## Project Appendix

May 12, 2024

## 0.1 Program for Model Calibrations

```
[]: from scipy.optimize import fsolve
     def equations(variables):
         x, t, w = variables
         eq1 = (1 - w) / 0.25 - x
         eq2 = 0.14 / (0.7 * (t ** -0.5)) - x
         eq3 = w - (0.35 + 0.5 * (0.14 * t + 1))
         return [eq1, eq2, eq3]
     initial_guess = (0,1,0)
     # Solve the system of equations
     x, t, w = fsolve(equations, initial_guess)
     print("Solution for the values in Jordan without an increase in human capital:")
     print("The value of J_pi is =", x)
     print("The value of theta=", t)
     print("The value of the wage =", w)
    Solution for the values in Jordan without an increase in human capital:
    The value of J_pi is = 0.22992890156768905
    The value of theta= 1.3216824944011112
    The value of the wage = 0.9425177746080777
[]: def equations(variables):
         x, t, w = variables
         eq1 = (1.2 - w) / 0.25 - x
         eq2 = 0.14 / (0.7 * (t ** -0.5)) - x
         eq3 = w - (0.35 + 0.5 * (0.14 * t + 1.2))
         return [eq1, eq2, eq3]
     # Solve the system of equations
     x, t, w = fsolve(equations, initial_guess)
     print("Solution for the values in Jordan with an increase in human capital:")
```

```
print("The value of J_pi is =", x)
     print("The value of theta=", t)
     print("The value of the wage =", w)
    Solution for the values in Jordan with an increase in human capital:
    The value of J_pi is = 0.31322605765246453
    The value of theta= 2.4527640798126242
    The value of the wage = 1.1216934855868839
[]: def equations(variables):
         x, t, w = variables
         eq1 = (1.1 - w) / 0.25 - x
         eq2 = 0.14 / (0.7 * (t ** -0.5)) - x
         eq3 = w - (0.35 + 0.5 * (0.14 * t + 1.1))
         return [eq1, eq2, eq3]
     # Solve the system of equations
     x, t, w = fsolve(equations, initial_guess)
     print("Solution for the values in Jordan with an increase in human capital:")
     print("The value of J_pi is =", x)
     print("The value of theta=", t)
     print("The value of the wage =", w)
    Solution for the values in Jordan with an increase in human capital:
    The value of J_pi is = 0.2740967606413665
    The value of theta= 1.8782258548522628
    The value of the wage = 1.0314758098396584
[]: def equations(variables):
         x, t, w = variables
         eq1 = (1 - w) / 0.28 - x
         eq2 = 0.115 / (1.08 * (t ** -0.4)) - x
         eq3 = w - (0.25 + 0.5 * (0.115 * t + 1))
         return [eq1, eq2, eq3]
     # Solve the system of equations
     x, t, w = fsolve(equations, initial_guess)
     print("Solution for the values in India without tax relief or an increase in_<math>\sqcup
      ⇔human capital:")
     print("The value of J_pi is =", x)
     print("The value of theta=", t)
     print("The value of the wage =", w)
```

Solution for the values in India without tax relief or an increase in human capital:

```
The value of J_pi is = 0.17560574535547524
The value of theta= 3.4927024573994254
The value of the wage = 0.9508303913004669
```

```
[]: def equations(variables):
    x, t, w = variables
    eq1 = (0.8 - w) / 0.28 - x
    eq2 = 0.115 / (1.08 * (t ** -0.4)) - x
    eq3 = w - (0.25 + 0.5 * (0.115 * t + 0.8))
    return [eq1, eq2, eq3]

# Solve the system of equations
x, t, w = fsolve(equations, initial_guess)

print("Solution for the values in India with tax relief but without increase in_u human capital:")
print("The value of J_pi is =", x)
print("The value of theta=", t)
print("The value of the wage =", w)
```

Solution for the values in India with tax relief but without increase in human capital:

The value of J\_pi is = 0.13862048173659192The value of theta= 1.9336741758913791The value of the wage = 0.7611862651137543

Solution for the values in India with tax relief and an increase in human capital:

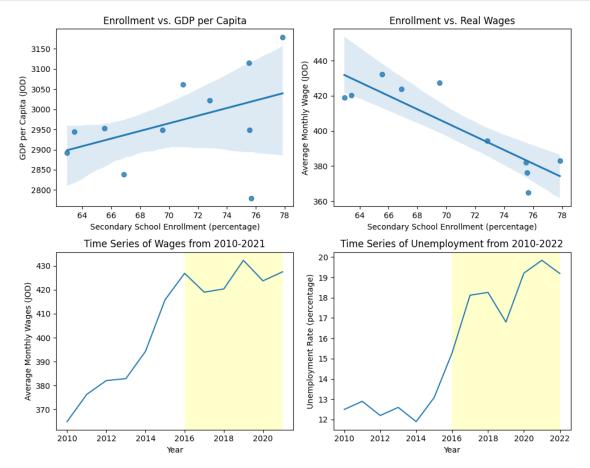
The value of  $J_pi$  is = 0.17875272354150024The value of theta= 3.65129108536313

## 0.2 Graphs for Jordan

```
[]: import pandas as pd
     import matplotlib.pyplot as plt
     import seaborn as sns
     import numpy as np
     import linearmodels as lm
     import statsmodels.api as sm
     import statsmodels.formula.api as smf
     from datetime import datetime
     df = pd.read_excel('Desktop/Advanced_Macro_Data.xlsx')
     fig, axes = plt.subplots(2, 2, figsize=(10, 8))
     # Plot 1: Scatterplot of Secondary School Enrollment and GDP per Capita
     sns.regplot(x='Enrollment', y='GDP per capita', data=df, ax=axes[0, 0])
     axes[0, 0].set_title('Enrollment vs. GDP per Capita')
     axes[0, 0].set_xlabel('Secondary School Enrollment (percentage)')
     axes[0, 0].set_ylabel('GDP per Capita (JOD)')
     df['Date'] = pd.to_datetime(df['Date'])
     df = df.set_index('Date')
     # Plot 2: Scatterplot of Secondary School Enrollment and Real Wages
     sns.regplot(x='Enrollment', y='Real Wages', data=df, ax=axes[0, 1])
     axes[0, 1].set_title('Enrollment vs. Real Wages')
     axes[0, 1].set_xlabel('Secondary School Enrollment (percentage)')
     axes[0, 1].set_ylabel('Average Monthly Wage (JOD)')
     df 2021 = df
     df_2021.drop(['2022-01-01'])
     # Plot 3: Time Series of Wages from 2010-2021
     axes[1, 0].plot(df.index, df['Real Wages'])
     axes[1, 0].axvspan(datetime(2016, 1, 1), datetime(2021, 1, 1),

¬facecolor='yellow', alpha=0.2)
     axes[1, 0].set_title('Time Series of Wages from 2010-2021')
     axes[1, 0].set_xlabel('Year')
     axes[1, 0].set_ylabel('Average Monthly Wages (JOD)')
     # Plot 4: Time Series of Unemployment from 2010-2022
     axes[1, 1].plot(df.index, df['Unemployment '])
     axes[1, 1].axvspan(datetime(2016, 1, 1), datetime(2022, 1, 1),
      ⇔facecolor='yellow', alpha=0.2)
     axes[1, 1].set_title('Time Series of Unemployment from 2010-2022')
```

```
axes[1, 1].set_xlabel('Year')
axes[1, 1].set_ylabel('Unemployment Rate (percentage)')
plt.tight_layout()
plt.show()
```



## 0.3 Graphs for India

```
axes[0, 0].set_ylabel('Secondary School Enrollment (Gross %)', fontsize=8)
axes[0, 0].tick_params(axis='both', labelsize=8)
axes[0, 0].grid(True)
# Plot Secondary School Enrollment vs. Average Monthly Wages
sns.regplot(x='Secondary School Enrollment (Gross %)', y='Average Monthly Wages_
axes[0, 1].set_title('Secondary School Enrollment vs. Average Monthly Wages', __
 ⇔fontsize=10)
axes[0, 1].set_xlabel('Secondary School Enrollment (Gross %)', fontsize=8)
axes[0, 1].set_ylabel('Average Monthly Wages (Indian Rupees)', fontsize=8)
axes[0, 1].tick params(axis='both', labelsize=8)
axes[0, 1].grid(True)
# Plot Secondary School Enrollment vs. Unemployment Rate
sns.regplot(x='Secondary School Enrollment (Gross %)', y='Unemployment Rate', u
 \Rightarrowdata=df, ax=axes[1, 0])
axes[1, 0].set_title('Secondary School Enrollment vs. Unemployment Rate', ____
 ⇔fontsize=10)
axes[1, 0].set xlabel('Secondary School Enrollment (Gross %)', fontsize=8)
axes[1, 0].set_ylabel('Unemployment Rate', fontsize=8)
axes[1, 0].tick_params(axis='both', labelsize=8)
axes[1, 0].grid(True)
# Plot Wages and Unemployment Rate Over Time
color = 'tab:red'
axes[1, 1].plot(df['Year'], df['Average Monthly Wages (Indian Rupees)'], u
 ⇔color=color, label='Wages')
axes[1, 1].set_title('Wages and Unemployment Rate Before and After 2008', __
 ⇔fontsize=10)
axes[1, 1].set_xlabel('Year', fontsize=8)
axes[1, 1].set_ylabel('Average Monthly Wages (Indian Rupees)', color=color, __
axes[1, 1].tick params(axis='y', labelcolor=color, labelsize=8)
axes[1, 1].legend(loc='upper left', fontsize=8)
axes[1, 1].axvline(x=2008, color='gray', linestyle='--', label='Tax Reliefu
 →Policy Amendment in 2008')
ax2 = axes[1, 1].twinx()
color = 'tab:blue'
ax2.plot(df['Year'], df['Unemployment Rate'], color=color, label='Unemployment_
⊸Rate')
ax2.set_ylabel('Unemployment Rate', color=color, fontsize=8)
ax2.tick_params(axis='y', labelcolor=color, labelsize=8)
ax2.legend(loc='upper right', fontsize=8)
```

```
plt.suptitle('', fontsize=12)
plt.tight_layout(rect=[0, 0.03, 1, 0.95]) # Adjust layout to fit title
plt.show()
```

