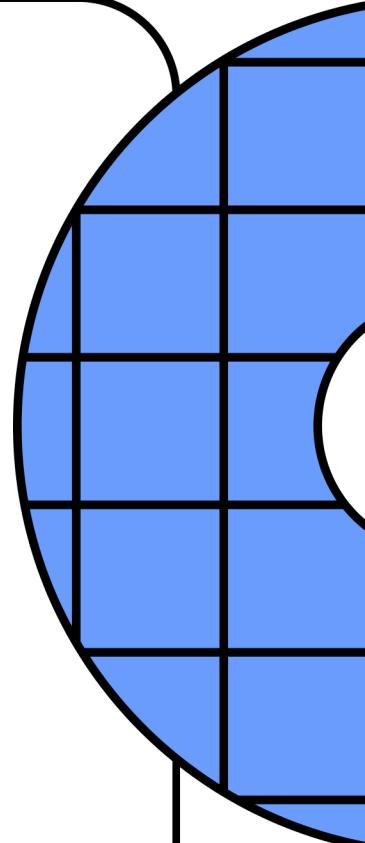
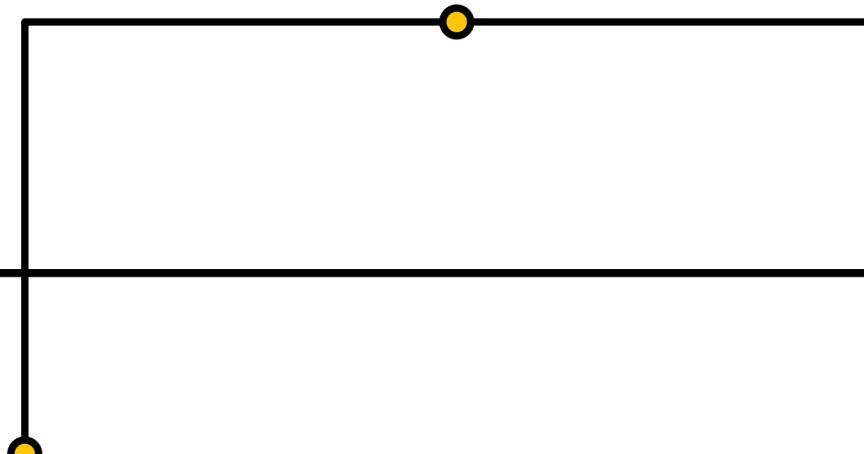
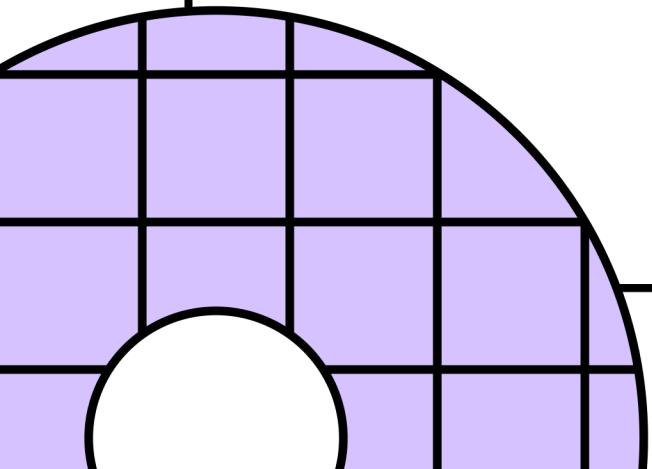
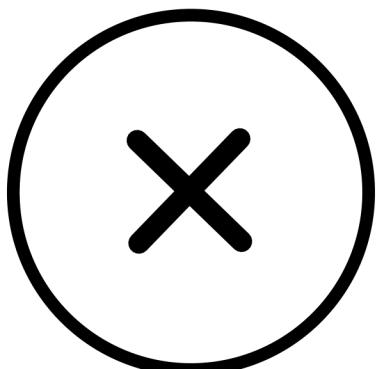


# Check Pair Sum in an Array



Let's  
Understand  
the problem



**-Given an array of n integers and a value targetSum, write a program to check whether there is a pair of elements in the array whose sum is equal to targetSum. If yes, return true; otherwise, return false**

**-Assume all elements are distinct.**

**-Values in the array can be both negative and positive**



**EX1:**

**Input**

**X[] =**

-5

1

20

6

8

7

**TargetSum =15      Output : True**

**Explanation :** ( 7 , 8 ) or ( -5 , 20 ) are the pairs  
with the sum of 15

**EX2:**

**Input**

**X[] =**

-5

4

-2

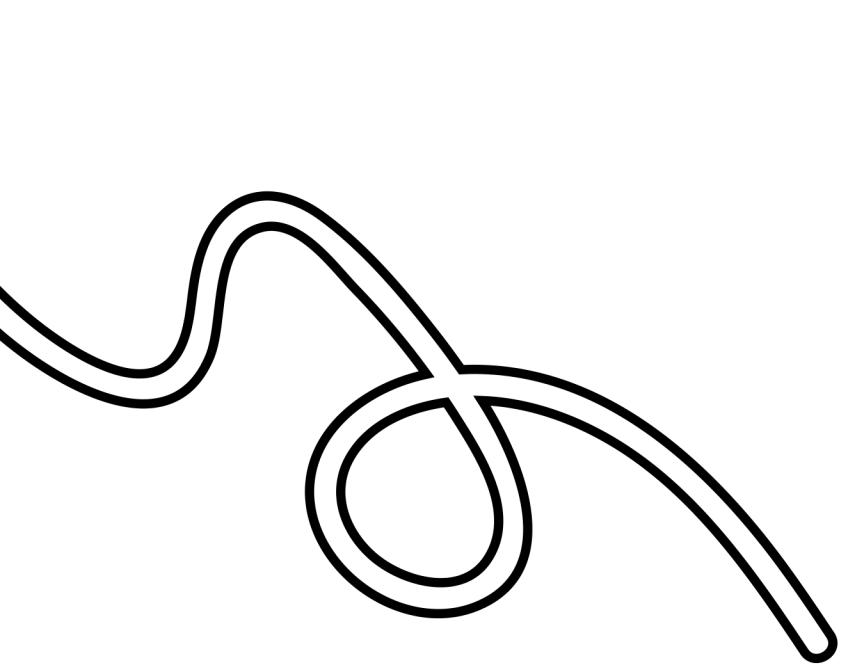
16

8

9

**TargetSum =15      Output : False**

**Explanation :** There is no pair of elements whose sum is equal to 15.



# **Discussed solution approaches:**

**-Efficient approach using  
hash table**



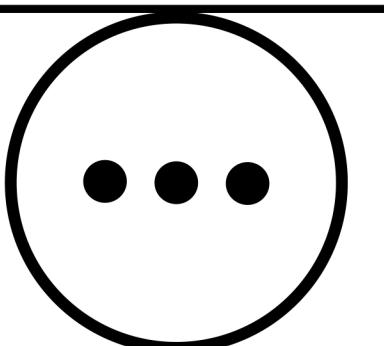
# Solution idea using hash table:

- The best idea is to use hash table to improve the time complexity further because it performs searching efficiently in the  $O(1)$  average.
- So the idea would be to iterate over the array and insert element  $X[i]$  into the hash table. Before inserting  $X[i]$ , we check if the  $\text{targetSum} - X[i]$  already exists in the table. If it exists, we have found a pair with sum equal to the  $\text{targetSum}$  and we return true.



# Solution steps:

- 1. We create a hash table to store array elements.
- 2. Now we run a loop and scan the array for each  $X[i]$ .
- 3. We check if  $\text{targetSum} - X[i]$  is present in the hash table or not. If yes, we have found a pair and we return true. If no, we insert  $X[i]$  into the Hash table.
- 4. If we didn't find any such pair by the end the loop, return false.



# Solution code python



```
#def checkPairSum(X, n, targetSum):  
    hashTable = set()  
    for i in range(n):  
        k = targetSum - X[i]  
        if k in hashTable:  
            return True  
        hashTable.add(X[i])  
    return False
```

```
# Example usage:
```

```
X = [1, 2, 3, 4, 5, 6]  
n = len(X)  
targetSum = 9
```

```
result = checkPairSum(X, n, targetSum)
```

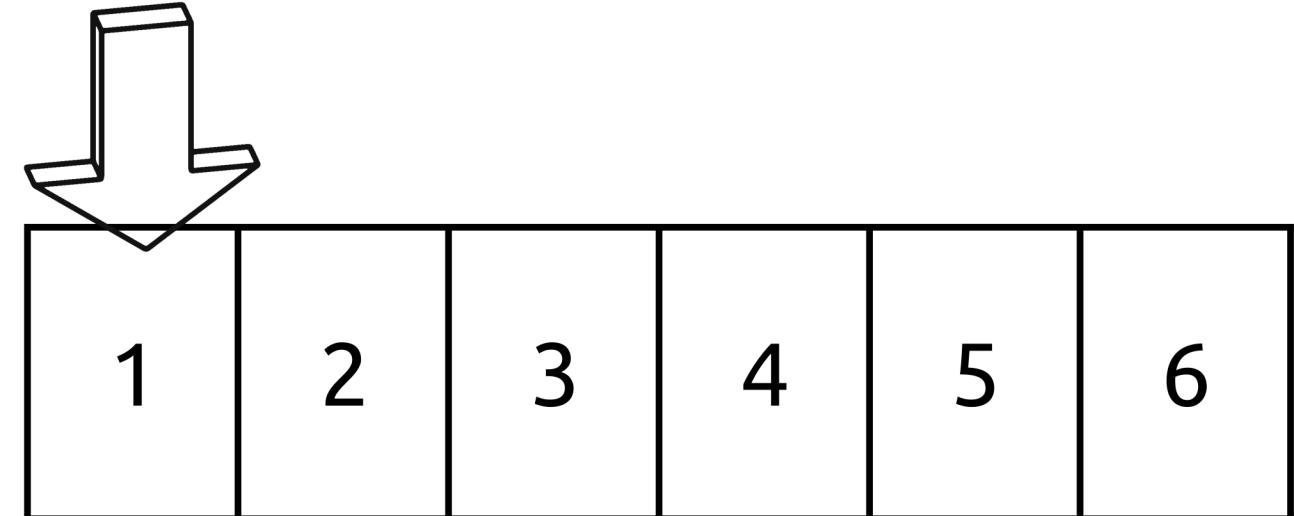
```
def checkPairSum(X, n, targetSum):  
    hashTable = set()  
    for i in range(n): <-----  
        k = targetSum - X[i] <-----  
        if k in hashTable: <-----  
            return True  
        hashTable.add(X[i]) <-----  
    return False
```

hashTable: Any = set()

**n = 6**

**targetSum = 9**

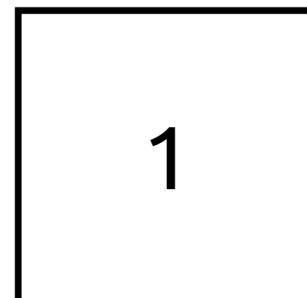
X[] =



**i=0**

**k = 9 - 1=8**

hashTable{} =



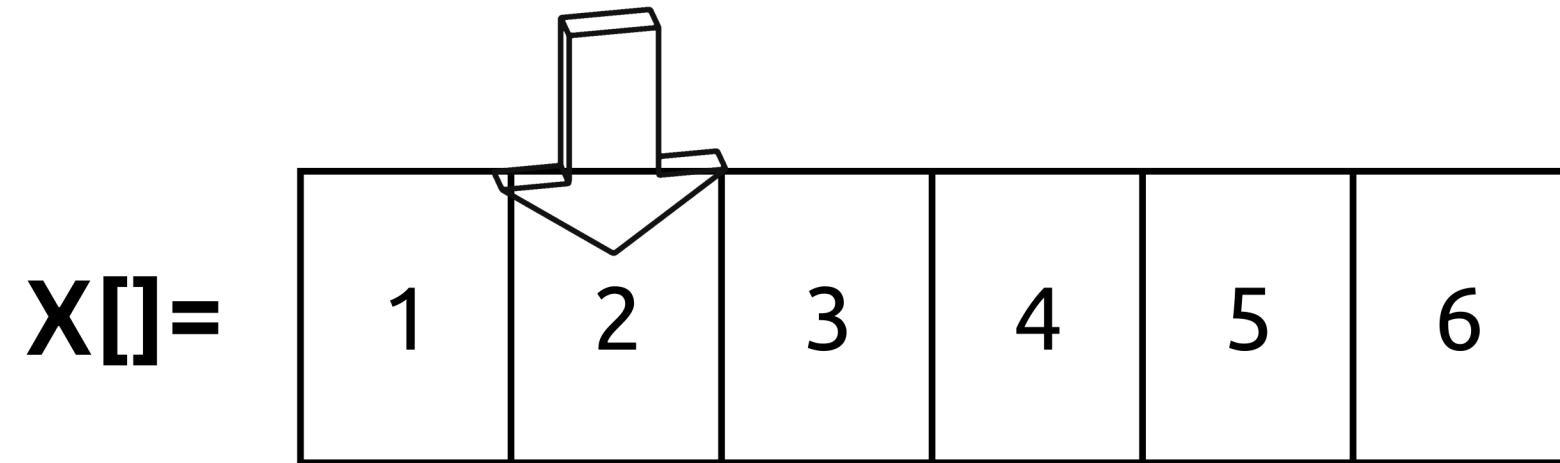
```

def checkPairSum(X, n, targetSum):
    hashTable = set()
    for i in range(n): <----- i=1
        k = targetSum - X[i] <----- k = 9 - 2=7
        if k in hashTable: <----- 
            return True
        hashTable.add(X[i]) <----- 
    return False
    hashTable: Any = set()

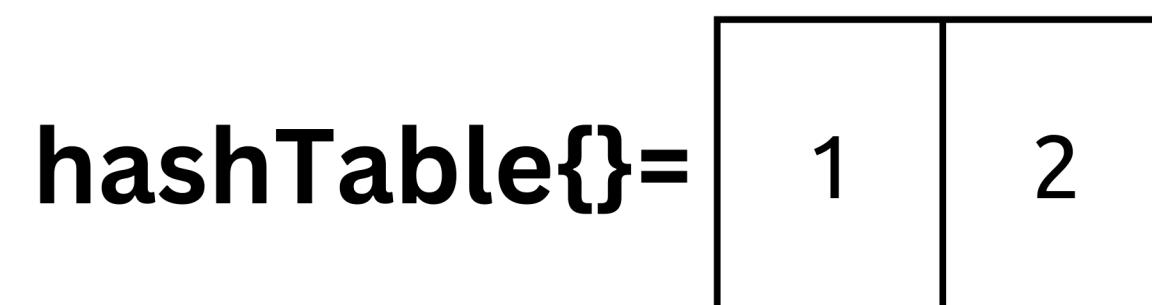
```

**n = 6**

**targetSum = 9**



i=1  
k = 9 - 2=7



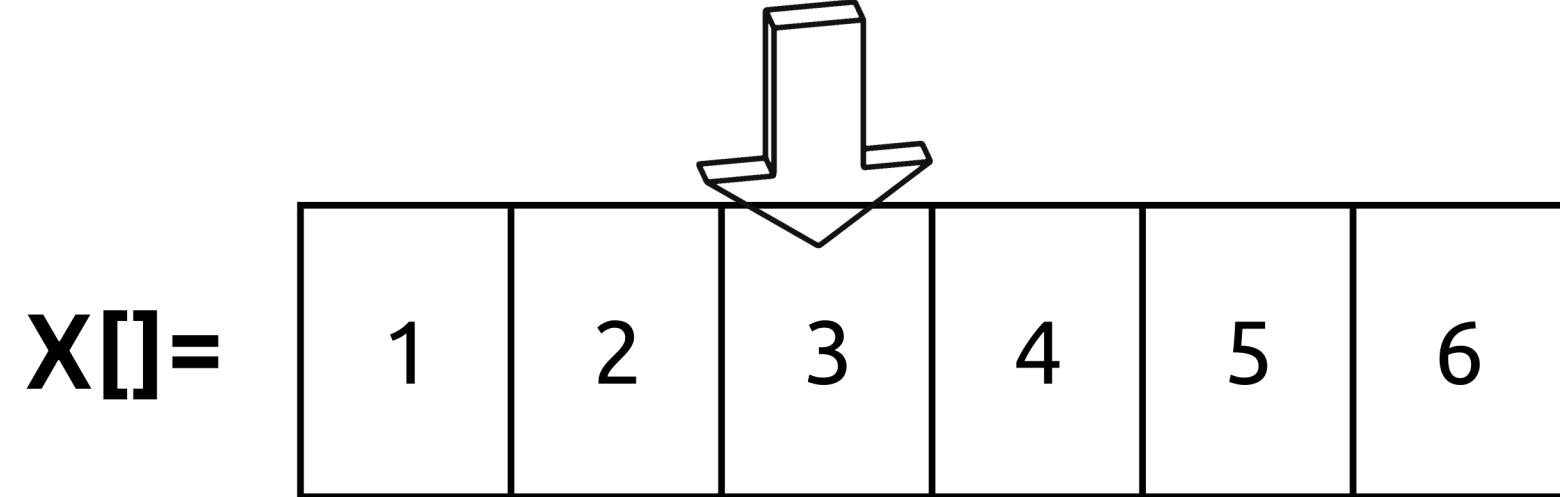
```

def checkPairSum(X, n, targetSum):
    hashTable = set()
    for i in range(n): <----- i=2
        k = targetSum - X[i] <----- k = 9 - 3=6
        if k in hashTable: <----- k in hashTable?
            return True
        hashTable.add(X[i]) <----- add to hashTable
    return False
    hashTable: Any = set()

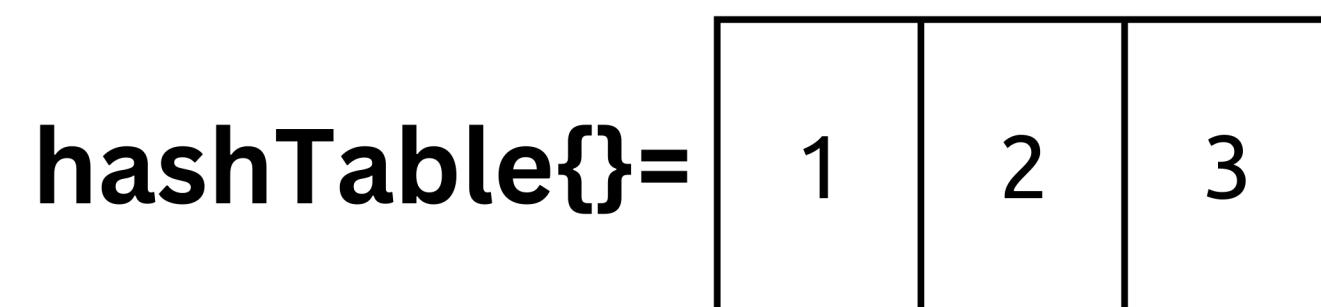
```

**n = 6**

**targetSum = 9**



$$i=2 \\ k = 9 - 3 = 6$$



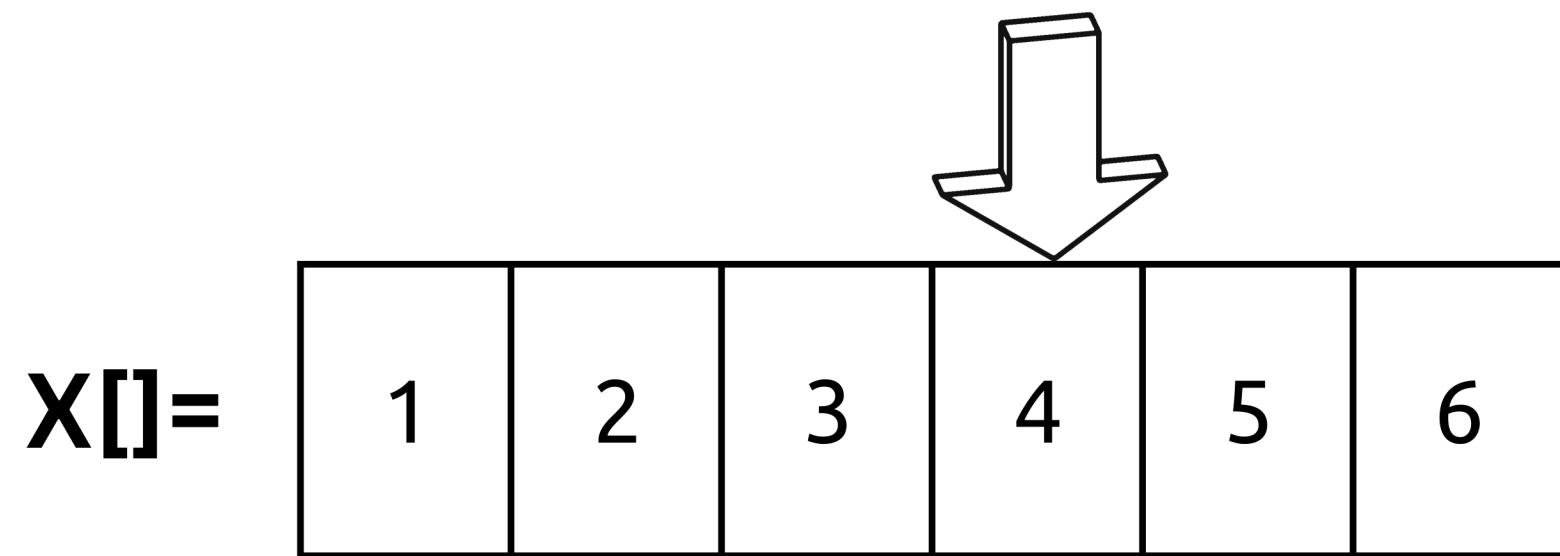
```

def checkPairSum(X, n, targetSum):
    hashTable = set()
    for i in range(n): <----- i=3
        k = targetSum - X[i] <----- k = 9 - 4=5
        if k in hashTable: <----- k in hashTable?
            return True
        hashTable.add(X[i]) <----- add to hashTable
    return False
    hashTable: Any = set()

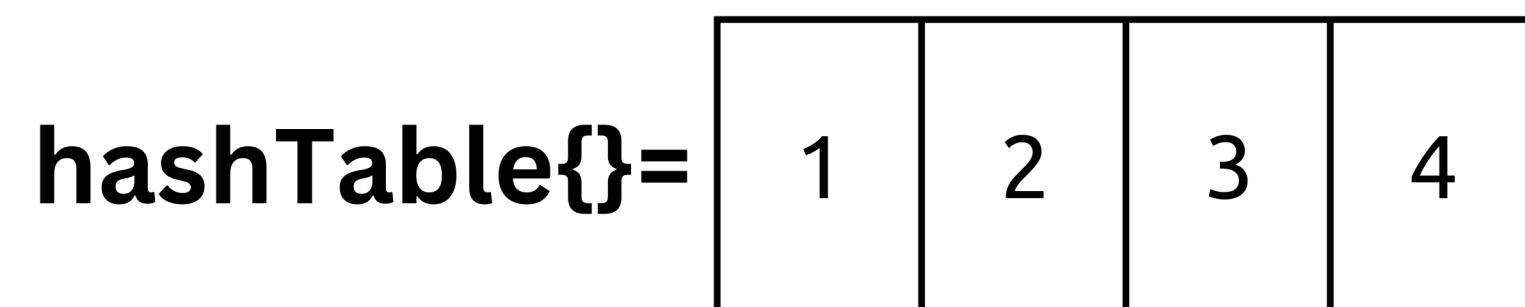
```

**n = 6**

**targetSum = 9**



i=3  
k = 9 - 4=5



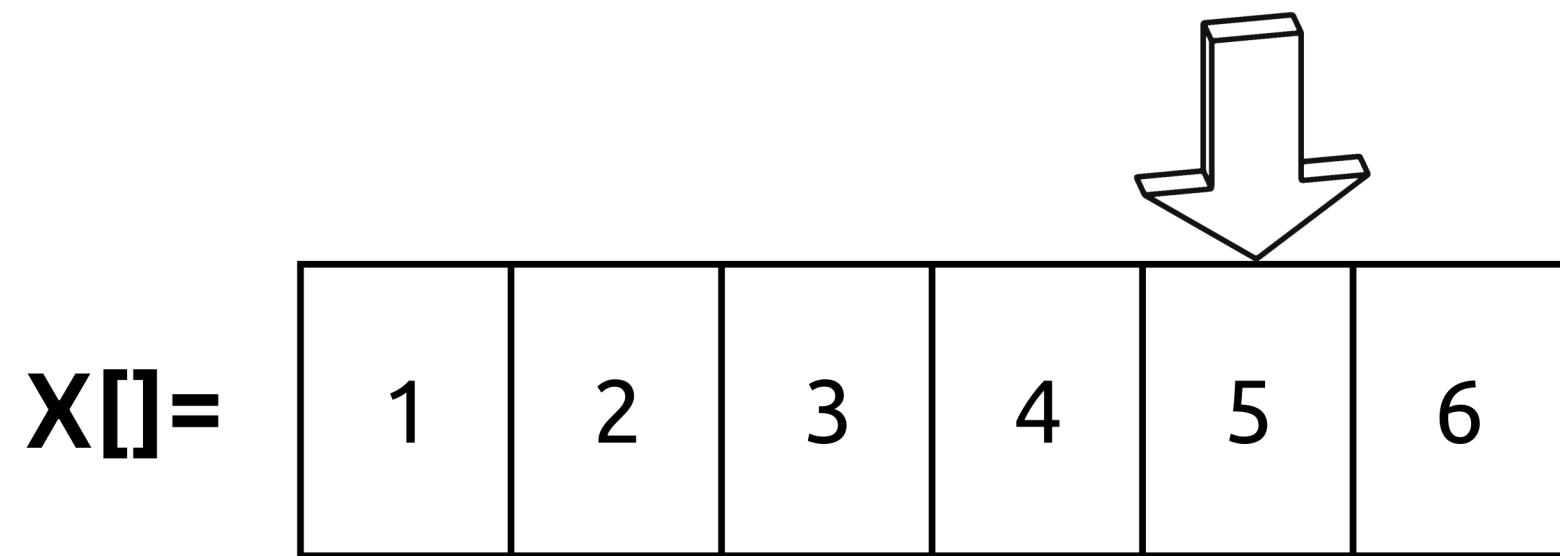
```

def checkPairSum(X, n, targetSum):
    hashTable = set()
    for i in range(n):
        k = targetSum - X[i]
        if k in hashTable:
            return True
        hashTable.add(X[i])
    return False
    hashTable: Any = set()

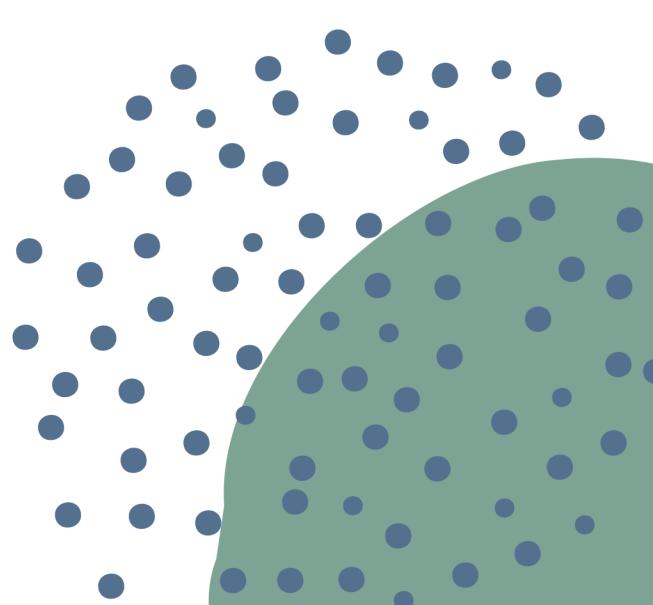
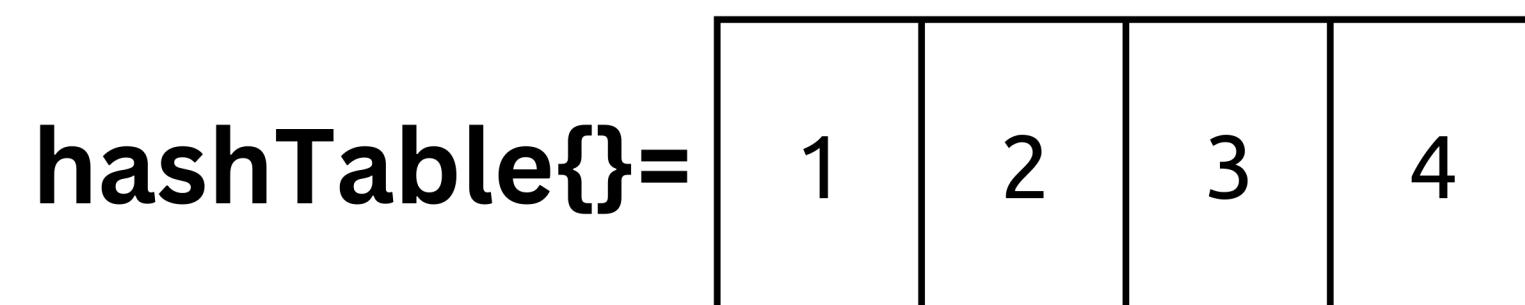
```

**n = 6**

**targetSum = 9**



$$k = 9 - 5 = 4$$



# Solution analysis

```
def checkPairSum(X, n, targetSum):
    hashTable = set()
    for i in range(n):
        k = targetSum - X[i]
        if k in hashTable:
            return True
        hashTable.add(X[i])
    return False
```

```
hashTable: Any = set()
```

$$T(n) =$$

# Solution analysis

```
def checkPairSum(X, n, targetSum):
    hashTable = set()
    for i in range(n):
        k = targetSum - X[i]
        if k in hashTable:
            return True
        hashTable.add(X[i])
    return False
```

```
hashTable: Any = set()
```

$$T(n) =$$

# Solution analysis

```
def checkPairSum(X, n, targetSum):
    hashTable = set()
    for i in range(n):
        k = targetSum - X[i]
        if k in hashTable:
            return True
        hashTable.add(X[i])
    return False
```

```
hashTable: Any = set()
```

$$T(n) = 1$$

# Solution analysis

```
def checkPairSum(X, n, targetSum):
    hashTable = set()
    for i in range(n):
        k = targetSum - X[i]
        if k in hashTable:
            return True
        hashTable.add(X[i])
    return False
```

```
hashTable: Any = set()
```

$$T(n) = 1$$

# Solution analysis

```
def checkPairSum(X, n, targetSum):
    hashTable = set()
    for i in range(n):
        k = targetSum - X[i]
        if k in hashTable:
            return True
        hashTable.add(X[i])
    return False
```

```
hashTable: Any = set()
```

$$T(n) = \sum 1$$

# Solution analysis

```
def checkPairSum(X, n, targetSum):
    hashTable = set()
    for i in range(n):
        k = targetSum - X[i]
        if k in hashTable:
            return True
        hashTable.add(X[i])
    return False
```

```
hashTable: Any = set()
```

$$T(n) = \sum_{i=1}^n 1$$

# Solution analysis

```
def checkPairSum(X, n, targetSum):  
    hashTable = set()  
    for i in range(n):  
        k = targetSum - X[i]  
        if k in hashTable:  
            return True  
        hashTable.add(X[i])  
    return False
```

hashTable: Any = set()

$$T(n) = \sum_{i=0}^{n-1} 1$$

# Solution analysis

$$\begin{aligned} T(n) &= \sum_{i=0}^{n-1} 1 & , \sum_{i=l}^u 1 \\ &= n - 1 - 0 + 1 & , u - l + 1 \\ &= n \\ &\in \Theta(n) \end{aligned}$$

# Comparisons of time and space complexities

Nested inape :Time  $O(n^2)$ , Space =  $O(1)$

Sorting and binary search :Time  $O(n \log n)$ , Space =  $O(1)$

Sorting and Two pointers:Time  $O(n \log n)$ , Space =  $O(1)$

Hash Table:Time  $O(n)$ , Space =  $O(n)$





Thank You!  
for Watching