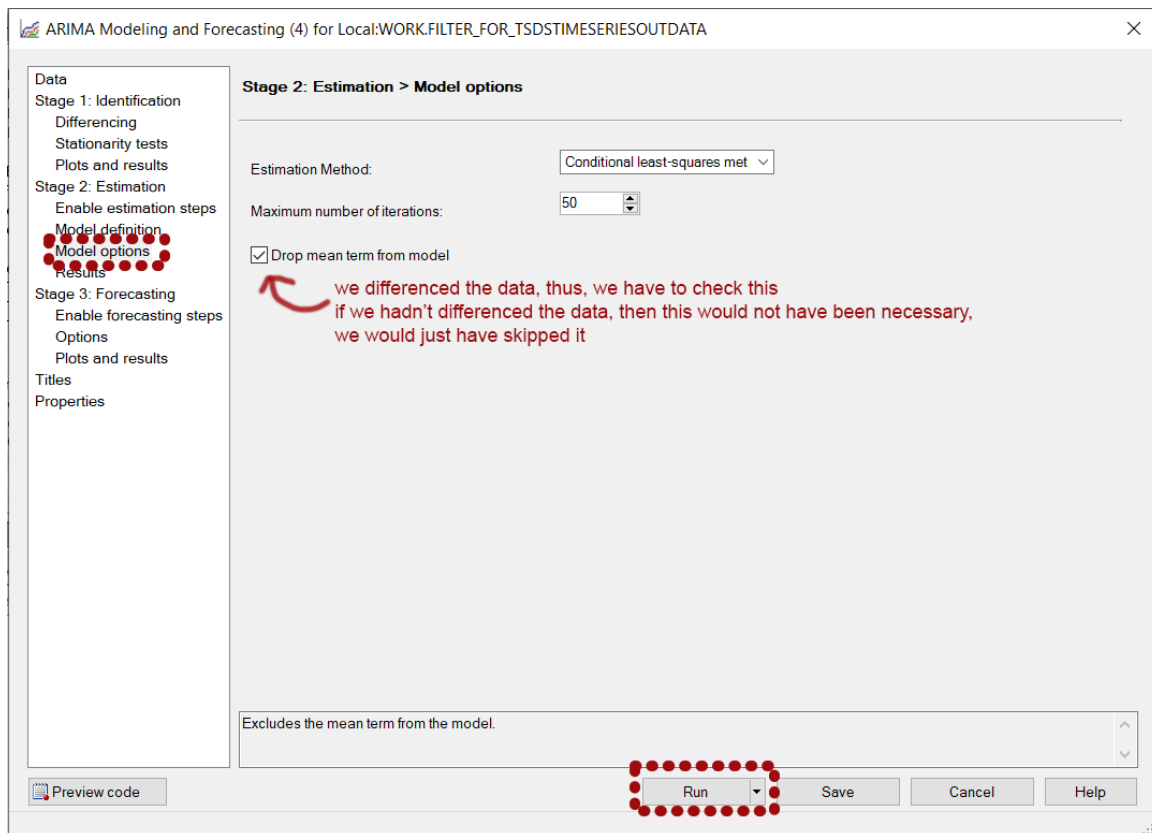
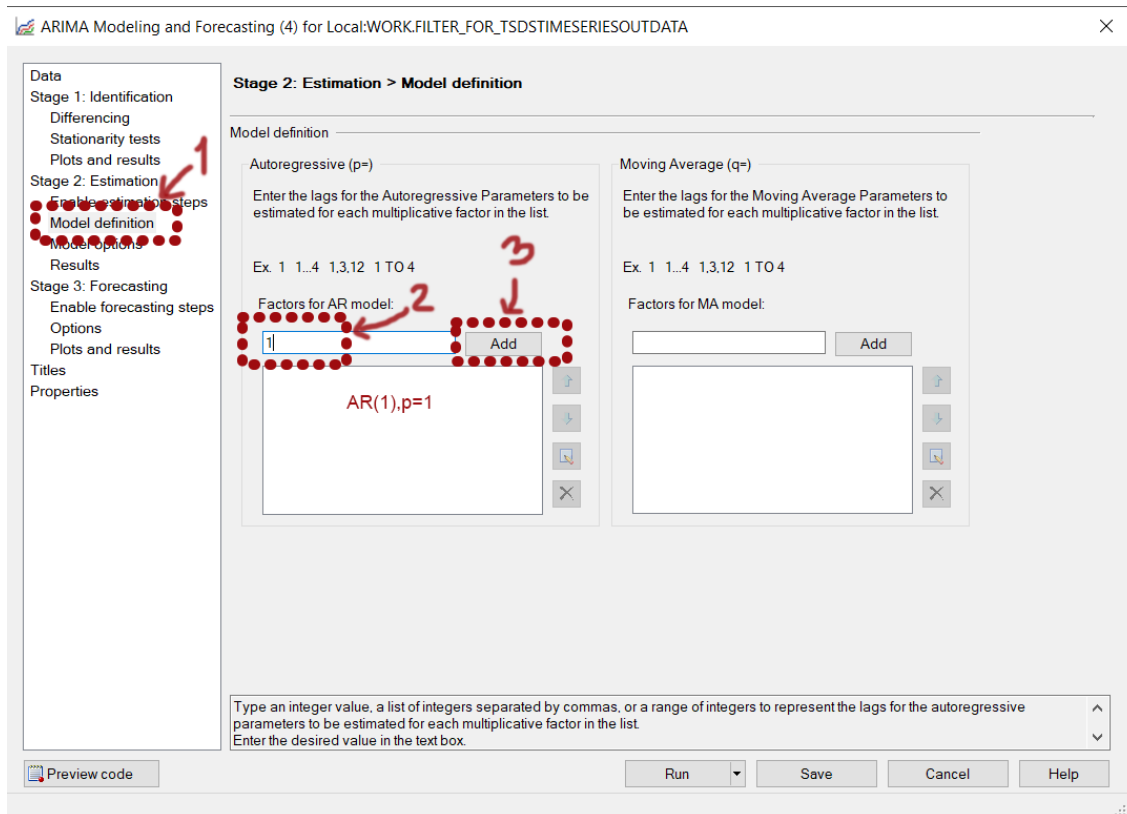
NOTE: The ARIMA Modeling and Forecasting task is organized into three stages.

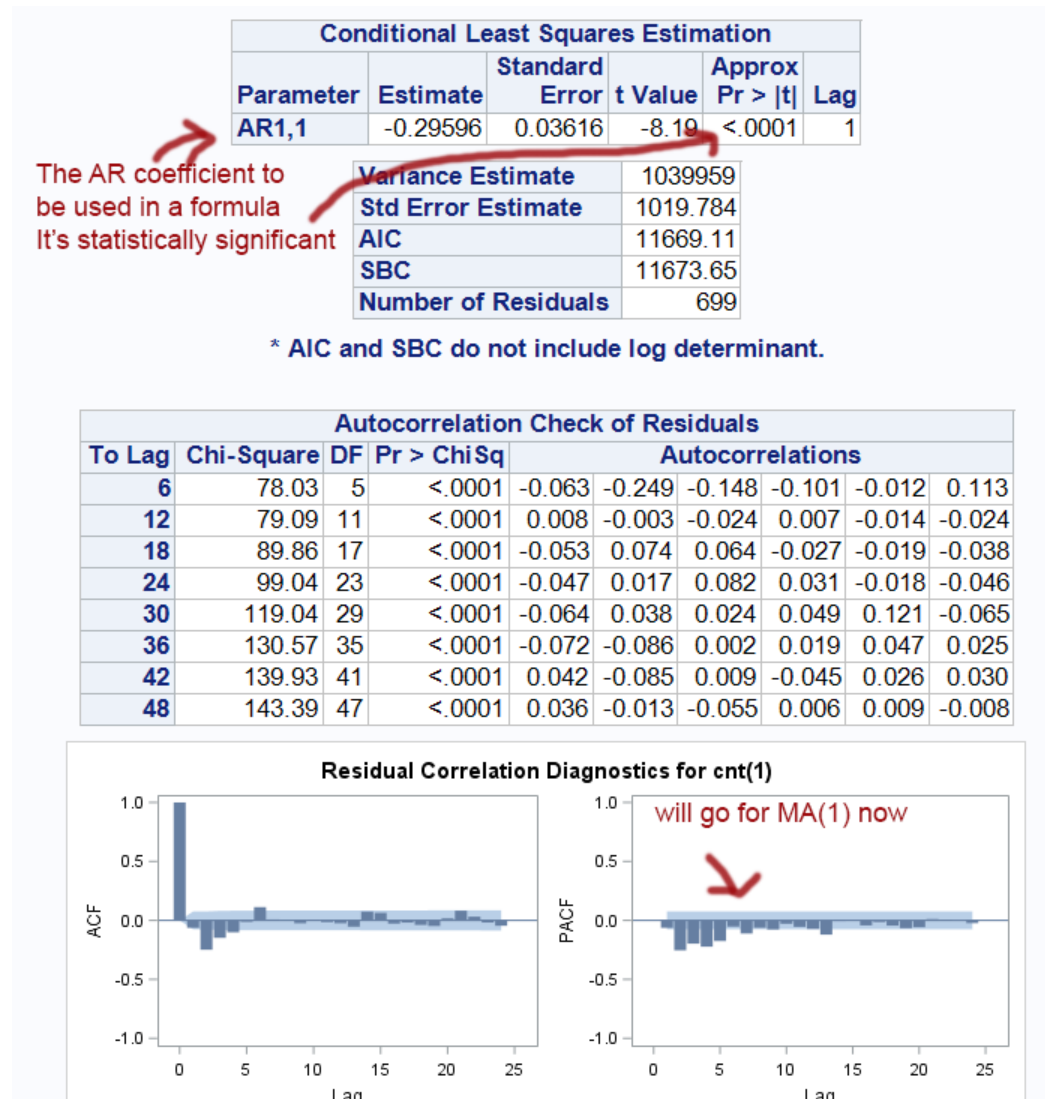
- The Stage 1: Identity steps are always enabled.
- To enable the Stage 2: Estimation steps of this task, please check the check box shown above.
- The Estimation steps also must be enabled before the Stage 3: Forecasting steps can be enabled.

**activate this to assign AR and MA orders**

Activates the options for the estimation steps.

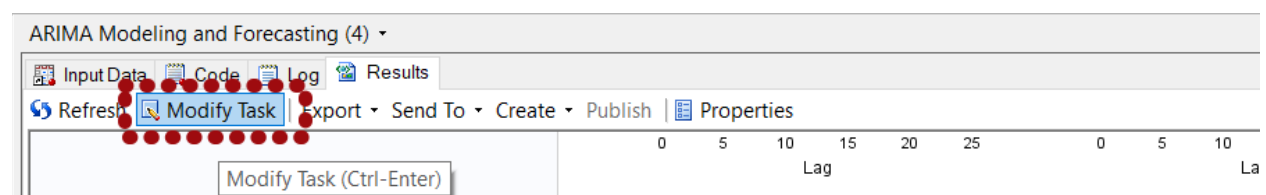
Preview code | Run | Save | Cancel | Help

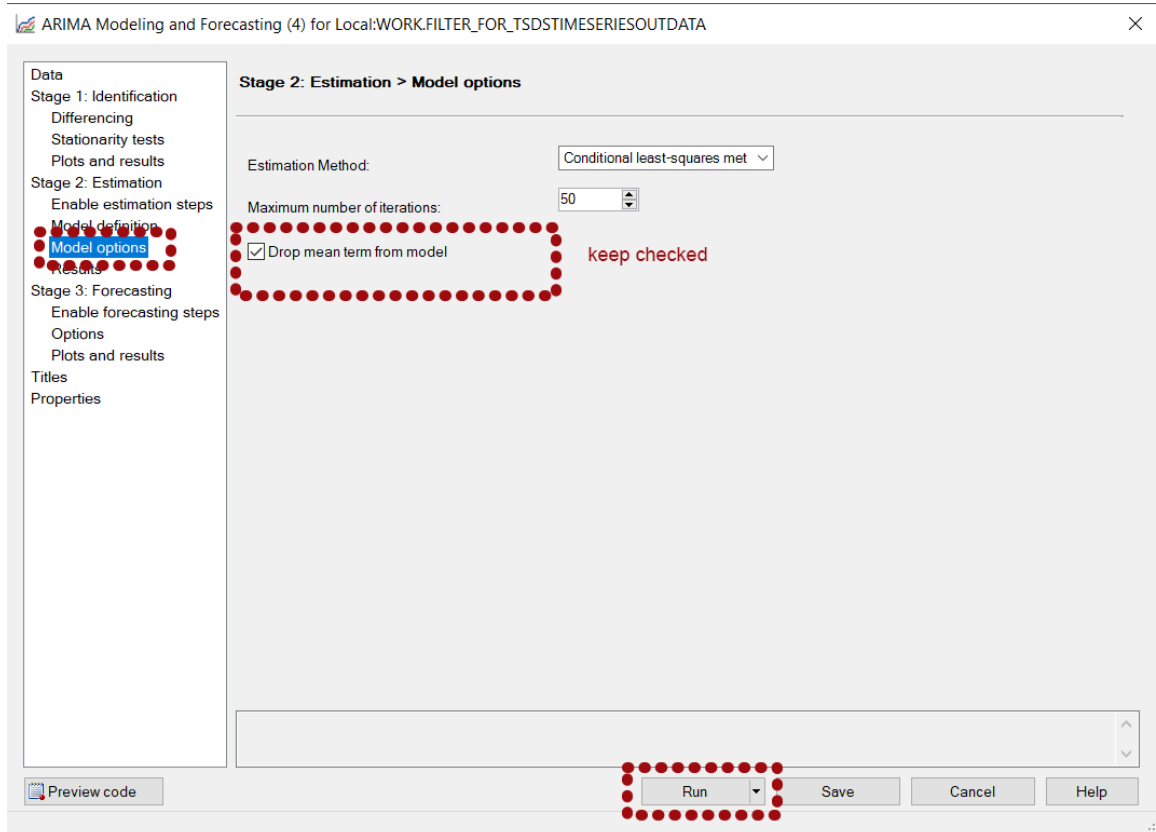
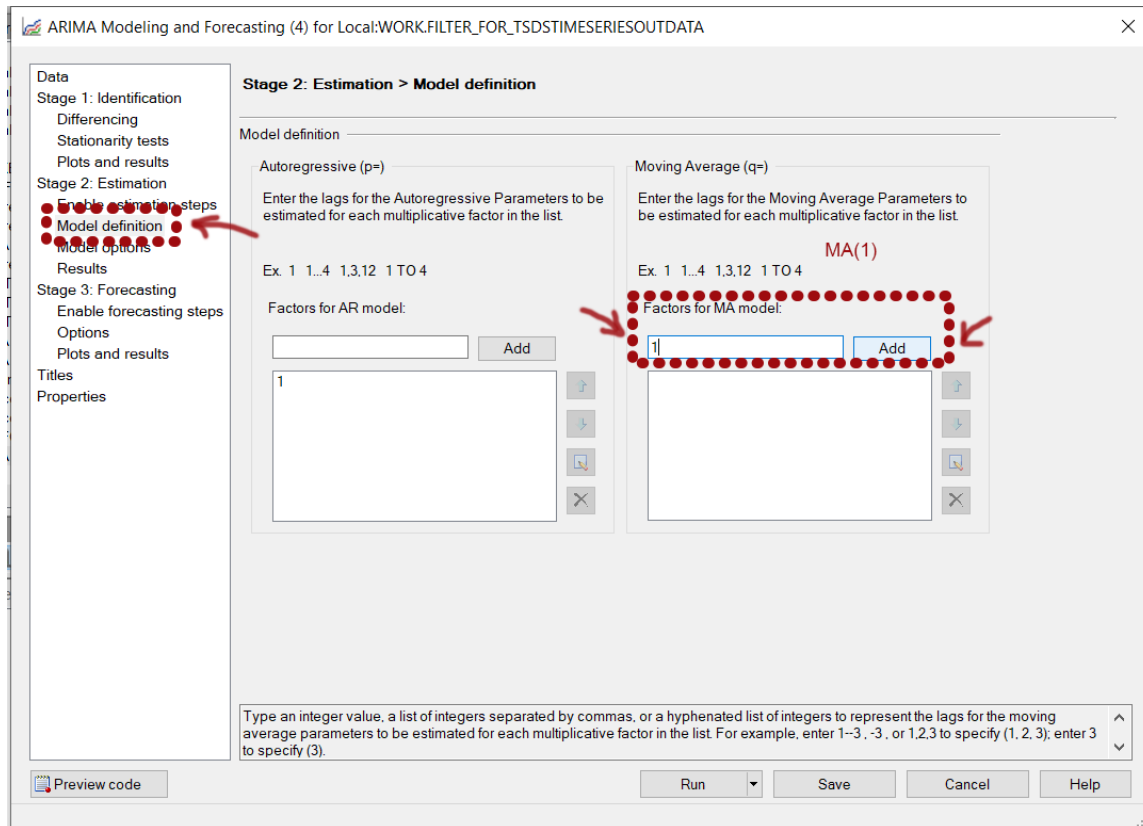




We can see that now we need to add an MA process to the ARIMA model:

With the results open, click: **Modify task** → **Stage 2: Estimation** → **Enable estimation steps** → **Check: Perform estimation steps** → **Model definition: Don't change anything for the AR, we're going to add MA: under Factors for MA model enter 1** → **Click Add** → **Model Options: Keep the Drop mean term from model checked (should be done only when you difference the data)** → **Run** → **Explore the results**





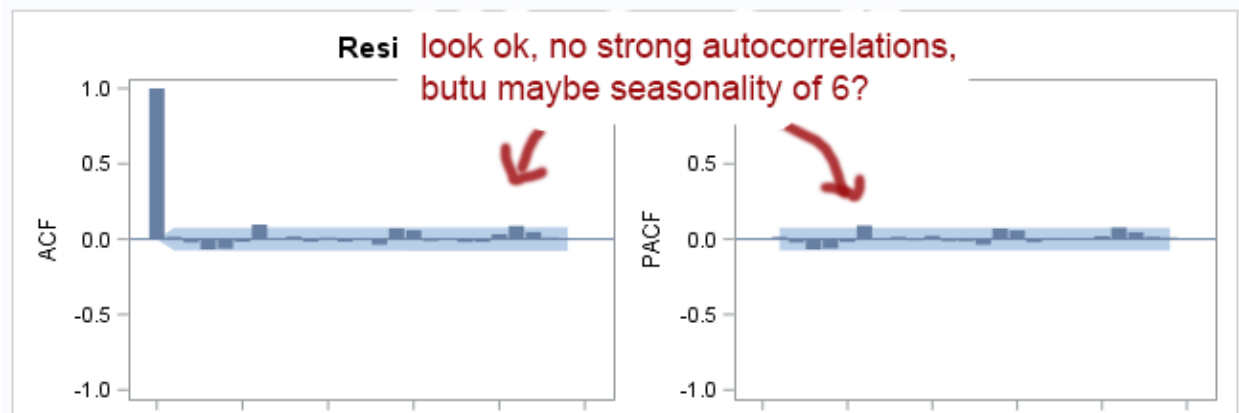
Conditional Least Squares Estimation					
Parameter	Estimate	Standard Error	t Value	Approx Pr >  t	Lag
MA1,1	0.90074	0.02036	44.23	<.0001	1
AR1,1	0.33267	0.04419	7.53	<.0001	1
Variance Estimate			837882		
Std Error Estimate			915.359		
AIC			11519.08		
SBC			11528.18		
Number of Residuals			699		

MA and AR coefficients  
to be used in the formula

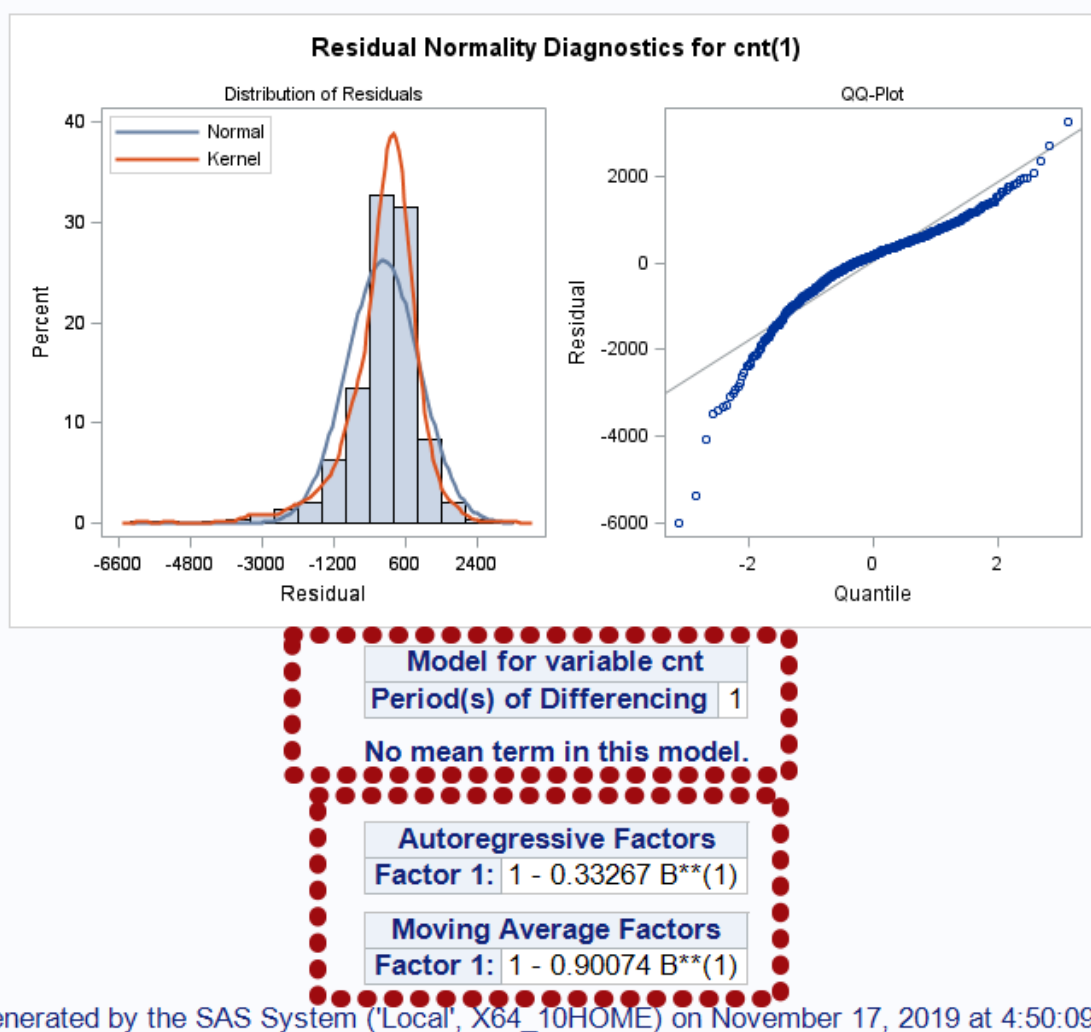
\* AIC and SBC do not include log determinant.

Correlations of Parameter Estimates		
Parameter	MA1,1	AR1,1
MA1,1	1.000	0.588
AR1,1	0.588	1.000

Autocorrelation Check of Residuals									
To Lag	Chi-Square	DF	Pr > ChiSq	Autocorrelations					
6	13.38	4	0.0096	0.016	-0.020	-0.068	-0.062	-0.016	0.098
12	14.13	10	0.1673	0.008	0.019	-0.015	0.012	-0.015	-0.004
18	21.91	16	0.1460	-0.035	0.074	0.061	-0.010	-0.000	-0.017
24	30.60	22	0.1046	-0.017	0.035	0.089	0.049	0.012	-0.003
30	53.25	28	0.0027	-0.026	0.068	0.056	0.062	0.122	-0.060
36	63.56	34	0.0016	-0.054	-0.092	-0.004	0.007	0.049	0.017
42	73.37	40	0.0010	0.053	-0.078	0.024	-0.045	0.035	0.025
48	75.79	46	0.0037	0.038	0.002	-0.035	0.014	0.019	-0.000







The model is adequate, we can forecast now!

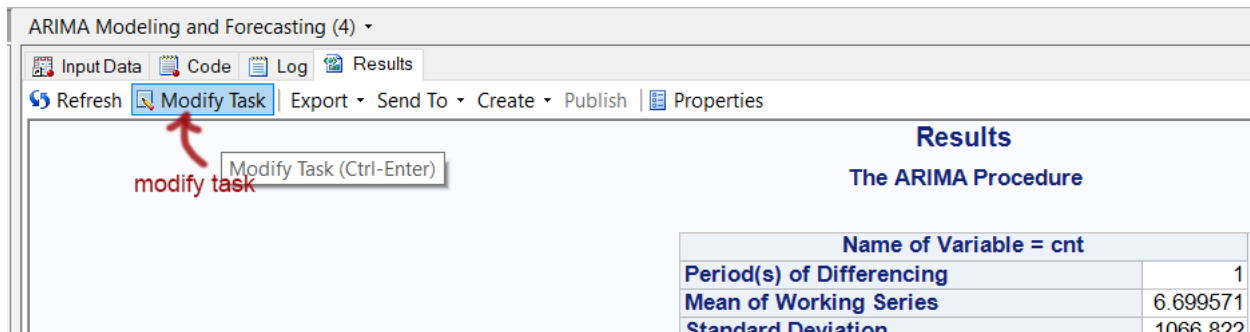
### ARIMA: Step 3 - Forecast Total Rides for the Validation Period

If you remember, we only used the training dataset to build our model. Now, it is time to use it by estimating how well it performs on new data, i.e. the validation data. For this we need to forecast those 31 days we have left out from the training dataset and then compare them to the actual datapoints and assess the accuracy of the model.

**With the results open, click: Modify task → Stage 3: Forecasting → Enable forecasting steps → Check: Perform forecasting steps → Options → Time interval between observations: Set it to Daily → Number of intervals to forecast: 31 (December of 2012 has 31 days) → Confidence level 95% → Plots and results → Forecasting plots options: Check forecasts, Residuals → You can export forecasts to calculate residuals for the validation dataset: Save forecasts → Run**

→ To the left of the Results tab, click on Output Data → Export → Select the extension as XLXS (remember to choose the location where you want to save your file; now you'll be able to use it to calculate residuals for the validation dataset by retrieving actual CNT values).

If you remember, we only used the training dataset to build our model. Now, it is time to use it by estimating how well it performs on new data, i.e. the validation data. For this we need to forecast those 31 days we have left out from the training dataset and then compare them to the actual datapoints and assess the accuracy of the model.



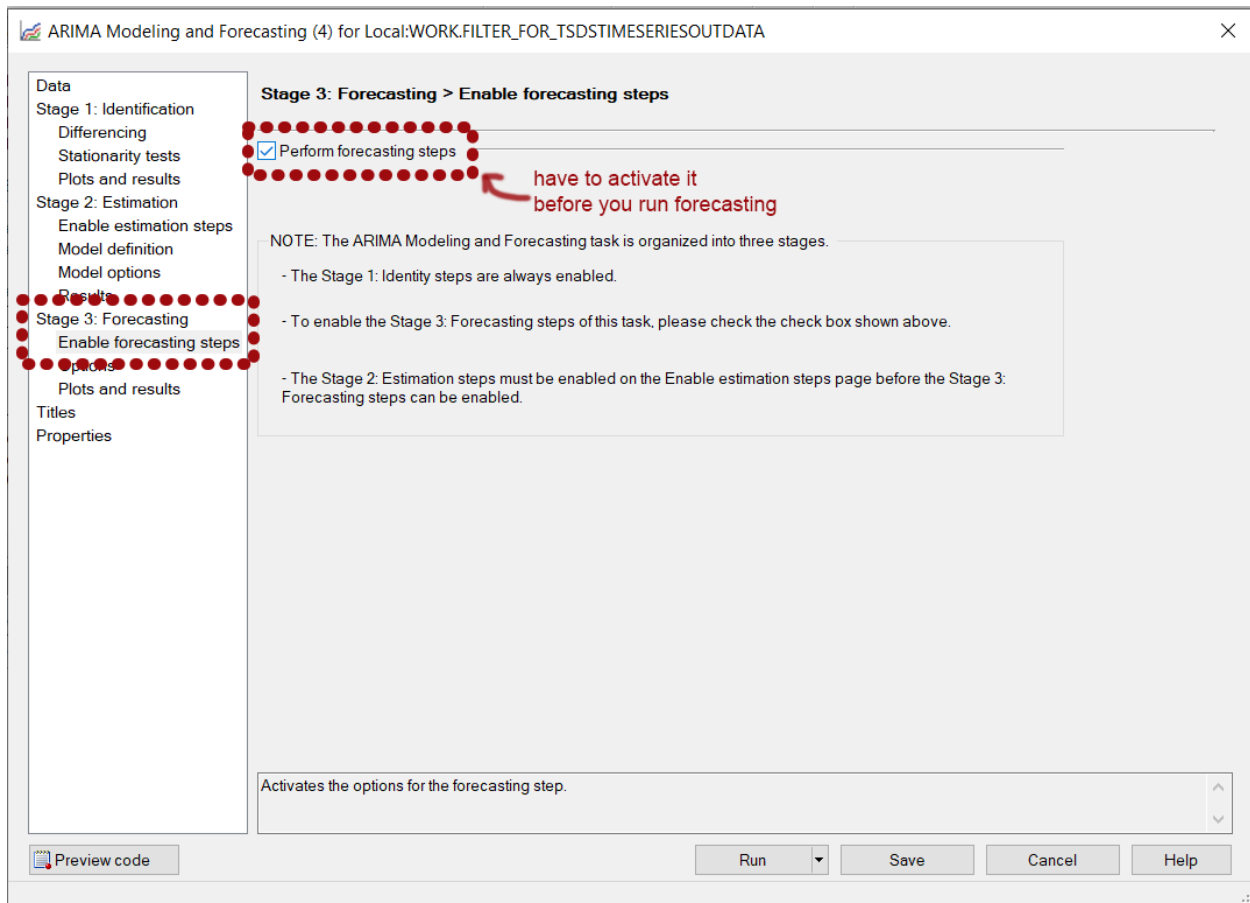
ARIMA Modeling and Forecasting (4)

Input Data | Code | Log | Results

Refresh | **Modify Task** | Export | Send To | Create | Publish | Properties

**Results**  
The ARIMA Procedure

Name of Variable = cnt	
Period(s) of Differencing	1
Mean of Working Series	6.699571
Standard Deviation	1066.822



ARIMA Modeling and Forecasting (4) for Local:WORK.FILTER\_FOR\_TSDSTIMESERIESOUTDATA

Data

- Stage 1: Identification
  - Differencing
  - Stationarity tests
  - Plots and results
- Stage 2: Estimation
  - Enable estimation steps
  - Model definition
  - Model options
- Results**
  - Stage 3: Forecasting**
    - Enable forecasting steps**
    - Plots and results
  - Titles
  - Properties

**Stage 3: Forecasting > Enable forecasting steps**

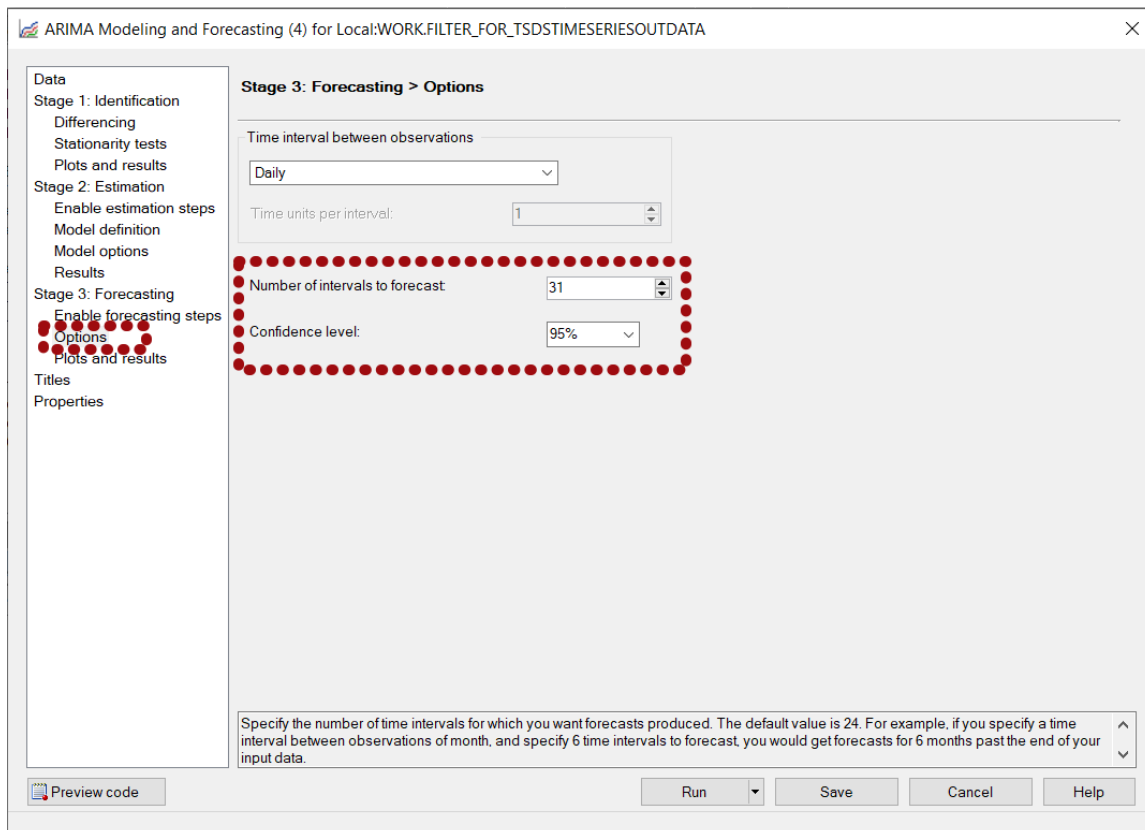
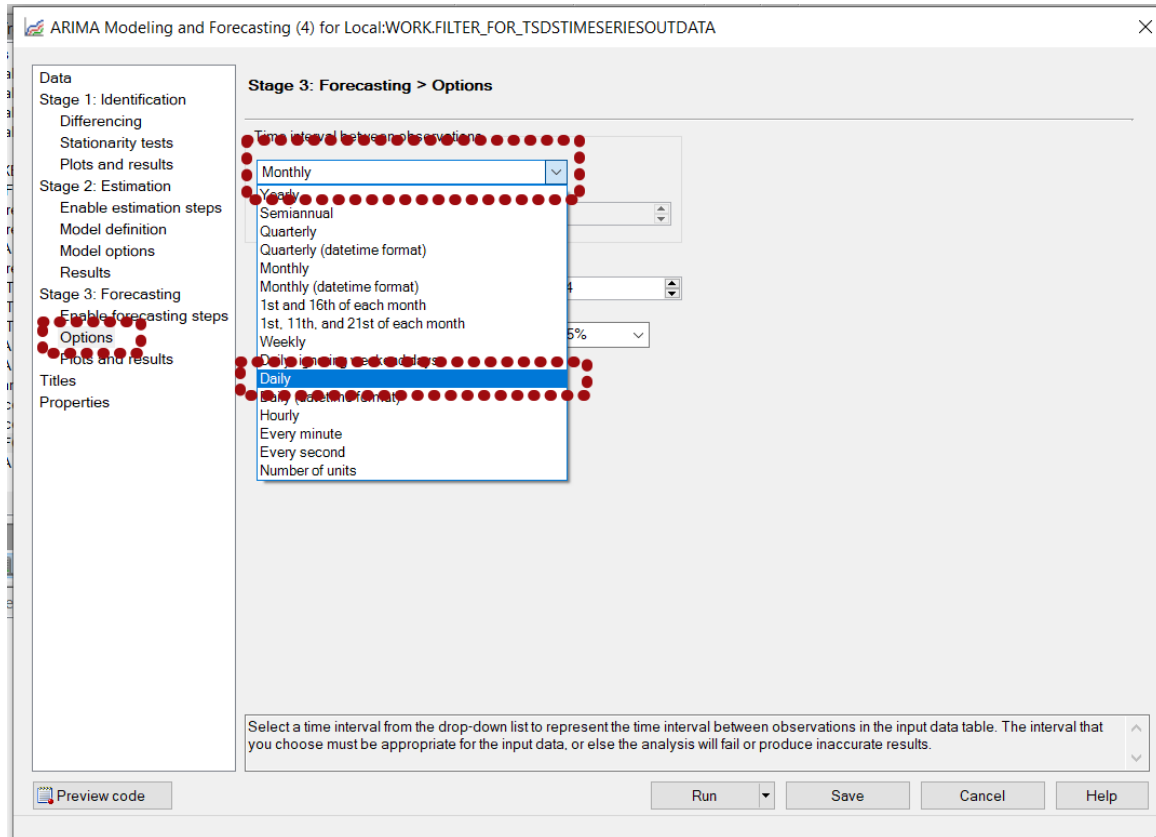
☒ Perform forecasting steps

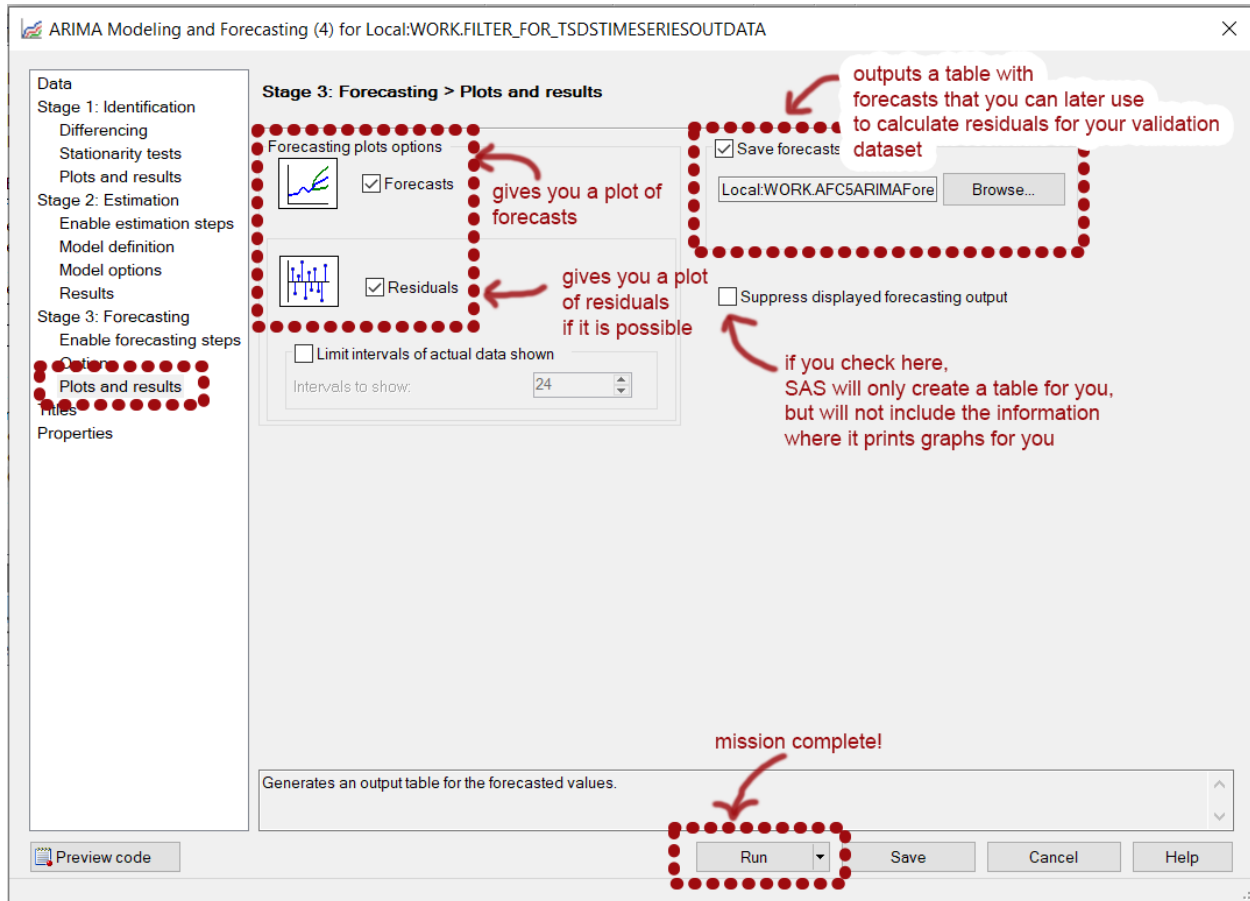
NOTE: The ARIMA Modeling and Forecasting task is organized into three stages.

- The Stage 1: Identity steps are always enabled.
- To enable the Stage 3: Forecasting steps of this task, please check the check box shown above.
- The Stage 2: Estimation steps must be enabled on the Enable estimation steps page before the Stage 3: Forecasting steps can be enabled.

Activates the options for the forecasting step.

Preview code | Run | Save | Cancel | Help





ARIMA Modeling and Forecasting (5)

	dteday	cnt	FORECAST	STD	L95	U95	RESIDUAL
1	2011-01-01	985					
2	2011-01-02	801	985	915.35896369	-809.0706018	2779.0706018	-184
3	2011-01-03	1349	905.52579318	915.35896369	-888.5448086	2699.5963949	443.47420682
4	2011-01-04	1562	1131.8459031	915.35896369	-662.2246986	2925.9165049	430.15409685
5	2011-01-05	1600	1245.3997794	915.35896369	-548.6708224	3039.4703811	354.60022063

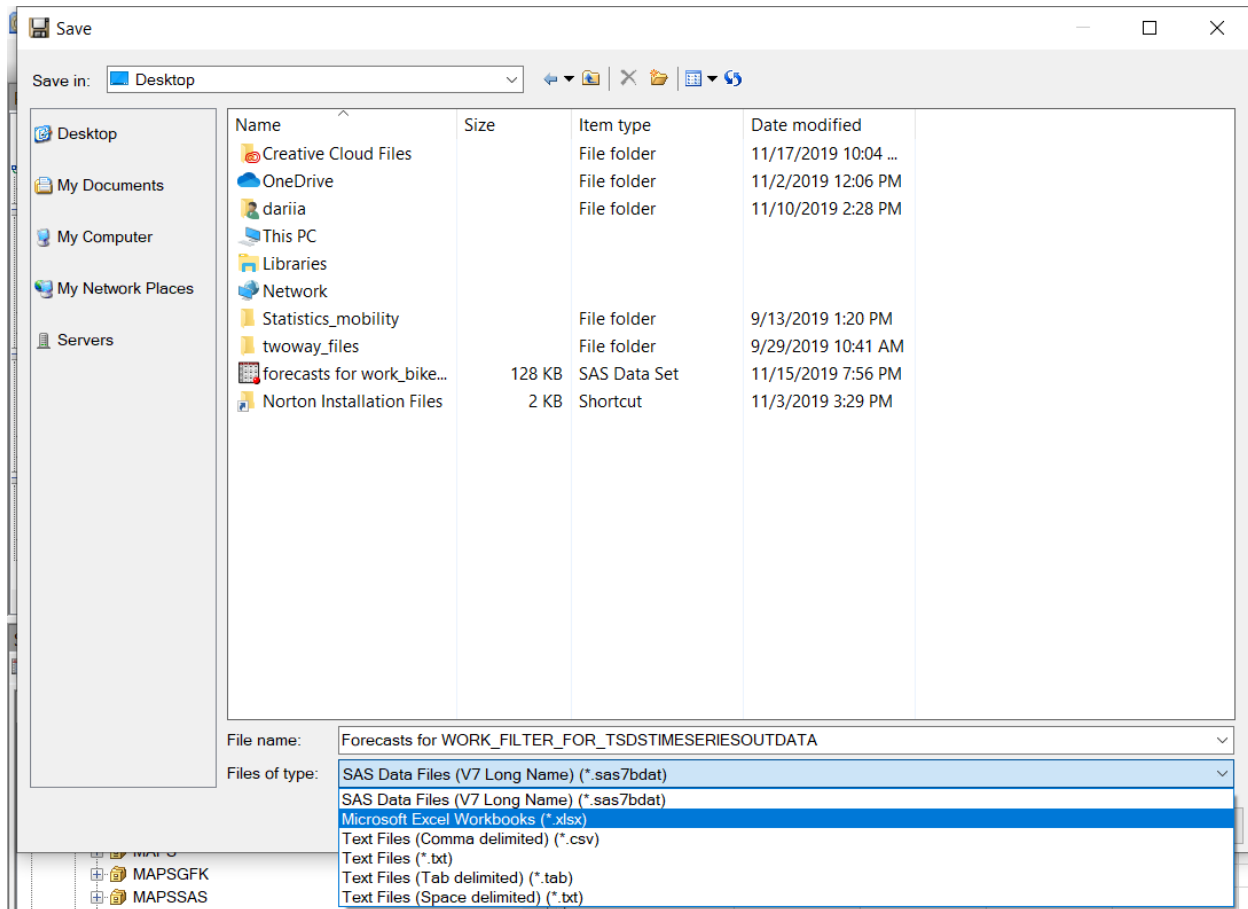
ARIMA Modeling and Forecasting (5)

Input Data Code Log Output Data Results

Modify Task Filter and Sort Query Builder Where Data Describe Graph Analyze Export Send To

Export Forecasts for WORK.FILTER\_FOR\_TSDTIMESERIESOUTDATA...

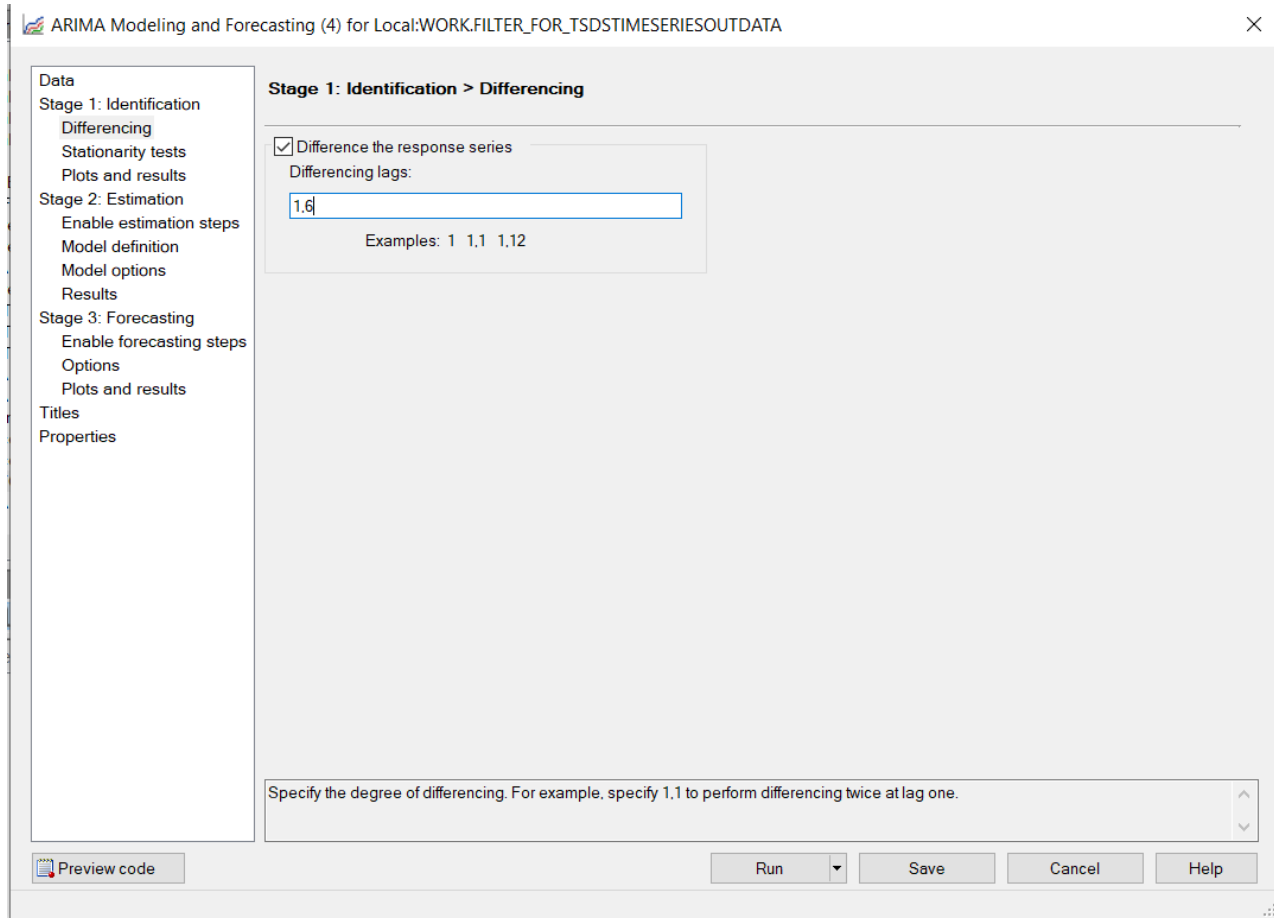
Export Forecasts for WORK.FILTER\_FOR\_TSDTIMESERIESOUTDATA As A Step In Project...



## Seasonal ARIMA: How to Input Values

For seasonal ARIMA, you just have to enter two lags, the non-seasonal one and the seasonal one.

Double differencing at lag1 and at lag6



Setting AR at lag1 and adding a seasonal lag of 6

ARIMA Modeling and Forecasting (4) for Local:WORK.FILTER\_FOR\_TSDSTIMESERIESOUTDATA

Stage 2: Estimation > Model definition

Model definition

Autoregressive (p=)

Enter the lags for the Autoregressive Parameters to be estimated for each multiplicative factor in the list.

Ex: 1 1..4 1,3,12 1 TO 4

Factors for AR model:

1,6 Add

Moving Average (q=)

Enter the lags for the Moving Average Parameters to be estimated for each multiplicative factor in the list.

Ex: 1 1..4 1,3,12 1 TO 4

Factors for MA model:

Add

d=1,6  
p=1,6  
ARIMA=((1,1,0)(1,1,0)6

Type an integer value, a list of integers separated by commas, or a range of integers to represent the lags for the autoregressive parameters to be estimated for each multiplicative factor in the list.  
Adds the value in the text box to the list of user-specified values.

Preview code Run Save Cancel Help

ARIMA Modeling and Forecasting (4) for Local:WORK.FILTER\_FOR\_TSDSTIMESERIESOUTDATA

**Stage 2: Estimation > Model definition**

**Model definition**

**Autoregressive (p=)**  
Enter the lags for the Autoregressive Parameters to be estimated for each multiplicative factor in the list.

Ex. 1 1...4 1,3,12 1 10 4

Factors for AR model:

1,6 Add

d=1,6  
p=1,6  
ARIMA=((1,1,0)(1,1,0)6

**Moving Average (q=)**  
Enter the lags for the Moving Average Parameters to be estimated for each multiplicative factor in the list.

Ex. 1 1...4 1,3,12 1 10 4

Factors for MA model:

1,6 Add

1,6

d=1,6  
q=1,6  
ARIMA=(0,1,1,)(0,1,1)6

The full model if we are including the seasonality in each process:  
ARIMA=(1,1,1)(1,1,1)6

The selection pane enables you to choose different sets of options for the task.

Preview code Run Save Cancel Help



Conditional Least Squares Estimation					
Parameter	Estimate	Standard Error	t Value	Approx Pr >  t	Lag
MA1,1	0.0013665	0.0093286	0.15	0.8836	1
MA1,2	0.97925	0.0092349	106.04	<.0001	6
AR1,1	-0.28875	0.03707	-7.79	<.0001	1
AR1,2	0.09525	0.03771	2.53	0.0118	6

*statistically insignificant*

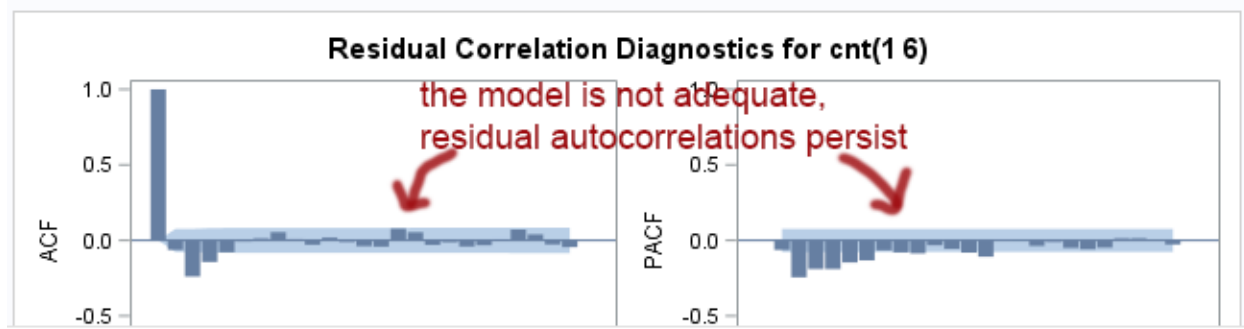
*coefficients*

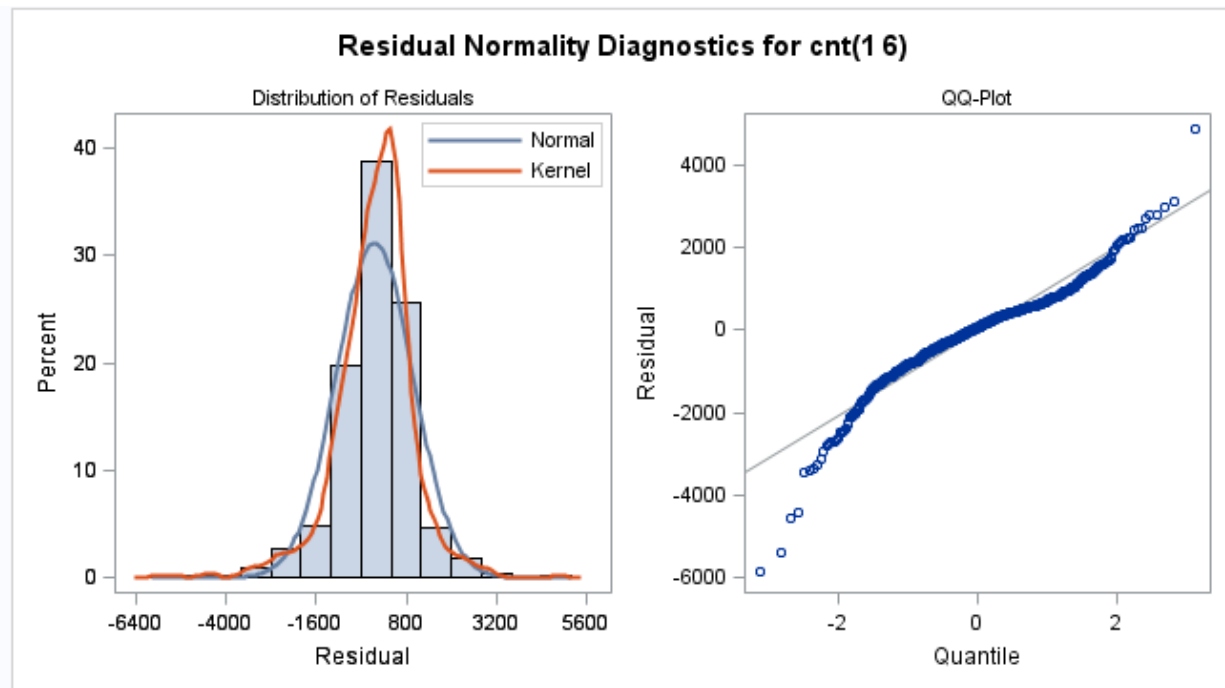
Variance Estimate	1056748
Std Error Estimate	1027.983
AIC	11583.04
SBC	11601.2
Number of Residuals	693

\* AIC and SBC do not include log determinant.

Correlations of Parameter Estimates				
Parameter	MA1,1	MA1,2	AR1,1	AR1,2
MA1,1	1.000	-0.405	0.188	-0.152
MA1,2	-0.405	1.000	-0.003	0.244
AR1,1	0.188	-0.003	1.000	0.004
AR1,2	-0.152	0.244	0.004	1.000

Autocorrelation Check of Residuals									
To Lag	Chi-Square	DF	Pr > ChiSq	Autocorrelations					
6	60.42	2	<.0001	-0.062	-0.238	-0.141	-0.077	-0.005	0.015
12	64.50	8	<.0001	0.056	0.010	-0.027	0.020	-0.009	-0.037
18	73.99	14	<.0001	-0.040	0.079	0.055	-0.028	-0.011	-0.039
24	81.58	20	<.0001	-0.031	0.009	0.073	0.041	-0.026	-0.043
30	102.39	26	<.0001	-0.052	0.048	0.012	0.054	0.126	-0.069
36	111.92	32	<.0001	-0.066	-0.078	-0.006	0.021	0.038	0.028
42	120.65	38	<.0001	0.052	-0.077	0.009	-0.044	0.023	0.027
48	126.36	44	<.0001	0.036	0.005	-0.073	0.025	0.008	-0.018





#### Model for variable cnt

Period(s) of Differencing 1,6

No mean term in this model.

Coefficients  
to be used  
in the  
formula

#### Autoregressive Factors

Factor 1:  $1 + 0.28875 B^{**}(1) - 0.09525 B^{**}(6)$

#### Moving Average Factors

Factor 1:  $1 - 0.00137 B^{**}(1) - 0.97925 B^{**}(6)$