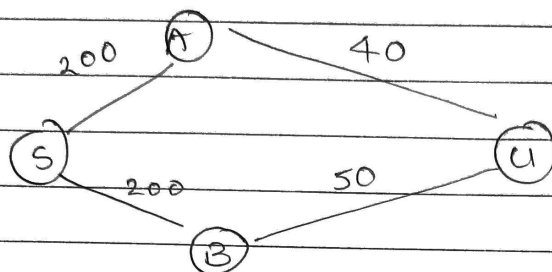


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Q2) b)

Given path:



i) Solving using the first heuristic:

Node	Heuristic
S	0
A	50
B	20
U	0

$x^{A,B} = A$ w/o heuristic.

closed

Open (Priority Queue)

S 0,0

S 0,0

A 200,250

B 200,200

B 200,220

A 200,250

U 250,250

U 250,250

—

(Q2, b)

Path that we got: $S - B - G$ Cost = 250.

Shortest Path: $S - A - G$, Cost = 240. (This we did not get using first heuristic).

ii) Solving using second heuristic.

Node Heuristic

S 0

A 30

B 20

G 0

Closed

Open (Priority Queue)

$S_{0,0}$

$S_{0,0}$

$A_{200,230}$

$B_{200,250}$

$B_{200,220}$

$A_{200,230}$

$G_{250,250}$

$A_{200,230}$

$G_{250,250}^{(B)}$

$G_{240,240}^{(A)}$

$G_{240,240}$

(Q2, b)

Path that we got : $S-A-G$, cost = 240.

Shortest Path : $S-A-G$, cost = 240.

iii) Why :

- a) Second heuristic gives us the correct answer (global minimal) because the second heuristic approximates lower than the actual answer.
- b) i.e It underestimates the answer.
- c) This is due to the property that, it is guaranteed that A^* will find the optimal path to the goal (if one exists) if and only if it ~~use~~ the heuristic function is chosen such that it underestimates the actual cost.