מבוא להצפנה – תרגיל 3

.1

א.

```
a = 2
b0 = 2^11799 = 1014 mod 47197
b1 = 1014^2 = 37059 \mod 47197
47197 is not a pseudoprime or a Strong pseudoprime to base 2
a = 3
b0 = 3^11799 = 1 \mod 47197
47197 is a Strong pseudoprime to base 3
a = 4
b0 = 4^11799 = 37059 mod 47197
b1 = 37059<sup>2</sup> = 31175 mod 47197
47197 is not a pseudoprime or a Strong pseudoprime to base 4
a = 5
b0 = 5^11799 = 40004 \mod 47197
b1 = 40004^2 = 11337 \mod 47197
47197 is not a pseudoprime or a Strong pseudoprime to base 5
a = 6
b0 = 6^11799 = 1014 mod 47197
b1 = 1014^2 = 37059 \mod 47197
47197 is not a pseudoprime or a Strong pseudoprime to base 6
```

```
a = 7
b0 = 7^11799 = 34445 \mod 47197
b1 = 34445<sup>2</sup> = 19839 mod 47197
47197 is not a pseudoprime or a Strong pseudoprime to base 7
a = 8
b0 = 8^11799 = 9014 mod 47197
b1 = 9014^2 = 26159 \mod 47197
47197 is not a pseudoprime or a Strong pseudoprime to base 8
a = 9
b0 = 9^11799 = 1 \mod 47197
47197 is a Strong pseudoprime to base 9
a = 10
b0 = 10^11799 = 21833 mod 47197
b1 = 21833^2 = 37386 mod 47197
47197 is not a pseudoprime or a Strong pseudoprime to base 10
```

ב.

```
a = 2
n = 47197, k = 2, r = 11799
b0 = 2^11799 = 1014 mod 47197
b1 = 1014^2 = 37059 \mod 47197
47197 is composite
gcd(47197, 37059) = 1
a = 3
n = 47197, k = 2, r = 11799
b0 = 3^11799 = 1 \mod 47197
47197 is probably prime
a = 4
n = 47197, k = 2, r = 11799
b0 = 4^11799 = 37059 mod 47197
b1 = 37059<sup>2</sup> = 31175 mod 47197
47197 is composite
gcd(47197, 31175) = 109
and we found that the composite is 47197 = 109 * 433
```

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.2