

07 March Assignment

May 2, 2023

[]: Q1. What are the three measures of central tendency?

[]: ANS -

[]: A Measure of central tendency **is** a summary measure that attempts to describe a whole **set** of data **with** a single value that represents the middle **or** centre of its distribution.
There are three main measure of central tendency.

1. Mean
2. Median
3. Mode

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[]: Q2. What **is** the difference between the mean, median, **and** mode? How are they used to measure the central tendency of a dataset?

[]: ANS -

[]: The Mean(average) of a data **set is** found by adding **all** numbers **in** the data **set**, **and** then dividing by the numbers of values **in** the **set**.
The Median **is** the middle value when a data **set is** odered **from least** to greatest.
The Mode **is** the number that occurs most often **in** a dataset.

[]: In a normal distribution , data **is** symmetrically distributed **with** no skew. most values cluster around a central region, **with** values tapering off **as** they go further away **from the** center. the mean ,mode , **and** median are exactly the same **in** a normal distribution

[]: In skewed distribution , more values fall on one side of the center than the other, **and** the mean,mode , **and** median **all**

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differ from each other.
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[ ]: Q3. Measure the three measures of central tendency for the given height data:  
[178,177,176,177,178.2,178,175,179,180,175,178.9,176.2,177,172.5,178,176.5]
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[ ]: ANS -
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```
[2]: height=[178,177,176,177,178.2,178,175,179,180,175,178.9,176.2,177,172.5,178,176.  
↪5]
```

```
[3]: import numpy as np
```

```
[4]: np.mean(height)
```

```
[4]: 177.01875
```

```
[5]: np.median(height)
```

```
[5]: 177.0
```

```
[7]: from scipy import stats
```

```
[8]: stats.mode(height)
```

```
/tmp/ipykernel_70/1690947930.py:1: FutureWarning: Unlike other reduction  
functions (e.g. `skew`, `kurtosis`), the default behavior of `mode` typically  
preserves the axis it acts along. In SciPy 1.11.0, this behavior will change:  
the default value of `keepdims` will become False, the `axis` over which the  
statistic is taken will be eliminated, and the value None will no longer be  
accepted. Set `keepdims` to True or False to avoid this warning.
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```
stats.mode(height)
```

```
[8]: ModeResult(mode=array([177.]), count=array([3]))
```

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[ ]: Q4. Find the standard deviation for the given data:  
[178,177,176,177,178.2,178,175,179,180,175,178.9,176.2,177,172.5,178,176.5]
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[ ]: ANS -
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```
[9]: import numpy as np
```

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[10]: data=[178,177,176,177,178.2,178,175,179,180,175,178.9,176.2,177,172.5,178,176.5]
```

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[11]: std=np.std(data)
std
```

```
[11]: 1.7885814036548633
```

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[ ]: Q5. How are measures of dispersion such as range, variance, and standard deviation used to describe the spread of a dataset? Provide an example.
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[ ]: ANS -
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[ ]: The range is the easiest dispersion of data or measure of variability. The range can measure by subtracting the lowest value from the massive number. the wide range indicates high variability, and the small range specifies low variability in the distribution.
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[ ]: Variance is a simple measure of dispersion . Variance measures how far each number in the dataset from the mean. To compute variance first , calculate the mean and squared deviations from a mean. Observation near to mean value gets higher value.
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[ ]: Standard deviation is a aquared root of the variance to get original values , low standard deviation indicate data points close to mean.
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[ ]: Q6. What is a Venn diagram?
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[ ]: ANS -
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[ ]: A venn diagram representing mathematical or logical sets pictorially as circles or closed curves within
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an enclosing rectangle , common elements of the sets being represented by
↳ intersections of the circles.

A venn diagram uses overlapping circles or other shapes to illustrate the
↳ logical relationships between two or more sets of items.

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[]: Q8. What do you understand about skewness in data?

[]: ANS -

[]: Skewness is a measurement of the distortion of symmetrical distribution of
↳ symmetry in a data set.
Skewness is demonstrated on a bell curve when data points are not distributed
↳ symmetrically to the left and right sides of the median on a bell curve.

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[]: Q9. If a data is right skewed then what will be the position of median with
↳ respect to mean?

[]: ANS -

[]: Generally , if the distribution of data is skewed to the left , the mean is
↳ less than the median , which is often less than the mode. if the distribution of data is skewed to the
↳ right, the mode is often less than the median , which is less than the mean.

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[]: Q10. Explain the difference between covariance and correlation. How are these
↳ measures used in statistical analysis?

[]: ANS -

[]: Covariance is a statistical term that refers to a systematic relationship between two random variable in which a change in the other reflects a change in one variable.
The greater the number, the more reliable the relationship. positive covariance denotes a direct relationship and is represented by a positive number. A negative number, on the other hand, denotes negative covariance, which indicates an inverse relationship between the two variables.

In statistics, correlation is a measure that determines the degree to which two or more random variables move in sequence. When an equivalent movement of another variable in some way or another occurs during the study of two variables, the variables are said to be correlated.

[]: Covariance is an indicator of the extent to which 2 random variables are dependent on each other. A higher number denotes higher dependency.
The value of covariance lies in the range of $- \infty$ and $+\infty$.
Correlation is a statistical measure that indicates how strongly two variables are related.

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[]: Q11. What is the formula for calculating the sample mean? Provide an example calculation for a dataset.

[]: ANS -

[]: It is obtained by simply dividing the sum of all values in a dataset by the number of values.

[]: The general formula for calculating the sample mean is given by $\bar{x} = (\sum x_i) / n$.
Here, \bar{x} represents the sample mean, x_i refers to all X sample values and n stands for the number of sample terms in the data set.

[]: sum of terms = $60 + 56 + 76 + 45 + 34$

[1]: $60 + 56 + 76 + 45 + 34$

[1]: 271

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[ ]: Number of terms = 5
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[3]: mean = 271 / 5
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[4]: mean
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[4]: 54.2
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[ ]: Q12. For a normal distribution data what is the relationship between its  
↳measure of central tendency?
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[ ]: ANS -
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[ ]: Any normal distribution has a graph that is perfectly symmetric about a  
↳vertical line through its peak.  
Therefore , all measures of entral tendency (most commonly , the mean , median  
↳, mode)give the same answer  
the x - value of the peak.
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[ ]: Q13. How is covariance different from correlation?
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[ ]: ANS -
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[ ]: Covariance and correlation are two terms that are opposed and are both used in  
↳statistics and regression  
analysis . Covariance shows you how the two variable differ , whereas  
↳correlation shows you how the two  
variable are related.
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[ ]: Q14. How do outliers affect measures of central tendency and dispersion?  
↳Provide an example.
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[ ]: ANS -
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[ ]: Outliers are numbers in a data set that are vastly larger or smaller than the
      ↳ other values in the set . Mean , median and mode
      are measures of central tendency . Mean is the only measure of central tendency
      ↳ that is always affected by an outlier.
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[11]: score = [0,34,54,67,87,98,99]
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```
[13]: import numpy as np
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[14]: mean = np.mean(score)
```

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[15]: mean
```

```
[15]: 62.714285714285715
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