

6-oct-28

Module - 5 / Chapter - 6

Lab project → 90 in final.

1. Proposal → 5

SLUT = all others

2. Schema diagram → 5

3. ER diagram → 6

4. Constraints of the tables → 6

5. Implementation → 7

6. Report → 7

7. Presentation → 10

Create Read (view)
Report/Registration

Update

Delete

* operation of Sync DB Lab project

* Interface - SDP-2

Module - 09 / Chapter - 6

E-R (Entity-Relationship) Diagram; Entity sets Table

* Entity sets = Table

Complex Attributes

Column value hold multiple value (Ex: column C)

Sub-part →
Ex: Age
20th

1. Simple : (Age, CT, marks)

↓ ↓ Sub-Part →

Composite: (Ex: Attribute hold value (Ex: Age))
divide into 20th 20th

Ex (Name, address))

7-Oct-23

single-valued attribute: ~~get~~ value ~~get~~ row 6
 21010 (CGPA, Age)

multi-valued attribute: ~~get~~ row ~~get~~ multiple value
 accept ~~get~~

ID	<u>student registered course</u>	Age	CGPA	Contact no
1	BAN 101, CSE 201	22	3.56	012xxxx
1	BE 101, MAT 231			026xxxx

Derived attributes \rightarrow Attr. \rightarrow value Table - 9

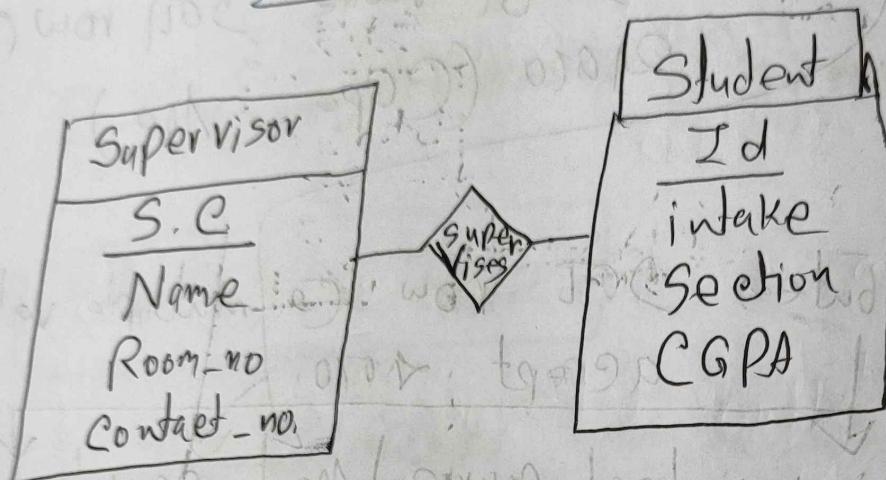
ID	DOB	Age
1	10.10.1998	
2	7.5.1999	

1st \rightarrow 2nd Attr. \rightarrow derive

2nd Attr. \rightarrow 3rd Attr. \rightarrow derive

1 (0) \rightarrow 2 (1) \rightarrow 3 (0),

Mapping Cardinality Constraints

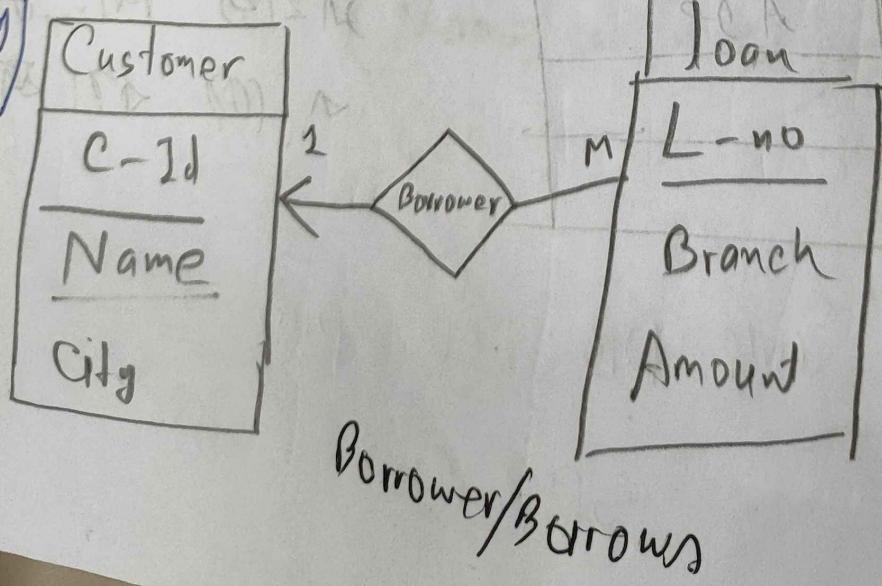


Mapping cardinality constraints

1. If table 99 has row(entity) ৭০৩০^১
table ২৮ কর্তৃত row(৷) ৭০ ২৮৭
Connected এ যেসবো represent
২৮৭ এরা Mapping Cardinality
রেলো

Relationship Wp?

Mapping
C.?



L-11
L-12
L-13
L-14
L-15
G

L-12

L-13

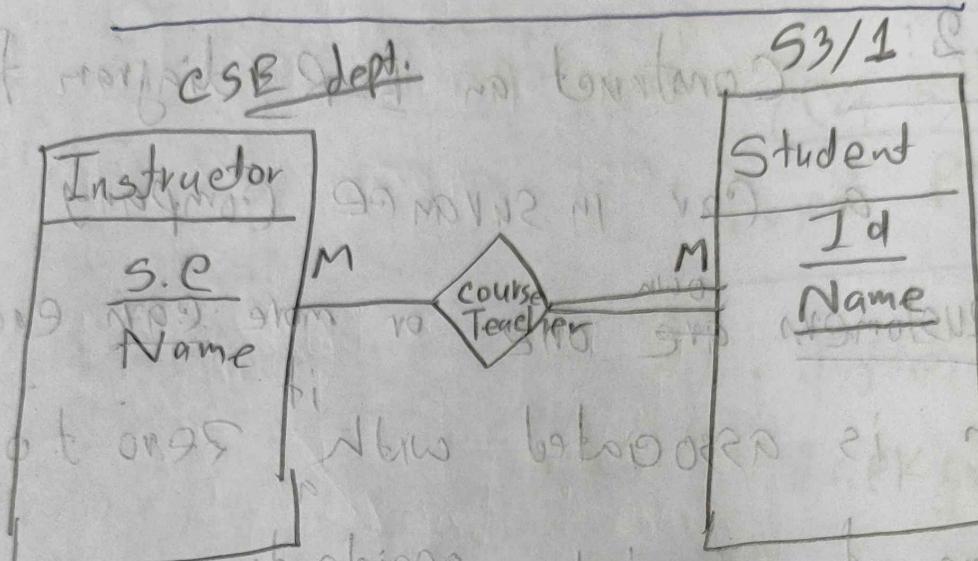
L-14

L-15

G

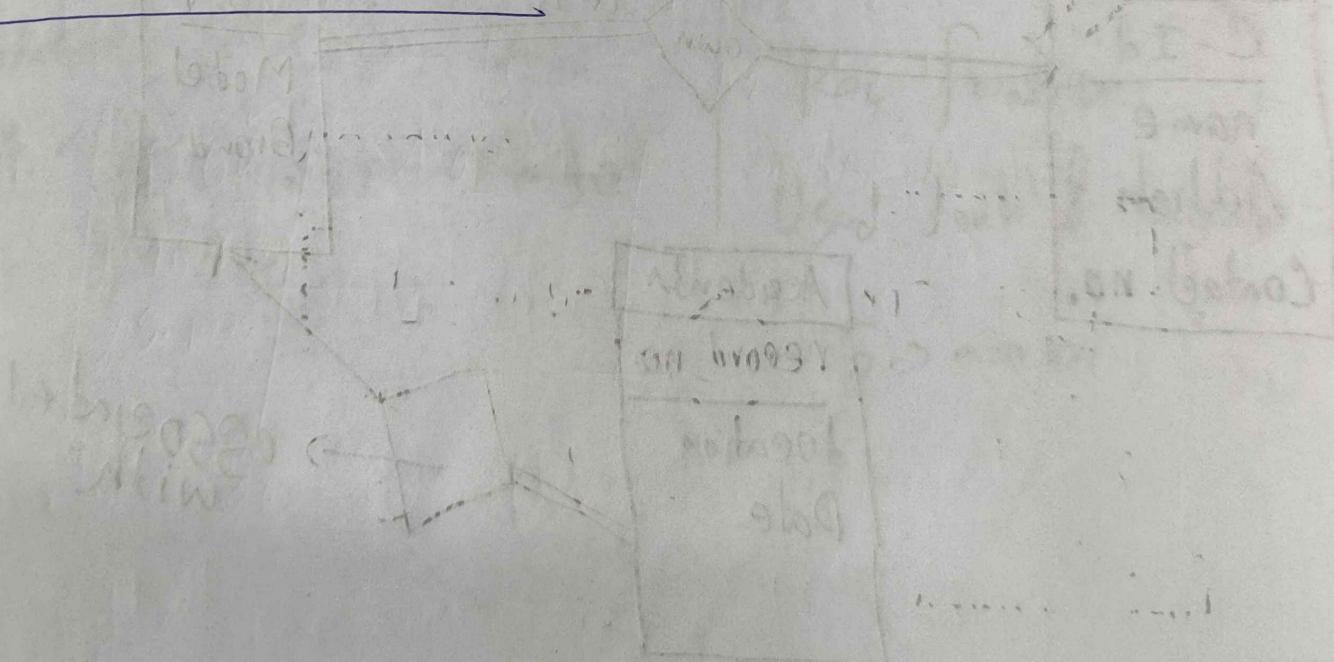
L-15

Total and Partial Participation



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Check pic (13)



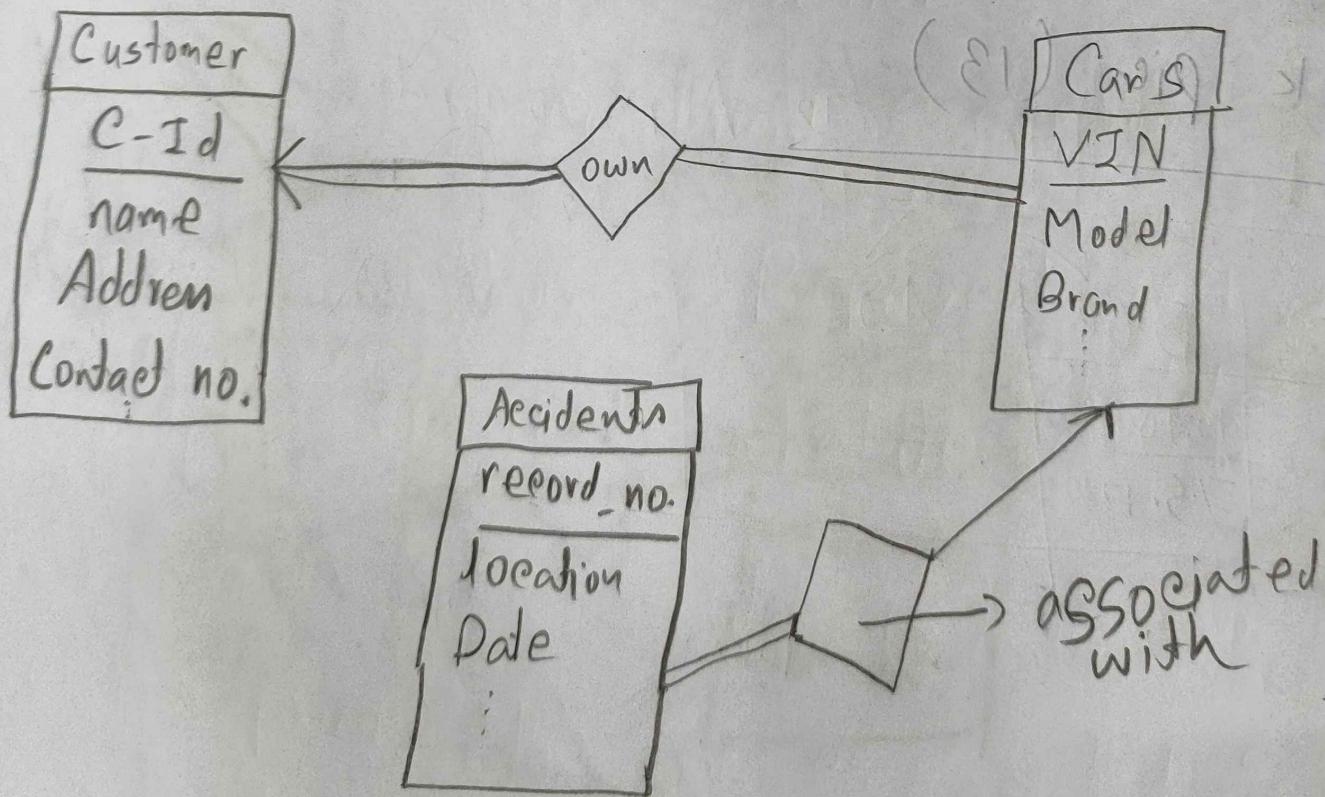
Check Pts (19)

19-OCT-25

VIN → Vehicle Identification num.

Example 2: Construct an E-R diagram for
a car insurance Company

whose customers own one or more car each.
Each car is associated with ^{it} zero to
any numbers of recorded accidents.



Module 1S: (Transaction)

English

DB unit 19 (book 19/1S)

ACID

consistency → સામજિક

$$A = 100$$

$$B = 200$$

$$A + B = 300$$

$$A = 50$$

$$B = 250$$

$$A + B = 300$$

(G-S) in slide

Project proposal

Title

Background:

Isolation) ને Concurrent Schedule

(Conflict serializable)

~~Conflict~~ ↔ Concurrent S

Isolation property maintain

Durability

DB after Change

of transaction

Motivation:-

Key features:-

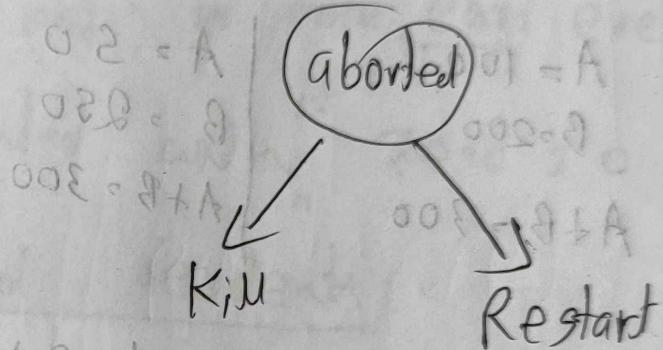
Used tools & language:

5 → marking (log book)

20-OCT-25

Atomicity \rightarrow 2D (6F) operation \Rightarrow then db
locking update \Rightarrow after \Rightarrow 2D et.

② Commit Command



Concurrent \Rightarrow Parallel Serial

Schedule 3 \Rightarrow Concurrent execution.

Transcation

Represent \Rightarrow no schedule.

(Local buffer)

arate

25

S-2

$$A = 900, B = 900; A + B = 600$$

I₂

I₁

$$A = 200$$

$$\text{Temp} = 20$$

$$A = 180 \text{ (local buffer)}$$

$$DB: A = 180$$

$$B = 900$$

$$B = 920$$

$$DB: B = 920$$

$$A + B = 180 + 920 = 600$$

$$A = 180$$

(local buffer)

$$A = 130$$

$$DB: A = 130$$

$$B = 920$$

$$B = 970$$

$$DB: B = 970$$

$$A + B = 130 + 970 = 600$$

* Consistent.

* Serial QCA is guaranteed to be consistent.

* Concurrently consistent QCA with MRC mechanism

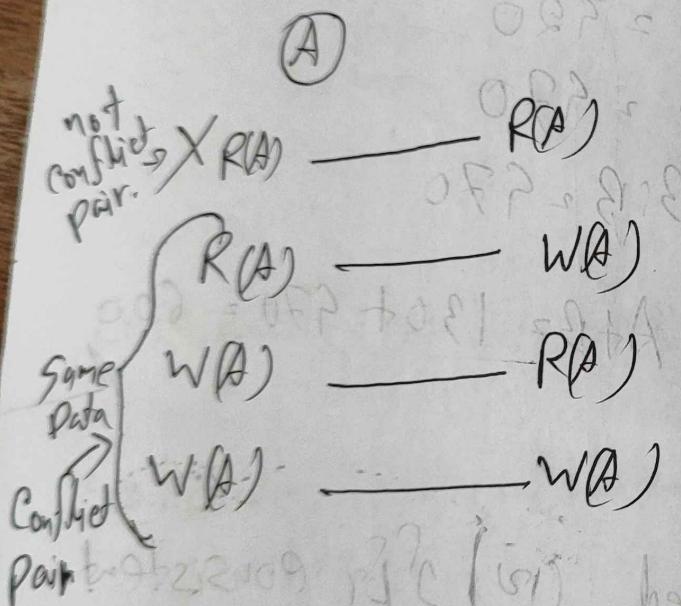
Collision of ② global buffer after write ok

if 2 write req. in same row arriving before
global buffer

Precedence graph

21 OCT 25

Conflict serializability:-



$R(A) - W(B) \rightarrow$ same and different data

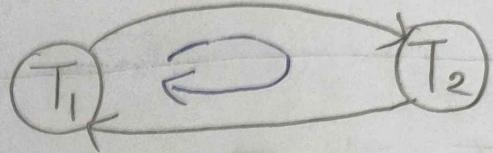
different data

If a concurrent schedule S can be converted to a serial schedule S' by avoiding conflict pairs then we can say that S is conflict serializable.

Schedule - 9

	T_1	T_2
	R(A)	
	R(A)	
	w(A)	
	R(B)	
	w(B)	w(B)

Precedence graph

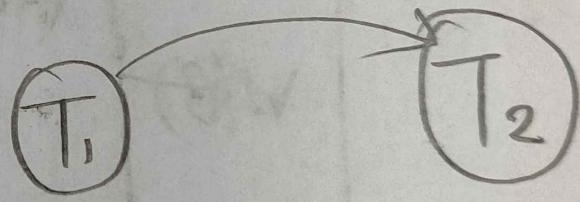


Cycle \Rightarrow Not conflict
Serializable.

\hookrightarrow Inconsistent.

Schedule - 3

	T_1	T_2
	R(A)	
	w(A)	
		R(A)
		w(A)
	R(B)	
	w(B)	
		R(B)
		w(B)



No cycle = ~~Conflict~~
Serializable

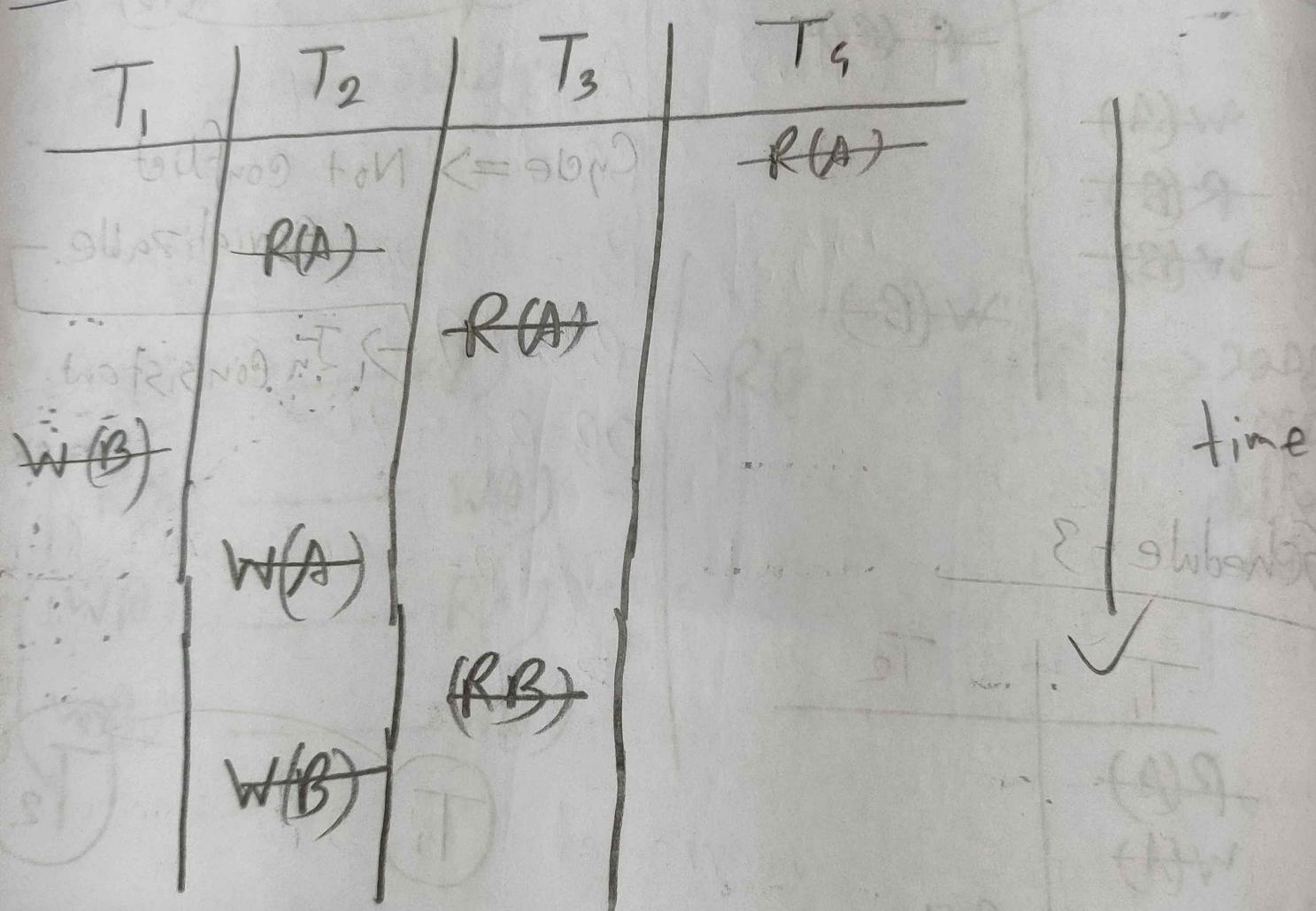
\hookrightarrow Consistent.

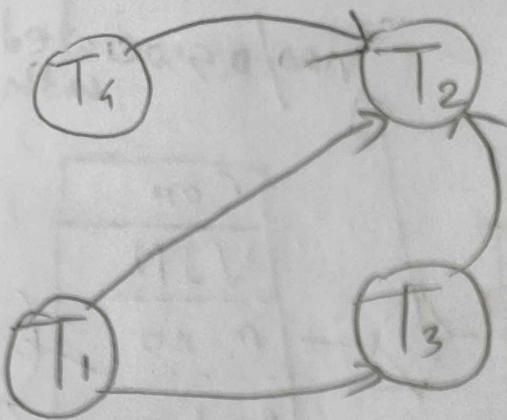
check pich (28)

27 OCT-28/

Conflict serializability:

(Q. Is the schedule
conflict serializable?

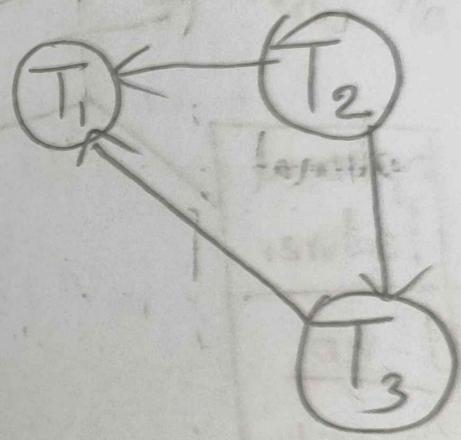




No cycles =

Serializable

T_1	T_2	T_3
$R(x)$		
	(R_y)	
	(R_x)	
$R(y)$		
$R(z)$		
	$w(y)$	
	$w(z)$	
$R(z)$		
$w(y)$		
$w(z)$		



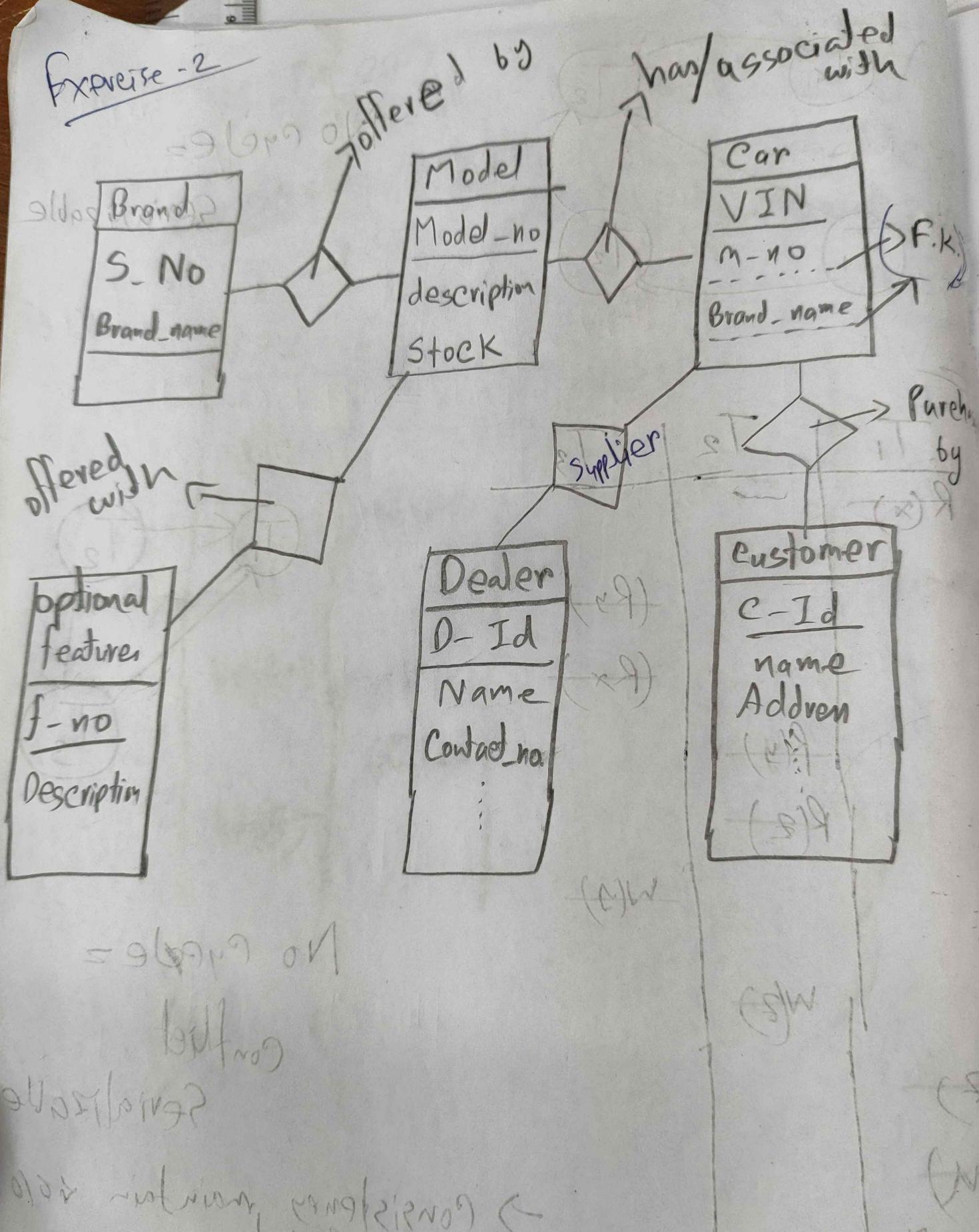
No cycles =

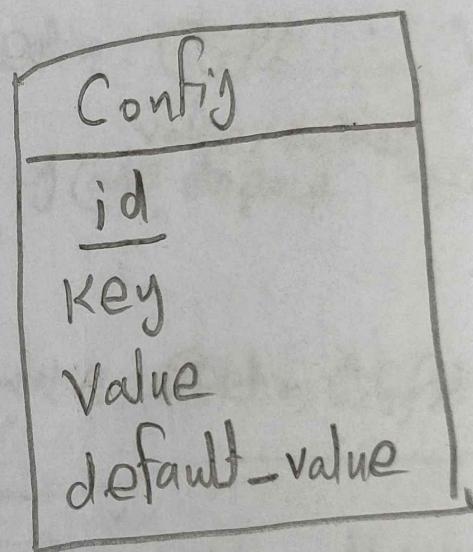
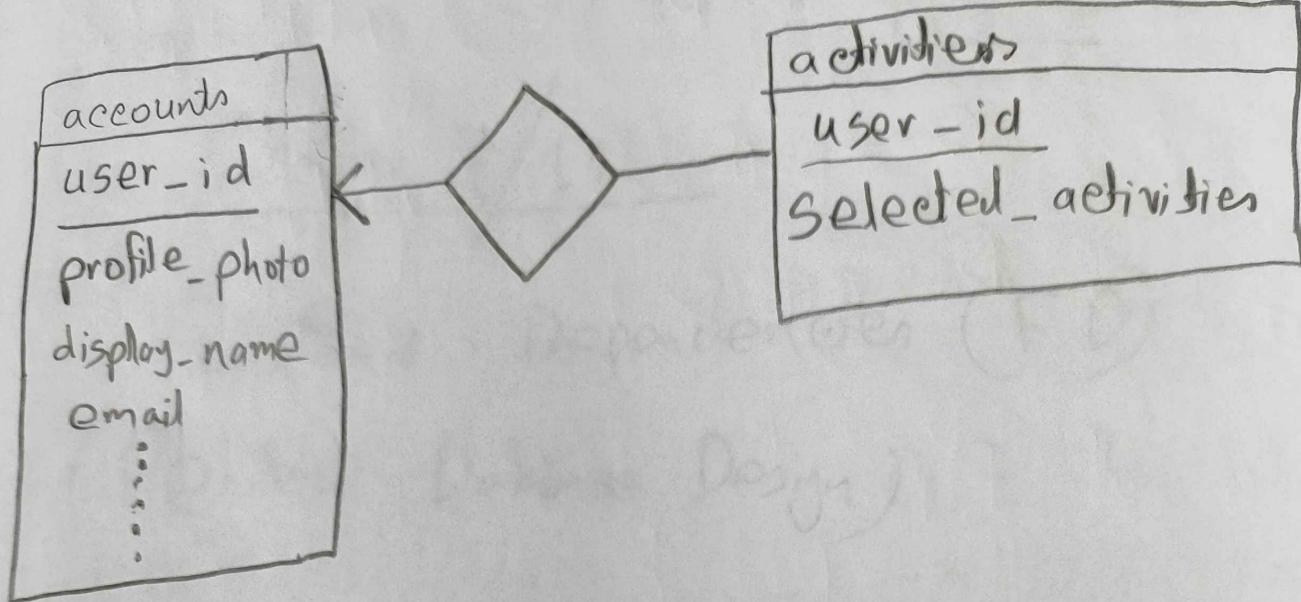
Conflict

Serializable

→ Consistency maintain 46/0
→ isolation property maintain 49/0

Exercise - 2





3-Nov-25

Chapter 7/12

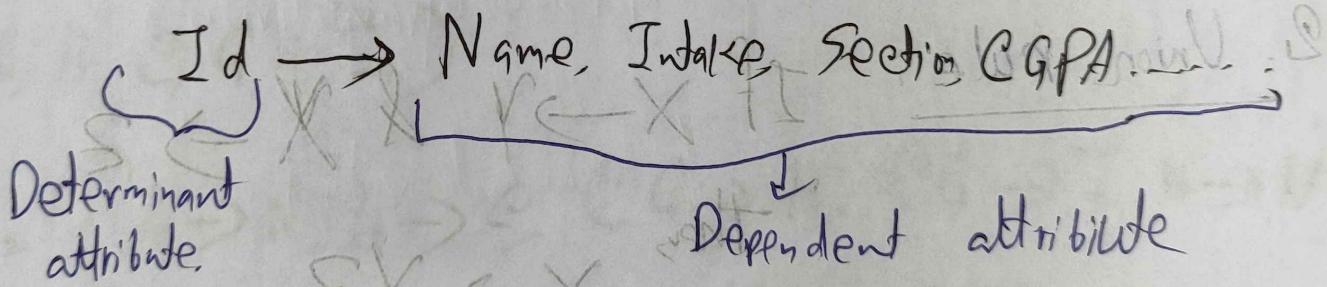
Functional Dependencies (F.D)

(Relational Database Design) N.F to 3NF

Student (Id, Name, Intake, Section, CGPA, ...)

→ Id → Name → Intake → Section → CGPA → ...
value/detail
attribute → can depend on →

F.D.



Id, Name →

Y ← X and Y ← Z

~~A → BCDE~~ (✓) valid dependency

$B \rightarrow DE$ (✗) Invalid

(0.7) $D \rightarrow BC$ (✗) a violation

Rules of F.D.

1. Transitivity rule: If $X \rightarrow Y$ & $Y \rightarrow Z$

If $X \rightarrow Y$ & $Y \rightarrow Z$ then $X \rightarrow Z$

2. Union rule: If $X \rightarrow Y$ & $X \rightarrow Z$

then $X \rightarrow YZ$

3. Decomposition rule: If $X \rightarrow YZ$

then

$X \rightarrow Y$ and $X \rightarrow Z$

4 Pseudo transitivity: If $X \rightarrow Y$ &

$YZ \rightarrow W$

then $\{B \leftarrow A\} \Rightarrow Y \rightarrow W$

$XZ \rightarrow W$.

5. Augmentation rule: If $X \rightarrow Y$ then

{Then}

to avoid self

$XZ \rightarrow YZ$

#

$R(A, B, C, G, H, I)$

$F = \{A \rightarrow B, A \rightarrow C, CG \rightarrow H, CG \rightarrow I, B \rightarrow H\}$

Closure of F / F^+ (containing F.D. with
for first (P.T.)

$F^+ = \{A \rightarrow BC \text{ [Union]}, AG \rightarrow H \text{ [P.T.]},$
 $CG \rightarrow HI \text{ []}, AG \rightarrow I \text{ []}\}$
 $A \rightarrow H \text{ [Transitivity]}$

9-Nov-23

Solver IT

R(A, B, C, D/E) - SP

$F = \{ A \rightarrow BC$ rank
 $CD \xleftarrow{W} E \xrightarrow{S}$

$B \rightarrow D$
 $E \rightarrow BC$
 $B \rightarrow A\}$

Find F^+ / find the closure of F

$\Rightarrow F^+ = \{ BC \rightarrow B$ [Pseudo transitivity]

$CD \rightarrow A$ [transitivity]

$A \rightarrow B \& A \rightarrow C$ [Decomposition]

[T.9] $H \leftarrow \partial A$

[C.3] $I \leftarrow \partial A$

[nivC] $gB \leftarrow A$

[C.3] $IH \leftarrow \partial g$

$R(A, B, C)$

(I, H, D, G, A) R

$$F = \{ A \rightarrow BC \quad \begin{matrix} B \leftarrow A \\ D \leftarrow A \end{matrix}, \quad \begin{matrix} H \leftarrow BD \\ I \leftarrow CD \end{matrix} \\ B \rightarrow C \\ A \rightarrow B \\ AB \rightarrow C \} \quad \{ H \leftarrow BI \}$$

$$\Rightarrow F^+ = \{ A \rightarrow C \} \quad [\text{Decomposition}]$$

Closure of attribute set

Find A^+ , B^+ , $(AB)^+$

$[A \supseteq \{ \text{some } \text{given} \}]$

(given Attribute dependent
 $\{ \text{some } \text{given} \} = A^+$)

$$\Rightarrow A^+ = ABC$$

$$B^+ = BC$$

$$(AB)^+ = ABC$$

$R(A, B, C, G, H, I)$

$$F_2 \quad \left\{ \begin{array}{l} A \rightarrow B \\ A \rightarrow C \end{array} \right.$$

$$G \leftarrow A ?$$

$$CG \rightarrow H$$

$$D \leftarrow A$$

$$CA \rightarrow I$$

$$B \leftarrow DA$$

$$B \rightarrow H \quad \} \quad \}$$

find $A^+, B^+, C^+ \quad ((CG)^+ \quad G \leftarrow A \quad)$

Solⁿ: $A^+ = ABCH$

~~$B^+ = BAHCAG$~~

~~$B^+ =$~~

~~$C^+ = CA$~~

~~$H = (BA) + A + A$~~

$[(CG)^+ = CGHI]$

$GA = + A$

$GB = + B$

$GBA = + B$

R(A, B, C, D, E)

$$F = \{ A \rightarrow BC$$

$$CD \rightarrow B$$

$$B \rightarrow D$$

$$E \rightarrow A \}$$

(C, B, A) R

$$\text{Find } A^+, B^+, C^+, (CD)^+, E^+ / F^+$$

$$\Rightarrow A^+ = AB \cap DE$$

$$B^+ = BD$$

$$C^+ = C$$

$$(CD)^+ = CDE \cap AB$$

$$E^+ = EAB \cap$$

$$F^+ = \cancel{E}$$

F^+ check previous

F^+ page.

$+ (QA) + Q + A$

10-Nov-23

Finding Super Key, Candidate Key & Primary

Key from Functional dependency sets:-

$$A \rightarrow B$$

$$R(A, B, C)$$

$$CA \subset E$$

$$F = \{ A \rightarrow B, C(A) \} \cup \{ B \rightarrow C, A \rightarrow C \}$$

$$B \rightarrow C$$

$$\begin{matrix} A \rightarrow B \\ AB \rightarrow C \end{matrix}$$

$$SDGA + A$$

Find SK, CK, PK for this table.

→ First calculate the closure of all determinants/part/attribute

$$\therefore A^+, B^+, (AB)^+$$

$$VBAE + E$$

$A^+ = AB\epsilon \rightarrow$
 $B^+ = BC\epsilon$
 $(AB)^+ = ABC\epsilon \rightarrow$

Key	2000	0000
2000	ABC	20
2000		20

$\therefore S.K. \rightarrow A, AB$

$CK = A$

$PK = A$

~~21 cm 2000~~
~~S.K. = A, B, C, D~~

$CK = A, E$

$PK = A/E$

$79 \cdot 42$

$79 \cdot 43$

$79 \cdot 41$

~~R(A, B, C, D, E, F)~~
 R(A, B, C, D, E, F) \rightarrow C
 $\{AB\} \rightarrow C$
 $\{AD\} \rightarrow C$
 $D \rightarrow E$
 $CF \rightarrow B\}$

$BCEP^+$
 CD^+
 D^+

$\Rightarrow (AB)^+ = ABCDE$

$A = 49$

$(BC)^+ = BCEAD$

$C = 49$

$D^+ = DB$

$E = 49$

$(CF)^+ = CFBAD$

$F = 49$

$\therefore SK, CF$

CK, CR

PK, CF

$$(ABF)^+ = ABCDEF$$

$$(BERT)^+ = BCADEF$$

$\therefore ABF, BCF$ is impossible super key.

R (A, B, C, G, H, I)

$$F, \{ A \rightarrow B \\ A \rightarrow C \\ CG \rightarrow H \\ CG \rightarrow I \\ B \rightarrow H \\ CK \rightarrow AG \\ PI \rightarrow AG \}$$

$$(AG)^+ = AGBCHI$$

$$(ACG)^+ = ACGHIB$$

SK. $\Rightarrow AG, ACG$

$$A^+ = ABCH$$

$$CK \rightarrow AG$$

$$B^+ = BH$$

$$PI \rightarrow AG$$

$$C^+ = \emptyset$$

$$(CG)^+ = CGHI$$

\Rightarrow can with one possibility $2^n m$

$R(A B C D E F)$ $\Rightarrow A = (F B A)$

F. { $A B \rightarrow C$

$B C \rightarrow A D$, $D \rightarrow E$

$(AB)^+ = ABCD E F$

$(S, H, E, G, B, A) R =$
consider

$(BC)^+ = ABCDEF$ $BCADFE$

$D^+ = DEF$ DEF

$\cancel{A} (ABF)^+ = ABFCDE$

$(BCF)^+ = BCFADE$

G.K. = ABF, BCF

C.K. = ABF, BCF

P.K. = ABF / BCF

11-Nov-28

Q3: R(A)-B C D-E D H)

$$F = \{ \begin{array}{l} A \rightarrow B \\ B \rightarrow D \\ E \rightarrow C \\ D \rightarrow A \end{array} \quad \begin{array}{l} (D, B, A) \ni \\ \uparrow A \\ \uparrow B \\ \uparrow A \end{array} \quad \begin{array}{l} \uparrow A \\ \uparrow B \\ \uparrow A \end{array} \}$$

⇒

$$A^+ = AB$$

$$(BC)^+ = BCDA$$

$$E^+ = EC$$

$$D^+ = DAB$$

$$(BCEH)^+ = ABEDCH$$

$$\text{S.K. } BCED$$

$$\text{C.K. } BREH$$

$$\text{P.K. } BCEH$$

V.V.T topic

Canonical cover

* Given dependency f can be made prime.

$R(A, B, C)$

$$F = \{ A \rightarrow BC, B \rightarrow C, A \rightarrow B, AB \rightarrow C \}$$

Find out the Canonical cover + A

2) Step: 1 (Strong decomposition rule)
apply AND cover + NOT rule

Apply decomposition rule if possible

$$F_1 = \{ A \rightarrow C, A \rightarrow B, B \rightarrow C, AB \rightarrow C \}$$

Step-2: Check whether $A \rightarrow C$ is necessary or not.

$$A^+ = ABC$$

$$- (A)^+ = ABC$$

So, $A \rightarrow C$ is not necessary.

$$F_2: B \rightarrow C$$

$$\begin{array}{l} A \rightarrow B \\ AB \rightarrow C \end{array}$$

Step-3: Check whether $B \rightarrow C$ is necessary or not.

$$B^+ = BC$$

$$- (B)^+ = B$$

$\therefore B \rightarrow C$ is necessary.

$$B^+ \cdot F_2(B \rightarrow C)$$

$$A \rightarrow B$$

$$AB \rightarrow C$$

Step-5: Check whether $A \rightarrow B$ is necessary or not

$$A^+ \vdash ABC$$

$$-(A)^+ \vdash A$$

$\therefore A \rightarrow B$ is necessary

$$\begin{array}{c} \text{G}BA + A \\ \text{G}BA = F \\ \{ B \rightarrow C \\ A \rightarrow B \\ AB \rightarrow C \} \end{array}$$

Step-5: Check whether $AB \rightarrow C$ is

necessary or not

$$(AB)^+ \vdash ABC$$

$$-(AB)^+ \vdash ABC$$

$$\therefore AB \rightarrow C$$

isn't necessary.

So the canonical cover is,

$$F = \{ \begin{array}{l} B \rightarrow C \\ A \rightarrow B \end{array} \}$$

~~DA~~ ~~A~~ ~~B~~ ~~C~~

$$B \leftarrow C$$

$$A \leftarrow B$$

$$\{ A \leftarrow B$$

signature remaining to be sent

F to receive Canonical cover

~~signature~~ \rightarrow ~~original~~ \rightarrow ~~original~~

(17-Nov-25)

$R(A, B, CD, E)$

$F_2 \{ A \rightarrow BC$
 $CD \rightarrow E$
 $B \rightarrow D$
 $E \rightarrow A \}$

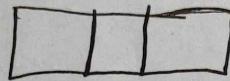
Using the functional dependencies compute
the Canonical cover of F .

রাখ এবং নির্ণয়।

(Indexing & Hashing)

Indexing go with B+ Tree structure follow a
B+ Tree is a Binary Search Tree
 $n = \text{order of BT Tree}$

B+ Tree



→ Each leaf node can contain maximum $(n-1)$ values.
→ It have to at least $\lceil \frac{n-1}{2} \rceil$ values.

Example:

Leafnode 2, 3, 5, 7, 11, 17, 19, 23, 29, 31 ($n=11$)
Max = 3 }
Min = 2 }

Cheek pier (18)

18-Nov-25

2, 3, 5, 7, 11, 12, 19, 23, 29, 31, (n=6)

B+ tree

Leaf node

Max(6-1)=5

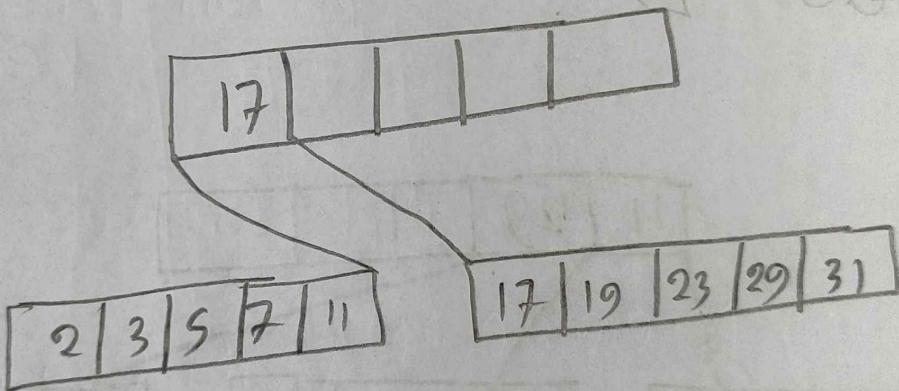
Min. $\lceil \frac{6-1}{2} \rceil = 3$

next week
atwards (29.11.25)

CT-3

Chp-7

+
B+ tree



- ① Insert 8
- ② Insert 9, 5

P-T.O.

NF, 3NF

be in 3NF

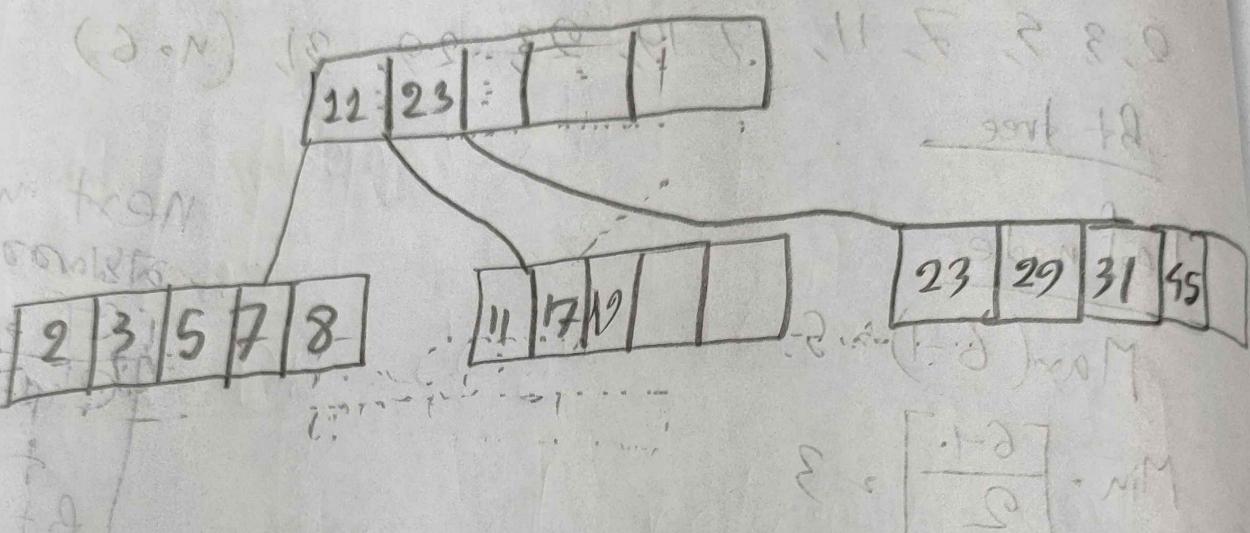
and functions

Q & ⑪

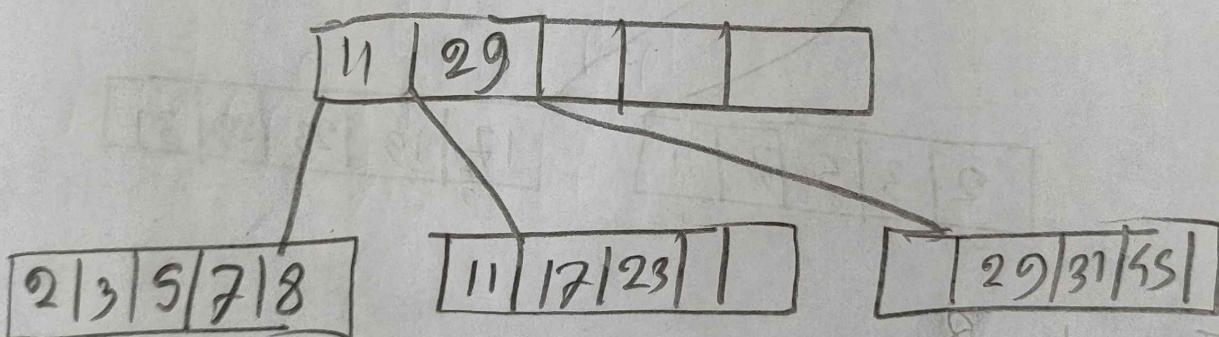
→ 11 - Nov - 81

(8+) 1919 - 319919

(d + N)



⑪ Delete 19



8 train ⑩

23 train ⑪

(11) Delete 15 from 5 month

1st

11	12	13	14	15	16	17
18	19	20	21	22	23	24

2 | 3 | 5 | 7 | 8

11 | 17 | 23 | 29 | 31

10 | 11 | 12 | 13 | 14

Remove 15 → 1st → 10 → 11 → 12 → 13 → 14

A sequence from

1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	31
1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	31

17

Chapter - 7

Topic

Normalization

- Is a DB design technique.
- Is a process of reducing/removing redundancy from DB.

Emp_Id	Name	Contact No.	Dept.	Dept_manager	
101	A	0171	Eng	R/H	
102	B	013...	MR	MR	
103	C	015...	MK	M J	
104	D	016...	Eng	R/H	
105	E	019...	MK	M J	
101	A	0181...	Eng	R/H	

① Row wise Redundancy

② Column wise

↳ So it is harmful.

Storage is also harmful.

Emp-ID	Name	Gender	Address
101	A	M	DBMS
102	B	F	DBMS
103	C	M	DBMS
104	D	F	DBMS

Emp-ID is P.K. Normal Solve.

[P.K fix row wise redundancy solve]

AT220	Problem	arise	in	Name	Address
①	Insertion anomaly	DBMS	20	A	101
②	Delete	JUN	DBMS	B	102
③	Update	DBMS	DBMS	C	103

~~1NF through 3NF~~
NF = Normal Form

1NF, 2NF, 3NF

1NF :- ① An attribute of a table can hold multiple values.

Can not

hold

multiple

values.

P.T.O

Student

Std_Id	Name	Course
101	A	OS, DBMS
102	B	OS
103	C	DBMS
104	D	Algo

Salution approach :-

PK.	Std_Id	Name	Course 1	Course 2
	101	A	OS	DBMS
	102	B	OS	NULL
	103	C	DBMS	NULL
	104	D	Algo	DBMS

Salution approach :-

Composite PK.

Std_Id	Name	Course
101	A	OS
101	A	DBMS
102	B	OS
103	C	DBMS
104	D	Algo
105	D	DBMS

multivalued attributes or 2NF
already 2NF \rightarrow 2NF(b)

19-Nov-23

2NF

1. Table must be in 1NF
2. Doesn't allow Partial functional dependency

or this.

Composite PK

Student

Std_id	Name	Address	Course_no.	Course_title	Credit	Grade
101	A	2D/A	207	DB	3	A+
101	A	D/H	208	DB-lab	1.5	A+
102	B	P/H	207	DB	3	A+
102	B	P/H	208	DB-lab	1.5	A

Std_Id, Course_no \rightarrow Name, Address, Course_title, Credit, Grade.
(Complete functional dependency)

Std_Id \rightarrow Name, Address ||| Course_no \rightarrow Course_title, Credit

(Partial Functional dependency) [option 2NF \rightarrow allowed all]

Table 11(a) split into C_{in} or C_{out} (Solution) without
PIK Std \rightarrow TEC \leftarrow TAC results

Std_id	Name	Address
101	A	DH
102	B	CH

Course_no	Course-title	Credit
207	DB	3
208	DB-lab	1.5

Std_id	Course_no	Grade
101	207	A+
101	208	A+
102	207208	A+
102	208	A