Unit 7 - Week 5

How does an NPTEL online

Course outline

course work?

Week 0

Week 1

Week 2

Week 3

Week 4

Week 5

Lpi Convergence

Value Iteration

Policy Iteration

Monte Carlo

Week 6

Week 7

Week 8

Week 9

Week 10

Week 11

Week 12

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Assignment Solutions

False

Score: 0

False

No, the answer is incorrect.

Accepted Answers:

NPTEL Resources

Dynamic Programming

Control in Monte Carlo

Quiz : Assignment 5

Reinforcement Learning:

Week 5 Feedback form

NPTEL » Reinforcement Learning

## Assignment 5 The due date for submitting this assignment has passed. As per our records you have not submitted this assignment. Which of the following equation state that L is a contraction on value function? $\exists s, |Lv(s) - Lu(s)| \ge \gamma ||v - u||$ $\forall s, |Lv(s) - Lu(s)| \ge \gamma ||v - u||$ $\exists s, |Lv(s) - Lu(s)| \le \gamma ||v - u||$ $\forall s, |Lv(s) - Lu(s)| \leq \gamma ||v - u||$ No. the answer is incorrect. Score: 0 Accepted Answers: $\forall s, |Lv(s) - Lu(s)| \le \gamma ||v - u||$ In the value iteration algorithm, the stopping condition is given as follows: if $||v^{n+1}-v^n||<\frac{\epsilon(1-\gamma)}{2\gamma}$ : terminate What guarantee does such a stopping condition provide? The final policy obtained will be the optimal policy, $\pi^*$ The final value estimates will be $\epsilon$ -close to optimal values, $v^*$ The final value estimates will be optimal values, $v^*$ The value estimates will be $\gamma$ -close to optimal values, $v^*$ No, the answer is incorrect. Accepted Answers: The final value estimates will be $\epsilon$ -close to optimal values, $v^*$ 3) If we apply the value iteration algorithm, at the end of step 4 we get a policy $\pi$ . Is $v^{n+1}$ the fixed point of $\pi$ o yes O no No, the answer is incorrect. Score: 0 Accepted Answers: no $v'_1, v'_2 \dots v'_n$ for policy iteration. Which of the following statements are true. For all $v_i \in v_1, v_2, \dots v_n$ there exists a policy for which $v_i$ is a fixed point For all $v_i' \in v_1', v_2', \dots, v_n'$ there exists a policy for which $v_i'$ is a fixed point. For all $v_i \in v_1, v_2, \dots v_n$ there may not exist a policy for which $v_i$ is a fixed point

