



Semi-Supervised Learning: Self-Training and Co-Training

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Self-Training

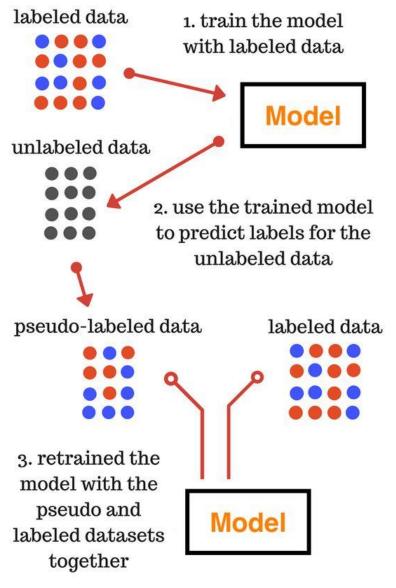
- Assumption in the self-training
 - ✓ One's own high confidence predictions are correct
- Basic self-training algorithm
 - \checkmark Train from f $(\mathbf{X}_l,\mathbf{y}_l)$
 - \checkmark Predict on $\mathbf{x} \in \mathbf{X}_u$
 - ✓ Add to (Make) & Valta
 - ✓ Repeat
- Variations in self-training
 - ✓ Add a few most confident to lateleft (data)
 - ✓ Add all to (label €d Ma);
 - ✓ Add all to (label € d Ma); weigh each by confidence





Self-Training

Procedure

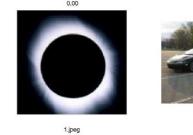




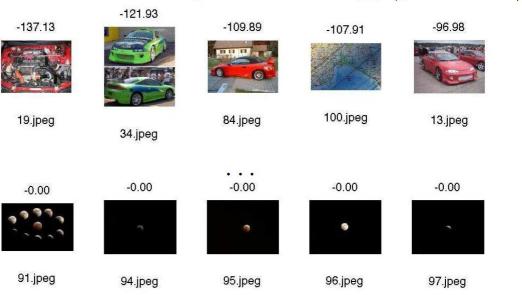


Zhu (2007)

- Image Categorization
 - 1. Train a naïve Bayes classifier on the two initial labeled images



2. Classify unlabeled data, sort by confidence $\log p(y = \text{astronomy}|x)$







Zhu (2007)

- Image Categorization
 - 3. Add the most confident images and predicted labels to labeled data



4. Re-train the classifier and repeat







Zhu (2009)

Propagating I-Nearest Neighbor

Input: labeled data $\{(\mathbf{x}_i, y_i)\}_{i=1}^l$, unlabeled data $\{\mathbf{x}_j\}_{j=l+1}^{l+u}$, distance function d().

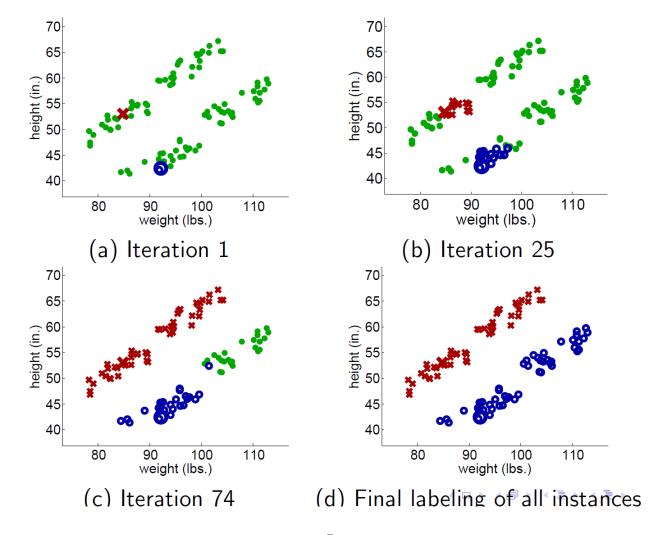
- 1. Initially, let $L = \{(\mathbf{x}_i, y_i)\}_{i=1}^l$ and $U = \{\mathbf{x}_j\}_{j=l+1}^{l+u}$.
- 2. Repeat until U is empty:
- 3. Select $\mathbf{x} = \operatorname{argmin}_{\mathbf{x} \in U} \min_{\mathbf{x}' \in L} d(\mathbf{x}, \mathbf{x}')$.
- 4. Set $f(\mathbf{x})$ to the label of \mathbf{x} 's nearest instance in L. Break ties randomly.
- 5. Remove \mathbf{x} from U; add $(\mathbf{x}, f(\mathbf{x}))$ to L.





Zhu (2009)

Propagating I-Nearest Neighbor

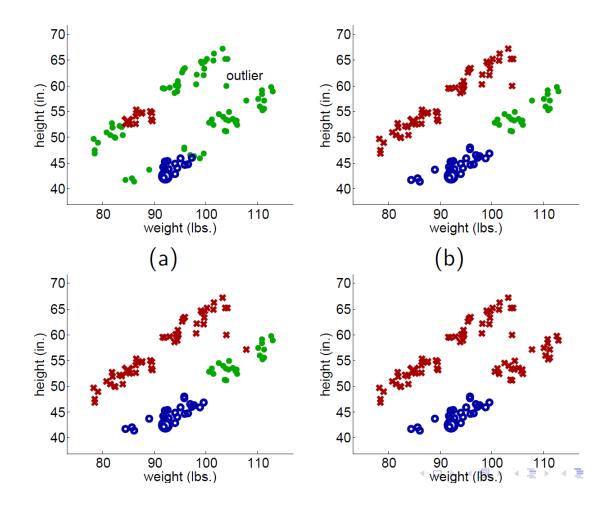






Zhu (2009)

Propagating I-Nearest Neighbor (with a single outlier)







Self-Training: Summary

Advantages

- √ The simplest semi-supervised learning method
- ✓ A wrapper method, applies to existing (complex) classifiers
- ✓ Often used in real tasks like natural language processing

Disadvantages

- ✓ Early mistakes could reinforce themselves
- ✓ Cannot say too much in terms of convergence





Blum and Mitchell (1998), Yu et al. (2011)

- Co-training
 - √ Two views of an item: image and HTML text









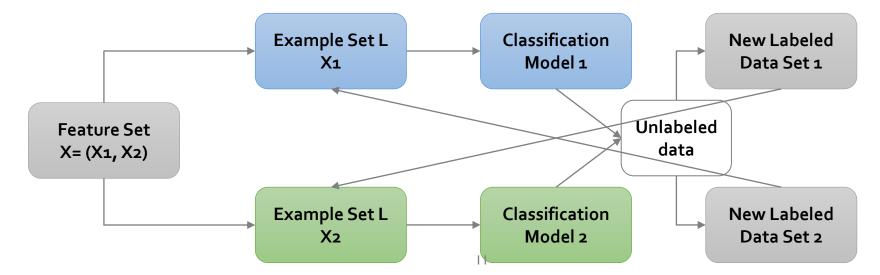
Feature split

Each instance is represented by two sets of features $x = [x^{(1)}; x^{(2)}]$

- $x^{(1)} = \text{image features}$
- $x^{(2)} = \text{web page text}$
- This is a natural feature split (or multiple views)

Co-training idea:

- Train an image classifier and a text classifier
- The two classifiers teach each other

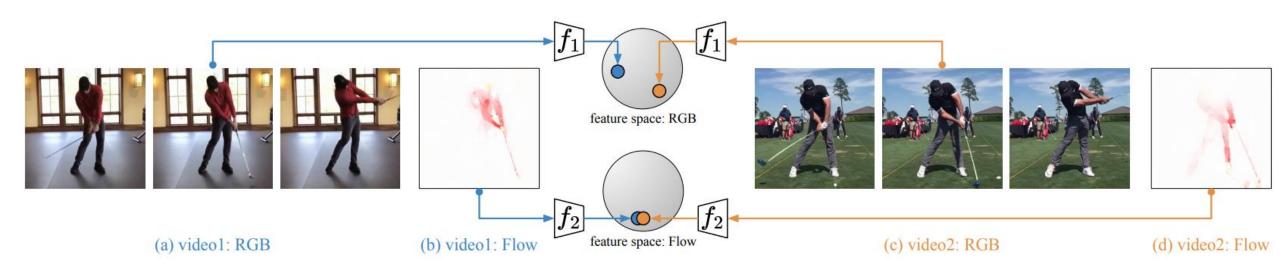






Han et al. (2020)

• Feature split







Blum and Mitchell (1998)

- Co-Training (Basic algorithm, for classification with Naïve Baye's Classifier)
 - ✓ Given
 - A set L of labeled training examples
 - A set of U of unlabeled examples
 - ✓ Create a pool U' of example by choosing u examples at random from U
 - √ Loop for k iterations
 - Use L to train a classifier h₁ that considers only the x₁ portion of x
 - Use L to train a classifier h_2 that considers only the x_2 portion of x
 - Allow h₁ to label p positive and n negative examples from U'
 - Allow h₂ to label p positive and n negative examples from U'
 - Add these self-labeled examples to L
 - Randomly choose 2p+2n examples from U to replenish U'

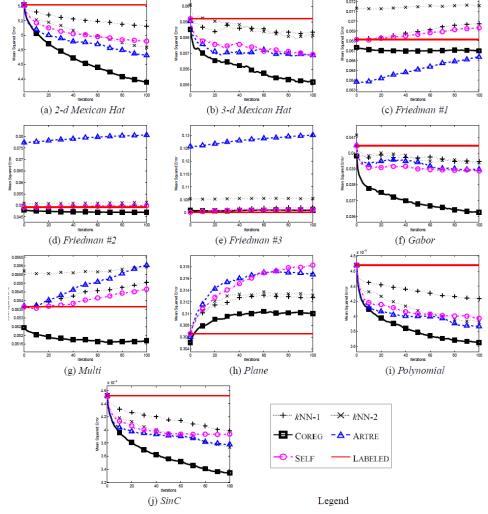




Zhou and Li (2005)

Co-Training (with k-NN regression)

```
ALGORITHM: COREG
INPUT: labeled example set L, unlabeled example set U,
            number of nearest neighbors k,
           maximum number of learning iterations T,
            distance orders p_1, p_2
PROCESS:
    L_1 \leftarrow L; L_2 \leftarrow L
   Create pool U' by randomly picking examples from U
   h_1 \leftarrow kNN(L_1, k, p_1); h_2 \leftarrow kNN(L_2, k, p_2)
    Repeat for T rounds:
      for j \in \{1, 2\} do
         for each \mathbf{x}_u \in U' do
              \hat{\mathbf{y}}_u \leftarrow h_i(\mathbf{x}_u)
              \Omega \leftarrow Neighbors(\mathbf{x}_u, k, L_i)
              h'_j \leftarrow kNN(L_j \cup \{(\mathbf{x}_u, \hat{\mathbf{y}}_u)\}, k, p_j)
              \Delta_{\mathbf{x}_u} \leftarrow \sum_{i} ((\mathbf{y}_i - h_j(\mathbf{x}_i))^2 - (\mathbf{y}_i - h'_j(\mathbf{x}_i))^2)
         end of for
         if there exists an \Delta_{\mathbf{x}_n} > 0
         then \tilde{\mathbf{x}}_j \leftarrow \underset{\mathbf{x}_u \in U'}{\arg\max} \Delta_{\mathbf{x}_u}; \tilde{\mathbf{y}}_j \leftarrow h_j(\tilde{x}_j)
       \pi_j \leftarrow \{(\tilde{\mathbf{x}}_j, \tilde{\mathbf{y}}_j)\}; U' \leftarrow U' - \pi_j else \pi_j \leftarrow \emptyset
      end of for
      L_1 \leftarrow L_1 \cup \pi_2; L_2 \leftarrow L_2 \cup \pi_1
      if neither of L_1 and L_2 changes then exit
      else
         h_1 \leftarrow kNN(L_1, k, p_1); h_2 \leftarrow kNN(L_2, k, p_2)
         Replenish U' by randomly picking examples from U
   end of Repeat
OUTPUT: regressor h^*(\mathbf{x}) \leftarrow \frac{1}{2} (h_1(\mathbf{x}) + h_2(\mathbf{x}))
```



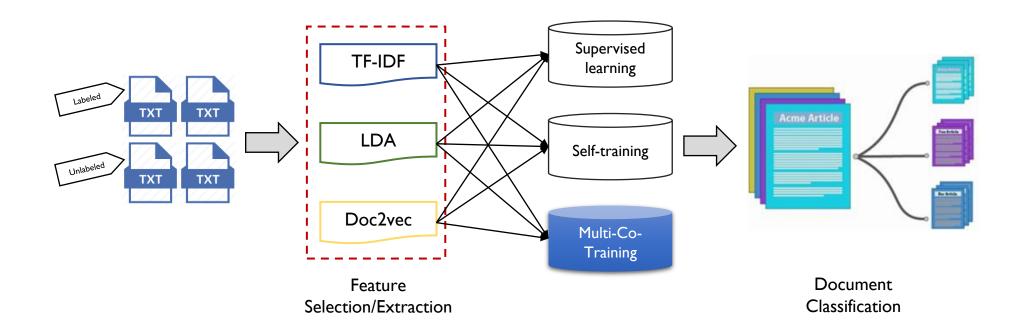




Kim et al. (2019)



• Multi-Co-Training for Text Classification

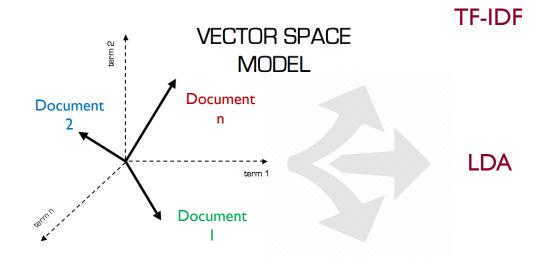






Kim et al. (2019)

• Multi-Co-Training for Text Classification



 Document1

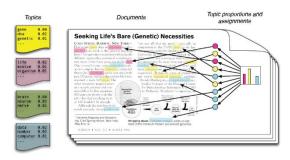
 Word
 TF
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 TF-IDF

 This
 4
 3
 3
 1/3
 1.33

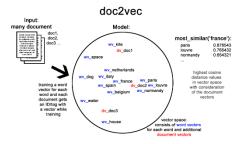
 is
 5
 2
 3
 1/3
 1.67

 an
 3
 3
 3
 1/3
 1

 Example
 2
 3
 1
 1
 2





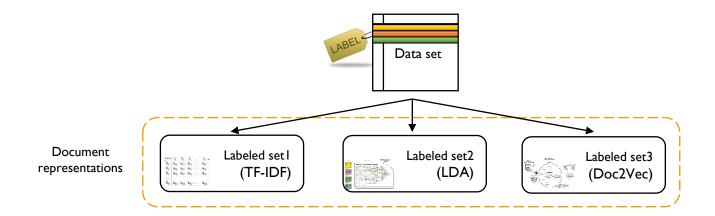






Kim et al. (2019)

- Multi-Co-Training for Text Classification
 - ✓ Step I) Create multi-views:TF-IDF, LDA and Doc2vec

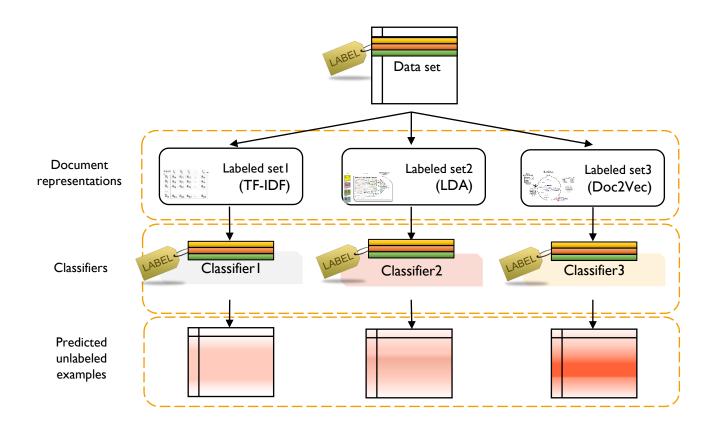






Kim et al. (2019)

- Multi-Co-Training for Text Classification
 - ✓ Step I) Create multi-views:TF-IDF, LDA and Doc2vec
 - ✓ Step2) Build models and then predict unlabeled examples



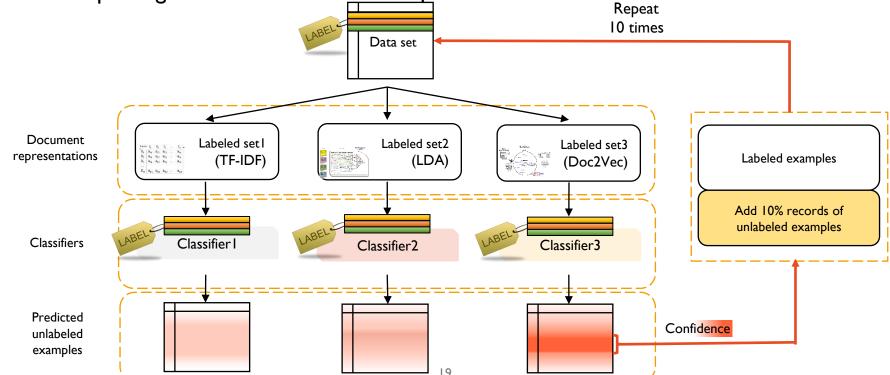




Kim et al. (2019)

- Multi-Co-Training for Text Classification
 - ✓ Step I) Create multi-views:TF-IDF, LDA and Doc2vec
 - ✓ Step2) Build models and then predict unlabeled examples
 - ✓ Step3) Add the predicted examples with high confidence to labeled examples

✓ Step4) Continue repeating it until all unlabeled examples are annotated



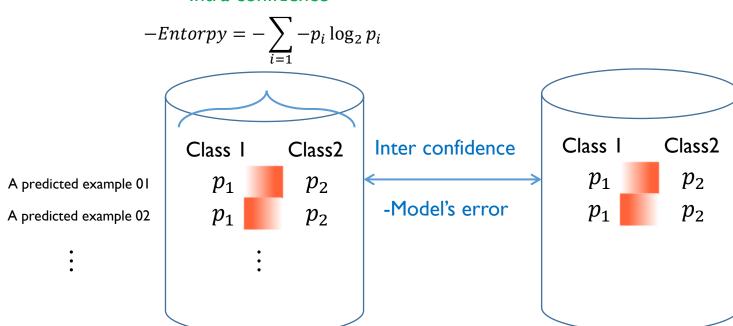




Kim et al. (2019)

- Confidence measure with Naïve Bayesian
 - ✓ Intra confidence: —*Entropy*
 - ✓ Inter confidence: —*Training error*
 - ✓ Confidence measure = $-Entropy \times -Training\ error$

Intra confidence







Kim et al. (2019)

• Experiment: Data sets

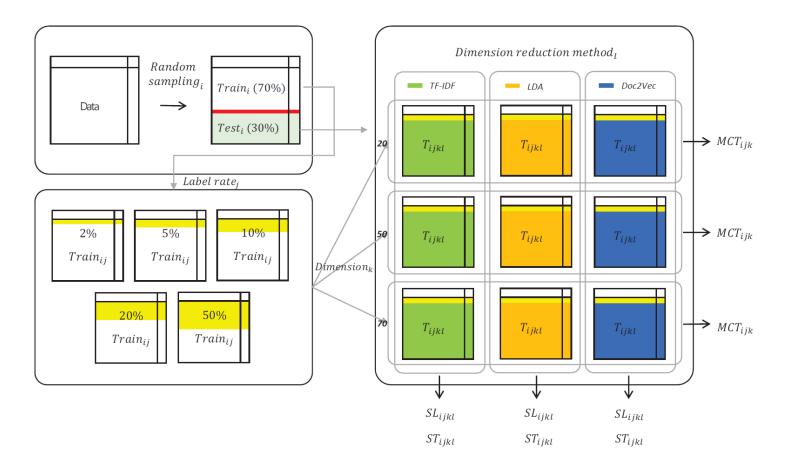
Data	Description	Category	No. of documents
Economic	Whether a news article data is associated with the US economy	No : 6,458 (82.12%) Yes : 1,406 (17.88%)	7,864
20 Newsgroup	Data of 20,000 messages collected from 20 different news categories	Computer: 4,863 (30.40%) Recreation: 3,957 (24.74%) Science: 3,933 (24.59%) Talk: 3,244 (20.27%)	15,997
Ohsumed	Article-related abstracts of medical data	C04 : 2,630 (50.77%) C14 : 2,550 (49.23%)	5,180
Reuters	21,578 documents obtained from the Reuters news data	Earn : 3,953 (51.67%) Non-earn : 4,697 (48.33%)	8,650





Kim et al. (2019)

- Experiment: Evaluation procedure
 - ✓ Evaluate the average and its standard deviation of Balanced Classification Rate (BCR)







Kim et al. (2019)

Experiment: Results

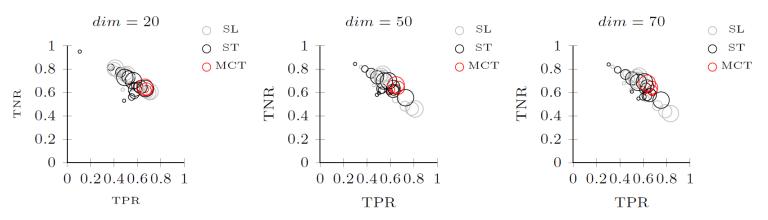
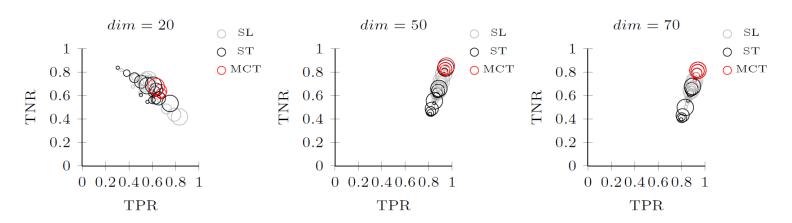


Fig. 7 TPR—TNR plots for SL, ST, and MCT for Economic dataset (Size = label(%))





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Data Science & Business Analytics

Fig. 8 TPR—TNR plots for SL, ST, and MCT2for Newsgroup dataset (Size = label(%))

Kim et al. (2019)

• Experiment: Results

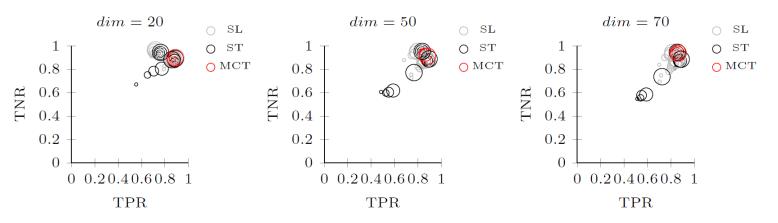
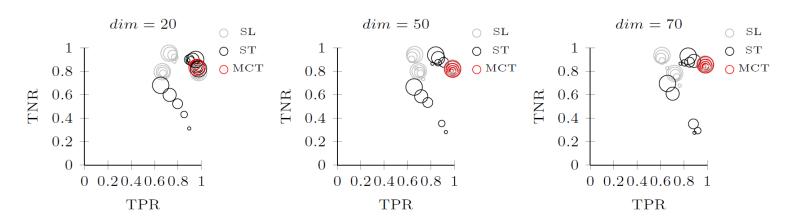


Fig. 9 TPR—TNR plots for SL, ST, and MCT for Ohsumed dataset (Size = label(%))





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Fig. 10 TPR—TNR plots of SL, ST, and MCT2 for Reuters dataset (Size = label(%))







References

Research Papers

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References

Other materials

- Figures in the first page: 하상욱 단편시집 서울 시
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- Choi, S. (2015). Deep Learning: A Quick Overview. Deep Learning Workship. KIISE.
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