

Array

Address computation

1D array – address calculation

- Let A be a one dimensional array.
- Formula to compute the address of the I^{th} element of an array ($A[I]$) is:

$$\text{Address of } A[I] = B + W * (I - LB)$$

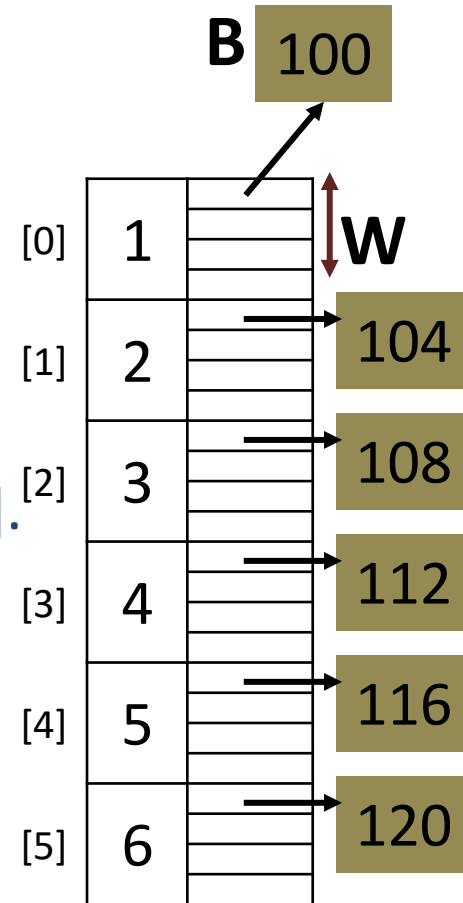
where,

B = Base address/address of first element, i.e. $A[LB]$.

W = Number of bytes used to store a single array element.

I = Subscript of element whose address is to be found.

LB = Lower limit / Lower Bound of subscript, if not specified assume 0 (zero).



Example

- Similarly, for a character array where a single character uses 1 byte of storage.
- If the base address is 1200 then,

$$\text{Address of } A[I] = B + W * (I - LB)$$

$$\text{Address of } A[0] = 1200 + 1 * (0 - 0) = 1200$$

$$\text{Address of } A[1] = 1200 + 1 * (1 - 0) = 1201$$

...

$$\text{Address of } A[10] = 1200 + 1 * (10 - 0) = 1210$$

Example

- If **LB = 5**, **Loc(A[LB]) = 1200**, and **W = 4**.
- Find **Loc(A[8])**.

$$\text{Address of } A[I] = B + W * (I - LB)$$

$$\begin{aligned}\text{Loc}(A[8]) &= \text{Loc}(A[5]) + 4 * (8 - 5) \\ &= 1200 + 4 * 3 \\ &= 1200 + 12 \\ &= 1212\end{aligned}$$

Example

- Base address of an array **B[1300.....1900]** is **1020** and size of each element is 2 bytes in the memory. Find the address of **B[1700]**.

$$\text{Address of } A[I] = B + W * (I - LB)$$

- Given: **B** = 1020, **LB** = 1300, **W** = 2, **I** = 1700

$$\begin{aligned}\text{Address of } B[1700] &= 1020 + 2 * (1700 - 1300) \\ &= 1020 + 2 * 400 \\ &= 1020 + 800 \\ &= 1820\end{aligned}$$

Row-major

1
2
3
4
5
6
7
8
9
10
11
12

	[0]	[1]	[2]	[3]
[0]	1	2	3	4
[1]	5	6	7	8
[2]	9	10	11	12

Column-major

1
5
9
2
6
10
3
7
11
4
8
12

2D array – address calculation

- If **A** be a two dimensional array with **M** rows and **N** columns. We can compute the address of an element at **Ith** row and **Jth** column of an array (**A[I][J]**).

B = Base address/address of first element, i.e. **A[LBR][LBC]**

I = Row subscript of element whose address is to be found

J = Column subscript of element whose address is to be found

W = Number of bytes used to store a single array element

LBR = Lower limit of row/start row index of matrix, if not given
assume 0

LBC = Lower limit of column/start column index of matrix, if not
given assume 0

N = Number of column of the given matrix

M = Number of row of the given matrix

Contd...

- Row Major

$$\text{Address of } A[I][J] = B + W * (N * (I - LBR) + (J - LBC))$$

- Column Major

$$\text{Address of } A [I][J] = B + W * ((I - LBR) + M * (J - LBC))$$

- Note: $A[LBR...UBR, LBC...UBC]$

$$M = (UBR - LBR) + 1$$

$$N = (UBC - LBC) + 1$$

Example

- Suppose elements of array **A[5][5]** occupies **4** bytes, and the address of the first element is **49**. Find the address of the element **A(4,3)** when the storage is row major.

$$\text{Address of } A[I][J] = B + W * (N * (I - LBR) + (J - LBC))$$

- Given: **B = 49**, **W = 4**, **M = 5**, **N = 5**, **I = 4**, **J = 3**, **LBR = 0**,
LBC = 0.

$$\begin{aligned}\text{Address of } A[4][3] &= 49 + 4 * (5 * (4 - 0) + (3 - 0)) \\ &= 49 + 4 * (23) \\ &= 49 + 92 \\ &= 141\end{aligned}$$

Example

- An array **X [-15...10, 15...40]** requires **one** byte of storage. If beginning location is **1500** determine the location of **X [0][20]** in column major.

$$\text{Address of } A[I][J] = B + W * [(I - LBR) + M * (J - LBC)]$$

- Number or rows (**M**) = (**UBR** – **LBR**) + **1** = [10 – (- 15)] +1 = 26
- Given: **B** = 1500, **W** = 1, **I** = 15, **J** = 20, **LBR** = -15, **LCR** = 15, **M** = 26

$$\begin{aligned}\text{Address of } X[0][20] &= 1500 + 1 * [(0 - (-15)) + 26 * (20 - 15)] \\ &= 1500 + 1 * [15 + 26 * 5] \\ &= 1500 + 1 * [145] \\ &= 1645\end{aligned}$$



Thankyou