Q1) Write linear Search pseudocode to search an element in sorted array with minimum compensions

for (i=0 to n)

L if (over [i] == value)

11 elevent found

Q2) Write pseudo Code for iterative and recursive insertion sout.

Insertion port is called online sorting why? What about other sorting algorithm that has been discussed in lectures?

Iterative 
void insertion port (int a[], int n)

of for (int i=1, i<n; i++)

of j=i-1;

n=a(i);

n=a(i);

of a[j+1]=a[j];

of a[j+1]=n;

of a[j+1]=n;

```
Recursive -
          void insertionsort (int arr(), int n)
                d if (n <= 1)
                     return;
                    insertio sort (arr, n-1);
                   int last = arz [n-1];
                    int j=n-2;
                 While (j): 0 && anz (j7 > last)
                      d arr Cj+1J = arr Cj);
                arr[jt]: last;
 Insertion sort is called online sort because it does not
need to know anything about what values it will sort & the information is requested WHILE the algorithm is required.
Other Sorting algorithm
· bubble sort
· Quick sort
· Merge sort
· Selection sort
```

· Heap sort

Q3) Complexity of all the sorting algorithm that has (3) been discussed in lectures.

	Best	Worst	Average
selection Sort	0(n2)	0(n2)	0(ns)
. 11	0(~)	0(2)	0(2)
Bubble Sort Insertion Sort	0(4)	0(2)	0(2)
Meap Sort	O(nlogn)	O(nlegn)	O(nlogn)
Quick Sort	O(nlagn)	0(2)	O(nlog n)
-	O (nlagn)	O(nlogn)	O(nlogn)
Merge Sort			0

into inplace / stable / online sorting sorting algorithm Q4) Divide all the Orline sorting. Insertion

- Implace Sorting
- · Quick nort
- · thop sort

· Stable Sorting · Bubble · Bubble · Selection · Insertion · Insertion

Q5.) Write recursive/iterative pseudo code for binery search. What is
the Time & Space Complexity of Linear & Blinery Search

The time

·lowt

dinary Search (int arr(1, int 1, int 2, int ky)

d while (1<=x)

int m= (1+x)/2;

```
if (aron [m] == Key)
           else if (Key < arr [m])
           else lenti,
           return -1;
                int binary march (int are (7, int e, int a, int key)
Re cursive
                      of V while (1<=2)
                             of int m=((l+2/2);
                          if (Key = = arr [m])
                            return m;
                 Use if ( key < arr [m])
                   return bivery rearch ( arr, l, mid-1, key);
                  return binarysearch (crr, mid+1, r, key);
              Letur -1;
  Time Complenity-
      · Linear Search - O(n)
· Binary Search - O(logn)
```

Q1) Write recurrence relation for binary recursive search.

Ans 
$$T(n) = T(n/2) + 1 - 1$$
  
 $T(n/2) = T(n/4) + 1 - 2$   
 $T(n/4) = T(n/8) + 1 - 3$ 

$$T(n) : T(n/2) + 1$$

=  $T(n/4) + 1 + 1$  (From eq n 2)

=  $T(n/8) + 1 + 1 + 1$  (From eq n 3)

$$= T(n/2^{K}) + I \quad (K \text{ Times})$$

Let 
$$2^{K} = n$$

$$T(n) = T(n/n) + \log n$$

$$K = \log n$$

$$T(n) = T(1) + \log n$$

Q7) Find two indexs such that ACi) + ACj) = K in minimum line Complisity

0

And Quick port is factor general purpose sort. In most practical situation quicksort is the method of choice. If stability is imported to opace is available, mergenout night be leat.

(29) What do you mean by number of inversion in an array? Court the number of inversion in array are (7, 21, 31, 8, 10, 1, 20, 6, 4,5) using merge sout.

Ans . A pair (ACI), ACJI) is said to be inversion is

. ACII > ACJI

· Total no of inversion in given array are 31 using reage aort

Q10) In which cases quick sout will give the best and the worst are time complinity.

And Worst (ase (0(n2)). The worst case occurs when the picked prest is always are extreme (smallest or largest) element. This happens when input array is sorted or reverse sorted a either first or last element a pecked as pivot.

Boost (ase (O(nlogn)) - The boost case occurs when we will soldent point about as a mean climent.

Q11) Write Recoverince relation of merge port & quick sont in best & voust case what are similarities a differences boyer

complexities of two algorithm & why!

Ans Merge Sout-Best Case - T(n) = 2T(n/2) + O(n)Woodst Case - T(n) = 2T(n/2) + O(n)O(n log n)

Quick Sort-Best Case -  $T(n) = 2T(n/2) + O(n) \rightarrow O(n\log n)$ Worst Case -  $T(n) = T(n-1) + O(n) \rightarrow O(n^2)$ 

In Quick Soit the array of elevent is divided into parts
repeated with it is not possible to divide it further. It is
not necessary to divide helf.

In Morge Sort the elements are split into two surl array (n/2) again & again with center only one element is left.

(P12) Selection sort is not stable by depart but you can write a version of stable selection?

And for (inti=0; i<n-1; i++)

d int min=i;

for (int j=i+1; j<n; j++)

d if (alrin ] > a [j])

min=j;

b

int key = a [min ];

```
while (min > i)

d a Cmin ] = a (nin - j)

min - - ;

d
a [i] = bey;
}
```

(213.) Bubble sort scans array even when array in sorted: Can you modify the bubble sort so that it does not scan the whole array once it is sorted.

And A better version of brubble port, known as modifieldable port, include a flog that in set of an enchange is made after an entire pass over the array. It no enchange is made, then it should be closed the array is already order because no two elevent need to be switched. In that case sort is exchanged.

d for (int i=0; i<n; i++)

d int emop =0;

for (int j=0; j<n-i-1; j++)

d if (a(j]) a(jH))

d if t = a(j);

a(j) = a(j+1);

a(j+1) = t;

owap ++;

3

if (swops == 0) heals;