

①

LG - Pattern Printing

12/04/25

→ Hollow Pyramid Pattern

n=1

*

n=2

*

* * *

n=3

*

* - *

* * * * *

n=4

*

* - *

* - - - *

* * * * *

n=5

- - - - *

- - - * - *

- - * - - - *

- * - - - - *

* * * * *

I

II

III

IV

V

① n=5

② No of rows=5

③ No of cols = (n+1)

④ Analysis

n=5 r=1 - Ist Row - 4 spaces + 1* - r=1

n=5 r=2 - IInd Row = 3 spaces + 1* + 1sp + 1*

n=5 r=3 - IIIrd Row = 2sp + 1* + 3sp + 1*

n=5 r=4 - IVth Row = 1sp + 1* + 5sp + 1*

n=5 r=5 - Vth Row = 0sp + 1* - r=n

(2n-1) stars

②

$n=4$

$---* - I$
 $--x-x - II$
 $-x---x - III$
 $xxxxx - IV$

① $n=4$ $r=1$ Ist Row $- 3\text{spaces} + 1*$ $2(r)-3$

② $n=4$ $r=2$ IInd Row $- 2\text{spaces} + 1x + 1\text{sp} + 1x$

③ $n=4$ $r=3$ IIIrd Row $- 1\text{space} + 1x + 3\text{sp} + 1x$

④ $n=4$ $r=4$ IVth Row $- 0\text{space} + 1x$

$n\text{-row}$

if $d=2n$

$2(n)-1$

②

②

Solid Diamond Pattern

①

Part I

① $n=3$

② No of rows = 3

③ No of cols = (vary)

④ Analysis

$n=3$ $r=1$ - Ist Row - $2sp+1*$

$n=3$ $r=2$ - IInd Row - $2sp+3*$

$n=3$ $r=3$ - IIIrd Row - $0sp+5*$

\swarrow \searrow
 $(n-row)$ $(2(row)-1)$

- Decrement n by 1 because below there are two rows

$n--$

⑤ Part II

① $n=2$

② No of rows = 2

③ No of cols = (vary)

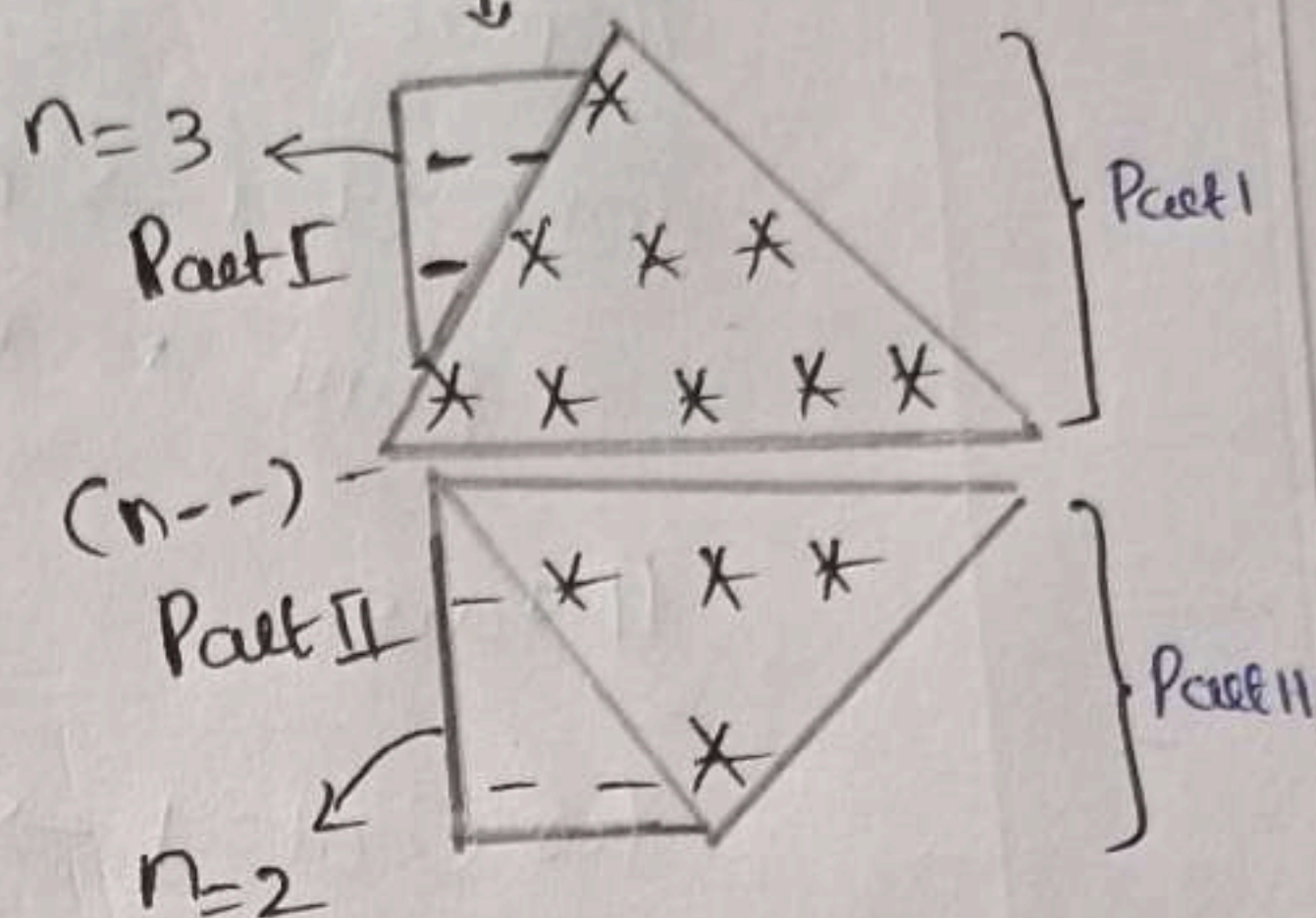
④ Analysis

$n=2$ $r=1$ - Ist Row - $1sp+3*$

$n=2$ $r=2$ - IInd Row - $2sp+1*$

$\forall p \ n=3$

\hookrightarrow IIP \downarrow



$- * * *$

$- - *$

$(=row)$

$(2(n-row)+1)$

④

I

for (row $1 \rightarrow n$)

{

// space

for (col $= 1 \rightarrow n - \text{row}$)

print " "

// stars

for (col $= 1 \rightarrow 2(\text{row}) - 1$)

print "x"

n -

II

for (row $1 \rightarrow n$)

{

// space

for (col $= 1 \rightarrow \text{col} \leq \text{row}$)

print " "

// stars

for (col $= 1 \rightarrow \text{col} \leq (2(n - \text{row}) + 1)$)

print "x"

⑤ method-2

lets say if unable to find out the formula of stars in part II then take one count variable

use this

```
int totalStars = 2*n - 3 → outside for loop of row
for (int col = 1; col <= totalStars; col++)
{
    print "x"
    ↓
    cout << "\n"
}
totalStars = totalStars - 2;
```

Stars → K jab tak totalStars 1 nhi ho jata tabtak print karte rehna hai

method-3

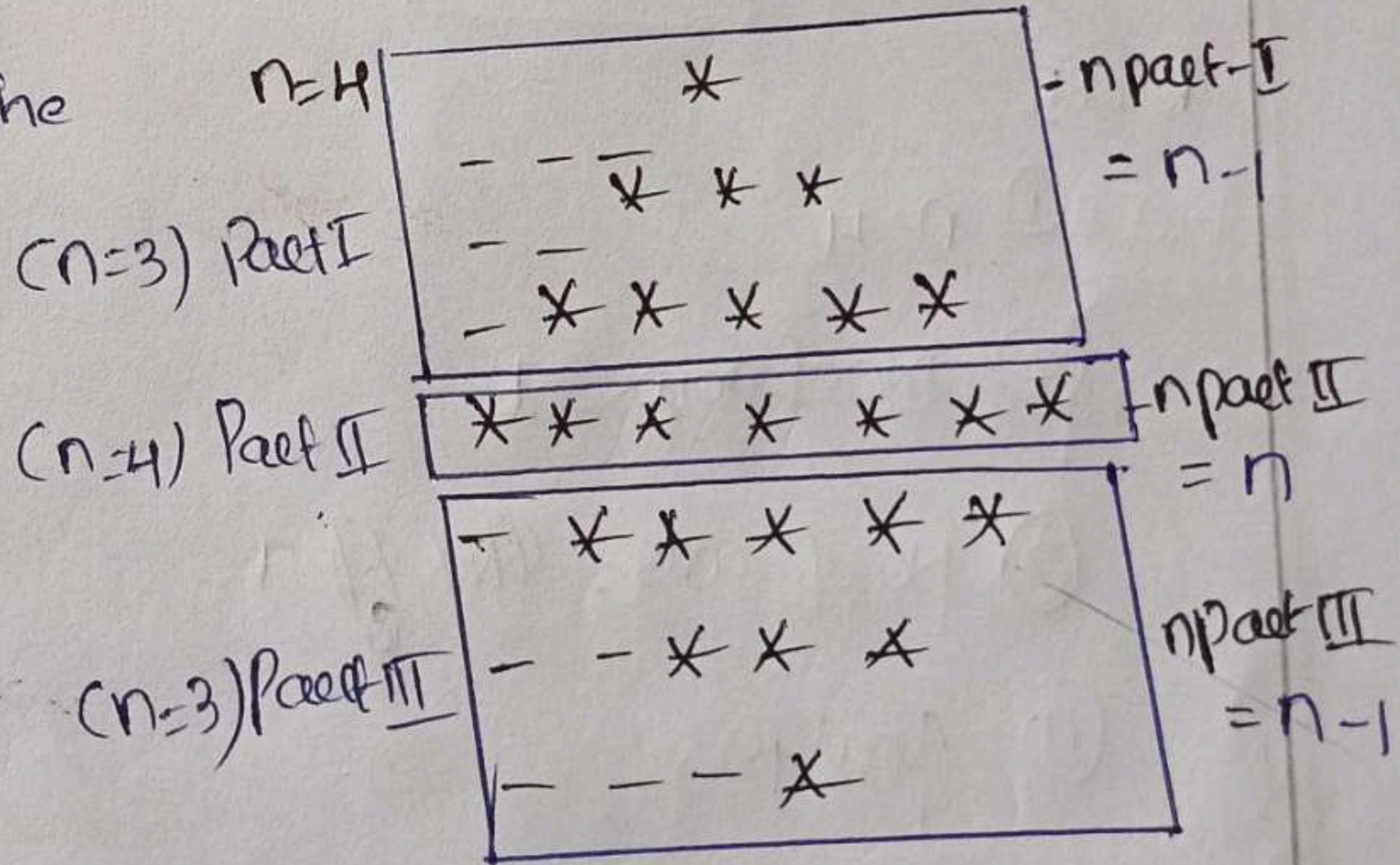
* whenever we divide the

Part I

① $n=4$

② No of rows = 3

③ No of cols = (vary)



$n=3$ $r=1$ Ist row - $3sp+1x$

$n=3$ $r=2$ IInd row - $2sp+3x$

$n=3$ $r=3$ IIIrd row - $1sp+5x$

⑥

npactI → $n=3$

for (int r=1; r<=n; r++)

{
 //spaces

for (int col=1; col<=(n-r+1); col++)

{

 cout << " ";

}

 //stars

for (int col=1; col<=2*(r)-1; col++)

{

 cout << " * ";

}

}

Part II

① $n=4$

② No of rows = 1

③ No of cols = $(2n-1)$ 7

④ Analysis

$n=4$ $r=1$ - 1st row → $7*$ — $2*n-1$

for (col=1; col<=2*(n)-1; col++)

{

 cout << " * ";

cout << endl;

Part III

$n=3$

① $n=3$

② No of rows = 3

③ No of cols = (vary)

④ Analysis

$n=3$	$r=1$	I st Row	— 1space + 5*
$n=3$	$r=2$	II nd Row	— 2space + 3*
$n=3$	$r=3$	III rd Row	— 3space + 1*

$(n-r)$
 $2(x)+1$

5

3

1

$(=r)$

↓
odd number
($2x-1, 2x+1$)

↓
 $2(n-r)+1$

for (int row=1; row<=n; row++)

{

for (int col=1; col<= ~~2(n-r)+1~~ ^r +1; col++)

{

cout << " ";

}

for (int col=1; col<= $2(n-r)+1$; col++)

{

cout << " * ";

}

}

④

③ Hollow Diamond Pattern

Part I

1/p n=3

L→O/p

① n_{part I} = n-1 = 2

② No of rows = 2

③ No of cols = vary

④ Analysis

(n=2) Part I

```

  --*
 - * - *
  
```

n_{part I} = n-1

(n=3) Part II

```

 * - - - *
  
```

n_{part II} = n

(n=2) Part III

```

 - * - *
  --*
  
```

n_{part III} = n-1

n=2 r=1, Ist Row — 2sp + 1* (r=1)

n=2 r=2 IInd Row — 1sp + 1* + 1sp + 1*

$n-r+1$

\downarrow * \downarrow 2(r-1)-1

r=2 1 2(r-1)-1 ✓

r=3 3

r=4 5

$2(r)-3$

(2(r-n)+1)?

Part II

① n_{part II} = n = 3

② No of rows = 1

③ Analysis

n=3 — r=1 — 1st Row \Rightarrow ①* + 3sp + ①*

\downarrow 2(r-1) or 2(n-1)-1

9

Part III

① $n=2$

② No of rows = 2

③ No of cols = (vary)

④ Analysis

$n=2$ $r=1$ - Ist Row - 1sp + 1x + 1sp + 1x

$n=2$ $r=2$ - IInd Row - 2sp + 1x

// //

(Row) (Y==n)

→ Method - II

Part I

① $n=4$

② No of rows = 4

③ No of cols = (vary)

④ Analysis

$n=4$

n_{Part I}
= n
= 4

```

- - - x
- x - x
- x - - - x
x - - - - x
  
```

Part I

n_{Part II}
= n-2
= 3

```

- x - - - x
- - x - x
- - - x
  
```

Part II

$r=1$ Ist - 3sp + 1x

$r=2$ IInd - 2sp + 1x + 1sp + 1x

$r=3$ IIIrd - 1sp + 1x + 3sp + 1x

$r=4$ IVth - 0space + 1x + 5sp + 1x

middle rows

1x

Spaces $\Rightarrow 2(r-1)-1$

1x

spaces (n-r)

1 $r=2$
3 $r=3$
5 $r=4$

}

$2(\text{row}-1)-1$

$2x-1, 2x+1$

int part1 = n;

for (int row = 1; row <= n; row++)

{

// spaces

for (int col = 1; col <= (n - row); col++)

{

cout << " ";

}

// stars

if (row == 1)

{

cout << "x";

}

else

{

// stars

cout << "x";

// spaces

for (int ~~row~~ col = 1; col <= (2 * row - 1); col++)

{

cout << "x";

}

//stacs

~~for~~ cout << "x";

}

cout << endl;

}

Part II

- no of spaces at row = 4 we have to find out C because

It is last row).

- if we get the last row (in part I) spaces (in part) we can easily get next row (which is at part 2) spaces.

How? (Subtract 2 from last row spaces)

$$\text{Let int maxSpace} = (2^{\text{row}} - 3)$$

$$= 2(4) - 3$$

$$= 8 - 3 = 5 \text{ spaces at row 4}$$

$$\text{row 1} = \text{maxSpace} - 2 \Rightarrow (\text{no of spaces} = 3) \\ \text{of part II}$$

① $n = 3$ (n part II = 3)

② No of rows = 3

③ No of cols = (vary)

$n_{part2} = 3, r = 1$ I - $1sp + 1x + 3sp + 1x$ - * - - - *
 $n_{part2} = 3, r = 2$ II - $2sp + 1x + 1sp + 1x$ - - - *
 $n_{part2} = 3, r = 3$ III - $3sp + 1x$ - - - *

First - 1x

Spaces

↳ $2(n-r)-1$ or we can use

First - 1x

maxSpace - 2

int maxSpace = $2 * n - 3$

int nPart2 = n - 1

for (int row = 1; row <= nPart2; row++)

{

// Spaces

for (int col = 1; col <= row; col++)

{

cout << " ";

}

// Stars if (row == 1)

{

cout << "x";

13

else

{

cout << "x";

// Spaces

maxSpace = maxSpace - 2

for (int col = 1; col <= maxSpace; col++)

cout << " ";

cout << "x";

}

SHAIK ASIF NIHAL April 13, 2025 at 15:56

① Rhombus Pattern =

1/p → n=4

① n=4

② No of rows = 4

③ No of cols = (vary)

④ Analysis

n=4 row=1 Ist Row -

Space

3sp + 4x

n=4 row=2 IInd Row -

2sp + 4x

n=4 row=3 IIIrd Row -

1sp + 4x

n=4 row=4 IVth Row -

0sp + 4x

(n-x) ↓ (n)

```

      * * * *
     * * * *
    * * * *
   * * * *
  * * * *
 * * * *

```


for (int row = 1; row <= n; row++)

{

// spaces

for (int col = 1; col <= n - row; col++)

{

cout << " "

}

for (int col = 1; col <= n; col++)

{

cout << "x"

}

cout << endl;

}

⑤

→ Have-Glass Pattern.

$\frac{1}{p} - n = 3$

①

$n = 3$

Part I

L o/p -

Part I

```

* * * * *
- * * * *
- - * *

```

② No of rows = 3

③ No of cols = (vary)

Part II

```

- - * *
- * * * *
* * * * *

```

$n = 3 - r = 1$ - Ist Row - 0sp + 6x

$n = 3 - r = 2$ - IInd Row - 1sp + 4x

$n = 3 - r = 3$ - IIIrd Row - 2sp + 2x

(r-1)

↓

$2(x) = 2 * (n - r + 1)$

15

$$\begin{array}{ccc} 2^*(x) & & 6 \\ \downarrow & & \\ 2^*(n-r+1) & & 4 \\ & & \downarrow \\ & & 2 \end{array}$$

Part II

① $n=3$

② No of rows = 3

③ No of cols = (vary)

④ Analysis

$n=3$ $r=1$ Ist Row - $2sp + 2x$

$n=3$ $r=2$ IInd Row - $1sp + 4x$

$n=3$ $r=3$ IIIrd Row - $0sp + 6x$

$(n-r)$

$2(x)$

\downarrow
 $2x$

⑥

→ Zig-Zag Pattern

Part I

$$n_{\text{part I}} = n = 3$$

$$1/p \rightarrow n=3$$

$$L > 1/p$$

$$L \rightarrow$$

① $n=3$

② No of rows = 3

③ No of columns = (value) = $n = 3$

④ Analysis

$n=3$ $r=1$ Ist - 0sp +

$n=3$ $r=2$ IInd - 1sp +

$n=3$ $r=3$ IIIrd - 2sp +

$(r-1)$

$n_{\text{Part II}}$

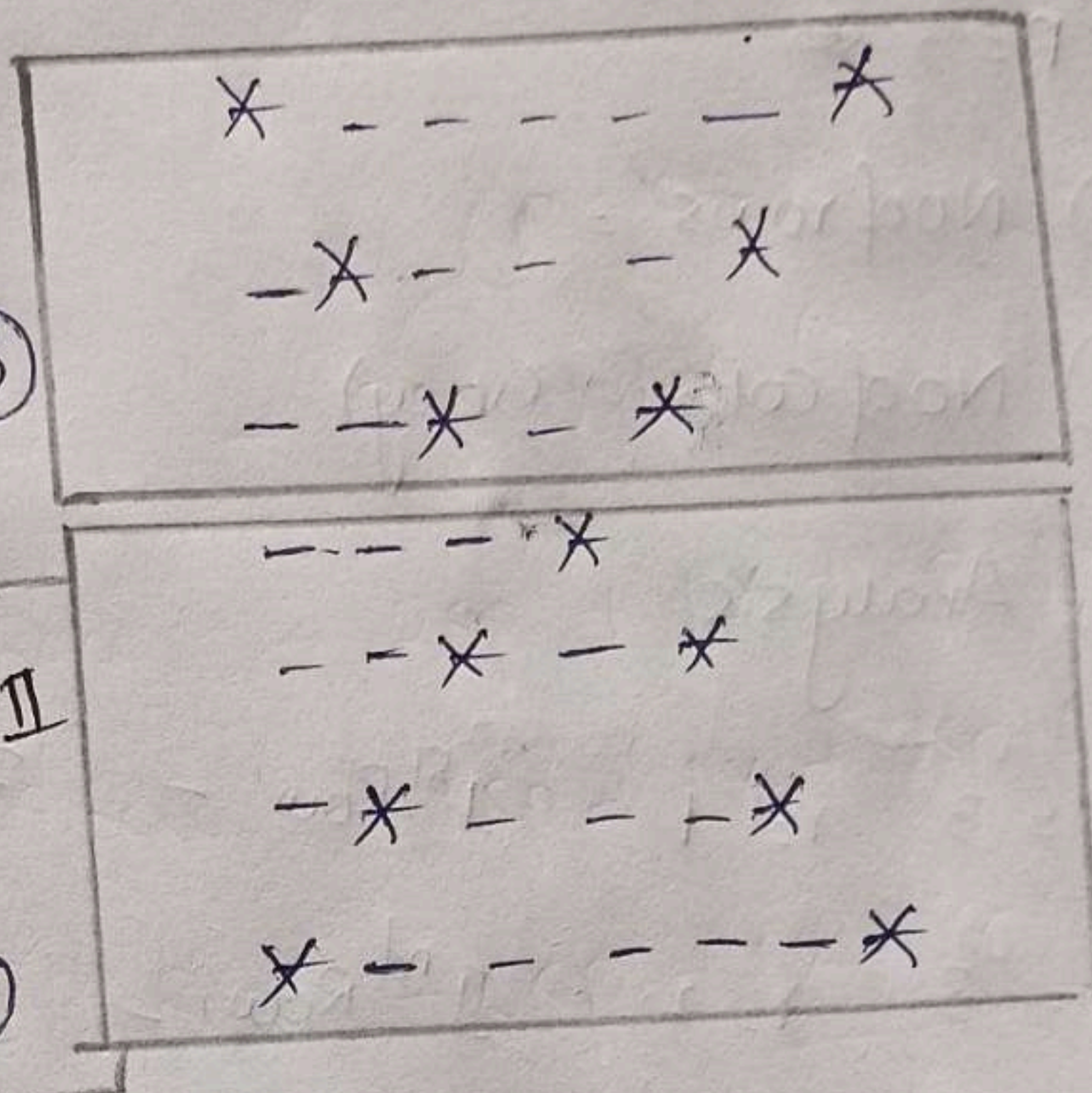
$$= n+1$$

$$= 4$$

Start
space

$$\begin{array}{l} -x \\ - \text{spaces} \\ -x \end{array} \quad \begin{array}{l} 2(n-r)+1 \\ \text{(or)} \\ \text{take} \end{array}$$

take maxspace = $2(n)-1$
f decrement by 2



5
3
1

(17)

```
int n, aetI = n;
int maxspace = 2 * n - 1;
```

```
for (int row = 1; row <= n; row++)
```

```
{
```

```
    // spaces
```

```
    for (int col = 1; col <= (row - 1); col++)
```

```
        cout << " ";
```

```
    // stars + spaces
```

```
    // stars
```

```
    cout << "X";
```

```
    // spaces
```

```
    for (int col = 1; col <= 2 * (n - row) + 1; col++)
```

```
{
```

```
    cout << "X";
```

```
}
```

```
    cout << "X";
```

```
    cout << endl;
```

```
}
```

```
}
```


Part II

$$n_{\text{part II}} = 4$$

① $n = 4$

② No of rows = 4

③ No of cols = (vary)

④ Analysis

$$n_{\text{part II}} = 4 - \text{row} = 1 - \text{1st Row}$$

$$n_{\text{part II}} = 4 - \text{row} = 2 - \text{2nd Row}$$

$$n_{\text{part II}} = 4 - \text{row} = 3 - \text{3rd Row}$$

$$n_{\text{part II}} = 4 - \text{row} = 4 - \text{4th Row}$$

```

      *
    * *
  *   *
*     *
  
```

$$3\text{sp} + 1* \quad (r=1)$$

$$2\text{sp} + 1* + 1\text{sp} + 1*$$

$$1\text{sp} + 1* + 3\text{sp} + 1*$$

$$0\text{sp} + 1* + 5\text{sp} + 1*$$

$$\text{int } n_{\text{part II}} = n + 1;$$

for (int row = 1; row <= n_{part II}; row++)

// spaces for (col = 1; col <= (n - row); col++)

// stars

if (row == 1) print *

else

cout << " " << endl;

for (col = 1; col <= (2 * (r - 2) + 1); col++)

cout << " " << endl;

mine
spaces = 2(r-2)+1
or
2(r-1)-1
Clove sir's

you can take
maxspace.