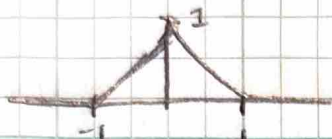
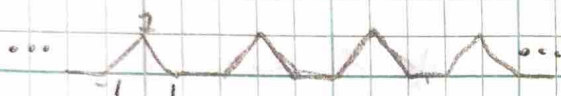


1.42C Determine whether the following signals are periodic. If they are, find the fundamental period.

c.) $x(t) = \sum_{k=-\infty}^{\infty} w(t-3k)$ for $w(t)$ below

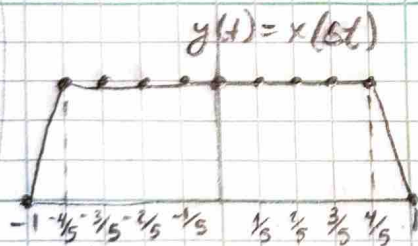
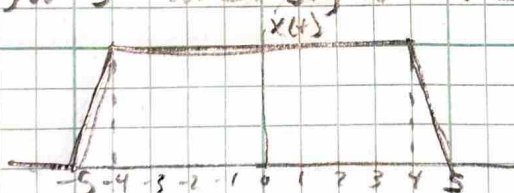


periodic signal: $x(t) = x(t+T)$

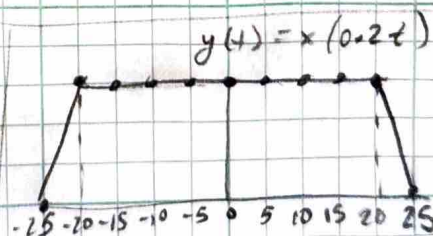


Periodic, fundamental frequency
 $= \frac{1}{3}$

1.50 The trapezoidal pulse $x(t)$ of figure below is time scaled, producing the equation $y(t) = x(at)$. Sketch $y(t)$ for a.) $a=5$ and b.) $a=0.2$

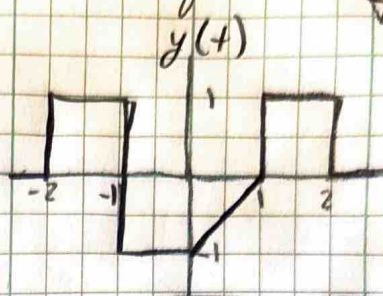
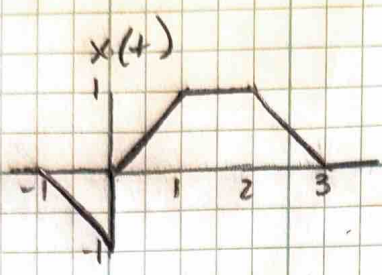


$$\begin{aligned} y(0) &= x(0) \\ y(1) &= x(5) \\ y(-1) &= x(-5) \\ y(4/5) &= x(4) \\ y(2/5) &= x(2) \end{aligned}$$

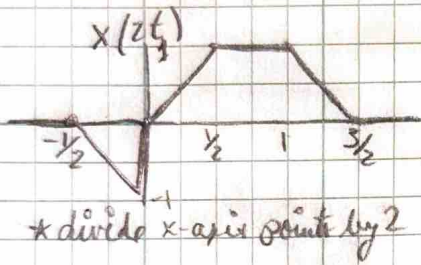


$$\begin{aligned} y(0) &= x(0) \\ y(25) &= x(5) \\ y(20) &= x(4) \end{aligned}$$

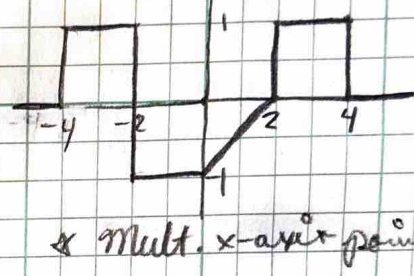
(1.52f) Let $x(t)$ and $y(t)$ be given in figure P1.52(a) and (b). Sketch the following.



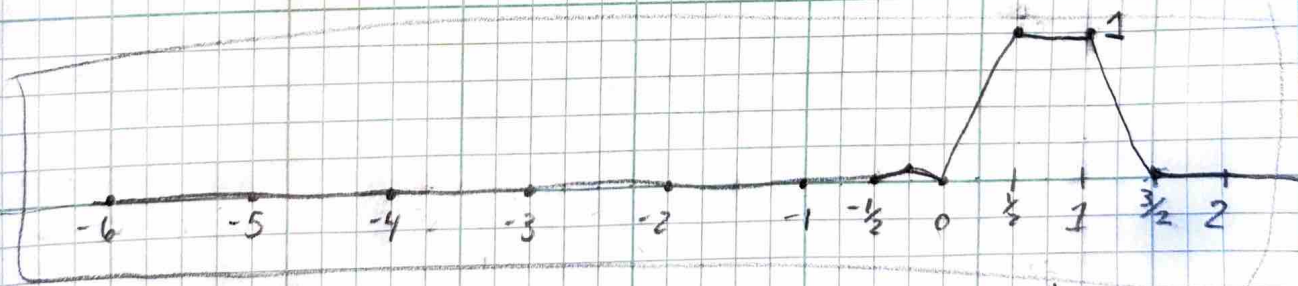
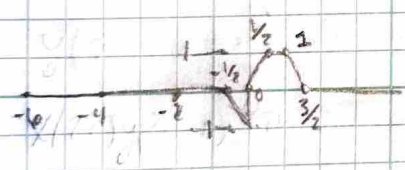
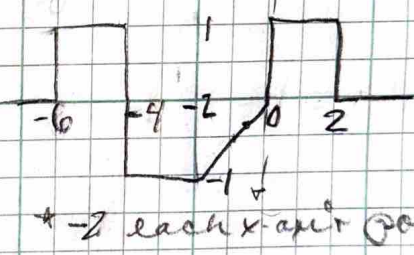
f.) $x(2t)y(\frac{1}{2}t+1)$



$w(t) = y(\frac{1}{2}t)$



$y(\frac{1}{2}t+1) = w(t+2) = y(\frac{1}{2}(t+2))$



$f(0) = x(0)y(1) = 0(0) = -1(0)(0)$
 $f(\frac{1}{2}) = x(1)y(\frac{1}{4}) = 1$
 $f(1) = x(2)y(\frac{3}{2}) = 1(1) = 1$
 $f(\frac{3}{2}) = x(3)y(\frac{5}{4}+1) = 0$

$y = mx + b$
 $0 = (-2)(-1/2) + b$
 $0 = 1 + b$
 $b = -1$
 $y_1 = -2x - 1$

$y_2 = \frac{1}{2}x$

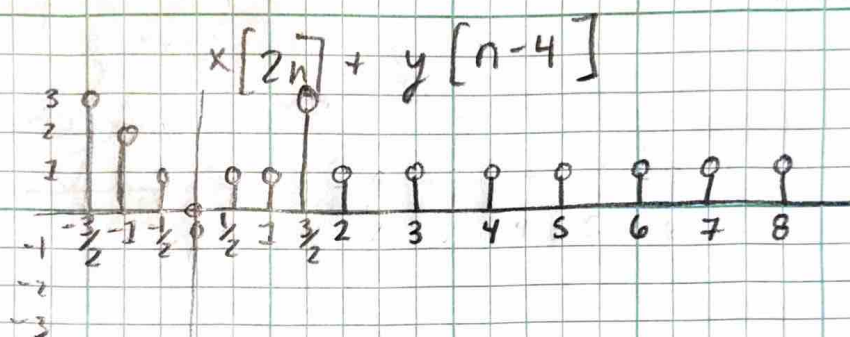
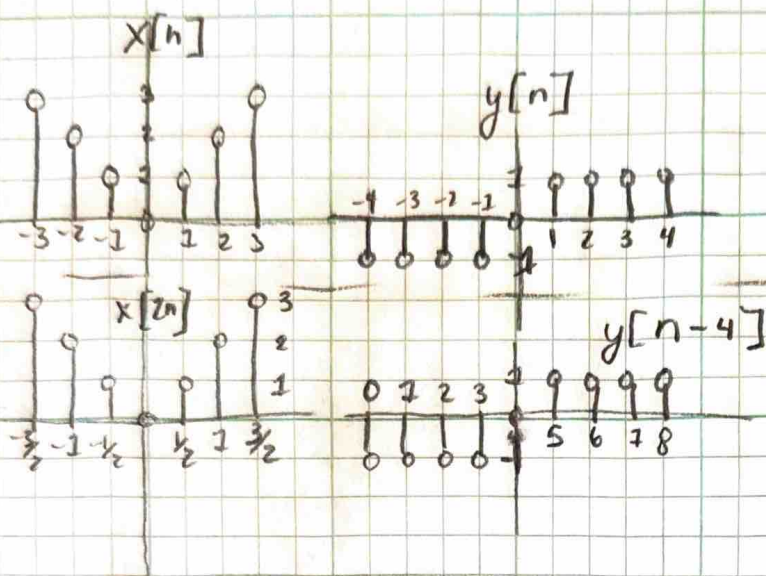
$y = y_1 y_2 = (-2x - 1)(\frac{1}{2}x)$

$y = -x^2 - \frac{x}{2} \Rightarrow y(\frac{1}{4}) = -(\frac{1}{4})^2 - (\frac{1}{4}) = -\frac{1}{2}$

1.56f

Sketch $x[2n] + y[n-4]$

3/4



1.57c

Determine if periodic, if it is find the fundamental period.

c.) $x(t) = \cos(2t) + \sin(3t)$

$\cos(x+2\pi) = \cos x$ and $\sin(x+2\pi) = \sin x$

Periodic, fundamental frequency = 2π

1.60 Consider the complex-valued exponential signal $x(t) = Ae^{\alpha t + j\omega t}$, $\alpha > 0$ 4/4
Evaluate real and imaginary components of $x(t)$.

$$x(t) = Ae^{\alpha t + j\omega t} = A[e^{\alpha t} \cdot e^{j\omega t}]$$

$$x(t) = A[e^{\alpha t} (\cos(\omega t) + j\sin(\omega t))]$$

$$x(t) = Ae^{\alpha t} \cos(\omega t) + jAe^{\alpha t} \sin(\omega t)$$

$$\text{Real: } Ae^{\alpha t} \cos \omega t$$

$$\text{Imaginary: } Ae^{\alpha t} \sin \omega t$$

```
Editor - C:\Users\sethr\OneDrive\Desktop\ECEN380\Homework\Homework 1\homework1.m
homework1.m MATLAB_review.m +
1 % x(t) = 10e^(-t) - 5e^(-0.5t)
2 % plot x(t) versus t for t = 0:0.01:5
3 t = 0:0.01:5;
4 x = 10 * exp(-t) - 5 * exp(-0.5 * t);
5 plot(t,x);
6 grid on;
7 title('Seth Ricks');
8 xlabel('t');
9 ylabel('X(t)');
10
11
```

