Solution was  $\bar{\chi} = (A^TA)^TA^Ty$ 

Then we study the least square optimization in presence of Noise y = Ax + e

We studied it in presence of Gaussian Noise and eigen decomposition of least square program to study the effect of noise on our system.

i.e  $\|\hat{\lambda}_{\text{noisy}} - \hat{\lambda}_{\text{clean}}\|_{2}^{2} \leq \int_{0}^{2} \|e\|_{2}^{2}$ in which worst case is  $\hat{e} = \hat{u}_{R}$ 

The parameter 870 is the ferm which decides the regularization. The higher its value the more is regularization (Generalizing the model on the data) and vice versa.