

Binary Search Fix

Let's go through this code line by line and break it down for better understanding.

◆ Problem Statement Recap

We are given an $m \times n$ matrix. Our goal is to **sort each diagonal in ascending order** while keeping the relative positions of the diagonals intact.

A **diagonal** in a matrix is a set of elements that move **down-right** (`row++`, `col++`) starting from some cell.

◆ Example

❖ Input Matrix

```
3 3 1 1  
2 2 1 2  
1 1 1 2
```

❖ Output Matrix (after sorting each diagonal)

```
1 1 1 1  
1 2 2 2  
1 2 3 3
```

◆ Step-by-Step Code Walkthrough

◆ Function: `diagonalSort(int[][] mat)`

This function initiates the diagonal sorting process.

```
java
```

```

public int[][] diagonalSort(int[][] mat) {
    int n = mat.length;           // Number of rows
    int m = mat[0].length;        // Number of columns

```

- `n` stores the total number of rows in the matrix.
- `m` stores the total number of columns in the matrix.

◆ First Loop: Sorting Diagonals from the First Row (`row = 0`)

java

```

// row = 0
for(int col = 0 ; col < m ; col++){
    sort(mat , 0 , col , n , m);
}

```

💡 What does this loop do?

- It starts at `row = 0` (first row).
- Iterates through **each column (`col = 0 to m-1`)**.
- Calls `sort(mat, 0, col, n, m)`, which sorts the diagonal **starting from `(0, col)`**.

Example

| Start Position | Extracted Diagonal |
|------------------------------------|--------------------|
| <code>(0,0) → (1,1) → (2,2)</code> | [3, 2, 1] |
| <code>(0,1) → (1,2) → (2,3)</code> | [3, 1, 2] |
| <code>(0,2) → (1,3)</code> | [1, 2] |
| <code>(0,3)</code> | [1] |

- This ensures **all diagonals starting from the first row are covered**.

◆ Second Loop: Sorting Diagonals from the First Column (`col = 0`)

```
java
```

```
// col = 0;  
for(int row = 1 ; row < n ; row++){  
    sort(mat , row , 0 , n , m);  
}
```

💡 What does this loop do?

- It starts at **col = 0** (first column).
- Iterates through **each row (row = 1 to n-1)**.
- Calls `sort(mat, row, 0, n, m)`, which sorts the diagonal **starting from (row, 0)**.

Example

| Start Position | Extracted Diagonal |
|----------------|--------------------|
| (1,0) → (2,1) | [2, 1] |
| (2,0) | [1] |

✓ This ensures **all diagonals starting from the first column are covered**.

✓ The `(0,0)` diagonal is already covered in the first loop, so we start from `row = 1`.

◆ Function: `sort(int[][] mat, int row, int col, int n, int m)`

This function sorts a single diagonal starting from `(row, col)`.

```
java
```

```
public void sort(int[][] mat , int row , int col , int n , int m){  
    List<Integer> values = new ArrayList<>();
```

✓ Creates an **empty list** `values` to store diagonal elements.

◆ Step 1: Extract Diagonal Elements

```
java
```

```
int r = row , c = col;

while(r < n && c < m){
    values.add(mat[r][c]);
    r++;
    c++;
}
```

💡 What happens here?

- (r, c) starts at (row, col) .
- Moves **down-right** ($r++$, $c++$).
- Stores diagonal elements in $values$.

Example

Starting from $(0,0)$:

```
ini

values = [3, 2, 1]
```

Starting from $(0,1)$:

```
ini

values = [3, 1, 2]
```

◆ Step 2: Sort the Extracted Values

```
java

Collections.sort(values);
```

✓ Sorts the diagonal elements in **ascending order**.

For $(0,0) \rightarrow (1,1) \rightarrow (2,2)$, we get:

```
less
```

Before Sorting: [3, 2, 1]

After Sorting: [1, 2, 3]

◆ Step 3: Write Back the Sorted Values

```
java

r = row;
c = col;
int index = 0;

while(r < n && c < m){
    mat[r][c] = values.get(index++);
    r++;
    c++;
}
```

💡 What happens here?

- Starts at (row, col).
- Writes back the sorted values into the matrix along the diagonal.

Example

For diagonal (0,0) → (1,1) → (2,2) :

```
makefile
```

Original: [3, 2, 1]

Sorted: [1, 2, 3]

✓ This replaces the original matrix values with the sorted diagonal.

◆ Final Sorted Matrix

```
1 1 1 1  
1 2 2 2  
1 2 3 3
```

◆ Time Complexity Analysis

For an $m \times n$ matrix:

1. Extracting a diagonal $\rightarrow O(D)$
2. Sorting a diagonal $\rightarrow O(D \log D)$
3. Writing back $\rightarrow O(D)$

Since there are $(n + m - 1)$ diagonals, total complexity:

mathematica

```
O((n + m) * D log D)
```

🔥 Final Summary

- 1 First loop covers diagonals from the first row.
 - 2 Second loop covers diagonals from the first column (except $(0,0)$).
 - 3 Sort function:
 - Extracts diagonal elements
 - Sorts them
 - Writes them back into the matrix
- ✓ Every diagonal is sorted independently.
✓ Final result maintains diagonal order but sorts the elements.

🎯 Would You Like a Step-by-Step Visual Diagram?

I can illustrate it for better clarity! 