

PSMent

**Pyramid stereo matching network, 2018 CVPR,
Spatial pyramid pooling module implementation**

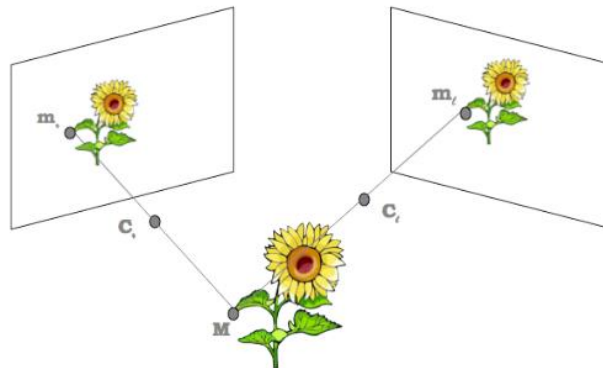
한국과학기술원

시각지능연구실

조훈희

What is stereo matching?

- Stereo matching is process of finding correspondence from one image (left) with the other image (right)
- We can call the difference in x axis as “disparity”
- By computing all this “disparity” for all pixels, we can get disparity image
- Using this disparity image along with the baseline information and focal length, we can acquire the depth



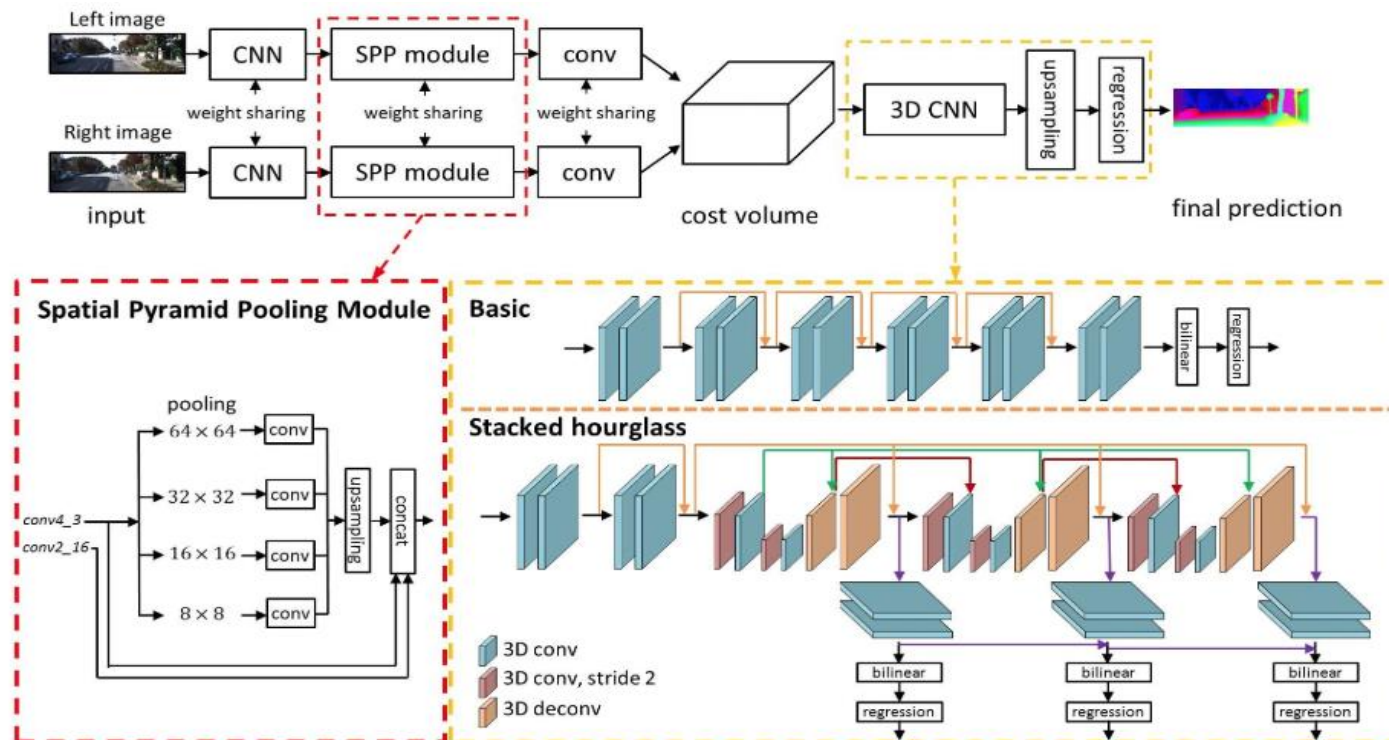
The major problem with current CNN-based stereo matching method

- It is still hard to find accurate correspondences in **ill-posed regions**. (occlusion areas, repeated patterns, texture-less regions, and reflective surfaces, etc.)
- Solely applying the intensity-consistency constraint b/w different viewpoints is insufficient for accurate correspondence estimation in **such ill-posed regions**.
- Global context information must be incorporated into stereo matching(ex, DispNet, CRL, GC-Net)

Then, how to effectively exploit **context information?**

Pyramid stereo matching network

- Spatial Pyramid Pooling module
- 3D CNN(stacked hourglass)

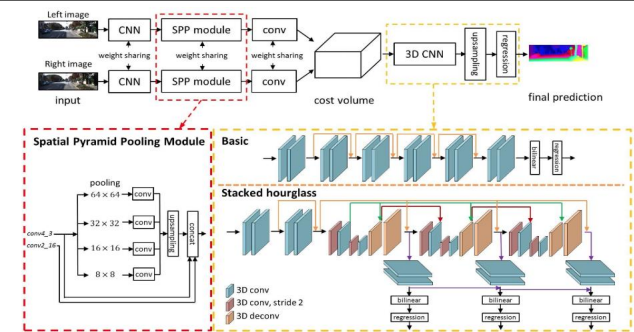


Pyramid stereo Matching Network.

Network layers

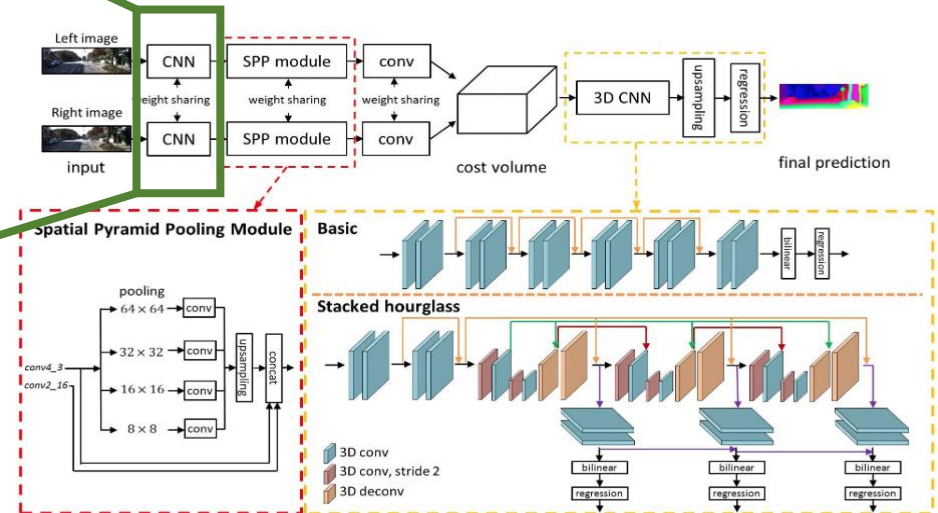
Name	Layer setting	Output dimension
input		$H \times W \times 3$
CNN		
conv0_1	$3 \times 3, 32$	$\frac{1}{2}H \times \frac{1}{2}W \times 32$
conv0_2	$3 \times 3, 32$	$\frac{1}{2}H \times \frac{1}{2}W \times 32$
conv0_3	$3 \times 3, 32$	$\frac{1}{2}H \times \frac{1}{2}W \times 32$
conv1_x	$\begin{bmatrix} 3 \times 3, 32 \\ 3 \times 3, 32 \end{bmatrix} \times 3$	$\frac{1}{2}H \times \frac{1}{2}W \times 32$
conv2_x	$\begin{bmatrix} 3 \times 3, 64 \\ 3 \times 3, 64 \end{bmatrix} \times 16$	$\frac{1}{4}H \times \frac{1}{4}W \times 64$
conv3_x	$\begin{bmatrix} 3 \times 3, 128 \\ 3 \times 3, 128 \end{bmatrix} \times 3, \text{dila} = 2$	$\frac{1}{4}H \times \frac{1}{4}W \times 128$
conv4_x	$\begin{bmatrix} 3 \times 3, 128 \\ 3 \times 3, 128 \end{bmatrix} \times 3, \text{dila} = 4$	$\frac{1}{4}H \times \frac{1}{4}W \times 128$
SPP module		
branch_1	64×64 avg. pool $3 \times 3, 32$ bilinear interpolation	$\frac{1}{4}H \times \frac{1}{4}W \times 32$
branch_2	32×32 avg. pool $3 \times 3, 32$ bilinear interpolation	$\frac{1}{4}H \times \frac{1}{4}W \times 32$
branch_3	16×16 avg. pool $3 \times 3, 32$ bilinear interpolation	$\frac{1}{4}H \times \frac{1}{4}W \times 32$
branch_4	8×8 avg. pool $3 \times 3, 32$ bilinear interpolation	$\frac{1}{4}H \times \frac{1}{4}W \times 32$
concat[conv2_16, conv4_3, branch_1, branch_2, branch_3, branch_4]		$\frac{1}{4}H \times \frac{1}{4}W \times 320$
fusion	$3 \times 3, 128$ $1 \times 1, 32$	$\frac{1}{4}H \times \frac{1}{4}W \times 32$
Cost volume		
Concat left and shifted right		$\frac{1}{4}D \times \frac{1}{4}H \times \frac{1}{4}W \times 64$

3D CNN (stacked hourglass)		
3Dconv0	$3 \times 3 \times 3, 32$ $3 \times 3 \times 3, 32$	$\frac{1}{4}D \times \frac{1}{4}H \times \frac{1}{4}W \times 32$
3Dconv1	$\begin{bmatrix} 3 \times 3 \times 3, 32 \\ 3 \times 3 \times 3, 32 \end{bmatrix}$	$\frac{1}{4}D \times \frac{1}{4}H \times \frac{1}{4}W \times 32$
3Dstack1_1	$3 \times 3 \times 3, 64$ $3 \times 3 \times 3, 64$	$\frac{1}{8}D \times \frac{1}{8}H \times \frac{1}{8}W \times 64$
3Dstack1_2	$3 \times 3 \times 3, 64$ $3 \times 3 \times 3, 64$	$\frac{1}{16}D \times \frac{1}{16}H \times \frac{1}{16}W \times 64$
3Dstack1_3	deconv $3 \times 3 \times 3, 64$ add 3Dstack1_1	$\frac{1}{8}D \times \frac{1}{8}H \times \frac{1}{8}W \times 64$
3Dstack1_4	deconv $3 \times 3 \times 3, 32$ add 3Dconv1	$\frac{1}{4}D \times \frac{1}{4}H \times \frac{1}{4}W \times 32$
3Dstack2_1	$3 \times 3 \times 3, 64$ $3 \times 3 \times 3, 64$ add 3Dstack1_3	$\frac{1}{8}D \times \frac{1}{8}H \times \frac{1}{8}W \times 64$
3Dstack2_2	$3 \times 3 \times 3, 64$ $3 \times 3 \times 3, 64$	$\frac{1}{16}D \times \frac{1}{16}H \times \frac{1}{16}W \times 64$
3Dstack2_3	deconv $3 \times 3 \times 3, 64$ add 3Dstack1_1	$\frac{1}{8}D \times \frac{1}{8}H \times \frac{1}{8}W \times 64$
3Dstack2_4	deconv $3 \times 3 \times 3, 32$ add 3Dconv1	$\frac{1}{4}D \times \frac{1}{4}H \times \frac{1}{4}W \times 32$
3Dstack3_1	$3 \times 3 \times 3, 64$ $3 \times 3 \times 3, 64$ add 3Dstack2_3	$\frac{1}{8}D \times \frac{1}{8}H \times \frac{1}{8}W \times 64$
3Dstack3_2	$3 \times 3 \times 3, 64$ $3 \times 3 \times 3, 64$	$\frac{1}{16}D \times \frac{1}{16}H \times \frac{1}{16}W \times 64$
3Dstack3_3	deconv $3 \times 3 \times 3, 64$ add 3Dstack1_1	$\frac{1}{8}D \times \frac{1}{8}H \times \frac{1}{8}W \times 64$
3Dstack3_4	deconv $3 \times 3 \times 3, 32$ add 3Dconv1	$\frac{1}{4}D \times \frac{1}{4}H \times \frac{1}{4}W \times 32$
output_1	$3 \times 3 \times 3, 32$ $3 \times 3 \times 3, 1$	$\frac{1}{4}D \times \frac{1}{4}H \times \frac{1}{4}W \times 1$
output_2	$3 \times 3 \times 3, 32$ $3 \times 3 \times 3, 1$ add output_1	$\frac{1}{4}D \times \frac{1}{4}H \times \frac{1}{4}W \times 1$
output_3	$3 \times 3 \times 3, 32$ $3 \times 3 \times 3, 1$ add output_2	$\frac{1}{4}D \times \frac{1}{4}H \times \frac{1}{4}W \times 1$



Network layers – feature extraction

Name	Layer setting	Output dimension
input		$H \times W \times 3$
CNN		
conv0_1	$3 \times 3, 32$	$\frac{1}{2}H \times \frac{1}{2}W \times 32$
conv0_2	$3 \times 3, 32$	$\frac{1}{2}H \times \frac{1}{2}W \times 32$
conv0_3	$3 \times 3, 32$	$\frac{1}{2}H \times \frac{1}{2}W \times 32$
conv1_x	$\begin{bmatrix} 3 \times 3, 32 \\ 3 \times 3, 32 \end{bmatrix} \times 3$	$\frac{1}{2}H \times \frac{1}{2}W \times 32$
conv2_x	$\begin{bmatrix} 3 \times 3, 64 \\ 3 \times 3, 64 \end{bmatrix} \times 16$	$\frac{1}{4}H \times \frac{1}{4}W \times 64$
conv3_x	$\begin{bmatrix} 3 \times 3, 128 \\ 3 \times 3, 128 \end{bmatrix} \times 3, \text{dila} = 2$	$\frac{1}{4}H \times \frac{1}{4}W \times 128$
conv4_x	$\begin{bmatrix} 3 \times 3, 128 \\ 3 \times 3, 128 \end{bmatrix} \times 3, \text{dila} = 4$	$\frac{1}{4}H \times \frac{1}{4}W \times 128$
SPP module		
branch_1	64×64 avg. pool $3 \times 3, 32$ bilinear interpolation	$\frac{1}{4}H \times \frac{1}{4}W \times 32$
branch_2	32×32 avg. pool $3 \times 3, 32$ bilinear interpolation	$\frac{1}{4}H \times \frac{1}{4}W \times 32$
branch_3	16×16 avg. pool $3 \times 3, 32$ bilinear interpolation	$\frac{1}{4}H \times \frac{1}{4}W \times 32$
branch_4	8×8 avg. pool $3 \times 3, 32$ bilinear interpolation	$\frac{1}{4}H \times \frac{1}{4}W \times 32$
concat[conv2_16, conv4_3, branch_1, branch_2, branch_3, branch_4]		$\frac{1}{4}H \times \frac{1}{4}W \times 320$
fusion	$3 \times 3, 128$ $1 \times 1, 32$	$\frac{1}{4}H \times \frac{1}{4}W \times 32$
Cost volume		
Concat left and shifted right		$\frac{1}{4}D \times \frac{1}{4}H \times \frac{1}{4}W \times 64$

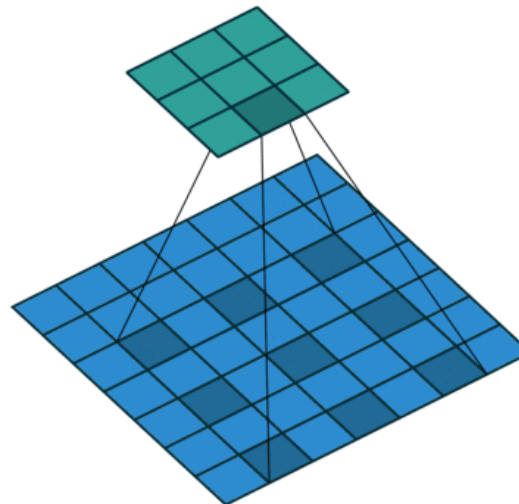


Network layers – Dilated convolution

- In dilated convolution, we define dilation as the spacing between kernel.
- As 3x3 kernel with a dilation rate of 2 uses 9 parameters and has the same receptive field as a 5x5 kernel.

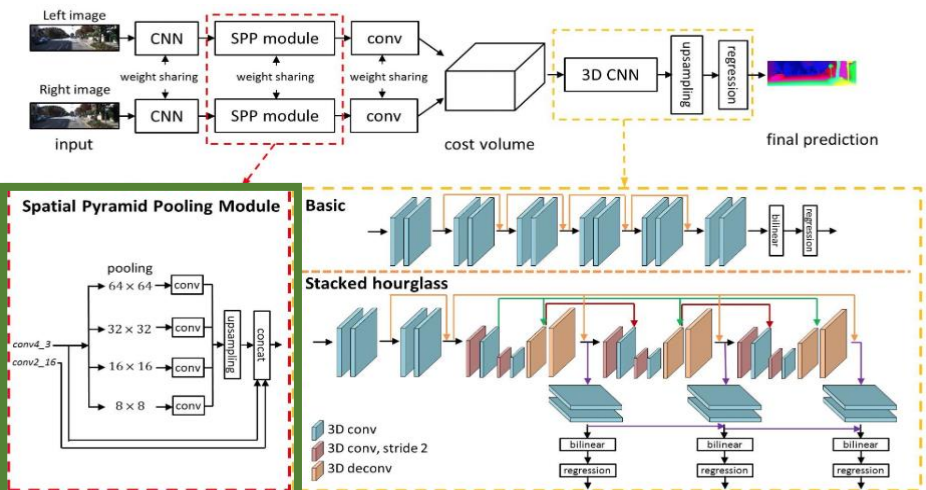
Dilated Convolutions (확장된 Convolution)

(a.k.a. atrous convolutions)



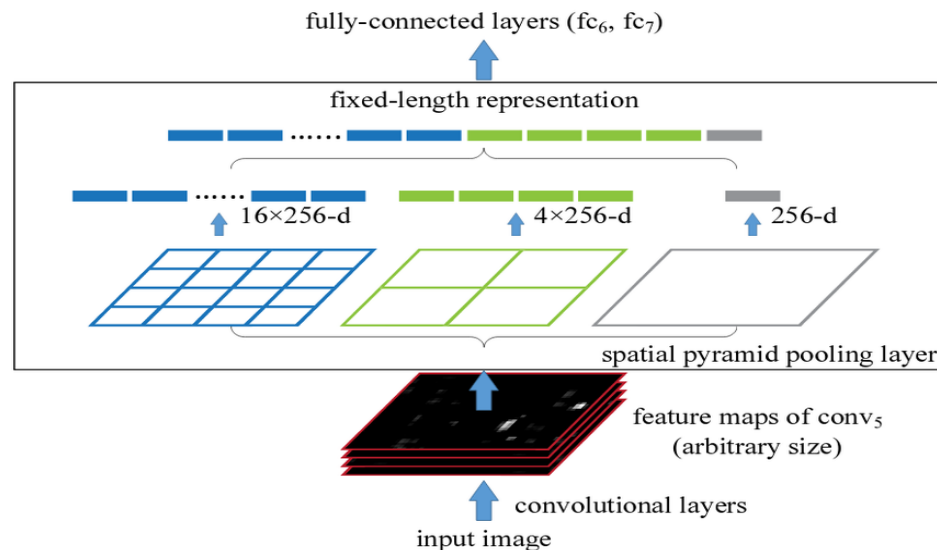
Network layers – SPP module

Name	Layer setting	Output dimension
input		$H \times W \times 3$
CNN		
conv0_1	$3 \times 3, 32$	$\frac{1}{2}H \times \frac{1}{2}W \times 32$
conv0_2	$3 \times 3, 32$	$\frac{1}{2}H \times \frac{1}{2}W \times 32$
conv0_3	$3 \times 3, 32$	$\frac{1}{2}H \times \frac{1}{2}W \times 32$
conv1_x	$\begin{bmatrix} 3 \times 3, 32 \\ 3 \times 3, 32 \end{bmatrix} \times 3$	$\frac{1}{2}H \times \frac{1}{2}W \times 32$
conv2_x	$\begin{bmatrix} 3 \times 3, 64 \\ 3 \times 3, 64 \end{bmatrix} \times 16$	$\frac{1}{4}H \times \frac{1}{4}W \times 64$
conv3_x	$\begin{bmatrix} 3 \times 3, 128 \\ 3 \times 3, 128 \end{bmatrix} \times 3, \text{dila} = 2$	$\frac{1}{4}H \times \frac{1}{4}W \times 128$
conv4_x	$\begin{bmatrix} 3 \times 3, 128 \\ 3 \times 3, 128 \end{bmatrix} \times 3, \text{dila} = 4$	$\frac{1}{4}H \times \frac{1}{4}W \times 128$
SPP module		
branch_1	64×64 avg. pool $3 \times 3, 32$ bilinear interpolation	$\frac{1}{4}H \times \frac{1}{4}W \times 32$
branch_2	32×32 avg. pool $3 \times 3, 32$ bilinear interpolation	$\frac{1}{4}H \times \frac{1}{4}W \times 32$
branch_3	16×16 avg. pool $3 \times 3, 32$ bilinear interpolation	$\frac{1}{4}H \times \frac{1}{4}W \times 32$
branch_4	8×8 avg. pool $3 \times 3, 32$ bilinear interpolation	$\frac{1}{4}H \times \frac{1}{4}W \times 32$
concat[conv2_16, conv4_3, branch_1, branch_2, branch_3, branch_4]		$\frac{1}{4}H \times \frac{1}{4}W \times 320$
fusion	$3 \times 3, 128$ $1 \times 1, 32$	$\frac{1}{4}H \times \frac{1}{4}W \times 32$
Cost volume		
Concat left and shifted right		$\frac{1}{4}D \times \frac{1}{4}H \times \frac{1}{4}W \times 64$



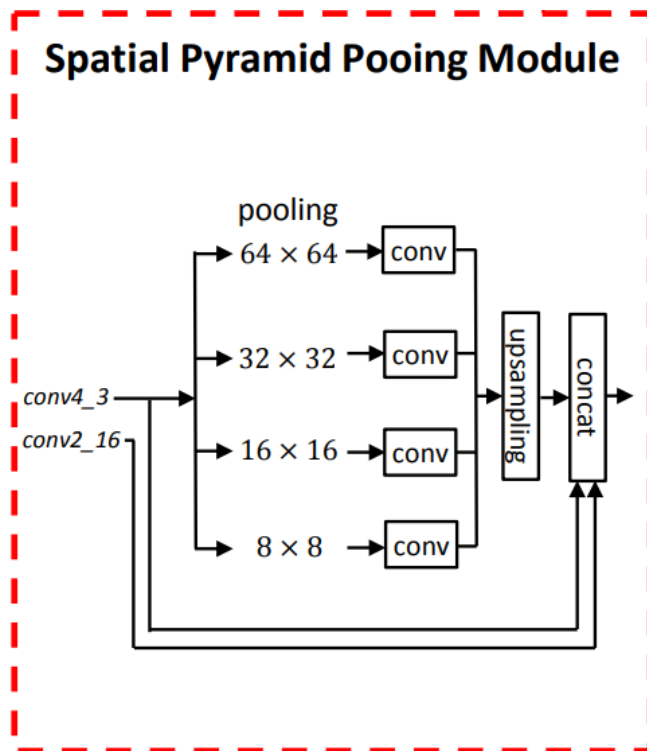
Spatial pyramid pooling (SPP)

- To enlarge the receptive field.
- Enables PSMNet to extend pixel-level features to region-level features with different scales of receptive fields
- Global and local feature clues are used to form the cost volume for reliable disparity estimation.



Network layers - Spatial pyramid pooling (SPP)

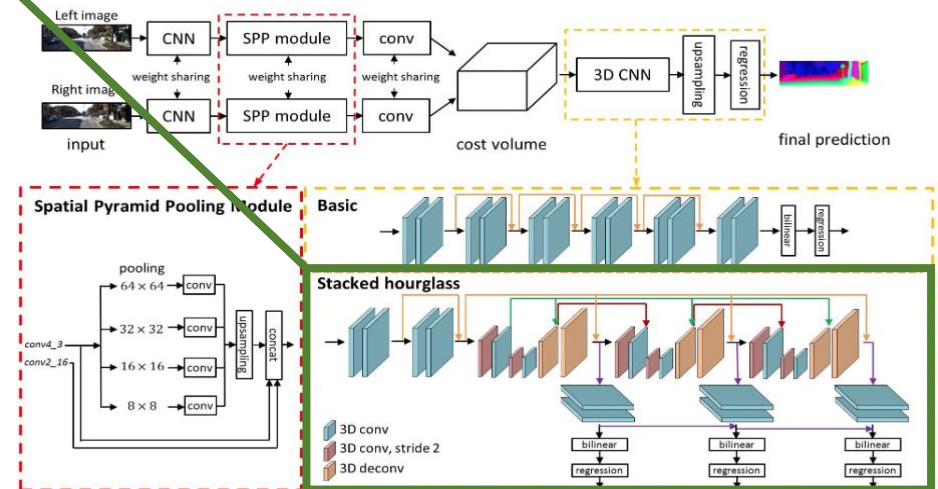
: The relationship between an object and its sub-regions is learned by the SPP module to incorporate hierarchical context information.



SPP module		
branch_1	64 × 64 avg. pool 3 × 3, 32 bilinear interpolation	$\frac{1}{4}H \times \frac{1}{4}W \times 32$
branch_2	32 × 32 avg. pool 3 × 3, 32 bilinear interpolation	$\frac{1}{4}H \times \frac{1}{4}W \times 32$
branch_3	16 × 16 avg. pool 3 × 3, 32 bilinear interpolation	$\frac{1}{4}H \times \frac{1}{4}W \times 32$
branch_4	8 × 8 avg. pool 3 × 3, 32 bilinear interpolation	$\frac{1}{4}H \times \frac{1}{4}W \times 32$
concat[conv2_16, conv4_3, branch_1, branch_2, branch_3, branch_4]		$\frac{1}{4}H \times \frac{1}{4}W \times 320$
fusion	3 × 3, 128 1 × 1, 32	$\frac{1}{4}H \times \frac{1}{4}W \times 32$

Network layers – 3D CNN

3D CNN (stacked hourglass)		
3Dconv0	$3 \times 3 \times 3, 32$ $3 \times 3 \times 3, 32$	$\frac{1}{4}D \times \frac{1}{4}H \times \frac{1}{4}W \times 32$
3Dconv1	$\begin{bmatrix} 3 \times 3 \times 3, 32 \\ 3 \times 3 \times 3, 32 \end{bmatrix}$	$\frac{1}{4}D \times \frac{1}{4}H \times \frac{1}{4}W \times 32$
3Dstack1_1	$3 \times 3 \times 3, 64$ $3 \times 3 \times 3, 64$	$\frac{1}{8}D \times \frac{1}{8}H \times \frac{1}{8}W \times 64$
3Dstack1_2	$3 \times 3 \times 3, 64$ $3 \times 3 \times 3, 64$	$\frac{1}{16}D \times \frac{1}{16}H \times \frac{1}{16}W \times 64$
3Dstack1_3	deconv $3 \times 3 \times 3, 64$ add 3Dstack1_1	$\frac{1}{8}D \times \frac{1}{8}H \times \frac{1}{8}W \times 64$
3Dstack1_4	deconv $3 \times 3 \times 3, 32$ add 3Dconv1	$\frac{1}{4}D \times \frac{1}{4}H \times \frac{1}{4}W \times 32$
3Dstack2_1	$3 \times 3 \times 3, 64$ $3 \times 3 \times 3, 64$ add 3Dstack1_3	$\frac{1}{8}D \times \frac{1}{8}H \times \frac{1}{8}W \times 64$
3Dstack2_2	$3 \times 3 \times 3, 64$ $3 \times 3 \times 3, 64$	$\frac{1}{16}D \times \frac{1}{16}H \times \frac{1}{16}W \times 64$
3Dstack2_3	deconv $3 \times 3 \times 3, 64$ add 3Dstack1_1	$\frac{1}{8}D \times \frac{1}{8}H \times \frac{1}{8}W \times 64$
3Dstack2_4	deconv $3 \times 3 \times 3, 32$ add 3Dconv1	$\frac{1}{4}D \times \frac{1}{4}H \times \frac{1}{4}W \times 32$
3Dstack3_1	$3 \times 3 \times 3, 64$ $3 \times 3 \times 3, 64$ add 3Dstack2_3	$\frac{1}{8}D \times \frac{1}{8}H \times \frac{1}{8}W \times 64$
3Dstack3_2	$3 \times 3 \times 3, 64$ $3 \times 3 \times 3, 64$	$\frac{1}{16}D \times \frac{1}{16}H \times \frac{1}{16}W \times 64$
3Dstack3_3	deconv $3 \times 3 \times 3, 64$ add 3Dstack1_1	$\frac{1}{8}D \times \frac{1}{8}H \times \frac{1}{8}W \times 64$
3Dstack3_4	deconv $3 \times 3 \times 3, 32$ add 3Dconv1	$\frac{1}{4}D \times \frac{1}{4}H \times \frac{1}{4}W \times 32$
output_1	$3 \times 3 \times 3, 32$ $3 \times 3 \times 3, 1$	$\frac{1}{4}D \times \frac{1}{4}H \times \frac{1}{4}W \times 1$
output_2	$3 \times 3 \times 3, 32$ $3 \times 3 \times 3, 1$ add output_1	$\frac{1}{4}D \times \frac{1}{4}H \times \frac{1}{4}W \times 1$
output_3	$3 \times 3 \times 3, 32$ $3 \times 3 \times 3, 1$ add output_2	$\frac{1}{4}D \times \frac{1}{4}H \times \frac{1}{4}W \times 1$



(Stacked hourglass) 3D CNN

- To regularize cost volume.
- Repeatedly processes the cost volume in a top-down/bottom-up manner to further improve the utilization of global context information
- Extends the regional support of context information in the cost volume.

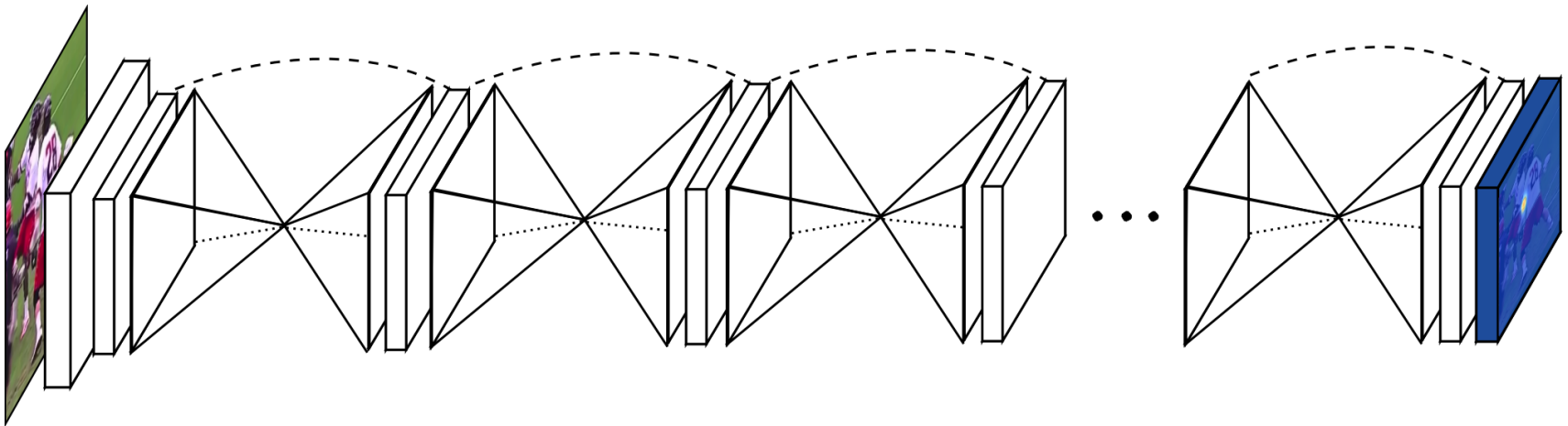


Table 4. The KITTI 2015 leaderboard presented on March 18, 2018. The results show the percentage of pixels with errors of more than three pixels or 5% of disparity error from all test images. Only published methods are listed for comparison.

Rank	Method	All (%)			Noc (%)			Runtime (s)
		D1-bg	D1-fg	D1-all	D1-bg	D1-fg	D1-all	
1	PSMNet (ours)	1.86	4.62	2.32	1.71	4.31	2.14	0.41
3	iResNet-i2e2 [14]	2.14	3.45	2.36	1.94	3.20	2.15	0.22
6	iResNet [14]	2.35	3.23	2.50	2.15	2.55	2.22	0.12
8	CRL [21]	2.48	3.59	2.67	2.32	3.12	2.45	0.47
11	GC-Net [13]	2.21	6.16	2.87	2.02	5.58	2.61	0.90

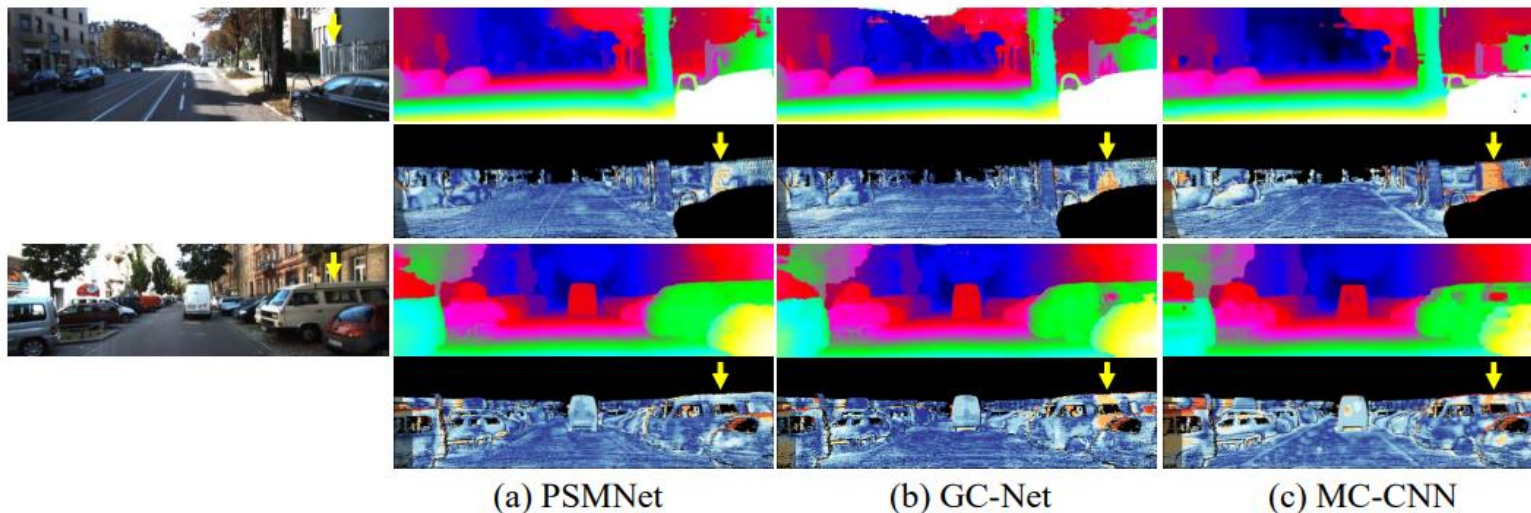


Figure 2. Results of disparity estimation for KITTI 2015 test images. The left panel shows the left input image of stereo image pair. For each input image, the disparity maps obtained by (a) PSMNet, (b) GC-Net [13], and (c) MC-CNN [30] are illustrated together above their error maps.

Linking with google drive for colab

1. Google 계정을 로그인 하세요

2. 다음 링크 클릭

https://drive.google.com/drive/folders/1UgthQcbGnMq0A_wguC9px5qrmCbs07Wc?usp=sharing

3. 좌측 상단의 PSMNet 우클릭-> 드라이브에 바로가기 추가-> 내 드라이브 -> 바로가기 추가

4. 내 드라이브에서 공유된 폴더 확인

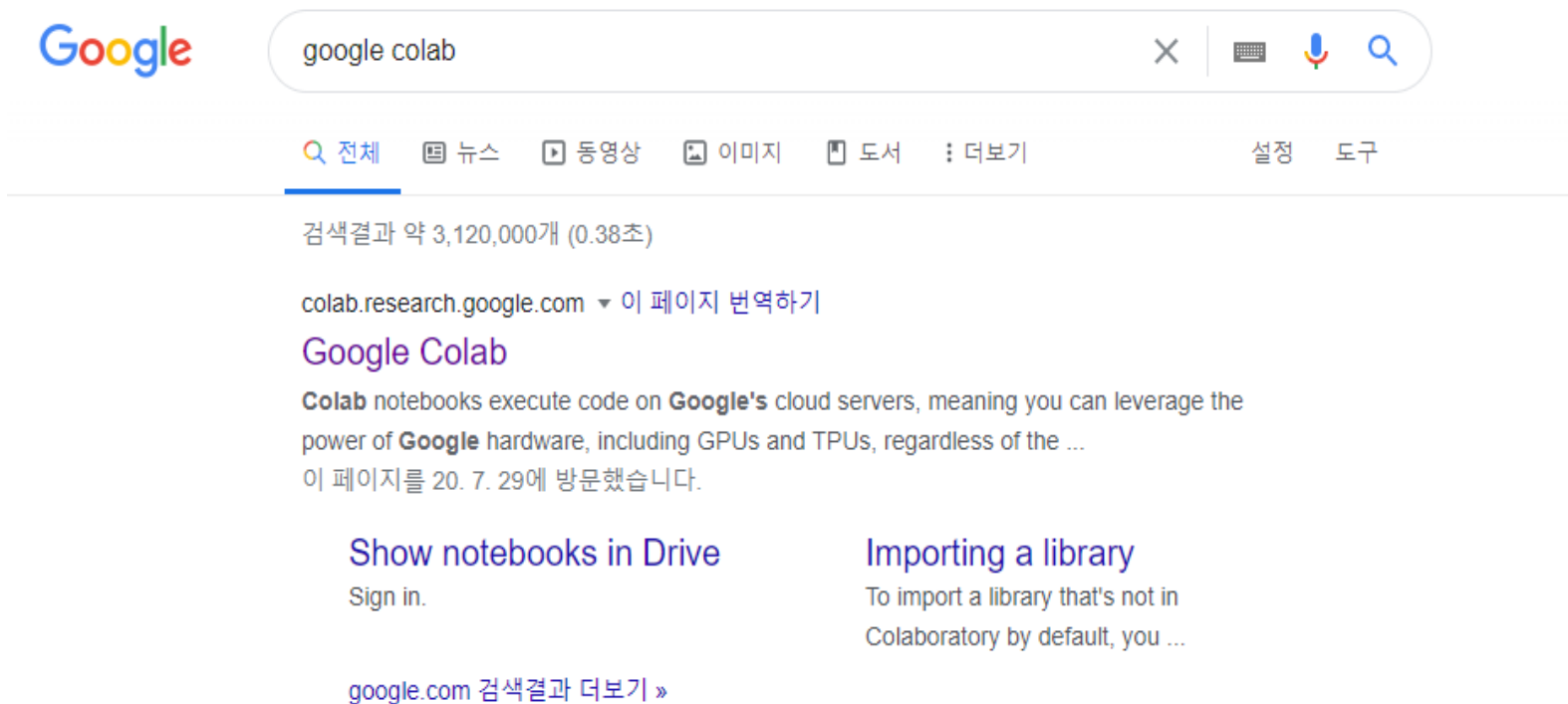


Prerequisite - Colab

1. Colab으로 들어가기

<https://colab.research.google.com/notebooks/intro.ipynb>

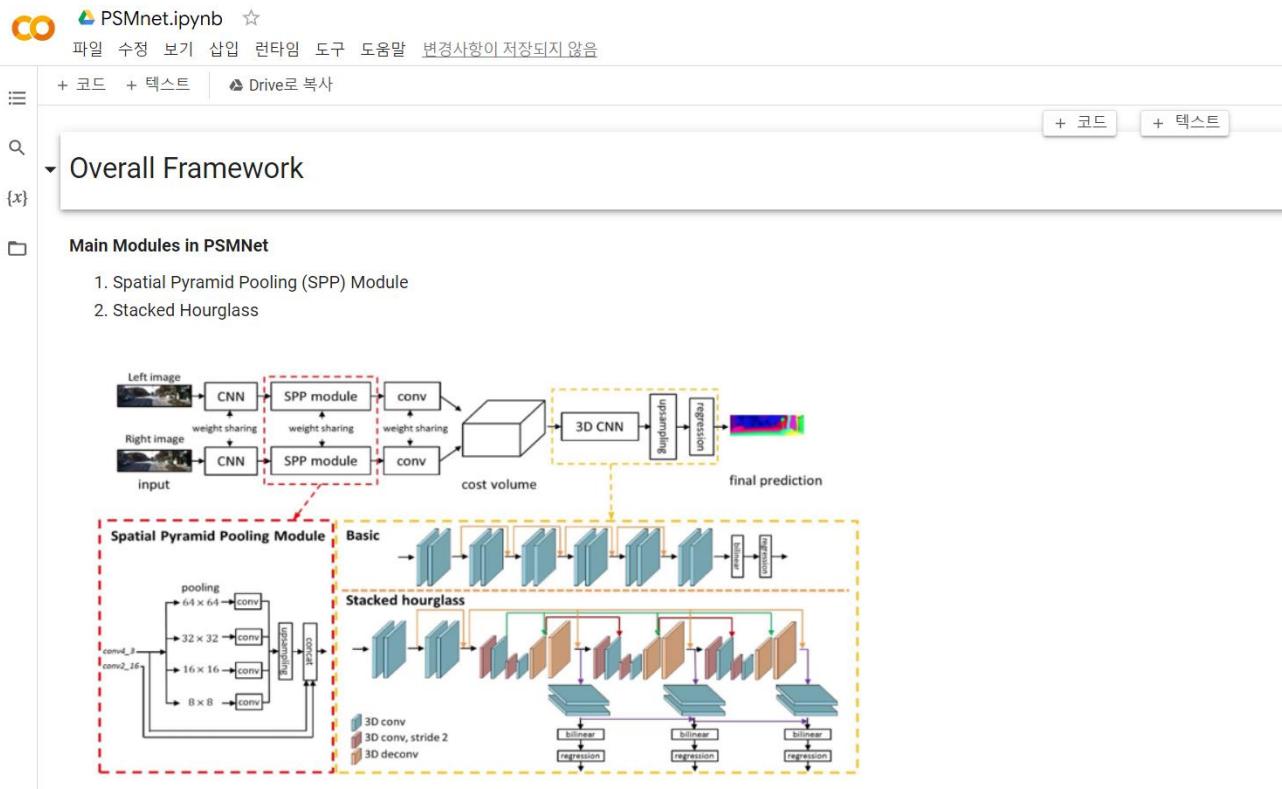
또는 구글 코랩 검색해서 사이트 들어가기



Prerequisite - Colab

2. 아래 링크를 통해 Colab 접속 및 또는 ipynb 파일 다운로드

https://colab.research.google.com/drive/1y-f9_ee5APy5rPKhwZorQq8Q_bothx24?usp=drive_link



Prerequisite - Colab

런타임 -> 런타임 유형 변경 -> 하드웨어 가속기(GPU)

(eng) runtime -> change runtime type -> GPU

PSMnet/_PSMnet.ipynb

파일 수정 보기 삽입 런타임 도구 도움말



노트 설정

하드웨어 가속기

GPU ?

Colab를 최대한 활용하려면 필요하지 않은
경우 GPU를 사용하지 않는 것이 좋습니다.

[자세히 알아보기](#)

☐ 이 노트를 저장할 때 코드 셀 출력 생략

취소

저장

Prerequisite - Colab

폴더 이름 ↑

PSMNet

드라이브

새로 만들기

▶ 내 드라이브

▶ 컴퓨터

공유 문서함

최근 문서함

중요 문서함

휴지통

- 1) I will provide dataset, checkpoint download link and download the file.
- 2) Put the file in your google drive (at Mydrive, root directory)

Prerequisite - Colab

```
!git clone https://github.com/Chohoonhee/PSMNet_Colab
%cd /content/PSMNet_Colab/PSMnet/

from google.colab import drive

drive.mount('/content/gdrive/')
datapath = '/content/gdrive/MyDrive/PSMNet/data/KITTI_2015/training/'
savemodel = './saved_model'
```

Cloning into 'PSMNet_Colab'...

remote: Enumerating objects: 41, done.

remote: Counting objects: 100% (41/41), done.

remote: Compressing objects: 100% (36/36), done.

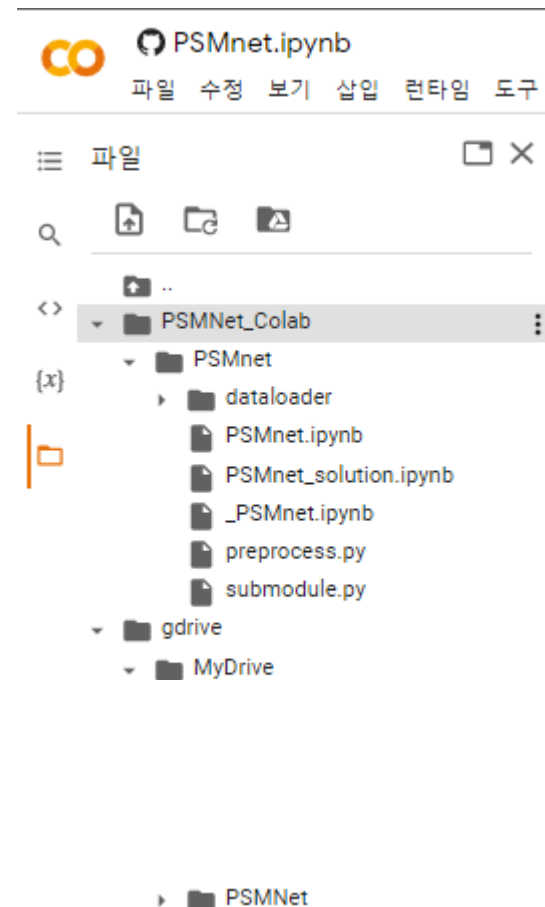
remote: Total 41 (delta 13), reused 0 (delta 0), pack-reused 0

Unpacking objects: 100% (41/41), done.

/content/PSMNet_Colab/PSMnet

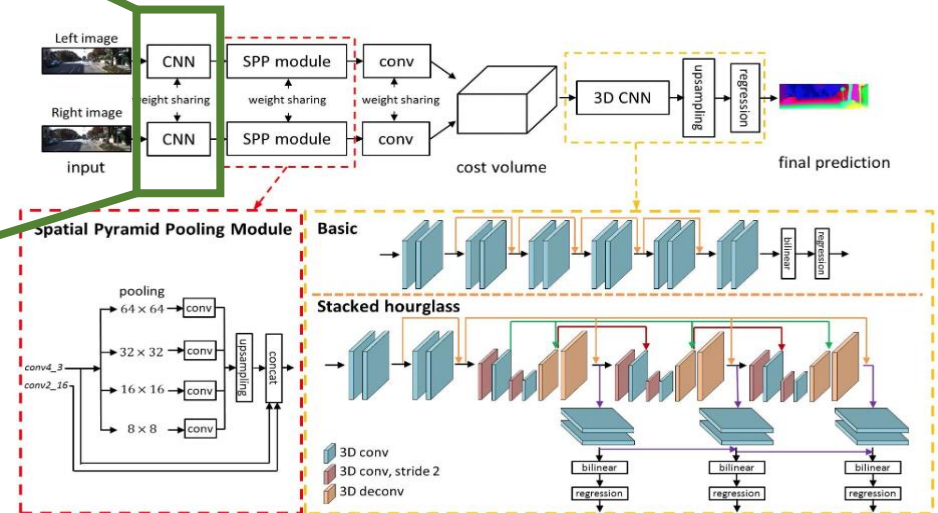
Mounted at /content/gdrive/

- Mount를 위해 colab에서 제일 상단의 코드를 실행
- 실행 후에, 좌측 상단의 파일 부분을 눌러, 정상적으로 mount 되었는지 확인
- 정상적으로 mount 되면 우측의 이미지처럼 되어야 함



Network layers – feature extraction

Name	Layer setting	Output dimension
input		$H \times W \times 3$
CNN		
conv0_1	$3 \times 3, 32$	$\frac{1}{2}H \times \frac{1}{2}W \times 32$
conv0_2	$3 \times 3, 32$	$\frac{1}{2}H \times \frac{1}{2}W \times 32$
conv0_3	$3 \times 3, 32$	$\frac{1}{2}H \times \frac{1}{2}W \times 32$
conv1_x	$\begin{bmatrix} 3 \times 3, 32 \\ 3 \times 3, 32 \end{bmatrix} \times 3$	$\frac{1}{2}H \times \frac{1}{2}W \times 32$
conv2_x	$\begin{bmatrix} 3 \times 3, 64 \\ 3 \times 3, 64 \end{bmatrix} \times 16$	$\frac{1}{4}H \times \frac{1}{4}W \times 64$
conv3_x	$\begin{bmatrix} 3 \times 3, 128 \\ 3 \times 3, 128 \end{bmatrix} \times 3, \text{dila} = 2$	$\frac{1}{4}H \times \frac{1}{4}W \times 128$
conv4_x	$\begin{bmatrix} 3 \times 3, 128 \\ 3 \times 3, 128 \end{bmatrix} \times 3, \text{dila} = 4$	$\frac{1}{4}H \times \frac{1}{4}W \times 128$
SPP module		
branch_1	64×64 avg. pool $3 \times 3, 32$ bilinear interpolation	$\frac{1}{4}H \times \frac{1}{4}W \times 32$
branch_2	32×32 avg. pool $3 \times 3, 32$ bilinear interpolation	$\frac{1}{4}H \times \frac{1}{4}W \times 32$
branch_3	16×16 avg. pool $3 \times 3, 32$ bilinear interpolation	$\frac{1}{4}H \times \frac{1}{4}W \times 32$
branch_4	8×8 avg. pool $3 \times 3, 32$ bilinear interpolation	$\frac{1}{4}H \times \frac{1}{4}W \times 32$
concat[conv2_16, conv4_3, branch_1, branch_2, branch_3, branch_4]		$\frac{1}{4}H \times \frac{1}{4}W \times 320$
fusion	$3 \times 3, 128$ $1 \times 1, 32$	$\frac{1}{4}H \times \frac{1}{4}W \times 32$
Cost volume		
Concat left and shifted right		$\frac{1}{4}D \times \frac{1}{4}H \times \frac{1}{4}W \times 64$



Shape:

- Input: $(N, C_{in}, H_{in}, W_{in})$
- Output: $(N, C_{out}, H_{out}, W_{out})$ where

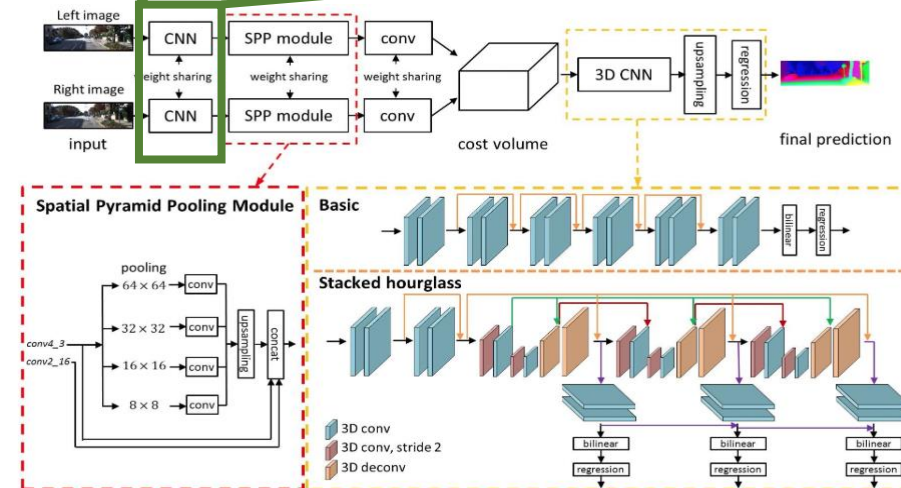
$$H_{out} = \left\lfloor \frac{H_{in} + 2 \times \text{padding}[0] - \text{dilation}[0] \times (\text{kernel_size}[0] - 1) - 1}{\text{stride}[0]} + 1 \right\rfloor$$

$$W_{out} = \left\lfloor \frac{W_{in} + 2 \times \text{padding}[1] - \text{dilation}[1] \times (\text{kernel_size}[1] - 1) - 1}{\text{stride}[1]} + 1 \right\rfloor$$

```
class BasicBlock(nn.Module):
    expansion = 1
    def __init__(self, inplanes, planes, stride, downsample, pad, dilation):
        super(BasicBlock, self).__init__()
        self.conv1 = nn.Sequential(convbn(inplanes, planes, 3, stride, pad, dilation),
                                    nn.ReLU(inplace=True))
        self.conv2 = convbn(planes, planes, 3, 1, pad, dilation)
        self.downsample = downsample
        self.stride = stride

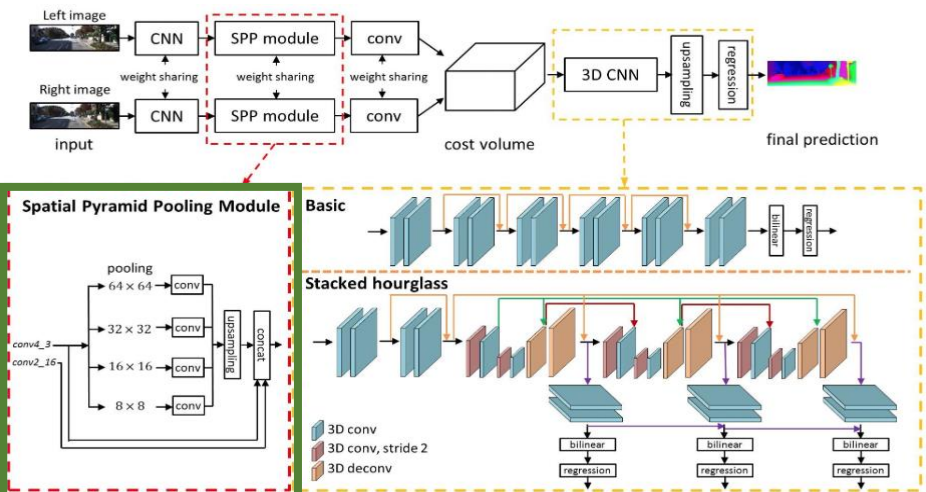
    def forward(self, x):
        out = self.conv1(x)
        out = self.conv2(out)
        if self.downsample is not None:
            x = self.downsample(x)
        out += x
        return out
```

Name	Layer setting	Output dimension
input		$H \times W \times 3$
CNN		
conv0_1	$3 \times 3, 32$	$\frac{1}{2}H \times \frac{1}{2}W \times 32$
conv0_2	$3 \times 3, 32$	$\frac{1}{2}H \times \frac{1}{2}W \times 32$
conv0_3	$3 \times 3, 32$	$\frac{1}{2}H \times \frac{1}{2}W \times 32$
conv1_x	$\begin{bmatrix} 3 \times 3, 32 \\ 3 \times 3, 32 \end{bmatrix} \times 3$	$\frac{1}{2}H \times \frac{1}{2}W \times 32$
conv2_x	$\begin{bmatrix} 3 \times 3, 64 \\ 3 \times 3, 64 \end{bmatrix} \times 16$	$\frac{1}{4}H \times \frac{1}{4}W \times 64$
conv3_x	$\begin{bmatrix} 3 \times 3, 128 \\ 3 \times 3, 128 \end{bmatrix} \times 3, \text{dila} = 2$	$\frac{1}{4}H \times \frac{1}{4}W \times 128$
conv4_x	$\begin{bmatrix} 3 \times 3, 128 \\ 3 \times 3, 128 \end{bmatrix} \times 3, \text{dila} = 4$	$\frac{1}{4}H \times \frac{1}{4}W \times 128$



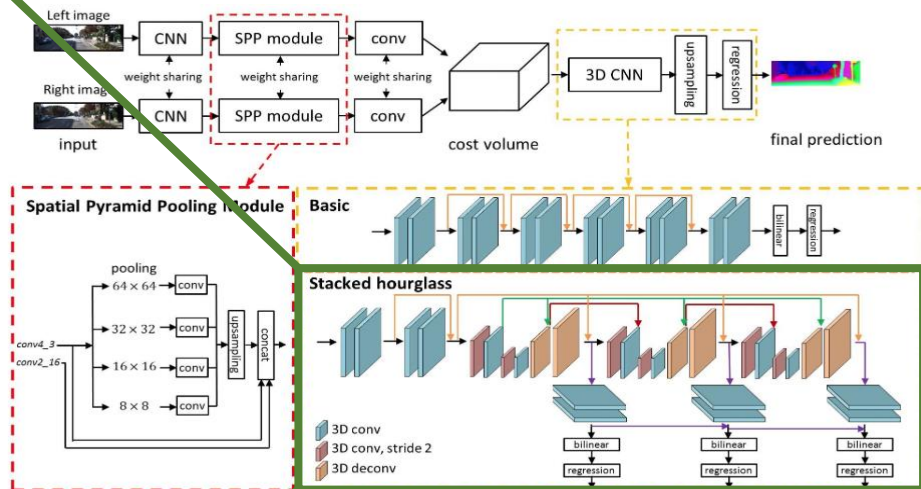
Network layers – SPP module

Name	Layer setting	Output dimension
input		$H \times W \times 3$
CNN		
conv0_1	$3 \times 3, 32$	$\frac{1}{2}H \times \frac{1}{2}W \times 32$
conv0_2	$3 \times 3, 32$	$\frac{1}{2}H \times \frac{1}{2}W \times 32$
conv0_3	$3 \times 3, 32$	$\frac{1}{2}H \times \frac{1}{2}W \times 32$
conv1_x	$\begin{bmatrix} 3 \times 3, 32 \\ 3 \times 3, 32 \end{bmatrix} \times 3$	$\frac{1}{2}H \times \frac{1}{2}W \times 32$
conv2_x	$\begin{bmatrix} 3 \times 3, 64 \\ 3 \times 3, 64 \end{bmatrix} \times 16$	$\frac{1}{4}H \times \frac{1}{4}W \times 64$
conv3_x	$\begin{bmatrix} 3 \times 3, 128 \\ 3 \times 3, 128 \end{bmatrix} \times 3, \text{dila} = 2$	$\frac{1}{4}H \times \frac{1}{4}W \times 128$
conv4_x	$\begin{bmatrix} 3 \times 3, 128 \\ 3 \times 3, 128 \end{bmatrix} \times 3, \text{dila} = 4$	$\frac{1}{4}H \times \frac{1}{4}W \times 128$
SPP module		
branch_1	64 × 64 avg. pool 3 × 3, 32 bilinear interpolation	$\frac{1}{4}H \times \frac{1}{4}W \times 32$
branch_2	32 × 32 avg. pool 3 × 3, 32 bilinear interpolation	$\frac{1}{4}H \times \frac{1}{4}W \times 32$
branch_3	16 × 16 avg. pool 3 × 3, 32 bilinear interpolation	$\frac{1}{4}H \times \frac{1}{4}W \times 32$
branch_4	8 × 8 avg. pool 3 × 3, 32 bilinear interpolation	$\frac{1}{4}H \times \frac{1}{4}W \times 32$
concat[conv2_16, conv4_3, branch_1, branch_2, branch_3, branch_4]		$\frac{1}{4}H \times \frac{1}{4}W \times 320$
fusion	$3 \times 3, 128$ $1 \times 1, 32$	$\frac{1}{4}H \times \frac{1}{4}W \times 32$
Cost volume		
Concat left and shifted right		$\frac{1}{4}D \times \frac{1}{4}H \times \frac{1}{4}W \times 64$



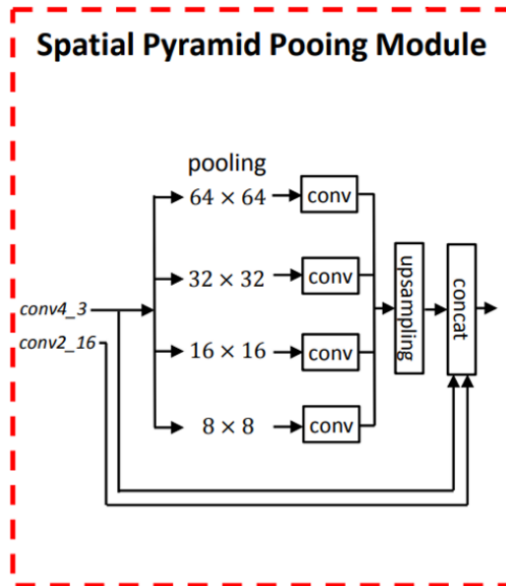
Network layers – 3D CNN

3D CNN (stacked hourglass)		
3Dconv0	$3 \times 3 \times 3, 32$ $3 \times 3 \times 3, 32$	$\frac{1}{4}D \times \frac{1}{4}H \times \frac{1}{4}W \times 32$
3Dconv1	$\begin{bmatrix} 3 \times 3 \times 3, 32 \\ 3 \times 3 \times 3, 32 \end{bmatrix}$	$\frac{1}{4}D \times \frac{1}{4}H \times \frac{1}{4}W \times 32$
3Dstack1_1	$3 \times 3 \times 3, 64$ $3 \times 3 \times 3, 64$	$\frac{1}{8}D \times \frac{1}{8}H \times \frac{1}{8}W \times 64$
3Dstack1_2	$3 \times 3 \times 3, 64$ $3 \times 3 \times 3, 64$	$\frac{1}{16}D \times \frac{1}{16}H \times \frac{1}{16}W \times 64$
3Dstack1_3	deconv $3 \times 3 \times 3, 64$ add 3Dstack1_1	$\frac{1}{8}D \times \frac{1}{8}H \times \frac{1}{8}W \times 64$
3Dstack1_4	deconv $3 \times 3 \times 3, 32$ add 3Dconv1	$\frac{1}{4}D \times \frac{1}{4}H \times \frac{1}{4}W \times 32$
3Dstack2_1	$3 \times 3 \times 3, 64$ $3 \times 3 \times 3, 64$ add 3Dstack1_3	$\frac{1}{8}D \times \frac{1}{8}H \times \frac{1}{8}W \times 64$
3Dstack2_2	$3 \times 3 \times 3, 64$ $3 \times 3 \times 3, 64$	$\frac{1}{16}D \times \frac{1}{16}H \times \frac{1}{16}W \times 64$
3Dstack2_3	deconv $3 \times 3 \times 3, 64$ add 3Dstack1_1	$\frac{1}{8}D \times \frac{1}{8}H \times \frac{1}{8}W \times 64$
3Dstack2_4	deconv $3 \times 3 \times 3, 32$ add 3Dconv1	$\frac{1}{4}D \times \frac{1}{4}H \times \frac{1}{4}W \times 32$
3Dstack3_1	$3 \times 3 \times 3, 64$ $3 \times 3 \times 3, 64$ add 3Dstack2_3	$\frac{1}{8}D \times \frac{1}{8}H \times \frac{1}{8}W \times 64$
3Dstack3_2	$3 \times 3 \times 3, 64$ $3 \times 3 \times 3, 64$	$\frac{1}{16}D \times \frac{1}{16}H \times \frac{1}{16}W \times 64$
3Dstack3_3	deconv $3 \times 3 \times 3, 64$ add 3Dstack1_1	$\frac{1}{8}D \times \frac{1}{8}H \times \frac{1}{8}W \times 64$
3Dstack3_4	deconv $3 \times 3 \times 3, 32$ add 3Dconv1	$\frac{1}{4}D \times \frac{1}{4}H \times \frac{1}{4}W \times 32$
output_1	$3 \times 3 \times 3, 32$ $3 \times 3 \times 3, 1$	$\frac{1}{4}D \times \frac{1}{4}H \times \frac{1}{4}W \times 1$
output_2	$3 \times 3 \times 3, 32$ $3 \times 3 \times 3, 1$ add output_1	$\frac{1}{4}D \times \frac{1}{4}H \times \frac{1}{4}W \times 1$
output_3	$3 \times 3 \times 3, 32$ $3 \times 3 \times 3, 1$ add output_2	$\frac{1}{4}D \times \frac{1}{4}H \times \frac{1}{4}W \times 1$



HW1 Implementation

- Implement the SPP module-based feature extraction.



SPP module		
branch_1	64 × 64 avg. pool 3 × 3, 32 bilinear interpolation	$\frac{1}{4}H \times \frac{1}{4}W \times 32$
branch_2	32 × 32 avg. pool 3 × 3, 32 bilinear interpolation	$\frac{1}{4}H \times \frac{1}{4}W \times 32$
branch_3	16 × 16 avg. pool 3 × 3, 32 bilinear interpolation	$\frac{1}{4}H \times \frac{1}{4}W \times 32$
branch_4	8 × 8 avg. pool 3 × 3, 32 bilinear interpolation	$\frac{1}{4}H \times \frac{1}{4}W \times 32$
concat[conv2_16, conv4_3, branch_1, branch_2, branch_3, branch_4]		$\frac{1}{4}H \times \frac{1}{4}W \times 320$
fusion	3 × 3, 128 1 × 1, 32	$\frac{1}{4}H \times \frac{1}{4}W \times 32$

HW1 Implementation

Implement hourglass module

Define hourglass module

Let's define hourglass module using 3d convolution and batchnormalization3D

Please refer to convbn_3d function

```
[ ] def convbn_3d(in_planes, out_planes, kernel_size, stride, pad):
    return nn.Sequential(nn.Conv3d(in_planes, out_planes, kernel_size=kernel_size, padding=pad, stride=stride, bias=False),
                          nn.BatchNorm3d(out_planes))
```

3D CNN (stacked hourglass)		
3Dconv0	$3 \times 3 \times 3, 32$ $3 \times 3 \times 3, 32$	$\frac{1}{4}D \times \frac{1}{4}H \times \frac{1}{4}W \times 32$
3Dconv1	$\begin{bmatrix} 3 \times 3 \times 3, 32 \\ 3 \times 3 \times 3, 32 \end{bmatrix}$	$\frac{1}{4}D \times \frac{1}{4}H \times \frac{1}{4}W \times 32$
3Dstack1_1	$3 \times 3 \times 3, 64$ $3 \times 3 \times 3, 64$	$\frac{1}{8}D \times \frac{1}{8}H \times \frac{1}{8}W \times 64$
3Dstack1_2	$3 \times 3 \times 3, 64$ $3 \times 3 \times 3, 64$	$\frac{1}{16}D \times \frac{1}{16}H \times \frac{1}{16}W \times 64$
3Dstack1_3	deconv $3 \times 3 \times 3, 64$ add 3Dstack1_1	$\frac{1}{8}D \times \frac{1}{8}H \times \frac{1}{8}W \times 64$
3Dstack1_4	deconv $3 \times 3 \times 3, 32$ add 3Dconv1	$\frac{1}{4}D \times \frac{1}{4}H \times \frac{1}{4}W \times 32$
3Dstack2_1	$3 \times 3 \times 3, 64$ $3 \times 3 \times 3, 64$ add 3Dstack1_3	$\frac{1}{8}D \times \frac{1}{8}H \times \frac{1}{8}W \times 64$
3Dstack2_2	$3 \times 3 \times 3, 64$ $3 \times 3 \times 3, 64$	$\frac{1}{16}D \times \frac{1}{16}H \times \frac{1}{16}W \times 64$
3Dstack2_3	deconv $3 \times 3 \times 3, 64$ add 3Dstack1_1	$\frac{1}{8}D \times \frac{1}{8}H \times \frac{1}{8}W \times 64$
3Dstack2_4	deconv $3 \times 3 \times 3, 32$ add 3Dconv1	$\frac{1}{4}D \times \frac{1}{4}H \times \frac{1}{4}W \times 32$

3Dstack3_1	$3 \times 3 \times 3, 64$ $3 \times 3 \times 3, 64$ add 3Dstack2_3	$\frac{1}{8}D \times \frac{1}{8}H \times \frac{1}{8}W \times 64$
3Dstack3_2	$3 \times 3 \times 3, 64$ $3 \times 3 \times 3, 64$	$\frac{1}{16}D \times \frac{1}{16}H \times \frac{1}{16}W \times 64$
3Dstack3_3	deconv $3 \times 3 \times 3, 64$ add 3Dstack1_1	$\frac{1}{8}D \times \frac{1}{8}H \times \frac{1}{8}W \times 64$
3Dstack3_4	deconv $3 \times 3 \times 3, 32$ add 3Dconv1	$\frac{1}{4}D \times \frac{1}{4}H \times \frac{1}{4}W \times 32$
output_1	$3 \times 3 \times 3, 32$ $3 \times 3 \times 3, 1$	$\frac{1}{4}D \times \frac{1}{4}H \times \frac{1}{4}W \times 1$
output_2	$3 \times 3 \times 3, 32$ $3 \times 3 \times 3, 1$ add output_1	$\frac{1}{4}D \times \frac{1}{4}H \times \frac{1}{4}W \times 1$
output_3	$3 \times 3 \times 3, 32$ $3 \times 3 \times 3, 1$ add output_2	$\frac{1}{4}D \times \frac{1}{4}H \times \frac{1}{4}W \times 1$

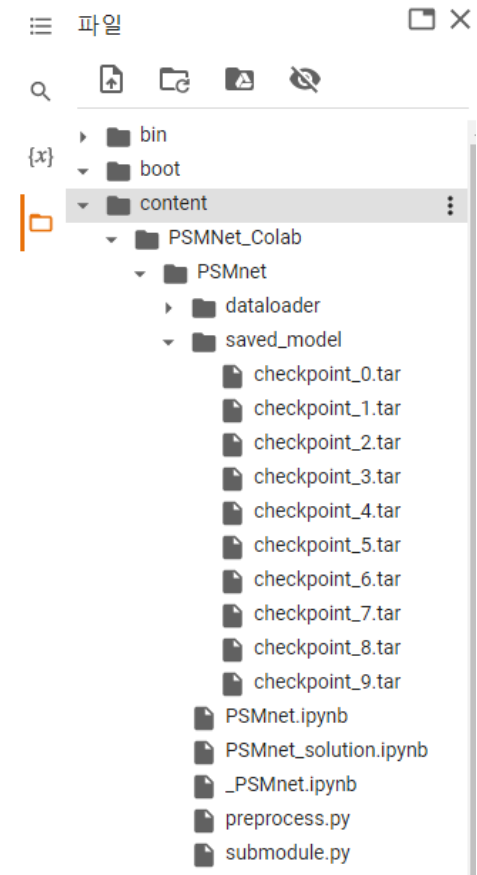
HW1 Implementation

- Run the training code with evaluation

```
torch.save({
    'epoch': epoch,
    'state_dict': model.state_dict(),
    'train_loss': total_train_loss/len(TrainImgLoader),
}, savefilename)
#----- TEST -----
total_test_loss = 0
for batch_idx, (imgL, imgR, disp_L) in enumerate(TestImgLoader):
    test_loss, disp = test(model, imgL, imgR, disp_L)
    print('Iter %d test loss = %.3f' %(batch_idx, test_loss))
    total_test_loss += test_loss
print('total test loss = %.3f' %(total_test_loss/len(TestImgLoader)))
```

HW1 Implementation

- Make sure the checkpoint is saved.



HW1 Requirements

- To KLMS, the report in pdf format (~2 page) and the ipynb code and checkpoint must be submitted together. Both Korean and English are available. The report must include the following information.

1. Tune the model network with several hyper-parameters to design so that test loss (end-point-error) < 13.0 . And write down what factors helped improve performance.

2. Describe the strengths and limitations of PSMNet.

- Score Criteria
 - Code implementation
 - Achieve the test loss (end-point-error)
 - Report Question 1
 - Report Question 2