

27 An application requires 1.46TB of storage capacity and generates 9000 IOPS at peak workload.

A 146 GB, 15000 RPM disk drive can deliver a maximum of 180 IOPS at full utilization

Calculate:-

i) The Number of disks required to meet both capacity and IOPS Needs

ii) Assume 70% disk utilization for optimal performance

⇒ Given Data

Application capacity - $C_A \Rightarrow 1.46 \text{ TB} = 1460 \text{ GB}$

Disk capacity - $C_D \rightarrow 146 \text{ GB}$

Application IOPS requirement - $I_A - 9000 \text{ IOPS (peak workload)}$

Maximum IOPS per Disk (Vendor specified) - $I_{max} - 180 \text{ IOPS}$

Disk utilization factor (for optimal performance) - $U - 70\% = 0.7$

$$D_R = \text{Max}(D_C, D_I)$$

$D_C \rightarrow$ Number of disks required to meet the capacity

$D_I \rightarrow$ Number of disks required to meet the application IOPS requirement

i) Find D_C

First convert capacity unit x

$$CA = 1.46 \text{ TB} = 1.46 \times 1000 = 1460 \text{ GB}$$

$$D_C = \frac{CA}{C_D} = \frac{1460}{146} = 10 \text{ Disks}$$

ii) D_I (IOPS requirement at 100% utilization)

$$D_I = \frac{9000}{180} = 50$$

50 disks could meet the IOPS at full load but it's unsafe because disks would queue up requests and slow down.

So we do not consider 100% disk utilization. At full load the disk remains continuously busy causing new I/O request to queue up and drastically increase response time)

3) D_I (utilization limit 70%)

IOPS at 70% utilization

$$I_{70} = 180 \times 0.7 = 126 \text{ IOPS}$$

Each disk can now safely deliver 126 IOPS
Instead of 180

IOPS requirement at 70%

$$D_I = \frac{9000}{126} = \underline{\underline{72}}$$

Find D_R (required No. of Disks to Meet both
Storage capacity requirement and
performance requirement)

$$D_R = \max(D_C, D_I)$$
$$\max(10, 72)$$

$$D_R = \underline{\underline{72}}$$

$D_R = 72$ disks required to meet both capacity
and IOPS Needs