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Course - CSE923

Sec → 08

Midterm Exam .

Question 2

a) Between DDA and Midpoint Line algorithm I would choose Midpoint line algorithm as the ideal one as it has the following advantages over DDA:

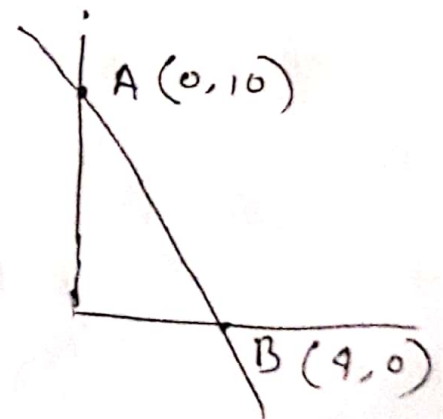
1. No rounding calculations
2. More efficient and faster than DDA
3. No floating point calculations.

→ This is why midpoint line algorithm is faster than DDA.

b) $y = -2.5x + 10$

$$\Rightarrow 2.5x + y = 10$$

$$\Rightarrow \frac{x}{4} + \frac{y}{10} = 1$$



\therefore The A(0, 10) and B(4, 0).

This line falls into zone 5.

Here

$$dx = 4, \quad dy = -10$$

$$d_{\text{start}} = 2dy - dx = -20 - 4 = -24$$

$$(\Delta d)_E = 2dy = 2x - 10 = -20$$

$$(\Delta d)_{NE} = 2(dy - dx) \\ = 2(-10 - 4) = -28$$

(a) A

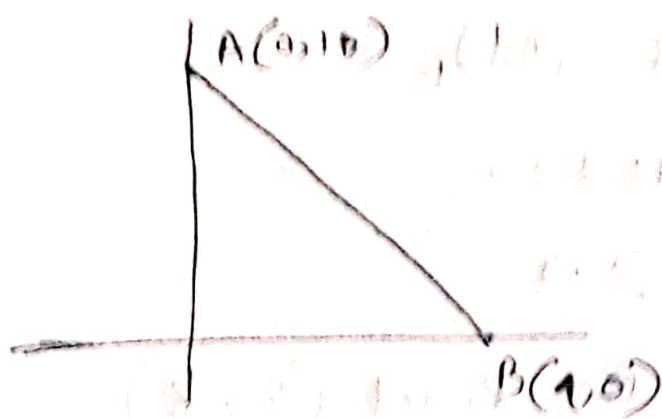
$$K_1 + K_2 = 8$$

$$0 = 6 + K_2 - 5$$

$$K_2 = -1$$

$$(0, 0) \text{ is a point on } A$$

c)



$$d_{start} = -24 < 0, A(0, 10)$$

$$\therefore \text{select } E \text{ Pixel } (x+1, y) = (1, 10)$$

$$\therefore d_1 = d_{start} + (\Delta d)_E$$

$$= -24 + 20 = -4 < 0$$

$$\therefore \text{select } E \text{ Pixel } (x+1, y) = (2, 10)$$

$$\therefore d_2 = d_{start} - (\Delta d)_E$$

$$= -4 + 20 = 16 > 0$$

$$\text{select NE Pixel } (\cancel{3, 10}) (3, 9)$$

$$\therefore \cancel{d_3 = d_2 + (\Delta d)_E}$$

$$d_3 = d_2 + (\Delta d)_{NE}$$

$$= 16 - 28 = -12 < 0$$

$$\text{select } E \text{ Pixel } (4, 9)$$

$$\begin{aligned}
 d_4 &= d_3 - (\Delta d)_E \\
 &= -12 + 20 \\
 &= 8 > 0
 \end{aligned}$$

Select NE Pixel (5, 8)

$$d_5 = 8 - 28 = -20 < 0$$

Select E Pixel (6, 8)

$$d_6 = -20 + 20 = 0$$

Select E Pixel (7, 8)

$$d_7 = 0 - 20 = -20 < 0$$

∴ Select E Pixel (8, 8)

	Point	d	Pixel	Zone 0 Pixel
(0,10)	E	-24	(1,10)	
(1,10)	E	-4	(2,10)	
	NE	16	(3,10)	
	E	-12	(4,9)	
	NE	8	(5,8)	
	E	-20	(6,8)	
	E	0	(7,8)	

E	8.10	(8.8)
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Question 2

a) starting point of a circle (O, P)

zone - 1.

E \rightarrow 10

SE \rightarrow 6

b) In Midpoint circle drawing algorithm the value of dx is $1.25 - r$, but we use it as $1 - r$. It will not cause any issues. It will cause one problem which is floating point calculations which will make the algorithm slower. To resolve it we use it as $1 - r$. Thus we don't have to do any floating point calculations, making it faster and more efficient.

c)

Zone - 5

$$r = 9$$

origin $(-4, 13)$

$$h = 1 - 9 = 8 > 0 \quad \text{SE. } (0, 9) \quad (0, -9)$$

$$h_1 = h + 2(x - y) + 5$$

$$= 0 + 2 \times 9 + 5 = 23 > 0 \quad \text{SE. } (1, 9) \quad (1, -10)$$

$$h_2 = h_1 + 2(x - y) + 5$$

$$= 23 + 2(1 + 10) + 5 = 50 > 0 \quad \text{SE. } (2, 9) \quad (2, -11)$$

$$h_3 = 58 + 2(2+11) + 5 = 81 > 0 \quad SE(3, -12)$$

$$h_4 = 81 + 2(3+12) + 5 = 116 > 0 \quad SE(4, -13)$$

$$h_5 = 116 + 2(4+13) + 5 = 155 > 0 \quad SE(5, -14)$$

Point	h	SE	(origin with)
(0, -9)	8	SE	(4, 4)
(1, -10)	23	SE	(-3, 3)
(2, -11)	58	SE	(-2, 2)
(3, -12)	81	SE	(-1, 1)
(4, -13)	116	SE	(0, 0)
(5, -14)	155	SE	(1, -1)

3.

a)

def calculate_outcode(x, y):

bit0 = bit1 = bit2 = bit3 = 0

if (x < x_{min}):

bit0 = 1

if (x > x_{max}):

bit1 = 1

if (y < y_{min}):

bit2 = 1

if (y > y_{max}):

bit3 = 1

b)

6 possible clippings can be possible

for the Cohen-Sutherland line algorithm

using 3D line.

The name of the intersection points are Q_1 , Q_2 , Q_3 , Q_4 , Q_5 , Q_6 .
 $(l, 0, 0)$, $(-l, 0, 0)$, $(0, l, 0)$, $(0, -l, 0)$, $(0, 0, l)$, $(0, 0, -l)$.

c) $x_{\min} = -100$, $x_{\max} = 100$
 $y_{\min} = -80$, $y_{\max} = 80$
 $(-100, -80) \rightarrow (100, 80)$

B $(x_0, y_0) = (-160, 90)$ $(x_1, y_1) = (150, -88)$

$D = (x_1 - x_0, y_1 - y_0) = (310, -178)$

$t_{\text{left}} = \frac{-(x_0 - x_{\min})}{(x_1 - x_0)}$

$t_{\text{right}} = \frac{-(x_0 - x_{\max})}{(x_1 - x_0)}$

$t_{\text{top}} = \frac{-(y_0 - y_{\max})}{(y_1 - y_0)}$

$t_{\text{bottom}} = \frac{-(y_0 - y_{\min})}{(y_1 - y_0)}$

Initially, $t_E = 0$, $t_L = 1$

Boundary	M_i	$N_i D$	t	PE/PL	t_E	t_L
left	$(-1, 0)$	-310	$\frac{6}{31}$		0	$\frac{6}{31}$
right	$(1, 0)$	310	$\frac{26}{31}$		0	$\frac{6}{31}$
bottom	$(0, -1)$	88 178	$\frac{5}{89}$		$\frac{6}{31}$	$\frac{6}{31}$
top	$(0, 1)$	178 -178	$\frac{85}{89}$		$\frac{6}{31}$	$\frac{6}{31}$