

## 29 March Assignment

June 18, 2023

[ ]: Q1. What **is** Lasso Regression, **and** how does it differ **from other** regression techniques?

ANS-

[ ]: Lasso Regression **is** a regression analysis method that performs both variable selection **and** regularization. It uses absolute values **in** the penalty function instead of squares, which leads to penalizing (**or** equivalently constraining the **sum** of the absolute values of the estimates) values that cause some of the parameter estimates to turn out exactly zero. This makes Lasso Regression useful **for** feature selection.

Lasso Regression **is** similar to Ridge Regression **in** that both attempt to minimize the **sum** of squared residuals (RSS) along **with** some penalty term. However, Lasso Regression constrains **or** regularizes the coefficient estimates of the model by zeroing out some features' coefficients.

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[ ]: Q2. What **is** the main advantage of using Lasso Regression **in** feature selection?

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[ ]: Lasso regression **is** useful **for** feature selection because it provides a principled way to reduce the number of features **in** a model. By adding the L1 regularization term, Lasso regression can shrink the coefficients towards zero, **and** when **is** sufficiently large, some coefficients are driven to exactly zero. This **property** of Lasso makes it useful **for** feature selection, **as** the variables **with** zero coefficients are effectively removed **from the** model. Lasso was designed to improve the interpretability of machine learning models by reducing the number of features.

The main advantage of a LASSO regression model **is** that it has the ability to **set** the coefficients **for** features it does **not** consider interesting to zero. This means that the model does some automatic feature selection to decide which features should **and** should **not** be

included on its own. Reduced overfitting **is** another advantage of LASSO **regression**.

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[ ]: Q3. How do you interpret the coefficients of a Lasso Regression model?

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[ ]: In Lasso Regression model, the coefficients are interpreted **as** the log odds **for** **a** 1 unit change **in** the coefficient **while** holding **all** other coefficients constant. Lasso regression performs L1 regularization, which adds **a** penalty equal to the absolute value of the magnitude of coefficients. This **type** of regularization can result **in** sparse models **with** few **coefficients**; Some coefficients can become zero **and** eliminated **from the** model. The coefficients can be used to understand the impact of each **feature** on the target variable, **and** also help **in** feature selection.

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[ ]: Q4. What are the tuning parameters that can be adjusted **in** Lasso Regression, **and** how do they affect the model's **performance**?

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[ ]: In Lasso Regression, the tuning parameter ( $\lambda$ ), sometimes called a penalty **parameter**, controls the strength of the penalty term **in** ridge regression **and** lasso regression. It **is** basically the amount of shrinkage, **where** data values are shrunk towards a central point, like the mean. The tuning parameter **is** used to control the trade-off between **fitting** the model well to the training data **and** keeping the model simple. A larger value of  $\lambda$  will result **in** more shrinkage **and** a **simpler** model.

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[ ]: Q5. Can Lasso Regression be used **for** non-linear regression problems? If yes, **how**?

ANS-

[ ]: Yes, Lasso Regression can be used **for** non-linear regression problems. One way **to** do this **is** by using Gaussian basis functions **and** imposing a weighted lasso penalty on a nonlinear regression model. This can help select **the** number of basis functions effectively **and** reduce some

unknown parameters in linear regression models toward exactly zero.

Another way is to fit a lasso regressor to the whole lot, multiplying out your  
→brackets giving you  $2m+2$  coefficients. Then by performing a  
change of variables you can make this a linear regression problem again.

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[ ]: Q6. What is the difference between Ridge Regression and Lasso Regression?

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[ ]: Both Ridge Regression and Lasso Regression are regularization methods that  
→minimize the sum of squared residuals along with some penalty term.  
The difference is that Ridge Regression takes the square of the coefficients  
→and never sets them to absolute zero, while Lasso Regression  
takes the magnitude and tends to make coefficients to absolute zero. Lasso  
→Regression can be used for automatic feature selection and removing  
insignificant variables from the model. However, Lasso Regression may struggle  
→with some types of data, such as when the number of predictors  
is greater than the number of observations, or when there are highly collinear  
→variables. In these cases, Elastic Net, which combines the  
regularization of both Lasso and Ridge, may be better. Ridge Regression may  
→perform better when many predictor variables are significant  
and have similar coefficients.

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[ ]: Q7. Can Lasso Regression handle multicollinearity in the input features? If  
→yes, how?

ANS-

[ ]: Yes, Lasso Regression can handle multicollinearity in the input features. In  
→fact, Lasso Regression is one of the methods that can handle  
multicollinearity. It does this by shrinking the coefficients of correlated  
→variables towards zero. This is because Lasso Regression uses  
L1 regularization which adds a penalty term to the loss function that is  
→proportional to the absolute value of the coefficients.  
This penalty term forces some of the coefficients to be zero, which effectively  
→removes some of the features from the model.  
This way, Lasso Regression can handle multicollinearity by selecting only one  
→feature from a group of correlated features.

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[ ]: Q8. How do you choose the optimal value of the regularization parameter  $\lambda$  in Lasso Regression?

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[ ]: To choose the optimal value of the regularization parameter  $\lambda$  in Lasso Regression, there are two main approaches:

Choose  $\lambda$  such that some information criterion, e.g., AIC or BIC, is the smallest.

Perform cross-validation and select the value of  $\lambda$  that minimizes the cross-validated sum of squared residuals (or some other measure).

Alternatively, you can use root finding algorithms like Brent's method or golden section search to directly optimize  $\lambda$ .