| Prog | ram: Diploma | Part A: Introduction Class: B.Sc. Semester: Fourth Session: 202. | 3-2024 | |
|------|--|--|------------------|--|
| 1 | Course Code | PSE - 02T | . 2021 | |
| 2 | Course Title | FUNDAMENTALS OF MODERN PHYSICS | | |
| 3 | Course Type | Theory | | |
| 4 | Pre-requisite (if any) | As per norms | | |
| 5 | Course Learning Outcomes (CLO) • Gain of advanced theoretical and experimental method in the use of numerical method • Understand the basic postulates of quantum mechanics • Gain knowledge about physical quantities as operators • Understand the Schrodinger equation and its application • Gain knowledge about structure of nucleus, nuclear fissing fusion and be familiar of nuclear energy | | ncluding | |
| 6 | Credit Value | Theory: 4 (Th-3 + Tutorial-1) | | |
| 7 | Total Marks | Max. Marks: 100 Min Passing Mark | s: 40 | |
| | 2.000.000 | Part B: Content of the Course | | |
| | | Total Hours: 60 | | |
| Unit | it Topic | | Numbe of Hour | |
| I | Photo-electric effe matter waves; Davi instability of ator | heory, Planck's constant and light as a collection of photons; ct and Compton scattering. De Broglie wavelength and isson-Germer experiment. Problems with Rutherford modelms and observation of discrete atomic spectra; Bohr's and atomic stability; calculation of energy levels for hydrogen respectra. | 15 | |
| П | Position measurement- gamma ray microscope thought experiment; Wave- particle duality, Heisenberg uncertainty principle- impossibility of a particle following a trajectory; Estimating minimum energy of a confined particle using uncertainty principle; Energy-time uncertainty principle, Two slit interference experiment with photons, atoms and particles; linear superposition principle as | | 15 | |
| | a consequence | Matter waves and wave function; probabilistic interpretation of wave function, Probability and probability current densities in one dimension. Normalization of wave function, Expectation value of dynamical variables, Operators: Position, Momentum and Energy operators; stationary states; probabilities and normalization; Schrodinger equation for non-relativistic particles. | | |
| III | Probability and pro of wave function Position, Momentu | bability current densities in one dimension. Normalization , Expectation value of dynamical variables, Operators: m and Energy operators; stationary states; probabilities and | 15 | |
| IV | Matter waves and verification of wave function Position, Momentus normalization; School One dimensional in Quantum dot; qu | bability current densities in one dimension. Normalization , Expectation value of dynamical variables, Operators: m and Energy operators; stationary states; probabilities and | 15 | |
| | Matter waves and verification of wave function Position, Momentus normalization; School One dimensional in Quantum dot; qu | bability current densities in one dimension. Normalization , Expectation value of dynamical variables, Operators: m and Energy operators; stationary states; probabilities and rodinger equation for non-relativistic particles. Infinitely rigid box- energy eigen values and eigen function, attum mechanical scattering and tunneling in one dimension tital and across a rectangular potential barrier. Schrodinger all polar co-ordinates, spherical symmetric potential, energy | | |