

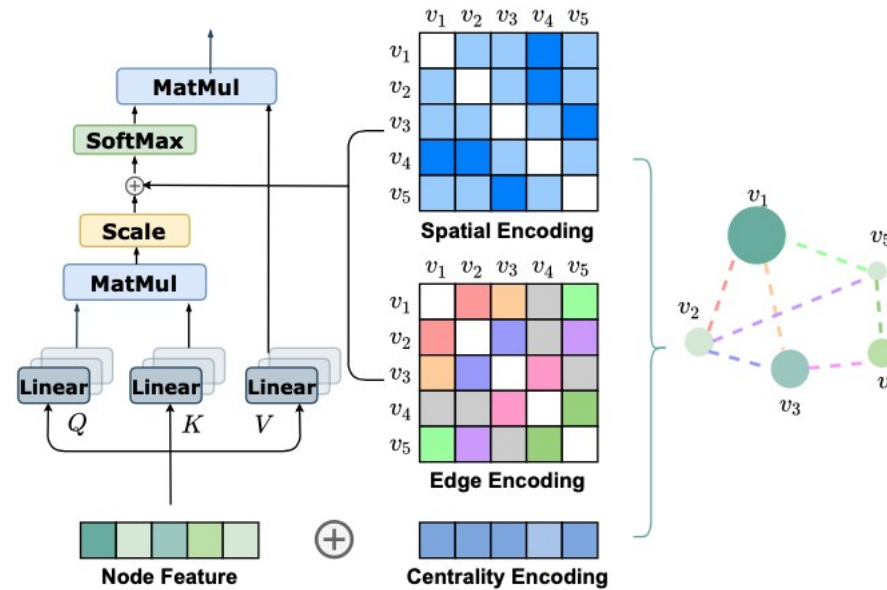
Paper 1 – Graphormer, Do Transformers Really Perform Bad for Graph Representation?

Centrality Encoding –

$$h_i^{(0)} = x_i + z_{\deg^-(v_i)}^- + z_{\deg^+(v_i)}^+,$$

Spatial Encoding –

$$A_{ij} = \frac{(h_i W_Q)(h_j W_K)^T}{\sqrt{d}} + b_{\phi(v_i, v_j)},$$



Edge Encoding –

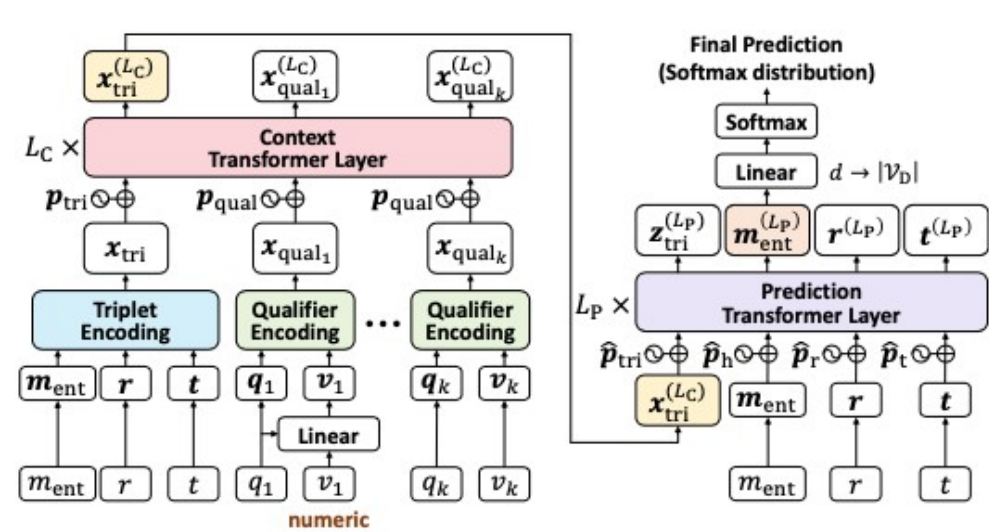
$$A_{ij} = \frac{(h_i W_Q)(h_j W_K)^T}{\sqrt{d}} + b_{\phi(v_i, v_j)} + c_{ij}, \text{ where } c_{ij} = \frac{1}{N} \sum_{n=1}^N x_{e_n} (w_n^E)^T,$$

More expressive power than GIN!
Can distinguish graphs where 1-WL test fails.

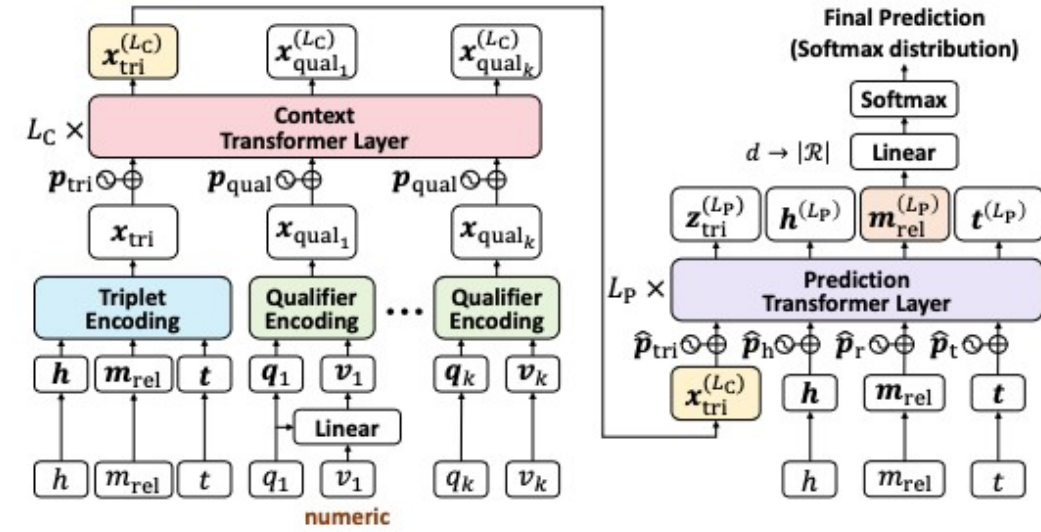
Very Innovative; **addition of a special node [VNode]** in analogy with [CLS] token in BERT.

- There is an edge between [VNode] and each node.
- Each step updates [VNode] like a normal node.
- Finally, [VNode] is used as a representation of the Graph!
- *“While the [VNode] is connected to all other nodes in graph, which means the distance of the shortest path is 1 for any $\varphi([VNode], v_j)$ and $\varphi(v_i, [VNode])$, **the connection is not physical**. To distinguish the connection of physical and virtual, we reset all spatial encodings for $b\varphi([VNode], v_j)$ and $b\varphi(v_i, [VNode])$ to a **distinct learnable scalar**”.*
- *“Conceptually, the benefit of the virtual node is that it can **aggregate the information of the whole graph** (like the READOUT function) and then **propagate it to each node**”.*
- Took special care to avoid over-smoothing.

Paper 2 – HyNT, Representation Learning on Hyper-Relational and Numeric Knowledge Graphs with Transformers

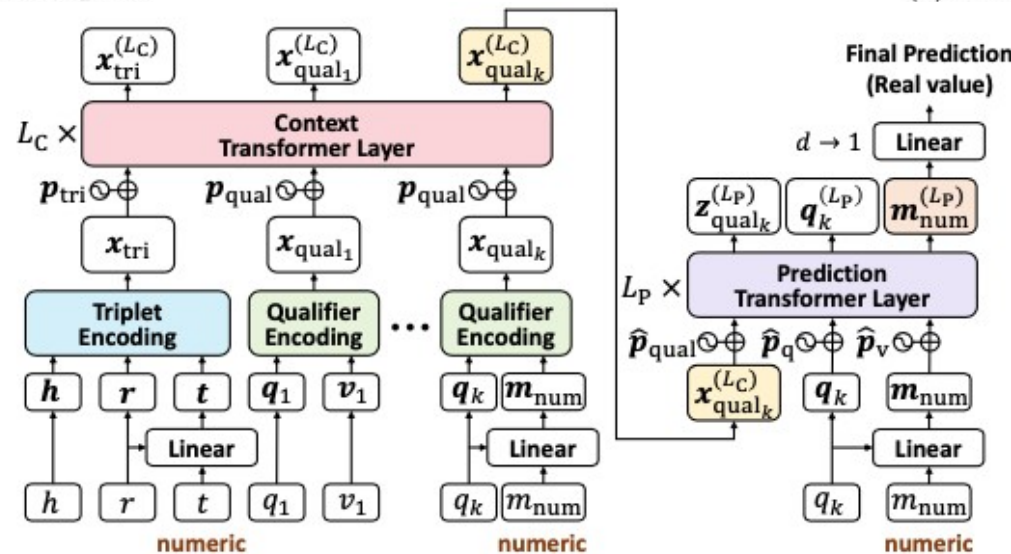


(a) Predicting a discrete head entity in a primary triplet.



(b) Predicting a relation in a primary triplet.

Rest from the paper!



(c) Predicting a numeric value in a qualifier.