

• Advance KNN :-

→ KNN can be applied in both classification and regression.

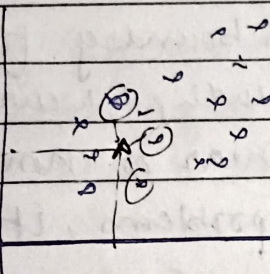
• KNN Regression :-

Suppose

cgpa | IQ | Package

↳ given 2 we have to find package

IQ



cgpa

i) find dist. of query pt to all the pts.

ii) Sort them

iii) Let $K=3$

↳ take closest 3 pts.

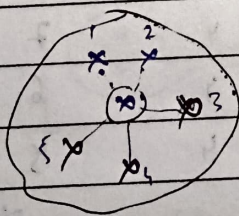
→ take their package and find avg

↳ In this if -

→ K value is large then underfitting

→ K " " small " overfitting

→ weighted KNN =



in uniform KNN we say it as Black as # black is more

But

In weighted KNN we calculate

weight :-

$$\text{weight} = \frac{1}{\text{dist}}$$

	Dist	wt
1 - Blue	0.2	5
2 - Blue	0.5	2
3 - Black	1	1
4 - "	2	0.5
5 - "	3	0.33

wt of Blue = $5+2=7$

wt of Black = 1.83

So it should be Blue

• Types of distances -

1) Euclidean dist -

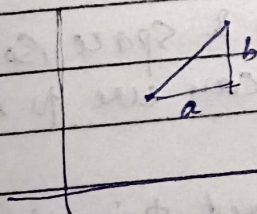
$$\sqrt{(x_2 - x_1)^2 + (y_2 - y_1)^2}$$

general (n-dim) = $\left[\sum_{i=1}^n (x_{2i} - x_{1i})^2 \right]^{1/2}$

also called L2 norm

2) Manhattan distance (taxi cab dist)

manhattan dist = $a+b$



$$m = \sum_{i=1}^d |x_{2i} - x_{1i}|$$

• Problem with euclidean dist

- i) axis should be of same scale
- ii) Curse of dimensionality

- In hyperparameter of KNN we have a parameter metric.

default value of metric is min kauski } where $p=2$ (default)

- $p=2 \rightarrow$ euclidean dist (L_2 norm)
- $p=1 \rightarrow$ manhattan " L_1 norm)

$$\text{min kauski} \Rightarrow \left(\sum_{i=1}^d |x_{2i} - x_{1i}|^p \right)^{1/p}$$

$p=2.5 \Rightarrow L_{2.5}$ norm etc

- Time complexity →

$O(nd)$ $n \rightarrow$ # rows in training data
 $d \rightarrow$ " features "

- Space complexity -

$O(nd)$

→ So KNN takes very time & space so there are diff algo we can use to pred it -

- brute :- We have used this till now
- ball-tree
- Kd-tree

↳ time complexity = $O(d \log n)$

→ Normally we store data in array but in Kd-tree we store data in K-dimensional BST.