```
In [4]:
        1. (Write a function that inputs a number) and (prints the multiplication tabl
        e of that number)
Out[4]: '\n1. (Write a function that inputs a number) and (prints the multiplication
        table of that number)\n'
In [5]:
        Simple Iteration Nothing Fancy
Out[5]: '\nSimple Iteration Nothing Fancy\n'
In [6]: def multiplication_table(num):
            for i in range(1,11):
                 print("{} * {} = {}".format(num,i,(num*i)))
In [7]: | multiplication_table(5)
        5 * 1 = 5
        5 * 2 = 10
        5 * 3 = 15
        5 * 4 = 20
        5 * 5 = 25
        5 * 6 = 30
        5 * 7 = 35
        5 * 8 = 40
        5 * 9 = 45
        5 * 10 = 50
```

Question 2

Out[8]: '\n2. Write a program to print twin primes less than 1000. If two consecutive odd numbers are\nboth prime then they are known as twin primes\n'

```
In [9]:
         Notes -- From This Programme i Understood How to Select pairs.
Out[9]: '\nNotes -- From This Programme i Understood How to Select pairs.\n'
In [10]: | def prime_number(num):
             If Number is Prime then return True
             Otherwise False
             for i in range(2,num):
                 flag = True
                 if num%i == 0:
                      flag = False
                      break
             if flag == False:
                 return False
             else:
                 return True
In [11]: list1 = list(range(3,1000))
In [12]: # Step -1 Get Odd Number
         odd_list = list(filter(lambda x:(x%2!=0),list1))
```

```
In [13]: print(odd_list)
```

[3, 5, 7, 9, 11, 13, 15, 17, 19, 21, 23, 25, 27, 29, 31, 33, 35, 37, 39, 41, 43, 45, 47, 49, 51, 53, 55, 57, 59, 61, 63, 65, 67, 69, 71, 73, 75, 77, 79, 8 1, 83, 85, 87, 89, 91, 93, 95, 97, 99, 101, 103, 105, 107, 109, 111, 113, 11 5, 117, 119, 121, 123, 125, 127, 129, 131, 133, 135, 137, 139, 141, 143, 145, 147, 149, 151, 153, 155, 157, 159, 161, 163, 165, 167, 169, 171, 173, 175, 17 7, 179, 181, 183, 185, 187, 189, 191, 193, 195, 197, 199, 201, 203, 205, 207, 209, 211, 213, 215, 217, 219, 221, 223, 225, 227, 229, 231, 233, 235, 237, 23 9, 241, 243, 245, 247, 249, 251, 253, 255, 257, 259, 261, 263, 265, 267, 269, 271, 273, 275, 277, 279, 281, 283, 285, 287, 289, 291, 293, 295, 297, 299, 30 1, 303, 305, 307, 309, 311, 313, 315, 317, 319, 321, 323, 325, 327, 329, 331, 333, 335, 337, 339, 341, 343, 345, 347, 349, 351, 353, 355, 357, 359, 361, 36 3, 365, 367, 369, 371, 373, 375, 377, 379, 381, 383, 385, 387, 389, 391, 393, 395, 397, 399, 401, 403, 405, 407, 409, 411, 413, 415, 417, 419, 421, 423, 42 5, 427, 429, 431, 433, 435, 437, 439, 441, 443, 445, 447, 449, 451, 453, 455, 457, 459, 461, 463, 465, 467, 469, 471, 473, 475, 477, 479, 481, 483, 485, 48 7, 489, 491, 493, 495, 497, 499, 501, 503, 505, 507, 509, 511, 513, 515, 517, 519, 521, 523, 525, 527, 529, 531, 533, 535, 537, 539, 541, 543, 545, 547, 54 9, 551, 553, 555, 557, 559, 561, 563, 565, 567, 569, 571, 573, 575, 577, 579, 581, 583, 585, 587, 589, 591, 593, 595, 597, 599, 601, 603, 605, 607, 609, 61 1, 613, 615, 617, 619, 621, 623, 625, 627, 629, 631, 633, 635, 637, 639, 641, 643, 645, 647, 649, 651, 653, 655, 657, 659, 661, 663, 665, 667, 669, 671, 67 3, 675, 677, 679, 681, 683, 685, 687, 689, 691, 693, 695, 697, 699, 701, 703, 705, 707, 709, 711, 713, 715, 717, 719, 721, 723, 725, 727, 729, 731, 733, 73 5, 737, 739, 741, 743, 745, 747, 749, 751, 753, 755, 757, 759, 761, 763, 765, 767, 769, 771, 773, 775, 777, 779, 781, 783, 785, 787, 789, 791, 793, 795, 79 7, 799, 801, 803, 805, 807, 809, 811, 813, 815, 817, 819, 821, 823, 825, 827, 829, 831, 833, 835, 837, 839, 841, 843, 845, 847, 849, 851, 853, 855, 857, 85 9, 861, 863, 865, 867, 869, 871, 873, 875, 877, 879, 881, 883, 885, 887, 889, 891, 893, 895, 897, 899, 901, 903, 905, 907, 909, 911, 913, 915, 917, 919, 92 1, 923, 925, 927, 929, 931, 933, 935, 937, 939, 941, 943, 945, 947, 949, 951, 953, 955, 957, 959, 961, 963, 965, 967, 969, 971, 973, 975, 977, 979, 981, 98 3, 985, 987, 989, 991, 993, 995, 997, 999]

```
In [14]: # Step -2 I need To make Pairs
list1 = []
count = 0
for i in range(0,len(odd_list)-1):
    flag = prime_number(odd_list[i]) and prime_number(odd_list[i+1])
    if flag == True:
        count+=1
        list_to_store_twin_Prime = list1.append([odd_list[i],odd_list[i+1]])
```

```
In [15]: # Let's Get Twin of Primes
print(list1)
```

```
[[3, 5], [5, 7], [11, 13], [17, 19], [29, 31], [41, 43], [59, 61], [71, 73], [101, 103], [107, 109], [137, 139], [149, 151], [179, 181], [191, 193], [197, 199], [227, 229], [239, 241], [269, 271], [281, 283], [311, 313], [347, 349], [419, 421], [431, 433], [461, 463], [521, 523], [569, 571], [599, 601], [617, 619], [641, 643], [659, 661], [809, 811], [821, 823], [827, 829], [857, 859], [881, 883]]
```

```
In [16]: #Number of Twin Primes
print(count)

35
In [ ]:
```

```
In [17]:
         3. Write a program to find out the (prime factors of a number). Example: prime
         factors of 56 -
         2, 2, 2, 7
Out[17]: '\n3. Write a program to find out the (prime factors of a number). Example: p
         rime factors of 56 -\n2, 2, 2, 7\n'
In [18]:
         Notes --- Loop Inside Loop
         Outer Loop For --- > 2 to 55
         Inner Loop For --- > Deviding Same Number
Out[18]: '\nNotes --- Loop Inside loop\nOuter Loop For --- > 2 to 55\nInner Loop For -
         -- > Deviding Same Number\n'
In [19]: def prime_factors(num):
             lists = []
             for i in range(2,num):
                 while num%i == 0:
                      num = int(num/i)
                      lists.append(i)
             print(lists)
In [20]: | prime_factors(56)
         [2, 2, 2, 7]
In [21]: prime_factors(99)
         [3, 3, 11]
 In [ ]:
```

```
In [22]:
         4. Write a program to implement these formulae of permutations and combination
         Number of permutations of n objects taken r at a time: p(n, r) = n! / (n-r)!.
          Number of
         combinations of n objects taken r at a time is: c(n, r) = n! / (r!*(n-r)!) = p
         (n,r) / r!
Out[22]: '\n4. Write a program to implement these formulae of permutations and combina
         tions.\nNumber of permutations of n objects taken r at a time: p(n, r) = n! / r
         (n-r)!. Number of\ncombinations of n objects taken r at a time is: c(n, r) =
         n! / (r!*(n-r)!) = p(n,r) / r!\n'
In [23]:
         Notes -- Simple Iteration Nothing Fancy
Out[23]: '\nNotes -- Simple Iteration Nothing Fancy\n'
In [24]:
         def factorail_of_A_Number(num):
             factorail = 1
             for i in range(1,num+1):
                 factorail = factorail * i
             return factorail
In [25]:
         # permutation Formula
         def permution(n,r):
             return factorail_of_A_Number(n)/(factorail_of_A_Number(n-r) )
In [26]: | print(permution(5,2))
         20.0
         # combination Formula
In [27]:
         def combination(n,r):
             return factorail of A Number(n)/(factorail of A Number(n-r) * factorail of
          A Number(r) )
In [28]: | print(combination(5,2))
         10.0
In [ ]:
```

```
In [29]:
         5. Write a function that converts a decimal number to binary number
Out[29]: '\n5. Write a function that converts a decimal number to binary number\n'
In [ ]:
         I used Some Refrence
In [82]:
         def binary_number(num):
             binary number = []
             while num >0:
                 rem = num\%2
                  num = int(num/2)
                 binary_number.append(rem)
             binary number.reverse()
             print(binary number)
In [92]: binary_number(17)
         [1, 0, 0, 0, 1]
```

```
In [34]:
         6. Write a function cubesum() that accepts an integer and returns the sum of t
         he cubes of
         individual digits of that number. Use this function to make functions PrintArm
         strong() and
         isArmstrong() to print Armstrong numbers and to find whether is an Armstrong n
         umber.
Out[34]: '\n6. Write a function cubesum() that accepts an integer and returns the sum
         of the cubes of\nindividual digits of that number. Use this function to make
         functions PrintArmstrong() and \nisArmstrong() to print Armstrong numbers and
         to find whether is an Armstrong number.\n'
In [ ]:
         For Your Given Statement i can find Armstrong Number upto 1000 only and it's n
         ot a generalise Solution
         more generic
          . . .
```

```
In [69]:
         def cubesum(num):
              sum = 0
              while num>0:
                  rem = num%10
                  sum = sum + (rem*rem*rem)
                  num = int(num/10)
              return sum
In [71]: | cubesum(153)
Out[71]: 153
In [75]: | def PrintArmstrong(num):
              if num == cubesum(num):
                  print("Number is Armstrong Number {}".format(num))
              else:
                  print("Number is not Armstrong Number {}".format(num))
In [76]: PrintArmstrong(153)
         Number is Armstrong Number 153
In [77]: | def PrintArmstrong(num):
              if num == cubesum(num):
                  return True
              else:
                  return False
In [78]: PrintArmstrong(153)
Out[78]: True
```

```
In [37]: def digit_operation(num):
    product = 1
    while num >0:
        rem = num % 10
        num = int(num / 10)
        product = product* rem
    return product
In [38]: print(digit_operation(782))
In []:
```

```
In [39]:

8. If all digits of a number n are multiplied by each other repeating with the product, the one digit number obtained at last is called the multiplicative digital root of n. The number of times digits need to be multiplied to reach one digit is called the multiplicative persistance of n.

Example: 86 -> 48 -> 32 -> 6 (MDR 6, MPersistence 3)

341 -> 12->2 (MDR 2, MPersistence 2)

Using the function prodDigits() of previous exercise write functions MDR() and MPersistence() that input a number and return its multiplicative digital root and multiplicative persistence respectively

"""
```

Out[39]: '\n8. If all digits of a number n are multiplied by each other repeating with the product, the one\ndigit number obtained at last is called the multiplicat ive digital root of n. The number of\ntimes digits need to be multiplied to r each one digit is called the multiplicative\npersistance of n.\nExample: 86 -> 48 -> 32 -> 6 (MDR 6, MPersistence 3)\n 341 -> 12->2 (MDR 2, MPersistence 2)\nUsing the function prodDigits() of previous exercise write functions MDR () and\nMPersistence() that input a number and return its multiplicative digital root and\nmultiplicative persistence respectively\n'

```
In [40]: Notes --- Enter A Boundary Condition
```

Out[40]: '\nNotes --- Enter A Boundary Condition\n'

```
In [41]: def MDR(num):
              result = num
              while result>0:
                  if result>0 and result<10:</pre>
                       break
                  result = digit_operation(result)
              return result
In [42]: | MDR(141)
Out[42]: 4
In [43]: def MPersistence(num):
              result = num
              count = 0
              while result>0:
                  count +=1
                  if result>0 and result<10:</pre>
                       break
                  result = digit_operation(result)
              return count
In [44]: | MPersistence(143)
Out[44]: 3
In [ ]:
```

```
In [45]:
    ''' Write a function sumPdivisors() that finds the sum of proper divisors of a
    number. Proper
    divisors of a number are those numbers by which the number is divisible, excep
    t the
    number itself. For example proper divisors of 36 are 1, 2, 3, 4, 6, 9, 18
    '''

Out[45]: 'Write a function sumPdivisors() that finds the sum of proper divisors of a
    number. Proper\ndivisors of a number are those numbers by which the number is
    divisible, except the\nnumber itself. For example proper divisors of 36 are
    1, 2, 3, 4, 6, 9, 18\n'

In [46]:
    '''
    Nothing Fancy very Simple One Iteration
    '''
Out[46]: '\nNothing Fancy very Simple One Iteration\n'
```

```
In [49]:
         10. A number is called perfect if the sum of proper divisors of that number is
         equal to the
         number. For example 28 is perfect number, since 1+2+4+7+14=28. Write a program
         print all the perfect numbers in a given range
Out[49]: '\n10. A number is called perfect if the sum of proper divisors of that numbe
         r is equal to the\nnumber. For example 28 is perfect number, since 1+2+4+7+14
         =28. Write a program to\nprint all the perfect numbers in a given range\n'
In [50]:
         def sum of proper divisors(num):
             sum = 0
             for i in range(1,num):
                 if num%i ==0:
                     sum+=i
             return sum
In [51]:
         def range of Perfect number(num1, num2):
             all perfect number in range = []
             for i in range(num1, num2+1):
                 if i == sum of proper divisors(i):
                     all_perfect_number_in_range.append(i)
             print(all perfect number in range)
In [52]: range_of_Perfect_number(10,10000)
         [28, 496, 8128]
In [ ]:
```

```
In [53]:
         11. Two different numbers are called amicable numbers if the sum of the proper
         divisors of
         each is equal to the other number. For example 220 and 284 are amicable number
         Sum of proper divisors of 220 = 1+2+4+5+10+11+20+22+44+55+110 = 284
         Sum of proper divisors of 284 = 1+2+4+71+142 = 220
         Write a function to print pairs of amicable numbers in a range
Out[53]: '\n11. Two different numbers are called amicable numbers if the sum of the pr
         oper divisors of\neach is equal to the other number. For example 220 and 284
         are amicable numbers.\nSum of proper divisors of 220 = 1+2+4+5+10+11+20+22+44
         +55+110 = 284\nSum of proper divisors of 284 = 1+2+4+71+142 = 220\nWrite a fu
         nction to print pairs of amicable numbers in a range\n'
In [54]:
         Nothing Fancy Some Loop Concept is used
Out[54]: '\nNothing Fancy Some loop Concept is used\n'
In [55]: def amicable number(num1,num2):
             ameicalbel list = []
             for i in range(num1, num2+1):
                 for j in range(num1, num2+1):
                     if
                     if i == j:
                     if i == sum of proper divisors(j) and j == sum of proper divisors(
         i):
                          ameicalbel list.append([i,j])
             print(ameicalbel list)
        amicable_number(1,300)
In [56]:
         [[220, 284], [284, 220]]
In [66]: amicable_number = [[220, 284], [284, 220]]
```

1, 73, 75, 77, 79, 81, 83, 85, 87, 89, 91, 93, 95, 97, 99

Question 13

```
In [64]: print(list(map(lambda x:x**3,list(filter(lambda x:(x%2==0),list1))))
        [-1000, -512, -216, -64, -8, 0, 8, 64, 216, 512, 1000]
In []:
```