# Spatial Data (Part 2)

Cmpt 767 Visualization
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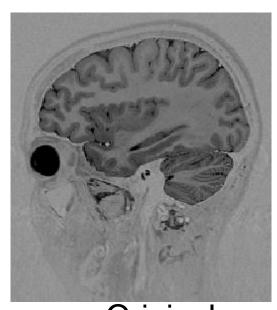
[Weiskopf/Machiraju/Möller]

#### Overview

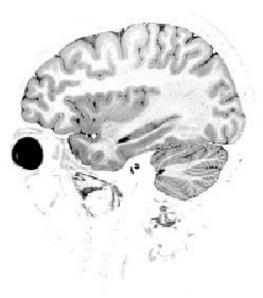
- Basic strategies
- Function plots and height fields
- Isolines
- Color coding
- Volume visualization (overview)
- Classification
- Segmentation
- Volumetric illumination
- Scalar Data in High-D

# Color Coding

- Example
  - Special color table to visualize the brain tissue
  - Special color table to visualize the bone structure



Original



**Brain** 

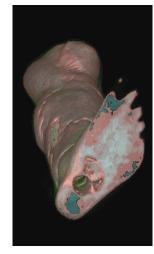


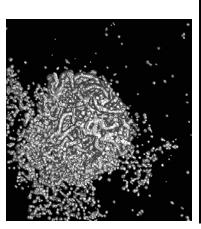
Tissue

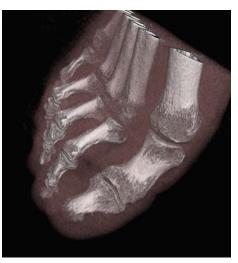
 $\Omega \in \mathbb{R}^3 \to \mathbb{R}$ 

- Scalar volume data
- Medical Applications:
   CT, MRI, confocal microscopy, ultrasound, etc.

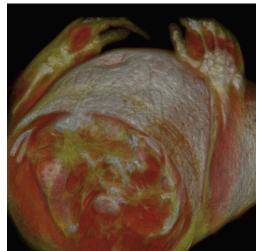




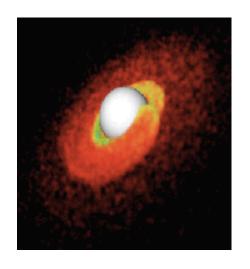


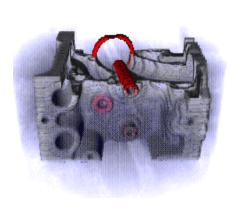


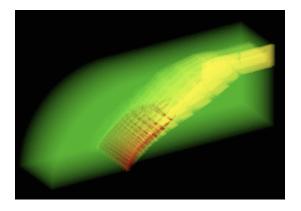




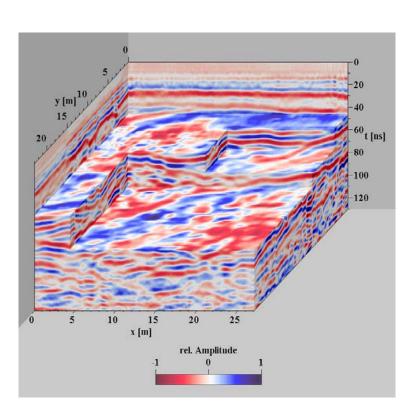


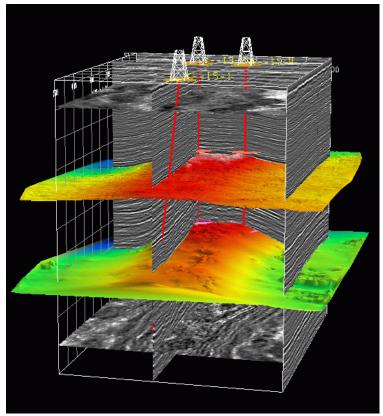




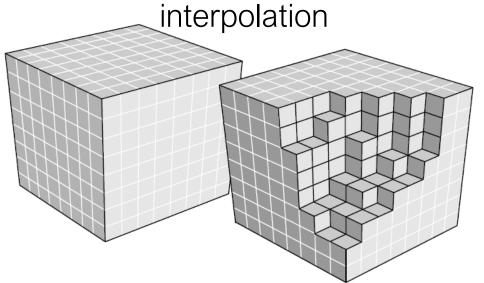








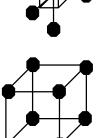
- Representation of scalar 3D data set  $\Omega \in \mathbb{R}^3 \to \mathbb{R}$
- Analogy: pixel (picture element)
- Voxel (volume element), with two interpretations:
  - Values between grid points are resampled by interpolation



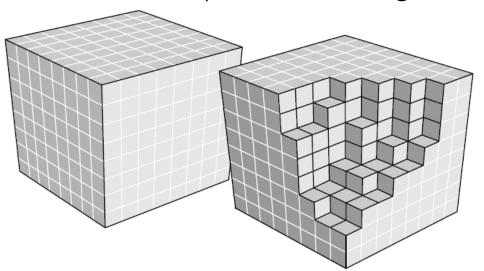


Uniform grid



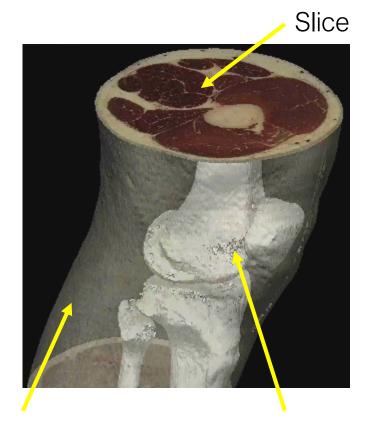


- Challenges
  - Essential information in the interior
  - Occlusion?
  - Often data sets cannot be described by geometric representation (fire, clouds, gaseous phenomena)



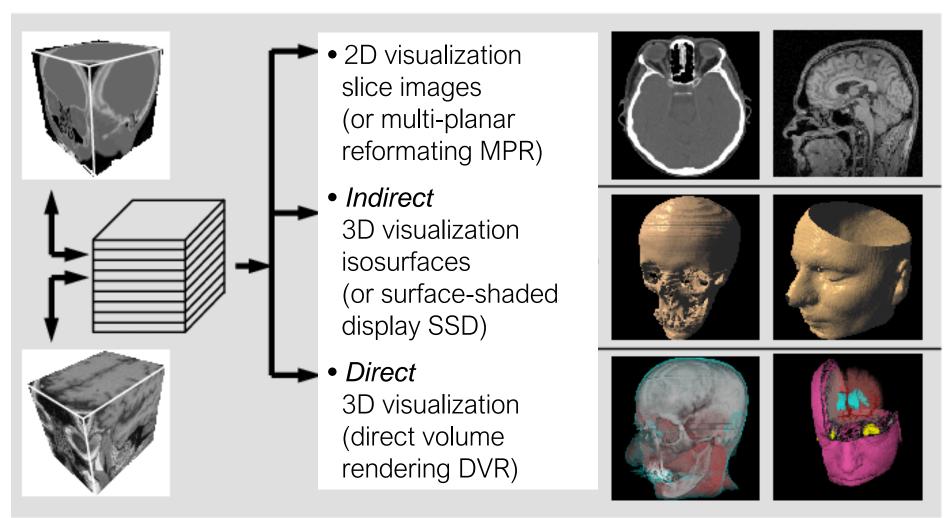
- Slicing:

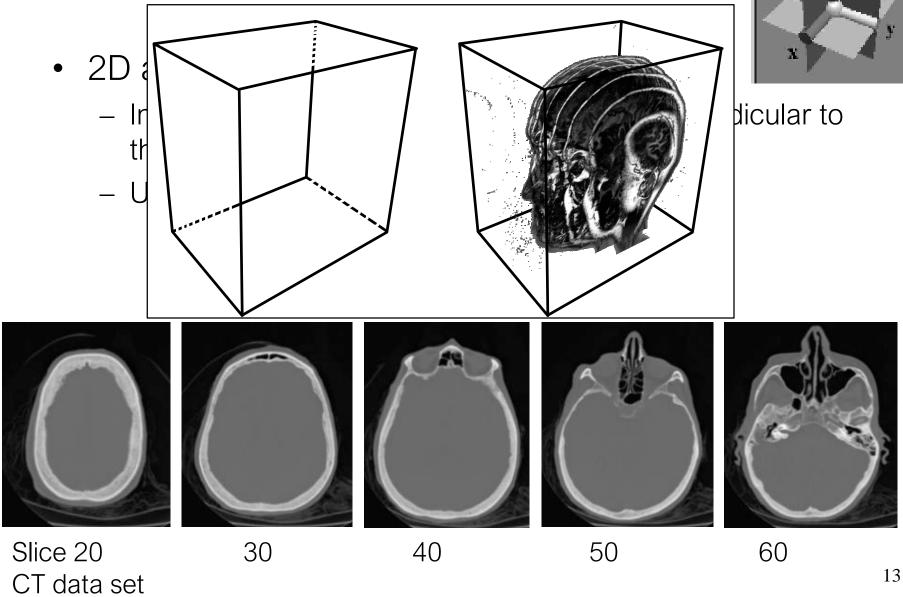
   Display the volume data, mapped to colors, on a slice plane
- Isosurfacing:
   Generate
   opaque/semi-opaque
   surfaces
- Transparency effects:
   Volume material
   attenuates reflected
   or emitted light



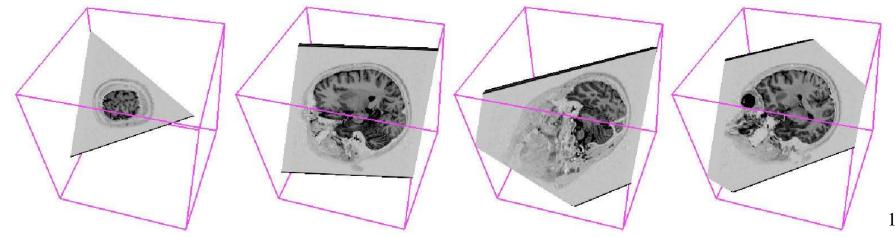
Semi-transparent material

Isosurface



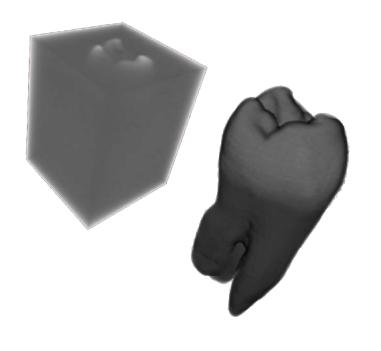


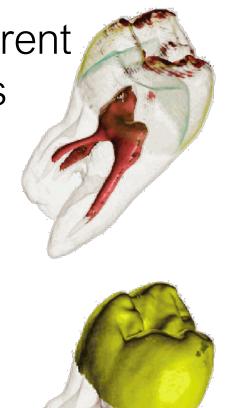
- Alternative: Oblique slicing (MPR multiplanar reformating)
  - Resample the data on arbitrarily oriented slices
    - Resampling on CPU or on graphics hardware (trilinear interpolation)
    - Exploit 3D texture mapping functionality
      - Store volume in 3D texture
      - Compute sectional polygon (clip plane with volume bounding box)
      - Render textured polygon



- Goals and issues:
  - Empowers user to select "structures"
  - Extract important features of the data set
  - Classification is non trivial
  - Histogram can be a useful hint
  - Often interactive manipulation of transfer functions needed
- Usually needed for volume visualization
- Standard approach: Transfer function
  - Color table for volume visualization
  - Maps raw voxel value into presentable entities: color, intensity, opacity, etc.

 Examples of different transfer functions



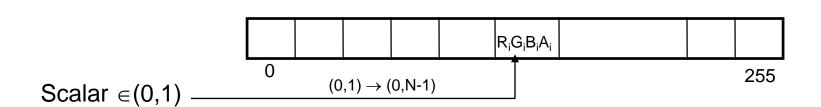




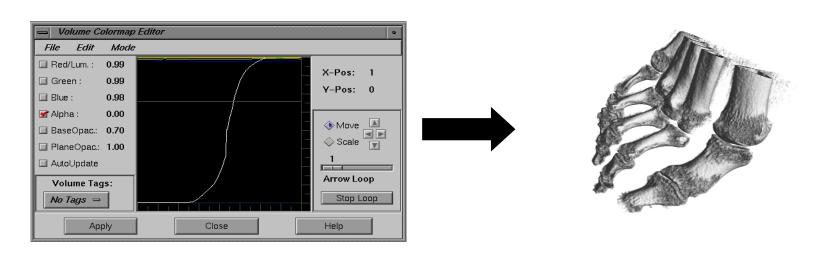


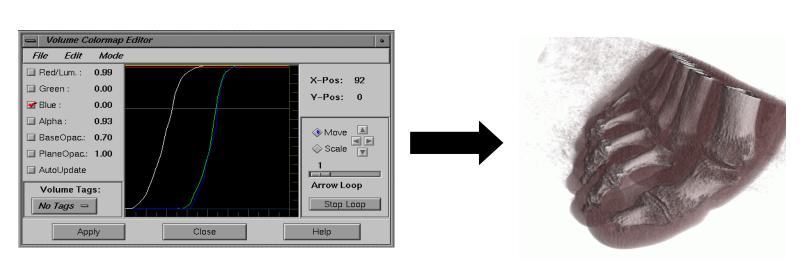


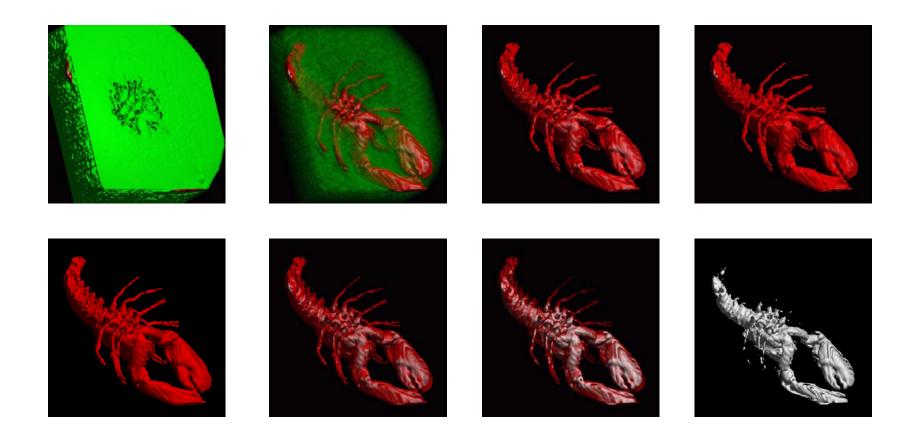
- Most widely used approach for transfer functions:
  - Assign each scalar value a different color value
  - Assignment via transfer function *T* T: scalarvalue → colorvalue
  - Common choice for color representation: RGBA
  - Alpha value is very important, describes opacity
  - Code color values into a color lookup table
  - On-the-fly update of color LUT



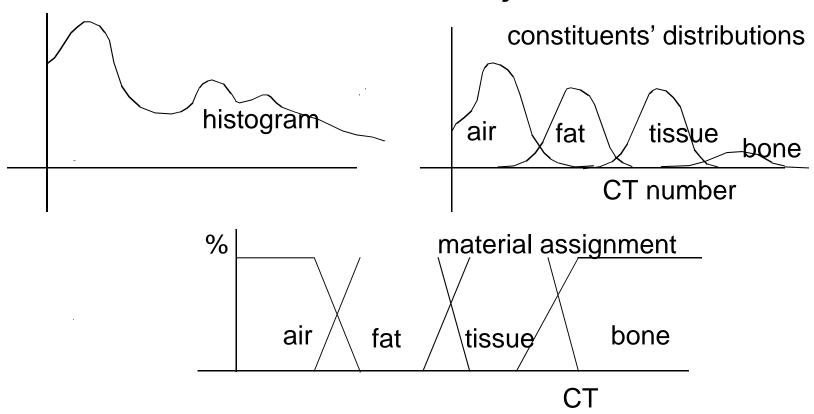
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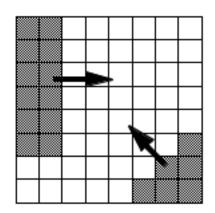


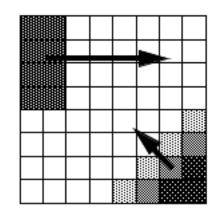
 Heuristic approach, based on measurements of many data sets



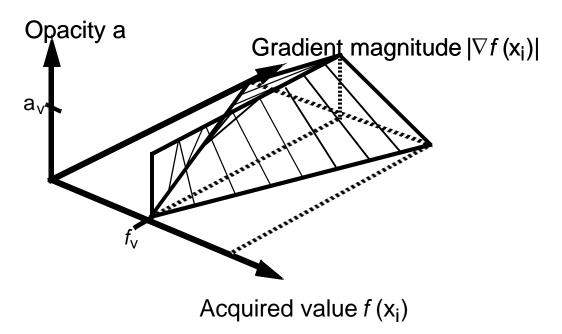
- Hounsfield units (HU) for CT data sets
  - Describes x-ray attenuation, i.e., density of material
  - 12-bit CT-measurements
  - Range of values from -1024 to +3071 HU
  - Typical values:
    - Air: -1024
    - Fat: -100 to -20
    - Water: 0
    - Soft tissue such as muscle: +20 to +80
    - Bone: > +500
  - For visualization, 12 bits are often reduced to 8 bits by windowing (loss of dynamic range)

- Usually not only interested in a particular isosurface but also in regions of "change"
- Feature extraction High value of opacity in regions of change
  - Homogeneous regions less interesting transparent
- Surface "strength" depends on gradient
- Gradient of the scalar field is taken into account

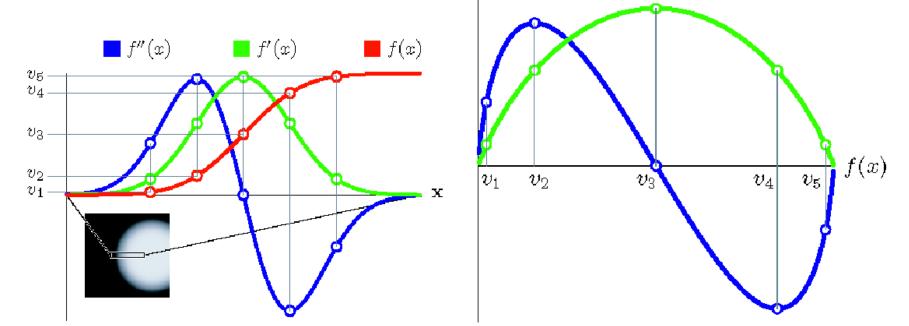


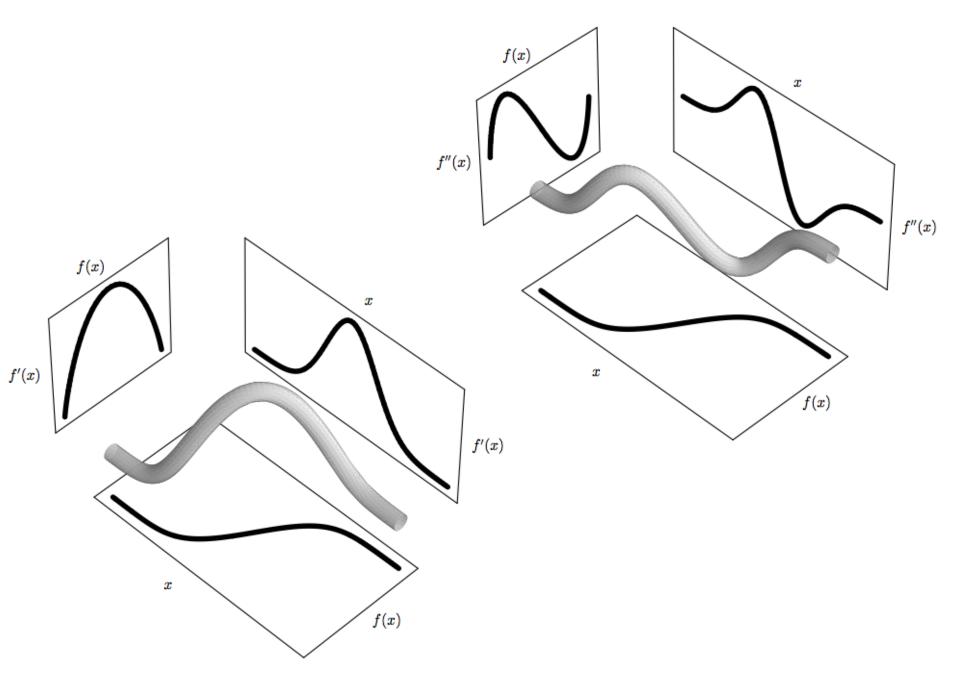


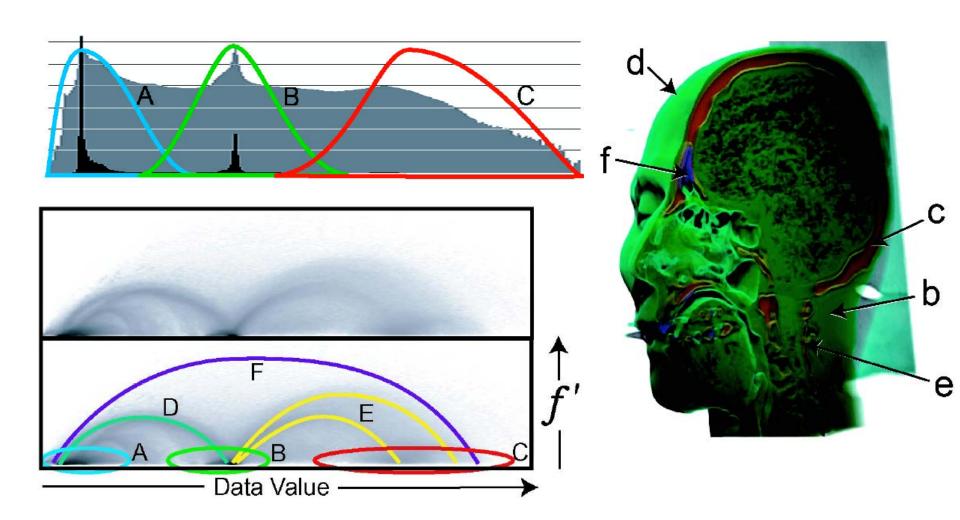
 Scalar value and gradient of the scalar field in a transfer function to emphasize isosurfaces [Levoy 1988]

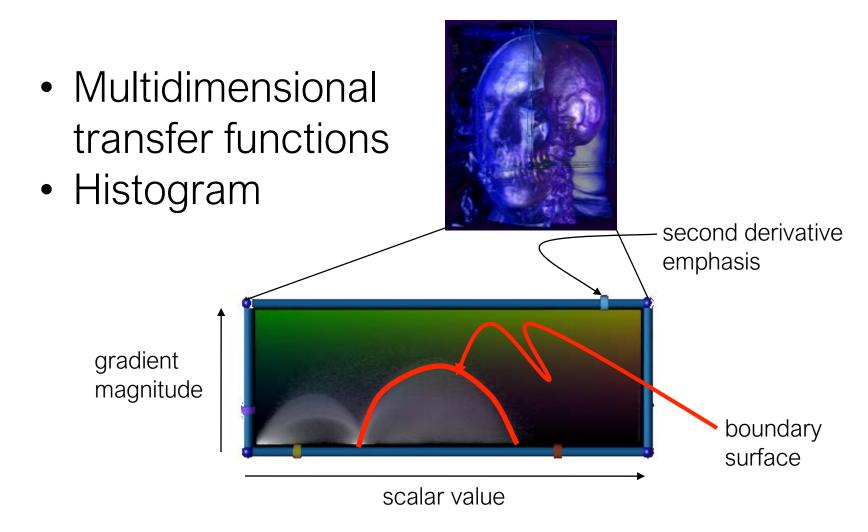


- Multidimensional transfer functions
  [Kindlmann & Durkin 98, Kniss, Kindlmann, Hansen 01]
- Problem: How to identify boundary regions/surfaces
- Approach: 2D/3D transfer functions, depending on
  - Scalar value, magnitude of the gradient

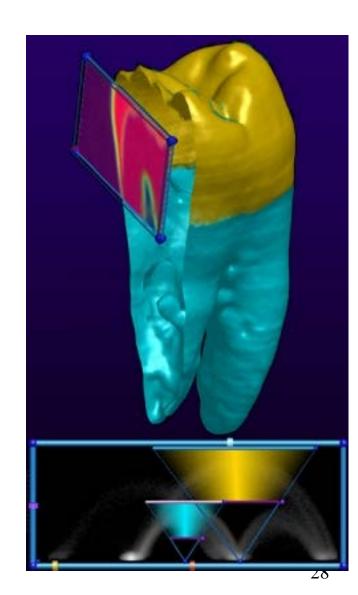






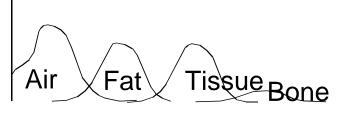


- Multidimensional transfer functions
- Extraction of two boundaries
- Triangle function in histogram

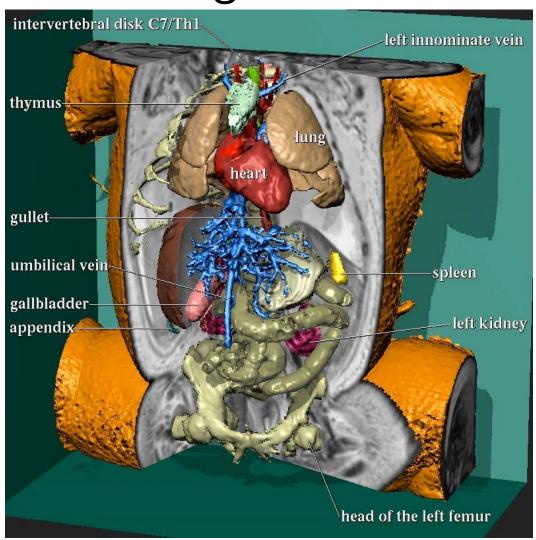


# Segmentation

- Different features with same value
  - Example CT: different organs have similar X-ray absorption
  - Classification cannot be distinguished
- Label voxels indicating a type
- Segmentation = pre-processing
- Semi-automatic process



# Segmentation



Anatomic atlas

- Illumination:
  - Simulate reflection of light
  - Simulate effect on color
- Use human visual system ability to interpret surface illumination

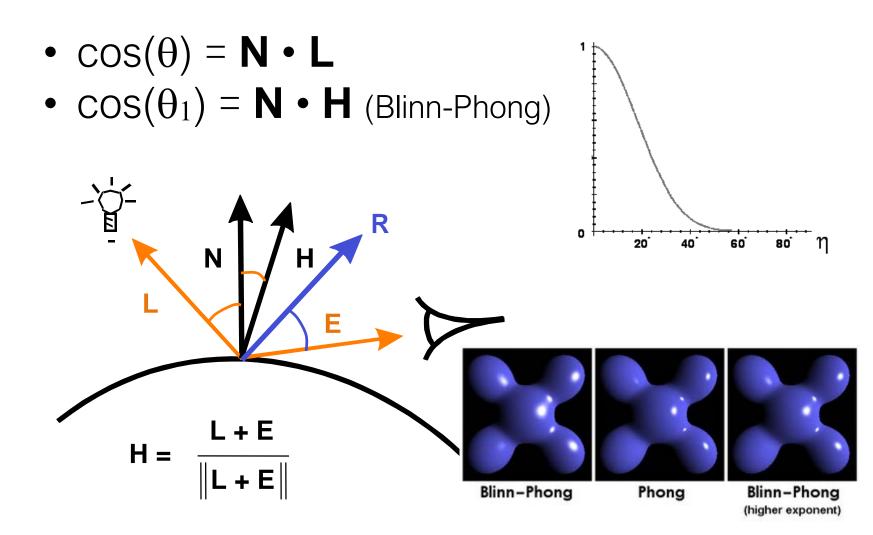


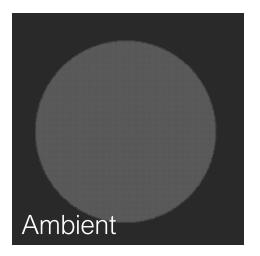


- Review of the Phong illumination model
  - Ambient light + diffuse light + specular light
- Ambient light: C = k<sub>a</sub>C<sub>a</sub>O<sub>d</sub>
  - k<sub>a</sub> is ambient contribution
  - Ca is color of ambient light
  - O<sub>d</sub> is diffuse color of object
- **Diffuse** light:  $C = k_d C_p O_d \cos(\theta)$ 
  - k<sub>d</sub> is diffuse contribution
  - C<sub>n</sub> is color of point light
  - O<sub>d</sub> is diffuse color of object
  - $-\cos(\theta)$  is angle of incoming light
- Specular light: C = k<sub>s</sub>C<sub>p</sub>O<sub>s</sub>cos<sup>n</sup>(σ)
   k<sub>s</sub> is specular contribution

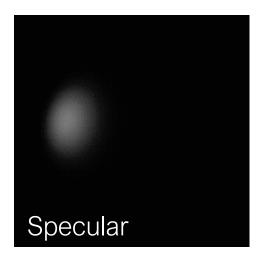
  - $\mathring{C_{D}}$  is color of point light
  - $\cos(\sigma)$  is angle of reflected light and eye
  - n is the specular exponent

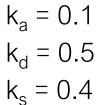


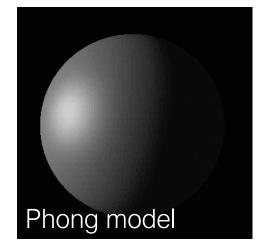




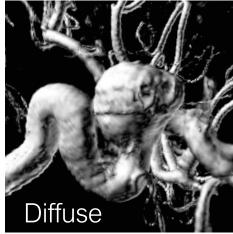






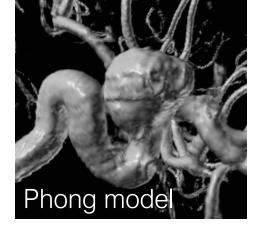








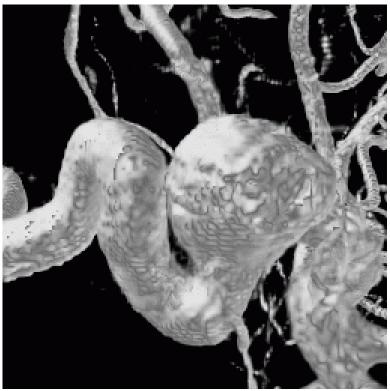
 $k_a = 0.1$   $k_d = 0.5$  $k_s = 0.4$ 



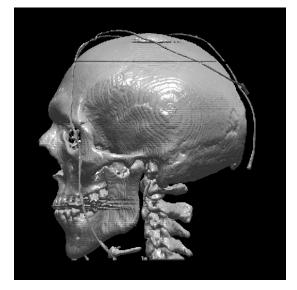
- What is the normal vector in a scalar field?
- Use the gradient!
- Gradient is perpendicular to isosurface (direction of largest change)
- Numerical computation of the gradient:
  - Central difference
  - Intermediate difference (forward/backward difference)
  - Sobel operator (3×3 kernel for each partial derivative)

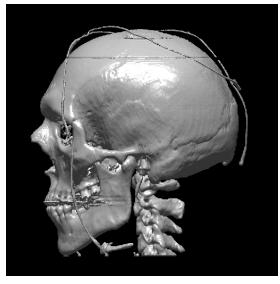


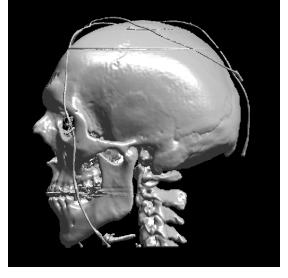
Central differences

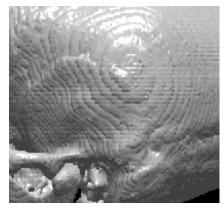


Intermediate differences

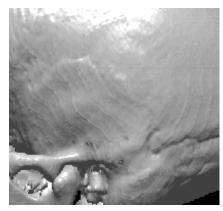




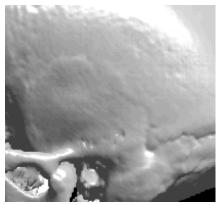








Central differences



Sobel operator