



Heaven's Light is Our Guide

Rajshahi University of Engineering & Technology

Department of Electrical & Computer Engineering

Lab Reports

Course Title : Digital Signal Processing Sessional

Course No: ECE 4124

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Experiment No: 05

Experiment Date: 21.05.2023

Experiment Name: Experiment on finding the Z-transform and inverse Z-transform of a function.

Theory:

An analytical and processing tool for discrete-time signals and systems in the frequency domain is the Z-transform in digital signal processing. In continuous-time signal processing, it is comparable to the Laplace transform. With the Z-transform, discrete-time signals and systems can be represented in terms of a complex variable, "z," enabling investigation of their frequency content and behaviour.

Software used: MATLAB

Code:

Z-transform and inverse Z-transform for right-side signal:

```
1. clc;
2. close all;
3. clear all;
4. syms n;
5.
6. x = [1 2 3 4 5];
7. l = length(x);
8. trans = 0;
9. z = sym('z');
10. for i=0:l-1
11.     trans=trans+x(i+1).*z^(-i);
12. end
13. disp('Z-transform for the right sided signal:');
14. disp(trans);
15. f=iztrans(trans);
16. disp('Inverse Z-transform for the right sided signal:');
17. disp(f);
```

Z-transform and inverse Z-transform for left-side signal:

```
1. clc;
2. close all;
3. clear all;
4. syms n;
5. x = [1 2 3 4 5];
6. y = fliplr(x);
7. l = length(y);
8. trans = 0;
9. z = sym('z');
10. for i=0:l-1
11.     trans=trans+y(i+1).*z^(i);
12. end
13. disp('Z-transform for the left sided signal:');
14. disp(trans);
15. f=iztrans(trans);
16. disp('Inverse Z-transform for the left sided signal:');
17. disp(f);
```

Z-transform and inverse Z-transform for non-causal signal:

```
1. clc;
2. close all;
3. clear all;
4. syms n;
5. x = [1 2 3 4 5 6 7];
6. n = length(x);
7. k=input('Enter zero index:');
8. p=[];
9. for i=0:k
10.    p(i+1)=x(i+1);
11. end
12. h=fliplr(p);
13. u=length(h);
14. trans = 0;
15. z = sym('z');
16. for i=0:u-1
17.    trans=trans+h(i+1).*z^(i);
18. end
19. q=[];
20. for i=0:(n-k-2)
21.    q(i+1)= x(i+k+2);
22. end
23.
24. v=length(q);
25. for i=0:v-1
26.    trans=trans+q(i+1).*z^(-(i+1));
27. end
28. disp('Z-transform for non-causal signal:');
29. disp(trans);
30. f=iztrans(trans);
31. disp('Inverse Z-transform for non-causal signal:');
32. disp(f);
```

Output:

Z-transform and inverse Z-transform of right-sided signal:

```
1. Z-transform for the right sided signal:
2. 2/z + 3/z^2 + 4/z^3 + 5/z^4 + 1
3.
4. Inverse Z-transform for the right sided signal:
5. 2*kronckerDelta(n - 1, 0) + 3*kronckerDelta(n - 2, 0) + 4*kronckerDelta(n - 3, 0) +
   5*kronckerDelta(n - 4, 0) + kronckerDelta(n, 0)
```

Z-transform and inverse Z-transform of left-sided signal:

```
1. Z-transform for the left sided signal:
2. z^4 + 2*z^3 + 3*z^2 + 4*z + 5
3.
4. Inverse Z-transform for the left sided signal:
5. 5*kronckerDelta(n, 0) + 3*iztrans(z^2, z, n) + 2*iztrans(z^3, z, n) + iztrans(z^4, z, n) +
   4*iztrans(z, z, n)
```

Z-transform and inverse Z-transform of non-causal signal:

1. Enter zero index: 2
2. Z-transform for non-causal signal:
3. $2z + \frac{4}{z} + \frac{5}{z^2} + z^2 + \frac{6}{z^3} + \frac{7}{z^4} + 3$
- 4.
5. Inverse Z-transform for non-causal signal:
6. $4\text{kroneckerDelta}(n - 1, 0) + 5\text{kroneckerDelta}(n - 2, 0) + 6\text{kroneckerDelta}(n - 3, 0) + 7\text{kroneckerDelta}(n - 4, 0) + 3\text{kroneckerDelta}(n, 0) + \text{iztrans}(z^2, z, n) + 2\text{iztrans}(z, z, n)$

Discussion:

Right sided, left sided and both sided non causal signal had been analyzed here. The z transform and inverse z transformed had been done and the output was a match to the theoretical knowledge that had been given.

Conclusion:

The experiment had been done perfectly without any error and got the expected output

